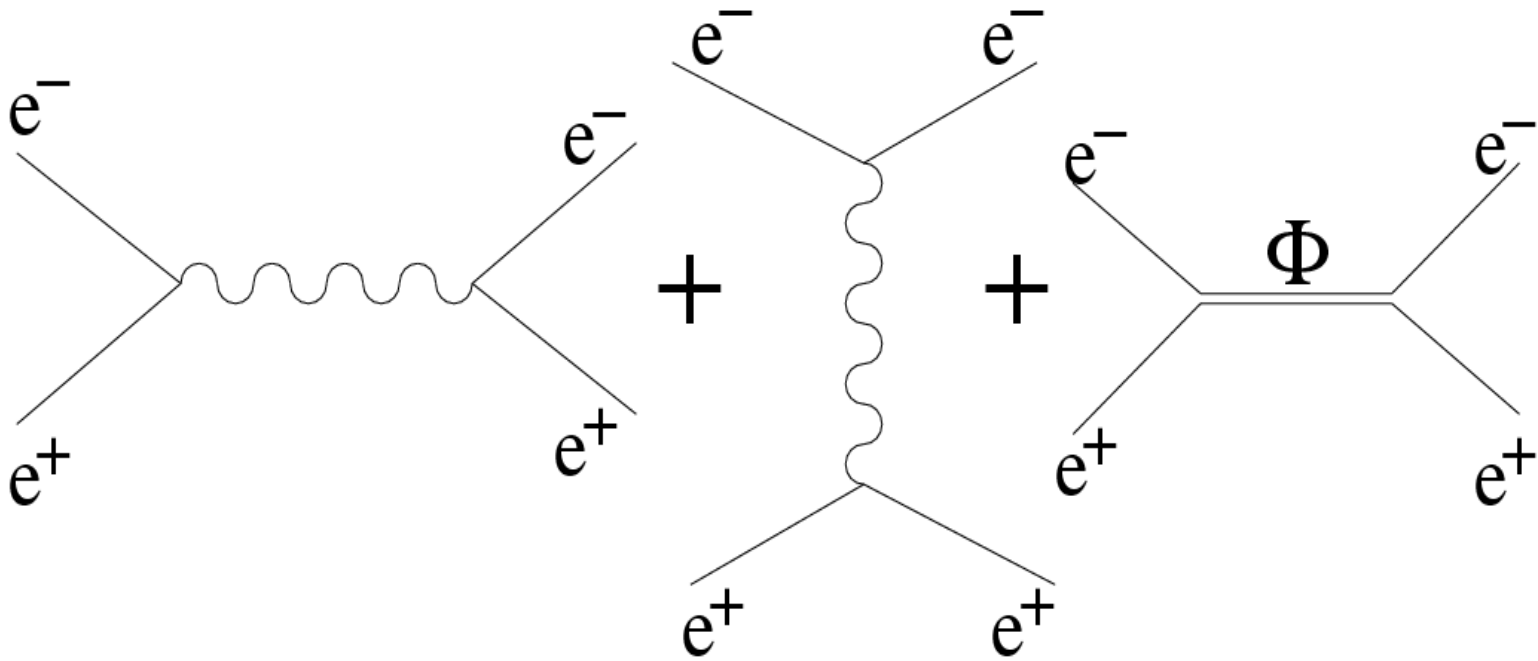


**Measurement of $\Gamma(\phi \rightarrow l^+l^-)$
from $e^+e^- \rightarrow e^+e^-$, $\mu^+\mu^-$ processes**

M. Antonelli

M. Dreucci

Cross section



$$A = A_{s/t} + A_{\Phi}$$

$$\sigma = \sigma_{s/t} + \sigma_{\Phi} + \sigma_{\text{int}}$$

The interference term σ_{int}

$$\sigma_{\text{int}} = \frac{3\alpha\Gamma_{ll}}{M_{\Phi}} \frac{s - M_{\Phi}^2}{(s - M_{\Phi}^2)^2 + s\Gamma_{\Phi}^2} \int_{\cos\theta_1}^{\cos\theta_2} f_{ll}(\theta) d\cos\theta$$

