

# FEVA

## Final state radiation for MC EVA

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## **EVA**

MC     $e^+ e^- \rightarrow \pi^+ \pi^- \gamma$   
large angle kinematics (only)  
Born level, method SF  
sQED\*VMD for FSR

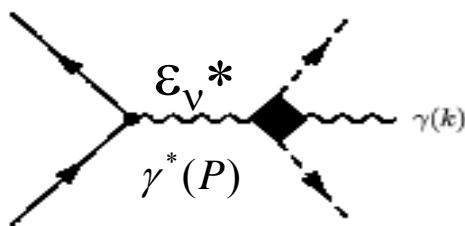
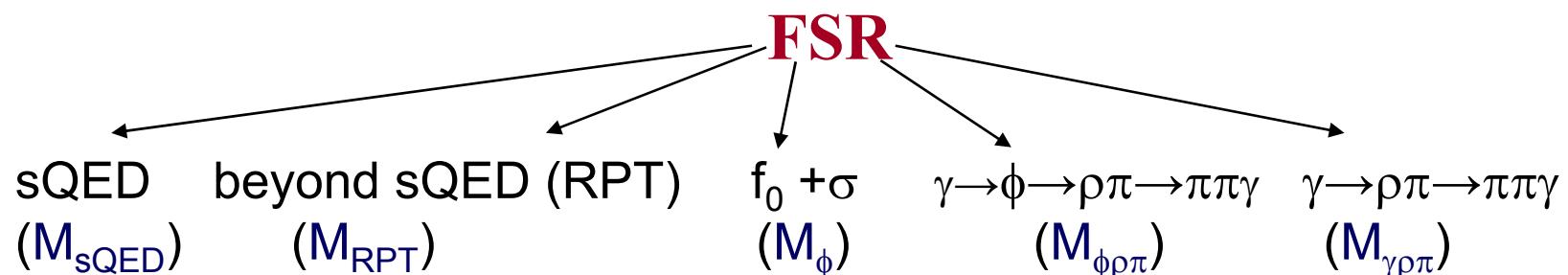


## **FEVA**

Final state radiation  
for MC EVA

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$$M_F^{\mu\nu} = f_1 \tau_1^{\mu\nu} + f_2 \tau_2^{\mu\nu} + f_3 \tau_3^{\mu\nu}$$

C\* ---> 1 0=initial state radiation only 0 1=fsr only 1 1=interference isr+fsr

KIND 0 1

C\* Model for the Pion form factor --> KS GS SV

FPKIND 3

C\*FSR---> sqed bsqed f0 VMD rhopig

rhokind 0 0 1 0 0

C\*f0KIND phi decay model

f0KIND 5

C\*-----> Parameters of the Pion Form factor

C\*PSV\*MRHO GAMMARHO MRHOL GRHOL MOMEGA GOMEGA pi\_rho FV

C\*KS\*MRHO GAMMARHO MRHOL GRHOL MOMEGA GOMEGA AL BE

C\*GS\*MRHO GAMMARHO MRHOL GRHOL MOMEGA GOMEGA AL BE arg(AL)

C\*-----> Parameters of Scalar contribution (f0,f0+sigma) in FSR

C\*F0 Gf0\_k+k- Gf0\_p+p- Gphi\_k+k- phase(deg) f0MASS msigma gsigpp gsigkk Cf0sig

C\*F0+SIGMA Gf0\_k+k- Gf0\_p+p- Gphi\_k+k- phase(deg) f0MASS msigma gsigpp gsigkk Cf0sig

C\*f0phase F0+SIGMA m0k m2k LambdaK b0p b1p b2p Lambdap

C\*-----> Parameters of VMD contribution in FSR g\_rhopig g\_phirpi

C\*VMDPAR g\_rhopig g\_phirpi prhores beta\_bro beta\_wphi

C\* ---> histo output file

ENES 1.039202865 EMIN 0.02

QMIN 0.9 GMIN 0.02 ACUT 1. 179. 0. 180.

