

If you are interested in Greek & Roman Art, visiting Central Montemartini is a most definite must!
It being housed in an old power station makes it almost unique.



If you follow my advice & visit it, but do not like it -- I promise to never bother you with my advice again.

If you like it, tell the authorities how much you like it!

Hadronization -- the Hero rather than the Villain in the Tale of CP Violation

Ikaros Bigi, Notre Dame du Lac

SM has recently scored not merely more or even new successes, but **novel** ones!

predicted `Paradigm of large ~~CP~~' in B decays confirmed:

indirect, direct ~~CP~~ & ~~T~~

$$B \rightarrow \psi K_S, B \rightarrow \pi^+ \pi^-, B \rightarrow K \pi$$

However -- these novel successes do **not** illuminate any of the **mysterious** features of the SM; if anything, they deepen the mysteries:

(i) electroweak symmetry breaking

$$SU(2)_L \times U(1) \rightarrow U(1)_{\text{QED}}$$

(ii) family **structure**

$$Q_e = 3 Q_d$$

(iii) finite family **replication**

$$Z^0 \rightarrow 3 \nu\nu$$

n.b.: (i), (ii), (iii) not necessarily related

possible illuminations/explanations

for (i): `confidently predicted' NP at ~ 1 TeV = $cpNP$

e.g., $SUSY$

for (ii): `guaranteed' NP at $\sim O(10^{11})$ TeV = gNP

e.g., $SO(10)$

for (iii): CKM pattern most unlikely accidental

→ `strongly suspected' NP at ??? scale = $ssNP$

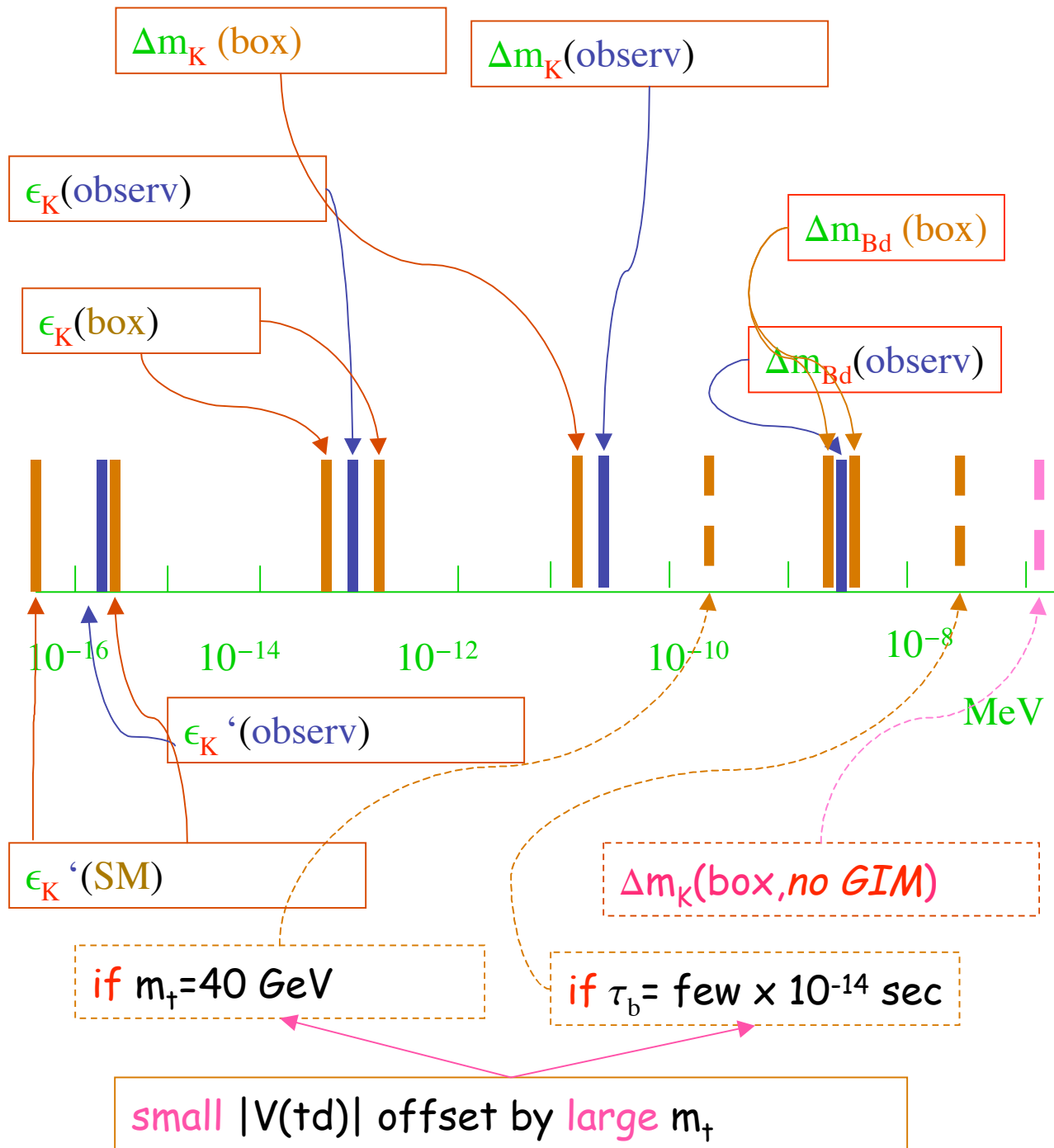
e.g., ??? (M theory ??)

heavy flavour studies for q & l might -- just might -- provide insights into (iii) & (ii) -- but they will be crucial for identifying the $cpNP$

