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Dark Matter Particles

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DARK MATTER PARTICLES

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The baryonic and cold dark matter are reviewed in the context of cosmological models. The theoretical search for the particle candidates is limited by supersymmetric extension of the Standard Model. Generically in such models there are just two candidates associated with each other: generalized neutralino, which components are usual neutralino and axino, and axion which is a partner of axino in supermultiplet. The status of these particles as DM candidates is described.

1 Introduction

Presence of dark matter (DM) in the Universe is reliably established. DM in the form of compact microlensing objects (machos) are directly observed in the halo of our Galaxy by MACHO, EROS and OGLE collaborations. Rotation curves in our Galaxy and in many other galaxies provide evidence for large halos filled by nonluminous matter. The virial (gravitational) mass of clusters of galaxies is about ten times larger than their luminous masses. IRAS and POTENT demonstrate the presence of DM on the largest scale in the Universe.

The matter density in the Universe ρ is usually parametrized in terms of $\Omega = \rho/\rho_c$, where $\rho_c \approx 1.88 \cdot 10^{-29} h^2 \text{ g/cm}^3$ is the critical density and h is the dimensionless Hubble constant defined as $h = H_0/(100 \text{ km.s}^{-1} \cdot \text{Mpc}^{-1})$. Different measurements suggest generally $0.4 \leq h \leq 1$. The recent measurements of extragalactic Cepheids in Virgo and Coma clusters narrowed this interval to $0.6 \leq h \leq 0.9$. However, one should be cautious about the accuracy of this interval due to uncertainties involved in these difficult measurements.

Dark Matter can be subdivided in baryonic DM, hot DM (HDM) and cold DM (CDM).

The density of baryonic matter found from nucleosynthesis is given¹ as $0.009 \leq \Omega_b h^2 \leq 0.02$. The baryonic cosmological density provided by the mass of intracluster gas is very close to this value, $\Omega_b^{clust} h^{3/2} \approx 0.05^2$ and references therein.

The structure formation in Universe put strong restrictions to the properties of DM in Universe. Universe with HDM plus baryonic DM has a wrong prediction for the spectrum of fluctuations as compared with measurements of COBE, IRAS and CfA. CDM plus baryonic matter can explain the spectrum of fluctuations if total density $\Omega_0 \approx 0.3$.

There is one more form of energy density in the Universe, namely the vacuum energy described by the cosmological constant Λ . The corresponding energy density is given by $\Omega_\Lambda = \Lambda/(3H_0^2)$. Quasar lensing restricts the vacuum energy density: in terms of Ω_Λ it is less than 0.7³.

Contribution of galactic halos to the total density is estimated as $\Omega \sim 0.03 - 0.1$ and clusters give $\Omega \approx 0.3$. Inspired mostly by theoretical motivation (horizon problem, flatness problem and the beauty of the inflationary scenarios) $\Omega_0 = 1$ is usually assumed. This value is supported by IRAS data and POTENT analysis. No observational data significantly contradict this value.

There are several cosmological models based on the four types of DM described above (baryonic DM, HDM, CDM and vacuum energy). These models predict different spectra of fluctuations to be compared with data of COBE, IRAS, CfA etc. They also produce different effects for cluster-cluster correlations, velocity dispersion etc. The simplest and most attractive model for a correct description of all these phenomena is the so-called mixed model or cold-hot dark matter model (CHDM). This model is characterized by following parameters:

$$\begin{aligned}\Omega_\Lambda &= 0, \Omega_0 = \Omega_b + \Omega_{CDM} + \Omega_{HDM} = 1, \\ H_0 &\approx 50 \text{ kms}^{-1} \text{ Mpc}^{-1} (h \approx 0.5), \\ \Omega_{CDM} : \Omega_{HDM} : \Omega_b &\approx 0.75 : 0.20 : 0.05,\end{aligned}\tag{1}$$

Thus in the CHDM model the central value for the CDM density is given by $\Omega_{CDM} h^2 = 0.19$, with uncertainties within 0.1.

The best candidate for the HDM particle is τ -neutrino. In the CHDM model with $\Omega_\nu = 0.2$ mass of τ neutrino is $m_{\nu_\tau} \approx 4.7 \text{ eV}$. This component will not be discussed further.

The most plausible candidate for the CDM particle is probably the neutralino (χ): it is massive, stable (when the neutralino is the lightest supersymmetric particle and if R-parity is conserved) and the $\chi\chi$ -annihilation cross-section results in $\Omega_\chi h^2 \sim 0.2$ in large areas of the neutralino parameter space.