**cards\_feva.dat**

## Final State radiation

The matrix element for  $e^+e^- \rightarrow \pi^+\pi^-\gamma$  for DAFNE

$$d\sigma_T \sim |M_{ISR} + M_{FSR}|^2 = d\sigma_I + d\sigma_F + d\sigma_{IF}$$

$$d\sigma_I \sim |M_{ISR}|^2$$

$$d\sigma_F \sim |M_{RPT} + M_\phi + M_{\phi\rho\pi} + M_{\gamma\rho\pi}|^2$$

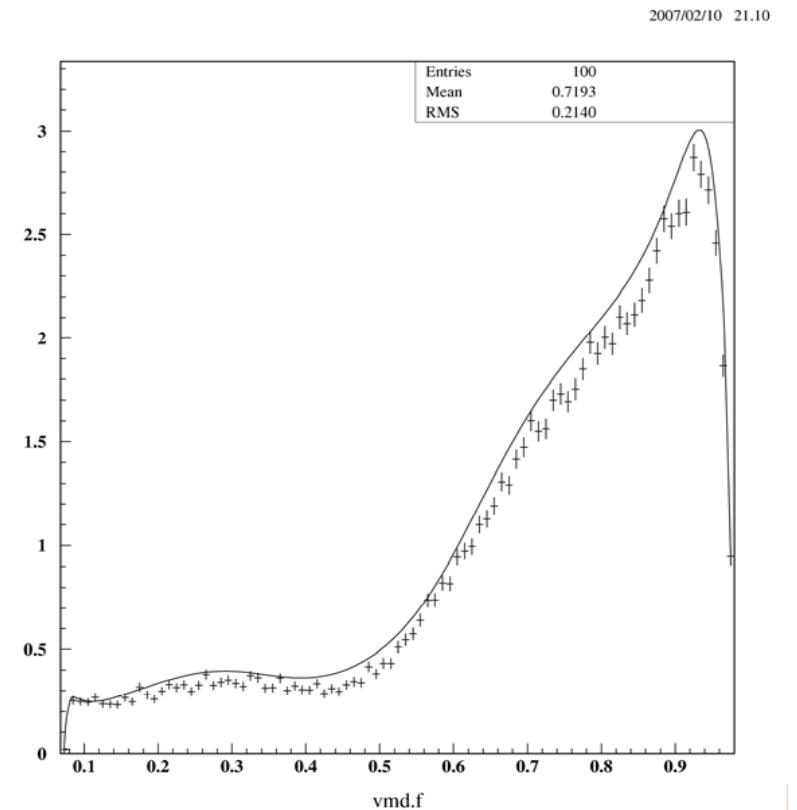
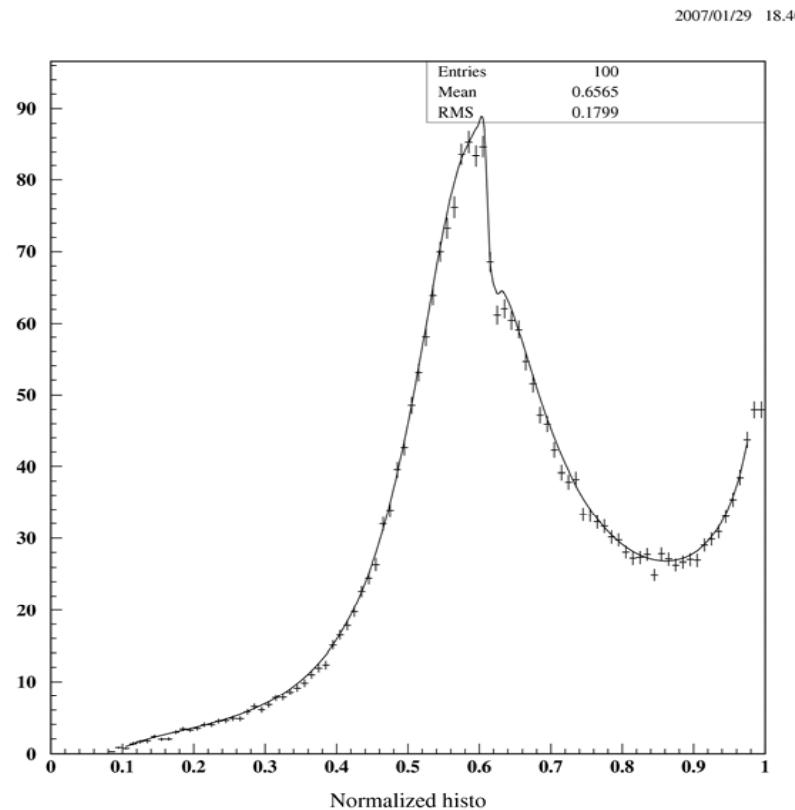
$$d\sigma_{IF} \sim 2\text{Re}(M_{ISR} \cdot (M_{RPT} + M_\phi + M_{\phi\rho\pi} + M_{\gamma\rho\pi})^*)$$

