
Recent results on CP violation in B decays



Marcello A. Giorgi
Università di Pisa and INFN Pisa

Stanford
Linear
Accelerator
Center

*presented at
Laboratori Nazionali di Frascati October 5, 2004
Mini Workshop on B-Factories*

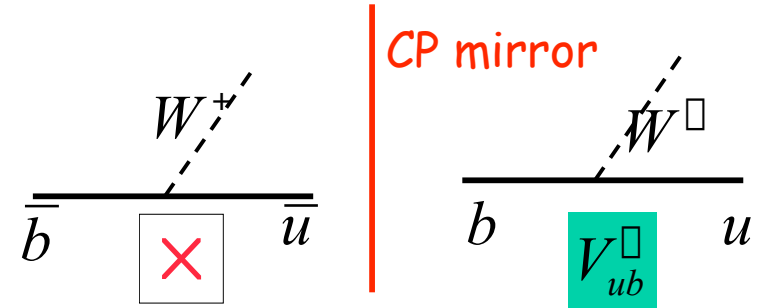


The CKM picture with 3 quark doublets

Cabibbo-Kobayashi-Maskawa matrix

- *quark charged currents $\Leftrightarrow W^\pm$*
- *left-handed ($q_j = d, s, b$) quark mass eigenstates connected to weak eigenstates;*
- *Unitary (FCNC suppressed) \Rightarrow 4 independent parameters (e.g., 3 angles and 1 phase)*
- *Phase changes sign under CP*
- *Interfering amplitudes can give CP-violating asymmetries*

$$\begin{array}{c}
 W^+ \text{---} \\
 \swarrow \quad \searrow \\
 q_i = u, c, t \\
 \bar{q}_j = \bar{d}, \bar{s}, \bar{b} \\
 \\
 V = \begin{array}{ccc}
 \begin{array}{|c|} \hline V_{ud} \\ \hline \end{array} & V_{us} & V_{ub} \\
 \begin{array}{|c|} \hline V_{cd} \\ \hline \end{array} & V_{cs} & V_{cb} \\
 \begin{array}{|c|} \hline V_{td} \\ \hline \end{array} & V_{ts} & V_{tb} \\
 \hline
 \end{array}
 \end{array}$$



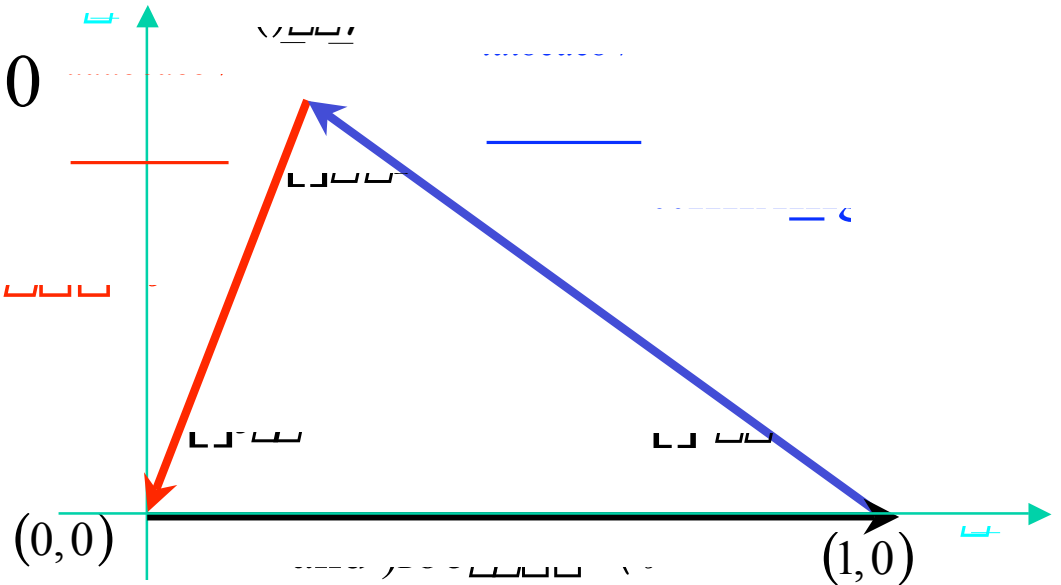
From Unitary CKM matrix to Unitarity Triangles

From unitarity condition .

$$V_{ud}V_{ub}^* + V_{cd}V_{cb}^* + V_{td}V_{tb}^* = 0$$

$$\frac{V_{ub}^*}{V_{cb}^*} + 1 + \frac{V_{td}^*}{V_{cb}^*} = 0$$

$$V_{cd} = 0, \quad V_{ud} + V_{tb} = 1$$



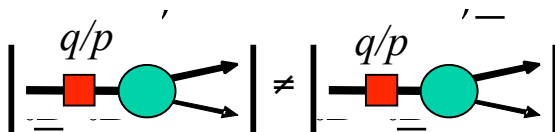
$$\beta = \arg(V_{td})$$

$$\alpha = \arg(V_{ub})$$

$$\beta = \arg \left[\frac{V_{td}V_{tb}^*}{V_{ud}V_{ub}^*} \right] = \beta - \alpha$$

3 ways for CP violation

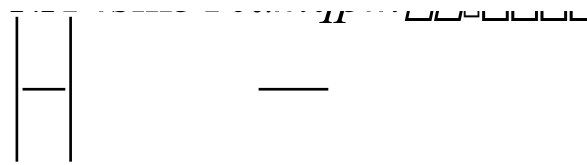
1. CP violation in mixing



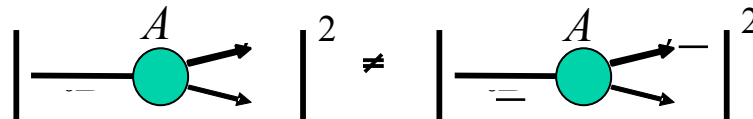
First mechanism observed historically in kaon decays

$$\left| \frac{q}{p} \right| = \left| \frac{(M_{12}^* - i \frac{\Gamma_{12}}{2})}{(M_{12} - i \frac{\Gamma_{12}}{2})} \right| \neq 1$$

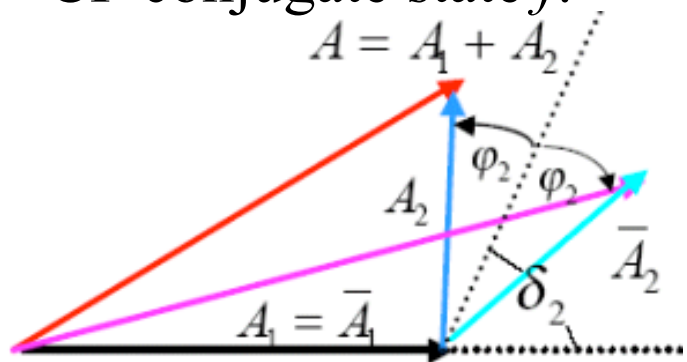
SM predicts:



2. Direct CP violation in the decay

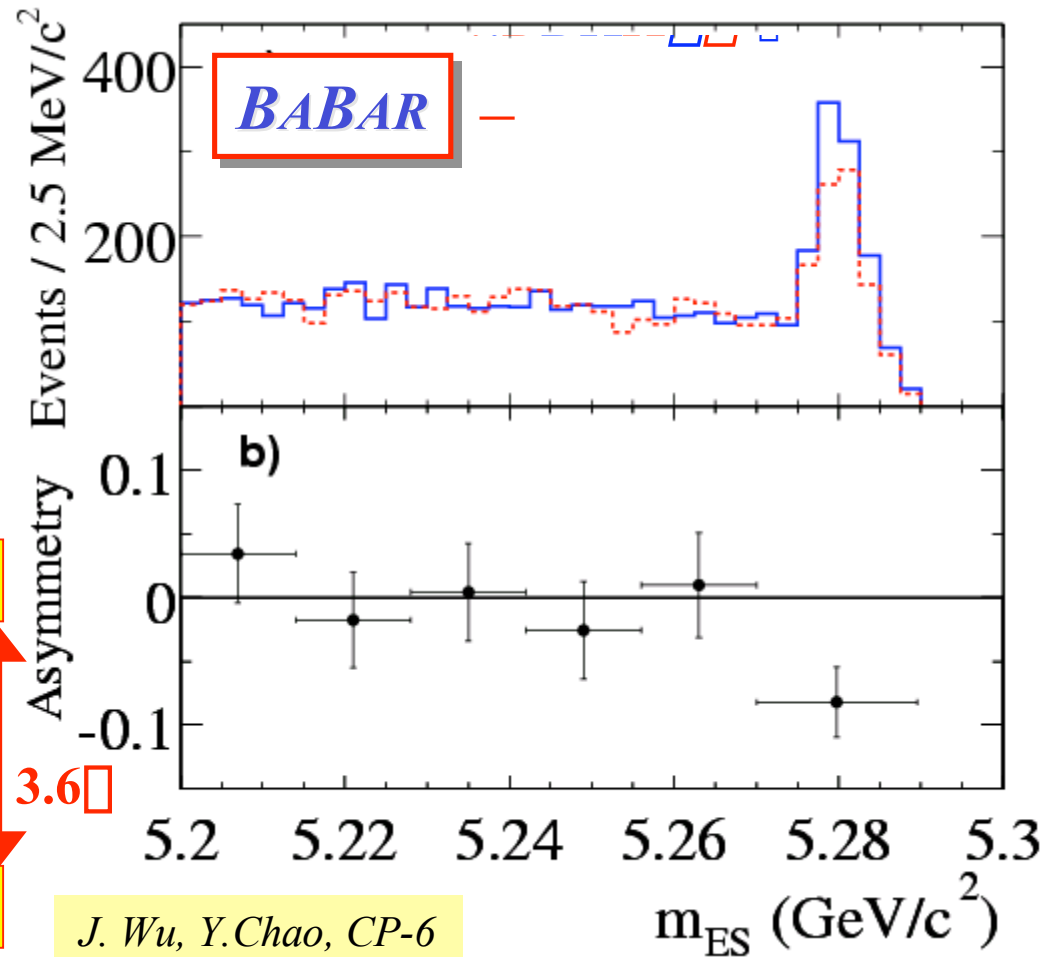
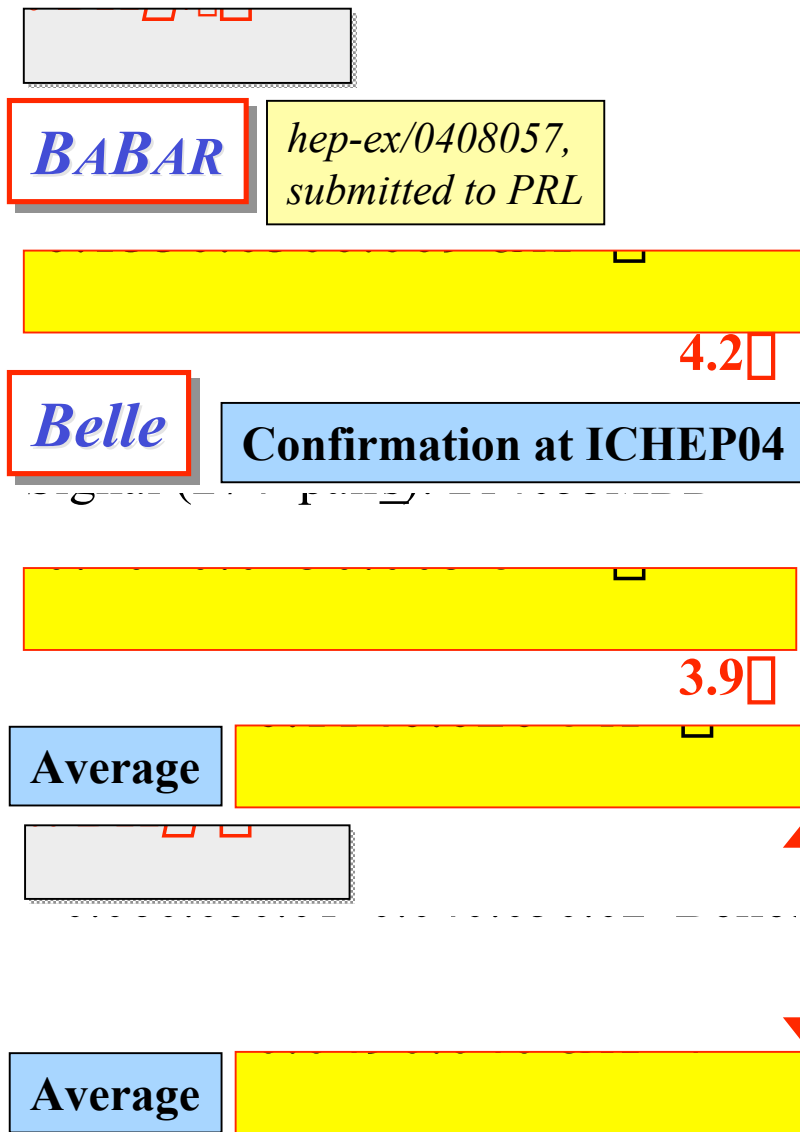


Occurs when $|A| \neq |\bar{A}|$ where A is the amplitude for B decays into a final state f and \bar{A} is the amplitude of B decays into the CP conjugate state \bar{f} .



Two amplitudes A_1 and A_2 with a relative CP violating phase ϕ_2 and a CP conserving phase δ_2 :
CP violation and $|A| \neq |\bar{A}|$

First observation of Direct CPV in B decays



3 ways for CP violation

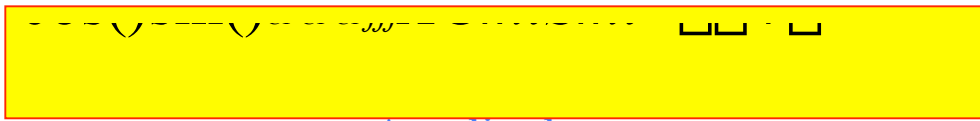
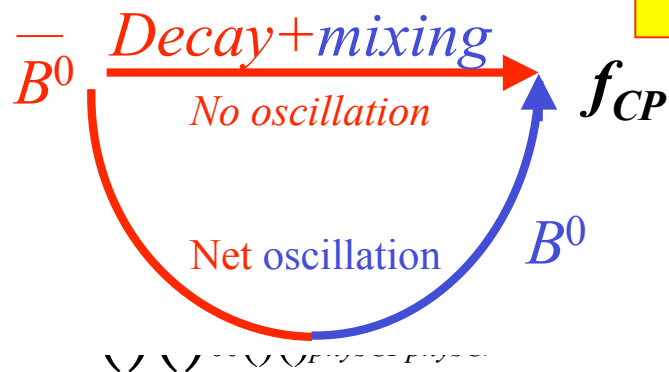
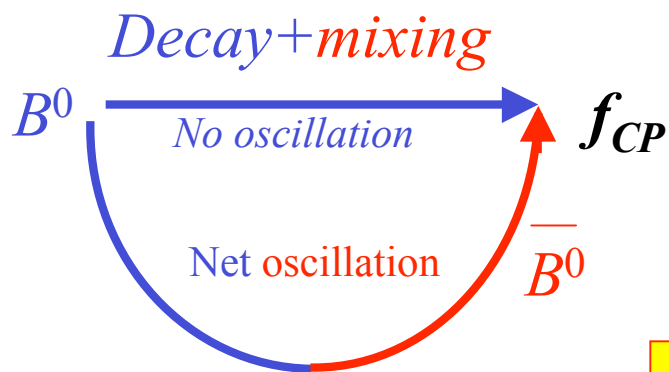
3. Time dependent

Decay rates of B^0 and \bar{B}^0 are:

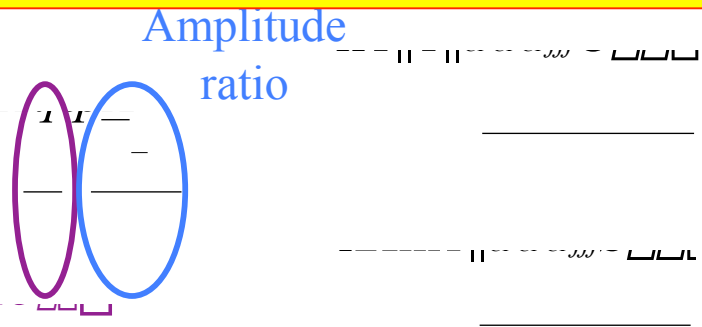
$$|B_0(t)\rangle_{phys} = e^{-imt} e^{-\frac{\Gamma}{2}t} (\cos \Delta mt |B^0\rangle - i \frac{q}{p} \sin \Delta mt |\bar{B}^0\rangle)$$

$$|\bar{B}_0(t)\rangle_{phys} = e^{-imt} e^{-\frac{\Gamma}{2}t} (\cos \Delta mt |\bar{B}^0\rangle - i \frac{p}{q} \sin \Delta mt |B^0\rangle)$$

Define CP Asymmetry as:



