



As grown and artificial mosaic GaAs crystals for hard x-ray astronomy

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Outline

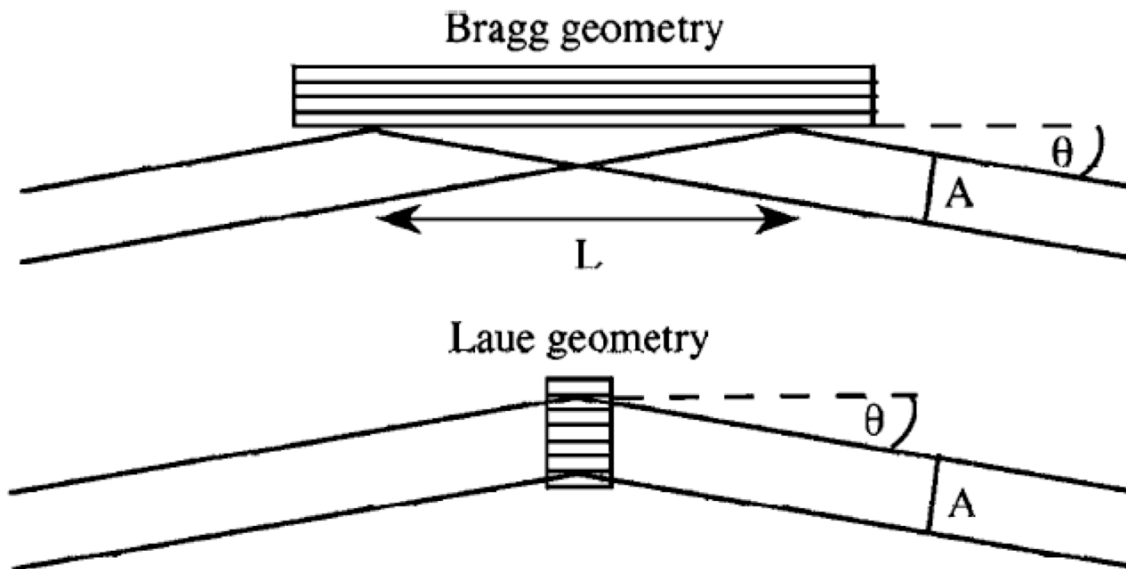
1. Laue lenses for hard x-ray astronomy
2. Mosaic crystals
3. GaAs crystals
4. X-ray diffraction characterization
5. “Artificial mosaic” crystals
6. Conclusions



Laue lens: why?

Hard x-rays: $E > 60$ keV

Bragg law: $2d \sin \theta_B = n \frac{hc}{E}$ $\longrightarrow$ very small incident angle



H. Halloin and P. Bastie, *Exp. Astron.* **20** (2005) 151

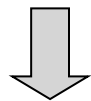


Laue lens: main properties

- Spherical shape with radius R
- Focal length $f=R/2$
- Crystal tiles, as small as possible, with lattice planes perpendicular to the front surface

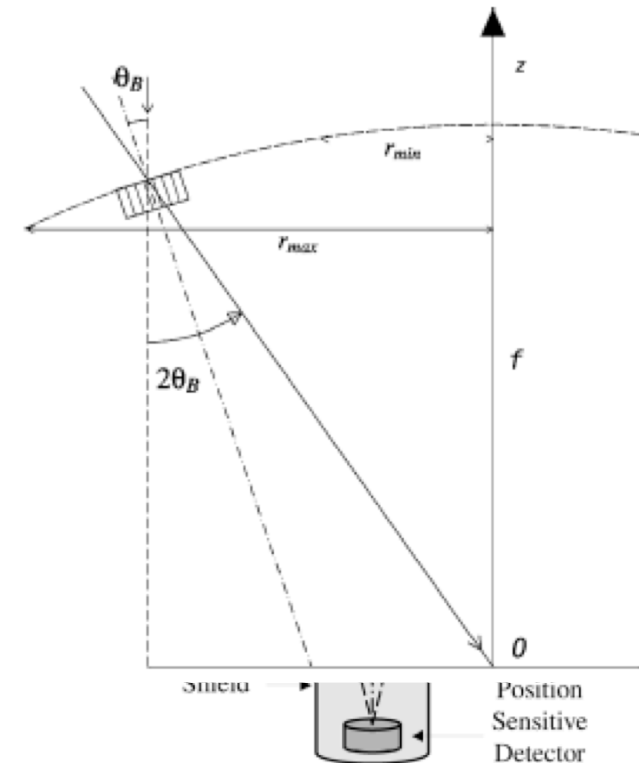
Resolution

a few tens of arcsec



Fundamental requirement

**a few tens of arcsec of
angular acceptance**



D. Pellicciotta et al., *IEEE Trans. Nucl. Sci.* **53** (2006) 253



Crystal tiles

Perfect
crystal



$$FWHM \approx r_e \frac{F_H \lambda}{\pi V} d$$



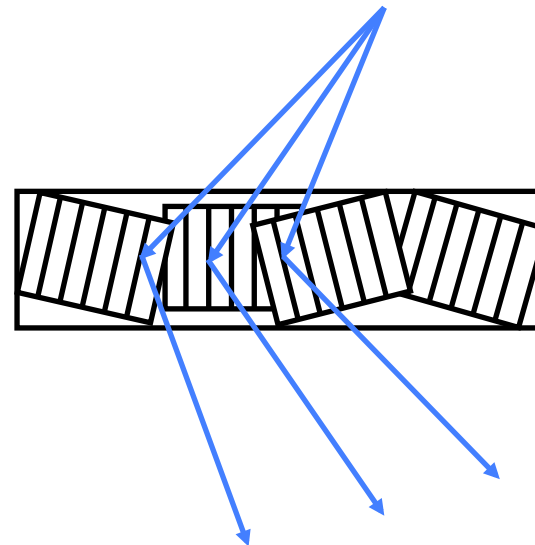
- r_e = electronic radius
- λ = wavelength
- F_H = structure factor
- d = lattice spacing
- V = crystal cell volume

FWHM ~ 0.06 arcsec

Ge 400 diffraction at 500 keV

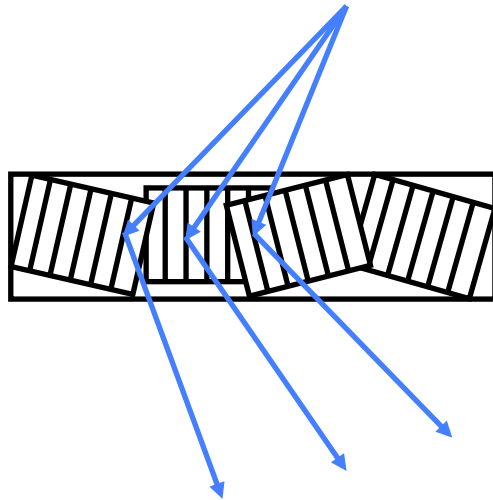
To improve the
collection efficiency

**MOSAIC
CRYSTALS**
can be used





Mosaic crystals

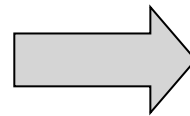


Crystal made of microscopic perfect crystal domains (crystallites) slightly misoriented with respect to each other

$$W(\vartheta) = \frac{1}{\sqrt{2\pi}\eta} \exp\left(-\frac{\vartheta^2}{2\eta^2}\right)$$

