

Study of Scalar Mesons in $\pi^+\pi^-\gamma$ events with the KLOE detector

- (0) Motivations of this analysis
- (1) Event Selection
[see C.Bini, S.Ventura, KLOE Memo 284]
- (2) The data sample: what we measure
- (3) Fit to the data
- (4) Interpretation of the results
- (5) Conclusions (=answers to (0))

(0) Motivations of this analysis:

Look for $f_0(980) \rightarrow \pi^+\pi^-$ signal

Extraction of the “coupling” of the
 $f_0(980)$ to the $\phi(1020)$: s-quark
content of f_0

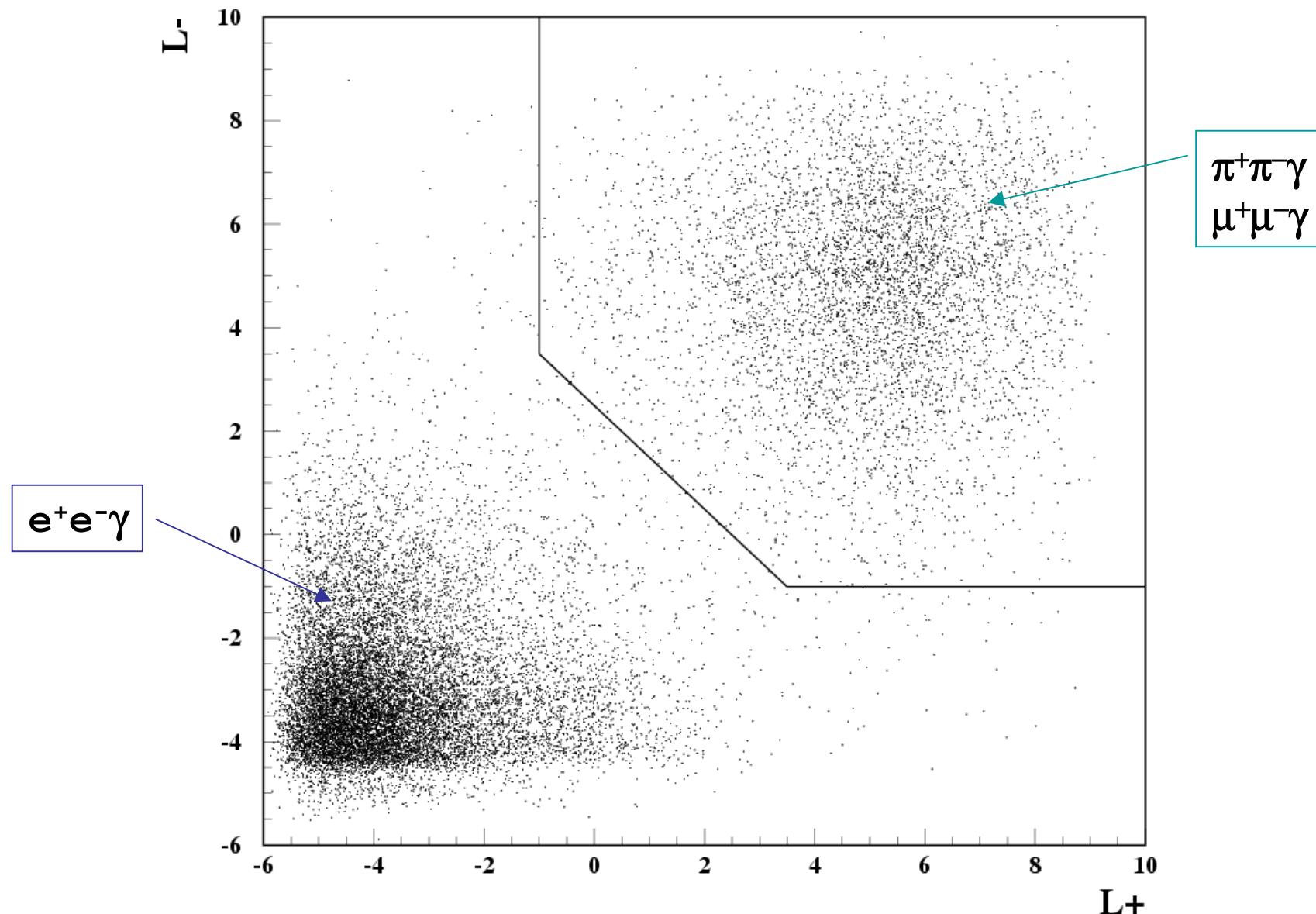
Any further meson ($f_0(600)=\sigma$) is
needed to describe the spectrum ?

Comparison between different
approaches for the $\phi \rightarrow$ scalar + γ
amplitude descriptions

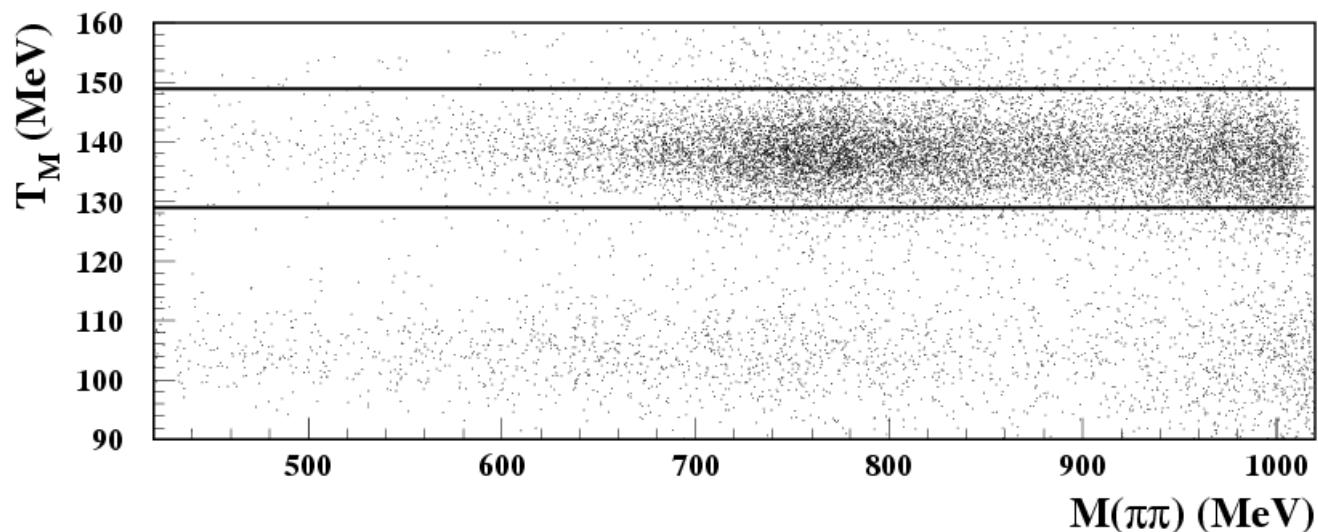
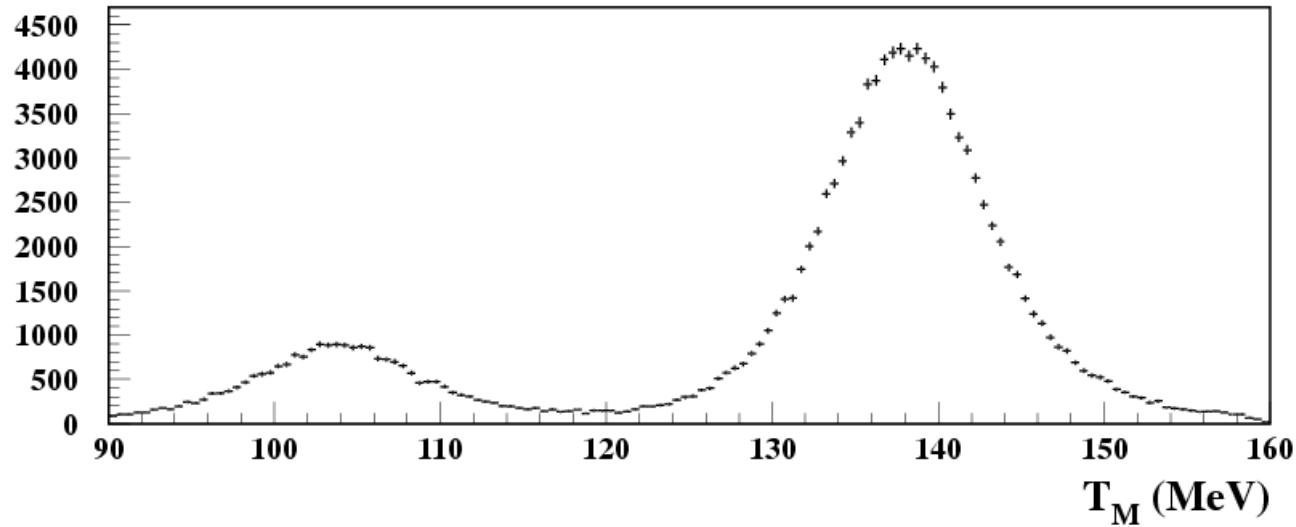
(1) Event selection

- Vertex in I.R. ($r_{xy} < 8 \text{ cm}$, $|z| < 10 \text{ cm}$) with 2 opposite charge tracks $45^\circ < \theta < 135^\circ$;
- (2) Both tracks extrapolated to calorimeter TCA + Likelihood (in AND);
→ [reduce $e^+e^-\gamma$]
- (3) $P_{\text{miss}} = P_\phi - P_{t1} - P_{t2}$; $45^\circ < \theta(P_{\text{miss}}) < 135^\circ$;
→ [photon at "large angle" reduce ISR]
- (4) Trackmass: $129 < M_T < 149 \text{ MeV}$;
→ [reduce $\mu^+\mu^-\gamma$ and $\pi^+\pi^-\pi^0$]
- (5) Request of the photon: a neutral cluster with
 $\Omega \propto \arccos(p_{\text{cl}} \cdot P_{\text{miss}}) < 0.03 + 3/E_\gamma(\text{MeV}) \text{ rad}$;
→ [further reduction of $\pi^+\pi^-\pi^0$ and of $\pi^+\pi^-$]