→ heavy flavour studies complementary to high p_T studies at LHC & Linear Collider

two-fold message

- ① \sim TeV scale dynamics likely to have some impact on B decays
- ② yet -- due to past 'unlikely' success of CKM cannot count on massive manifestation of New Physics, at least not in B decays
 - need presumably high **experim.** & **theoret. accuracy** in flavour studies
 - ❖ requires better quantitative understanding of **hadronization** to exhaust discovery potential in B decays!



can be reproduced with
 $|V(us)| \sim 0.22, |V(ts)| \sim 0.04$
 $|V(td)| \sim 0.004$
 $m_u \sim 5$ MeV, $m_c \sim 1.2$ GeV
 $m_t \sim 180$ GeV, $m_d \sim 10$ MeV
 $m_s \sim 0.15$ GeV, $m_b \sim 4.6$ GeV
 observables spanning
 several orders of
 magnitude
 accommodated with
 parameter choices that
 a priori would seem
 frivolous!
 There could easily have
 been inconsistencies!

The Menu

Prelude: Singing the Praise of Hadronization

I Extracting $V(cb)$ as a Lesson

II Case Studies of Hadronization as a Difficult Ally

III τ Decays -- the New Frontier

IV Summary

Prelude: Singing the Praise of Hadronization

hadronization (& nonperturbative dynamics in general)
usually viewed as unwelcome complication (if not outright
nuisance)

case in point:

large fraction of $\Delta m_K, \epsilon_K, \Delta m_B$
most of ϵ_K' } could be due
to New Physics

correct --

yet such perspective misses the deeper truth

without hadronization **no** formation of bound states

☞ **no** $K^0-\bar{K}^0$ oscillations

➔ **no** indirect ~~CP~~: $\text{Im } M_{12} \sim O(10^{-8} \text{ eV})!$

➔ **no** direct ~~CP~~ a la ϵ'

☞ **no** $B^0-\bar{B}^0$ oscillations

➔ **no** ~~CP~~ in $\Delta B=2$: $\sim O(10^{-4} \text{ eV})$

➔ **no** New Physics in $\Delta B=2$

hadronization

☞ reduces CP \checkmark $K_L \rightarrow 3\pi$ by ~ 500 due to **hadronic PhSp**

☞ awards 'patience'; i.e. you can 'wait' for **pure** K_L beam

☞ generates CP signal in **existence** rather than asymmetry

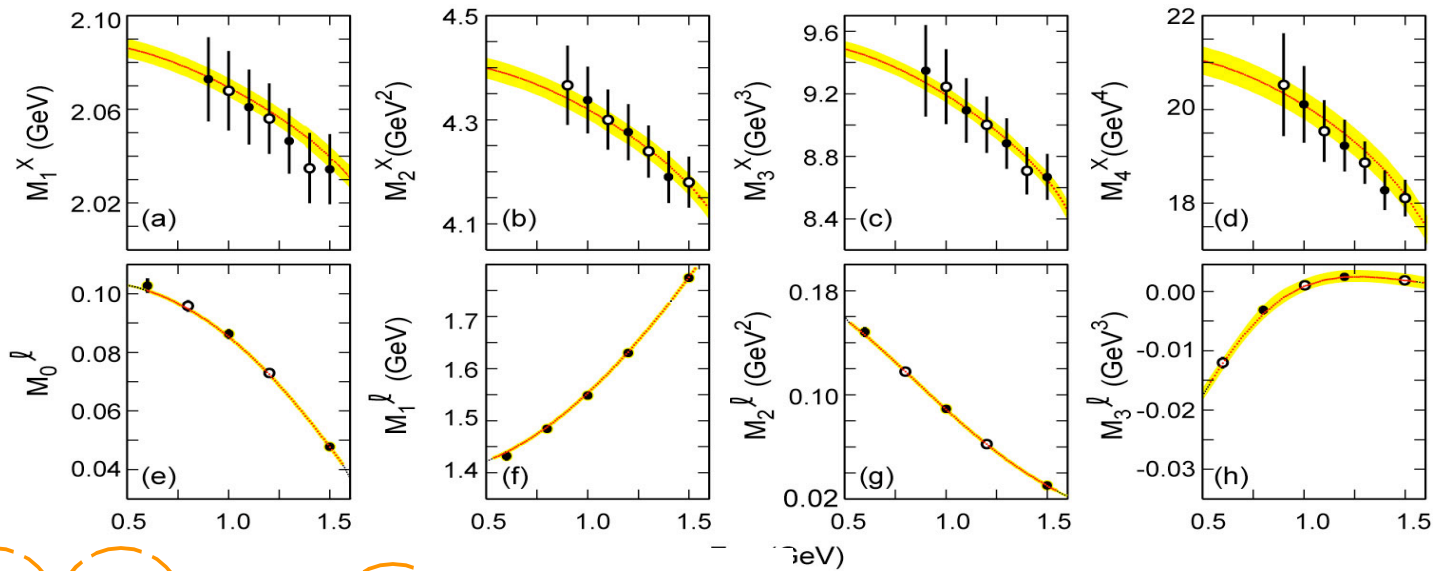
☞ hadronization -- the **hero** rather than the villain in the tale of ~~CP~~!

