

Higgs

the missing link of the Standard Model

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INFN LNF Frascati

Physics for large and small scale

Nhatrang 5 January 2007

the Standard Model of Particle Physics

$$\begin{aligned}\mathcal{L}_{SM} = & -\frac{1}{4}F_{\mu\nu}^a F^{a\mu\nu} + i\bar{\psi}D\psi && \text{gauge sector} \\ & + \psi_i \lambda_{ij} \psi_j H + h.c. && \text{flavour sector} \\ & + |D_\mu H|^2 - V(H) && \text{EWSB sector} \\ & + N_i M_{ij} N_j && \text{(Majorana) } \nu\text{-mass sector}\end{aligned}$$

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- ☛ do they cause spontaneous symmetry breaking ?
→ fermion and gauge boson masses

the Standard Model of Particle Physics

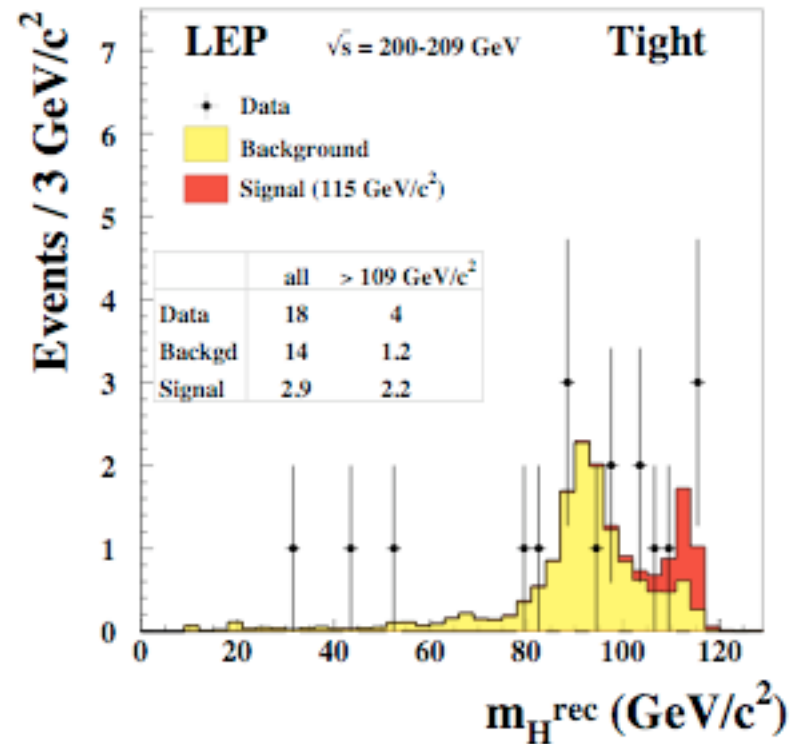
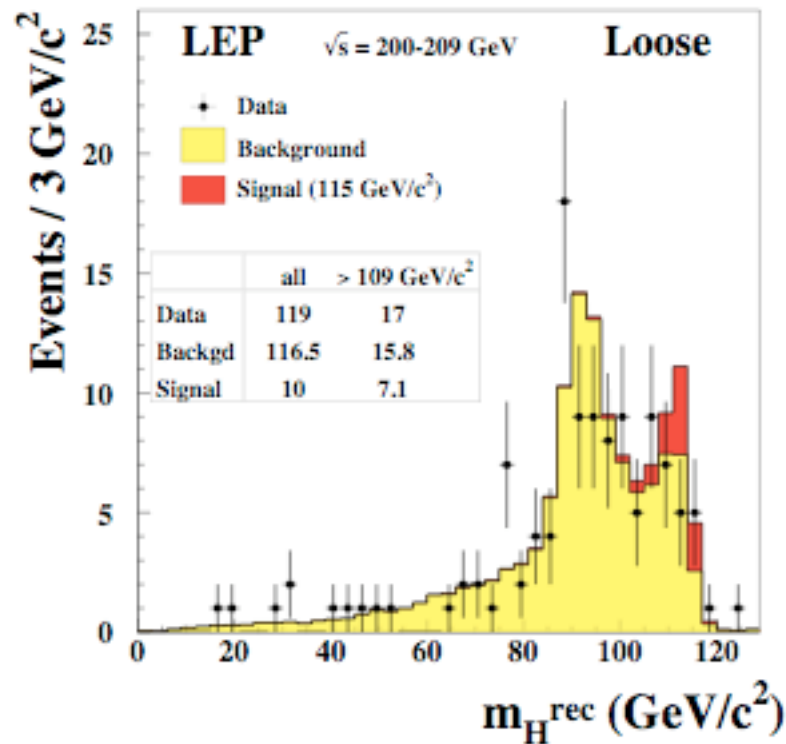
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- ☞ are there elementary scalars in the **SM** ? **Higgs boson ???**
- ☞ do they cause spontaneous symmetry breaking ?
→ fermion and gauge boson masses
- 🏆 foremost task of the **LHC** is to find the Higgs boson

Search for the Standard Model Higgs Boson at LEP

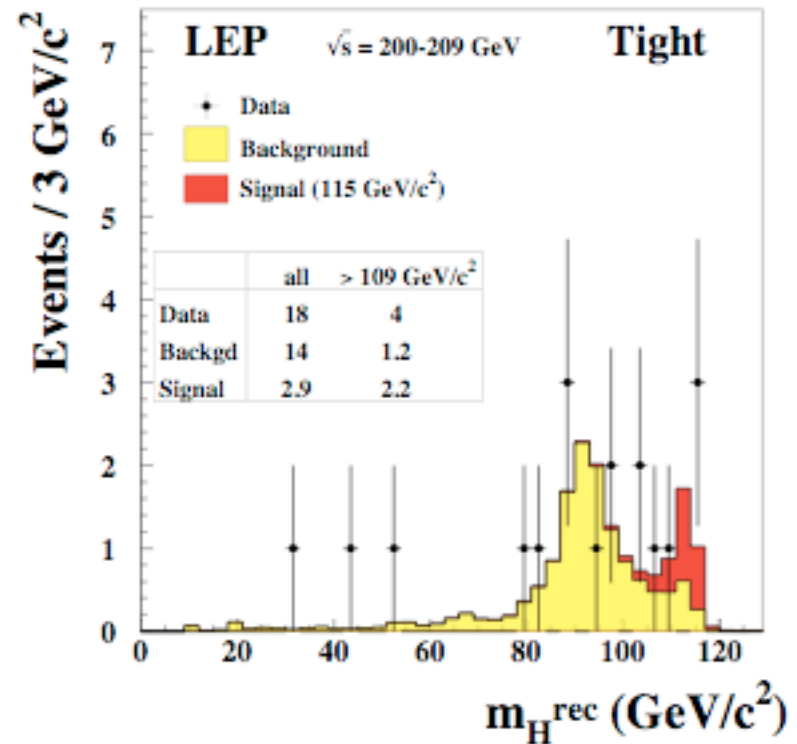
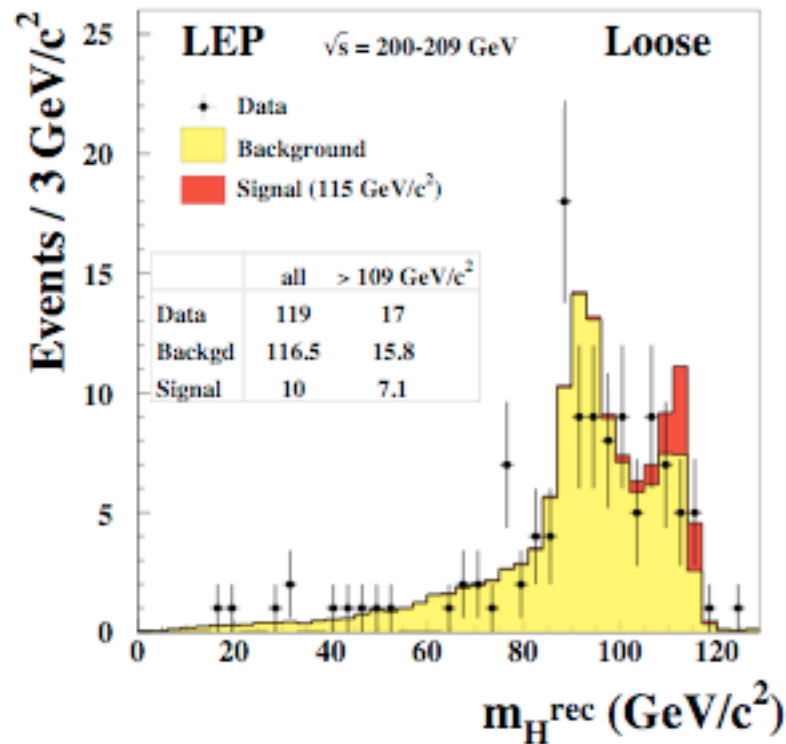
ALEPH, DELPHI, L3 and OPAL Collaborations
The LEP Working Group for Higgs Boson Searches¹



histograms are MC predictions; in loose and tight selections, cuts are adjusted so as to obtain, for $m_H = 115$ GeV, approximately 0.5 and 2 times more expected signal than background events

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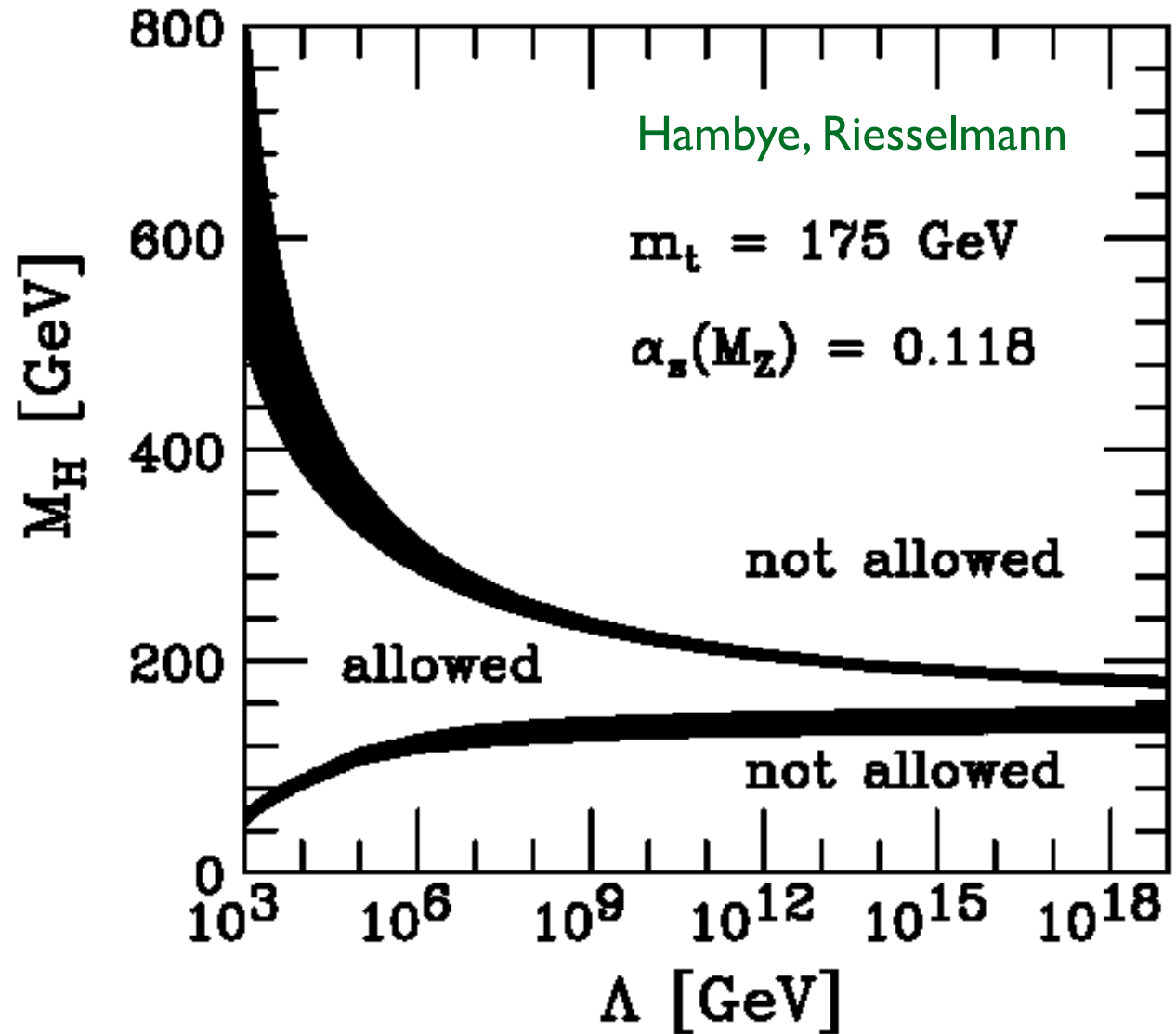
Lower bound: $m_H = 114.4$ GeV at 95% CL