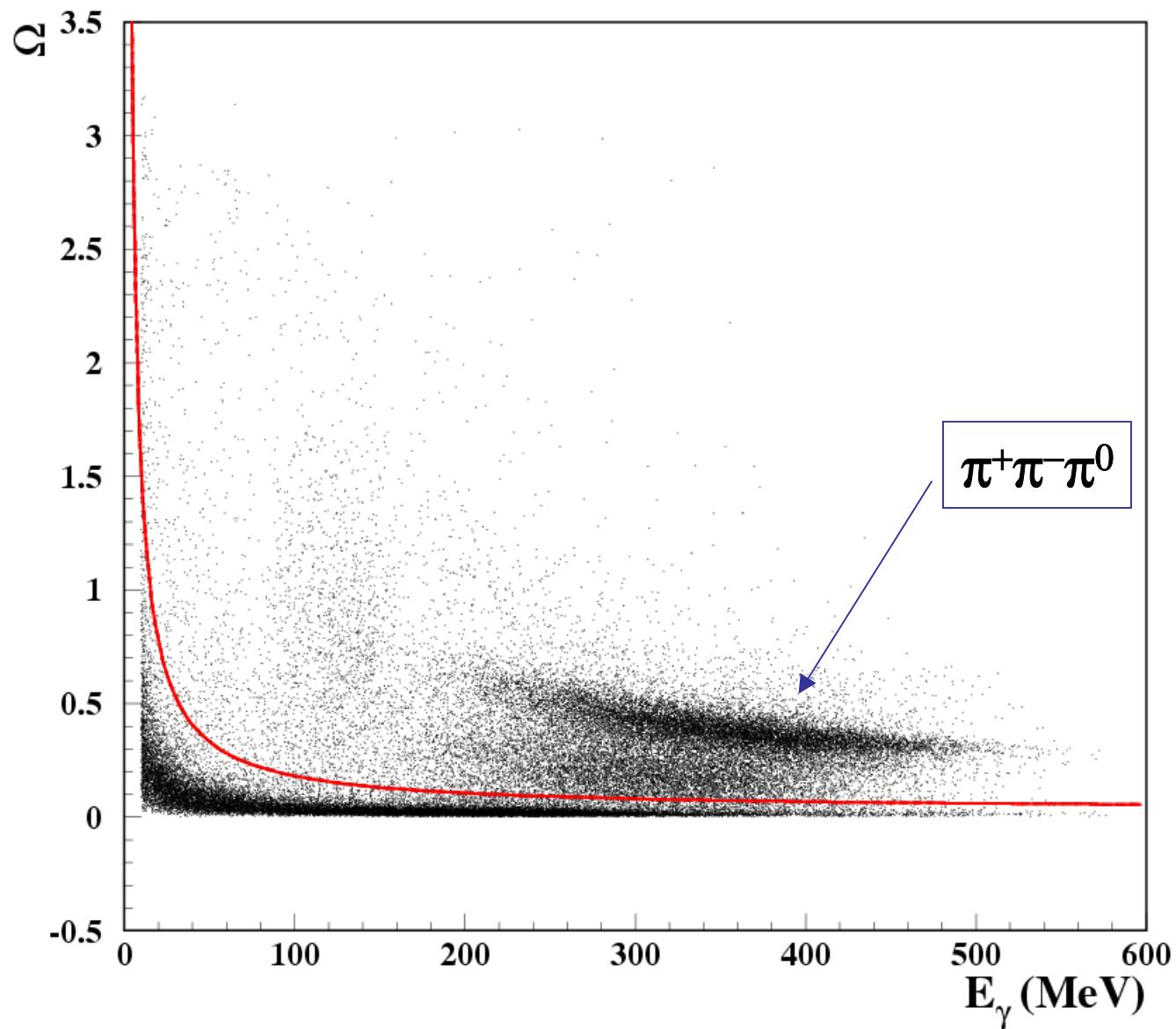
Cut on the likelihood variables (AND)



Cut on the trackmass variable



Cut on the Ω variable

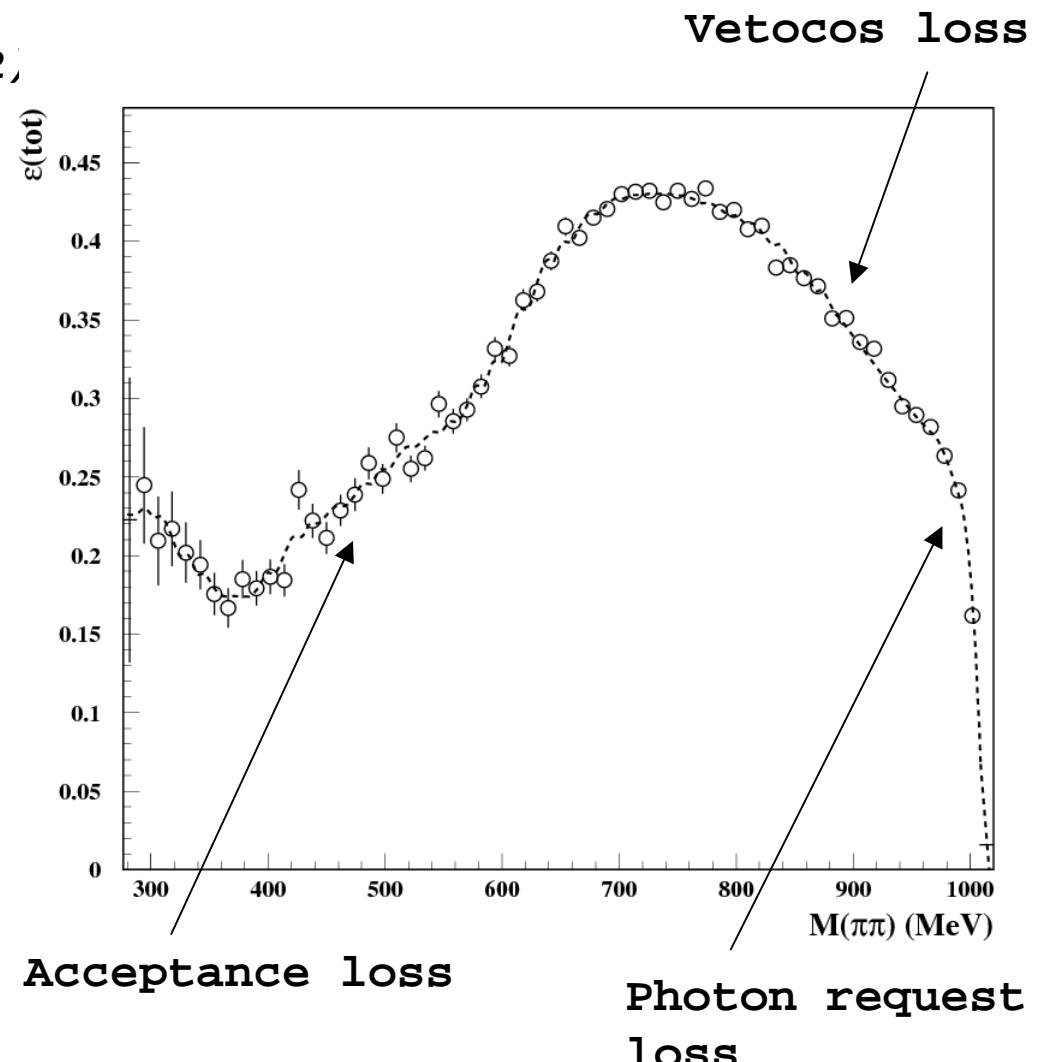


Efficiency:

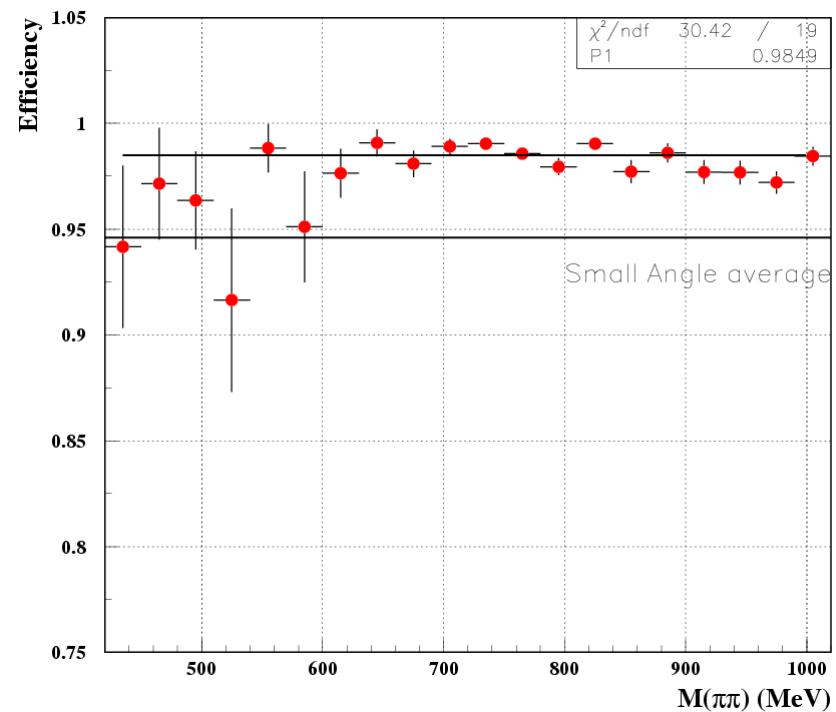
MC stream *ppphvlag* (ISR+FSR,
Sample size ~ data

All selection chain
apart from:
Filfo
Vetocos
TCA+Likelihood
(taken from data)

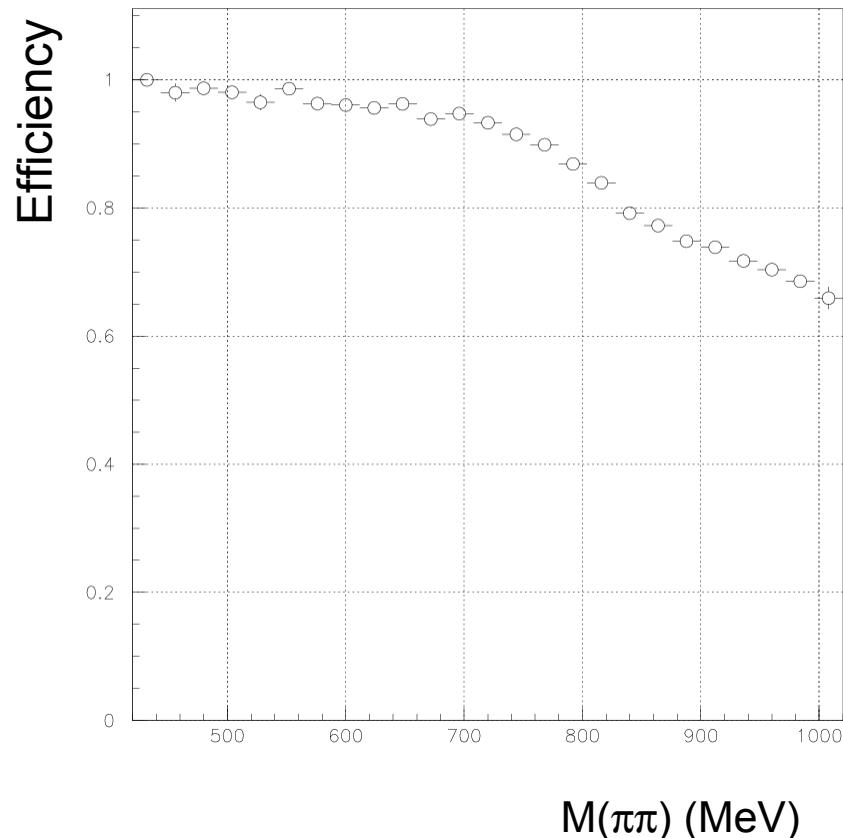
Corrections from:
tracking efficiency
photon efficiency
 $(1 - \exp(-E/a))$ $a \sim 8$ MeV



Filfo efficiency: negligible dependence on the machine bck thanks to the photon

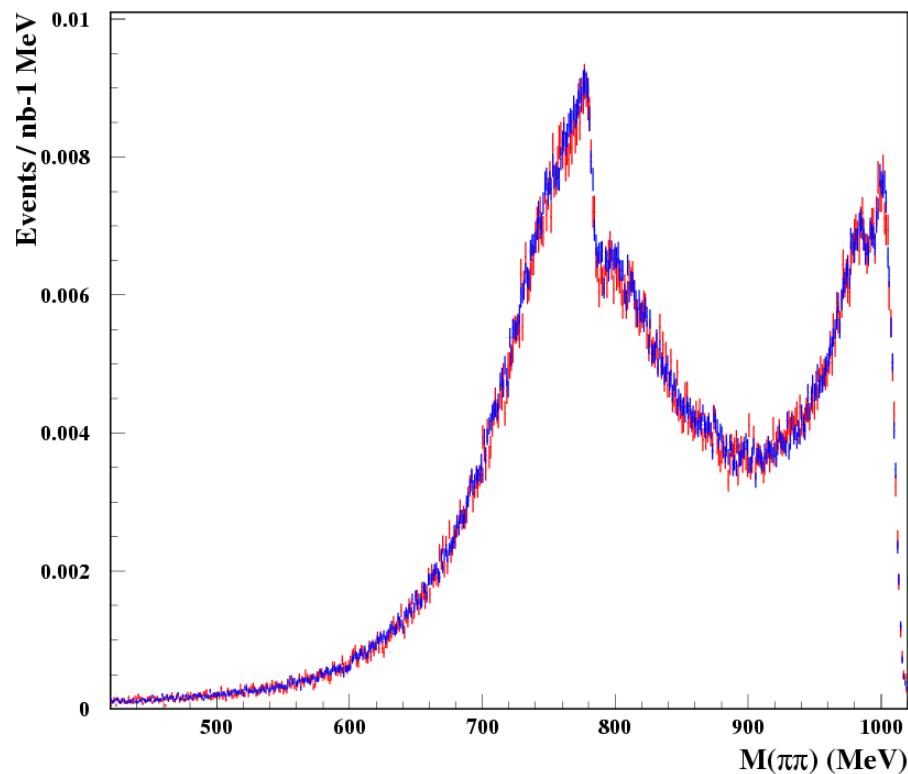


Vetocos efficiency from pre-scaled events: very important correction.