I Extracting $V(cb)$ as a Lesson

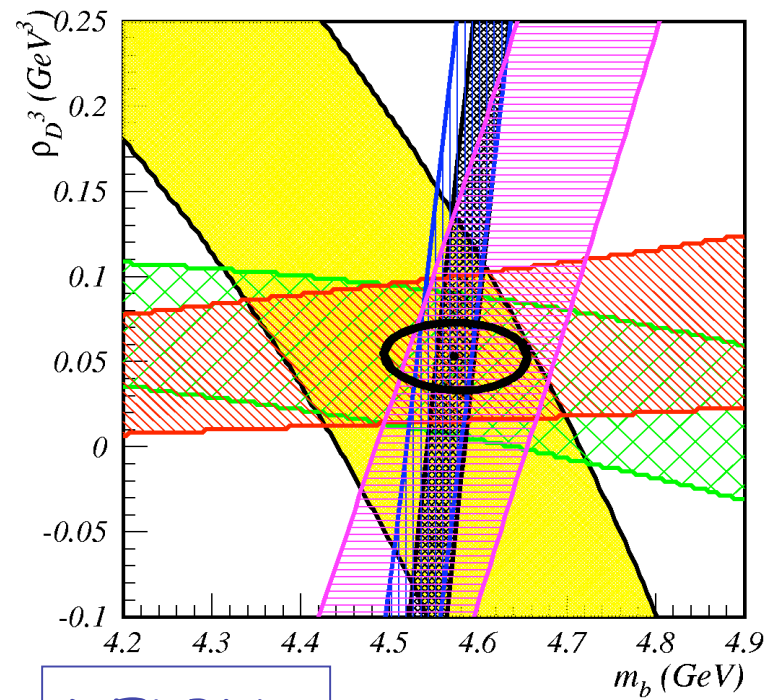
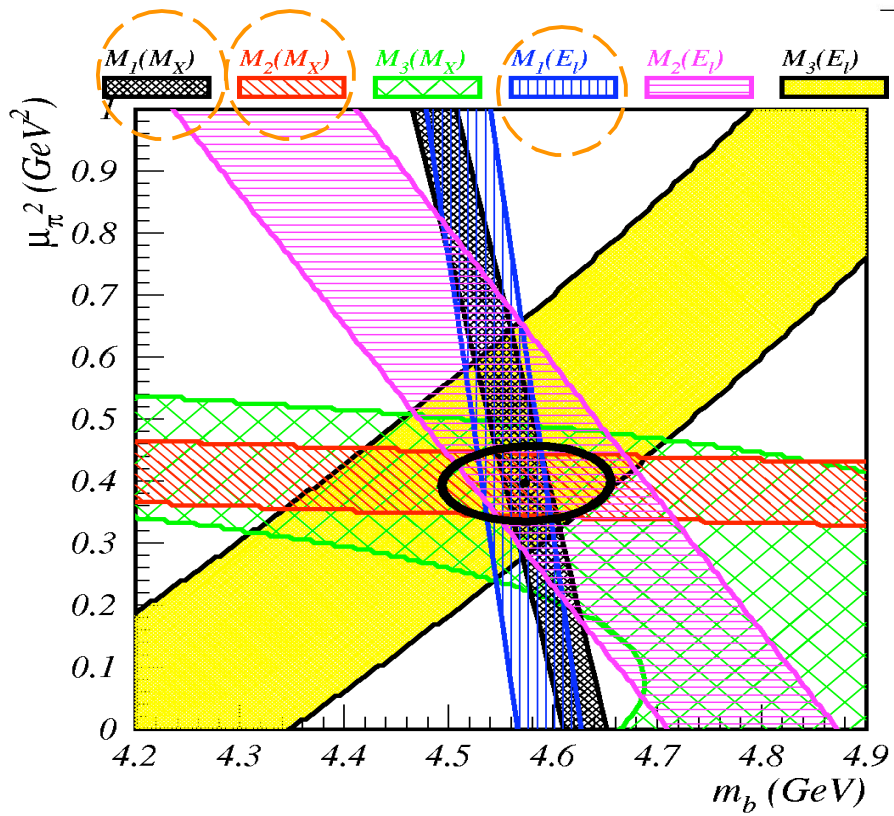
need

- robust theoretical framework:
 - ✓ $1/m_Q$ expansions, Sum Rules, LQCD
- comprehensive & detailed data
 - ✓ SL B decays, lepton spectra, moments ...

- excellent description of large set of data points in terms of 6 or even merely 4 parameters: $m_b, m_c, \mu_\pi^2, \rho_D^3, (\mu_G^2, \rho_{LS}^3)$
- **a priori free** fit parameters assume values obeying various theoretical constraints and knowledge!



BABAR



DELPHI

$m_b(1 \text{ GeV}) _{B \rightarrow l\nu X_c}$	$= 4.61 \pm 0.068 \text{ GeV}$	BaBar
$m_b(1 \text{ GeV}) _{H_b \rightarrow l\nu X_c}$	$= 4.575 \pm 0.069 \pm 0.043 \pm 0.005 \text{ GeV}$	DELPHI
$m_b(1 \text{ GeV}) _{Y(4S) \rightarrow bb}$	$= 4.57 \pm 0.08 \text{ GeV}$	
<hr/>		
$m_c(1 \text{ GeV}) _{B \rightarrow l\nu X_c}$	$= 1.18 \pm 0.092 \text{ GeV}$	BaBar
$m_c(1 \text{ GeV}) _{H_b \rightarrow l\nu X_c}$	$= 1.144 \pm 0.106 \pm 0.071 \pm 0.020 \text{ GeV}$	DELPHI
$m_c(1 \text{ GeV}) _{cc \text{ SR}}$	$= 1.19 \pm 0.11 \text{ GeV}$	
$m_c(1 \text{ GeV}) _{cc \text{ SR}}$	$= 1.30 \pm 0.03 \text{ GeV}$	
<hr/>		
$m_b(1 \text{ GeV}) - m_c(1 \text{ GeV}) _{B \rightarrow l\nu X_c}$	$= 3.436 \pm 0.032 \text{ GeV}$	BaBar
$m_b(1 \text{ GeV}) - m_c(1 \text{ GeV}) _{H_b \rightarrow l\nu X_c}$	$= 3.431 \pm ? \text{ GeV}$	DELPHI
$m_b(1 \text{ GeV}) - m_c(1 \text{ GeV}) _{M_B - M_D}$	$= 3.48 \pm 0.02 \pm ? \text{ GeV}$	
<hr/>		
$\mu_\pi^2(1 \text{ GeV}) _{B \rightarrow l\nu X_c}$	$= 0.447 \pm 0.053 \text{ GeV}^2$	BaBar
$\mu_\pi^2(1 \text{ GeV}) _{H_b \rightarrow l\nu X_c}$	$= 0.399 \pm 0.047 \pm 0.039 \pm 0.020 \text{ GeV}^2$	DELPHI
$\mu_\pi^2(1 \text{ GeV}) _{\text{QCDSR}}$	$= 0.45 \pm 0.1 \text{ GeV}^2$	
$\mu_G^2(1 \text{ GeV}) _{\text{HF}}$	$= 0.35 \pm 0.03 \text{ GeV}^2$	