Theoretical bounds on the SM Higgs mass

Λ : scale of new physics
beyond the SM

Lower bound:
vacuum (meta)stability

Upper bound:
No Landau pole up to Λ

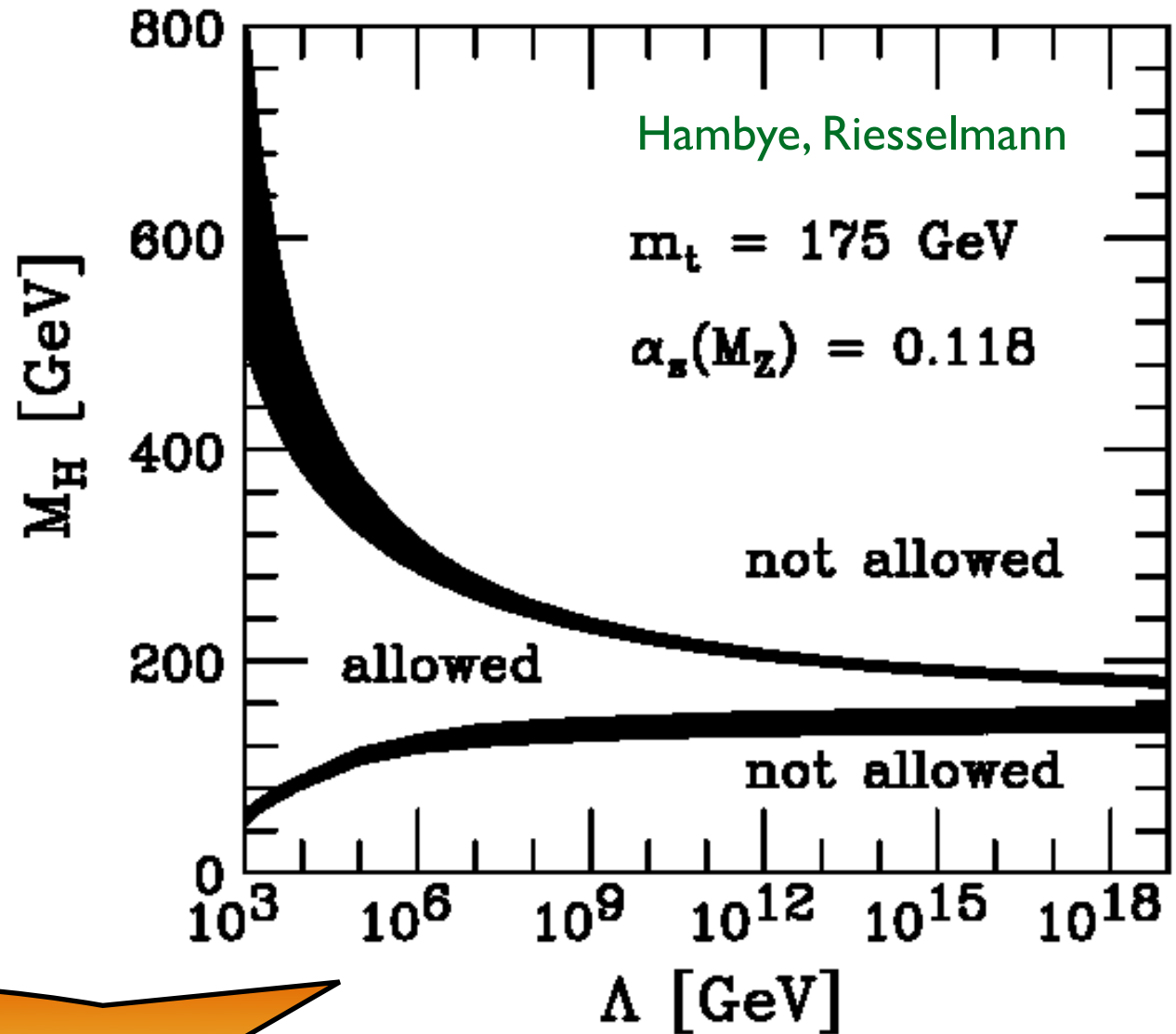


Theoretical bounds on the SM Higgs mass

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No Landau pole up to Λ




were the SM valid up to M_{Pl} , then
 M_H would be limited to a small range

Higgs potential (lower bound on m_H)

classic $V[\phi] = -\mu^2 \phi^2 + \lambda \phi^4$ $\mu^2 > 0, \lambda > 0$

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renormalization group improved PT

quantum corr. $\lambda \phi^4 \rightarrow \lambda \phi^4 \left(1 + \gamma \ln \frac{\phi^2}{\Lambda^2} + \dots \right)$ $\xrightarrow{\text{RG}} \lambda(\Lambda) \phi'^4(\Lambda)$

$\phi' = \left(\exp \int dt \gamma(t) \right) \phi$ $t = \frac{\ln(\Lambda)}{v}$

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Running coupling

$$\frac{d\lambda(t)}{dt} = \beta_\lambda(t) \propto (\lambda^2 + 3\lambda h_t^2 - 9h_t^4 + \dots)$$

h_t top Yukawa coupling

initial conditions (at $\Lambda = v$) $\lambda_0 = \frac{m_H^2}{4v^2}$ $h_{0t} = \frac{m_t}{v}$

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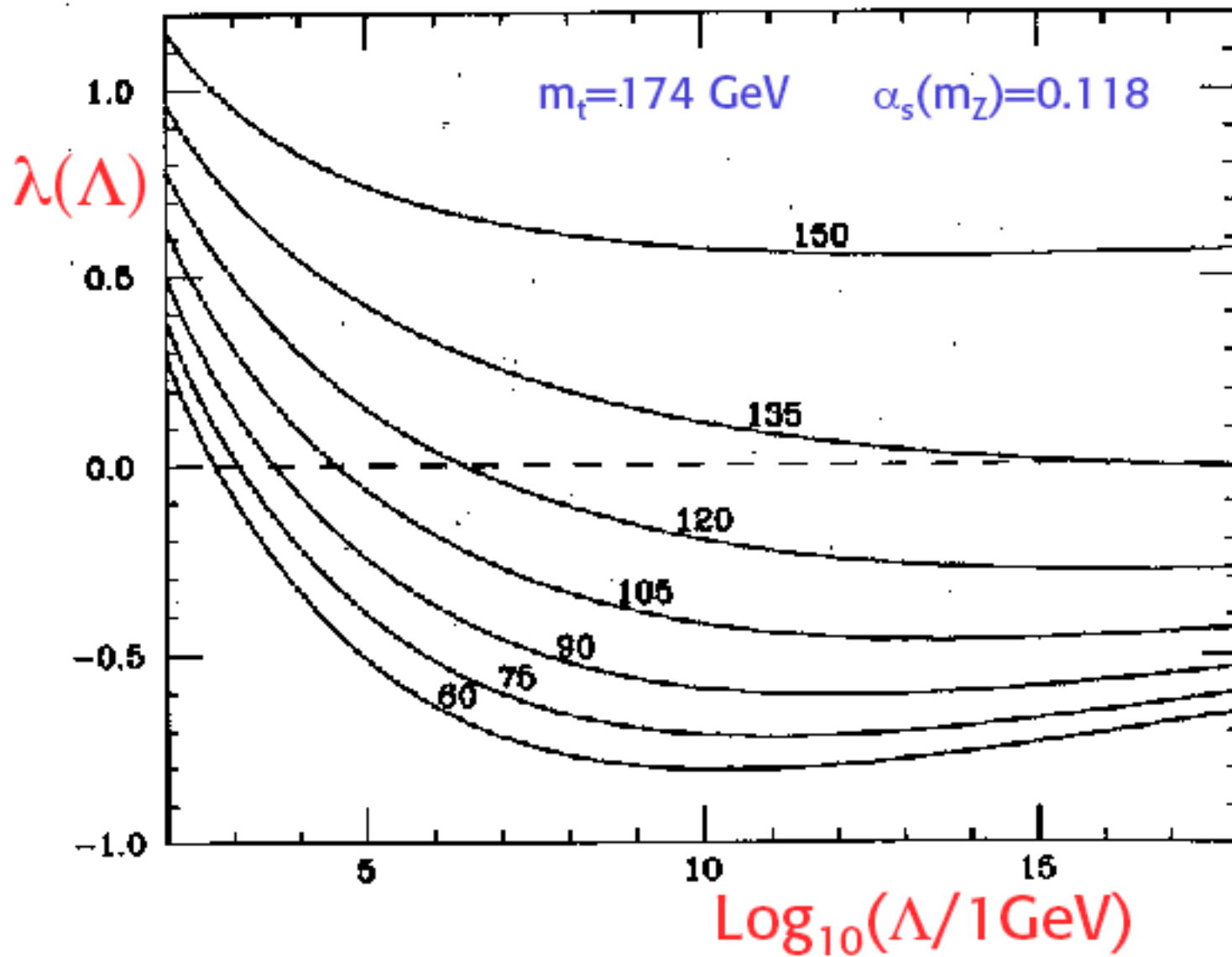
For the vacuum to be stable, $\lambda(t)$ must be > 0 below $\Lambda \rightarrow$ lower bound on m_H

$$m_H > 129.5 + 2.1(m_t - 171.4) - 4.5 \frac{\alpha_s(m_Z) - 0.118}{0.006}$$

$m_H \geq 130 \text{ GeV}$ at $\Lambda = M_{\text{GUT}}$

Higgs potential

Altarelli, Isidori



Upper bound on m_H

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The upper bound on m_H is obtained
by requiring that no Landau pole occurs below Λ

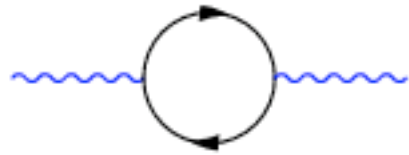
$$m_H \leq 180 \text{ GeV} \quad \text{if } \Lambda \sim M_{\text{GUT}}$$
$$600 \div 800 \text{ GeV} \quad \text{if } \Lambda \sim O(\text{TeV})$$

Hierarchy problem in the SM

Symmetry principles protect against power-like divergences

Hierarchy problem in the SM

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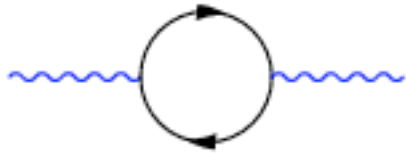


photon self-energy $\delta m_\gamma^2 \propto \Lambda^2 + m_\gamma^2 \ln \Lambda$

gauge symmetry protects against quadratic divergence

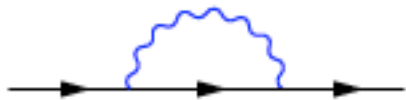
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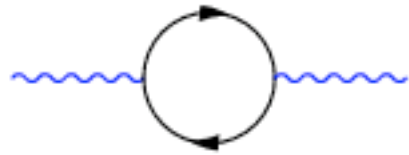


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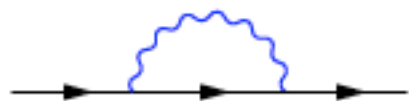
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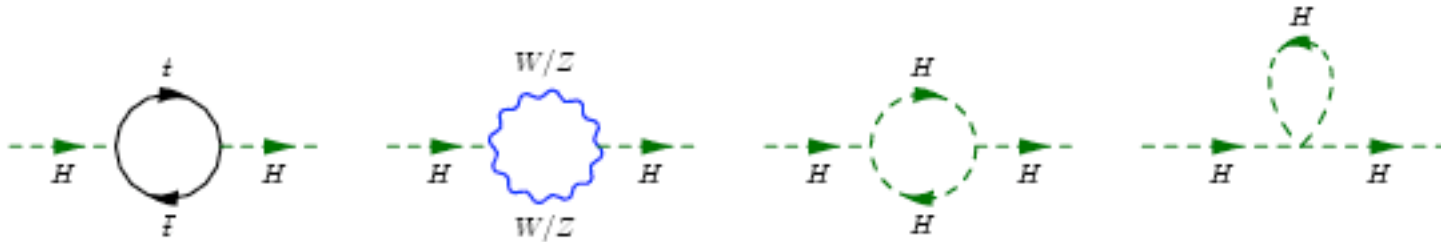
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Higgs self-energy
$$\delta m_H^2 = \frac{3G_F}{4\sqrt{2}\pi^2} (2m_W^2 + m_Z^2 + m_H^2 - 4m_t^2) \Lambda^2$$

no symmetry protects against quadratic divergences

Fine tuning and unnaturalness

Higgs self-energy

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Fine tuning and unnaturalness

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because for $Q_0^2 = \mathcal{O}(v^2)$ the Higgs mass is in the range of the EW data $m_H^2(Q_0^2) = \mathcal{O}(v^2)$

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A natural solution to **hierarchy**: **supersymmetry**

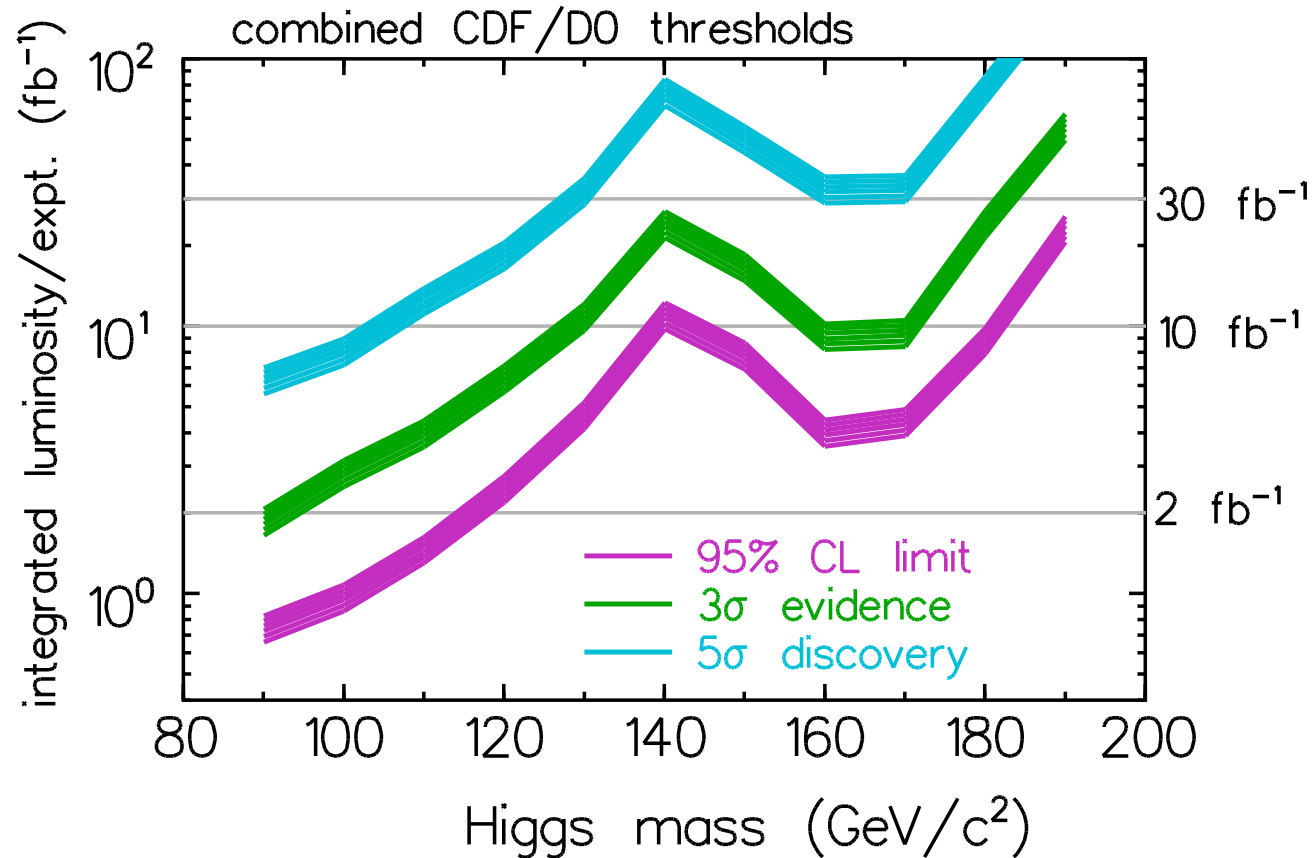
postulate a new symmetry principle, which yields new particles that cancel the quadratic divergences of the Higgs self-energy, such that