*S. Binner et al.  
Phys. Lett. B 459 (1999)*

- Our MC is based on EVA MC structure, with **our amplitude for all FSR contributions (i.e.  $M_{FSR}$ )**
- Interference term  $d\sigma_{IF}=0$  for symmetric cuts on  $\theta_\pi$

## Comparison MC with analytical functions

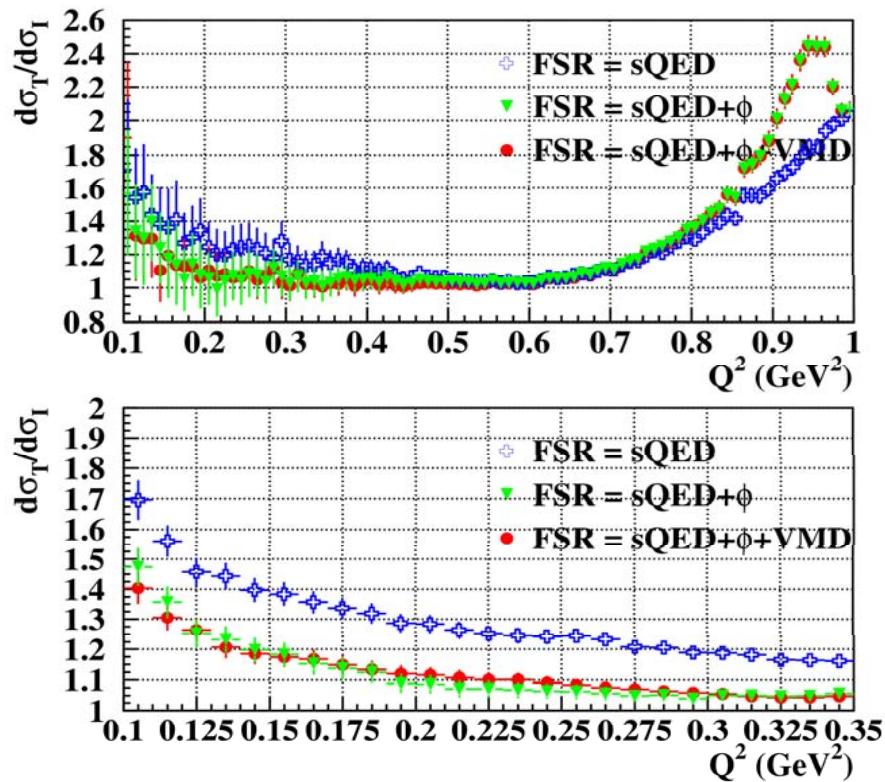
$$s=m_\phi^2$$



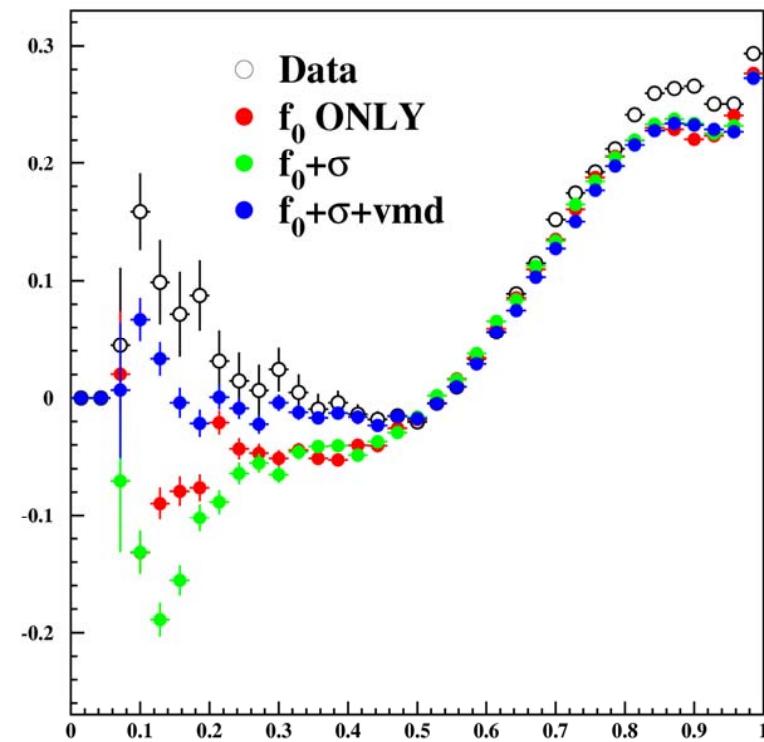
ISR

FSR ( $\phi$  decay+VMD)