Status '04

$$m_b(1 \text{ GeV}) = (4.61 \pm 0.068) \text{ GeV} \quad \leftarrow 1.5 \%$$

$$m_c(1 \text{ GeV}) = (1.18 \pm 0.092) \text{ GeV} \quad \leftarrow 7.8 \%$$

$$m_b(1 \text{ GeV}) - 0.74 m_c(1 \text{ GeV}) = (3.74 \pm 0.017) \text{ GeV} \quad \leftarrow 0.5 \%$$

$$|V(cb)| = (41.390 \pm 0.870) \times 10^{-3} \quad \leftarrow 2.1 \%$$

vs.

$$|V(us)|_{\text{KTeV}} = 0.2252 \pm 0.0022 \quad \leftarrow 1.1 \%$$

~ % level precision!

$\delta|V(ub)| = \pm 5 \%$ achievable

II Case Studies of Hadronization as a Difficult Ally

`classic' examples: $\Delta M_K, \epsilon, \epsilon'$

role of π - π phase shifts, η - η' wavefunctions, σ resonance
etc.

four case studies concerning B decays, where hadronization
can be employed as a powerful tool -- *if* applied judiciously:

- ① Semileptonic B decays and charm spectroscopy
- ② Extracting ϕ_1 from $B \rightarrow 3$ kaons
- ③ Extracting ϕ_2 from $B \rightarrow$ pions
- ④ Extracting ϕ_3 from $B \rightarrow DK$: the power of the Dalitz plot

II.1 Case I: '1/2 > 3/2 Puzzle'

3 motivations for understanding charm spectroscopy

- to extract $\Gamma_{SL}(B)$ and its error from data
- to extract $B \rightarrow l \nu D/D^*$ and their errors
- **impact** on **sum rules** for $B \rightarrow l \nu D(s_q = 1/2 \text{ or } 3/2)$
relating **HQP** $\rho^2(\mu)$, $\Lambda(\mu)$, $\mu^2_\pi(\mu)$ with
observables in **SL B decays**

Heavy hadrons H_Q labeled by total spin S and by $j_q = l_q + s_q$:

- **ground states**: $[S | l_q | j_q] = [0, 1 | 0 | 1/2]$: P & V
- **1st excit. states**: $[0, 1 | 1 | 1/2]$ & $[1, 2 | 1 | 3/2]$

$$\sim H_{\text{Pauli}} = -A_0 + (i\partial - \mathbf{A})^2/2m_Q + \sigma\mathbf{B}/2m_Q \rightarrow -A_0 \quad \text{as } m_Q \rightarrow \infty$$

HQ Sum Rules

- 👉 $\rho^2(\mu) - 1/4 = \sum_n |\tau_{1/2}^{(n)}|^2 + 2 \sum_m |\tau_{3/2}^{(m)}|^2$ Bj 1990
- 👉 $1/2 = -2 \sum_n |\tau_{1/2}^{(n)}|^2 + 2 \sum_m |\tau_{3/2}^{(m)}|^2$ U 2000
- 👉 $\overline{\Lambda}(\mu) = 2 \left(\sum_n \epsilon_n |\tau_{1/2}^{(n)}|^2 + 2 \sum_m \epsilon_m |\tau_{3/2}^{(m)}|^2 \right)$ Vo 1992
- 👉 $\mu^2_\pi(\mu)/3 = \sum_n \epsilon_n^2 |\tau_{1/2}^{(n)}|^2 + 2 \sum_m \epsilon_m^2 |\tau_{3/2}^{(m)}|^2$ BiSUVa 1994
- 👉 $\mu^2_G(\mu)/3 = -2 \sum_n \epsilon_n^2 |\tau_{1/2}^{(n)}|^2 + 2 \sum_m \epsilon_m^2 |\tau_{3/2}^{(m)}|^2$ BiSU 1997

where: $\tau_{1/2}$ & $\tau_{3/2}$ denote transition amplitudes for

$B \rightarrow |v D(s_q = 1/2 \text{ or } 3/2)$ with excitation energy $\epsilon_k \leq \mu$

➔ rigorous definitions, inequalities + experim. constraints

☞ "1/2 > 3/2" puzzle (Uraltsev, Orsay group):

$$\text{SR: } \sum_n |\tau_{1/2}^{(n)}|^2 < 2 \sum_m |\tau_{3/2}^{(m)}|^2$$

$$\sum_n \epsilon_n^2 |\tau_{1/2}^{(n)}|^2 < 2 \sum_m \epsilon_m^2 |\tau_{3/2}^{(m)}|^2$$

experim. indications (DELPHI):