In the light of recent measurements of the Hubble constant the CHDM model faces the *age problem*. The lower limit on the age of Universe $t_0 > 13 \text{ Gyr}$ (age of globular clusters) imposes the upper limit on the Hubble constant in the CHDM model $H_0 < 50 \text{ kms}^{-1} \text{ Mpc}^{-1}$. This value is in slight contradiction with the recent observations of extragalactic Cepheids, which can be summarized as $H_0 > 60 \text{ kms}^{-1} \text{ Mpc}^{-1}$. However, it is too early to speak about a serious conflict taking into account the many uncertainties and the physical possibilities (e.g. the Universe can be locally overdense - see the discussion in ref.⁴).

The age problem, if to take it seriously, can be solved with help of another successful cosmological model Λ CDM. This model assumes that $\Omega_0 = 1$ is provided by the vacuum energy described by cosmological constant Λ and CDM. Using the limit on cosmological constant $\Omega_\Lambda < 0.7$ and the age of Universe one obtains $\Omega_{CDM} \geq 0.3$ and $h < 0.7$. Thus this model also predicts $\Omega_{CDM}h^2 \approx 0.15$ with uncertainties 0.1. Finally, we shall mention that the CDM with $\Omega_0 = \Omega_{CDM} = 0.3$ and $h = 0.8$, which fits the observational data, also gives $\Omega h^2 \approx 0.2$. Therefore $\Omega h^2 \approx 0.2 \pm 0.1$ can be considered as the value common for most models⁵.

We shall analyze here the candidates for CDM which naturally arise from elementary particle physics. The best known solution for strong CP violation implies *axion*, which can serve as CDM particle. The supersymmetrization of the theory, which includes axion, results in *generalized neutralino* – a linear combination of five neutral spin 1/2 particles (wino, bino, two higgsinos and *axino*, the fermionic partner of axion). This generalized neutralino is most natural candidate for CDM particle. And finally some attention will be given to the baryonic DM in connection with observations of machos.

2 Machos and Baryonic Dark Matter

The total number of microlensing events observed in the halo during last two years reached 10. Eight of them are observed by MACHO collaboration⁶ and two – by EROS. The duration of lensing effect is determined by the lens mass. The distribution of observed durations yields the macho mass as⁶ $M = 0.46_{-0.17}^{+0.30} M_\odot$. However, this value is model dependent. The most likely halo fraction of machos is⁶ $f = 0.50_{-0.20}^{+0.30}$. The important result is observation⁷ of 45 microlensing events in Galactic bulge. For a given rotation curve the heavy bulge implies the lighter halo and thus the *fraction* of machos increases for a given number of observed events.

The machos with these masses should be interpreted as white dwarfs. However, to escape from the Hubble Deep Field Search these objects must be very faint, two magnitudes fainter than the disc white dwarf sequence⁸.

The DM in the halo of our Galaxy is found and most probably it is baryonic. Could be all DM in the Universe only baryonic? This question is often asked nowadays (e.g. see⁹).

Let us discuss shortly the problems arising in the baryonic-dominated Universe.

Nucleosynthesis requires $\Omega_B^{nuc} \leq 0.02h^{-2}$. On the other hand the clusters provide $\Omega_{DM}^{cl} \geq 0.2$. Therefore, the baryonic density is small ($\Omega_B^{nuc} < \Omega_{DM}^{cl}$), unless $h < 0.3$, which contradicts recent observations. If one arbitrary neglects

this contradiction, the baryonic dominated Universe with $\Omega_B = \Omega_{DM}^d \approx 0.2$ can be considered. Apart from IRAS data and POTENT analysis which give $\Omega \approx 1$, such model faces serious cosmological problems, including the horizon and flatness problem and observed spectrum of fluctuations, which is impossible to explain without CDM and HDM. Probably, these problems could be solved in some artificial models with Λ term and vacuum defects (e.g. strings), but at present the corresponding calculations do not exist.

As was mentioned above, the baryonic nature of machos have (or can have) the problems. An interesting idea about the nature of machos was recently put forward in ref.¹⁰. These objects could be the neutralino stars, the formations produced by neutralinos and baryons around singularities¹¹ in the distribution of neutralino gas. The neutralino stars are produced naturally and they do not meet any problems connected with the Hubble telescope observations. Unfortunately, as was demonstrated in ref.¹² these objects produce too high gamma-ray flux due to annihilation of neutralinos.