$$\delta m_H^2 \sim \mathcal{O}(m_H^2) \ln \Lambda$$

Higgs search - Tevatron reach

Tevatron has collected so far about 2 fb^{-1}

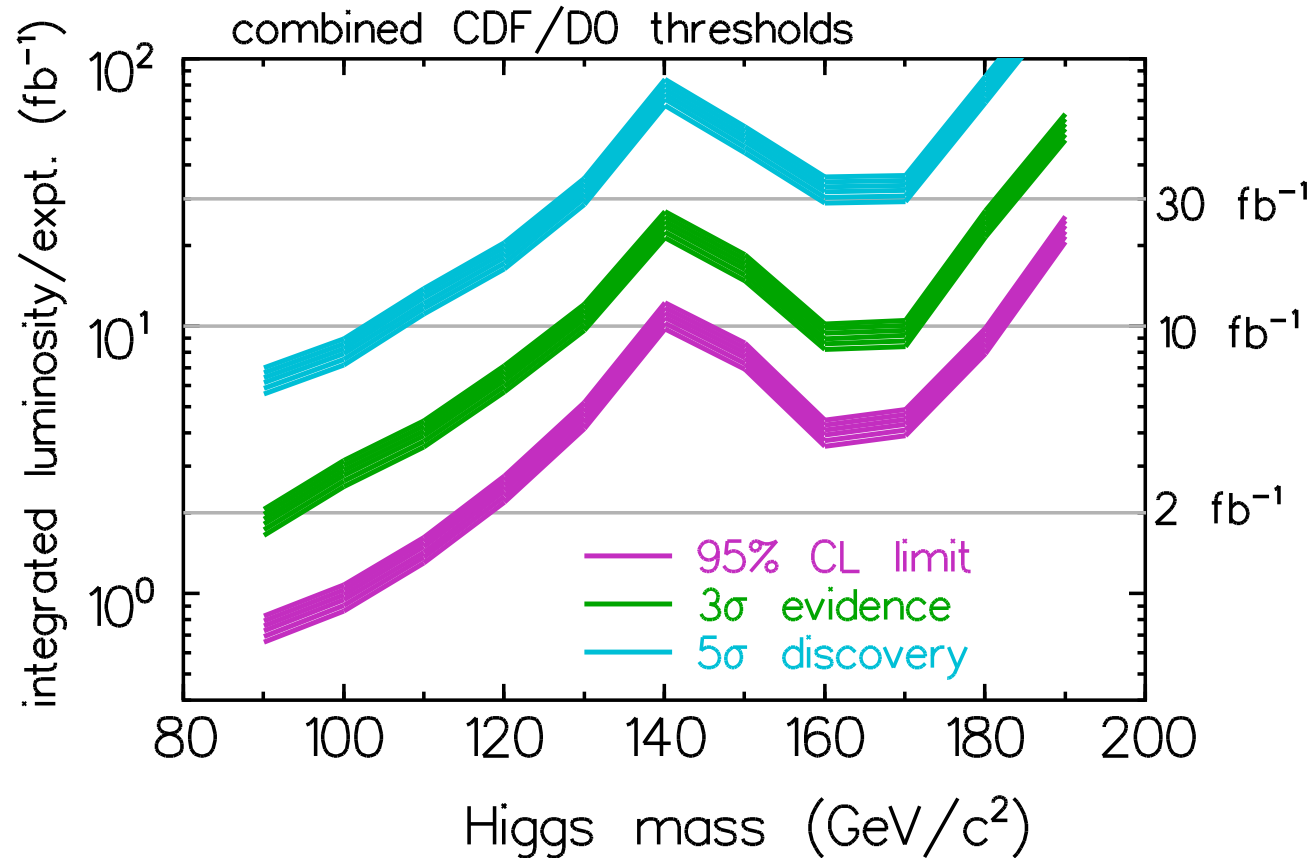
Although it cannot collect enough integrated luminosity to claim discovery above the LEP exclusion limit (114.4 GeV), it could collect enough to hint at some evidence for a signal



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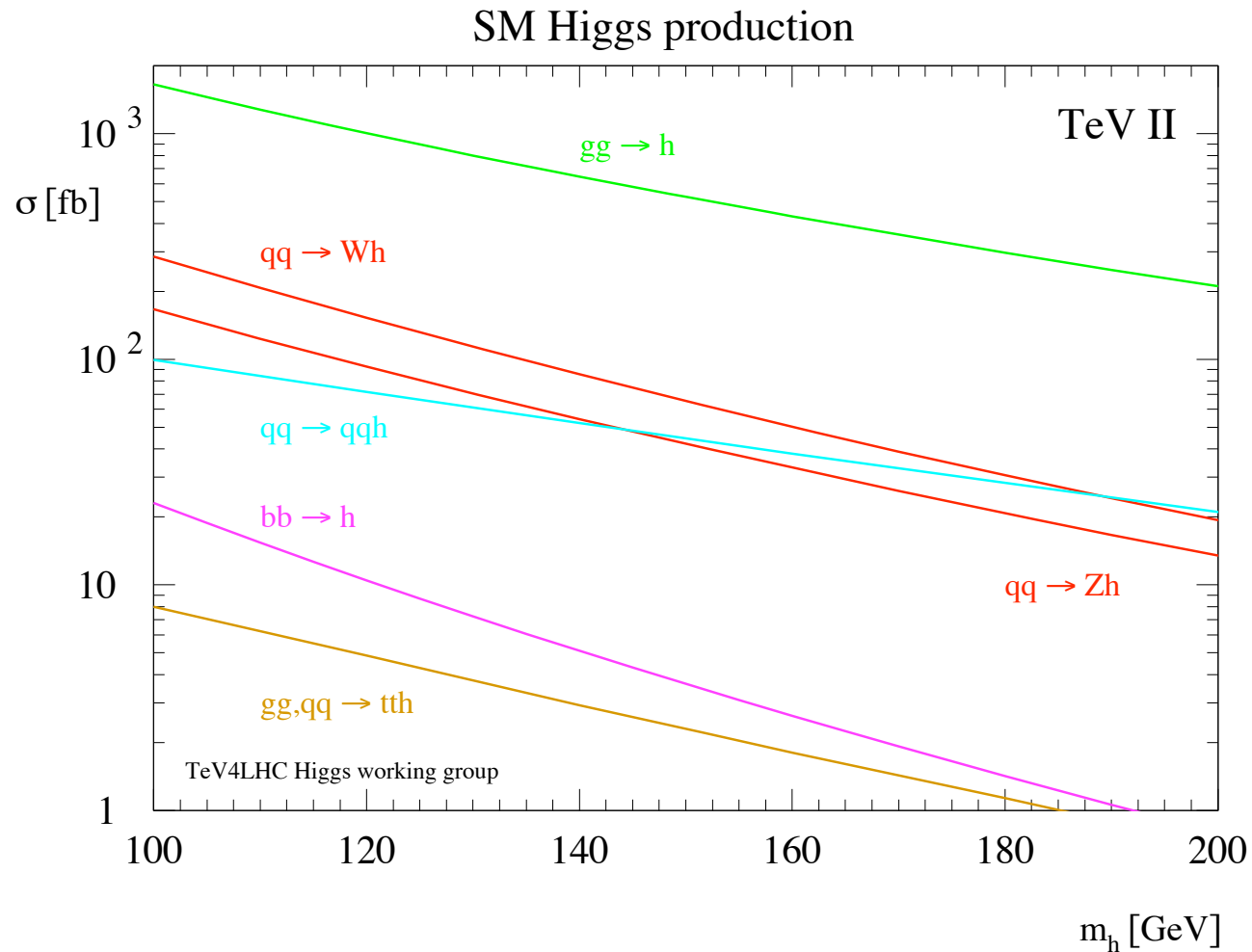


Sensitivity in the mass region above LEP limit (114 GeV) starts at $\sim 2 \text{ fb}^{-1}$

With 8 fb^{-1} : exclusion 115-135 GeV & 145-180 GeV,

5 - 3 sigma discovery/evidence @ 115 - 130 GeV

Higgs production at Tevatron Run-II



in the intermediate Higgs mass range $M_H \sim 100 - 200$ GeV

gluon fusion cross section is $\sim 0.2 - 2$ pb

WH, ZH yield cross sections of $\sim 10 - 300$ fb

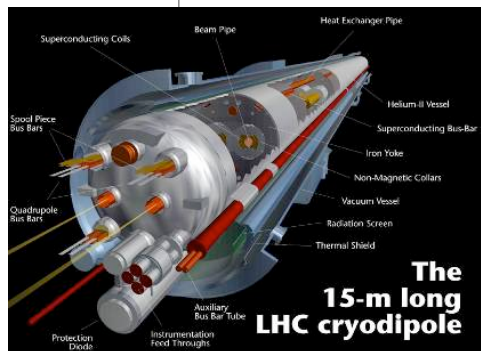
WBF cross section is $\sim 20 - 100$ fb

LHC

- pp $\sqrt{s} = 14 \text{ TeV}$ $L_{\text{design}} = 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$ (after 2009)
 $L_{\text{initial}} \leq \text{few} \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$ (until 2009)
- Heavy ions (e.g. Pb-Pb at $\sqrt{s} \sim 1000 \text{ TeV}$)