For single amplitude

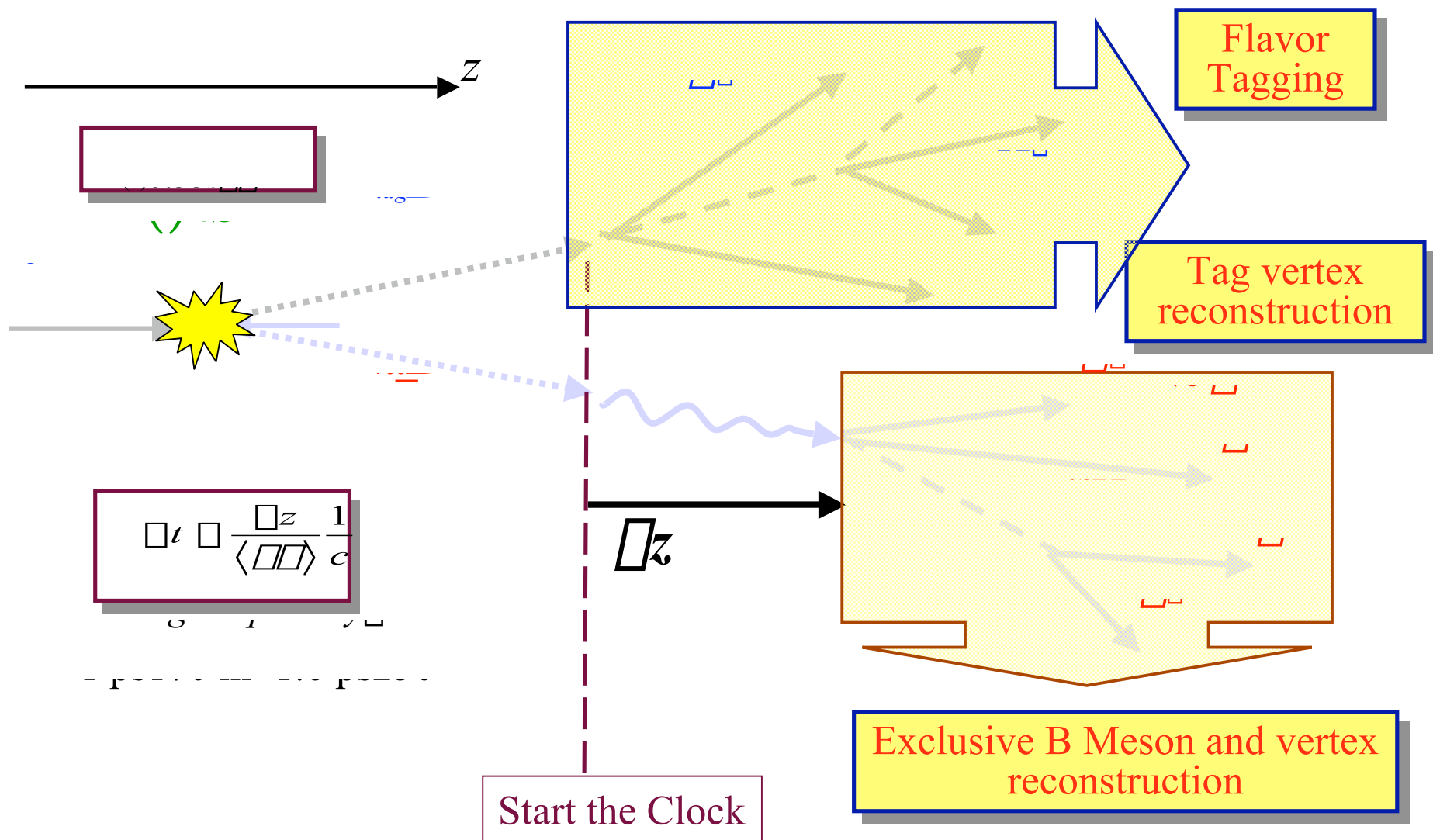


CP parameter



Measuring time-dependent CP asymmetries

Tagging performance: $Q = 30.5\%$



Tools to measure time dependent Asymmetries

1) Precise measurement of decay points of boosted $B^0\bar{B}^0$ system.

First projects of precise vertexing method:
vertex separation decay time measurement in
boosted heavy mesons and first Si strip detectors
before any industrial development in 1980

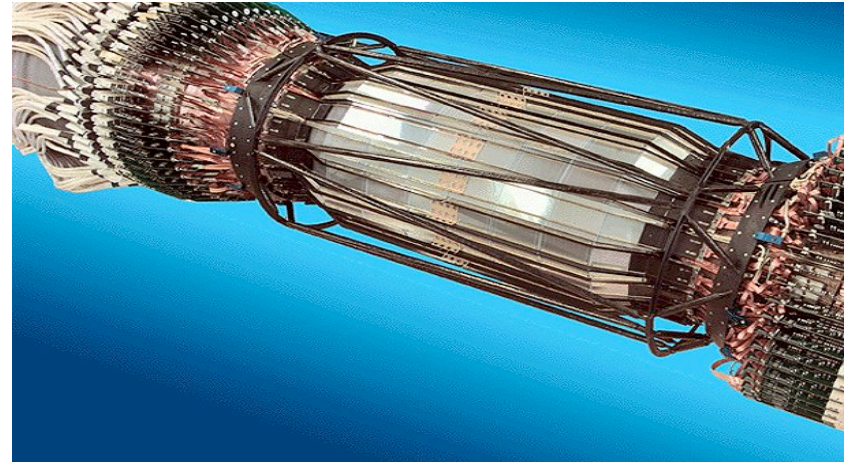
SILICON 'MULTIWIRE PROPORTIONAL CHAMBERS' AND THEIR APPLICATIONS IN HIGH-ENERGY PHYSICS EXPERIMENTS.

.By MAG. 1980. Published in *Pisa 1980, Proceedings, Miniaturization Of High Energy Physics Detectors*, 25-39.

SEMICONDUCTOR DETECTORS FOR LIFETIME MEASUREMENTS AND HIGH SPACE RESOLUTION.

By G.Bellini,L.Foa,M.A.G 1982. 30pp. Phys.Rept.83:9-38,1982

MICRODETECTORS FOR HIGH-ENERGY PHYSICS. .By M.A.G.,. 1981. In *Villars-sur-ollon 1981, Proceedings, General Meeting On Lep*, 179-211



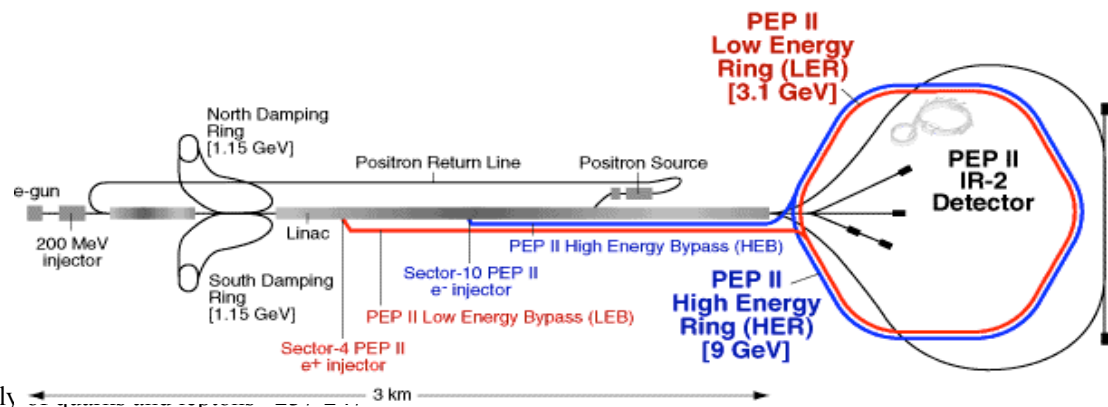
1) Boosting system

First idea of an asymmetric B Factory to
boost the $B^0\bar{B}^0$ system and allow the time
measurement in 1989

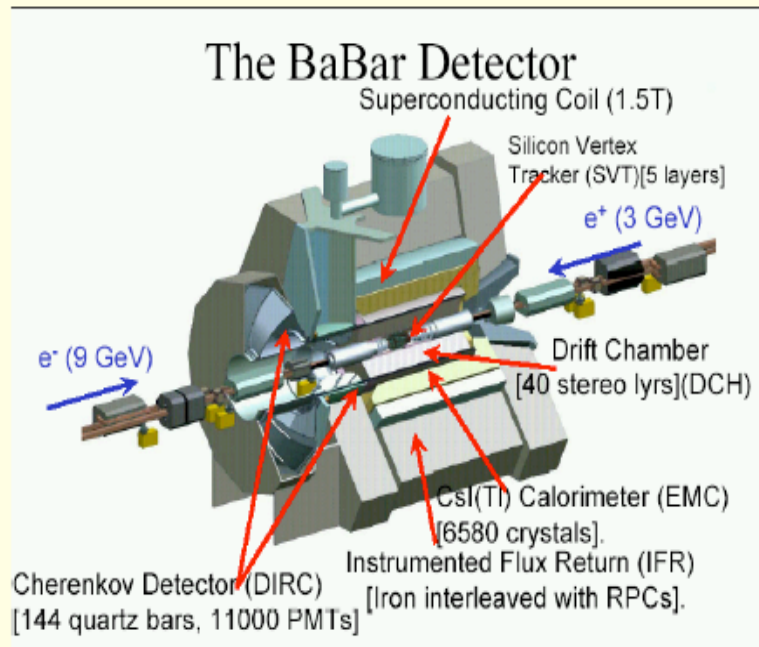
AN ASYMMETRIC B FACTORY BASED ON PEP.

By P.Oddone,. Feb 1989. In*Santa Monica 1989, The fourth family

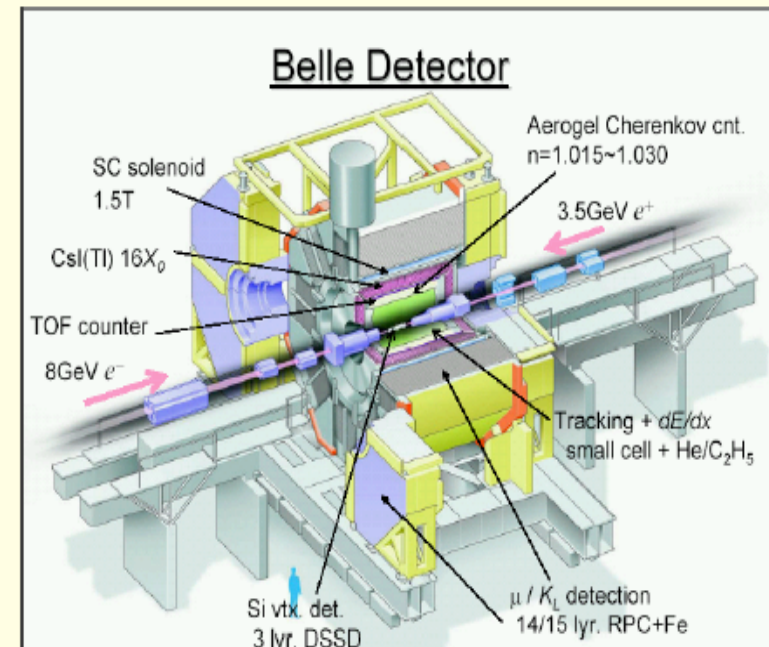
B-FACTORIES: A PERSONAL OVERVIEW.By P.Oddone 1989. In *Blois 1989, CP violation and beauty factories and related issues in physics* 299-304.



Asymmetric Bfactories PEP-II and KEKB

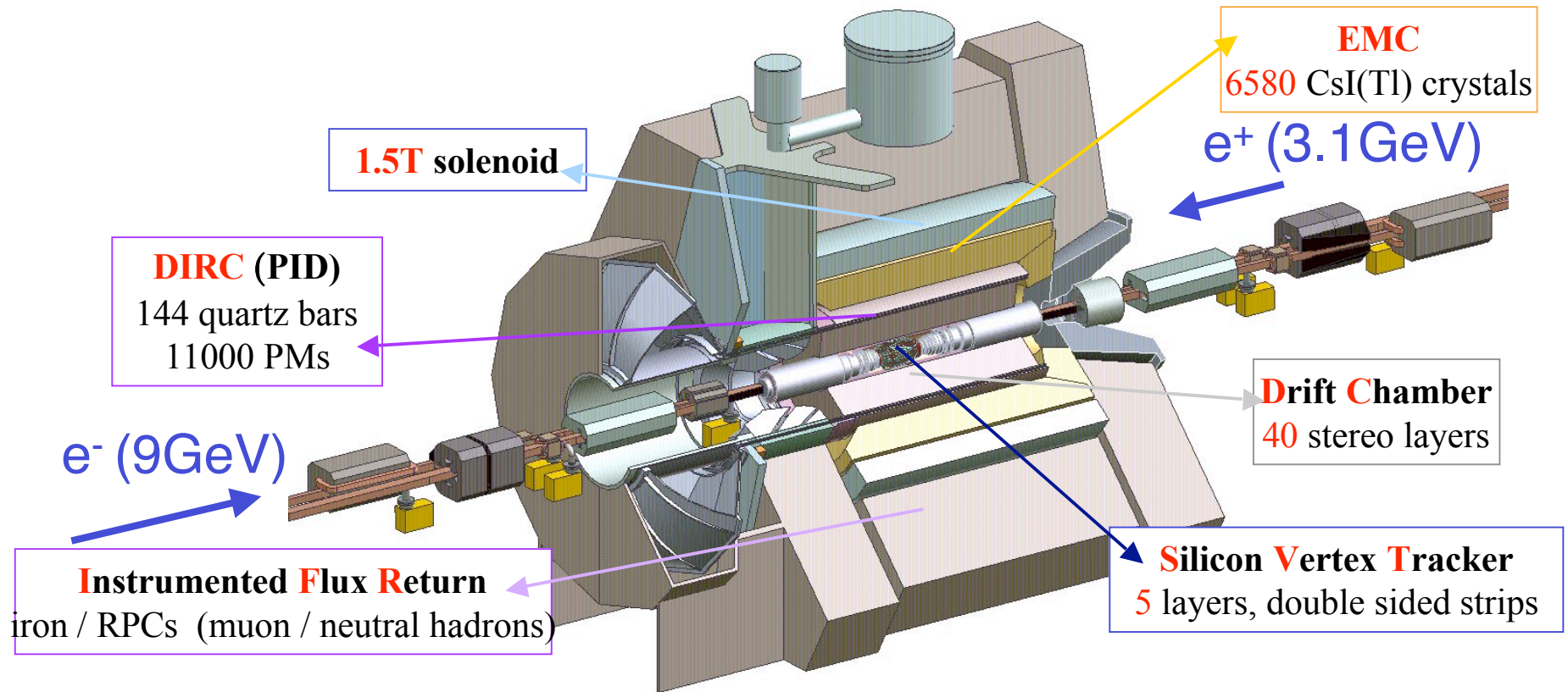


e^- (9 GeV)
 e^+ (3 GeV)



e^- (8 GeV)
 e^+ (3.5 GeV)

BaBar Detector



SVT: vertexing and tracking: crucial for τ and low p_T tracks

DCH: main tracking device, also dE/dx for particle ID

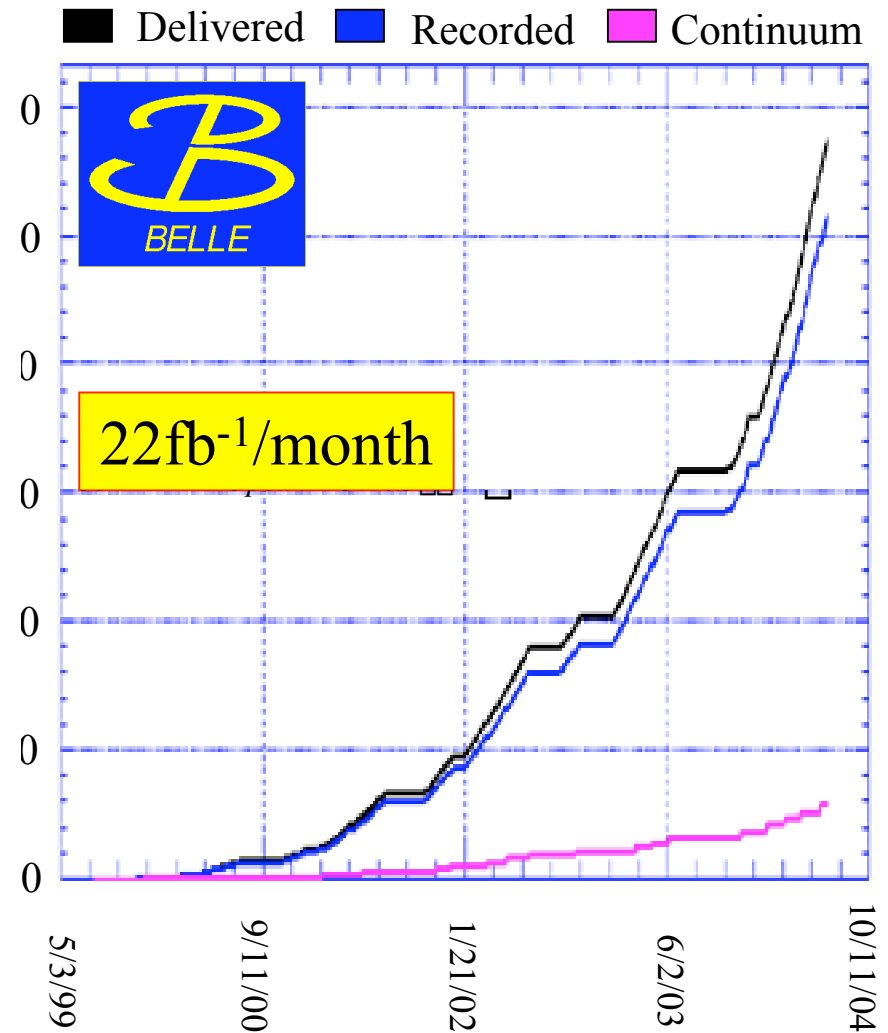
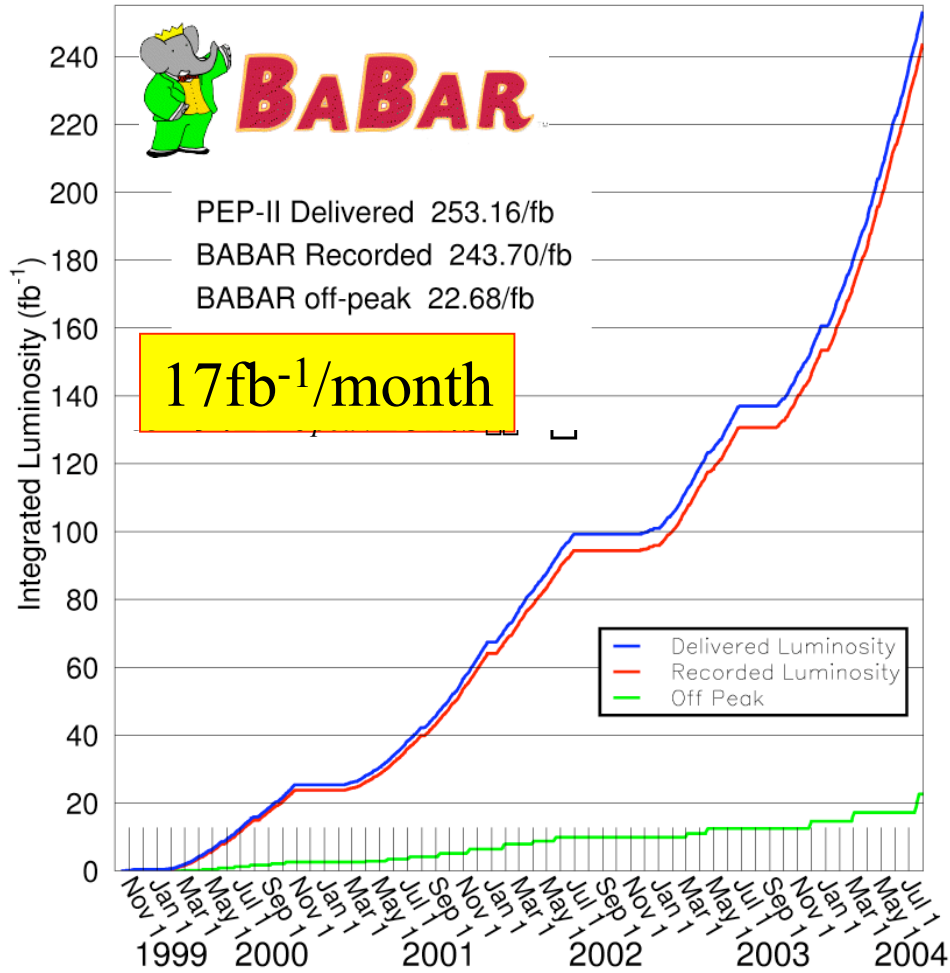
DIRC: $K-\pi$ separation $> 3.4\sigma$ for $P < 3.5\text{ GeV}/c$