$$s=m_\phi^2$$



cross section



asymmetry

# FEVA

## Final state radiation for MC EVA

- **Final State Radiation**

- block structure  $\Rightarrow$  can be modified easy
- the most important contributions are included

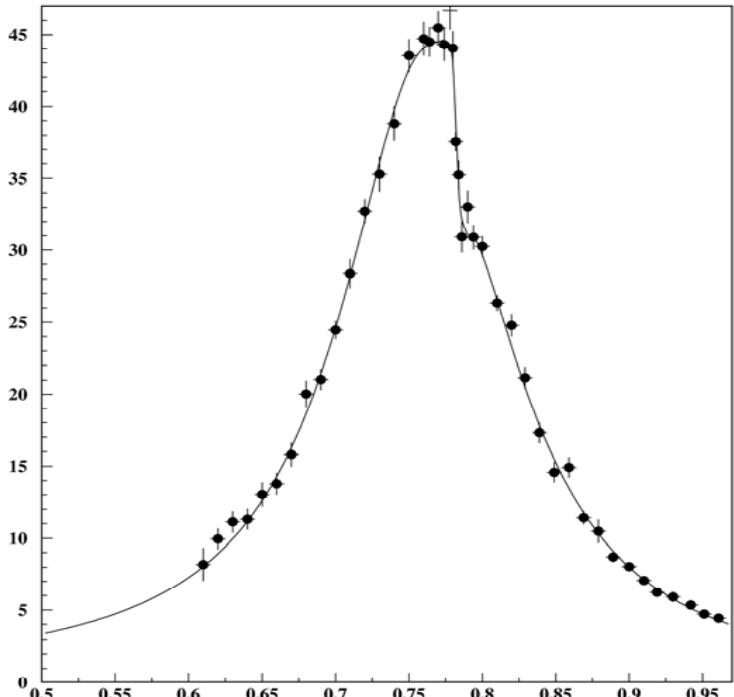
- **Cross section and asymmetry calculation**

**To include**

- full phase space
- $\pi^0 \pi^0$  final state; multipion final state
- two photon emission