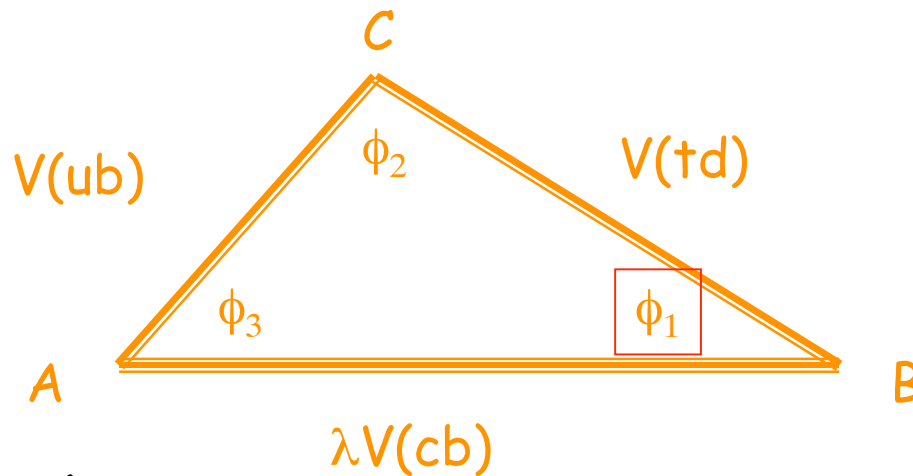
sum rules **not** saturated by **lowest** P wave states
(yet most recent BELLE data **consistent** with SR)

general lesson:

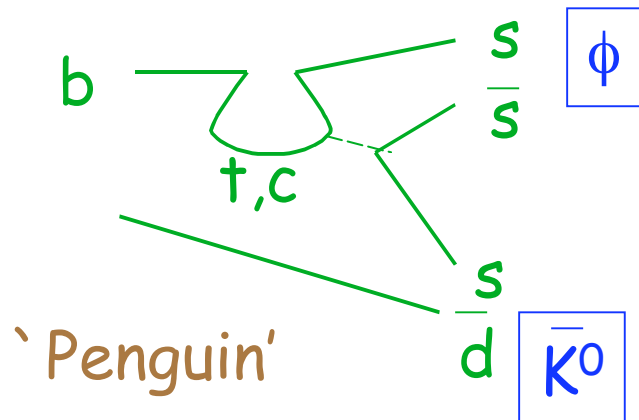
we need to understand charm spectroscopy

- ☞ to extract a **precise** value for $V(cb)$ [& $V(ub)$]
- ☞ to avoid either **faking** a signal for a $(V+A) \times (V-A)$ component in SL B decays or **missing** a real signal

II.2 Case II: ϕ_1 from ~~CP~~ in $B_d \rightarrow 3$ kaons



1 decay operator:



predict in SM:

$$\sin 2\phi_1 (B_d \rightarrow \psi K_S)^- \approx \sin 2\phi_1 (B_d \rightarrow \phi K_S)^-$$

measure

$$\sin 2\phi_1 = 0.726 \pm 0.037 \text{ from } B_d \rightarrow \psi K_S$$

Summer 2003

- BELLE: $\sin 2\phi_1^{\text{eff}} = -0.96 \pm 0.5 \pm 0.010$
- BABAR: $\sin 2\phi_1^{\text{eff}} = +0.45 \pm 0.43 \pm 0.07$

Summer 2004



[hep-ex/0408072]



[hep-ex/0409049]

$$\begin{aligned} \text{“}\sin 2\phi_1\text{”} &= +0.50 \pm 0.25 \begin{matrix} +0.07 \\ -0.04 \end{matrix} \\ A &= 0.00 \pm 0.23 \pm 0.05 \end{aligned}$$

$$\begin{aligned} \text{“}\sin 2\phi_1\text{”} &= +0.06 \pm 0.33 \pm 0.09 \\ A &= +0.08 \pm 0.22 \pm 0.09 \end{aligned}$$

ϕK^0

SVD1:

4.5% (MC)

SVD2:

$$S = -0.68 \pm 0.46$$

\leftrightarrow

$$S = +0.78 \pm 0.45$$

$$A = -0.02 \pm 0.28$$

$$A = +0.17 \pm 0.33$$

many systematic checks, all ok



Summer 2005

measure

$$\sin 2\phi_1 = 0.685 \pm 0.032 \pm ?? \text{ from } B_d \rightarrow \psi K_S$$



$$\begin{aligned} \text{“sin}2\phi_1\text{”} &= +0.44 \pm 0.27 \pm 0.05 \\ A &= -0.14 \pm 0.17 \pm 0.07 \end{aligned}$$

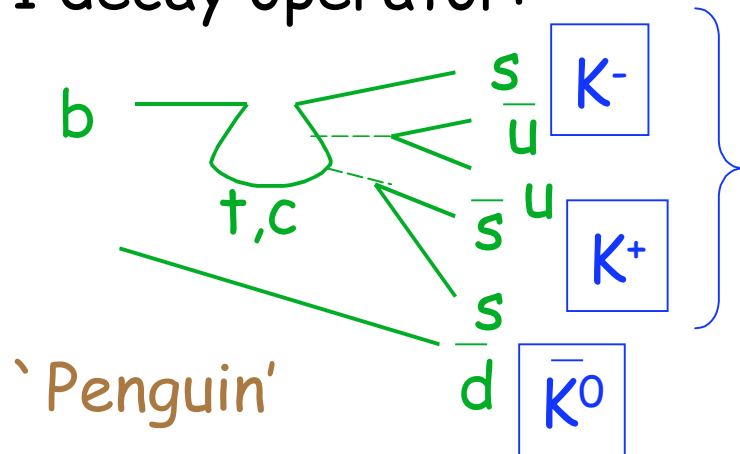
Summer 2003

□ BELLE: $\sin 2\phi_1^{\text{eff}} = -0.96 \pm 0.5 \pm 0.010$

Summer 2004

$$\begin{aligned} \text{“sin}2\phi_1\text{”} &= +0.06 \pm 0.33 \pm 0.09 \\ A &= +0.08 \pm 0.22 \pm 0.09 \end{aligned}$$