Bhabha

muons

$$f_{ee}(\theta) = 2\left(1 + \cos^2\theta - \frac{(1 + \cos\theta)^2}{1 - \cos\theta}\right)$$

$$f_{\mu\mu}(\theta) = \beta_{\mu}(1 + \cos^2\theta + (1 - \beta_{\mu}^2)\sin^2\theta)$$

$$\Gamma_{ll} = \Gamma_{ee}$$

$$\Gamma_{ll} = \sqrt{\Gamma_{ee}\Gamma_{\mu\mu}}$$

- W below and above M_{Φ} affects in opposite way σ_{int} . This difference is linear in Γ_{LL} . For this reason our analysis uses only 3 energy points

- For **muons** we fit directly cross section

- For **Bhabha**, in order to increase sensitivity, we fit the forward-backward asymmetry A_{FB}

Experimental advantages

- Γ_{LL} in first approximation depends only on absolute difference in A_{FB} (bhabha) and $\sigma_{\mu\mu}$ (muons)
- In addition we have some experimental advantages in both cases :

Bhabha

- Luminosity not needed
- Partial cancellation in eff, bkg

muons

- fully energy-correlated systematics needed only to evaluate $\sigma_{\mu\mu}$
- These systematics cancel out in $\Gamma_{\mu\mu}$ evaluation

Sensitivity

Bhabha

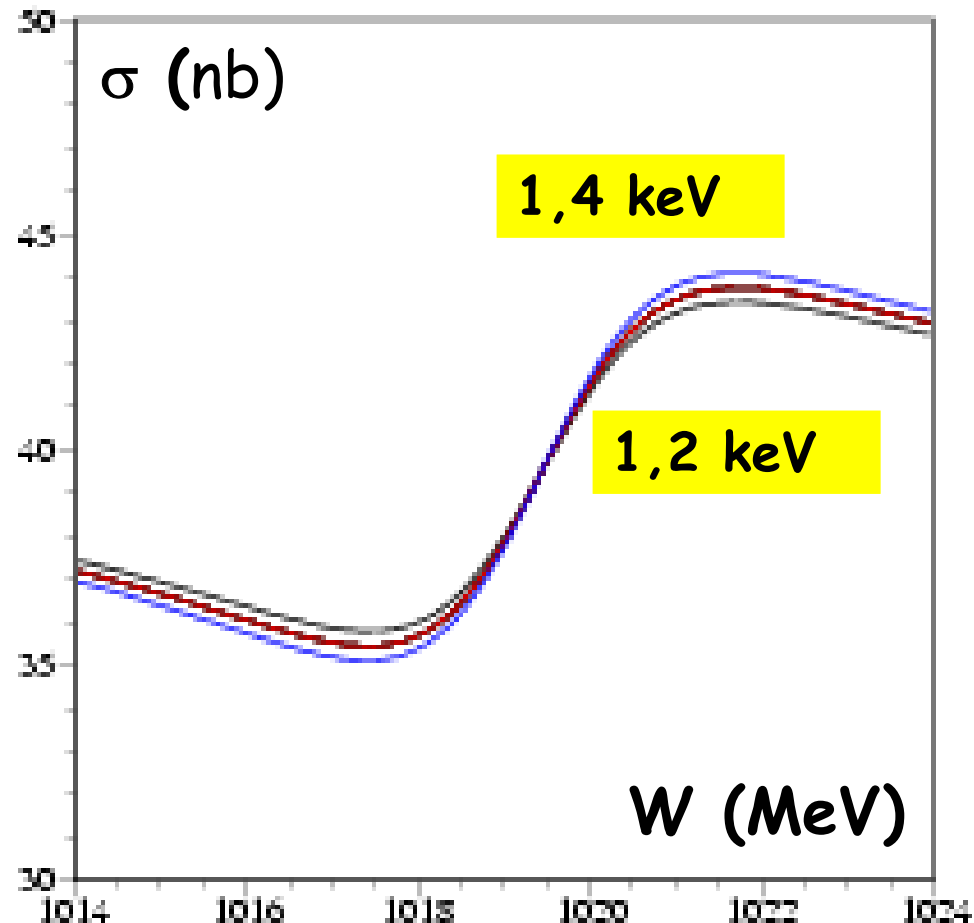
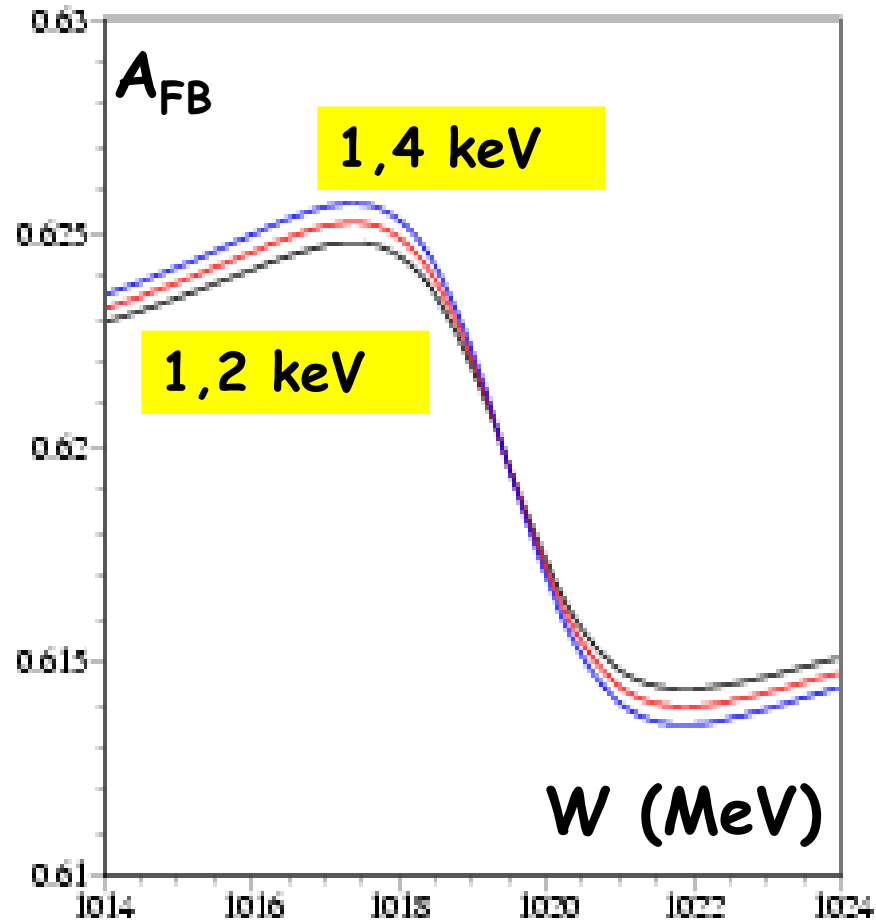
$\delta\Gamma_{ee}/\Gamma_{ee} \sim 0.03$ translates