EMC: very good energy resolution; electron ID, π^0 and π reco.

IFR: Muon and neutral hadrons (K_L^0) ID

Current luminosities and data samples

Total 244 + 286 fb⁻¹ = 0.530 ab⁻¹!!



Exclusive B decay reconstruction

→ Kinematic signature for B decays:

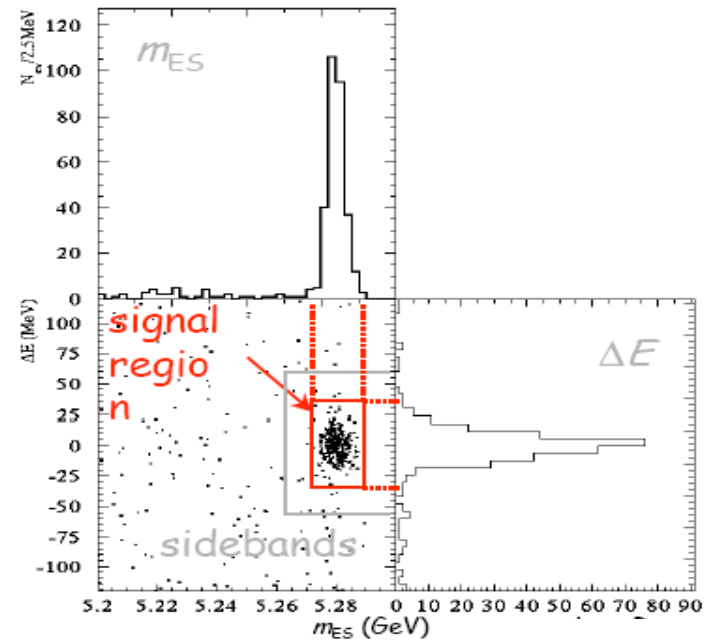
$$m_{ES} = \sqrt{E_{beam}^{*2} - P_B^{*2}}$$

$$\Delta E = E_B^* - E_{beam}^*$$

Typical resolutions:

$$\sigma(m_{ES}) \approx 2.5 \text{ MeV}$$

$$\sigma(\Delta E) \approx 15 - 30 \text{ MeV}$$

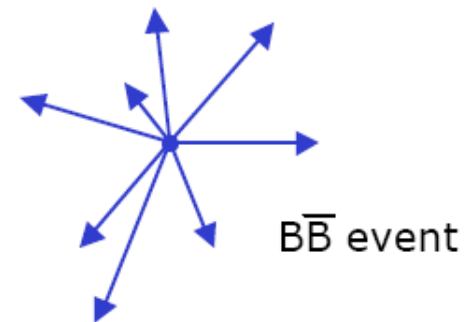
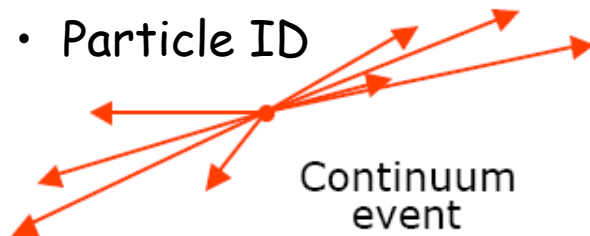


Typical reconstruction efficiency 15-40%

Purity: 97% for $J/\psi K_s^0$; lower for:

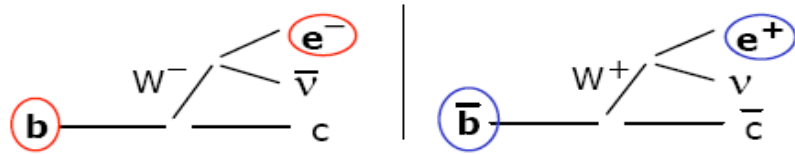
→ Charmless hadronic B decays:

- Use discriminating variables in maximum likelihood PDF
 - ΔE and m_{es} (standard variables)
 - Event shape information.
 - Particle ID

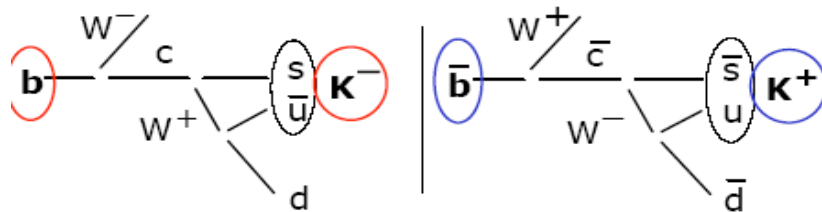


B Flavour Tagging

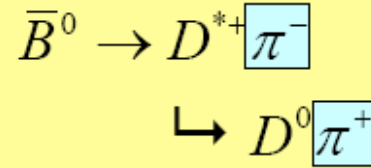
Leptons : Cleanest tag. Correct >95%



Kaons : Second best. Correct 80-90%



Soft and hard pion tagging



\bar{B}^0 : fast π^- , soft π^+
 B^0 : fast π^+ , soft π^-

Tag Performance:

$$Q_T = \prod_i (1 - 2\epsilon_i)^2$$

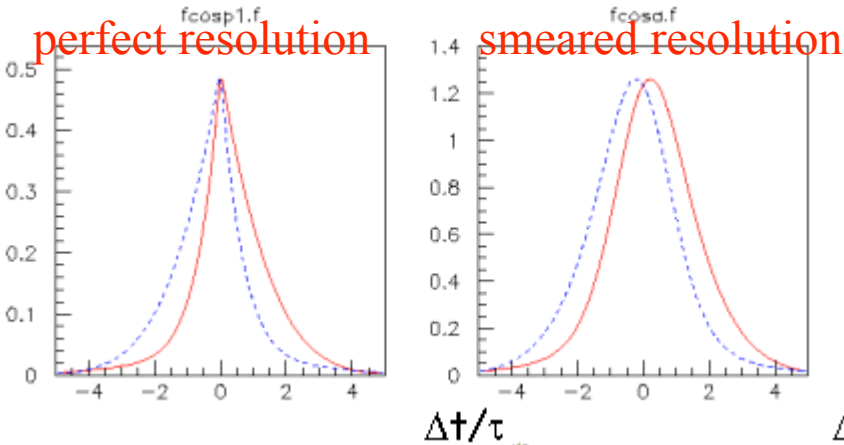
and

$$\epsilon(S_{f_{CP}}) = \frac{1}{\sqrt{N \epsilon Q_T}}$$

Full Tagging algorithm combines all in Neural Network, Tag categories based on particle content and NN output.

$Q_T=30.5\%$ (6 tag categories) , it was 28% (4 categories) in 2002 analysis

Δt dependences and resolutions



Δt resolution dominated by tag side:

$$\sigma \approx 1 \text{ ps} \approx 170 \text{ fm}$$

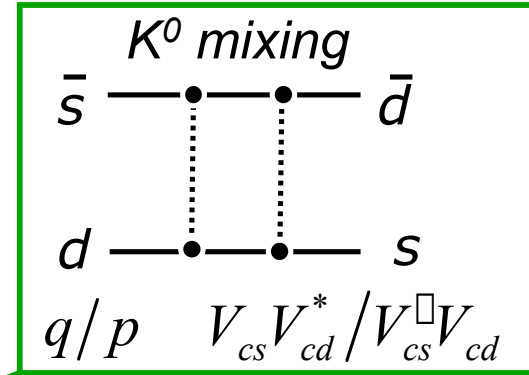
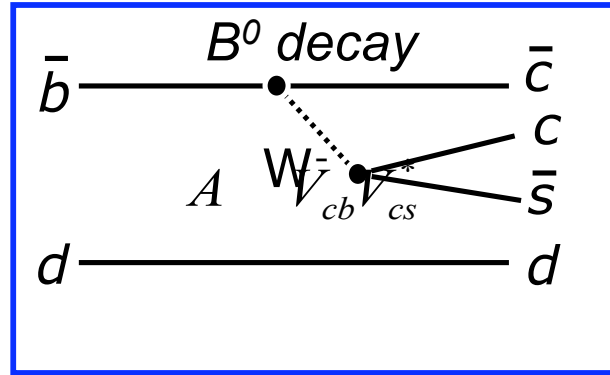
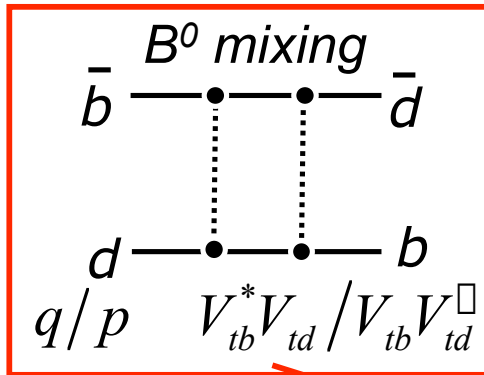
CP asymmetry

$$\sigma_B \approx 1.6 \text{ ps} \approx 250 \text{ fm}$$

$\Delta t/\tau$ A Giorgi



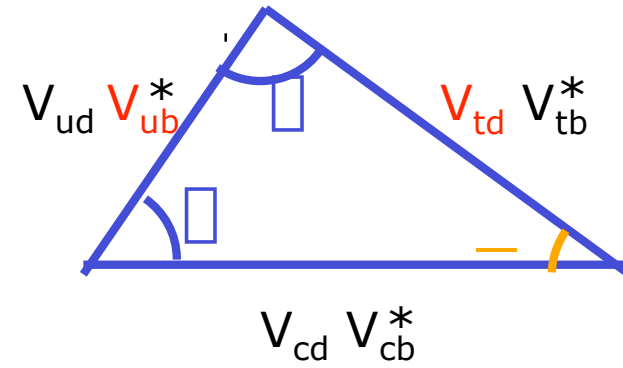
sin2φ from mixing & b → ccs “tree” amplitudes



$$\frac{q}{p} \frac{\bar{A}_{\Delta K_S}}{A_{\Delta K_S}} = \frac{V_{tb}^* V_{td}}{V_{tb} V_{td}^*} \frac{V_{cb} V_{cs}^*}{V_{cb}^* V_{cs}} \frac{V_{cs} V_{cd}^*}{V_{cs}^* V_{cd}} = \Delta e^{2i\phi}$$

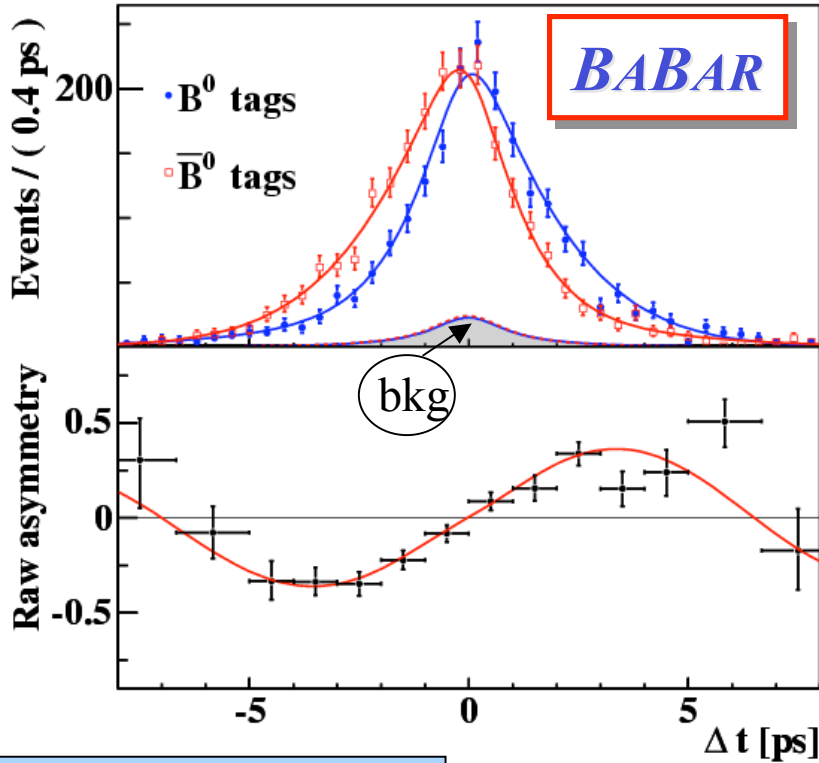
- all decay amplitudes (tree and penguin) have same weak phase:
- no direct CP violation, no CP violation in mixing expected

Clean!