3 Axion

The axion is generically a light pseudoscalar particle which gives natural and beautiful solution to the CP violation in the strong interaction¹³ (for a review and references see¹⁴). Spontaneous breaking of the PQ-symmetry due to VEV of the scalar field $\langle \phi \rangle = f_{PQ}$ results in the production of massless Goldstone boson. Though f_{PQ} is a free parameter, in practical applications it is assumed to be large, $f_{PQ} \sim 10^{10} - 10^{12} \text{ GeV}$ and therefore the PQ-phase transition occurs in very early Universe. At low temperature $T \sim \Lambda_{QCD} \sim 0.1 \text{ GeV}$ the chiral anomaly of QCD induces the mass of the Goldstone boson $m_a \sim \Lambda_{QCD}^2 / f_{PQ}$. This massive Goldstone particle is the *axion*. The interaction of axion is basically determined by the Yukawa interactions of field(s) ϕ with fermions. Triangular anomaly, which provides the axion mass, results in the coupling of the axion with two photons. Thus, the basic for cosmology and astrophysics axion interactions are those with nucleons, electrons and photons.

Numerically, axion mass is given by

$$m_a = 1.9 \cdot 10^{-3} (N/3) (10^{10} \text{ GeV} / f_{PQ}) \text{ eV}, \quad (2)$$

where N is a color anomaly (number of quark doublets).

All coupling constants of the axion are inversely proportional to f_{PQ} and thus are determined by the axion mass. Therefore, the upper limits on emission of axions by stars result in upper limits for the axion mass. In Table 1 we cite the upper limits on axion mass from ref.¹⁴, compared with revised limits, given recently by Raffelt¹⁵.

Table 1: Astrophysical upper limits on axion mass

	1990 ¹⁴	1996 ¹⁵
sun	1 eV	1 eV
red giants	$1 \cdot 10^{-2}$ eV	very uncertain
hor.-branch stars	not considered	0.4 eV
SN 1987A	$1 \cdot 10^{-3}$ eV	$1 \cdot 10^{-2}$ eV

As one can see from the Table the strong upper limit, given in 1990 from red giants, is replaced by the weaker limit due to the horizontal-branch stars. The upper limit from SN 1987A was reconsidered taking into account the nucleon spin fluctuation in $N + N \rightarrow N + N + a$ axion emission.

There are three known mechanisms of *cosmological production* of axions. They are (i) thermal production, (ii) misalignment production and (iii) radiation from axionic strings.

The relic density of thermally produced axions is about the same as for light neutrinos and thus for the mass of axion $m_a \sim 10^{-2}$ eV this component is not important as DM.

The *misalignment production* is clearly explained in ref.¹⁴.

At very low temperature $T \ll \Lambda_{QCD}$ the massive axion provides the minimum of the potential at value $\theta = 0$, which corresponds to conservation of CP. At very high temperatures $T \gg \Lambda_{QCD}$ the axion is massless and the potential does not depend on θ . At these temperatures there is no reason for θ to be zero: its values are different in various casually disconnected regions of the Universe. When $T \rightarrow \Lambda_{QCD}$ the system tends to go to potential minimum (at $\theta = 0$) and as a result oscillates around this position. The energy of these coherent oscillations is the axion energy density in the Universe. From cosmological point of view axions in this regime are equivalent to CDM. The energy density of this component is approximately^{14,16}

$$\Omega_a h^2 \approx 2 \cdot (m_a / 10^{-5} \text{ eV})^{-1.18}. \quad (3)$$

Uncertainties of the calculations can be estimated as $10^{\pm 0.5}$.

Axions can be also produced by radiation of *axionic strings*^{14,17}. Axionic string is a one-dimension vacuum defect $\langle \phi_{PQ} \rangle = 0$, i.e. a line of old vacuum embedded into the new one. The string network includes the long strings and closed loops which radiate axions due to oscillation. There were many uncertainties in the axion radiation by axionic strings (see ref.¹⁴ for a

review). Recently more detailed and accurate calculations were performed by Battye and Schellard¹⁷. They obtained for the density of axions

$$\Omega_a h^2 \approx A(m_a/10^{-5} \text{ eV})^{-1.18} \quad (4)$$

with A limited between 2.7 and 15.2 and with uncertainties of the order $10^{\pm 0.6}$. The overproduction condition $\Omega_a h^2 > 1$ imposes lower limit on axion mass $m_a > 2.3 \cdot 10^{-5} \text{ eV}$. Fig.1 shows the density of axions $\Omega_a h^2$ as a function