1 decay operator:



$\phi, f_0(980), \dots$

$$\cancel{CP}(B_d \rightarrow \phi K_S) = - \cancel{CP}(B_d \rightarrow f_0(980) K_S)$$

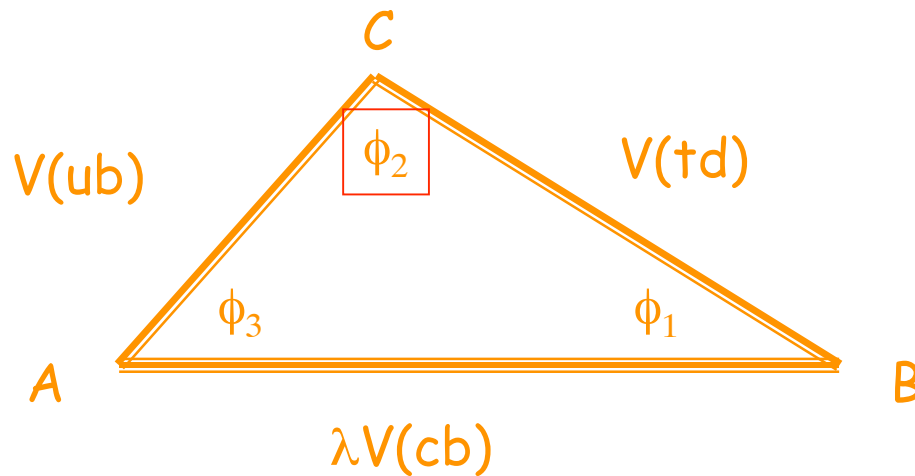
i.e., a smallish 'pollution' by $f_0 K_S$

reduces \cancel{CP} observed in ϕK_S

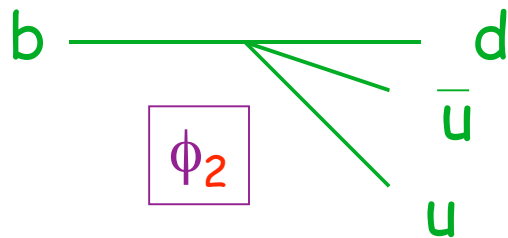
➔ need to perform full Dalitz plot analysis for

- ❑ $B_d \rightarrow K^+ K^- K_S$,
- ❑ $B_d \rightarrow K_S K_S K_S$
- ❑ $B^+ \rightarrow K^+ K^- K^+$,
- ❑ $B^+ \rightarrow K^+ K_S K_S$

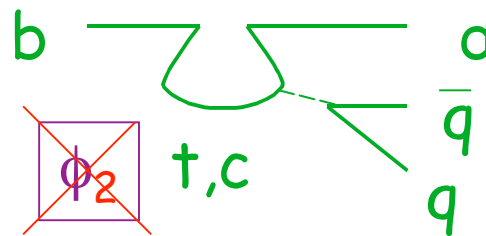
II.3 Case III: ϕ_2 from ~~CP~~ in $B_d \rightarrow$ pions



2 operators contribute:



'tree'



'Penguin'

'pollution'

blame us -- **not**
the Penguins!

to isolate 'pollution' through isospin decomposition:

$$\Leftrightarrow B^{0,\pm} \rightarrow \pi^{+,0} \pi^{-,0}, \pi^{\pm} \pi^0$$

challenging experimentally, yet reliable theoretically

$$\Leftrightarrow B^{0,\pm} \rightarrow \rho^{+,0} \pi^{-,0}, \rho^{\pm} \pi^0, \pi^{+,0} \rho^{-,0}, \pi^{\pm} \rho^0$$

less challenging experimentally, yet reliable theoretically??

$B \rightarrow \pi\pi\pi$: $\rho\pi$ vs. $\sigma\pi$ vs. ?? (U. Meissner, S. Gardner)

$$\Leftrightarrow B^{0,\pm} \rightarrow \rho^{+,0} \rho^{-,0}, \rho^{\pm} \rho^0$$

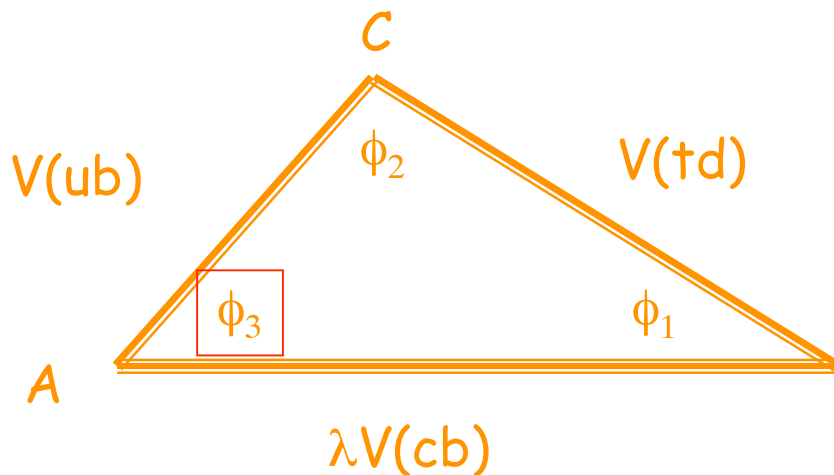
even better experimentally, yet even worse theoretically

$B \rightarrow \pi\pi\pi\pi$: $\rho\rho$ vs. $\sigma\rho$ vs. $\sigma\sigma$ vs. $\rho\pi\pi$ vs. $\sigma\pi\pi$ vs. ...

memento: precision -- say $\pm 5\%$ --required!