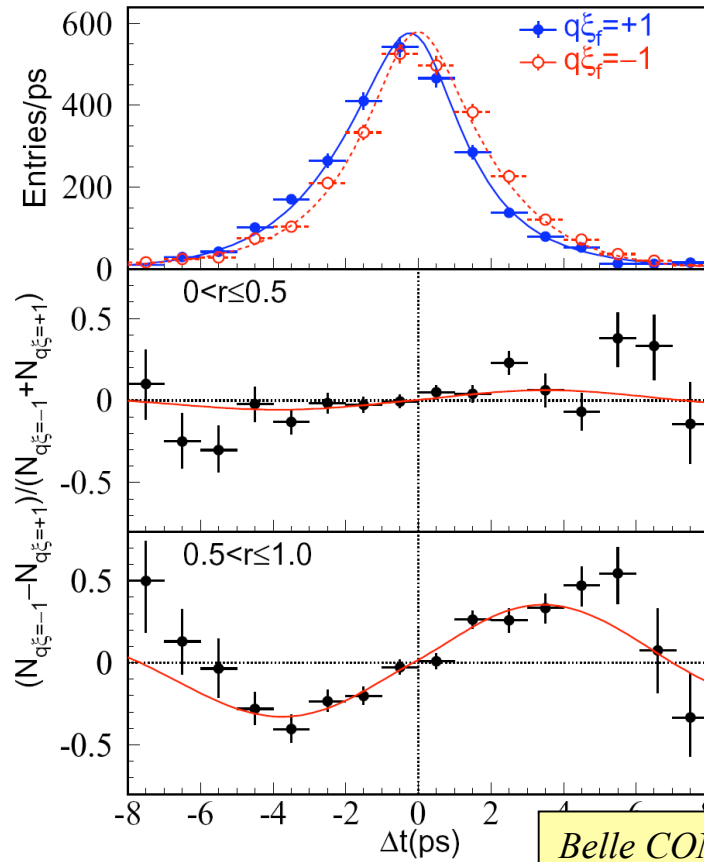
- $BF(\Delta(l^+ l^-) K_S(\Delta^+ \Delta)) = 3.5 \times 10^{-4}$ (“large”)
- Selection: purity 97%
- Similarly: $\Delta_{c1} K_S, \Delta(2s) K_S, \dots$

$\sin 2\beta$ results from charmonium modes



Update for ICHEP04

BABAR PUB-04/038



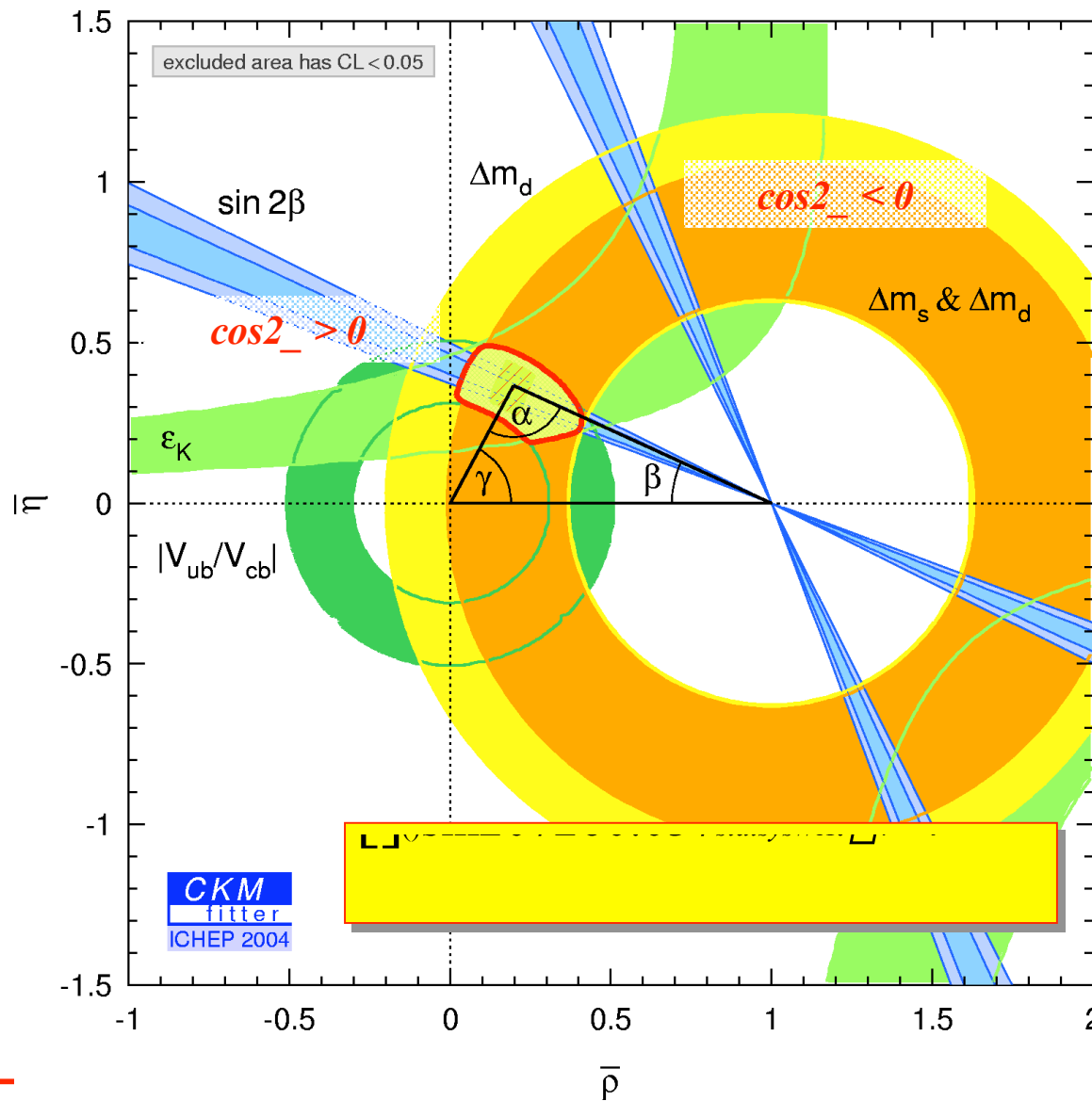
Belle
2003

Belle CONF-0436



Limit on
direct CPV

$\sin 2\beta$, $\cos 2\beta$ and CKM constraints



BABAR

$\cos 2\beta < 0$ ruled out at 87% CL by s- and p-wave interference analysis in angular analysis of $B \rightarrow J/\psi K^{*0}$ ($K_S \pi^0$)

M. Bruinsma, CP-3

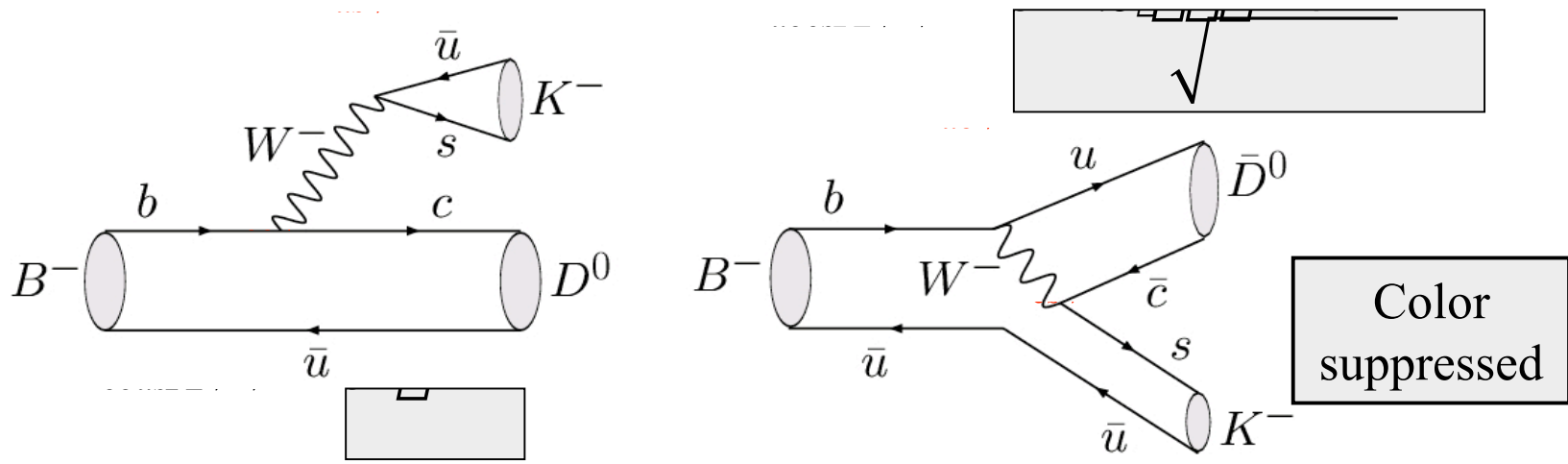
CKM fit to indirect constraints overlaid with $\sin 2\beta_{WA}$ measurement



Methods for extraction of \square

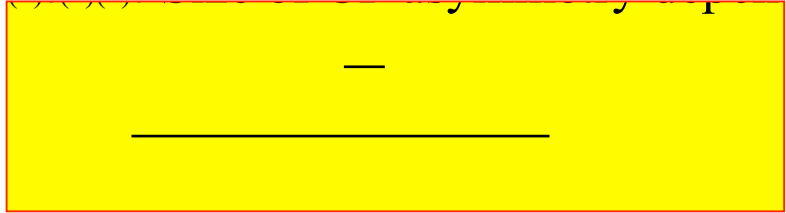


Basic Idea



GLW *Gronau-London-Wyler, 1991*

ADS *Atwood-Dunietz-Soni, 2001*



D⁰ Dalitz plot

$B \rightarrow D^{(*)0} [K^+ \pi^-] K^0$ decays: ADS method

$B \rightarrow D^{(*)0} K^0$
favored

suppressed

suppressed

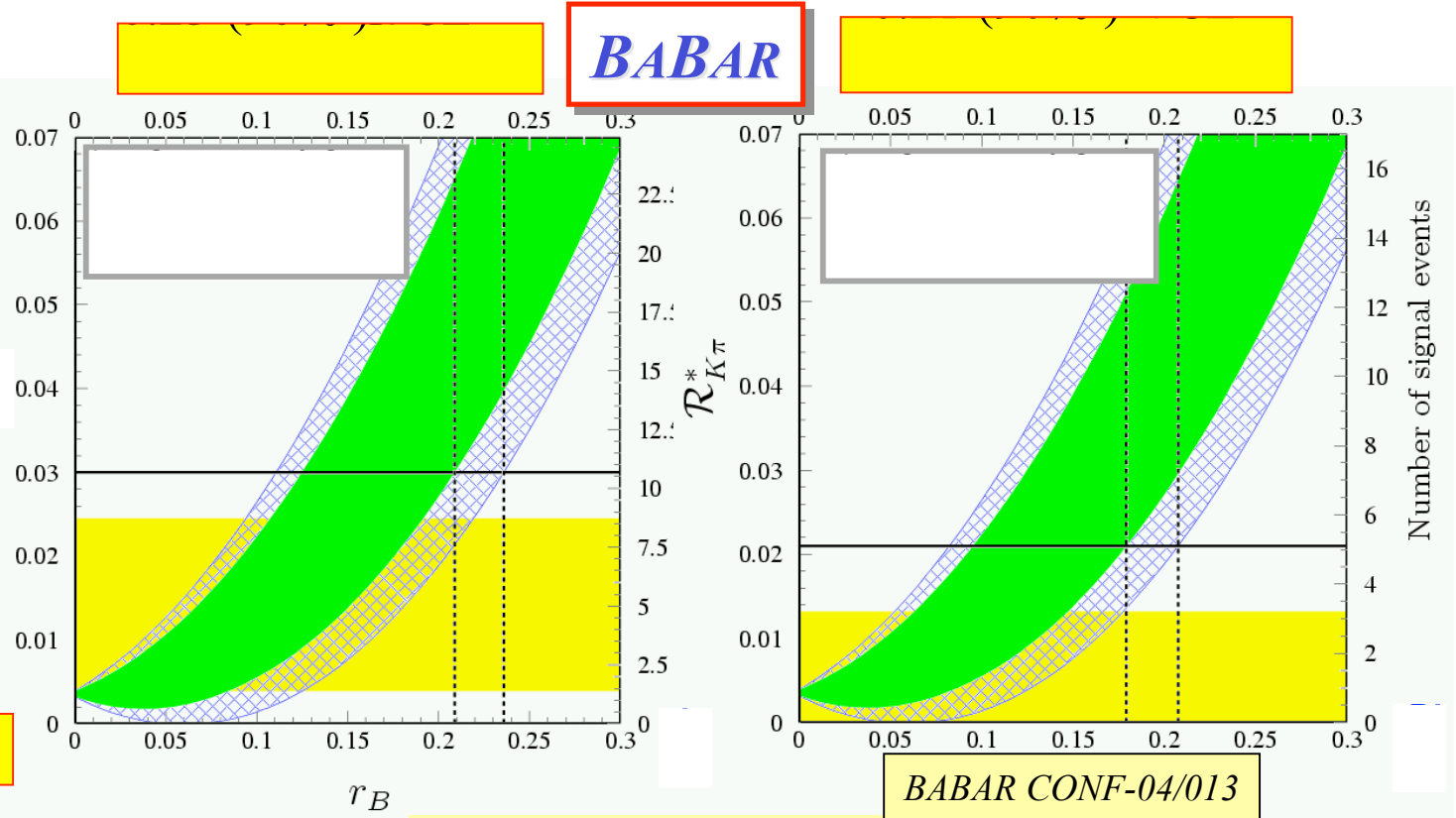
favored



Update for ICHEP04

BABAR

Belle

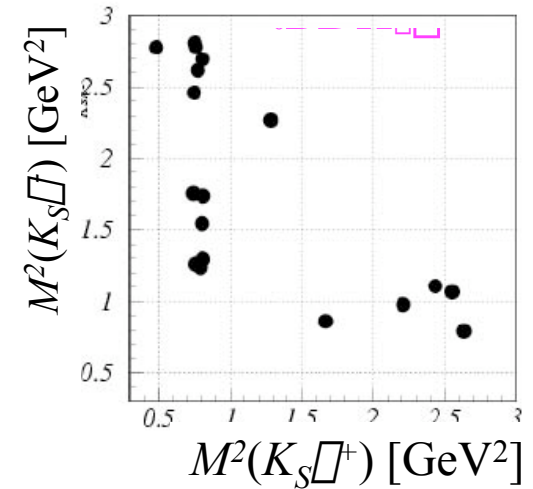
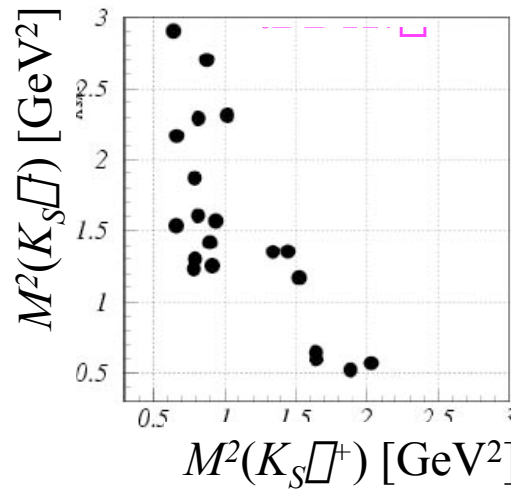
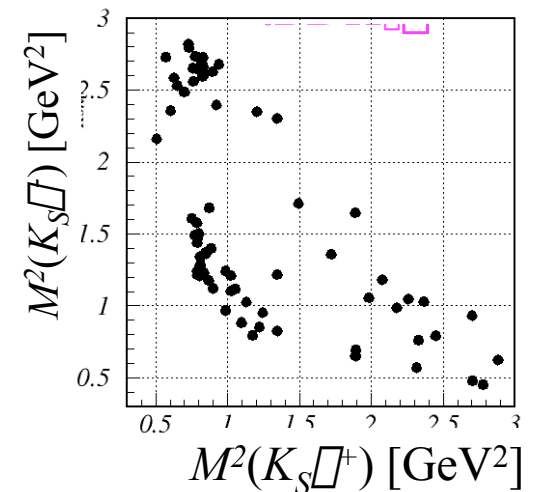
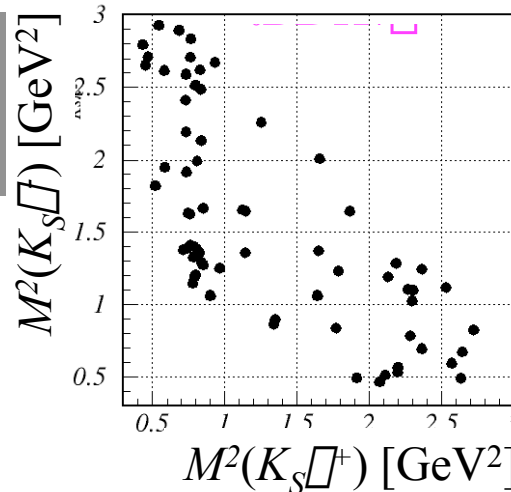
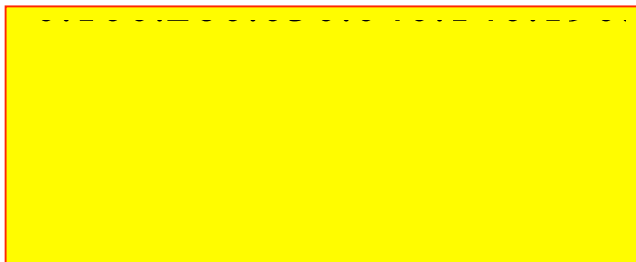
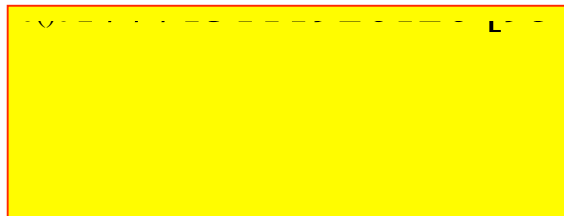