TOTEM (integrated with CMS):
pp, cross-section, diffractive physics

ATLAS and CMS :
general purpose

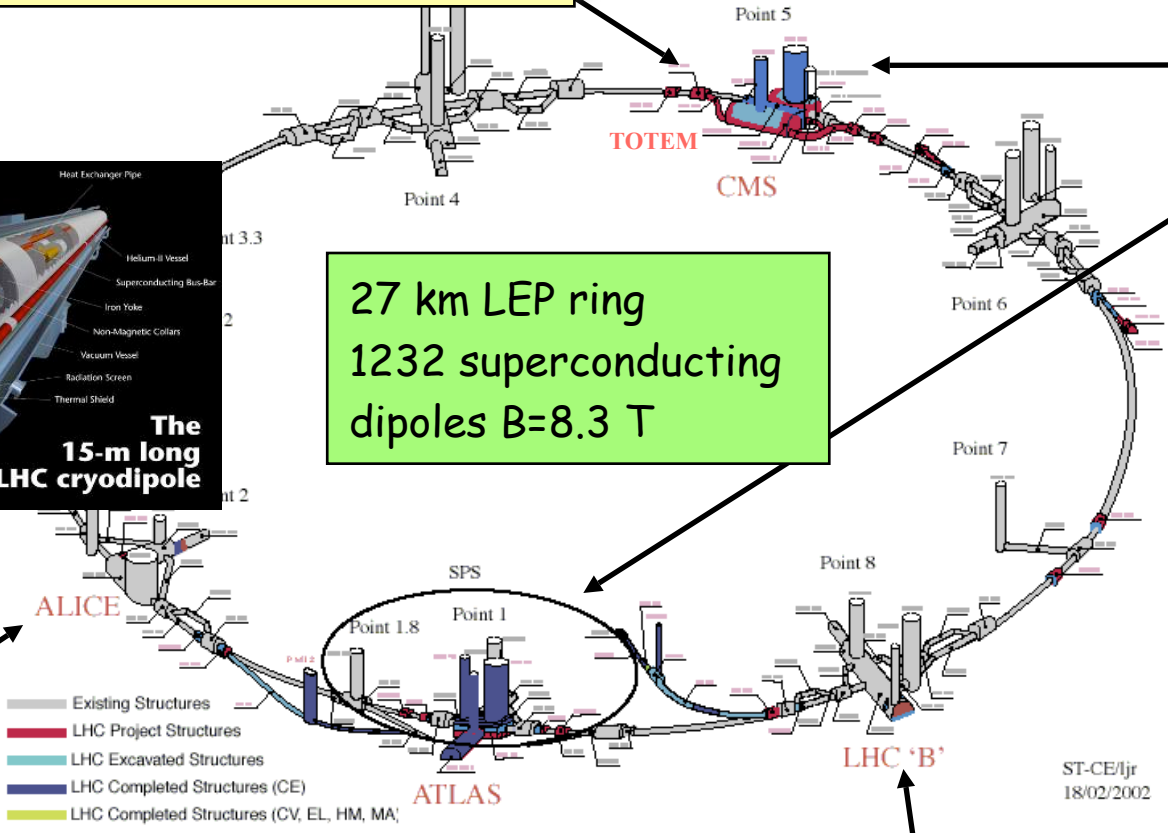


27 km LEP ring
1232 superconducting
dipoles $B=8.3 \text{ T}$

Here:
ATLAS and CMS

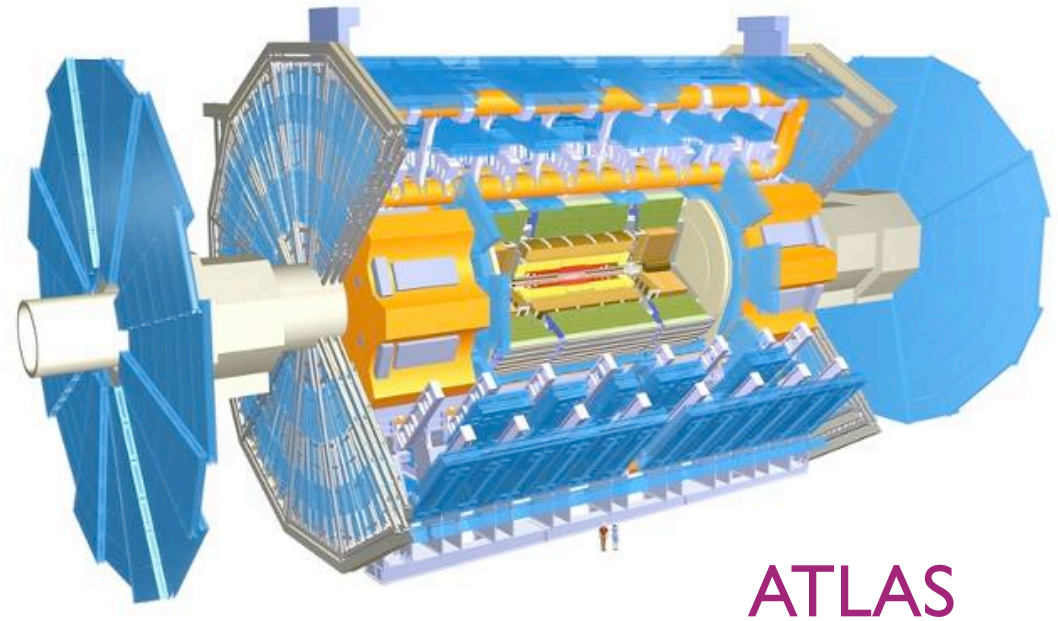
ALICE :
ion-ion,
p-ion

LHCb :
pp, B-physics, CP-violation

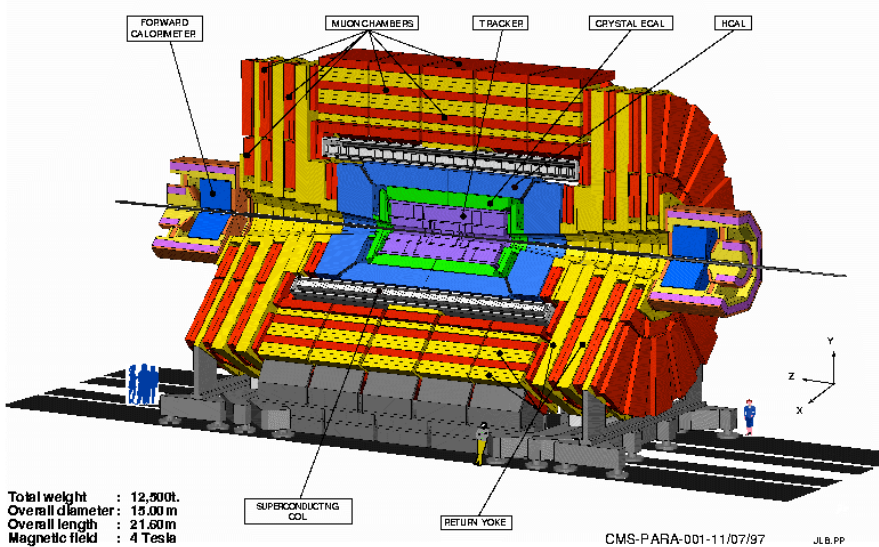


ST-CE/ljr
18/02/2002

ATLAS & CMS



ATLAS



Total weight : 12,500t.
Overall diameter : 15.00 m
Overall length : 21.60 m
Magnetic field : 4 Tesla