Mosaic spread

$$\sigma = FWHM = 2\eta\sqrt{\ln 4}$$



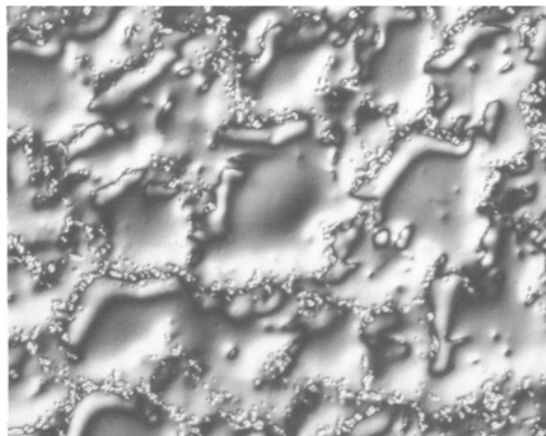
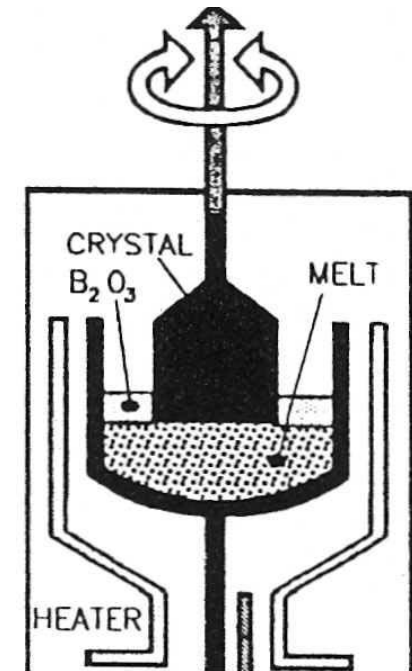
Bandwidth diffracted
by the crystal

$$\Delta E = \frac{E\sigma}{\tan \theta_B}$$



GaAs crystals

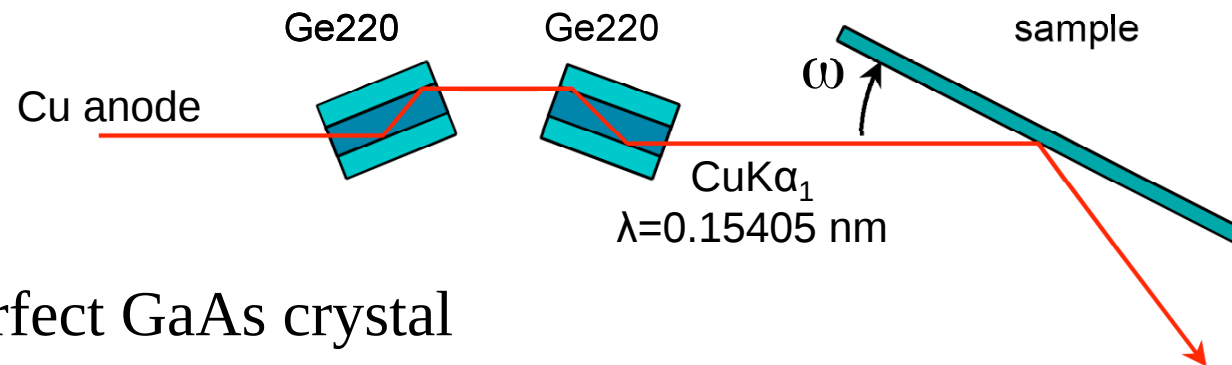
- Grown by using the Liquid Encapsulated Czochralsky (LEC) technique
- The same crystal structure (fcc), lattice spacing, and electron density of Ge crystals
- Spontaneous mosaicity, that can be controlled by changing growth parameters





X-ray diffraction characterization

by means of a high resolution X-Pert Pro Philips diffractometer



Perfect GaAs crystal

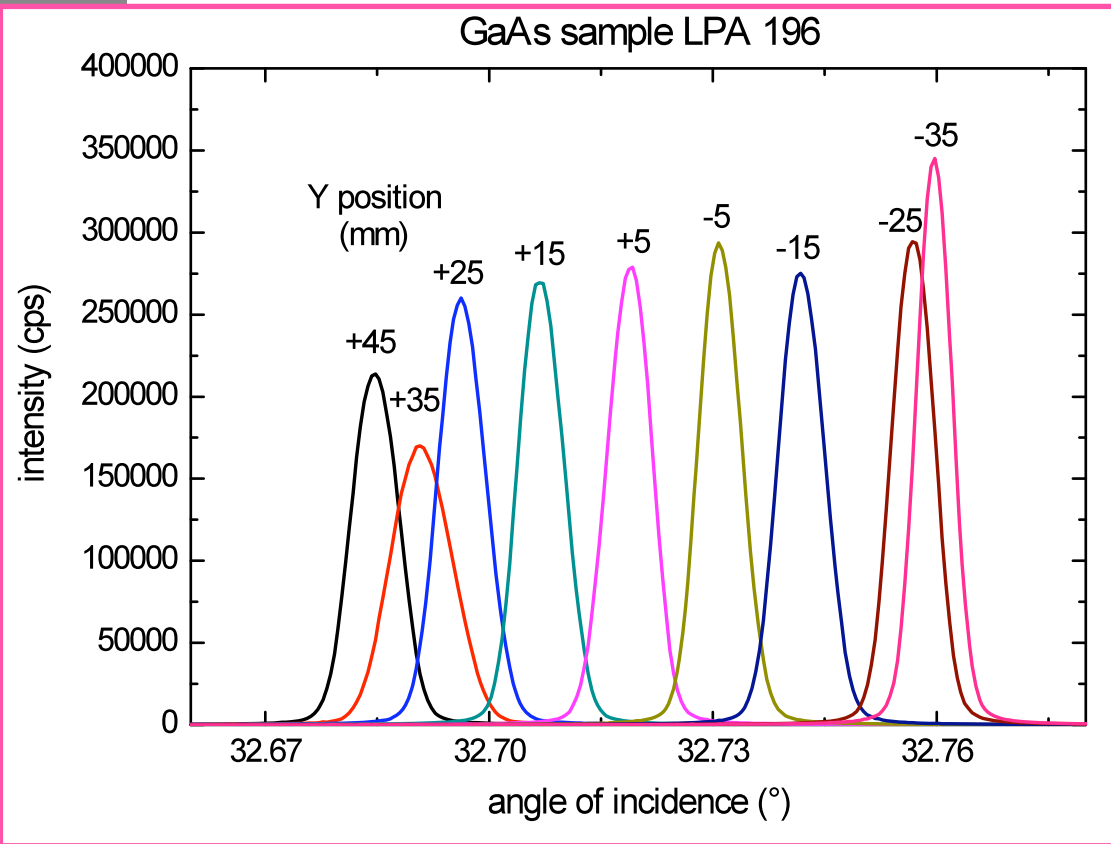
$FWHM(004) = 15.8 \text{ arcsec}$

$$\sigma = \sqrt{FWHM_{exper}^2 - FWHM_{instrum}^2}$$
$$\parallel$$
$$FWHM(004)$$