First look at $B^0 \rightarrow D^{(*)0} [K_S \pi^+ \pi^-] K^0$ sample by Belle

New: Winter 04

Belle
140 fb⁻¹

Visible asymmetry in Dalitz plots

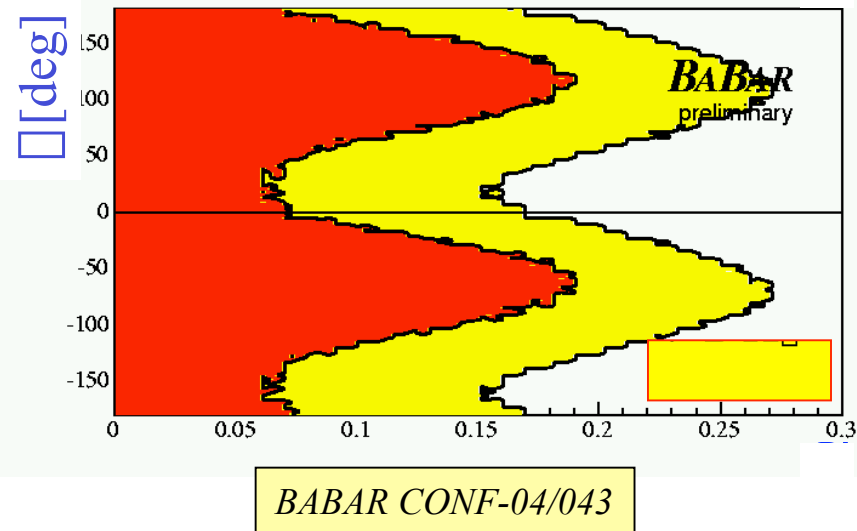
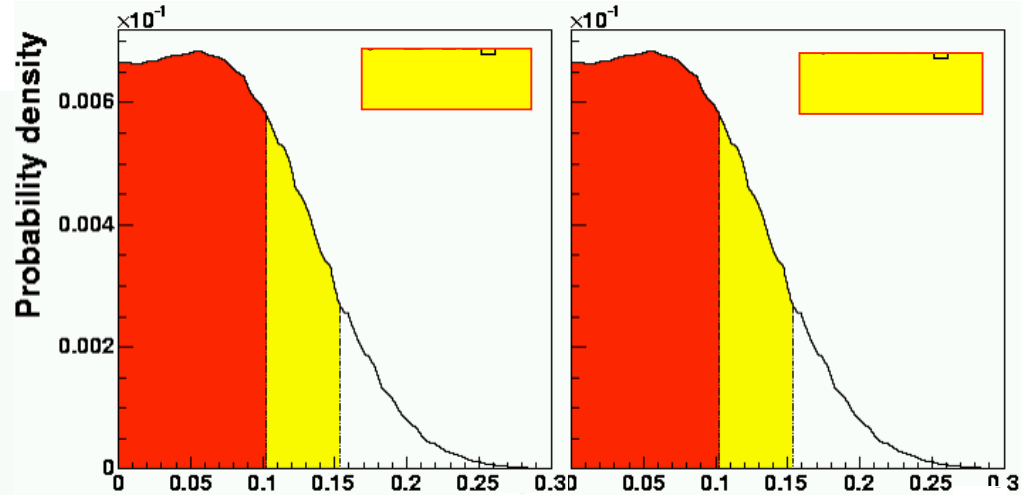
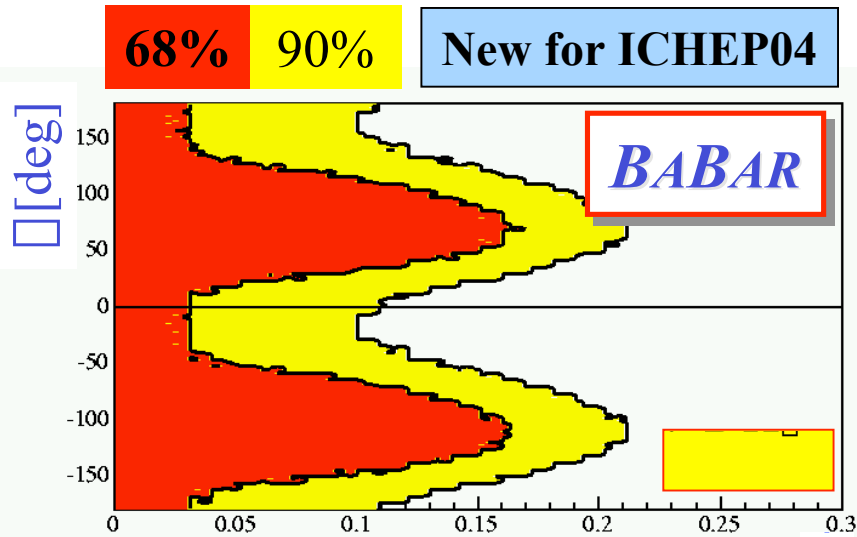


A.Bozek, CP-4

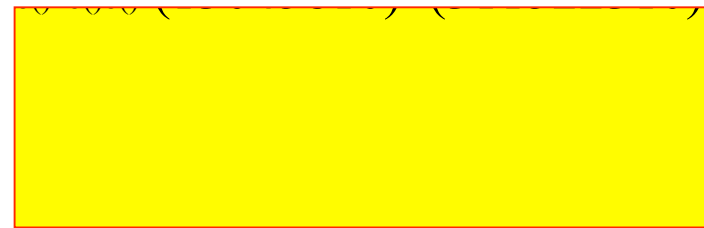
hep-ex/0406067



BABAR analysis of $B \rightarrow D^{(*)0} [K_S^+ \pi^-] K^0$



[No sensitivity to $r_B < 0.1$]

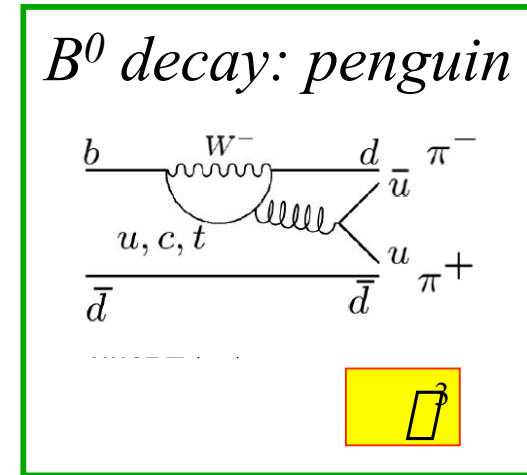
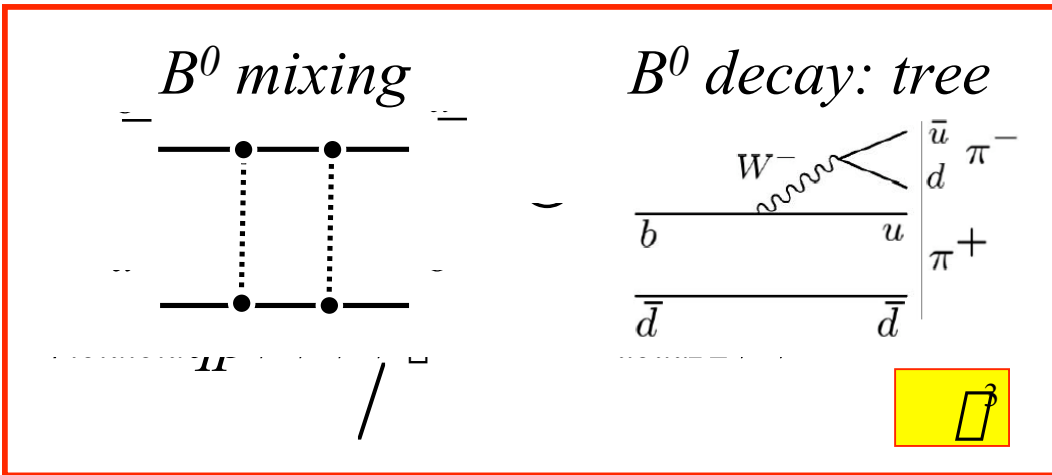


Poor constraints on δ as yet

sin2 β from $B \rightarrow \pi\pi, \pi\pi, \pi\pi$

Interference of suppressed
b \rightarrow u “tree” decay with mixing

but: “penguin”
is sizeable!



$$\bar{a}_{\pi\pi} = \frac{q}{p} \frac{\bar{A}_{\pi\pi}}{A_{\pi\pi}} = e^{i2\beta} e^{i2\beta} = e^{i2\beta}$$

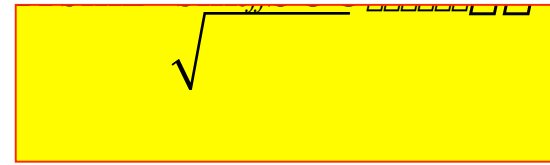
$$\bar{a}_{\pi\pi} = e^{i2\beta} \frac{T + P e^{+i\beta} e^{i\beta}}{T + P e^{i\beta} e^{i\beta}}$$

Coefficients of time-dependent CP Asymmetry

With no penguins



With large penguins
and $|P/T| \sim 0.3$



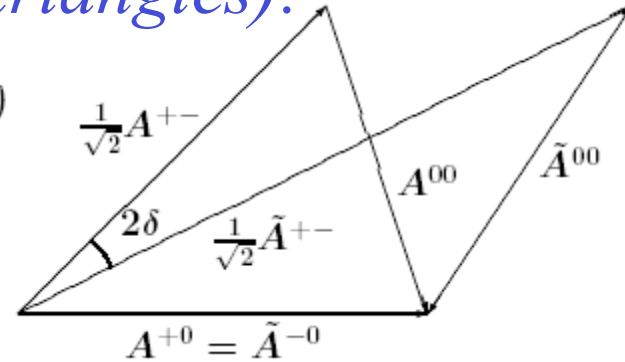
From α_{eff} to α

Gronau-London method (isospin triangles):

Gronau and London, *Phys. Rev. Lett.* 65, 3381 (1990)

$$2\alpha_{eff} = 2\alpha + 2\beta$$

$$A^{+0} = A^{00} + \frac{1}{\sqrt{2}} A^{+\square} \quad \bar{A}^{+0} = \bar{A}^{00} + \frac{1}{\sqrt{2}} \bar{A}^{+\square}$$



BF of

If BF (00) is small then the Grossman-Quinn bound can be applied:

$$\sin^2(\alpha - \alpha_{eff}) \leq \frac{\mathcal{B}(B^0 \rightarrow \pi^0 \pi^0) + \mathcal{B}(\bar{B}^0 \rightarrow \pi^0 \pi^0)}{\mathcal{B}(B^+ \rightarrow \pi^+ \pi^0) + \mathcal{B}(B^- \rightarrow \pi^- \pi^0)}$$

Results for $\sin^2\phi_{eff}$ from $B \rightarrow \pi\pi$ decays

BABAR: Updated for ICHEP04

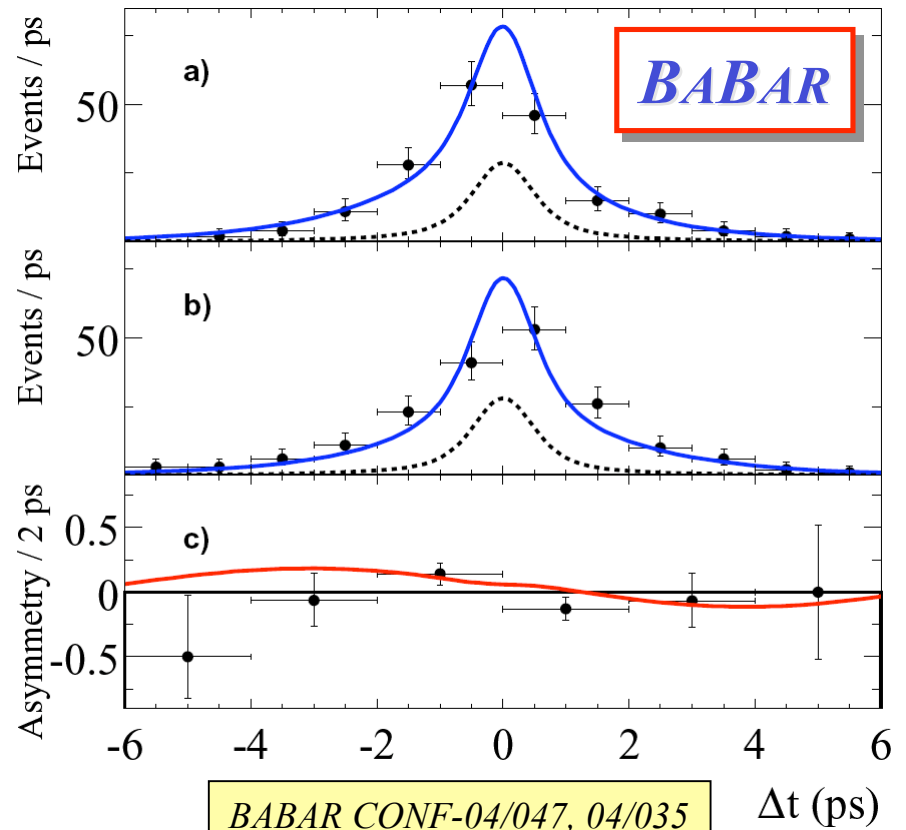
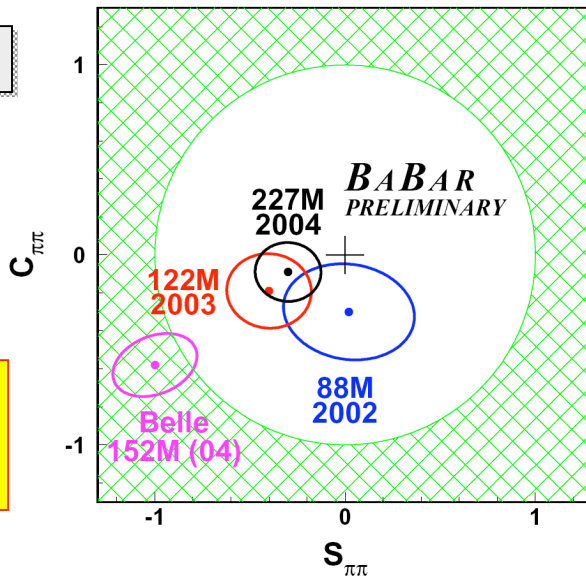


Belle: PRL 93 (2004) 021601



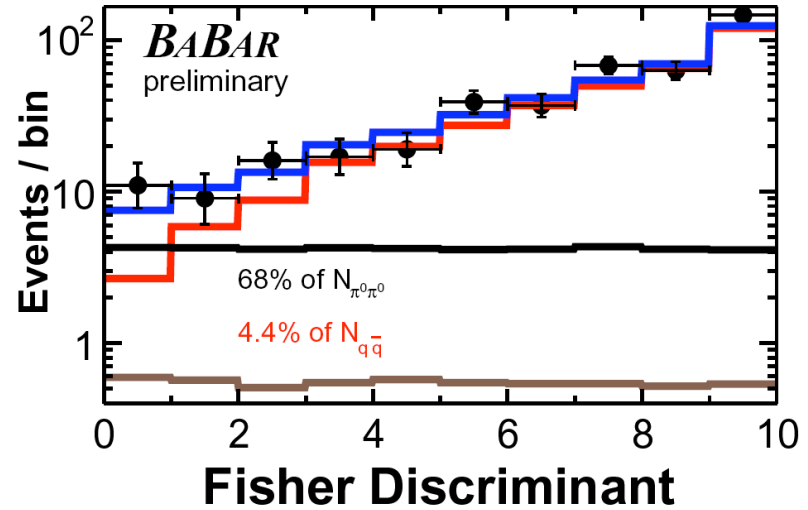
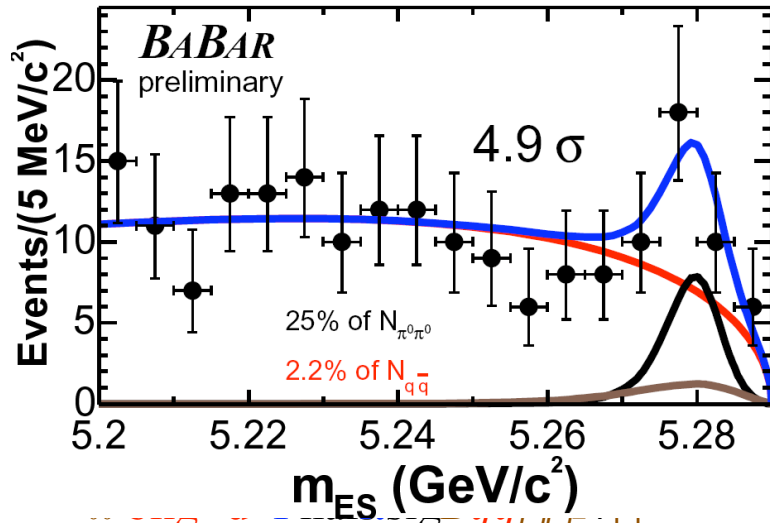
Comparison

Caution averaging!