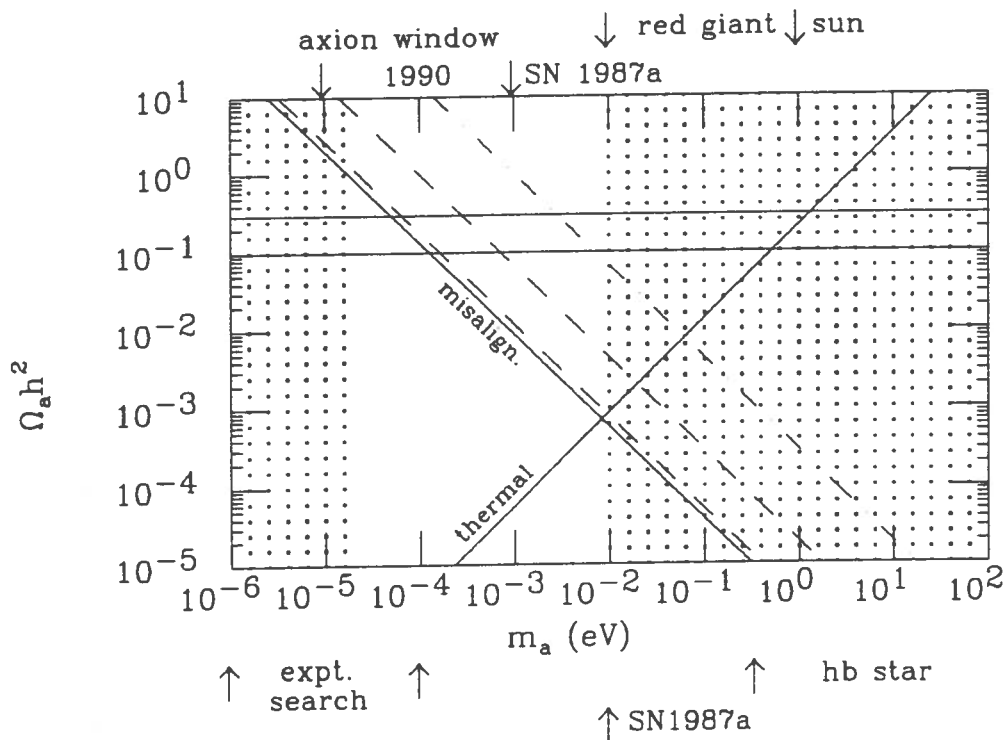


Figure 1: Axion window 1996. The curves "therm." and "misalign." describe the thermal and misalignment production of axions, respectively. The dash-dotted curve corresponds to the calculations by Davis¹⁹ for string production. The recent refined calculations¹⁷ are shown by two dashed lines for two extreme cases, respectively. The other explanations are given in the text.

of the axion mass m_a . The upper limits on axion mass from Table I are shown above the upper absciss (limits of 1990) and below lower absciss (limits of 1996). The overproduction region $\Omega_a h^2 > 1$ and the regions excluded by astrophysical observations¹⁵ are shown as the dotted areas.

The axion window of 1996 (shown as undotted region) became wider and moved to the right as compared with window 1990. The horizontal strip shows

$\Omega_{CDM} = 0.2 \pm 0.1$ as it was discussed in Introduction. One can see from Fig.1 that string and misalignment mechanisms provide the axion density as required by cosmological CDM model, if axion mass is limited between $7 \cdot 10^{-5}$ eV and $7 \cdot 10^{-4}$ eV. However, in the light of uncertainties, mostly in the calculations of axion production, one can expect that this "best calculated" window is between $3 \cdot 10^{-5}$ and 10^{-3} eV. This region is partly overlapped with a possible direct search for the axion in nearest-future experiments (see Fig.1 and refs.¹⁸).

4 Generalized neutralino

We shall consider now the supersymmetric theories where strong CP-violation is suppressed by PQ-symmetry (note, however, that in supersymmetric theories the new mechanisms for suppression of CP violation might appear, see e.g. ²⁰). In supersymmetric theory the PQ symmetry breaking results in the production of the Goldstone chiral supermultiplet which contains two scalar fields and their fermionic partner – axino (\tilde{a}). The scalar fields enter the supermultiplet in the combination $(f_{PQ} + s) \exp(a/f_{PQ})$, where s is a scalar field, saxino, which describes the oscillations of the initial field ϕ around its VEV value $\langle \phi \rangle = f_{PQ}$, and a is the axion field. This phase transition in the Universe occurs at temperature $T \sim f_{PQ}$. As we saw in the previous section the axion is massless at this temperature and since supersymmetry is not broken yet, the axino and saxino are massless, too. The axion acquires the mass in the usual way due to chiral anomaly at $T \sim \Lambda_{QCD}$, while saxino and axino obtain the masses due to global supersymmetry breaking.

The saxino is not of great interest for cosmology: it is heavy and it decays fast (mostly into two gluons).