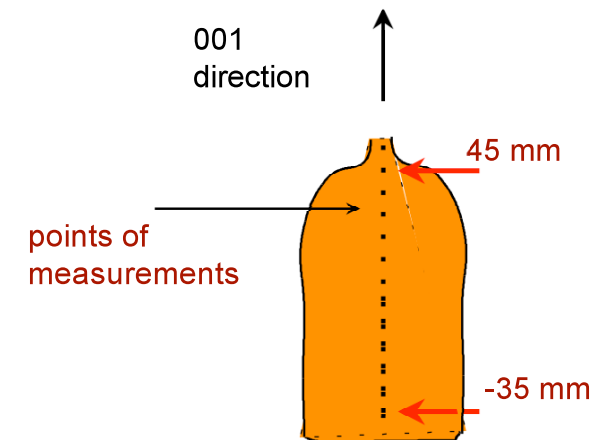


Measurements along ingot Y axis

Sample: slice cut **along** the growth axis of a GaAs ingot

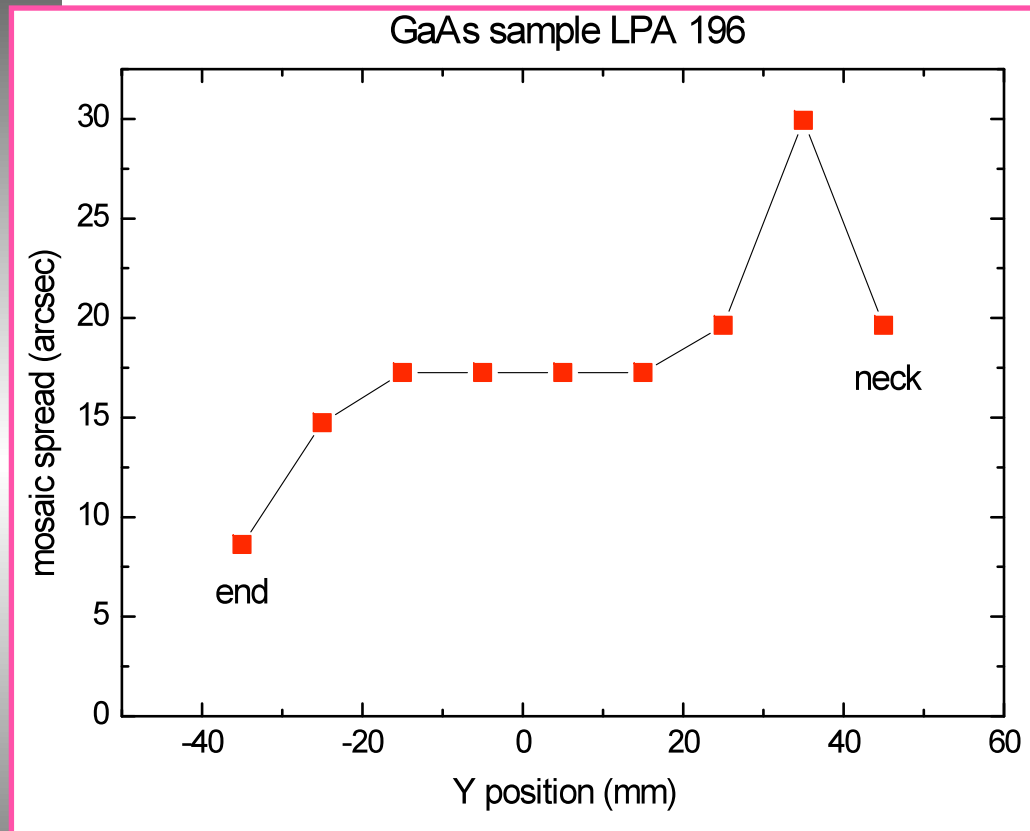


004 diffraction profiles





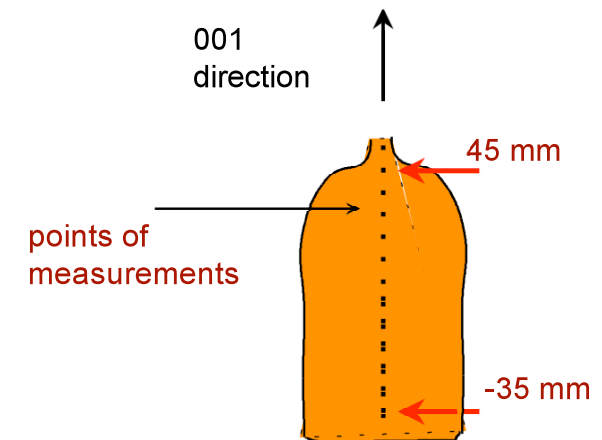
Measurements along ingot Y axis



Central zone (from -20 to 20 mm) with nearly constant σ value: $\sigma \sim 18$ arcsec

Sample: slice cut **along** the growth axis of a GaAs ingot

Mosaic spread

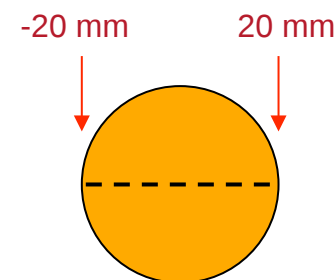
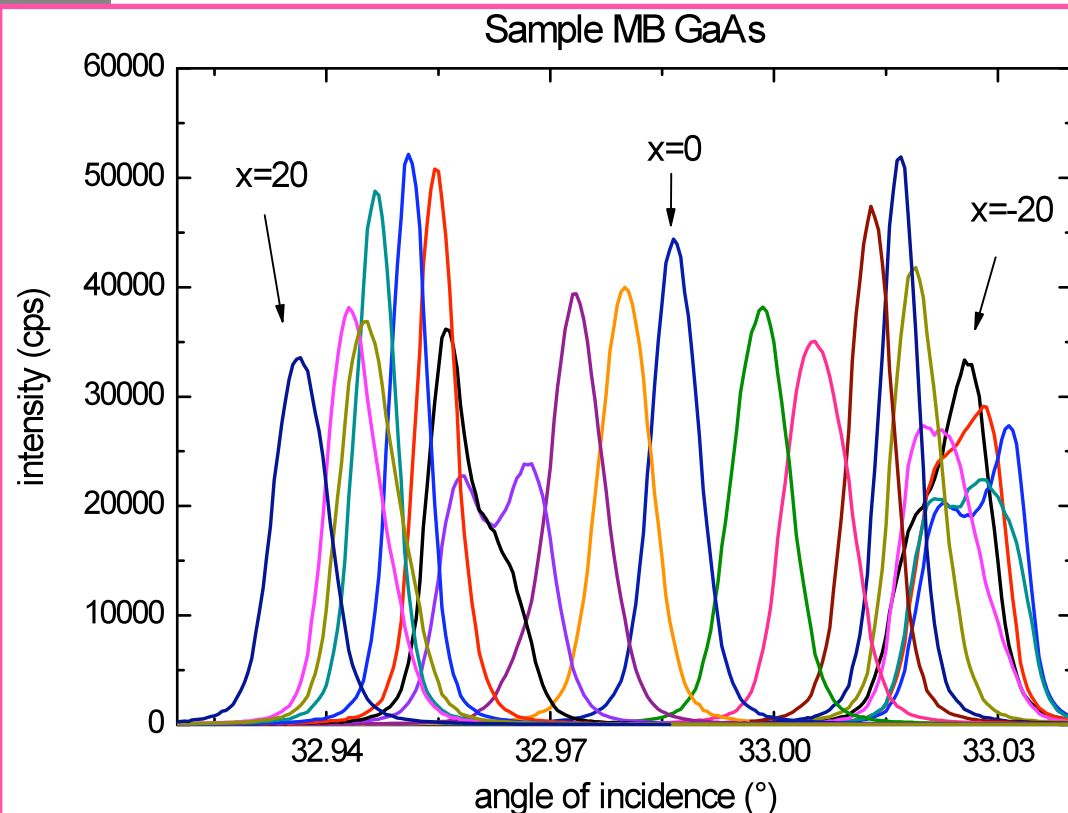




Measurements along wafer diameter

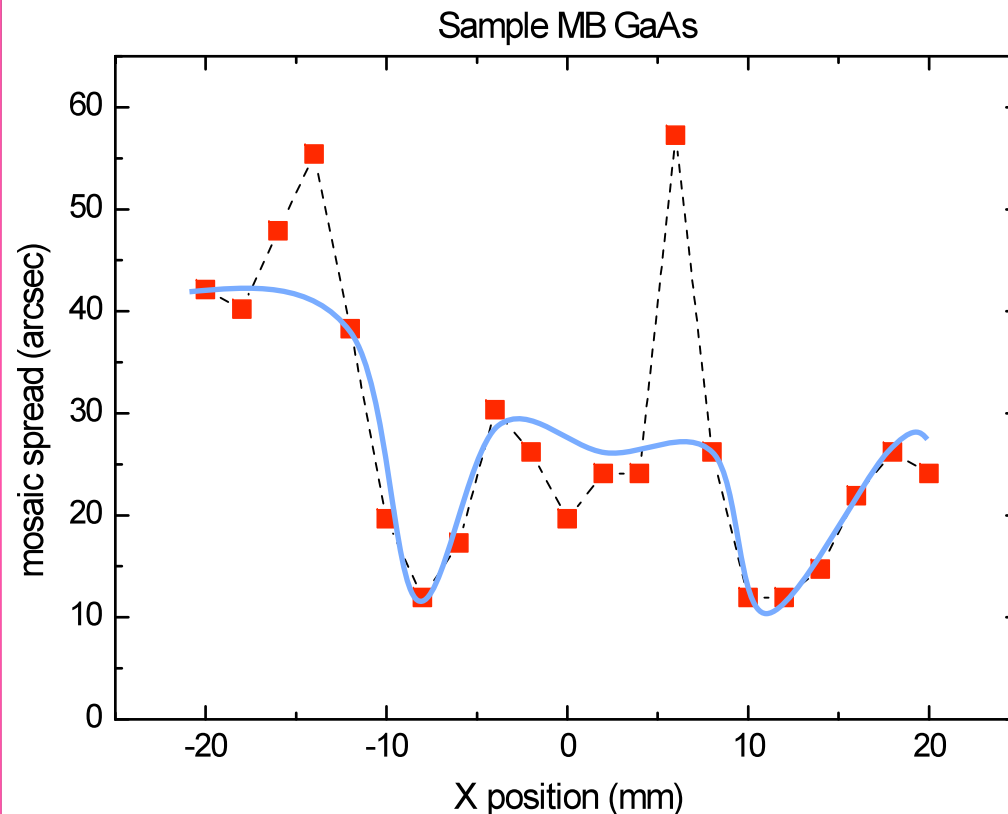
Sample: wafer cut
perpendicularly to the
growth axis of a GaAs ingot