CMS-PARA-001-11/07/97 J.L.B.PP

CMS

Overall weight (tons)
Diameter
Length
Solenoid field

ATLAS

7000

22 m

46 m

2 T

CMS

12500

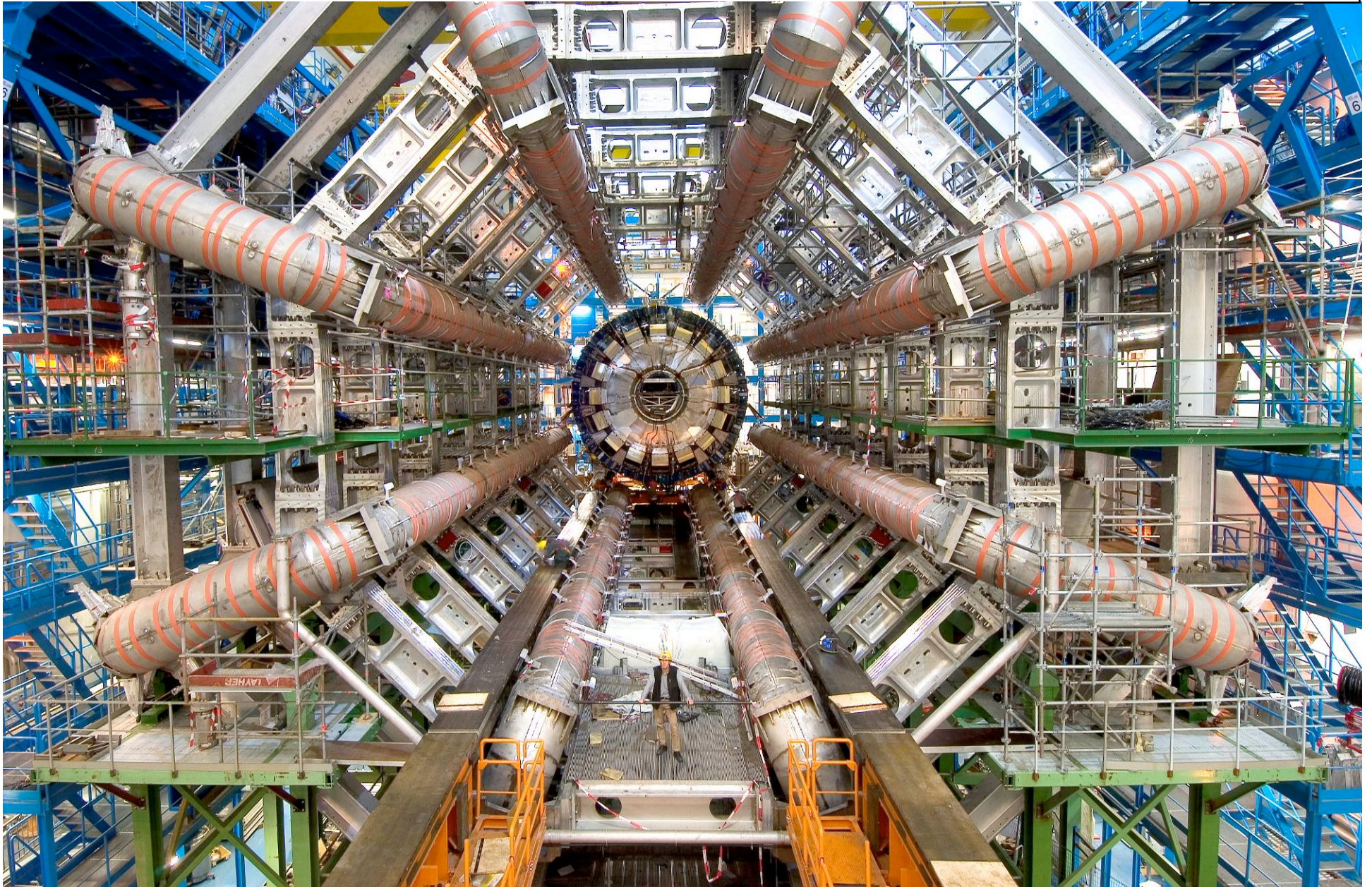
15 m

22 m

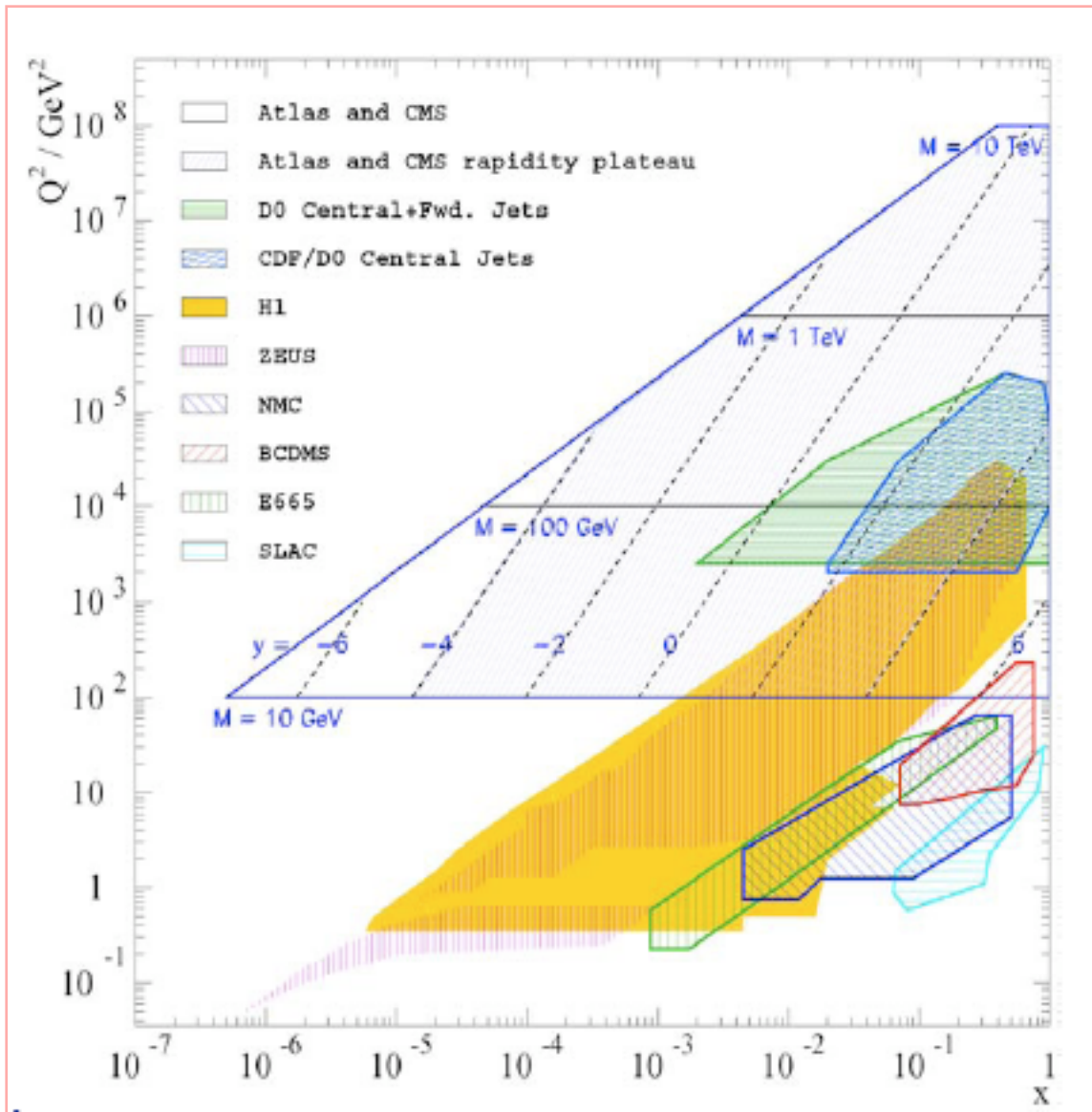
4 T

ATLAS

Oct. 2006



LHC kinematic reach



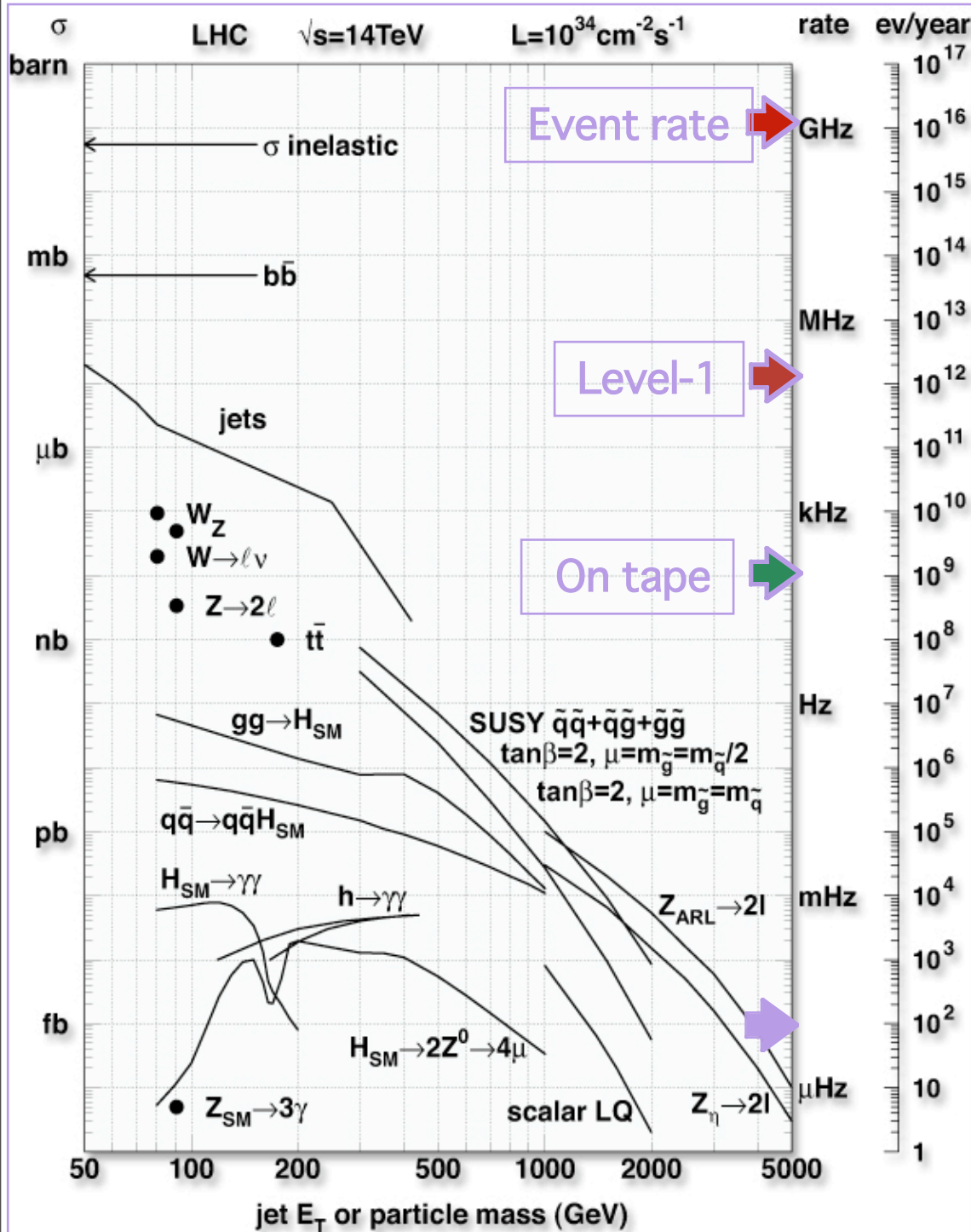
LHC opens up a new kinematic range

Feynman x 's for the production of a particle of mass M

$$x_{1,2} = \frac{M}{14 \text{ TeV}} e^{\pm y}$$

LHC is a QCD machine

SM processes are background to New Physics signals

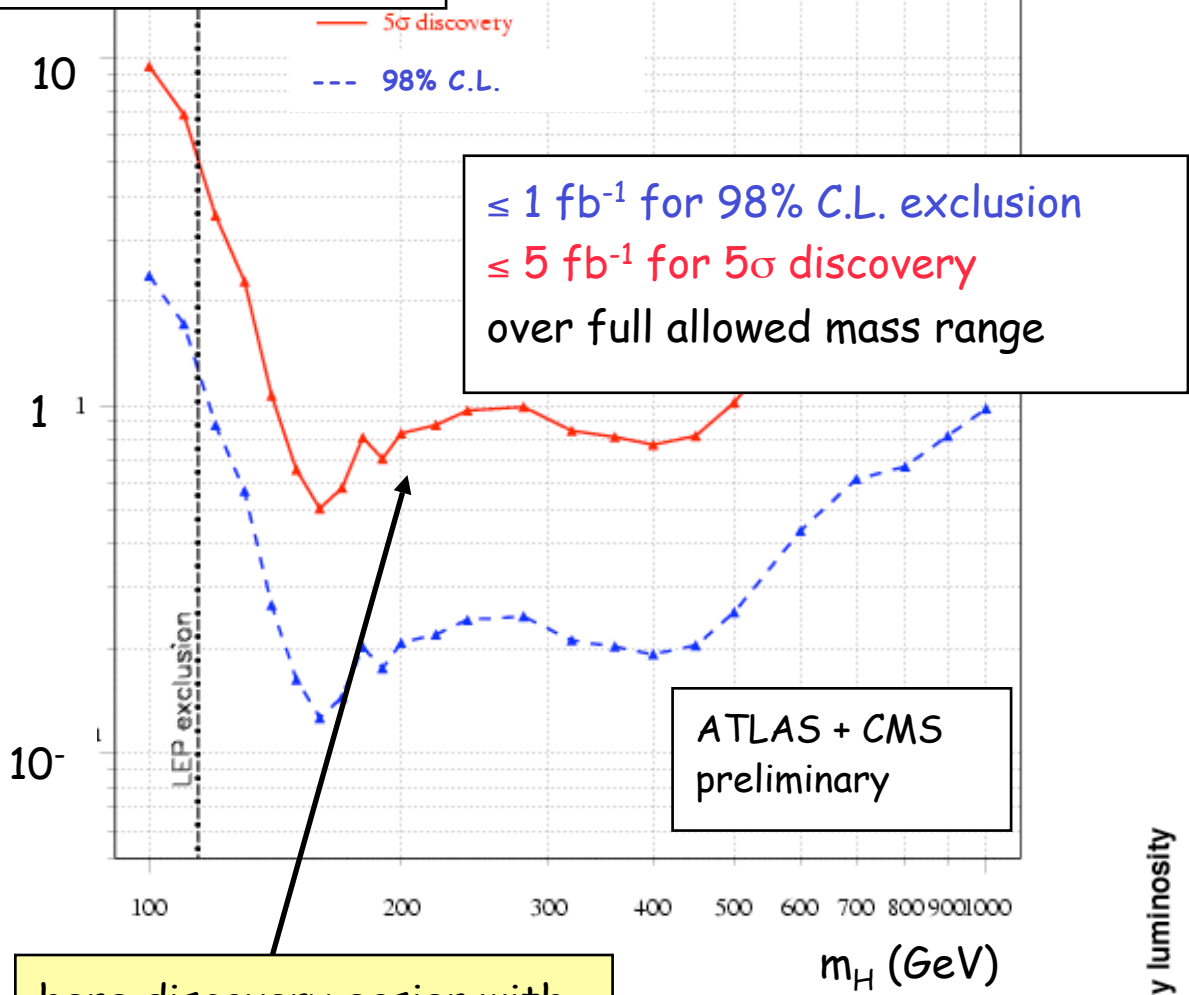


1 fb^{-1} (per exp)	Events on tape
$W \rightarrow \mu \nu$	7×10^6
$Z \rightarrow \mu \mu$	1.1×10^6
$t\bar{t} \rightarrow W b W b \rightarrow \mu \nu + X$	8×10^4
QCD jets $p_T > 150$	$\sim 10^6$
Minimum bias	$\sim 10^6$

Needed $\int L dt$ (fb^{-1})
per experiment

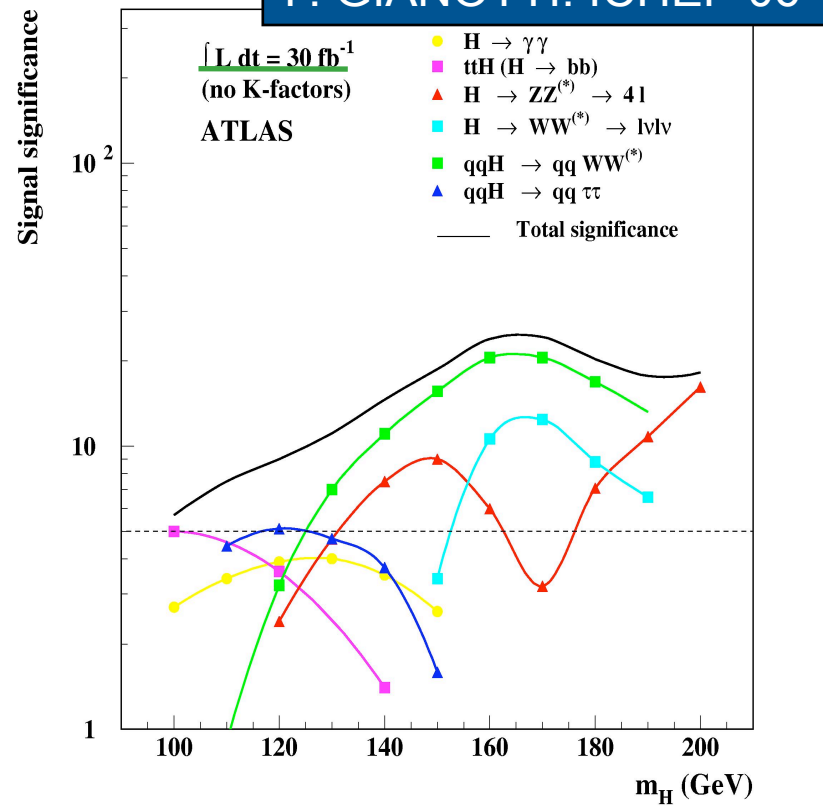
What about the SM Higgs boson ?

F. GIANOTTI. ICHEP 06

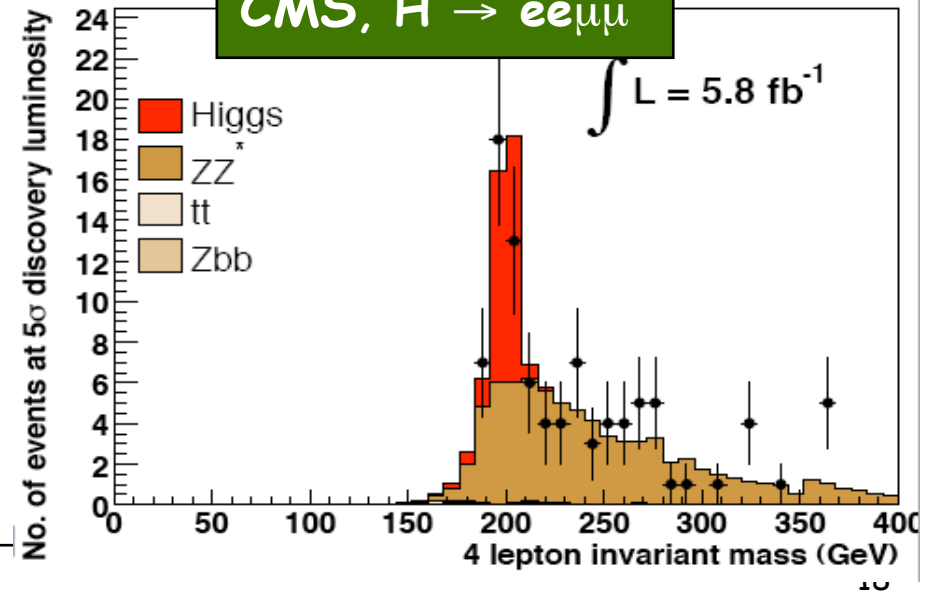


here discovery easier with gold-plated $H \rightarrow ZZ \rightarrow 4l$
→ **by end 2008 ?**

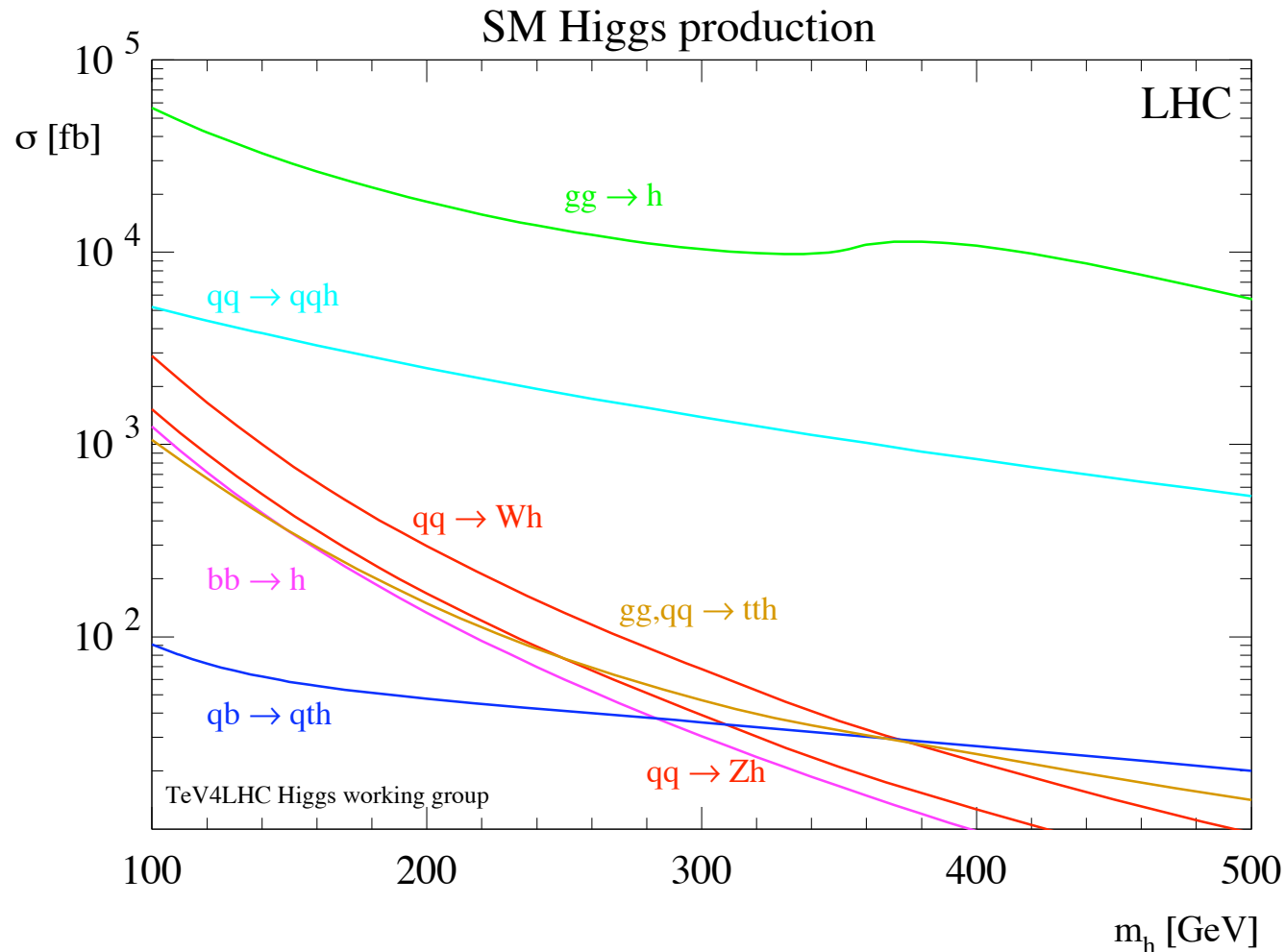
$H \rightarrow 4l$: narrow mass peak, small background
 $H \rightarrow WW \rightarrow l\nu l\nu$ (dominant at the Tevatron):
 counting channel (no mass peak)



CMS, $H \rightarrow ee\mu\mu$



HIGGS PRODUCTION AT LHC



in the intermediate Higgs mass range $M_H \sim 100 - 200$ GeV

gluon fusion cross section is $\sim 20 - 60$ pb

WBF cross section is $\sim 3 - 5$ pb

$WH, ZH, t\bar{t}H$ yield cross sections of $\sim 0.2 - 3$ pb

HIGGS PRODUCTION MODES AT LHC

In proton collisions at **14 TeV**, and for $M_H > 100$ GeV the **Higgs** is produced mostly via

🏆 **gluon fusion** $gg \rightarrow H$

🥈 largest rate for all M_H

🥉 proportional to the top Yukawa coupling y_t

🏆 **weak-boson fusion (VBF)** $qq \rightarrow qqH$

🥈 second largest rate (mostly ud initial state)

🥉 proportional to the **VVH** coupling

🏆 **Higgs-strahlung** $q\bar{q} \rightarrow W(Z)H$

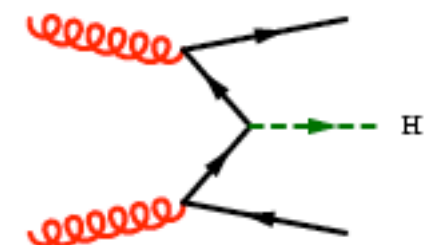
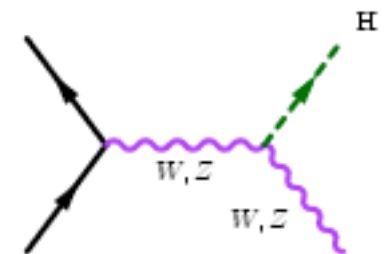
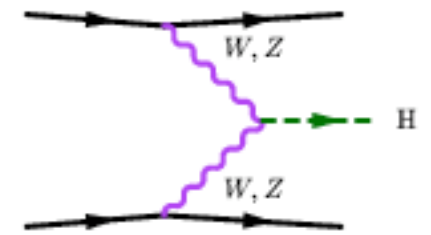
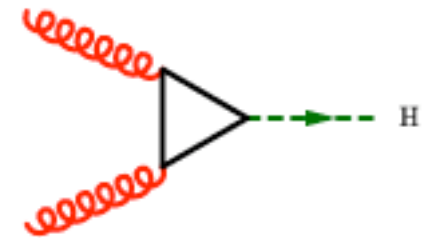
🥈 third largest rate