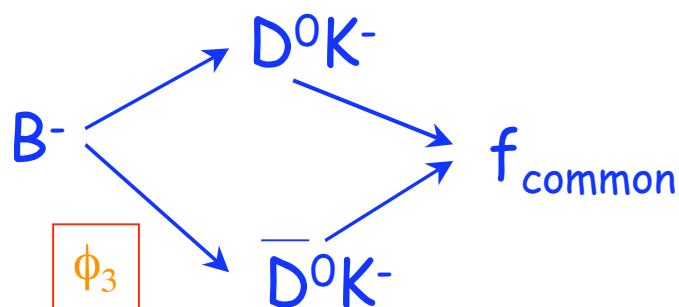
→ need expertise from low-energy hadronization
(chiral dynamics, Dalitz plot)

II.4 Case IV: ϕ_3 from ~~CP~~ in $B^\pm \rightarrow D^{\text{neut}} K^\pm$

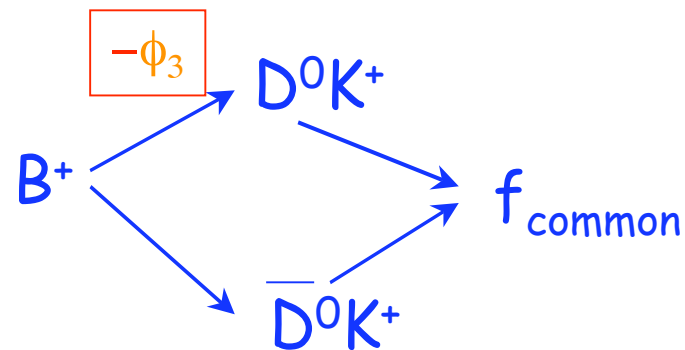


first mentioned by Sanda in '80
dedicated paper

IB, A.Sanda, PLB211 ('85)213



vs.



original idea: $f_{\text{common}} = h_1 h_2$ -- $K_S \pi^0, K^+ K^-, \pi^+ \pi^-, K^+ \pi^-, K^- \pi^+$

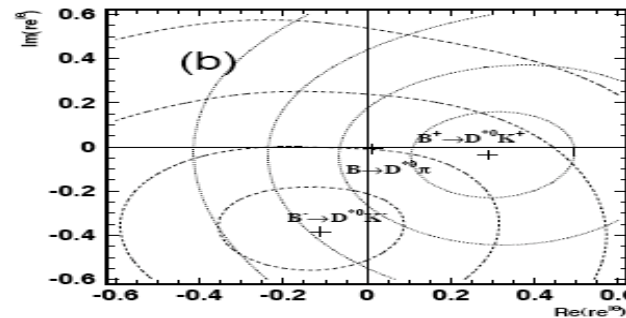
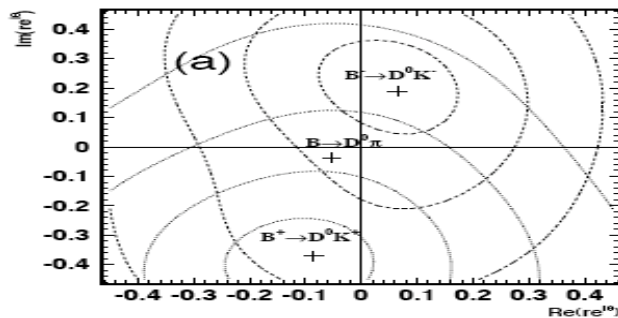
drawback: small BR's

new idea implemented by BELLE:
 use $f_{\text{common}} = K_S \pi^+ \pi^-$ coupled with Dalitz plot analysis
 requires a lot of investment if effort -- yet pays
 handsome profit in cross checks \implies confidence!

A. Poluektov *et al.* (Belle Collaboration), hep-ex/0406067, to appear in PRD.

Using $B^\pm \rightarrow DK^\pm$ and $B^\pm \rightarrow D^*K^\pm$ ($D^* \rightarrow D\pi^0$)

$$\phi_3 = 77^\circ \begin{matrix} +17^\circ \\ -19^\circ \end{matrix} (\text{stat}) \pm 13^\circ (\text{syst}) \pm 11^\circ (\text{model})$$



I consider it still a pilot study -- yet a very promising one -- showing the power of using hadronization as a (difficult) ally

III τ Decays -- the New Frontier

SM forbidden τ decays

$$\tau \rightarrow \mu/e \gamma$$

$$\tau \rightarrow 3 l$$

if New Physics in $b \rightarrow sss \approx$ New Physics in $\tau \rightarrow \mu\mu\mu$
then $BR(\tau \rightarrow \mu\mu\mu) \sim 10^{-8}$

~~CP~~ in τ decays

observed baryon # of Universe might be induced by primary leptogenesis

➔ need & want to observe CP in leptodynamics

3 'promising' areas

• \leftrightarrow ν oscillations

• \leftrightarrow EDM's of electrons & atoms

• \leftrightarrow τ decays

👉 CPT less restrictive

👉 Higgs couplings less suppressed

~~CP~~ in τ decays

most promising channels: $\tau \rightarrow \nu K \pi$

- most sensitive to Higgs dynamics

- CP asymmetries possible also in final state distributions rather than integrated rates

- unique opportunity for $e^+e^- \rightarrow \tau^+\tau^-$

pair produced with spins aligned:

1 τ decays can `tag' the spin of the other

→ can probe spin-dependent ~~CP~~ with unpolarized beams!