004 diffraction profiles





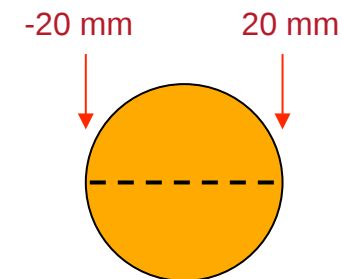
Measurements along wafer diameter



Sample: wafer cut
perpendicularly to the
growth axis of a GaAs ingot

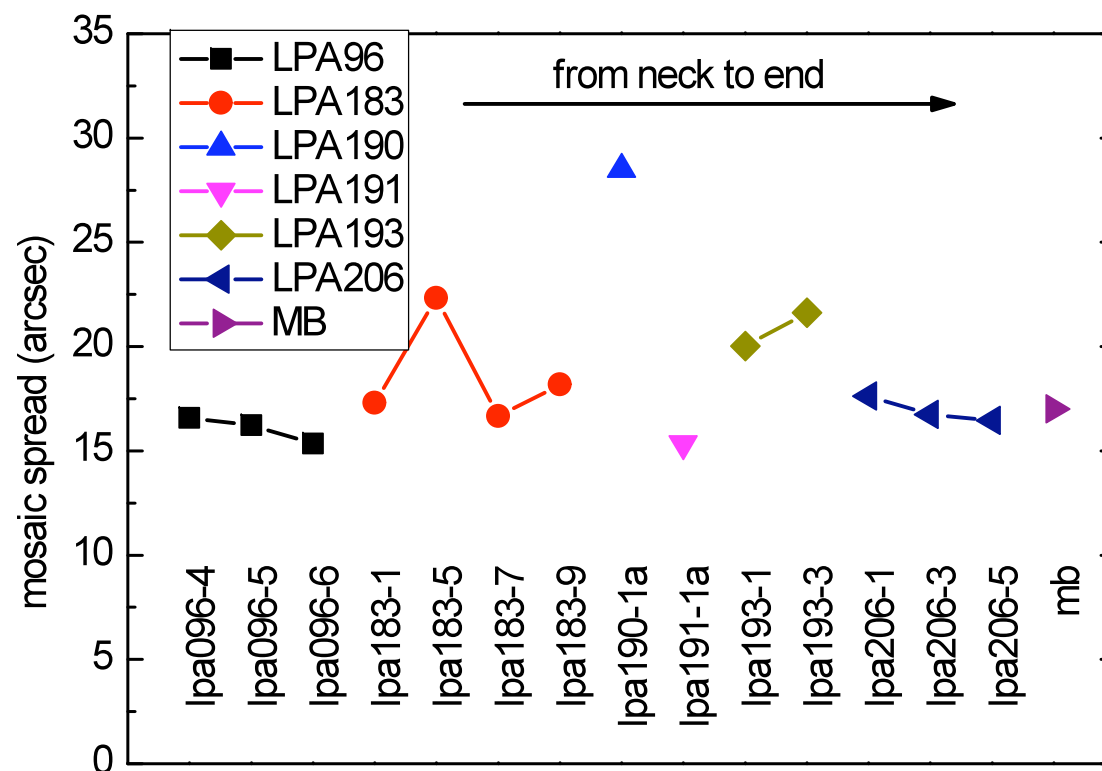
Mosaic spread

σ follows the typical W shape of the
dislocation density





Mosaic spread



Mosaic spread obtained from rocking curves collected near the centre of wafers cut at different heights of ingots grown in different conditions

Growth conditions and **doping** may affect the mosaic spread

sample N° 096: Cr-doped

samples N° 183, 193, 206, MB: undoped stoichiometric

samples N° 190, 191: As-rich

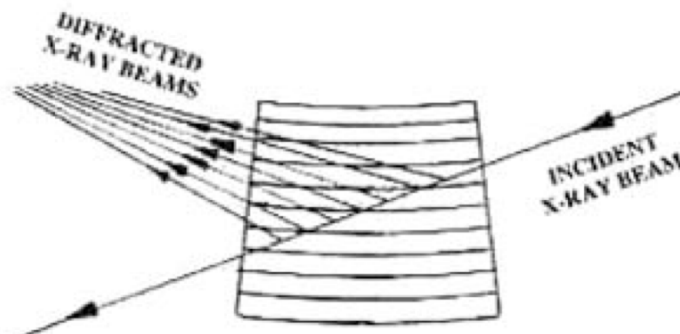


“Artificial mosaic” crystals

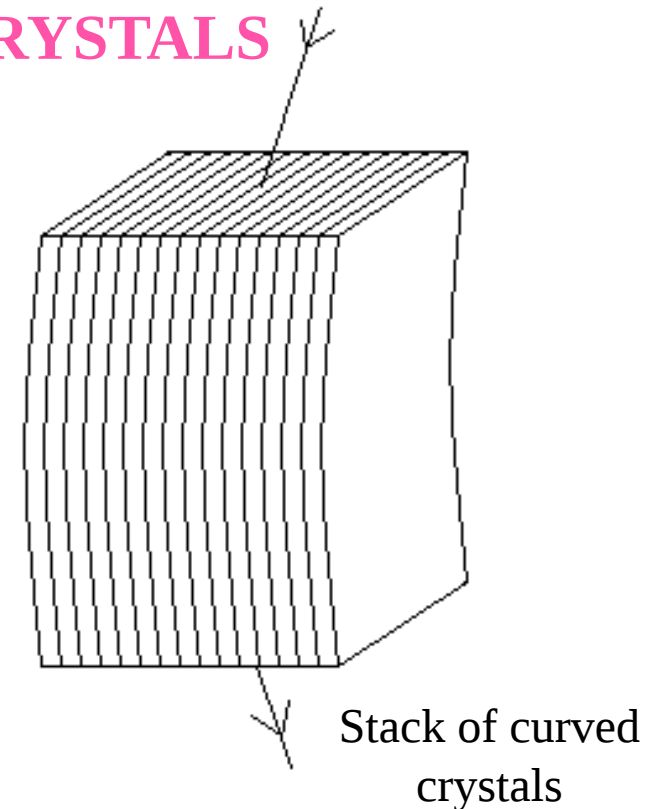
A complementary strategy to increase the Darwin width of the diffraction curve can be the use of “artificial mosaic” crystals:

STACKS OF CURVED CRYSTALS

- High diffraction efficiency
- Broad energy bandwidth



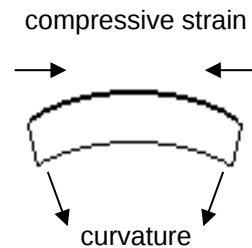
R. K. Smither et al., *Exp. Astron.* **20** (2005) 201





Incurvation technique

The curvature is obtained by introducing a compressive stress on the crystal surface by damaging it with fine sand paper



$$\zeta = \frac{E_s t_s^2 \kappa}{6 t_f (1 - \nu_s)}$$

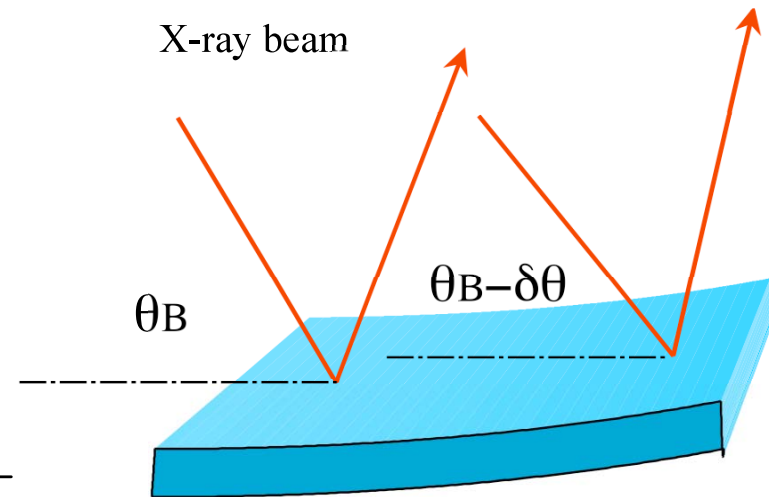
Stoney formula

Thickness t
Angular acceptance α

$$R = \frac{t}{\alpha}$$

Analyzed materials:

- Si crystals
- GaAs crystals

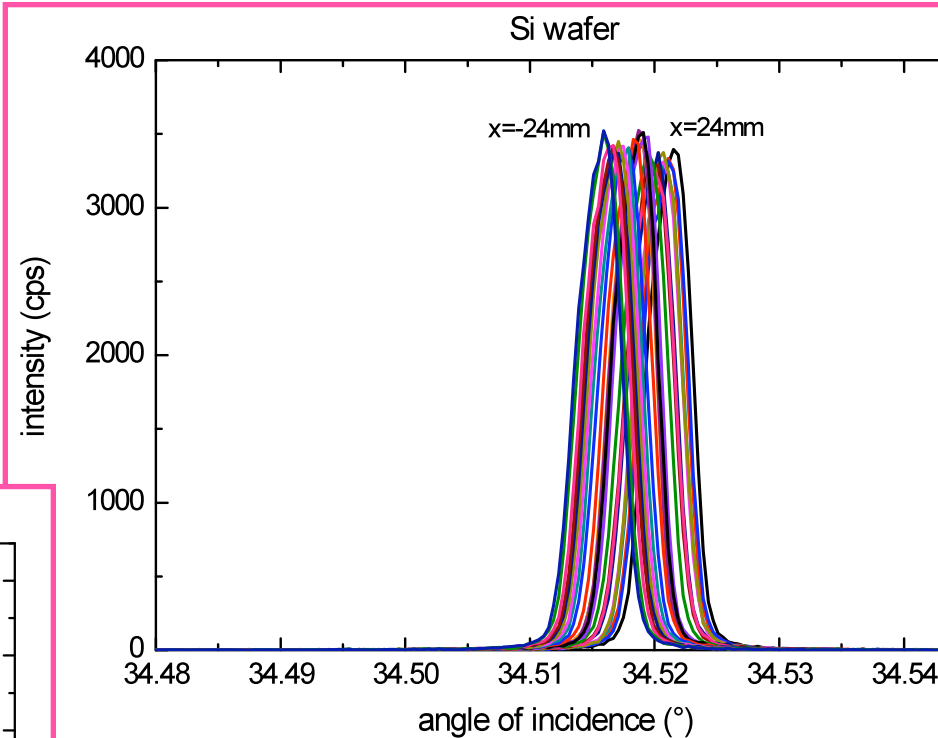
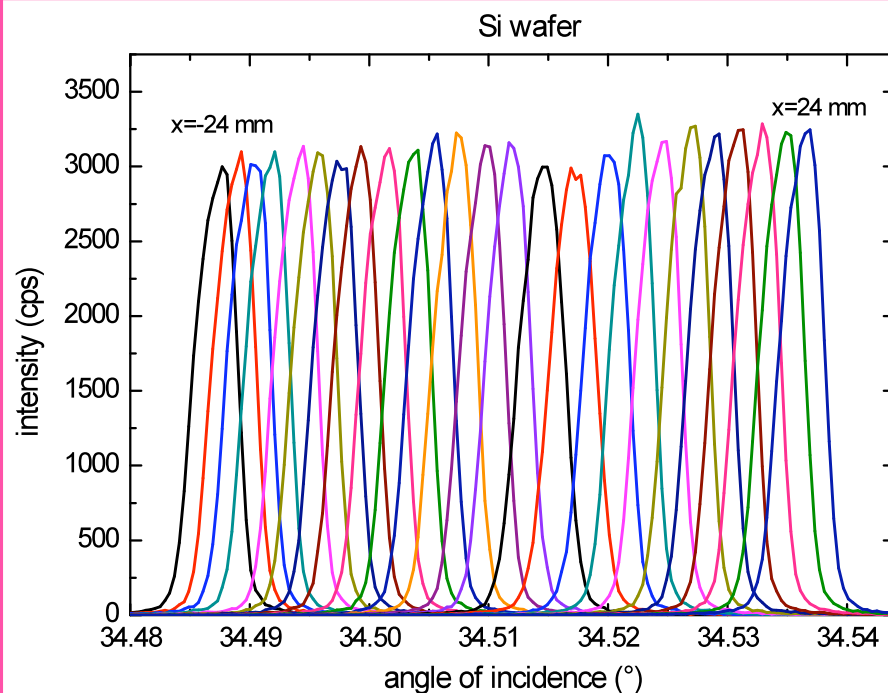


It is possible to check the crystal curvature monitoring the angular shift of the rocking curves



Si wafer

After a treatment of three hours with sand paper



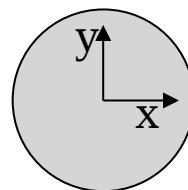
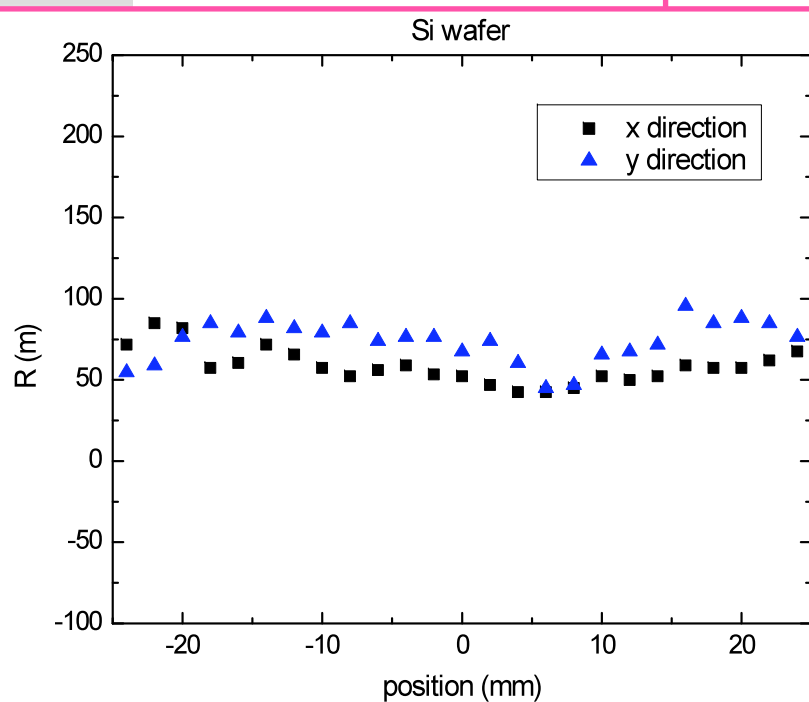
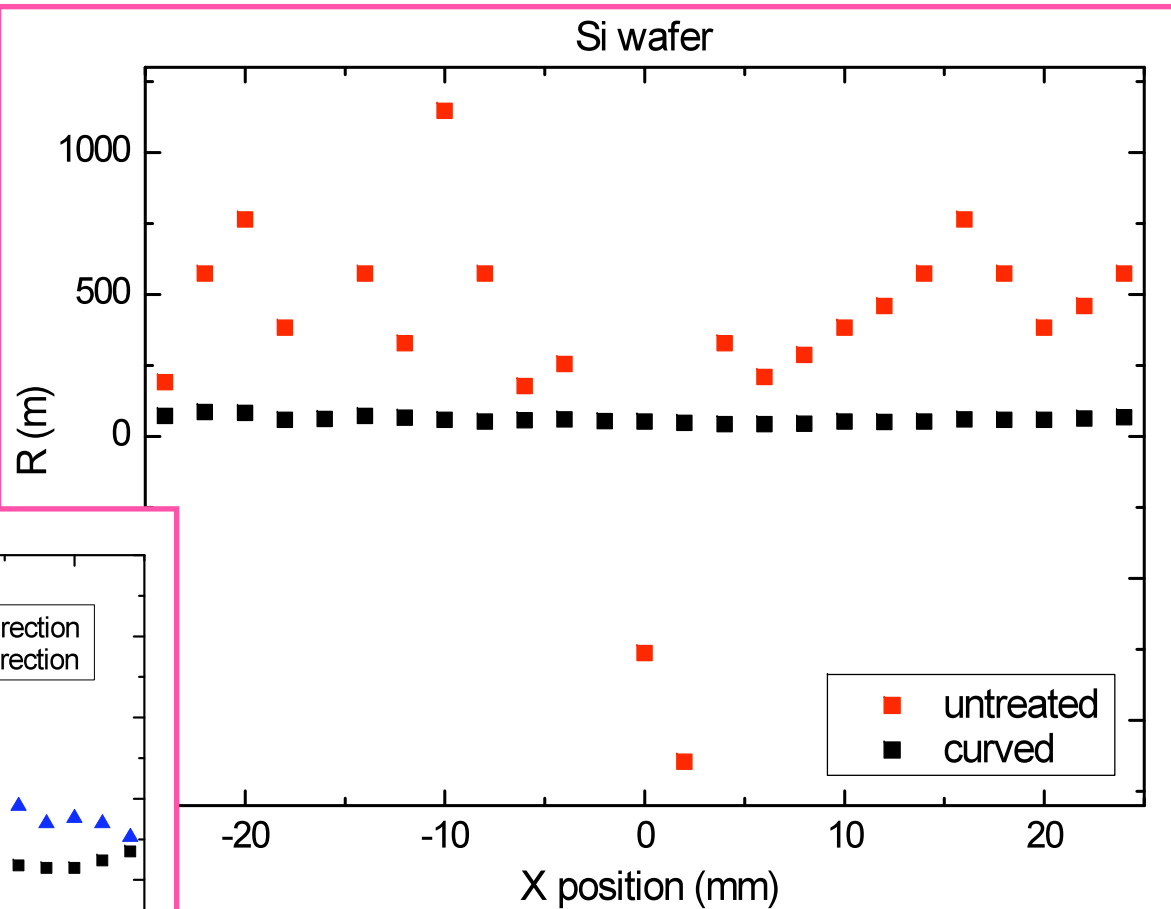
Shift $\sim 0.006^\circ$