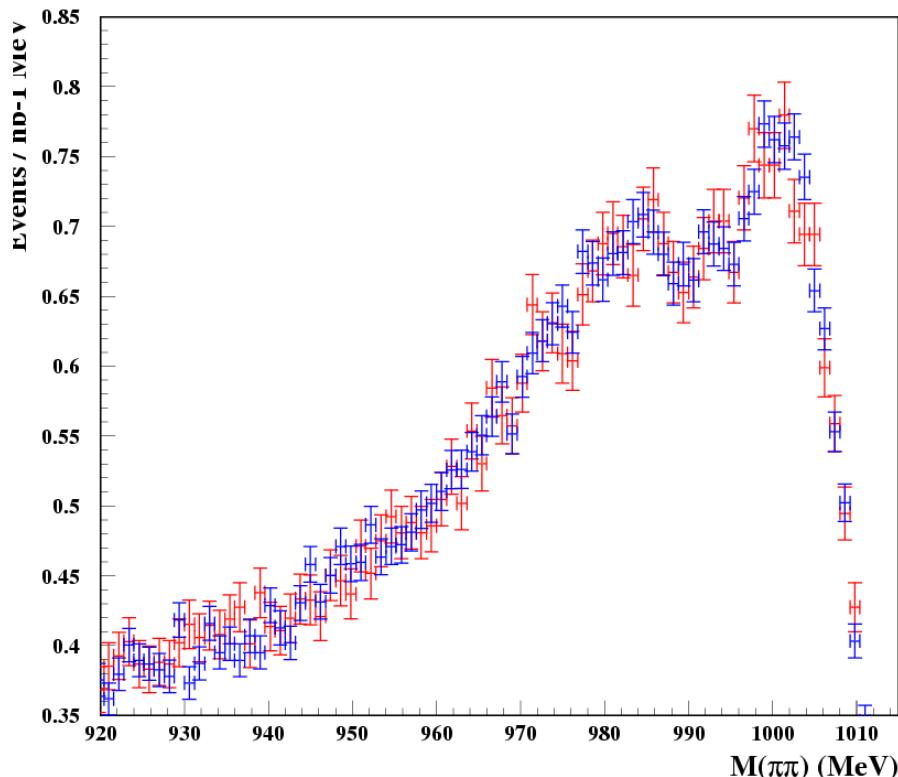


(2) The data sample

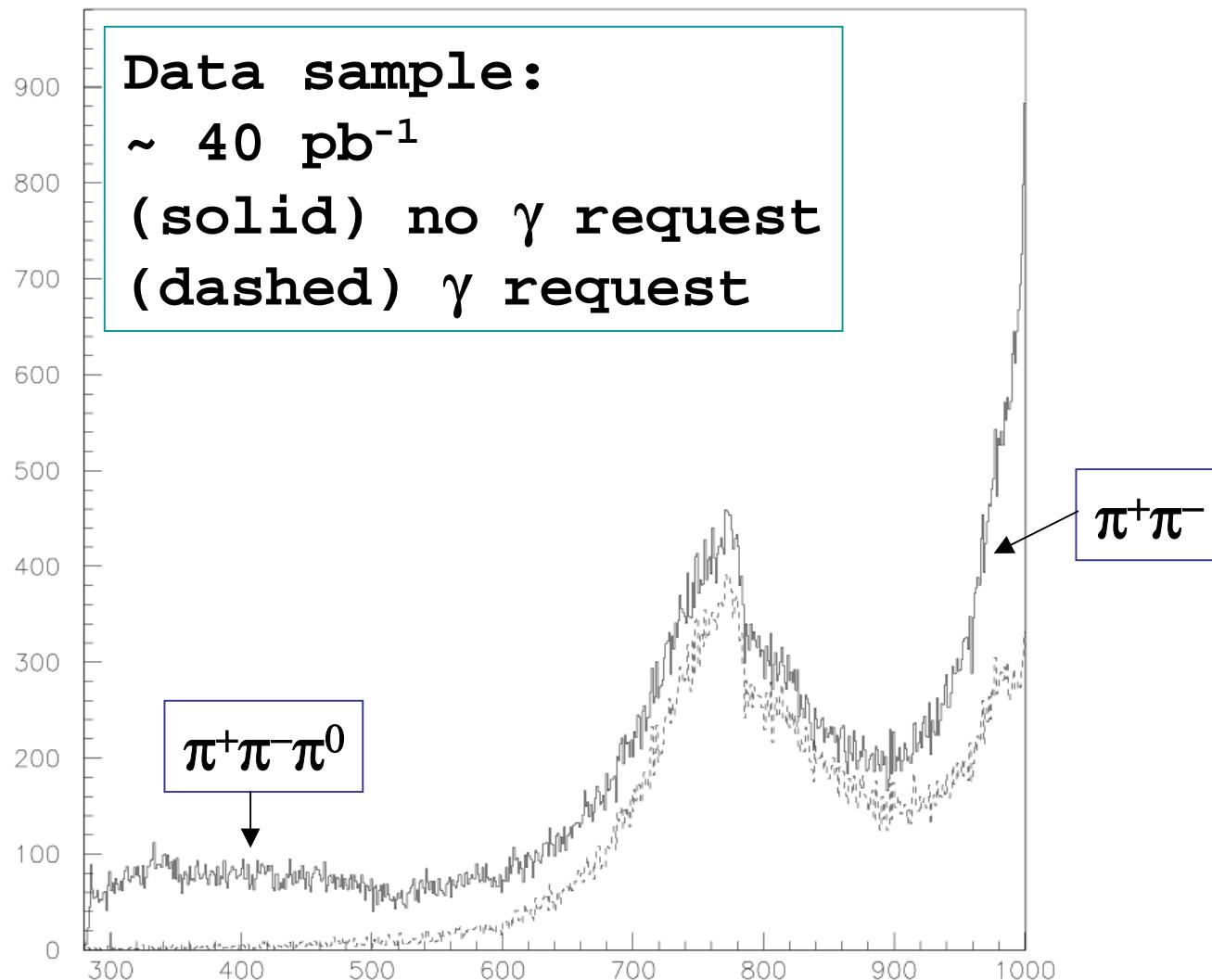
sample	Lumin. (pb ⁻¹)	#events	Rate (nb)
2001	115	221178	1.923
2002	234	454412	1.942
total	349	675590	1.936



$M(\pi\pi)$ spectrum:
[410 – 1020 MeV]
*Comparison between
2001 and 2002 spectra*



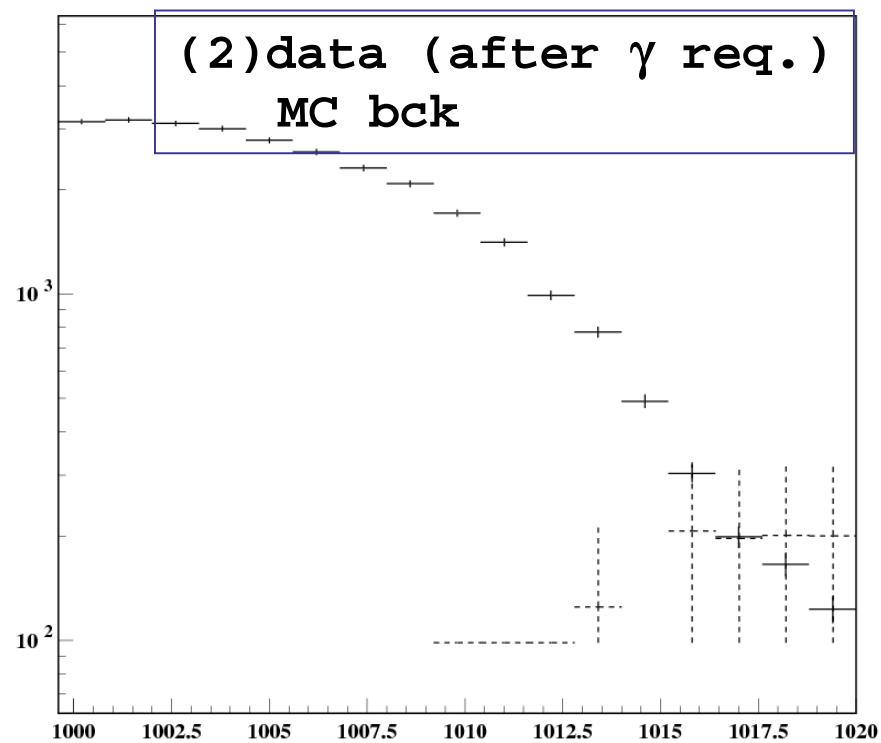
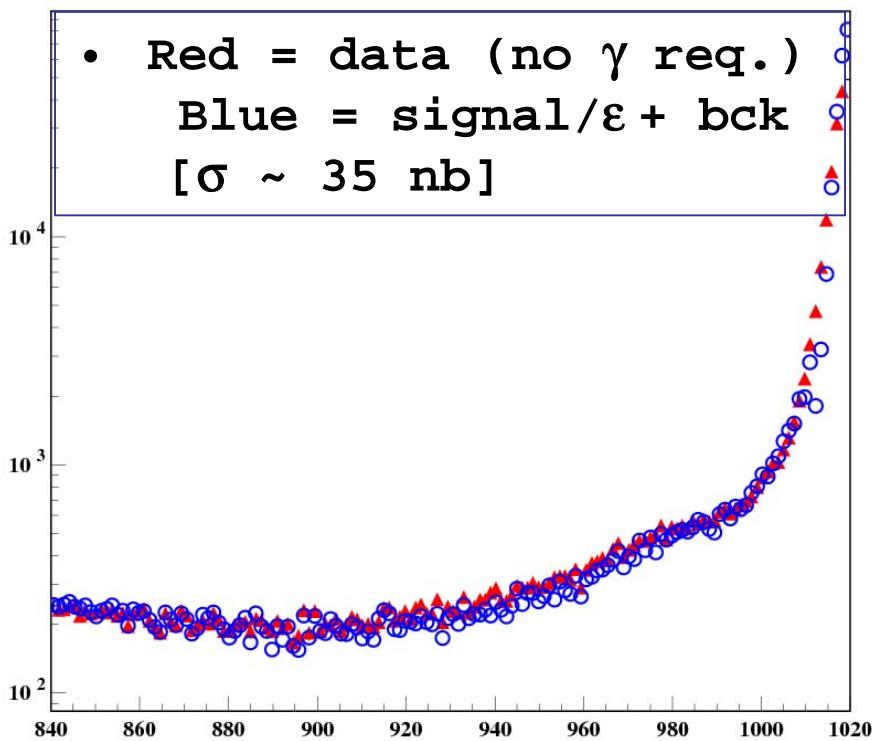
What happens if the photon is not
explicitely required ?