In the Minimal Supersymmetric Standard Model (MSSM) with broken PQ symmetry we have five spin 1/2 neutral particles: wino \tilde{W}_3 , bino \tilde{B} , two Higgsinos (\tilde{H}_1 and \tilde{H}_2) and axino \tilde{a} . Generically the Lightest Supersymmetric Particle (LSP) is a linear superposition of these 5 fields:

$$\tilde{\chi} = C_1 \tilde{W}_3 + C_2 \tilde{B} + C_3 \tilde{H}_1 + C_4 \tilde{H}_2 + C_5 \tilde{a} \quad (5)$$

Further on we shall consider two extreme cases: generalized neutralino $\tilde{\chi}$ is strongly dominated by the axino state and it is dominated by the first four terms in eq.(5). In the former case LSP is almost pure axino, in the latter – the usual neutralino.

5 Axino

How heavy the axino can be? The mass of axino is very model dependent. In the phenomenological approach, using the global supersymmetry breaking parameter M_{SUSY} one typically obtains (e.g. ^{21,22})

$$m_{\tilde{a}} \sim M_{SUSY}^2 / f_{PQ} \quad (6)$$

For example, if global SUSY breaking occurs due to VEV of auxiliary field of the goldstino supermultiplet $\langle F \rangle = F_g$, then the axino mass appears due to interaction term $(g/f_{PQ})\tilde{a}\tilde{a}F$ (F has a dimension M^2), and using $\langle F \rangle = F_g = M_{SUSY}^2$ one arrives at the value (6).

The situation is different in supergravity. In ref.²³ the general analysis of the axino mass is given in the framework of local supersymmetry. It was found that generically the mass of axino in these theories is $m_{\tilde{a}} \sim m_{3/2} \sim 100 \text{ GeV}$. Even in case when axino mass is small at tree level, the radiative corrections raise this mass to the value $\sim m_{3/2}$. This result holds for the most general form of superpotential. The global SUSY result, $m_{\tilde{a}} \sim m_{3/2}^2 / f_{PQ}$, can be reproduced in the local SUSY only if one of the superpotential coupling constants is very small, $\lambda < 10^{-4}$, which implies fine-tuning. Thus, the axino is too heavy to be a CDM particle.

The only exceptional case was found by Goto and Yamaguchi²⁴. They demonstrated that in case of no-scale superpotential the axino mass vanishes and the radiative corrections in some specific models can result in the axino mass $10 - 100 \text{ keV}$, cosmologically interesting. This beautiful case gives essentially the main foundation for axino as CDM particle.

The cosmological production of axinos can occur through thermal production²⁶ or due to decays of the neutralinos^{25,26}. The axion chiral supermultiplet contains two particles which can be CDM particles, namely axion and axino. In this section we are interested in the case when axino gives the dominant contribution. In particular this can take place in the range $2 \cdot 10^9 \text{ GeV} < f_{PQ} < 2.7 \cdot 10^{10} \text{ GeV}$ where axions are cosmologically unimportant.

Since axino interacts with matter very weakly, the decoupling temperature for the thermal production is very high²⁶:

$$T_d \approx 10^9 \text{ GeV} (f_{PQ} / 10^{11} \text{ GeV}). \quad (7)$$

Therefore, axinos are produced thermally at the reheating phase after inflation. The relic concentration of axinos can be easily evaluated for the reheating

temperature T_R as

$$\Omega_{\tilde{a}} h^2 \approx 0.6 \frac{m_{\tilde{a}}}{100 \text{ keV}} \left(\frac{3 \cdot 10^{10} \text{ GeV}}{f_{PQ}} \right)^2 \frac{T_R}{10^9 \text{ GeV}} \quad (8)$$

Reheating temperature $T_R \leq 10^9 \text{ GeV}$ gives no problem with the gravitino production. The relic density (8) provides $\Omega_{CDM} h^2 \sim 0.2$ for a reasonable set of parameters $m_{\tilde{a}}$, f_{PQ} and T_R .

If the axino is LSP and the neutralino is the second lightest supersymmetric particle, the axinos can also be produced by neutralino decays^{25,26,27}. According to estimates of ref.²⁷ the axinos are produced due to $\chi \rightarrow \tilde{a} + \gamma$ decays at the epoch with red-shift $z_{dec} \sim 10^8$. Axinos are produced in these decays as ultrarelativistic particles and the free-streaming prevents the growth of fluctuations on the horizon scale and less. At red-shift $z_{nr} \sim 10^4$ axinos become non-relativistic due to adiabatic expansion (red shift). From this moment on the axinos behave as the usual CDM and the fluctuations on the scales $\lambda \geq (1 + z_{nr}) c t_{nr}$ (which correspond to a mass larger than $10^{15} M_{\odot}$) grow as in the case of standard CDM. For smaller scales the fluctuations, as was explained above, grow less than in CDM model. Therefore, as was observed in ref.²⁷, the axinos produced by neutralino decay behave like HDM. It means that axinos can provide generically both components, CDM and HDM, needed for description of observed spectrum of fluctuations.