Shift $\sim 0.05^\circ$



Si wafer

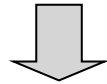
$\langle R \rangle \sim 58 \text{ m}$





GaAs wafer

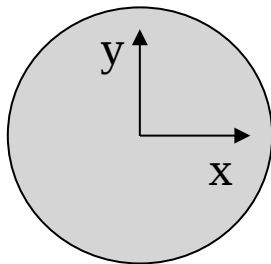
Si doped



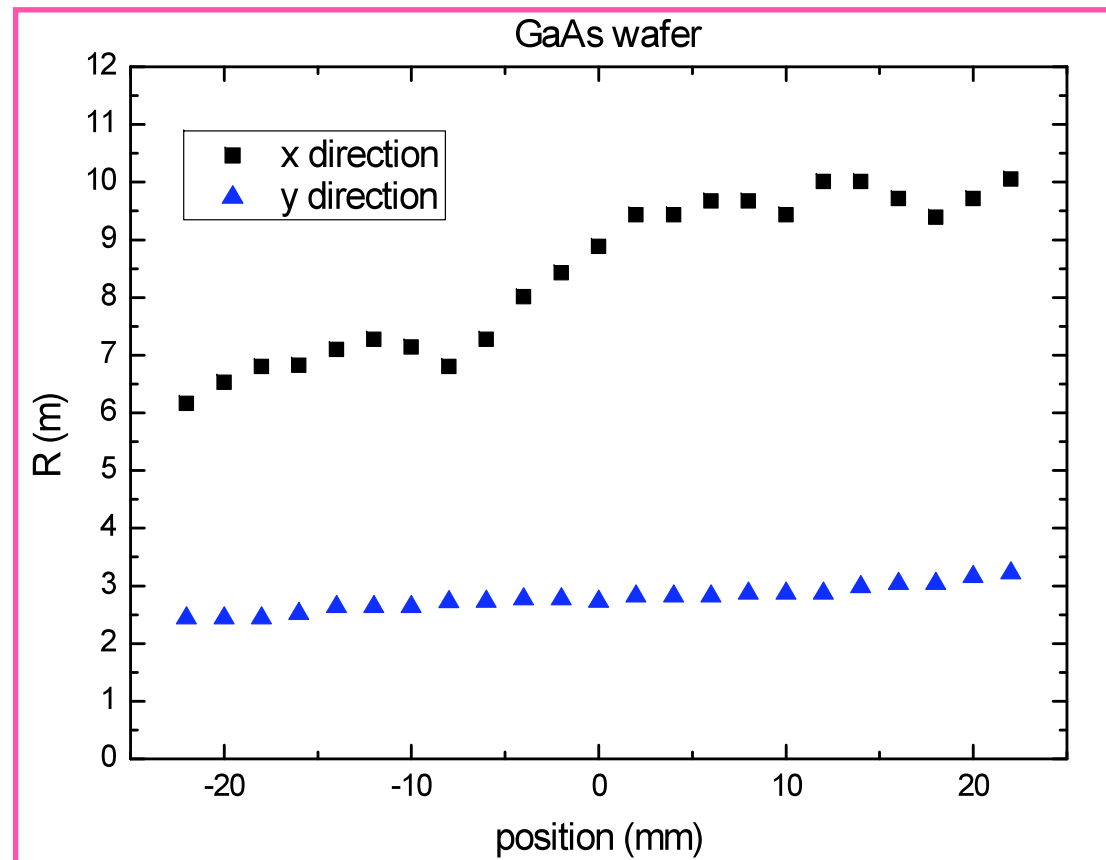
Dislocation free sample

$FWHM = 15$ arcsec

Rocking curves
collected along two
perpendicular direction



After a treatment of 10
minutes with sand paper



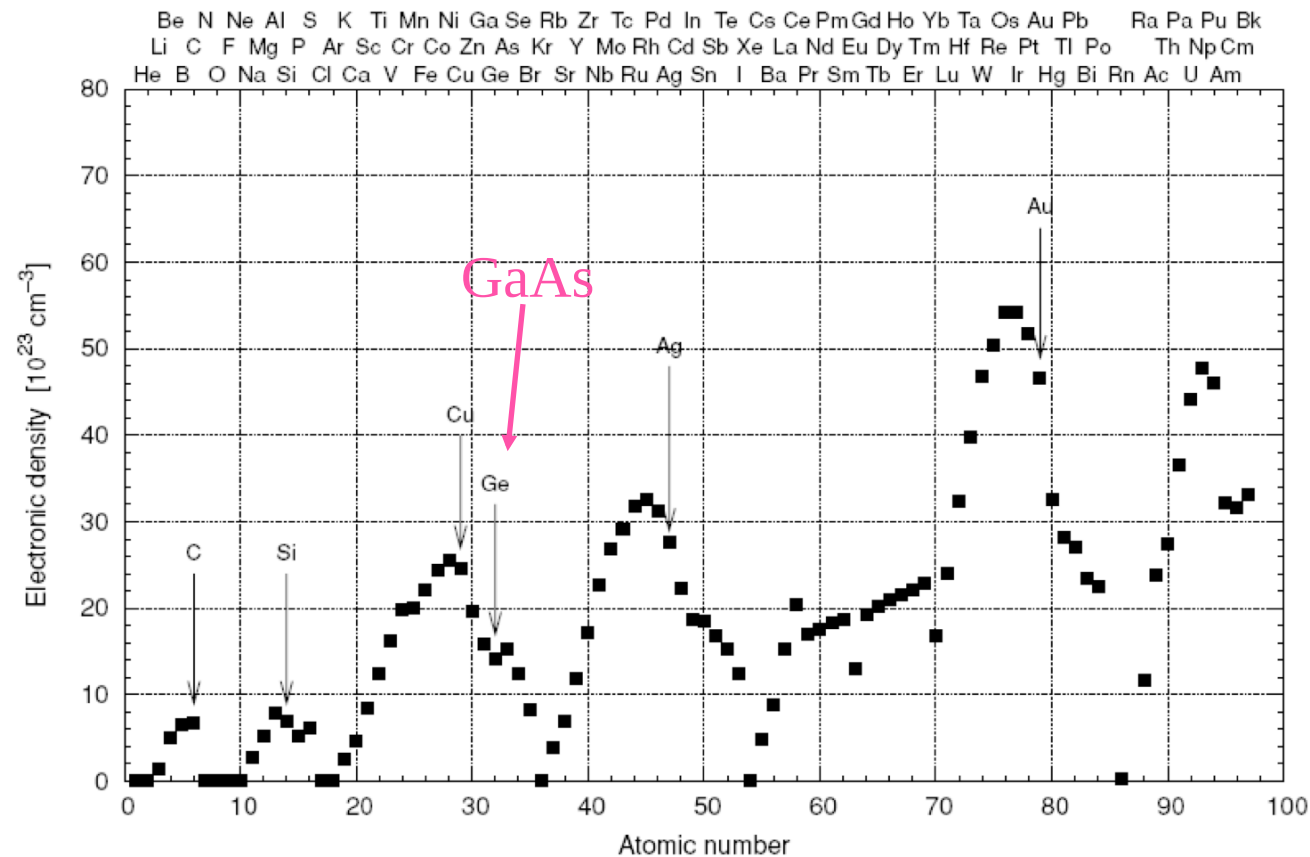


Conclusions

- GaAs is suitable for hard x-ray Laue lens due to its mosaic structure
- It is possible to tailor the mosaic structure by adjusting the growth conditions or introducing dopants
- The mosaic spread measured in different GaAs crystals varies between 10 and 40 arcsec
- An alternative optical element for the Laue lens made of a stack of curved crystals is proposed
- Nearly spherical curvature can be obtained in Si and GaAs samples by introducing a crystal surface damage

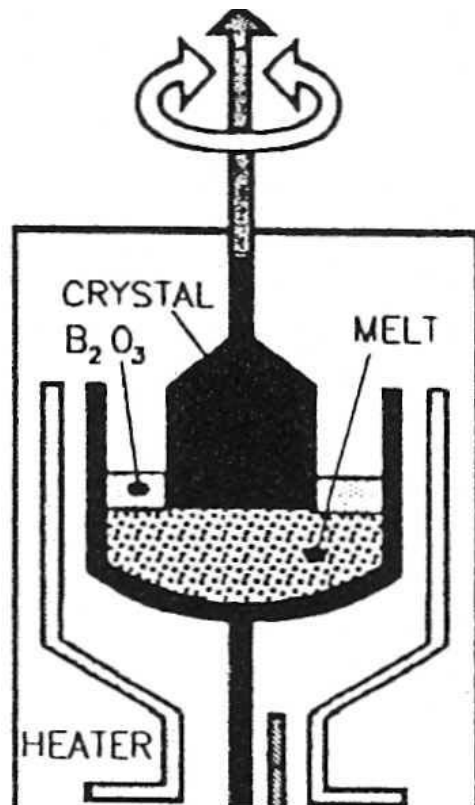


**Thank you for your
attention**



As first approximation the diffraction efficiency is linked to the electronic density (in figure)

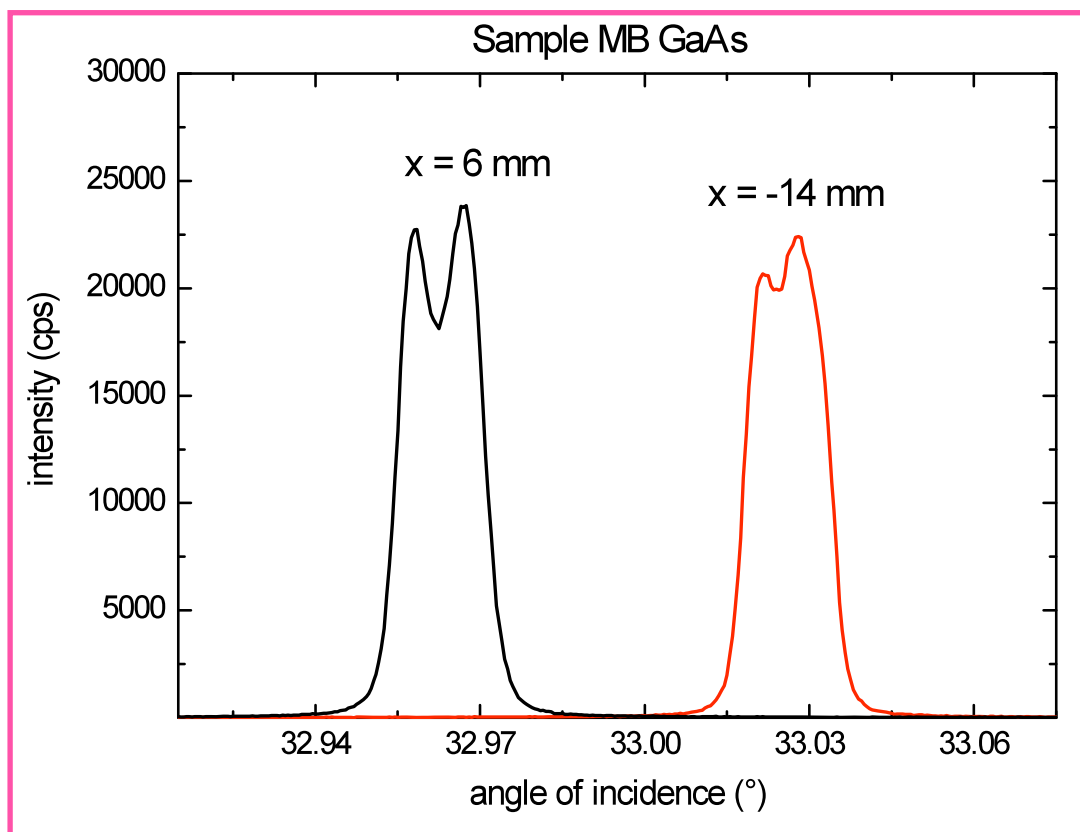
H. Halloin, *Exp. Astron.* **20** (2005) 171