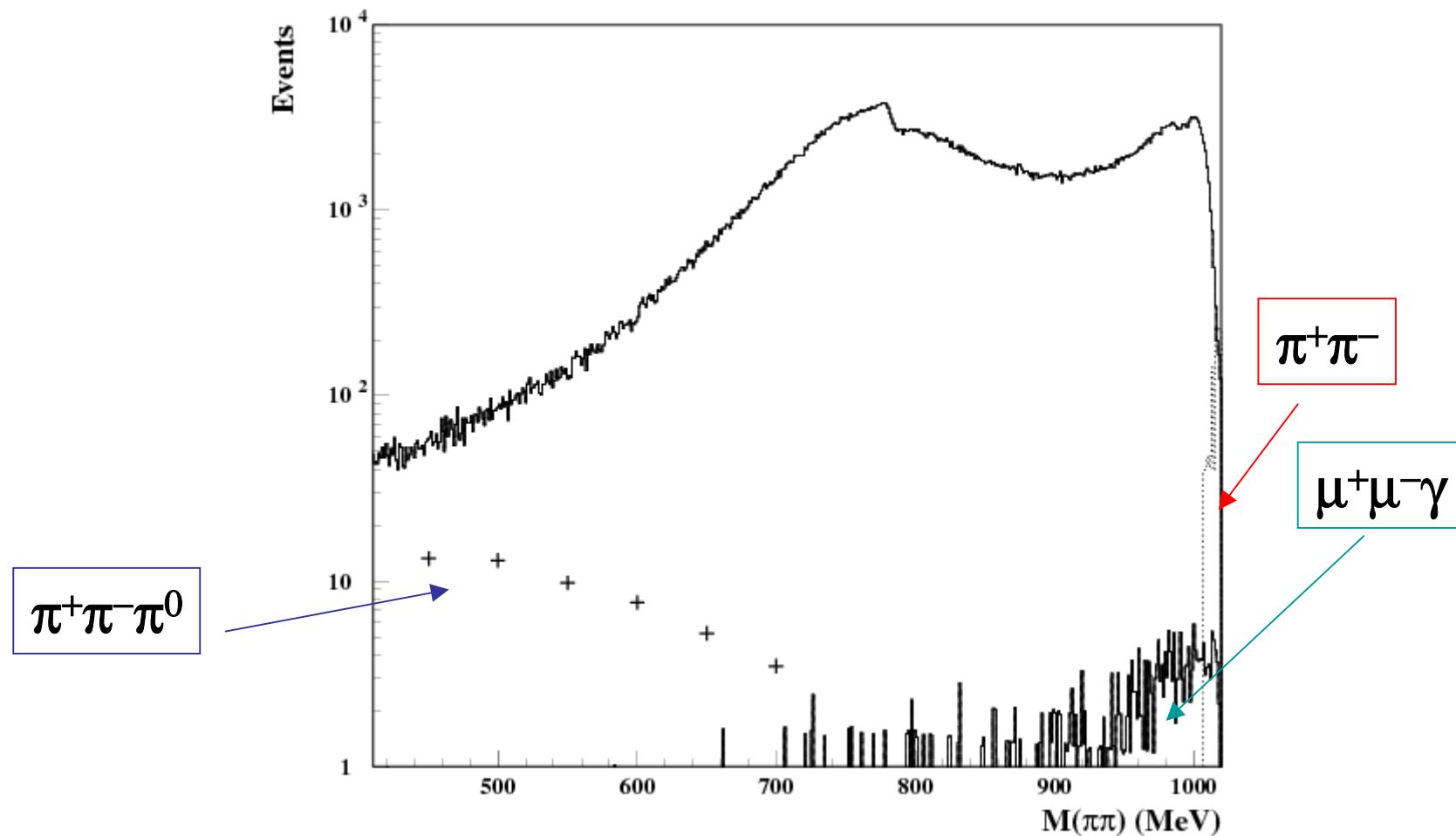
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Generation and reconstruction of $e^+e^- \rightarrow \pi^+\pi^-$ with no radiation (and no BES):

- (1) Do they explain the huge background when no γ is requested ?
- (2) How much bckg after γ request ?

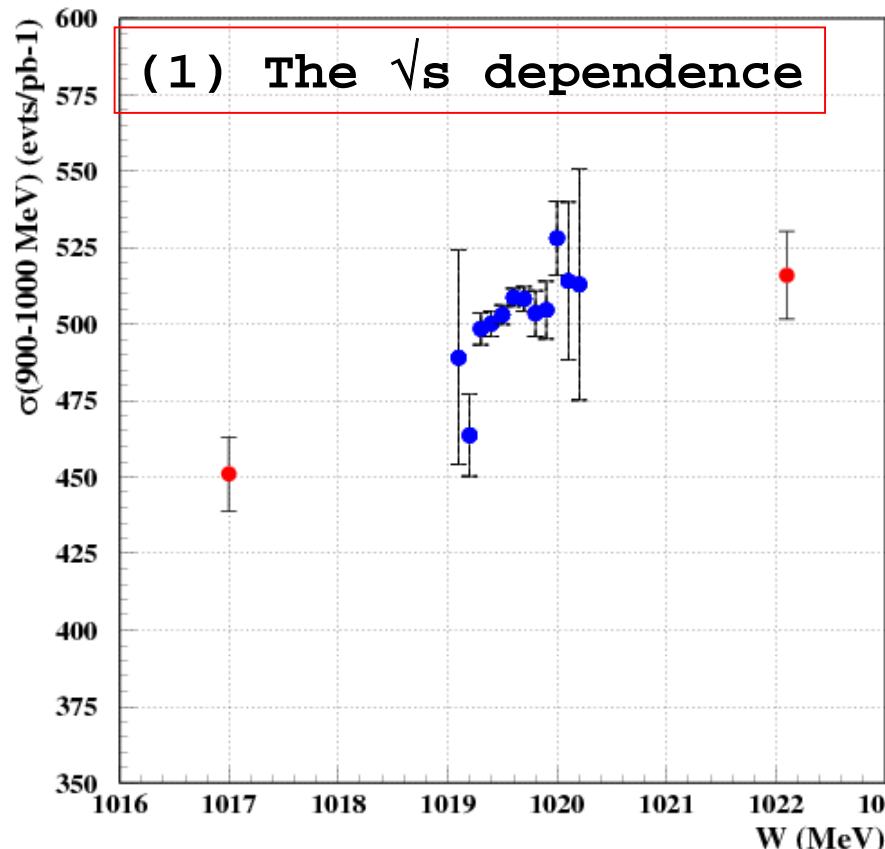


Estimated backgrounds:



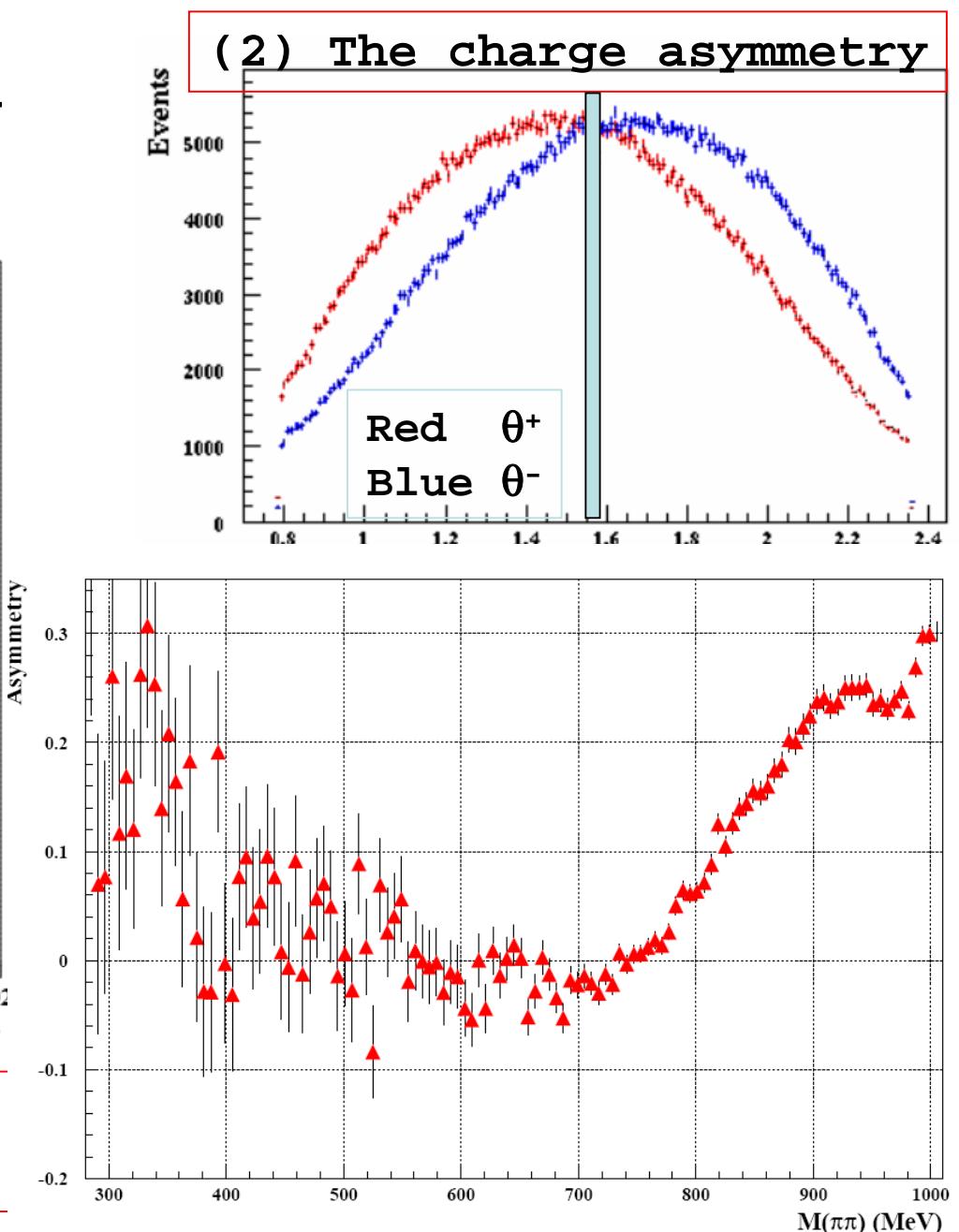
Other variables that can be studied:

- The s dependence
- The charge asymmetry



$$\text{Asym} = \frac{N(\theta^+ > 90^\circ) - N(\theta^+ < 90^\circ)}{\text{sum}}$$

vs. $M(\pi\pi)$



(3) Fit to the data

Strategy: fit of the full m spectrum with:

$$\frac{dN}{dm} = \left\{ \begin{array}{l} \left(\frac{d\sigma}{dm} \right)_{ISR} + \left(\frac{d\sigma}{dm} \right)_{FSR} + \left(\frac{d\sigma}{dm} \right)_{\rho\pi} + back(\pi^+\pi^-\pi^0 + \mu^+\mu^-\gamma) \\ + \left(\frac{d\sigma}{dm} (|A|^2) \right)_{Scalar} + \left(\frac{d\sigma}{dm} (A) \right)_{int. Scalar+FSR} \end{array} \right\} \times \varepsilon(m) \times L$$

A is the $\phi \rightarrow$ Scalar + γ amplitude:

$$A(\phi \rightarrow S\gamma \rightarrow \pi^+\pi^-\gamma) = -\frac{esm_\phi^2}{4f_\phi D_\phi(s)} \{M\}$$

M is the “model”. We have considered:

KL = Kaon-loop model

[N.N.Achasov et al]

NS = No Structure model

[G.Isidori, L.Maiani]

$$\begin{aligned} M_{KL} &= \frac{2g_{f\pi^+\pi^-}g(m^2)e^{i\delta_m(\theta)}}{D_f^{(1)}(m^2)(s-m^2)} \\ M_{NS} &= \left[\frac{g_{f\pi^+\pi^-}g_{\phi f\gamma}}{D_f^{(2)}(m^2)} + \frac{c_0}{m_\phi^2} + c_1 \frac{m^2 - m_f^2}{m_\phi^4} \right] e^{i\lambda} \end{aligned}$$