BABAR CONF-04/047, 04/035





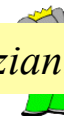
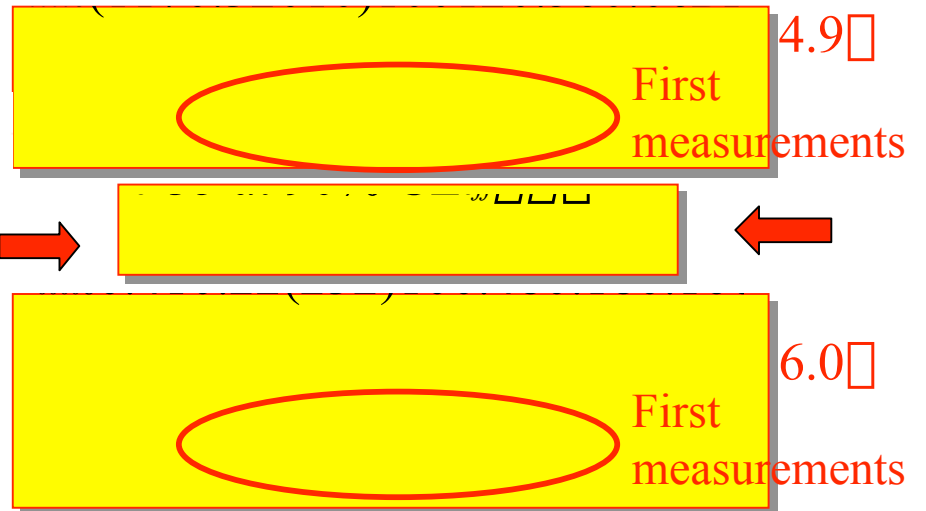
Improved understanding of ρ^0 efficiency:

Run	Events	Efficiency
Run 1-3	122M	44±13
Run 4	105M	17±11
Run 1-4	227M	61±17

Consistent at 1.3σ level



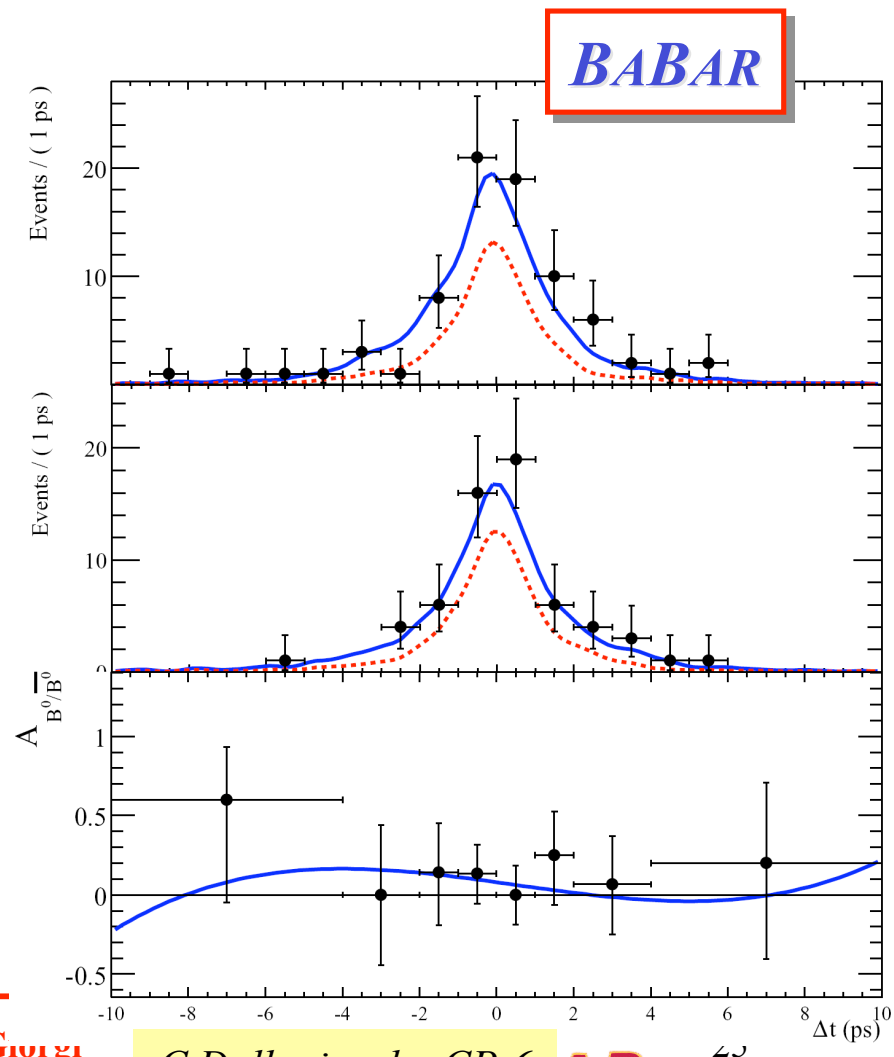
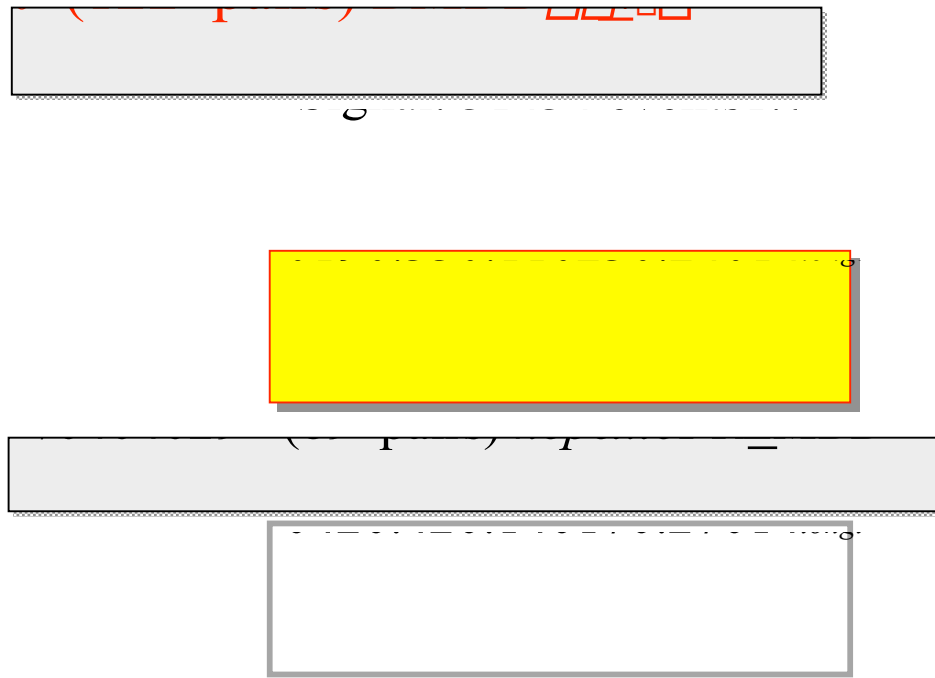
BABAR CONF-04/035



Results for $\sin 2\phi_{eff}$ from $B \rightarrow \pi\pi$ decays

Extraction of ϕ similar to $\pi\pi$, but with advantage of smaller Penguin pollution:

Moriond QCD04



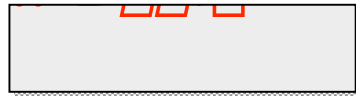
5.10.2004 L.N.F.

Marcello A Giorgi

C.Dallapiccola, CP-6

AR

Isospin Corrections for Δ

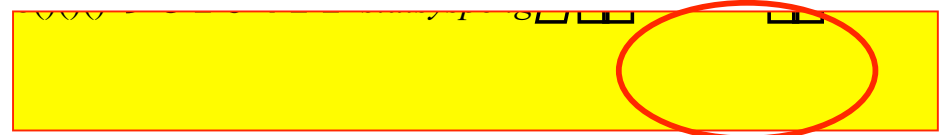
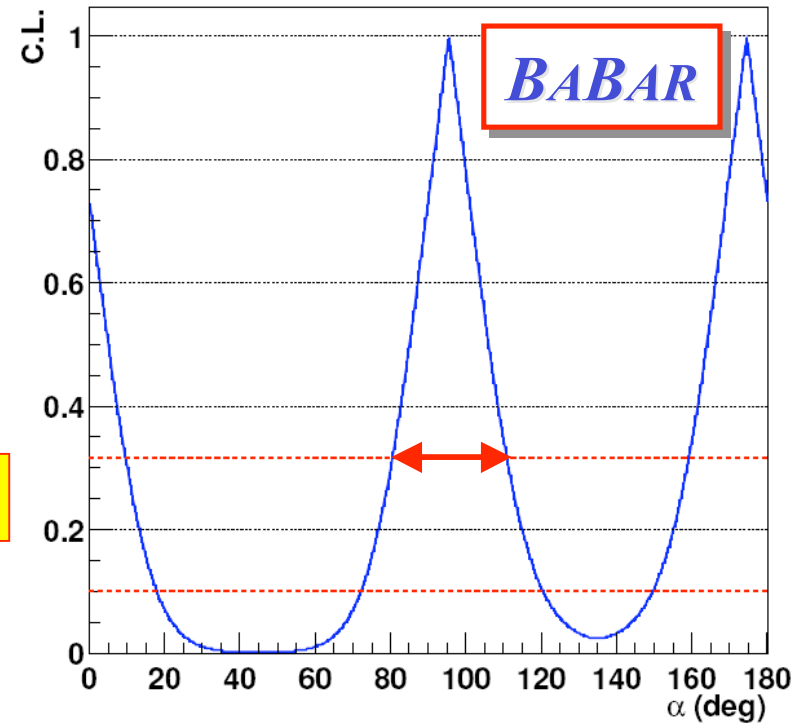
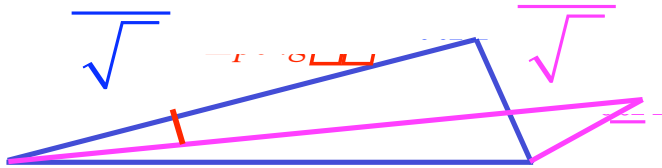


PRL 91 (2003) 171802



Updated for ICHEP04

BABAR CONF-04/037



Geometric limit on $2\Delta_{\text{peng}}$: Grossman-Quinn bound

Compare with 35° for Δ

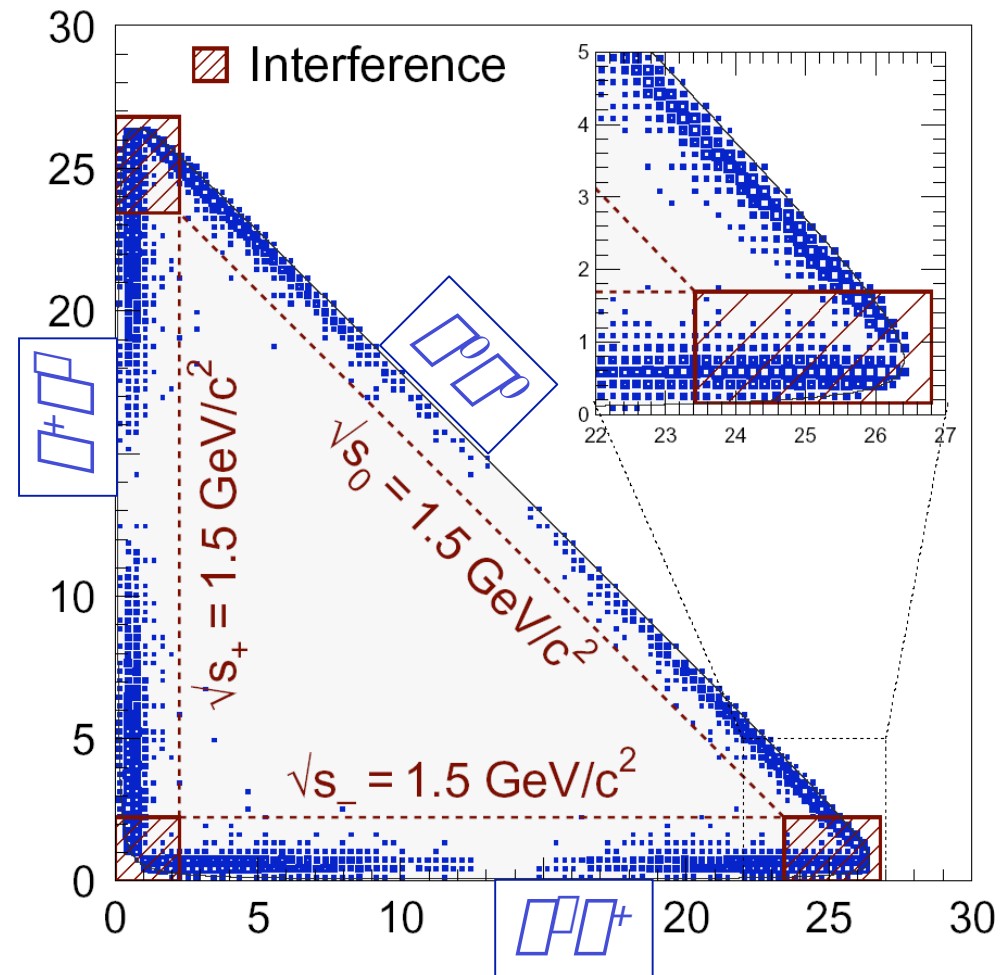
C.Dallapiccola, CP-6

Basis for Dalitz plot analysis of $B^0 \rightarrow (\pi\pi)^0$

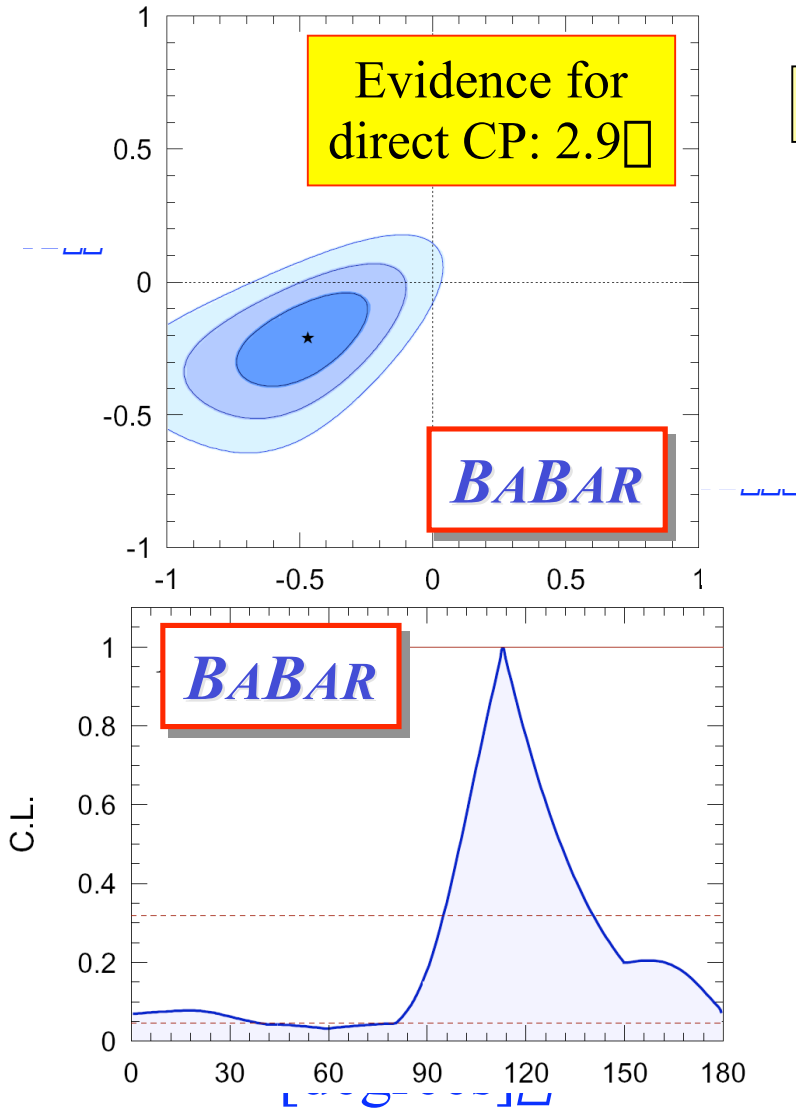
Quasi-two-body approach to Snyder-Quinn method

Phys.Rev. D 48, 2139 (1993)

- Extract δ and strong phases using interference between amplitudes
- Amplitude $A_{3\pi}$ dominated by $\pi^+\pi^0$, $\pi^0\pi^+$, $\pi^0\pi^0$ and radial excitations
- Form time-dependent decay rate coefficients of $\cos(\delta m_d \Delta t)$ and $\sin(\delta m_d \Delta t)$ on this basis



Results from Dalitz analysis of $B^0 \rightarrow (\pi\pi)^0$



[Redacted]

[Redacted]

combined 3.6σ

[Redacted]
 [Based on factorization & SU(3); Gronau & Zupan]
 hep-ex/0408003

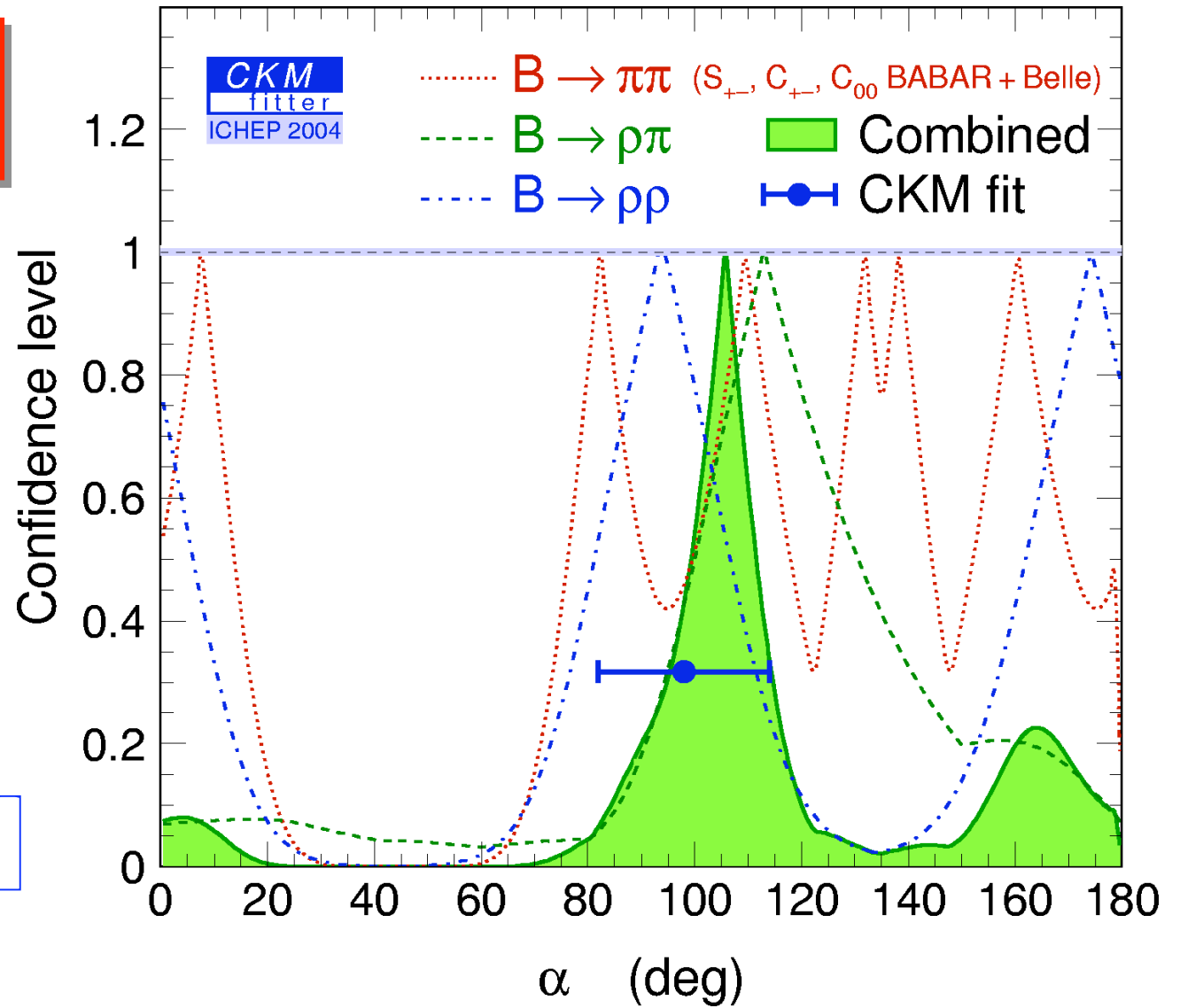
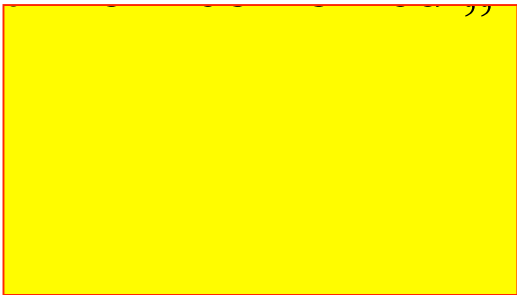
[Redacted]
 BABAR CONF-04/038