Growth parameters

- boron oxide thickness of 15 mm
- argon counter pressure of 20 atm
- thermal gradient at solid/liquid interface in the range of 30°-50°C
- pulling rate of 10 mm/h
- growth direction: $\langle 100 \rangle$

Schematic of LEC growth

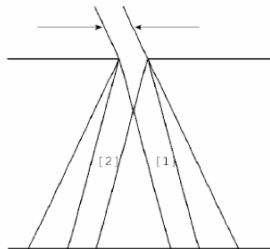


Low angle grain
boundaries

Distorted crystals: from dynamical to kinematical theory

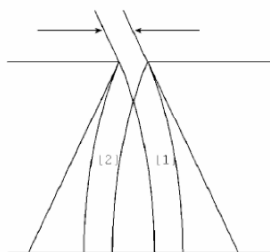
$$\Lambda = \text{extinction length} \quad \Lambda = \frac{V}{r_e \lambda F_h}$$

δ = Darwin width



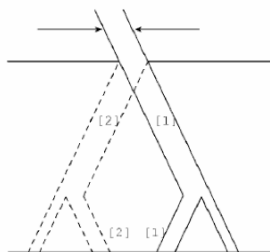
$$\frac{\partial \theta}{\partial s_h} = \frac{1}{k \sin 2\theta} \frac{\partial}{\partial s_h} (\mathbf{h} \cdot \mathbf{u})$$

Variation of the angle of incidence on reflecting planes due to the distortion



$$\frac{1}{k \sin 2\theta} \frac{\partial^2}{\partial s_0 \partial s_h} (\mathbf{h} \cdot \mathbf{u}) \ll \frac{\delta}{\Lambda} \quad \text{Condition for application of geometrical optics}$$

If we define $\beta = \frac{\Lambda}{\cos^2 \theta} \frac{\partial^2}{\partial s_0 \partial s_h} (\mathbf{h} \cdot \mathbf{u}) \longrightarrow \beta \Lambda \ll 1$