- confidently predicted ~~CP~~:

0.0033 in $\Gamma(\tau^+ \rightarrow \nu K_S \pi^+)$ vs. $\Gamma(\tau^- \rightarrow \nu K_S \pi^-)$

-- due to K_S 's preference for antimatter

IV Summary

- persuasive evidence SM is incomplete pointing to New physics conceivably at the \sim TeV scale
 - ✍ goal must be not only to establish presence of New Physics, but also its features
 - ↔ justification for ILC
 - ↔ same justification applies also to flavour factories!
- in next 5-10 years **huge data sets** of unprecedented quality
 - ➔ **theory** can no longer hide behind experim. uncertainties!
- cannot **count** on **massive** intervention of New Physics
 - ➔ must add aspect of '**high accuracy**' to that of '**high sensitivity**'

• treat hadronization = nonperturbative dynamics as your ally -- albeit a complex and sometimes quirky one -- rather than as a nuisance

cannot be done by theory tools alone --

will need input from studies of $\pi\pi$, KK , $K\pi$ final state interact.

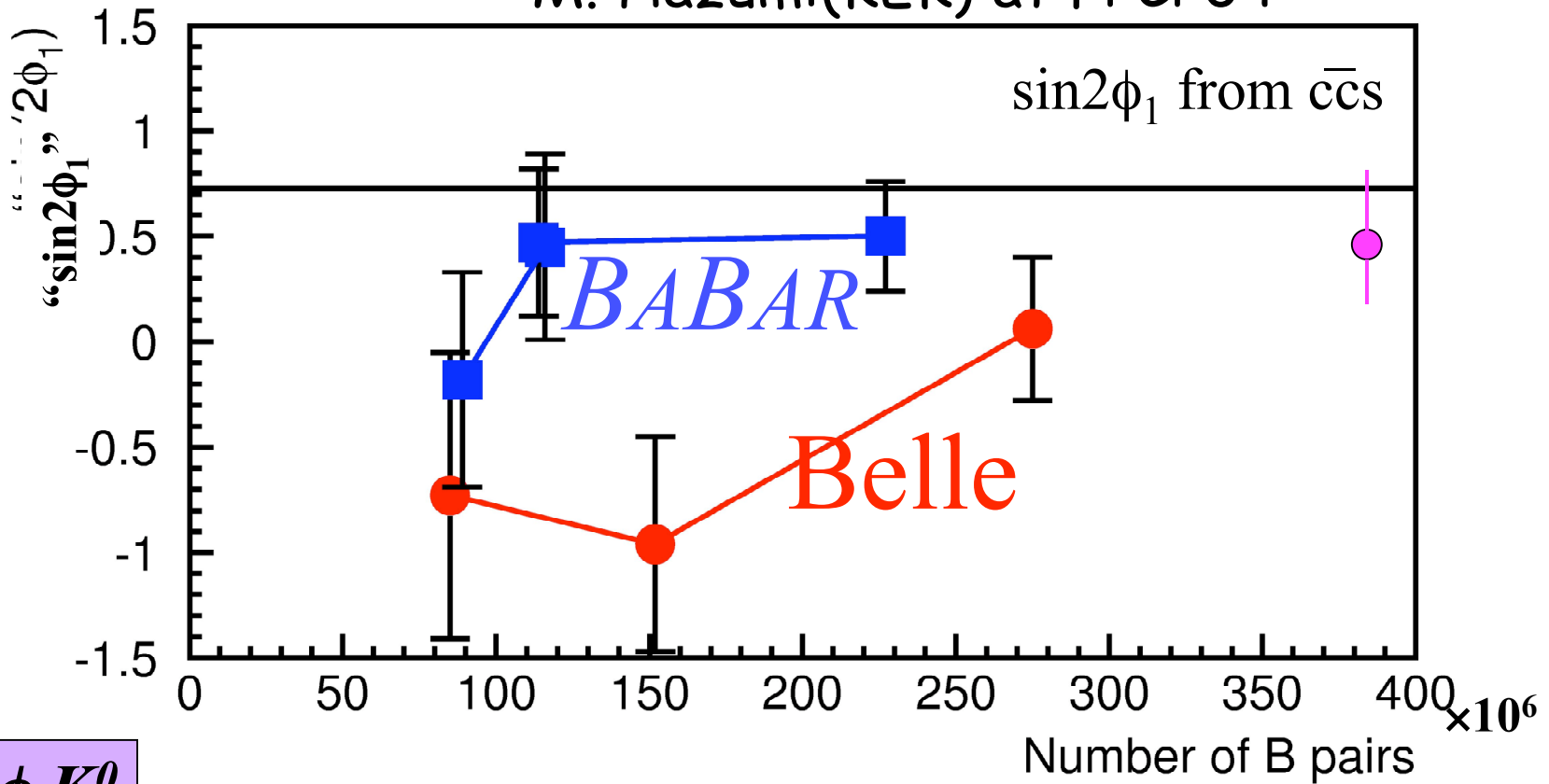
- at low energies
- in $D \rightarrow 3\pi$, $K\pi\pi$, $KK\pi$, ... $l\nu K\pi$, $l\nu\pi\pi$
- $B \rightarrow$ multi-neutrals

i.e., complementarity with Mike Pennington's talk!

Memento: Swiss watches became famous by being reliable & sturdy, not necessarily elegant

back-up slide item # 5

History of "sin2 ϕ_1 " with ϕK^0
 M. Hazumi(KEK) at FPCP04



ϕK^0



SVD1:

$$S = -0.68 \pm 0.46$$

$$A = -0.02 \pm 0.28$$

4.5% (MC)

\leftrightarrow

SVD2:

$$S = +0.78 \pm 0.45$$

$$A = +0.17 \pm 0.33$$

many systematic checks, all ok