Parameters:

(KL) $m(f_0)$, $g_{f\pi^+\pi^-}$

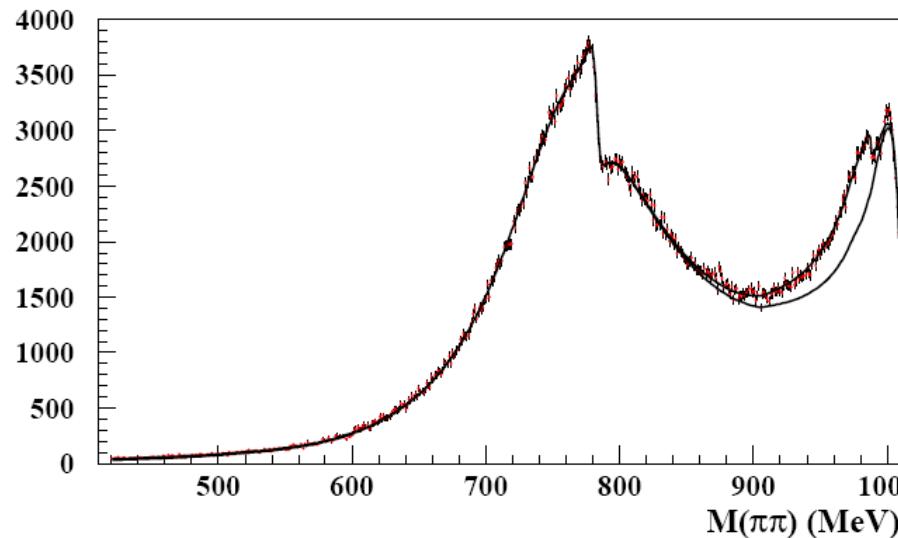
(NS) $m(f_0)$, $\Gamma(f_0)$, $g_{f\pi^+\pi^-} \times g_{\phi f\gamma}$, c_0 , c_1 , λ

+ for the “background” $M(\rho^0) \Gamma(\rho^0) \propto \beta a_{\rho\pi}$

KL fit

$$\chi^2 = 541/481$$

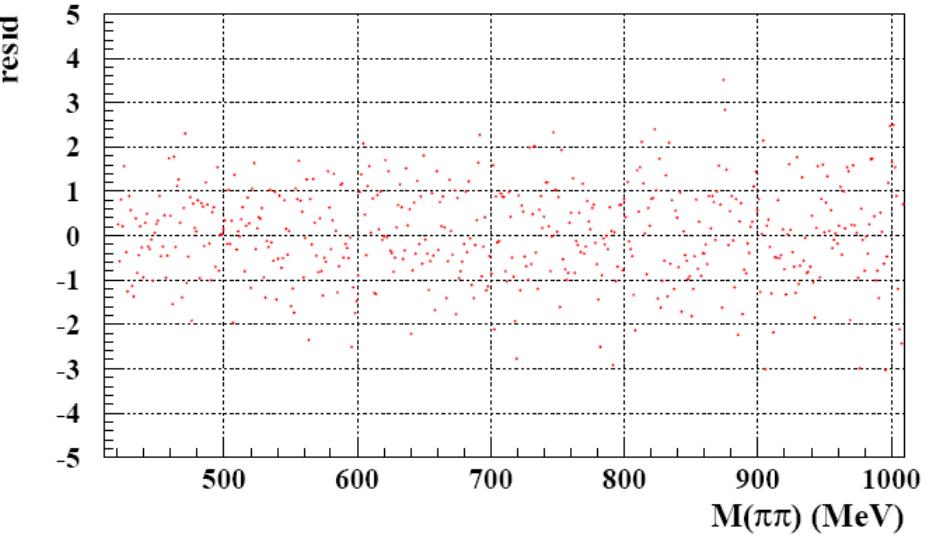
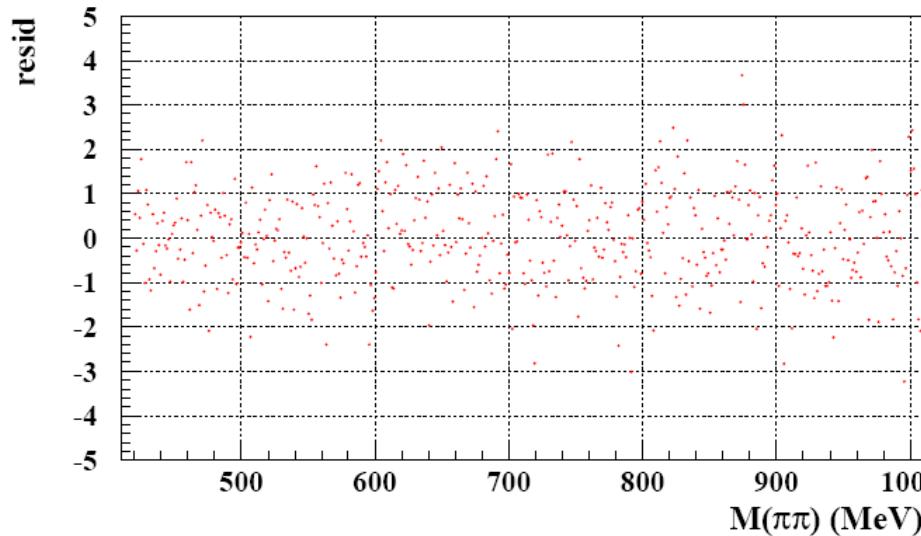
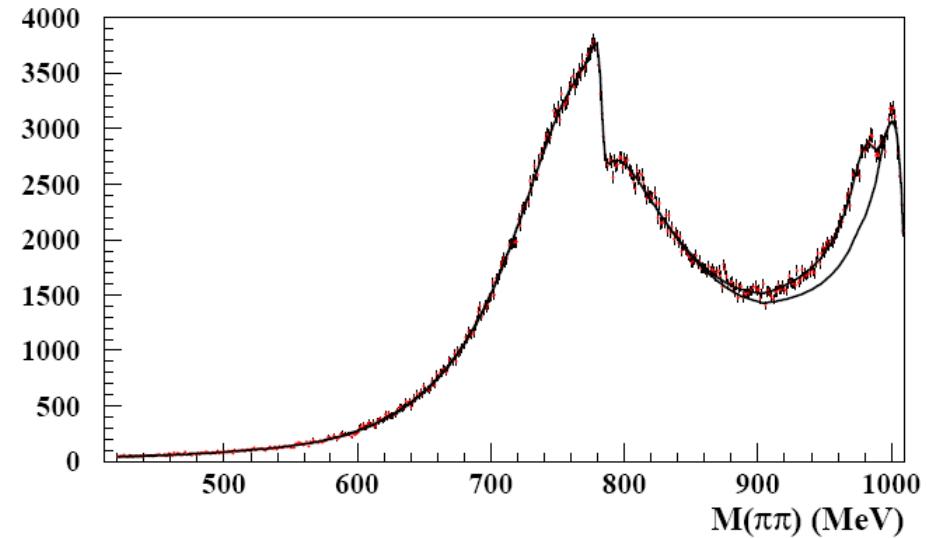
$$P(\chi^2) = 3.0\%$$



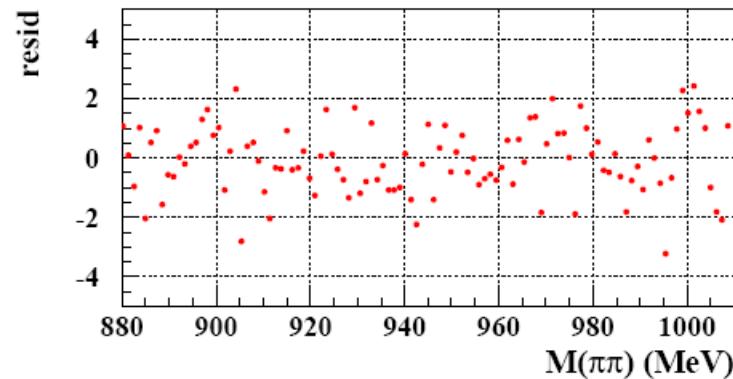
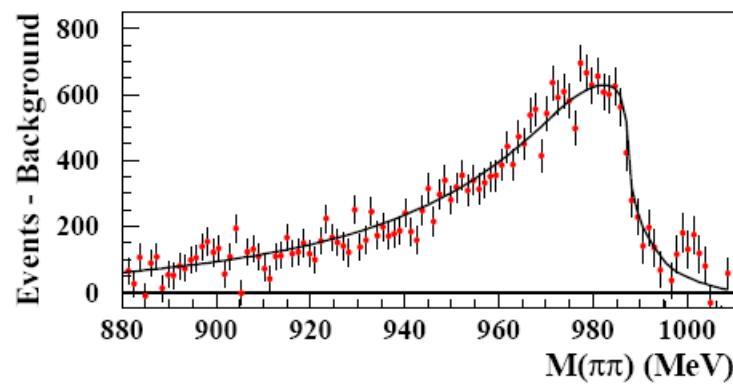
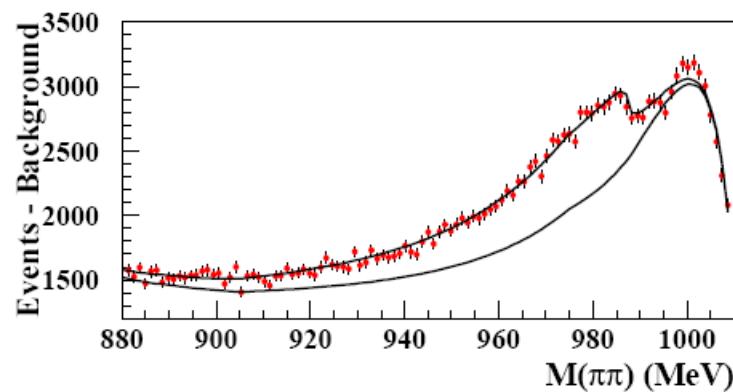
NS fit

$$\chi^2 = 540/478$$

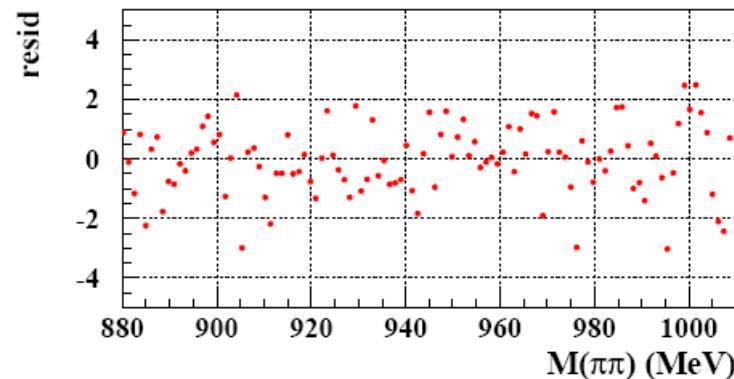
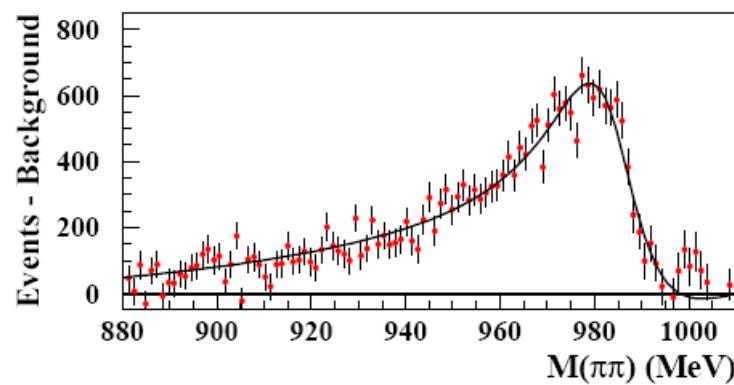
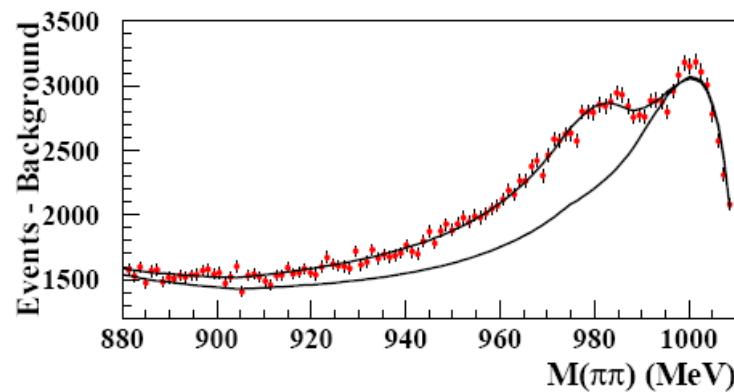
$$P(\chi^2) = 2.6\%$$