In a distorted crystal the transition from the dynamical to the kinematical diffraction theory can be driven also by the distortion

dynamical



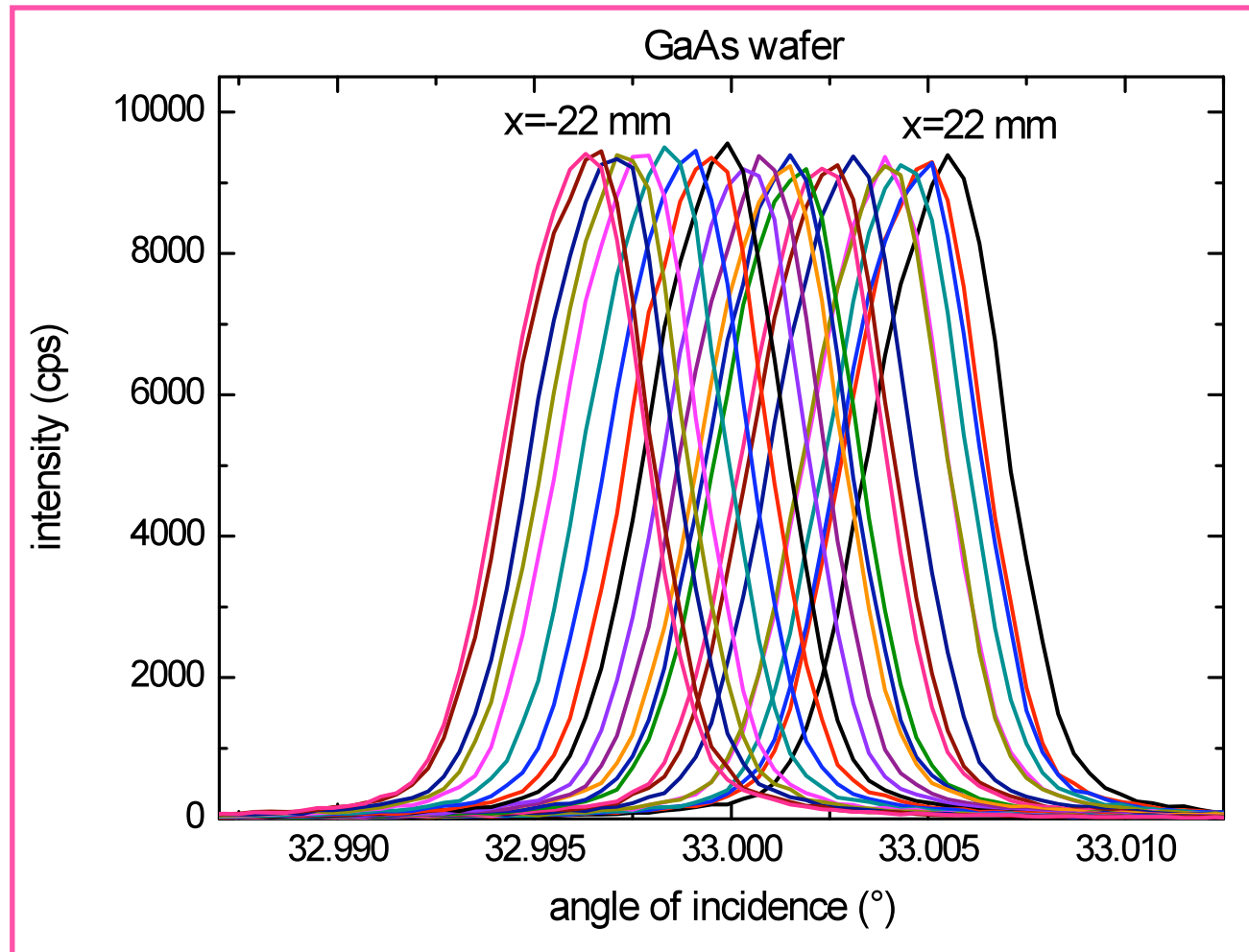
kinematical

decreasing wavelength
decreasing structure factor

C. Malgrange, *Cryst. Res. Technol.* **37** (2002) 7



GaAs wafer

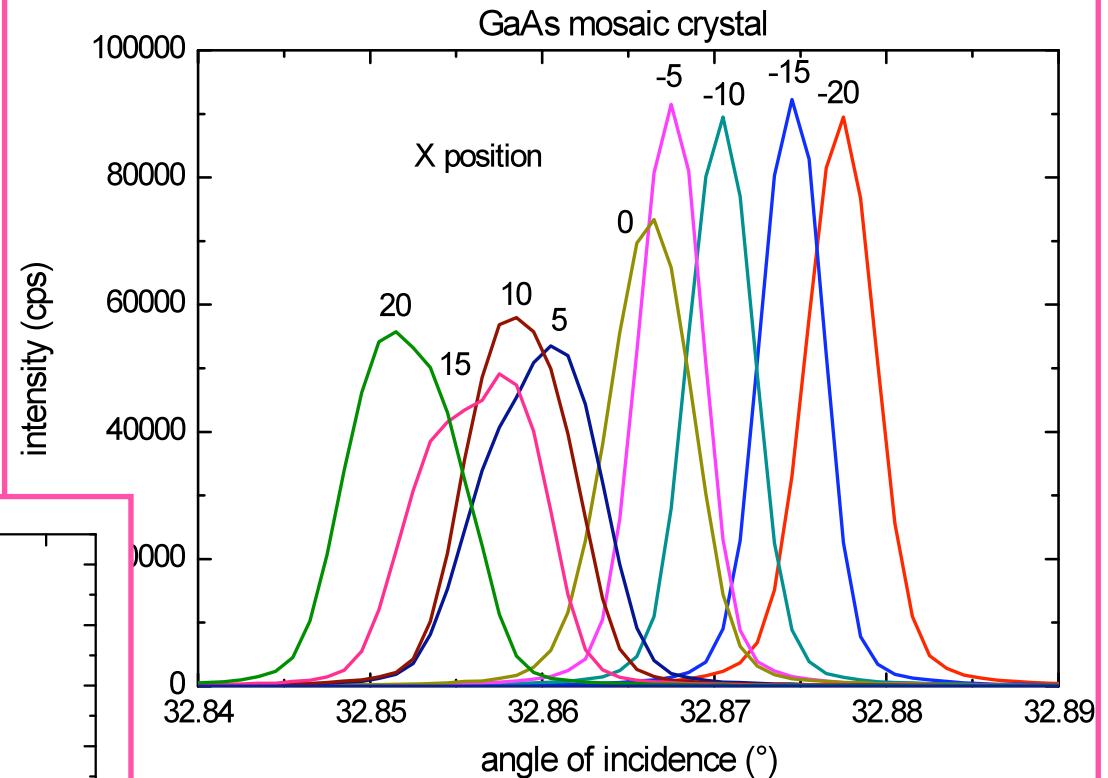
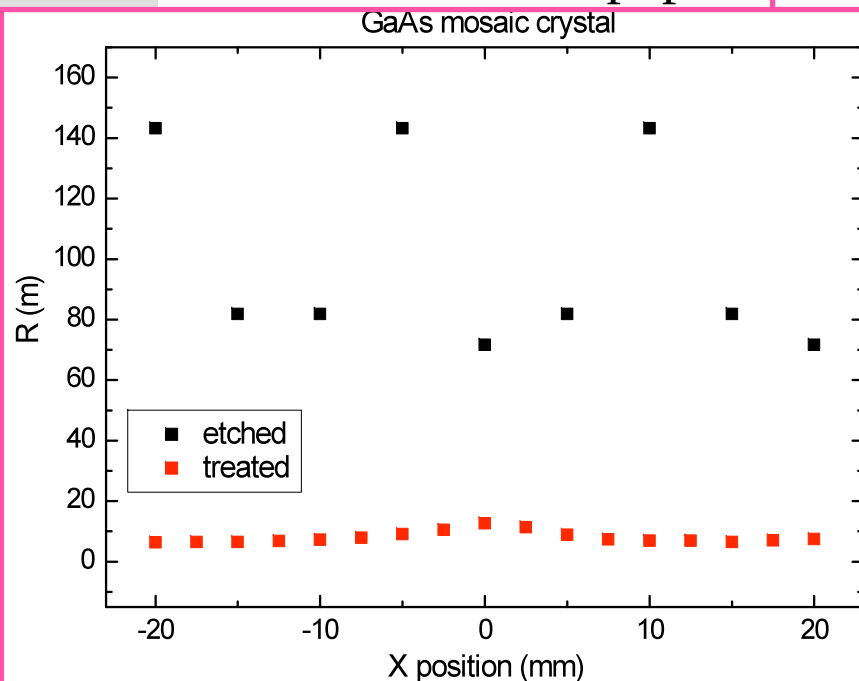




GaAs wafer

Mosaic crystal

After a treatment of 5 minutes with sand paper



σ from 0 up to 25 arcsec

$$\langle R \rangle \sim 8 \text{ m} \xrightarrow{t = 1 \text{ cm}} \alpha \sim 4 \text{ minutes of arc}$$