Unfortunately stable axino is unobservable. In case of very weak R-parity violation, decay of axinos can produce a diffuse X-ray radiation, with practically no signature of the axino.

6 Neutralino

The generalized neutralino can be dominated by the first four terms in eq.(5)

$$\chi = C_1 \tilde{W}_3 + C_2 \tilde{B} + C_3 \tilde{H}_1 + C_4 \tilde{H}_2 \quad (9)$$

i.e. by usual neutralino.

The neutralino is a Majorana particle. With a unitary relation between the coefficients C_i the parameter space of neutralino states is described by three independent parameters, e.g. mass of wino M_2 , mixing parameter of two Higgsinos μ , and the ratio of two vacuum expectation values $\tan \beta = v_2/v_1$.

In literature one can find two extreme approaches describing the neutralino as a DM particle.

(i) *Phenomenological approach*. The allowed neutralino parameter space is restricted by the LEP and CDF data. In particular these data put a lower

limit to the neutralino mass, $m_\chi > 20$ GeV. In this approach only the usual GUT relation between gaugino masses, $M_1 : M_2 : M_3 = \alpha_1 : \alpha_2 : \alpha_3$, is used as an additional assumption, where α_i are the gauge coupling constants. All other SUSY masses which are needed for the calculations are treated as free parameters, limited from below by accelerator data.

One can find the relevant calculations within this approach in refs.^{28,29} and in the review³⁰ (see also the references therein). There are large areas in neutralino parameter space where the neutralino relic density satisfies $\Omega_{CDM}h^2 \approx 0.2 \pm 0.1$. This is especially true for heavy neutralinos with $m_\chi > 100 - 1000$ GeV, ref.³¹. In these areas there are good prospects for *indirect* detection of neutralinos, due to high energy neutrino radiation from Earth and Sun (see ^{32,33} and references therein) as well as due to production of antiprotons and positrons in our Galaxy. The *direct* detection of neutralinos is possible too, though in more restricted parameter space areas of light neutralinos (see review³⁰).

(ii) *Strongly constrained models*. This approach is based on the remarkable observation that in the minimal SUSY SU(5) model with fixed particle content, the three running coupling constants meet at one point corresponding to the GUT mass M_{GUT} . Because of the fixed particle content of the model, its predictions are rigid and they strongly restrict the neutralino parameter space. This is especially true for the limits due to proton decay $p \rightarrow K^+\nu$. As a result very little space is left for neutralino as DM particle. Normally neutralinos overclose the Universe ($\Omega_\chi > 1$). The relic density decreases to the allowed values in very restricted areas where $\chi\chi$ -annihilation is accidentally large (e.g. due to the Z^0 exchange term - see ref.³⁴). Thus, this approach looks rather pessimistic for neutralino as DM particle.

In several recent works³⁵⁻³⁹ less restricted SUSY models were considered with more optimistic conclusions about detection prospects.

(iii) *Relaxed restrictions*. In some recent works the restrictions described in (ii) are relaxed. In particular, in⁴⁰ the large number of models with relaxed conditions were analysed. It was found that for many models neutralino can be discovered in the direct and indirect detection experiments. In refs.^{41,5} the SUSY models only with basic restrictions were considered.

7 SUSY models with basic restrictions

Following refs.^{41,5} we shall consider here the restrictions to neutralino as DM particle, imposed by *basic* properties of SUSY theory. These restrictions are as follows:

(i) Radiative Electroweak Symmetry Breaking (EWSB), which is considered

as fundamental element of the analysis, (ii) No fine-tuning stronger than 1%, which is natural but very powerful requirement; it results in the upper limit to neutralino mass $m_\chi < 200 \text{ GeV}$, (iii) Restrictions from Renormalization Group Equations (RGE) and from particle phenomenology (accelerator limits on the calculated masses and the condition that neutralino is LSP), (iv) Limits from $b \rightarrow s\gamma$ decay taken with the uncertainties in the calculations of the decay rate and (v) $0.01 < \Omega_\chi h^2 < 1$ as the allowed relic density for neutralinos.

At the same time some restrictions are lifted as being too model-dependent: (i) No restrictions are imposed due to $p \rightarrow K\nu$ decay, (ii) Unification of coupling constants at the GUT point is allowed to be not exact (it is assumed that new very heavy particles can restore the unification), (iii) unification in the soft breaking terms is relaxed. Following ref.⁴² it is assumed that masses of Higgses at the GUT scale can deviate from the universal value m_0 as

$$m_{H_i}^2(GUT) = m_0^2(1 + \delta_i) \quad (i = 1, 2). \quad (10)$$

This non-universality affects rather strongly the properties of neutralino as DM particle: the allowed parameter space regions become larger and neutralino is allowed to be Higgsino-dominated, which is favorable for detection.