# Back-up

## Pion Form Factor with $\rho$ - $\omega$ mixing



$$F_\pi(q^2) = 1 + \frac{F_V G_V}{f_\pi^2} F_\rho(q^2) \left( 1 - \frac{\Pi_{\rho\omega}}{3q^2} F_\omega(q^2) \right)$$

$$+ \sum_i \frac{F_{V_i} G_{V_i}}{f_\pi^2} F_{\rho_i}(q^2)$$

$$F_{res}(q^2) = \frac{q^2}{m_{res}^2 - q^2 - im_{res}\Gamma_{res}(q^2)}$$

$$\Gamma_{res}(q^2) = \Gamma \sqrt{\frac{m_{res}^2}{q^2}} \left( \frac{q^2 - m_{res}^2}{m_{res}^2 - 4m_\pi^2} \right)^{3/2} \Theta(q^2 - m_\pi^2),$$

$$\Gamma_\omega = 8.68 \text{ MeV}, \quad m_\omega = 782.7 \text{ MeV}$$

**Our fit Novosibirsk CMD-2 data gives us**

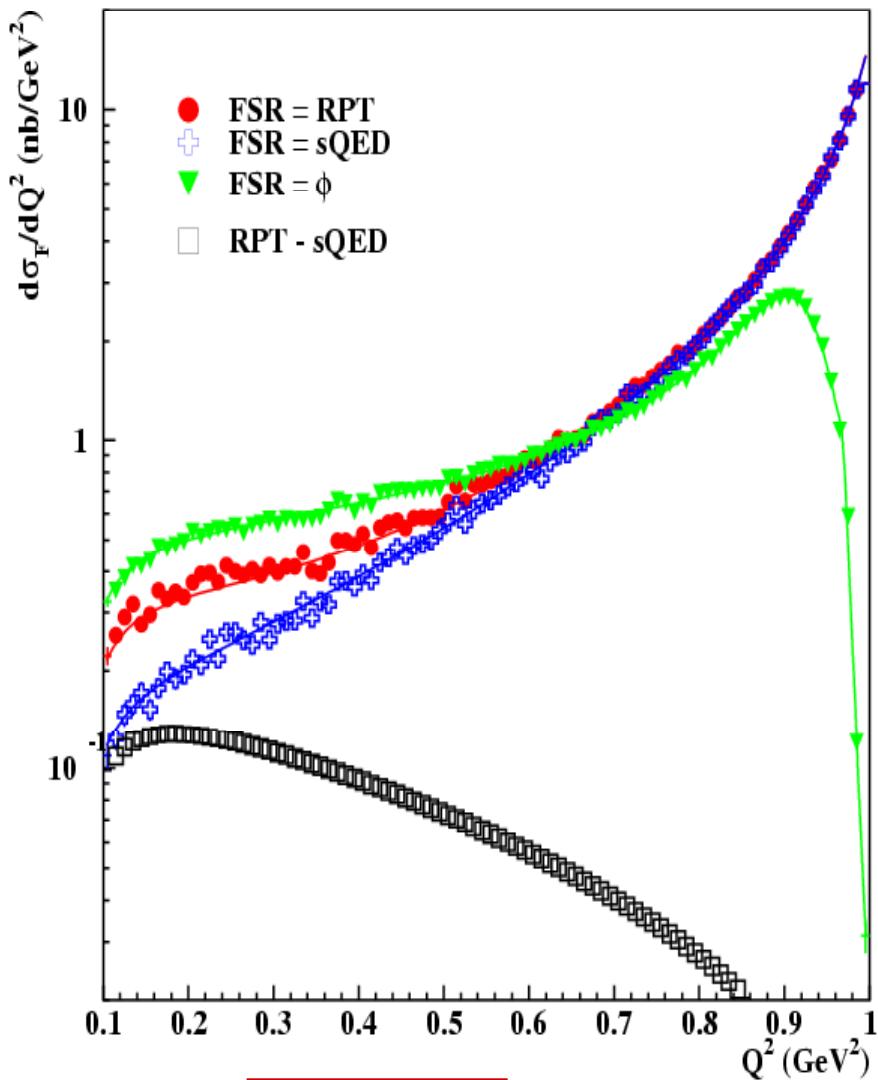
$$m_\rho = 774.97 \pm 1.4 \text{ MeV}, \quad F_V = 154.22 \pm 0.5 \text{ MeV}$$

$$\Gamma_\rho = 145.21 \pm 2.6 \text{ MeV}, \quad \Pi_{\rho\omega} = -2774 \pm 291.2 \text{ MeV}^2$$