in $\delta A_{FB}/A_{FB} \sim 0.0003$

Muons

$\delta\Gamma_{\mu\mu}/\Gamma_{\mu\mu} \sim 0.03$ translates

in $\delta\sigma/\sigma \sim 0.004$



Selection

W'/W reconstruction

We use a lower cut on W'/W . If we boost back in ϕ rest frame, assuming a single beam collinear ISR photon and collinear FSR, then :

$$\frac{W'}{W} = \frac{\sin \theta_1 + \sin \theta_2 - |\sin(\theta_1 + \theta_2)|}{\sin \theta_1 + \sin \theta_2 + |\sin(\theta_1 + \theta_2)|}$$

θ_{eff} reconstruction

To define our geometrical acceptance we define the polar angle in the effective c.o.m., θ_{eff} , by using ISR photon momentum (average angle)

Data sample

- 3 energy points of 2002 scan
- BHABHA stream : basically only $ee \rightarrow ee$ events
- CLB stream : $ee \rightarrow \mu\mu$ and $ee \rightarrow \pi\pi$ events

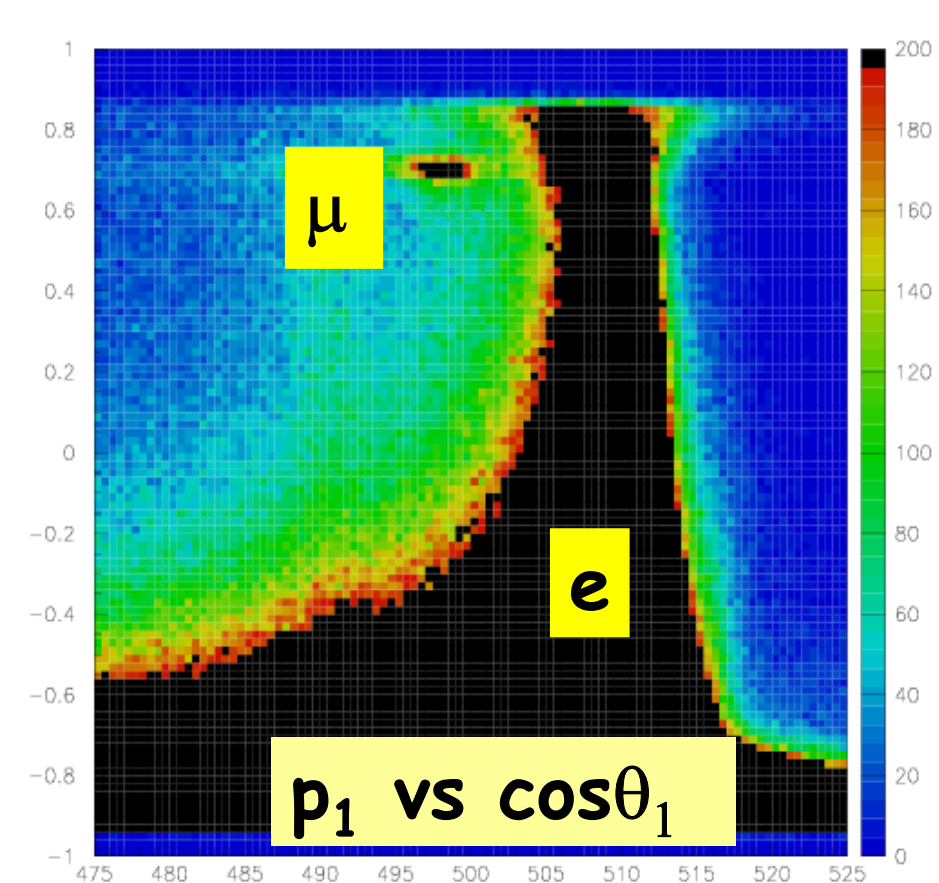
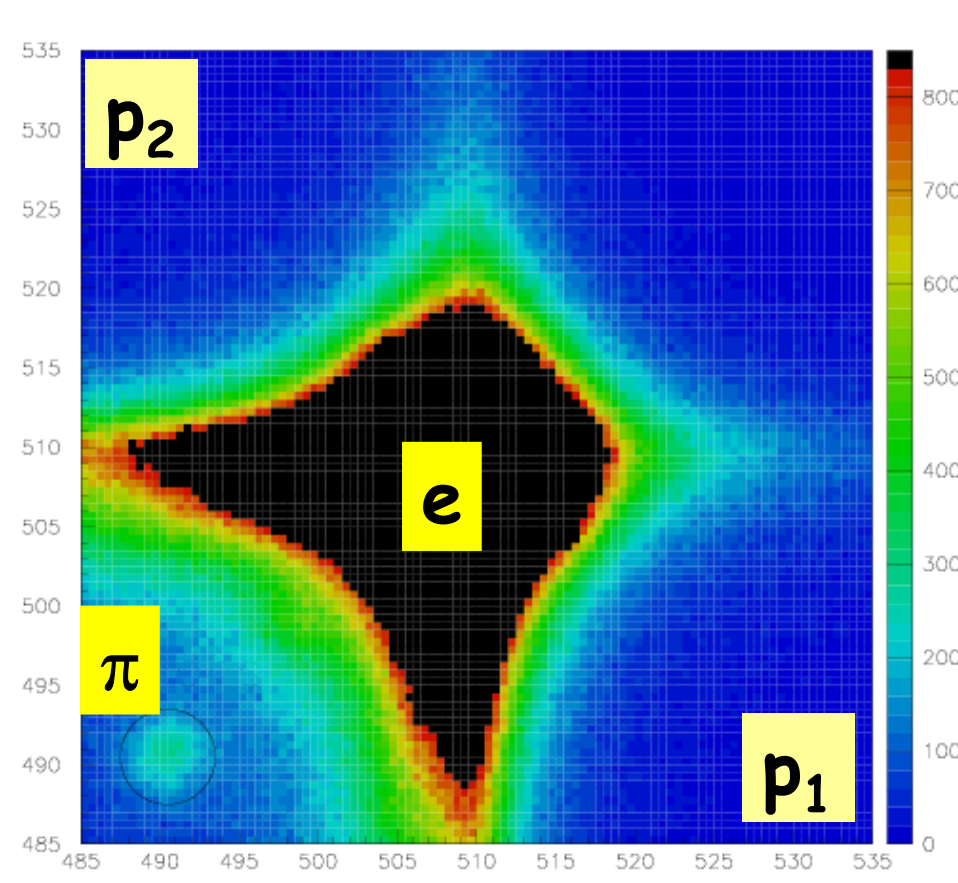
Energy, MeV	Luminosity, nb ⁻¹
$1017.17 \pm 0.01_{\text{stat}} \pm 0.03_{\text{syst}}$	$6966 \pm 4_{\text{stat}} \pm 42_{\text{syst}}$
$1019.72 \pm 0.02_{\text{stat}} \pm 0.03_{\text{syst}}$	$4533 \pm 3_{\text{stat}} \pm 27_{\text{syst}}$
$1022.17 \pm 0.01_{\text{stat}} \pm 0.03_{\text{syst}}$	$5912 \pm 3_{\text{stat}} \pm 35_{\text{syst}}$