Some results obtained in ref.^{41,5} are illustrated by Figs. 2 - 3.

In Fig.2 the regions excluded by the LEP and CDF data are shown by dots and labelled as LEP. The regions labelled "fine tuning" have an accidental compensation stronger than 1% and thus are excluded. No-fine-tuning region inside the broken-line box corresponds to a neutralino mass $m_\chi \leq 200 \text{ GeV}$. The region "EWSB+particle phenom." is excluded by the EWSB condition combined with particle phenomenology (neutralino as LSP, limits on the masses of SUSY particles etc). In the region marked by rarefied dotted lines neutralinos overclose the Universe ($\Omega_\chi h^2 > 1$). The solid line corresponds to $m_0 = 0$. The regions allowed for neutralino as CDM particle ($0.01 < \Omega_\chi h^2 < 1$) are shown by small boxes. As one can see in most regions the neutralinos are overproduced. The allowed regions correspond to large $\chi\chi$ annihilation cross-section (e.g. due to Z^0 -pole).

Fig. 2a and Fig. 2b differ only by universality: in Fig. 2a $\delta_1 = \delta_2 = 0$ (mass-unification), while in Fig. 2b $\delta_1 = -0.2$ and $\delta_2 = 0.4$. The allowed region in Fig. 2b becomes much larger and is shifted into the Higgsino dominated region.

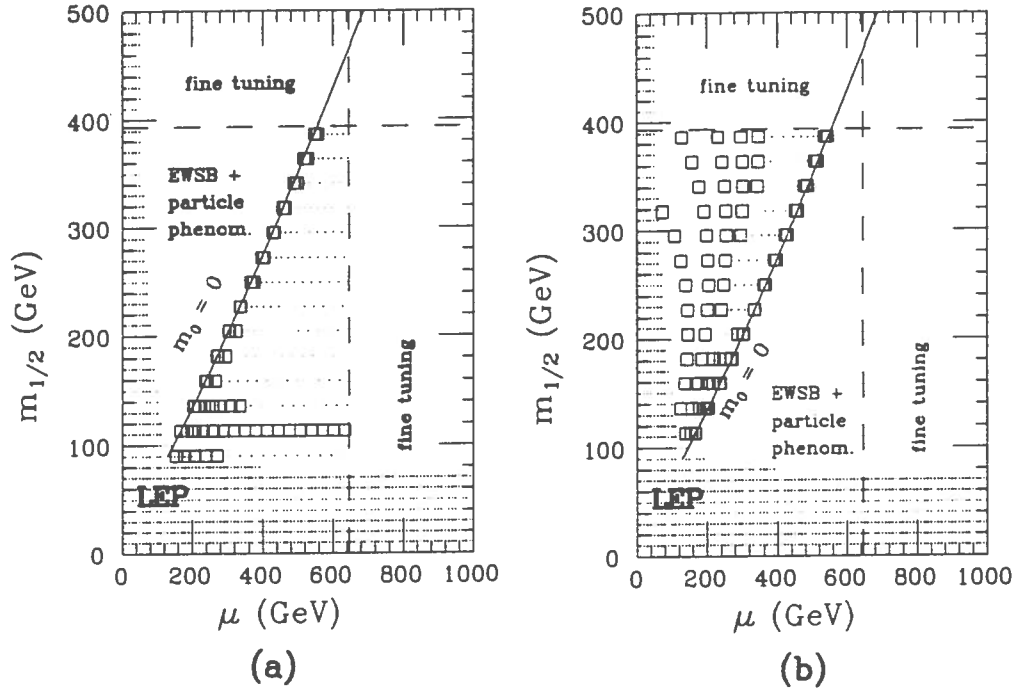


Figure 2: The neutralino parameter space for (a) mass-unification case $\delta_1 = \delta_2 = 0$ and (b) for non-universal case $\delta_1 = -0.2, \delta_2 = 0.4$. Both cases are given for $\tan\beta = 8$.

Let us discuss now the predictions of this model for direct and indirect detection of neutralinos. Direct detection is based on observations of recoil nuclei from neutralino-nucleus scattering. As indirect detection we shall consider here the registration of high energy neutrinos from neutralino-neutralino annihilation in the center of Earth and Sun.

In Fig. 3a the scatter plot for the rate of direct detection with the *Ge* detector⁴³ is given for the non-universal case ($\delta_1 = 0, \delta_2 = -0.2$) and $\tan\beta = 53$. We notice that, for some configurations, the experimental sensitivity⁴³ is already at the level of the predicted rate.