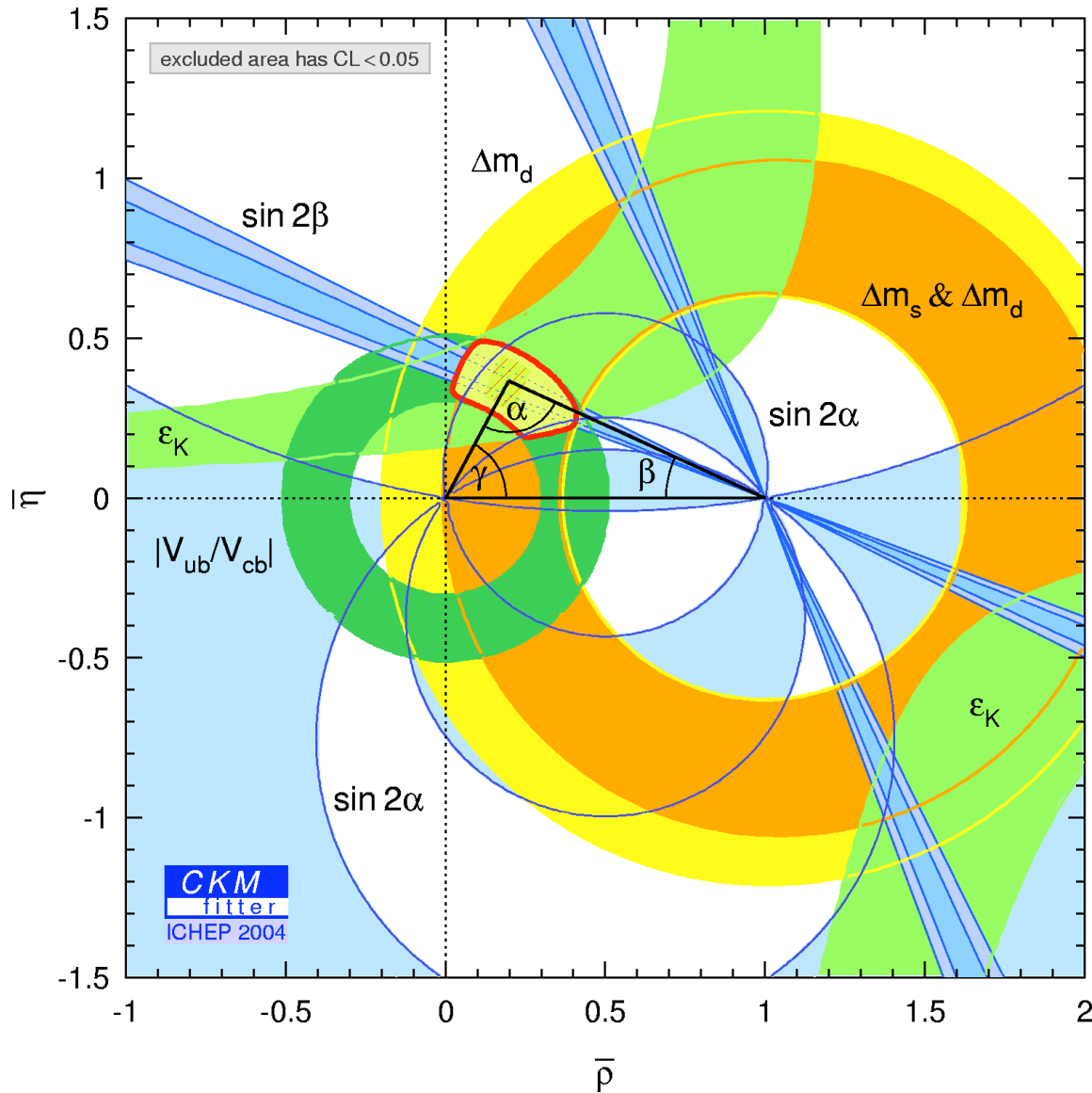
Summary of constraints on α

*BABAR & Belle
combined*

Mirror solutions
disfavored



CKM constraints and $\sin 2\beta$ and β measurements

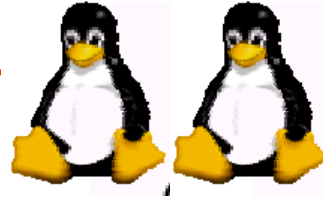


CKM fit to indirect constraints overlaid with $\sin 2\beta_{WA}$ and β measurements

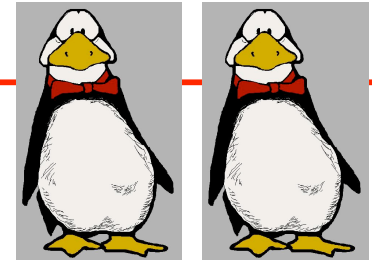
Beyond the Standard Model?

Do  and  yield the same $\sin^2 \theta$?

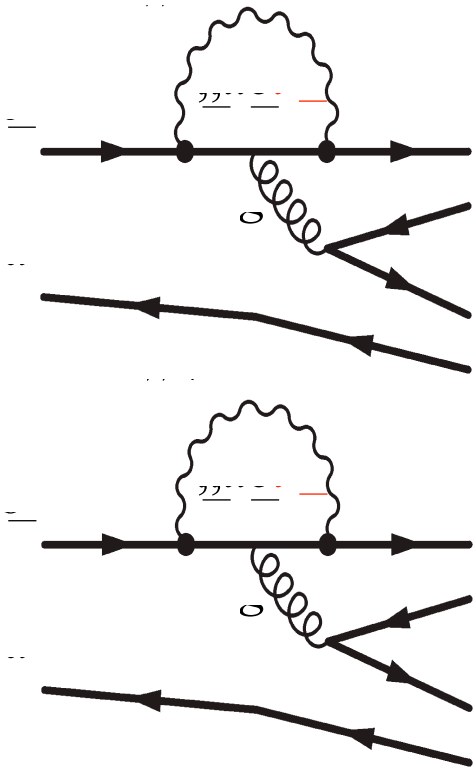
$\sin^2\beta$ and..



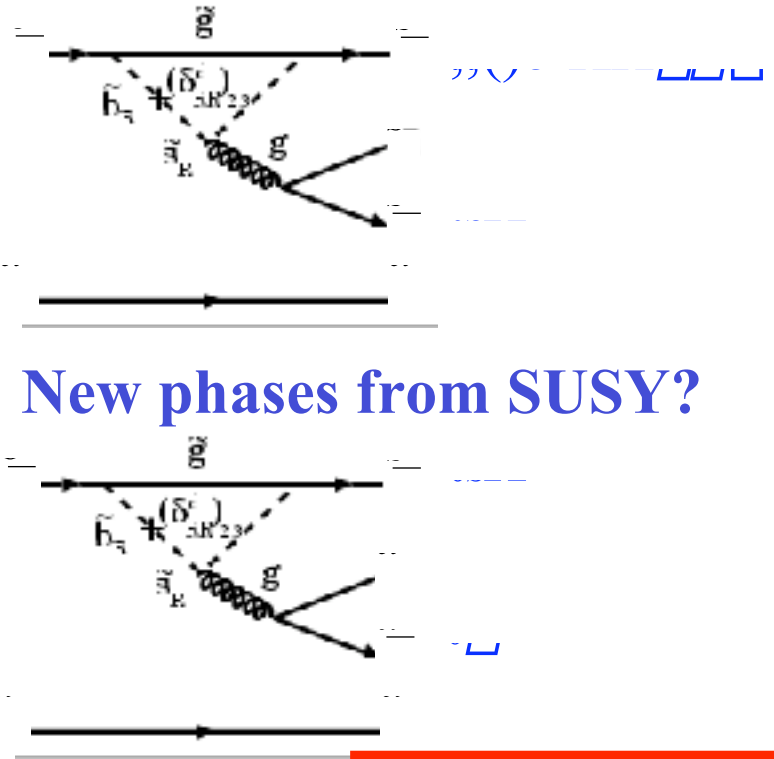
and....



In SM interference between B mixing, K mixing and Penguin $b \rightarrow s\bar{s}s$ or $b \rightarrow s\bar{d}d$ gives the same $e^{i2\beta}$ as in tree process $b \rightarrow c\bar{c}s$. However loops can also be sensitive to New Physics!



Purely dimensional estimate



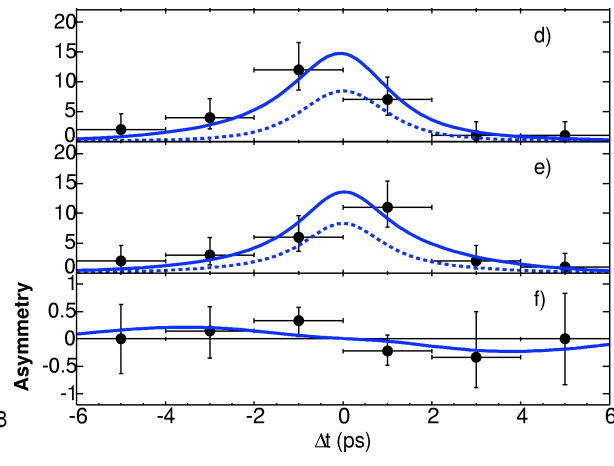
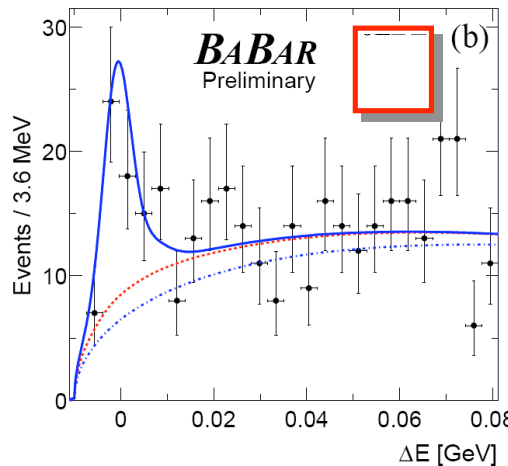
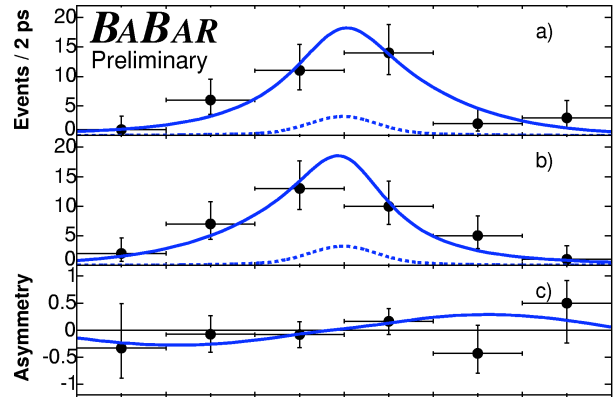
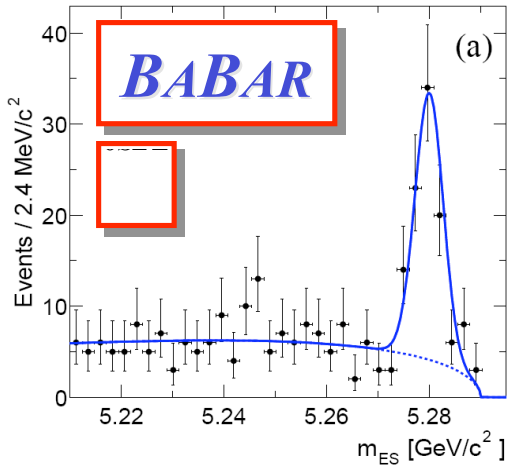
New phases from SUSY?

Note that within QCD these uncertainties turn out to be smaller ! A.Hoecker ICHEP04

BABAR results for $B^0 \rightarrow \pi^0 K^0$

2004 = 227M BB pairs (2003 = 120M pairs)

2003 result



Update for ICHEP04



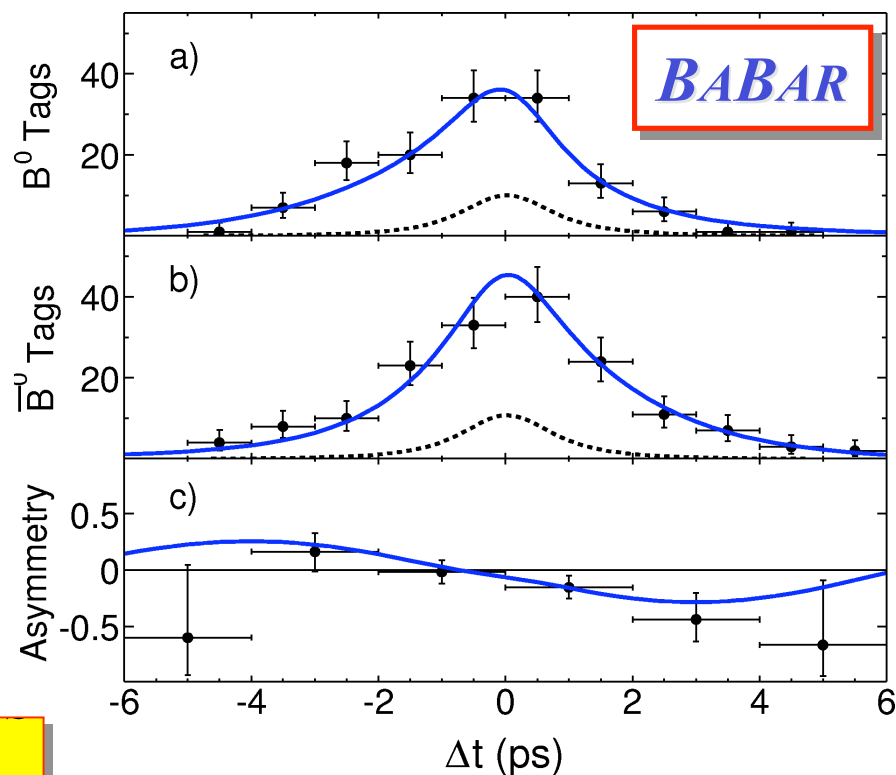
BABAR-CONF 04/033

More BABAR results from $b \rightarrow \bar{s}s$ penguins

Update for ICHEP04

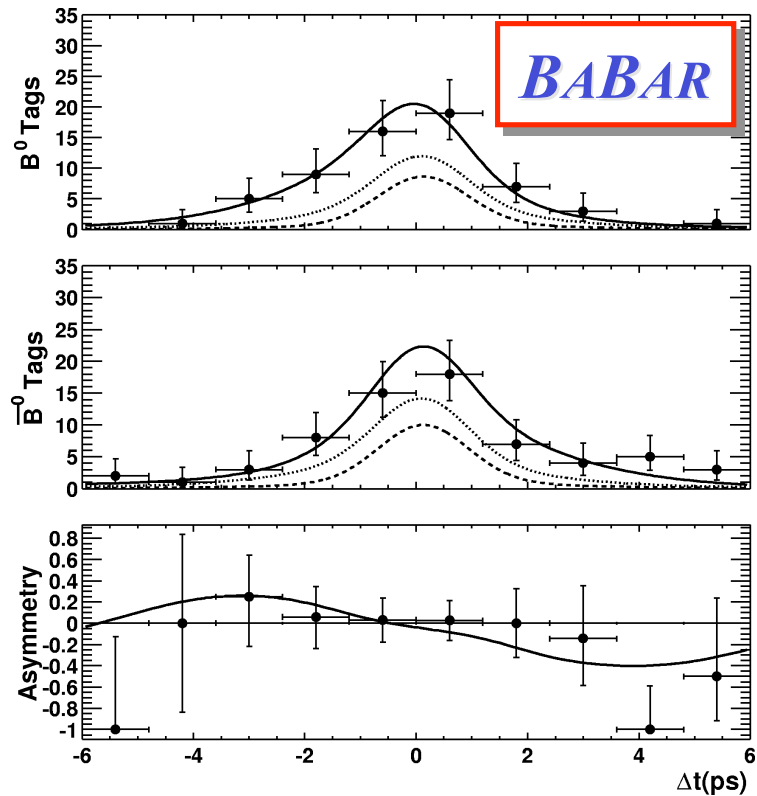
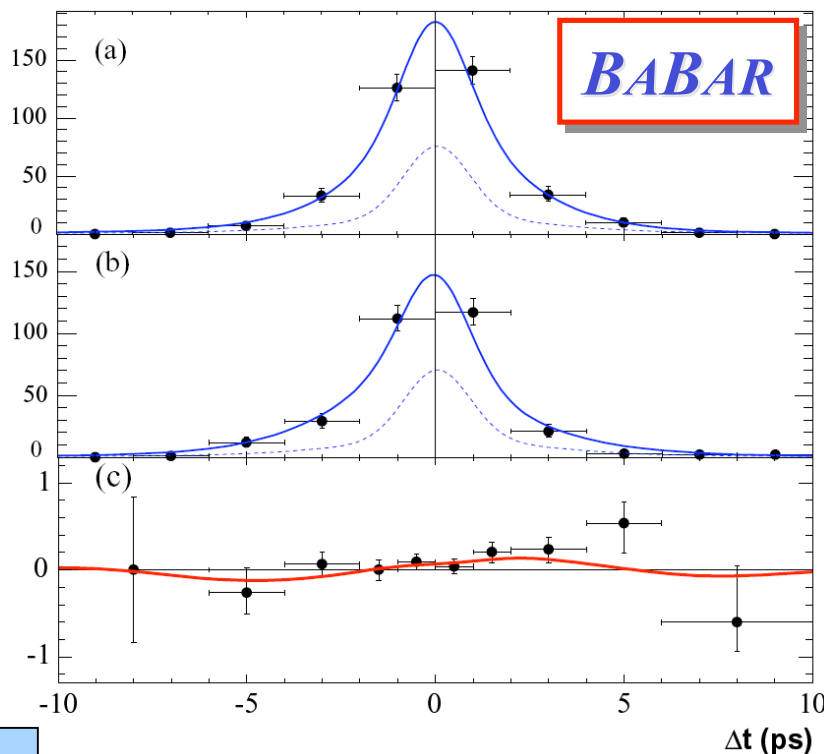
BABAR CONF-04/025