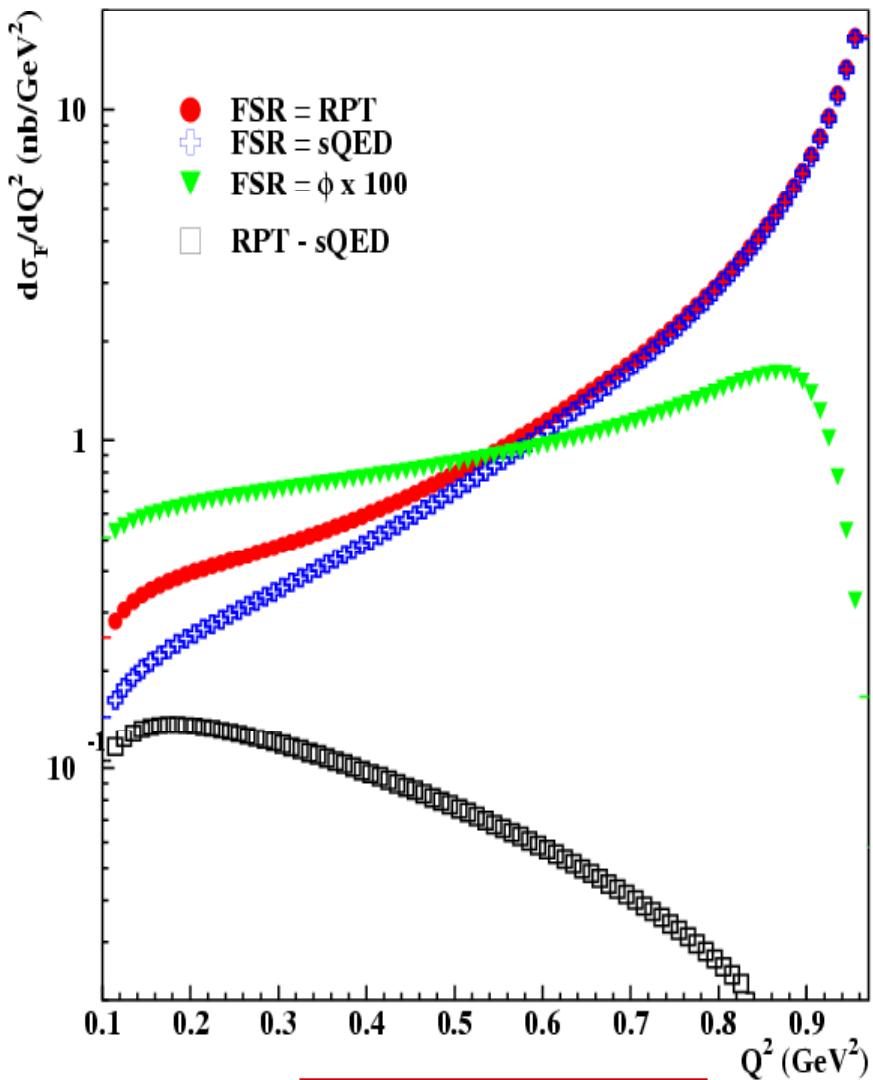
$$m_{\rho'} = 1.2 \pm 0.2 \text{ GeV}, \quad \Gamma_{\rho'} = 400 \pm 200 \text{ MeV}$$

$$\chi^2 = 0.853$$

## Comparison MC with analytical functions



$$s=m_\phi^2$$



$$s=1\text{ GeV}^2$$