🥉 same coupling as in **VBF**

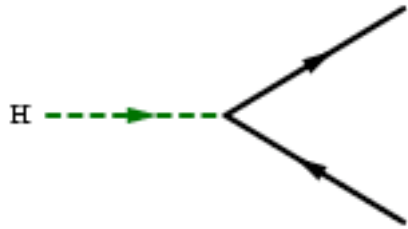
🏆 $t\bar{t}(b\bar{b})H$ associated production

🥈 same initial state as in **gluon fusion**, but higher x range

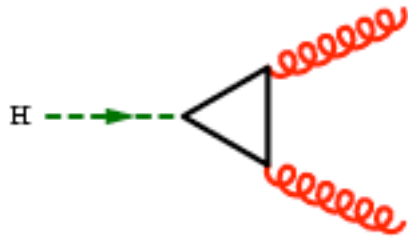
🥉 proportional to the heavy-quark Yukawa coupling y_Q



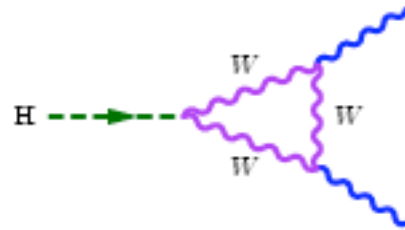
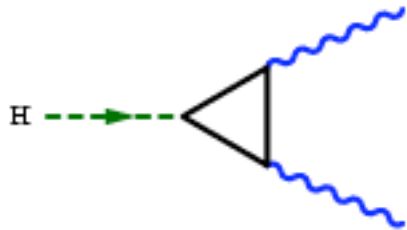
HIGGS DECAY MODES AT LHC



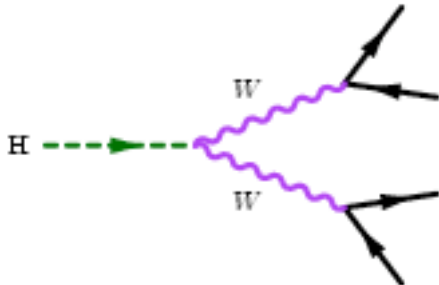
proportional to the Yukawa coupling squared,
and thus to m_f^2



proportional to m_f^4/m_H^4
but dominated by top quark Yukawa coupling

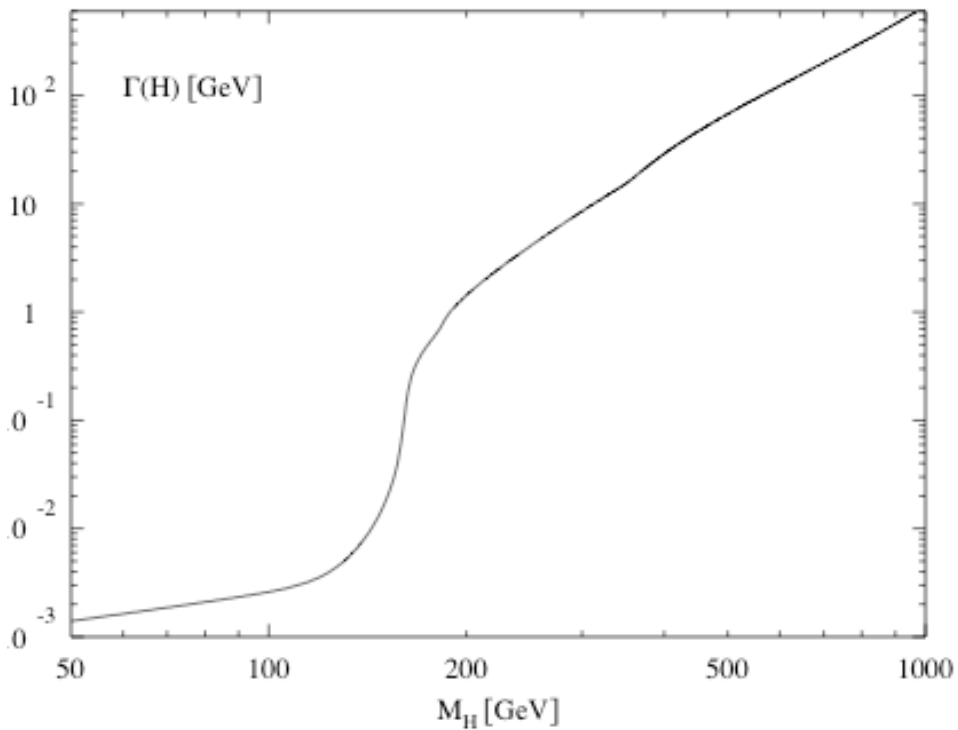


dominated by EW coupling

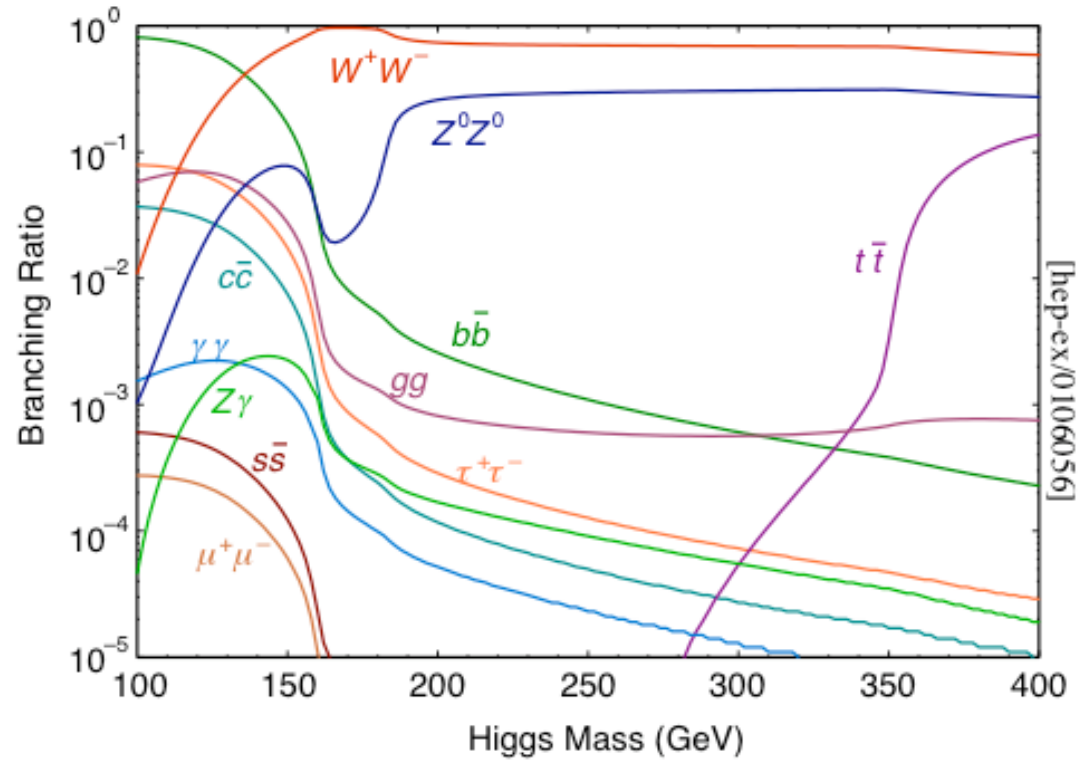


proportional to α_W
Decay width into W^*W^* plays a significant role

HIGGS DECAY AT LHC

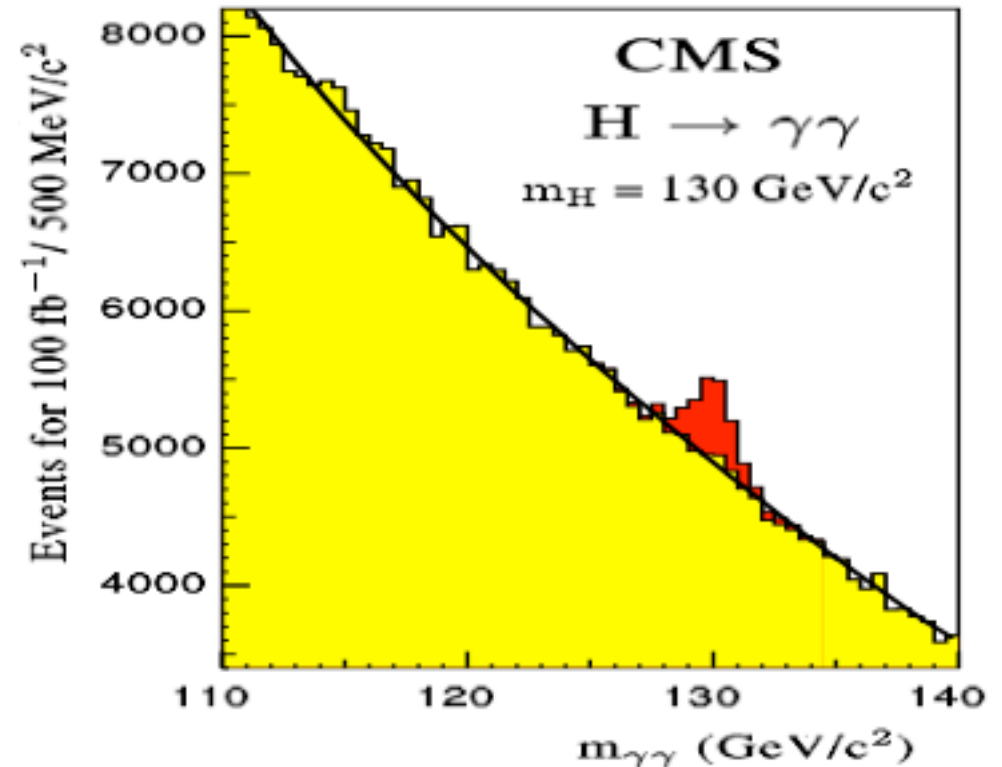
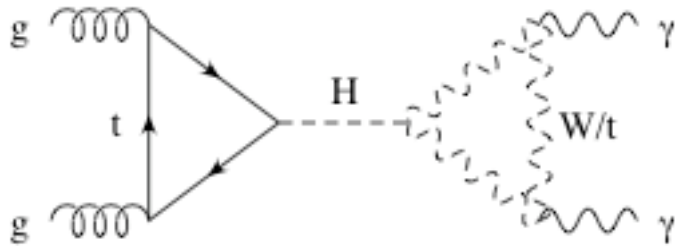


total width



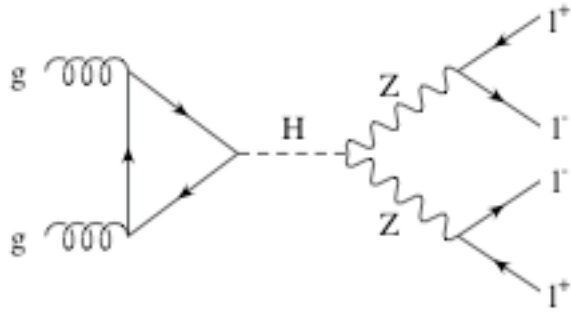
branching fractions

INCLUSIVE SEARCHES: $H \rightarrow \gamma\gamma$

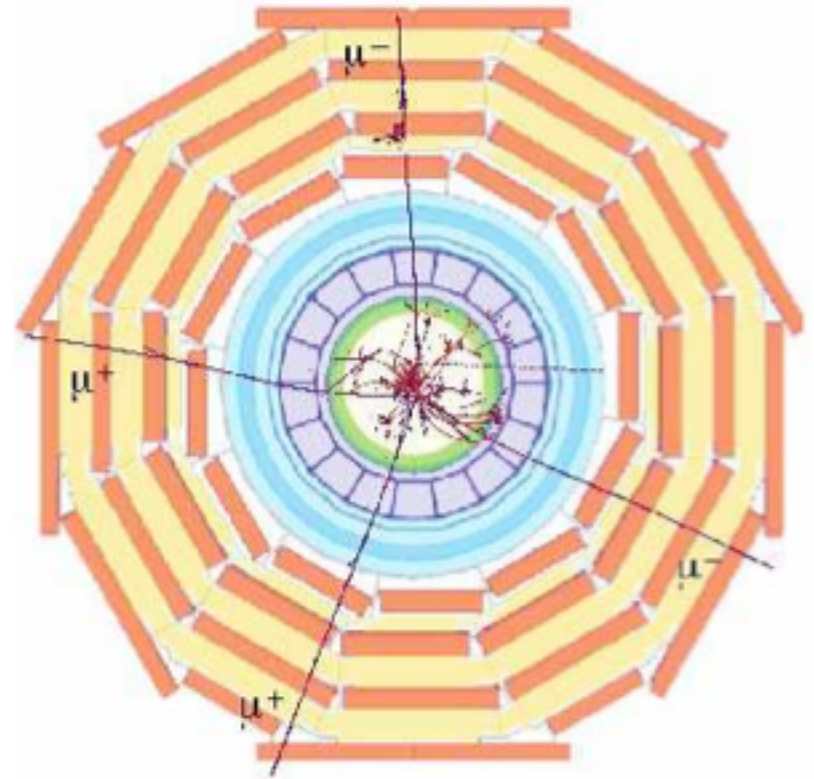


- Small BR: $\approx 10^{-3}$
- Large **backgrounds** from $pp \rightarrow \gamma\gamma$
- CMS and ATLAS have very good **photon-energy** resolution: $\mathcal{O}(1\%)$
- Search for a narrow $\gamma\gamma$ invariant mass peak, with $m_H < 150 \text{ GeV}$
- Background** is smooth: extrapolate it into the **signal** region from the **sidebands**