- Independent sample with (K^+K^0) mass outside ΔE region
- CP content can be determined experimentally with an angular momentum analysis through the helicity angle distribution

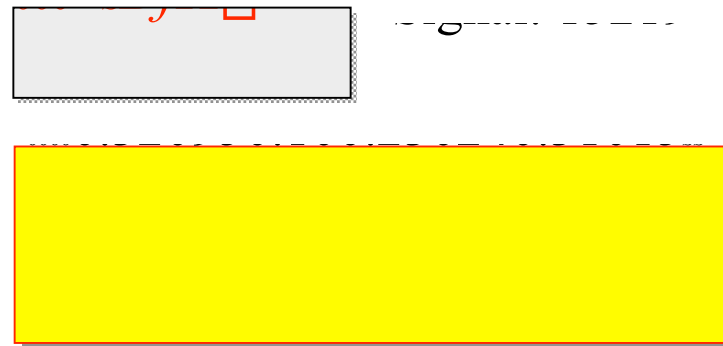
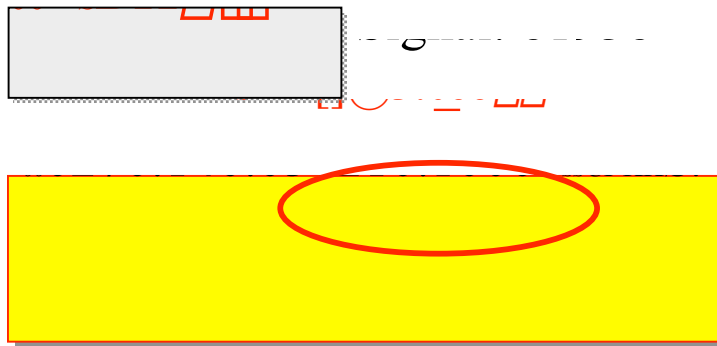


More BABAR results from $b \rightarrow s\bar{s}$ penguins

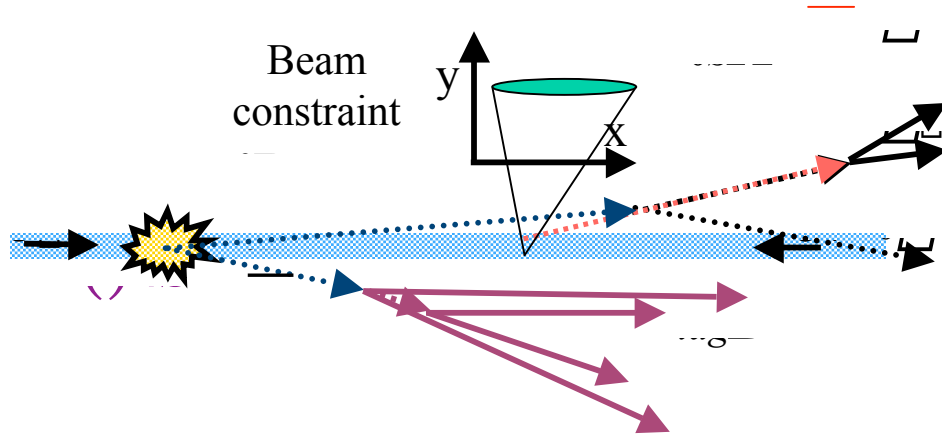
CONF 04/040
CONF 04/019



Updates for
ICHEP04



Still another penguin mode: $B^0 \rightarrow \rho^0 K_S$

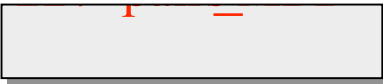


BABAR technique from 2003

Updated for ICHEP04

BABAR

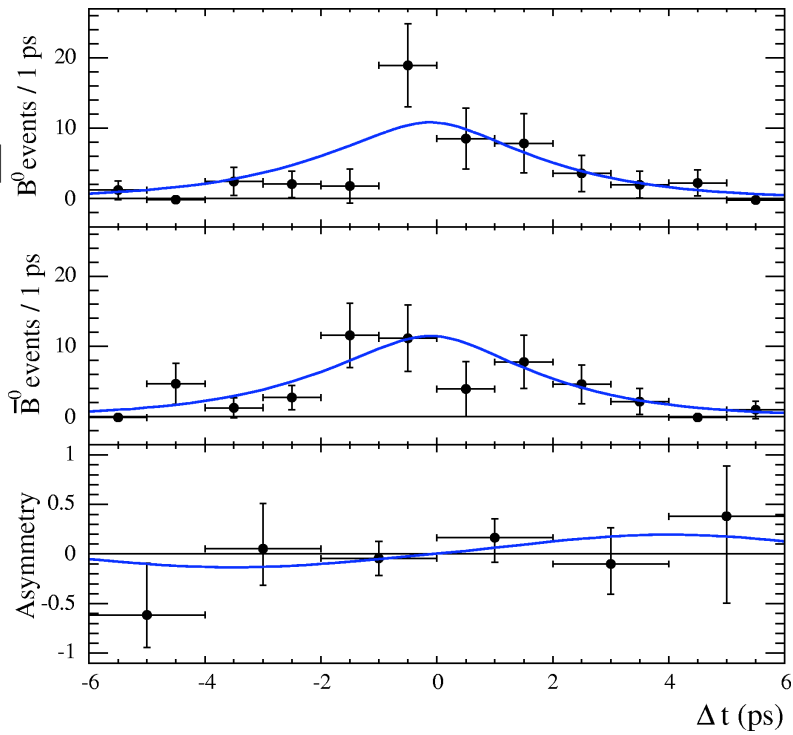
BABAR CONF-04/030



Belle



[sPlots: Pivk,
Le Diberder,
physics/0402083]

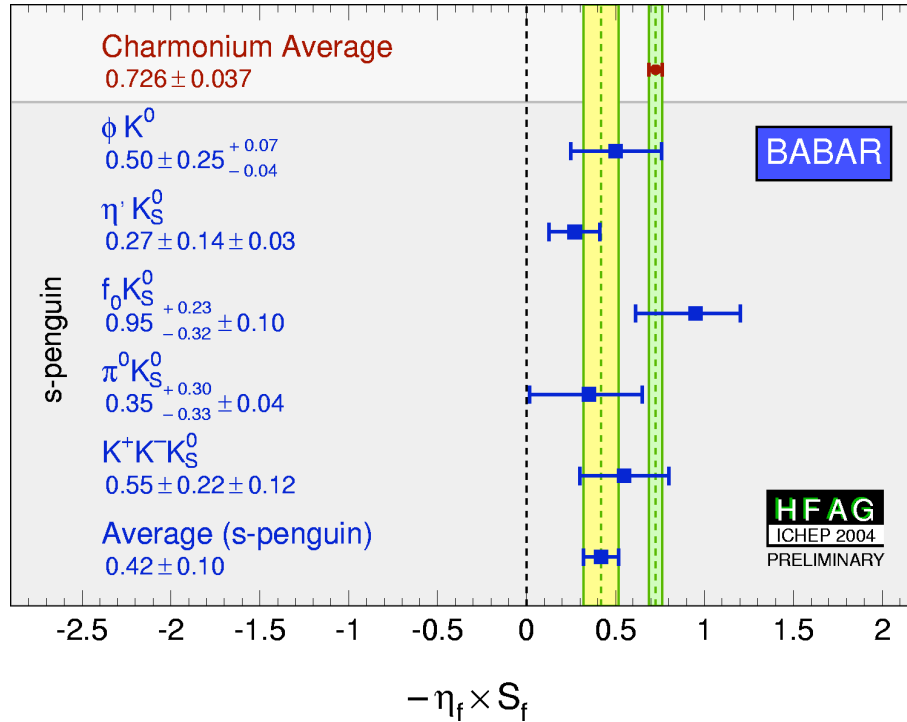


BABAR

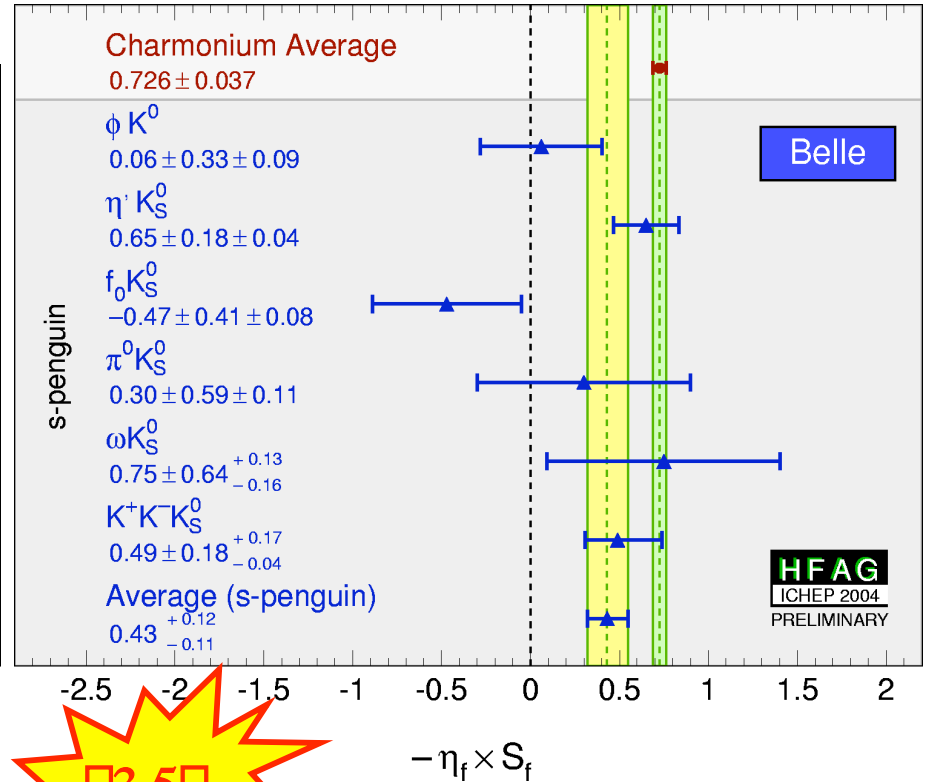
Results on $\sin 2\beta$ from s-penguin modes



All new!



All new!

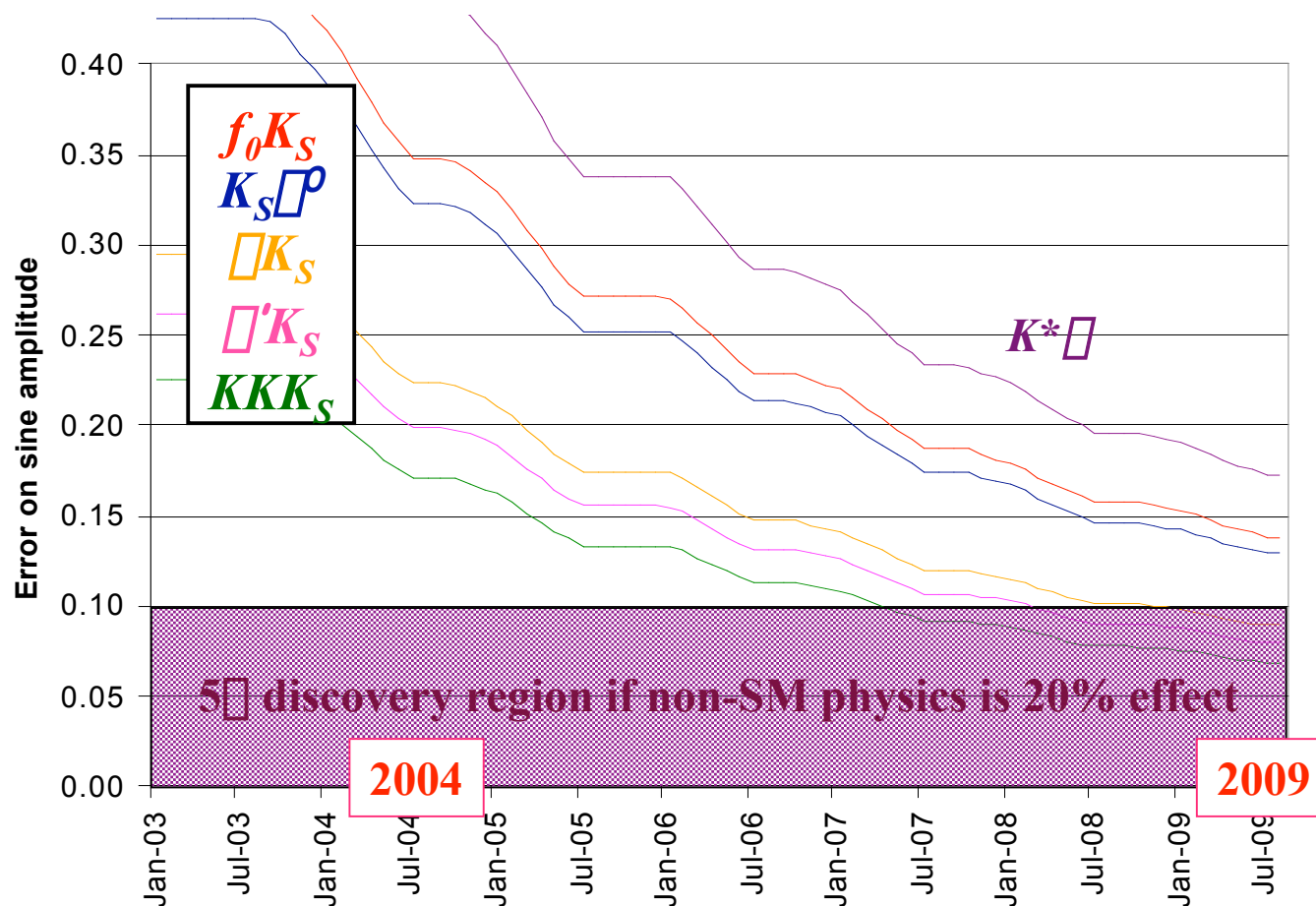


2.7 from s-penguin to $\sin 2\beta$ ($c\bar{c}$)

3.5

2.4 from s-penguin to $\sin 2\beta$ ($c\bar{c}$)

Projections for Penguin Modes



Luminosity expectations:

2004=240 fb⁻¹
2009=1.5 ab⁻¹

Similar projections for Belle as well

Projections are statistical errors only;
but systematic errors at few percent level

Conclusions and outlook

- Success of B Factory experiments BaBar and Belle of $b \rightarrow c \bar{c} s$ (new $\sin 2\beta$ value from charmonium 0.726 ± 0.037)
- Good agreement between BaBar and Belle results on $b \rightarrow s \bar{s} s$ penguin, but both experiments still show discrepancies (2.7 and 2.4%) with charmonium!!
- Observation by BaBar of the direct CP violation in charmless B decay confirmed by Belle (average value -0.043 ± 0.013)
- Quantitative measurements of β (β_2) are emerging (new value 21.5 ± 1.5)
- Constraints on β (β_3) are still poor with present statistics (low values for r_B).

- A statistical increase on these modes in the next few years could well provide initial evidence for new physics in the unitarity triangle beyond the SM.
- Modes dominated by penguin amplitudes as $B^0 \rightarrow f K^0$ seem to be promising benchmarks for New Physics at a mass scale < 1 TeV. However unravelling the full flavour impact of this new physics will require a very high luminosity B Factory – a Super- B Factory – (luminosity higher by a factor 50-100 than in the present machines).