In Fig. 3b we show predictions for the upgoing flux of muons produced by neutrinos from neutralino-neutralino annihilation in the core of Earth. The muon flux from the direction of the Sun is shown in Fig. 3c. The horizontal solid curves in both cases present the observational upper limits⁴⁴. One can see that in examples given above the muon fluxes can be reliably detected by

future gigantic neutrino telescopes.

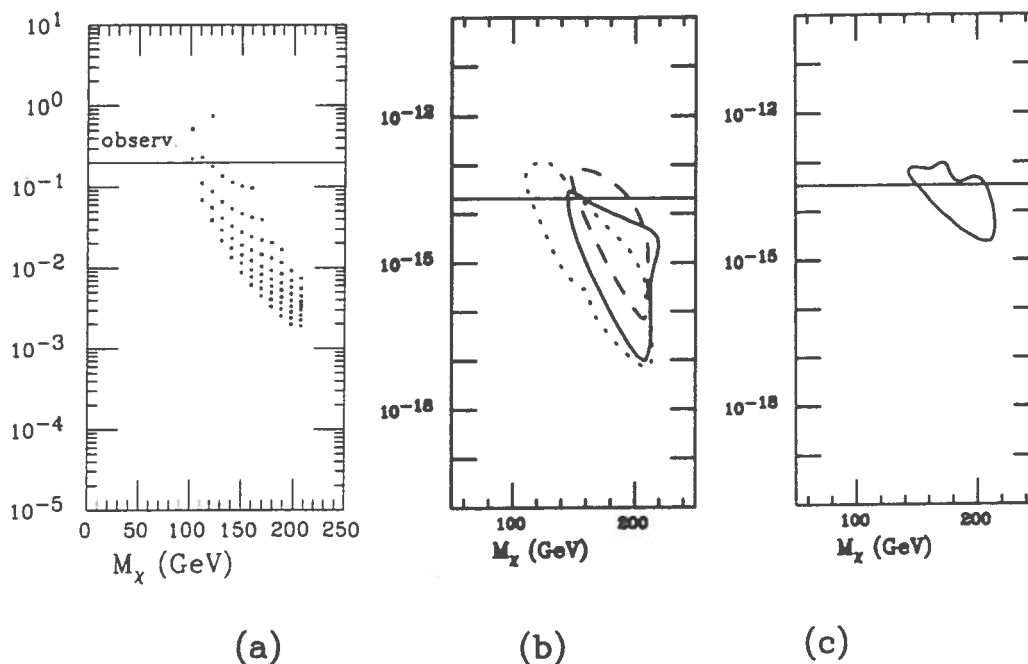


Figure 3: Direct (a) and indirect (b and c) detection of neutralinos for $\tan\beta = 53$ and different neutralino masses. Fig.3a presents counting rate in units $events/(kg \cdot day)$. Fig.3b gives the underground muon flux from the Earth-core direction for $\delta_1 = \delta_2 = 0$ (solid line), $\delta_1 = 0, \delta_2 = -0.3$ (dashed line), and $\delta_1 = 0.7, \delta_2 = 0.4$ (dotted line). Fig.3c gives the underground muon flux from the direction of the Sun for the case $\delta_1 = 0$ and $\delta_2 = -0.3$. ; the fluxes are given in units $cm^{-2}s^{-1}$.

8 Conclusions

The baryonic DM is discovered in the halo of our Galaxy. Machos have a mass between $0.1 - 1.2M_\odot$ and comprise between 10 – 100% of the total mass of galactic halo. However, the bulk of DM observed in the Universe can hardly be dominated by baryons.

The most successful cosmological models require CDM with density $\Omega h^2 \approx 0.2 \pm 0.1$. The minimal supersymmetric extension of SM, with strong CP violation suppressed by PQ-symmetry, predicts the generalized neutralino as a superposition of usual neutralino and axino. The Goldstone chiral supermultiplet contains axion and axino. Therefore, in this model there are three

natural candidates for CDM particle: axion, axino and neutralino (or a linear superposition of the latter two).

The new *axion* window corresponds to axion masses between $3 \cdot 10^{-5}$ and $3 \cdot 10^{-3}$ eV, i.e. it only partly overlaps with the range of search in microwave cavity experiments.

Axino can provide both CDM and HDM. The direct observation of this particle seems to be impossible.

Neutralino remains most attractive CDM candidate. In the models with radiative EW symmetry breaking the properties of neutralino are restricted, but there are many configurations where the neutralino can provide the required $\Omega_{CDM}h^2$ and can be found by direct and indirect methods.

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