INCLUSIVE SEARCHES: $H \rightarrow ZZ \rightarrow l^+l^-l^+l^-$

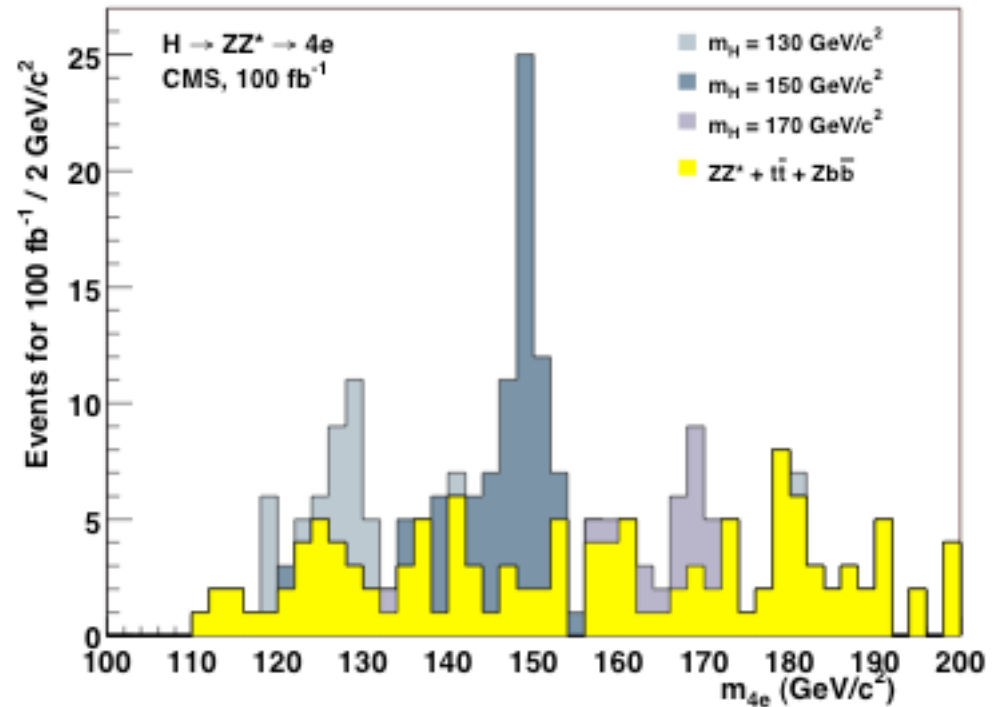
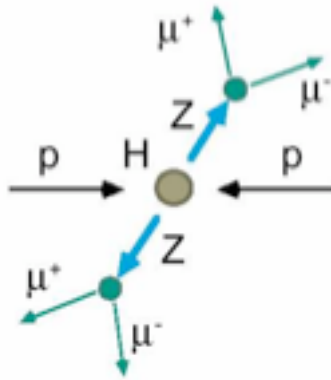


- **Gold-plated** mode: cleanest mode for $2m_Z < m_H < 600 \text{ GeV}$
- Smooth, irreducible background from $pp \rightarrow ZZ$
- Small BR: $BR(H \rightarrow ZZ)$ is a few % at threshold



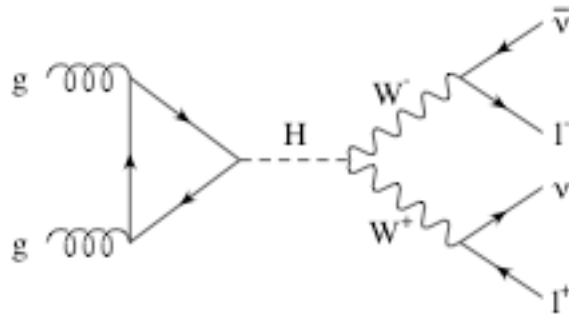
INCLUSIVE SEARCHES: $H \rightarrow ZZ \rightarrow l^+l^-l^+l^-$

- Fully reconstructed invariant mass of the leptons

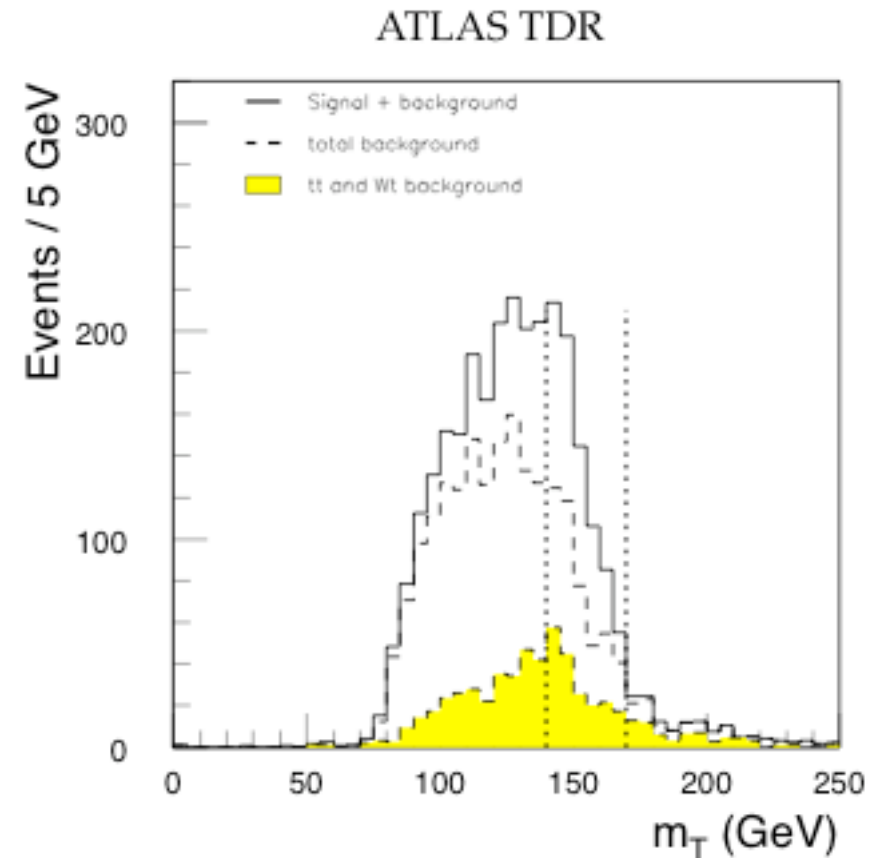


- Silver-plated mode $H \rightarrow ZZ \rightarrow l^+l^- \nu\bar{\nu}$
useful for $m_H \approx 0.8 - 1 \text{ TeV}$

INCLUSIVE SEARCHES: $H \rightarrow WW \rightarrow l^+ \nu l^- \bar{\nu}$



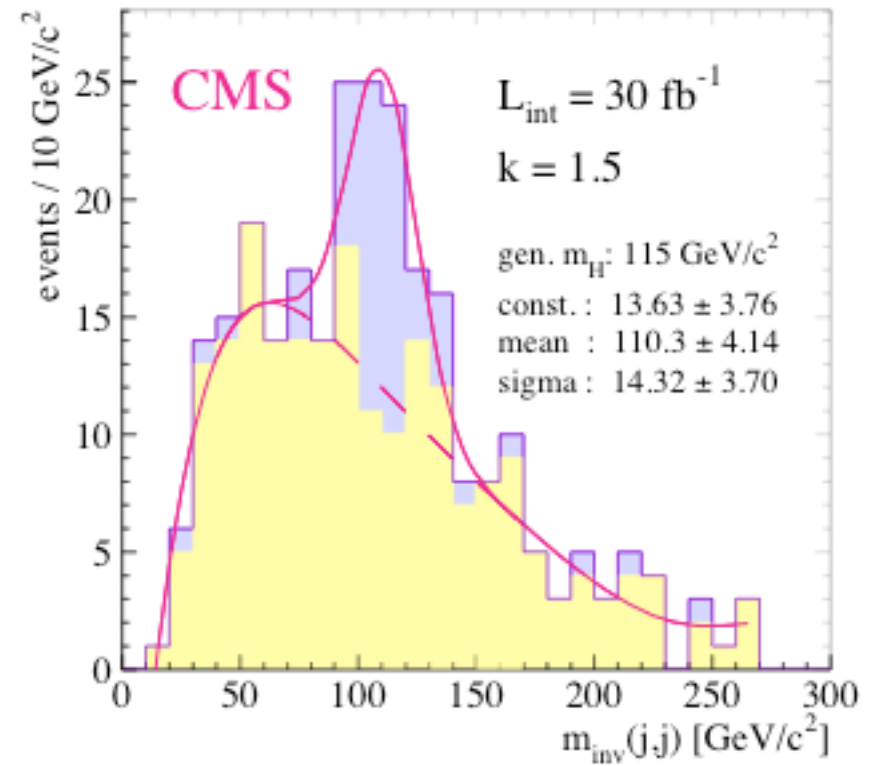
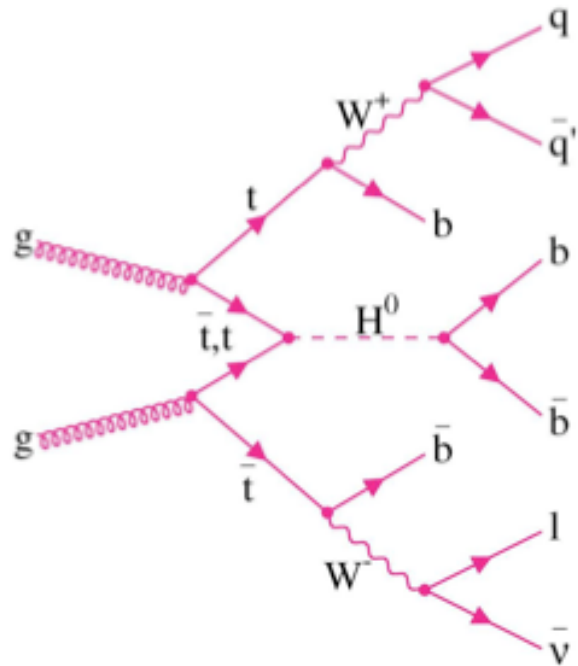
- Exploit $l^+ l^-$ angular correlations
- **Signal** and **background** have similar shapes: must know background normalisation well



$$m_H = 170 \text{ GeV}$$

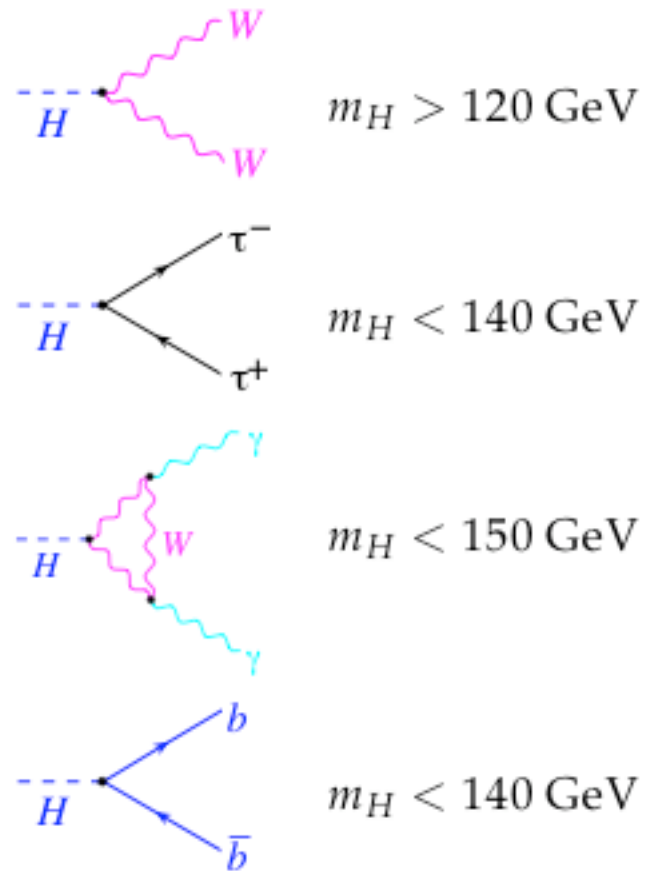
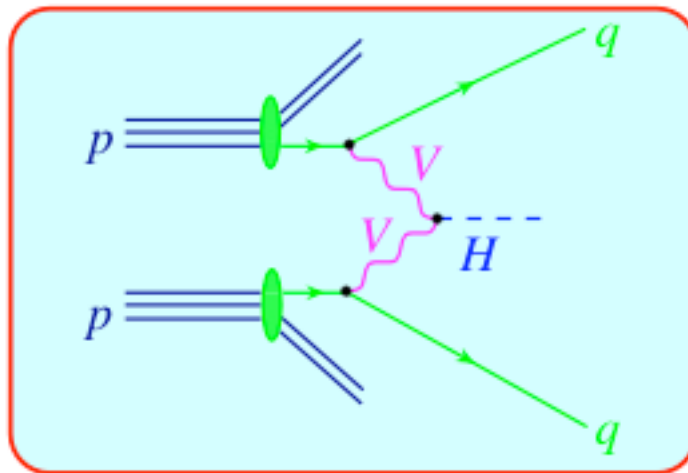
integrated luminosity: 20 fb^{-1}

ASSOCIATED PRODUCTION: $Ht\bar{t} \rightarrow t\bar{t}b\bar{b}$



- Search channel for $m_H = 120 - 130 \text{ GeV}$
- Measure $h_t^2 \text{BR}(H \rightarrow b\bar{b})$ with $h_t = Ht\bar{t}$ Yukawa coupling
- must know background normalisation well

WEAK BOSON FUSION: $qq \rightarrow qqH$

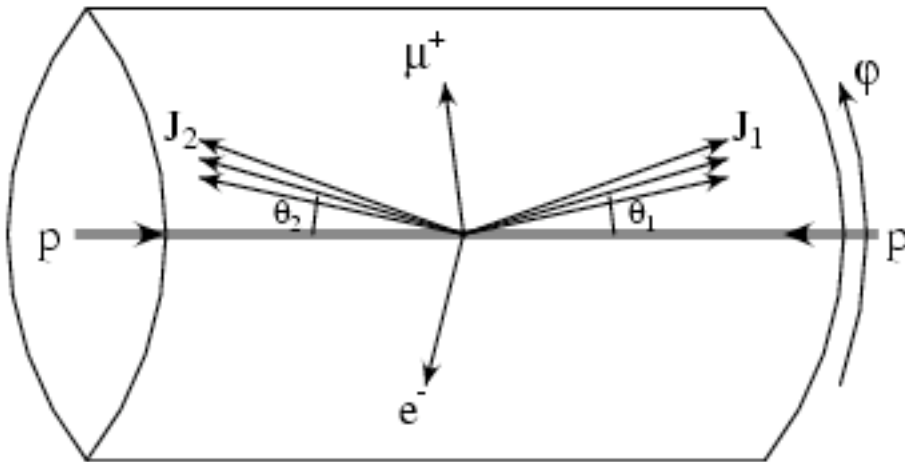


WBF can be measured with good statistical accuracy:

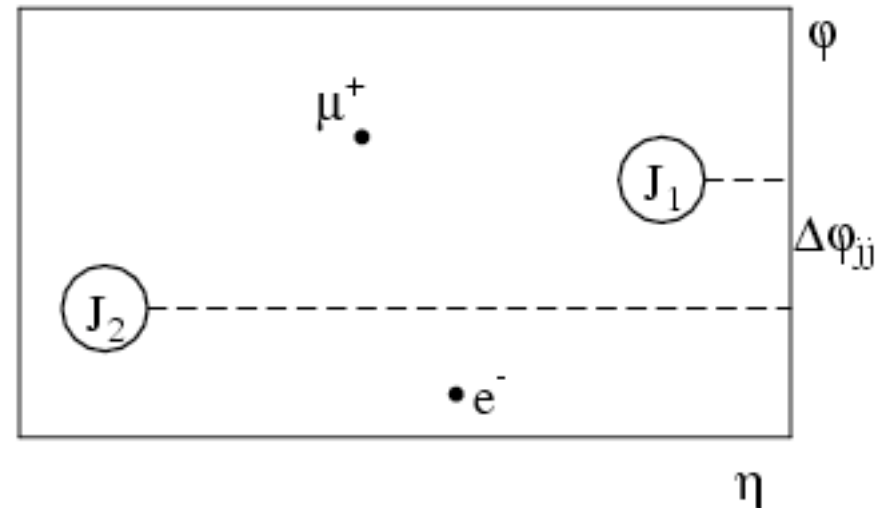
$$\sigma \times \text{BR} \approx \mathcal{O}(10\%)$$

WEAK BOSON FUSION

A WBF event



Lego plot

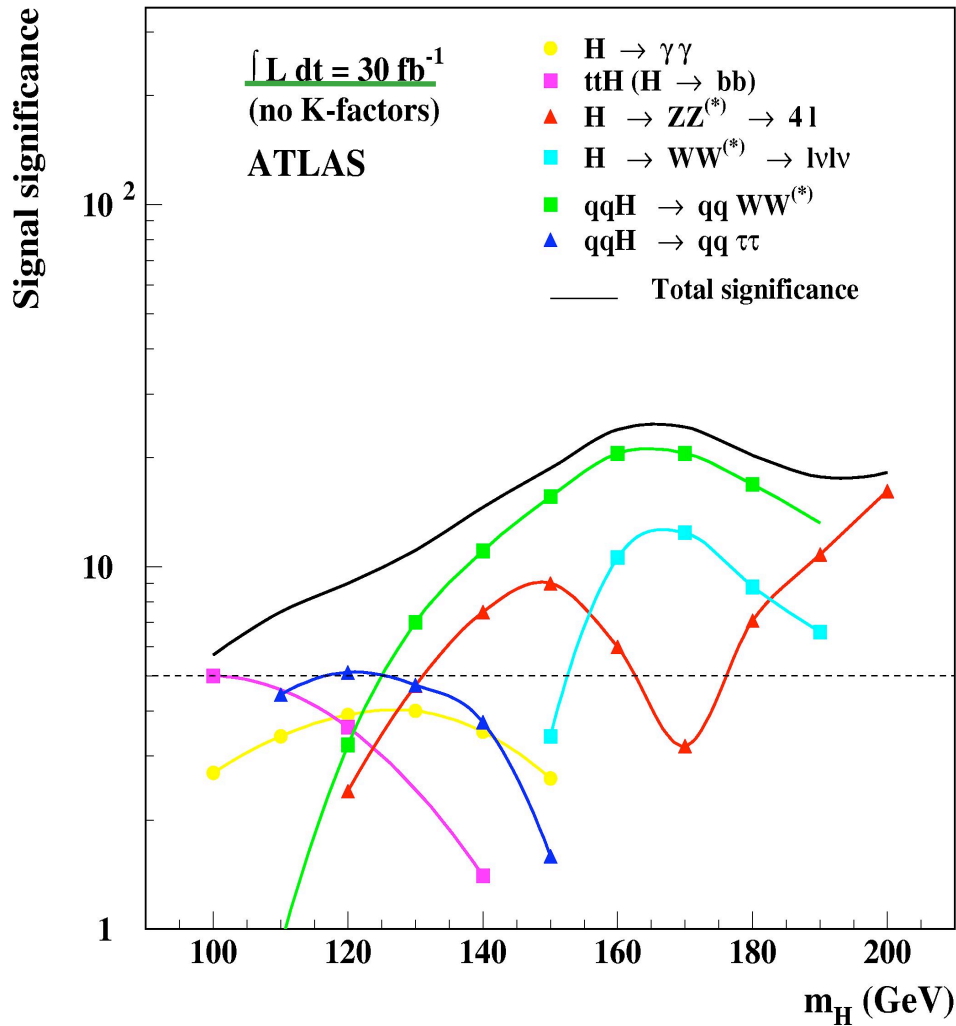


$$\eta = \frac{1}{2} \ln \frac{1 + \cos \theta}{1 - \cos \theta}$$

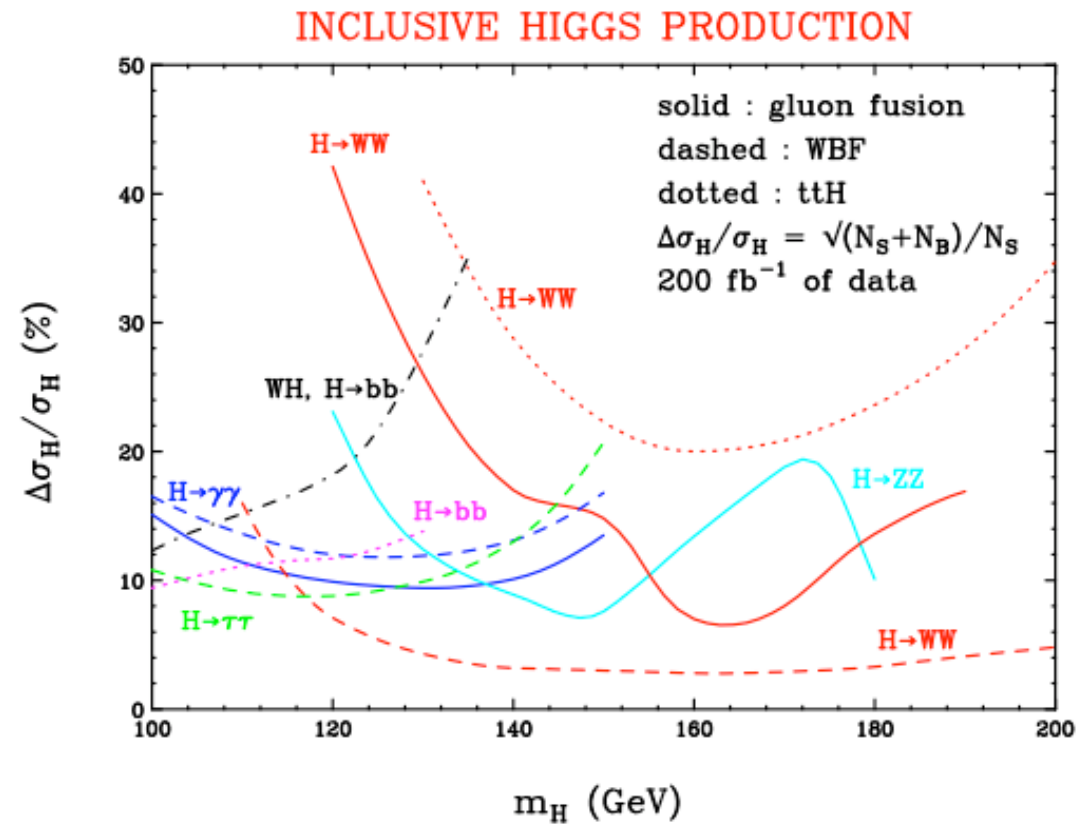
WBF features

- energetic jets in the forward and backward directions
- Higgs decay products between the tagging jets
- sparse gluon radiation in the central-rapidity region, due to colourless W/Z exchange
- NLO corrections increase the WBF production rate by about 10%, and thus are small and under control

SIGNAL SIGNIFICANCE AND (STAT + SYST) ERROR



Statistical significance:
$$\frac{N_S}{\sqrt{N_S + N_B}}$$



hep-ph/0203187

QCD/p.d.f. uncertainties:

$\mathcal{O}(5\%)$ for WBF

$\mathcal{O}(20\%)$ for gluon fusion

luminosity uncertainties: $\mathcal{O}(5\%)$

HIGGS COUPLINGS AND QUANTUM NUMBERS

The properties of the Higgs-like resonance are its

- couplings: gauge, Yukawa, self-couplings
- quantum numbers: charge, colour, spin, CP

Duehrssen et al.'s analysis [hep-ph/0406323](#)

- use narrow-width approx for Γ (fine for $m_H < 200$ GeV)
- production rate with H decaying to final state xx is

$$\sigma(H) \times \text{BR}(H \rightarrow xx) = \frac{\sigma(H)^{\text{SM}}}{\Gamma_p^{\text{SM}}} \frac{\Gamma_p \Gamma_x}{\Gamma}$$

branching ratio for the decay is $\text{BR}(H \rightarrow xx) = \frac{\Gamma_x}{\Gamma}$

observed rate determines $\frac{\Gamma_p \Gamma_x}{\Gamma}$

WBF and gluon-fusion rates yield measurements of combinations of partial widths

$$\frac{\Gamma_W \Gamma_\gamma}{\Gamma} \quad \text{from} \quad qq \rightarrow qqH, H \rightarrow \gamma\gamma$$

$$\frac{\Gamma_W \Gamma_\tau}{\Gamma} \quad \text{from} \quad qq \rightarrow qqH, H \rightarrow \tau\tau$$

$$\frac{\Gamma_W^2}{\Gamma} \quad \text{from} \quad qq \rightarrow qqH, H \rightarrow WW^*$$

$$\frac{\Gamma_g \Gamma_\gamma}{\Gamma} \quad \text{from} \quad gg \rightarrow H \rightarrow \gamma\gamma$$

$$\frac{\Gamma_g \Gamma_Z}{\Gamma} \quad \text{from} \quad gg \rightarrow H \rightarrow ZZ^*$$

$$\frac{\Gamma_g \Gamma_W}{\Gamma} \quad \text{from} \quad gg \rightarrow H \rightarrow WW^*$$

Note that Γ can be estimated:

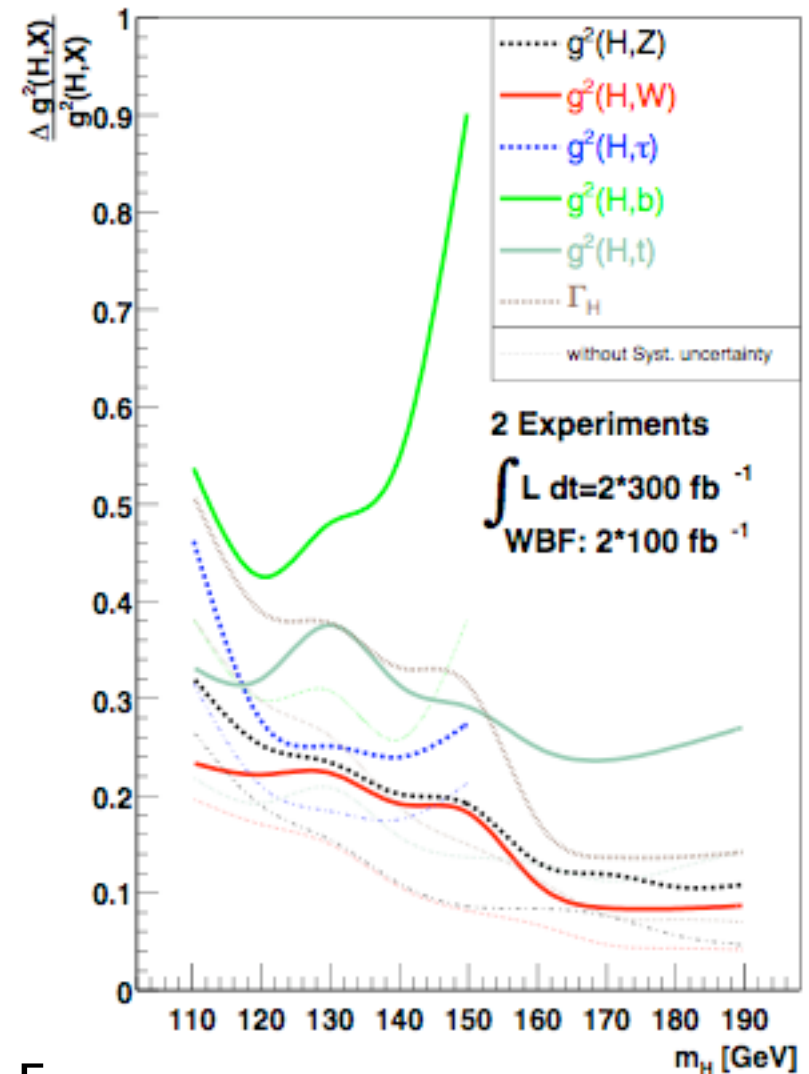
direct observation of H yields lower bound on Γ

assume $\Gamma_V \leq \Gamma_V^{\text{SM}} \quad V = W, Z$

(true in any model with arbitrary # of Higgs doublets \Rightarrow true in MSSM)

combine $\Gamma_V \leq \Gamma_V^{\text{SM}}$ with measure of Γ_V^2/Γ from $H \rightarrow VV$

obtain upper bound on Γ



CONCLUSIONS

- The Higgs is the missing link of the Standard Model
- If a Standard Model Higgs is there, LHC will see it with 5 fb^{-1}
- LHC will begin operations in about a year
- It is going to be the most complex scientific undertaking ever