KL fit



NS fit



Fit results: values of the parameters

“background”
parameters

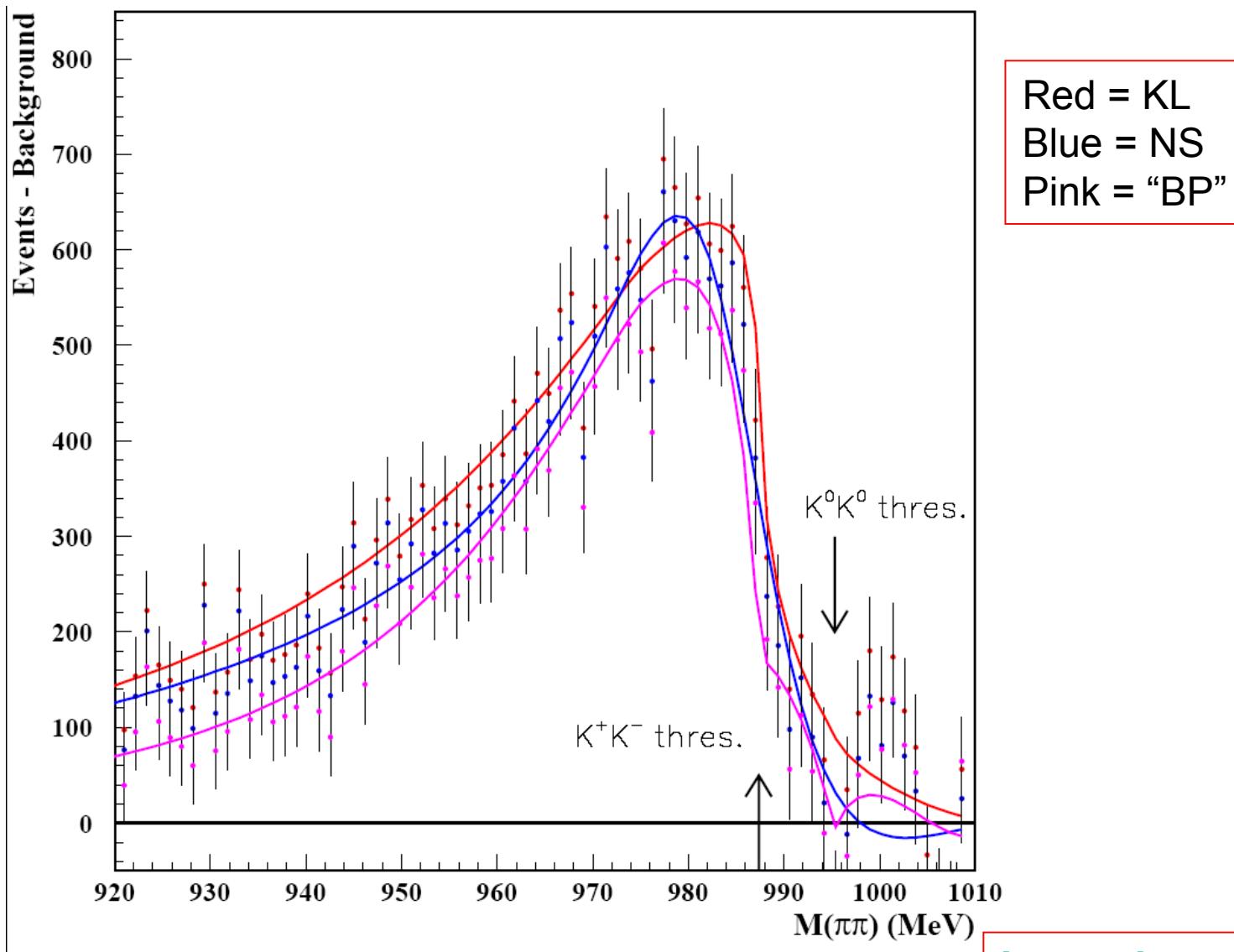
“signal”
parameters

	KL	NS
χ^2/dof	541 / 481	540 / 478
$M(\rho^0)$ (MeV)	773.3 ± 0.2	773.7 ± 0.3
$\Gamma(\rho^0)$ (MeV)	144.1 ± 0.3	145.0 ± 0.5
α ($\times 10^{-3}$)	1.68 ± 0.05	1.70 ± 0.05
β ($\times 10^{-3}$)	-122 ± 2	-126 ± 2
$a_{\rho\pi}$	Compatible with 0 and with 1	
$M(f_0)$ (MeV)	983.7 ± 0.6	984.6 ± 0.5
$\Gamma(f_0)$ (MeV)		21.3 ± 1.1
$g_{fKK}^2/4\pi$ (GeV 2)	3.4 ± 0.6	
$R = g_{fKK}^2/g_{f\pi+\pi-}^2$	2.82 ± 0.08	
$g_{f\pi+\pi-} \times g_{f\phi\gamma}$		1.58 ± 0.05
c_0		7.8 ± 0.3
c_1		8.0 ± 0.2
λ		0.80 ± 0.32

Study of systematic uncertainties on the fitted parameters: KL fit

	$g^2_{f_0\pi\pi}/4\pi$ (GeV) ²	R	m_{f_0} (MeV)
Fit cond. (bin,ranges)	± 1.0	± 0.18	± 1.2
Abs.Scale $\pm 2\%$	± 0.3	± 0.02	± 0.2
γ_{eff} cut ± 2 MeV	± 0.2	± 0.15	± 2.6
$v_s \pm 0.5$ MeV	± 0.3	± 0.28	± 1.2
$\theta \pm 1$ std.d.	± 0.2	± 0.17	± 2.1
STAT	± 0.6	± 0.08	± 0.6

The f_0 peak: compare different fits.



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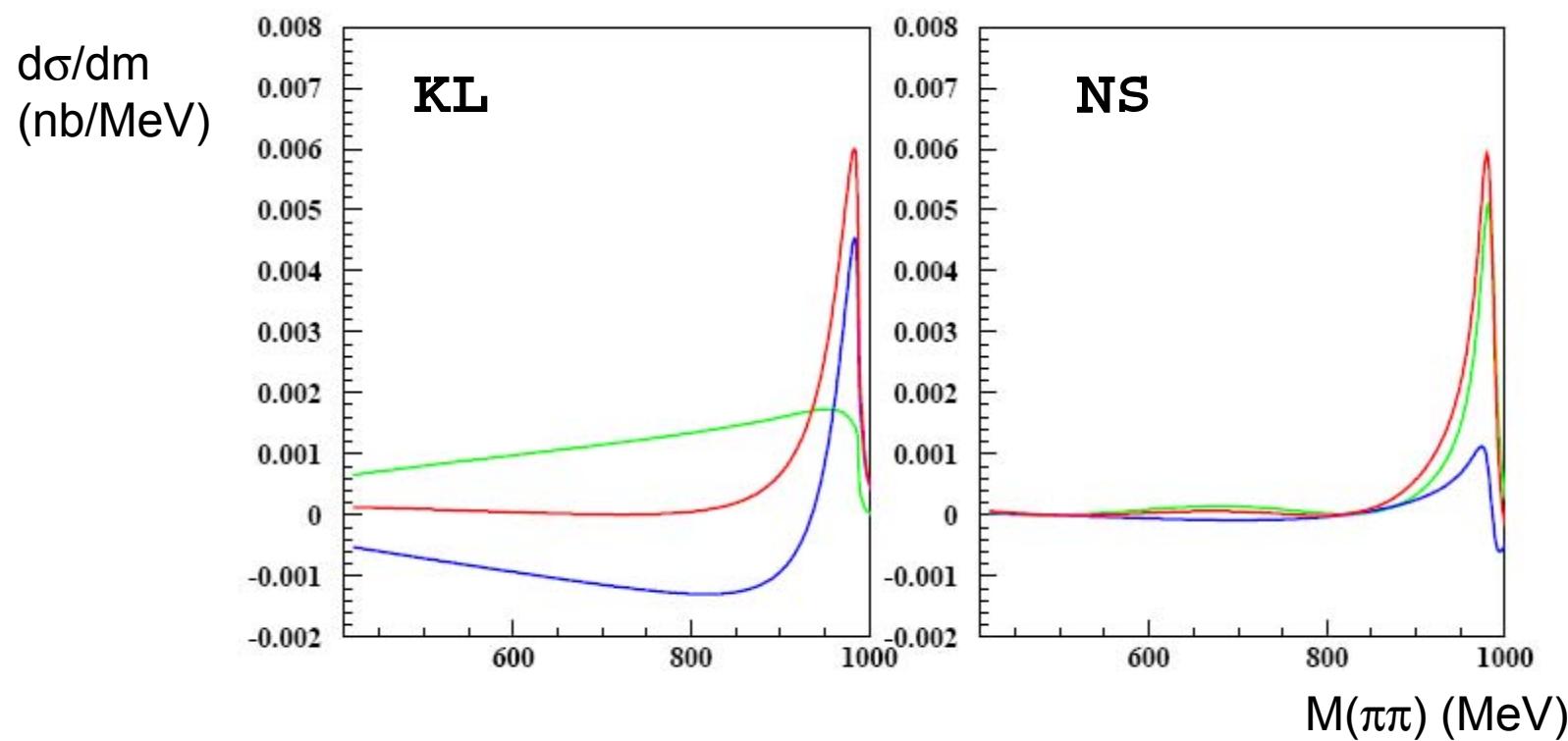
(4) Interpretation of the results

(4.1) Line-shapes:

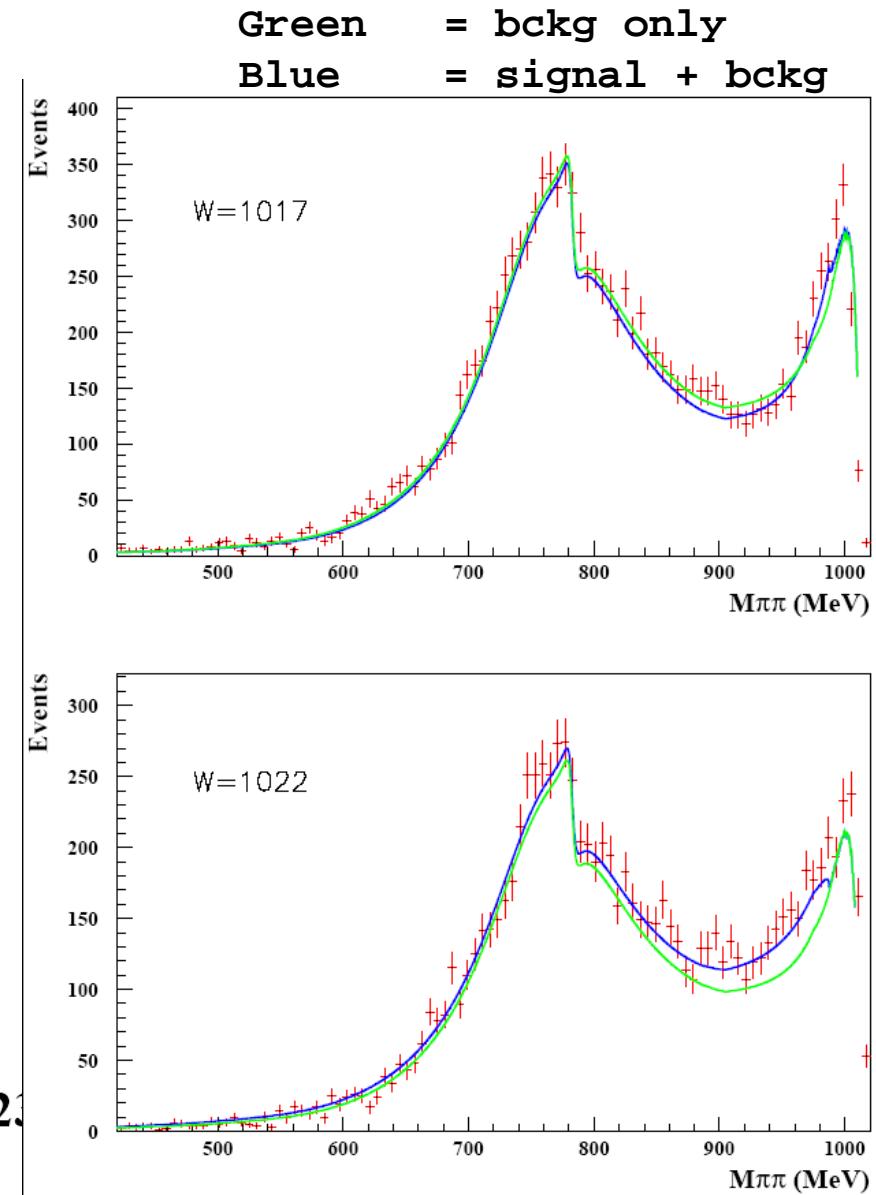
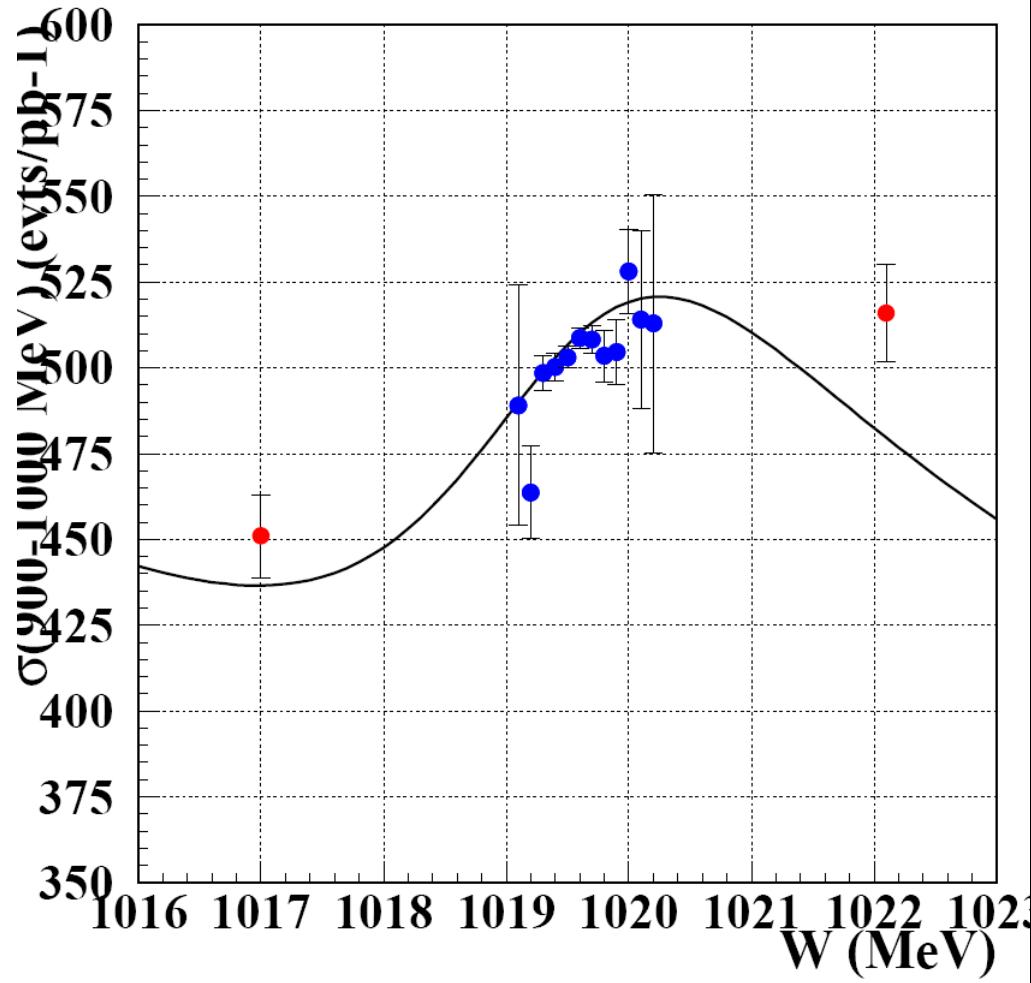
Red = signal

Green = direct

Blue = interference



(4.2) Off-peak data:
Extrapolate to off-peak data
using KL fit parameters.



(4.3) Is there any σ ?
“Easy” to implement in the KL frame

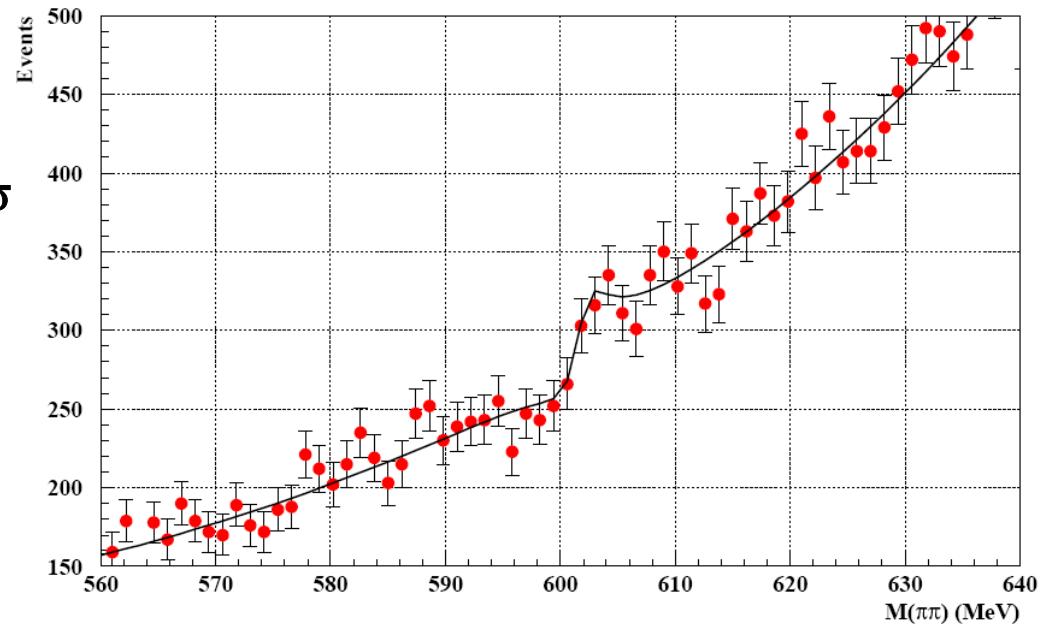
$$\frac{g_{fKK} g_{f\pi^+\pi^-}}{D_f(m)} \rightarrow \sum_{R,R'} \left(g_{RKK} G_{RR'}^{-1} g_{R'\pi^+\pi^-} \right)$$

$$G_{RR'}(m) = \begin{pmatrix} D_f(m) & -\Pi_{f\sigma}(m) \\ -\Pi_{\sigma f}(m) & D_\sigma(m) \end{pmatrix}$$

4 extra parameters:
 $M(\sigma)$, $g_{\sigma KK}$, $g_{\sigma\pi^+\pi^-}$, $C_{f\sigma}$

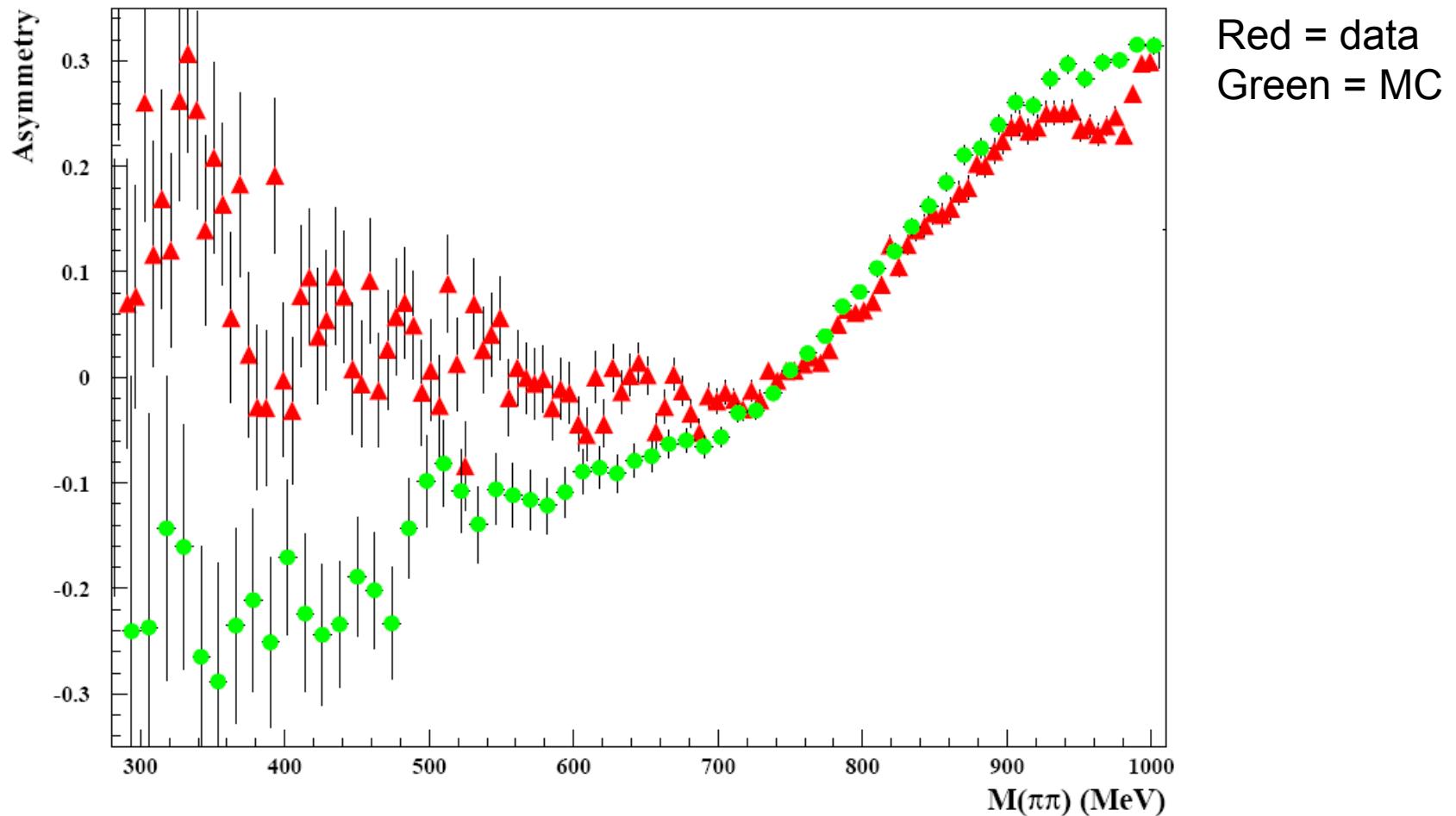
First try:

- f_0 param. slightly changed
- bckg param. unchanged
- narrow and weakly coupled σ
- “found” around 600 MeV



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(4.4) The charge asymmetry
Compare with pure ISR+FSR simulation



(4.5) The coupling of the f_0 to the ϕ

KL Fit:

$$\begin{aligned} g_{f\pi\pi} &= 6.4 \text{ GeV} \\ g_{f\pi^+\pi^-} &= 3.9 \text{ GeV} \end{aligned}$$

Compare with KLOE
 $\pi^0\pi^0\gamma$ and $\eta\pi^0\gamma$ analyses

$$\text{"BR"} = 21.5 \times 10^{-5}$$

$$\text{"BR"} = \frac{1}{\sigma(\phi)} \int \left(\frac{d\sigma}{dm} (|A|^2) \right)_{scalar} dm$$

$$\Gamma(f_0 \rightarrow \pi^+\pi^-) = \frac{g_{f\pi\pi}^2 p_{12}(m_f)}{8\pi m_f^2}$$

NS Fit:

$$\begin{aligned} g_{f\pi^+\pi^-} \times g_{\phi f\gamma} &= 1.58 \\ \Gamma_f &= 21 \text{ MeV} \\ \rightarrow g_{f\pi^+\pi^-} &= 0.9 \text{ GeV} \\ \rightarrow g_{\phi f\gamma} &= 1.8 \text{ GeV}^{-1} \\ \text{"BR"} &= 6.9 \times 10^{-5} \end{aligned}$$

Meson	$g_{\phi M\gamma} (\text{GeV}^{-1})$
π^0	0.12
η	0.66
η'	0.70
f_0	1.8
a_0	1.3

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(5) Conclusions

Clear evidence of $f_0(980) \rightarrow \pi^+\pi^-$ signal: we are able to describe it;

The coupling of the $f_0(980)$ to the $\phi(1020)$ is “large” (even in the NS approach);

No σ is needed: higher statistics (2 fb^{-1}) can clarify “narrow structures”;

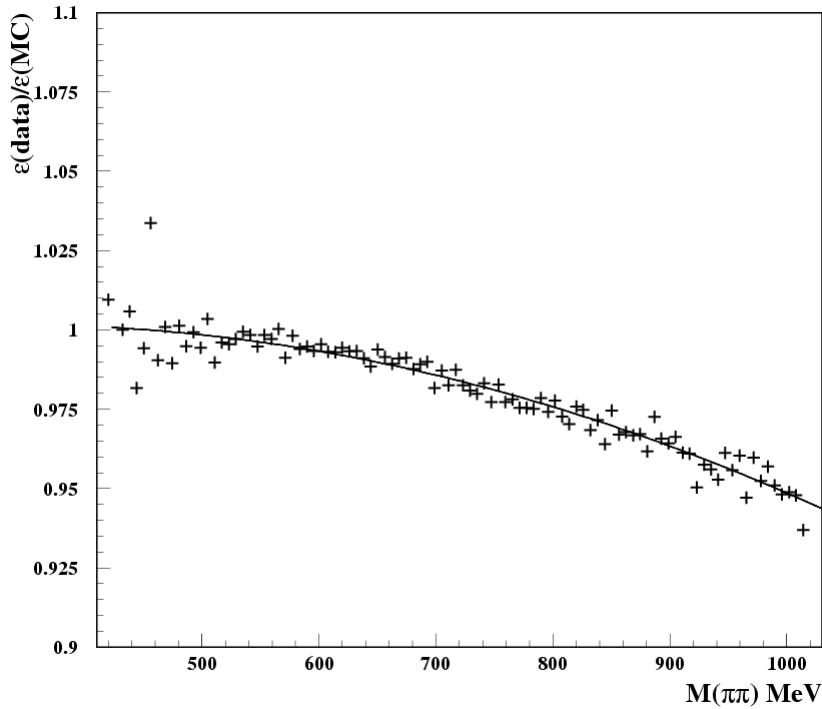
Comparison between different models: no one “wins”.

STOP here now.

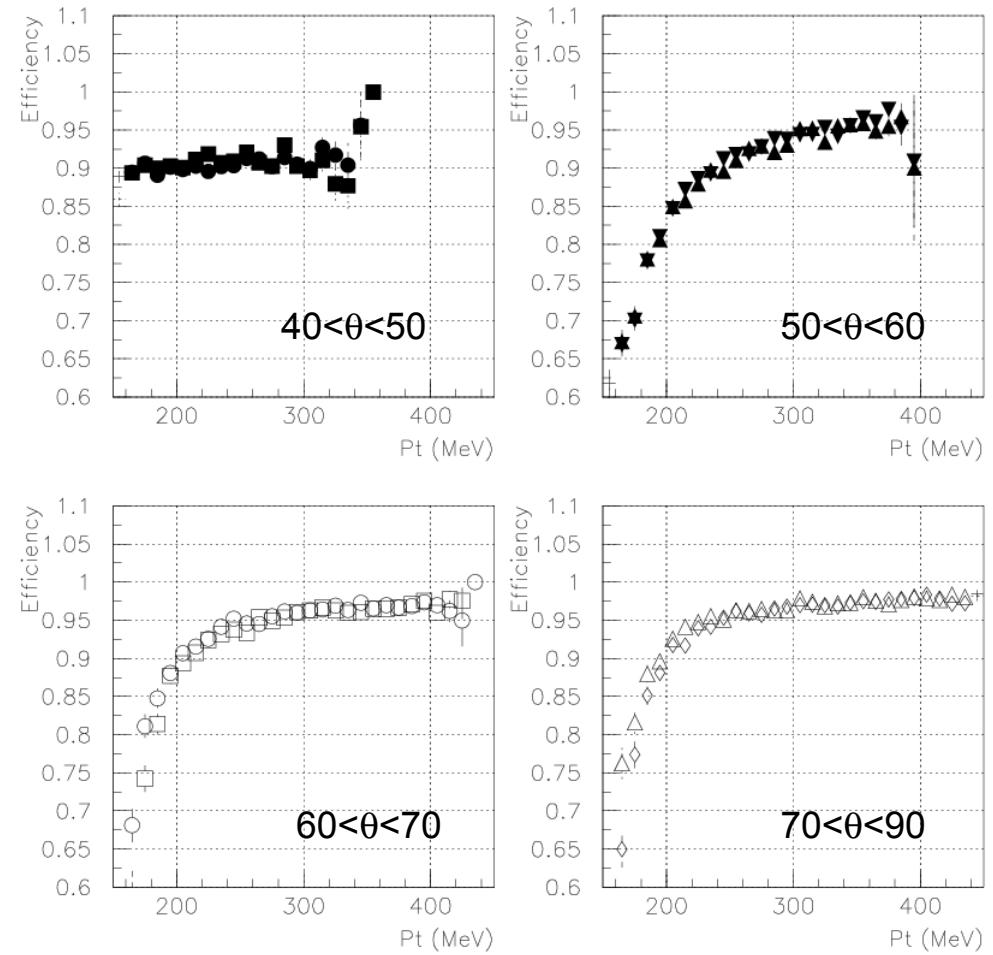
THEN a step forward for a “precision” analysis with $2-2.5 \text{ fb}^{-1}$:

- (1) Big work on simulation (it is starting now a new *phokhara*);
- (2) Refine the $\varepsilon_\gamma(m)$ knowledge;
- (3) Run @ $M(\phi)-10 \text{ MeV}$ probably “unavoidable” (a study is in progress).

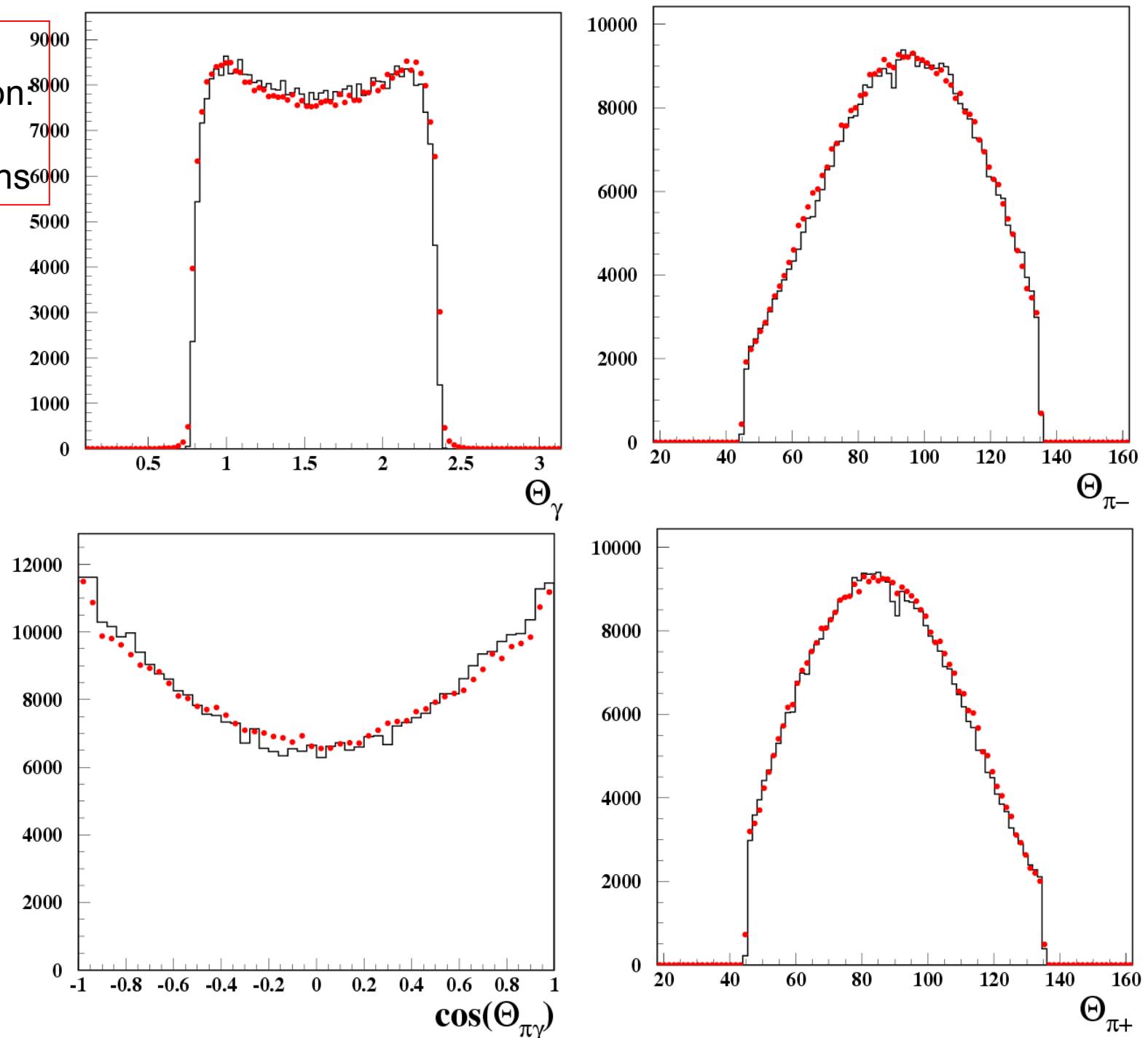
Trkmass efficiency: data/MC ratio



**TCA + likelihood efficiency
from a $\pi^+\pi^-\pi^0$ control sample**



Data-MC
comparison:
Angular
distributions



Data-MC
comparison:
 Ω distributions

