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The striking(1) success of the  $\triangle T = 1/2$  rule in explai ning the experimental branching ratios in  $\Lambda$  - decay and in Ko decay and in giving a consistent explanation of the data for  $\geq$  -decay and for  $\sim$  -decay has led to the gene ral belief that this rule may correspond to a fundamental symmetry property of weak interactions. It is well-known (2) that the  $\Delta T = 1/2$  rule can be embodied in the theory of weak interactions if one introduces weak neutral currents besides charged currents - provided there is no coupling of the strangeness non-conserving neutral current to the leptons. In the intermediary meson theory of weak interac tions such currents are coupled to hypothetical spin-one bosons. Lee and Yang (3) assume a minimal set of such bosons, leading to four particles W+ Wo, WoW-, of isospin 1/2 coupled in a charge-independent way to the strangeness non-con serving currents. The set  $W^+, -(1/\sqrt{2})$  ( $W^{\circ} + \overline{W}^{\circ}$ ),  $W^{\bullet}$  of iso spin 1 is similary coupled in a charge - independent way to the strangeness - conserving corrents.

We shall calculate here the cross-section for the process

where xo is a neutral vector meson.

If one adopts the Lee-Yang suggestion, X is to be identified with  $-(1/\sqrt{2})$  (W° + W°), and is coupled in a charge-independent way to pairs of nucleons. This allows one to determine the strength of its coupling from the strength of the coupling of the charged W.

In the first perturbation approximations the diagrams for

$$\frac{\ }{\ }\ +\ p \longrightarrow X + p$$
 are (fig. (1) )



FIG. 1

We have assumed the Lagrangians  $-ie \mathcal{F} \mathcal{S}_M \mathcal{F} \mathcal{A}_M \text{ for the electromagnetic vertex, and } ig \mathcal{F} \mathcal{S}_A (I + a \xi_s) \mathcal{F}_A \text{ for the other vertex}$  with  $(3^2/M_{\chi}^2) = 10^{-5}$ 

Assuming charge independence, from the rate of axial and vector coupling of beta decay 'a' is about 1,21.

The result, averaged on the polarization of the initial particles and summed on the polarization of the final one is, in the center of mass.

$$\frac{d6}{d\Omega} = \left(\frac{e^{2}}{4\pi}\right) \left(\frac{g^{2}}{M_{X}^{2}}\right) \left(\frac{1}{16\pi}\right) \frac{M_{X}^{2} k_{p}!}{\omega_{p} \omega_{k} (\omega_{p} + \omega_{k})}$$

$$\left\{ \left(2M^{4} + M^{2}M_{X}^{2}\right) \left[\frac{1}{(px)} - \frac{1}{(p'k)}\right]^{2} + \frac{2M^{2}M_{X}^{2} + M_{X}^{4}}{(pk)(p'k)} + 2\left[\frac{(pk)}{(p'k)} + \frac{(p'k)}{(pk)}\right]^{2} + \frac{2M^{2}M_{X}^{2} + M_{X}^{4}}{(pk)(p'k)} \left[\frac{1}{(pk)} - \frac{1}{(p'k)}\right]^{2} + \frac{4M^{2}M_{X}^{2}}{(pk)(p'k)} - 2\left[\frac{1}{(p'k)} + \frac{(p'k)}{(pk)}\right]^{2} - \left(8M^{2} 2M_{X}^{2}\right) \left[\frac{1}{(pk)} - \frac{1}{(p'k)}\right]^{2} - \frac{4M^{2} [(pk) - (p'k)]^{2}}{(pk)(p'k)} \right\}$$

The meaning of the symbols in the (2) is:

 $\mathbf{M}_{\mathbf{X}}$  mass of the vector meson

M nucleons mass

wp initial nucleon's energy

al photon's energy

-p initial nucleon's four-momentum

p' final nucleon's four-momentum

K photon's four-momentum

 $K_{p}^{\, \imath}$  space-momentum of the vector meson

Integrating in  $d\mathcal{L}$  we have obtained the total cross section in the center of mass.

$$\delta = \left(\frac{e^{2}}{4\pi}\right)\left(\frac{g^{2}}{M_{x}^{2}}\right) \frac{M_{x}^{2} k_{p'}}{4\omega_{p}\omega_{k}(\omega_{p}+\omega_{k})}$$

$$\left\{\left[\left(\frac{2M^{4}+M^{2}M_{x}^{2}}{M_{x}^{2}}\right)-a^{2}\left(\frac{4M^{4}-M^{2}M_{x}^{2}}{M_{x}^{2}}\right)^{\frac{1}{(pk)^{2}}}\right\} + \left\{\left[\frac{4M^{4}-M_{x}^{4}-2\left(pk\right)^{2}-4M^{2}\left(pk\right)+2\left(pk\right)^{2}-4M^{2}\left(pk\right)+2\left(pk\right)^{2}-4M^{2}\left(pk\right)+2\left(pk\right)^{2}+4M^{2}\left(pk\right)+2\left(pk\right)^{2}+4M^{2}\left(pk\right)+2\left(pk\right)^{2}+4M^{2}\left(pk\right)+2\left(pk\right)^{2}+4M^{2}\left($$

The following formules give the relations between the quantities in the center of mass frame and the photon's energy 'E' in the Laboratory.

$$\omega_{k} = \frac{ME}{V_{M^{2}+2ME}} \qquad \omega_{p} = \frac{M(M+E)}{V_{M^{2}+2ME}} \qquad (\omega_{p} + \omega_{k} = V_{M^{2}+2ME})$$

$$K_{p} = \frac{[(2ME - M_{x}^{2})^{2} - I_{1}M_{x}^{2}M_{x}^{2}]^{\frac{1}{2}}}{2V_{M^{2}+1ME}} \qquad \omega_{p} = V_{M^{2}+K_{p}^{2}}, \quad (pK) = -ME$$

In fig. (2) we give the plot of the total cross-section versus  $^{\dagger}E^{\dagger}$ , for different values of schizon's mass using a  $^{\dagger}H_{2}$  target.

## Bibliography

- (1) See for instance the report by M. Schwartz at the Rochester, Conference 1960 (Proceedings of the 1960 annual International Conference on high energy physics of Rochester pag. 727).
- (2) See, for instance, R. Gatto, Lectures at the International School of Physics, Varenna 1958, in Supplemento al Nuovo Cimento, 14, 340, 1959.
- (3) Lee and Yang Phys. Rev. 119, 1410 (1960)
- (4) Pais Piccioni Phys. 100, 1487 (1955)