$e^+e^- \rightarrow e^+e^-$ analysis

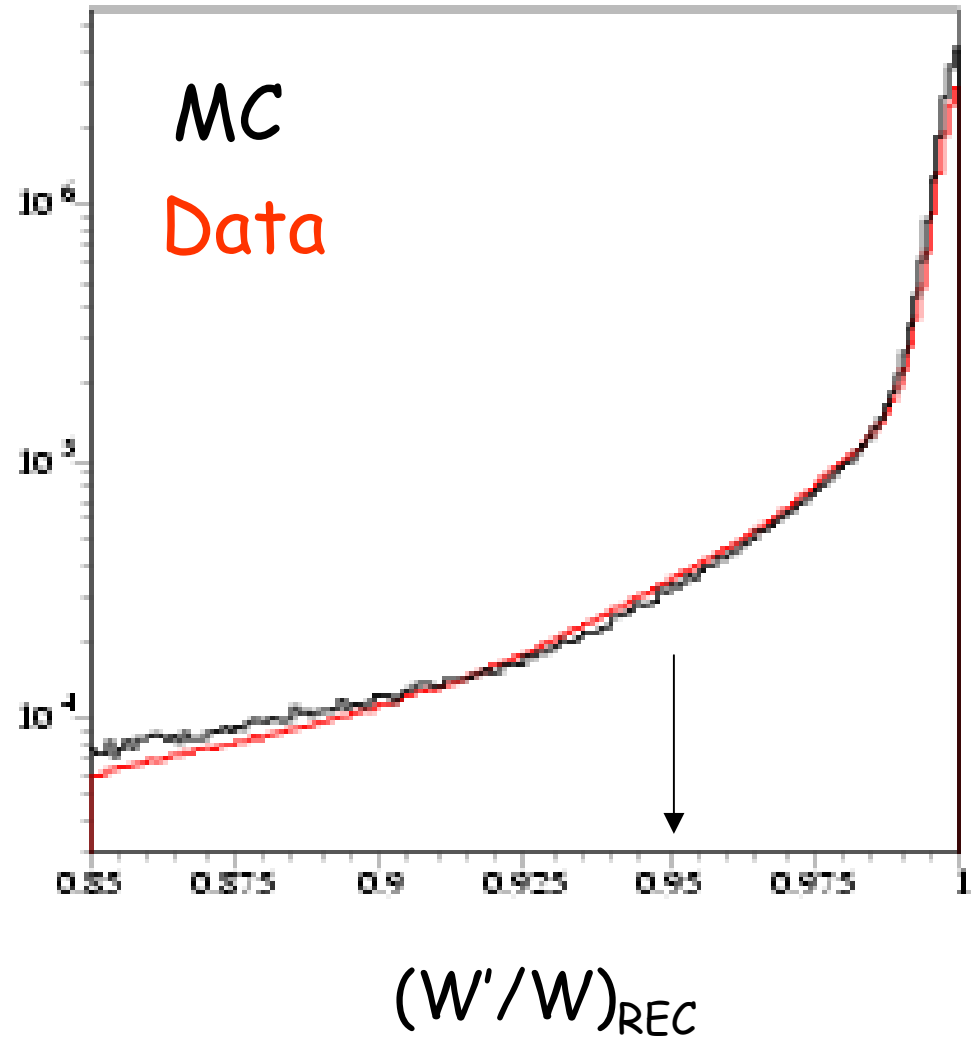
ACCEPTANCE

$$(W'/W)_{\text{REC}} = 0.95$$

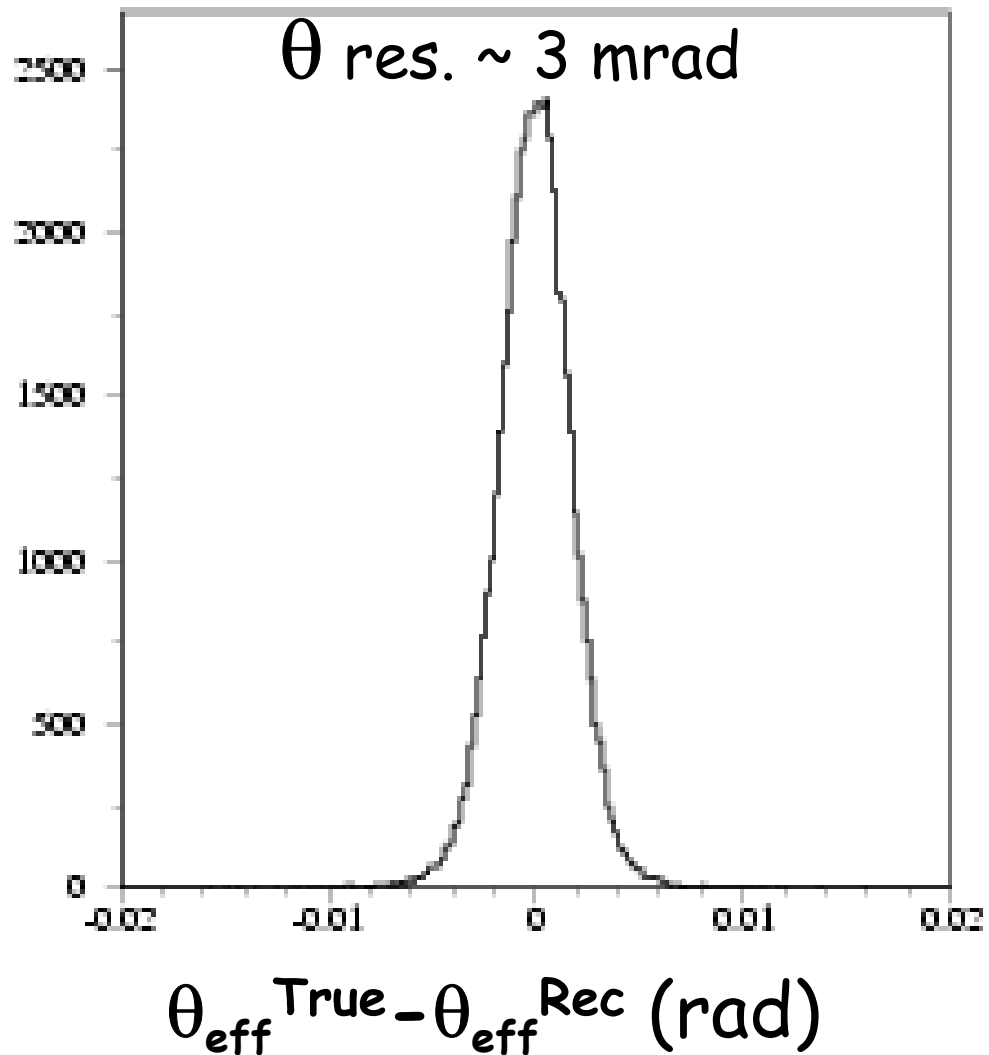
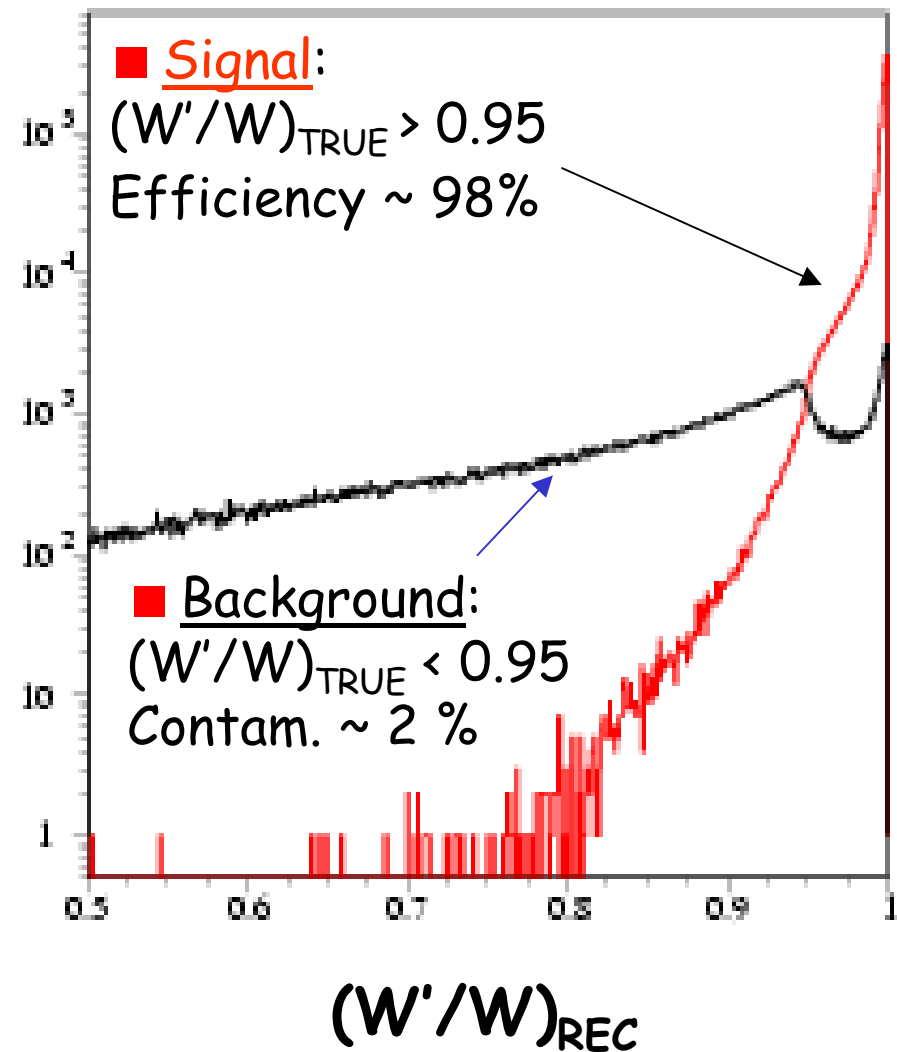
$$53 < \theta_{\text{eff}} < 127$$



Monte Carlo



Monte Carlo



Systematics

Uncorr. syst. dominated by acceptance cuts

efficiency ,bkg uncertainties

method: cuts variation

δA_{FB}	1017.17 MeV	1019.72 MeV	1022.17 MeV
$(W'/W)_{rec}$ cut (0.90 – 0.98)	0.00008	0.00003	0.00011
θ_{eff} cut (50° – 70°)	0.00010	0.00010	0.00010
Total	0.00013	0.00010	0.00015

Table 2: Summary of uncorrelated systematic uncertainties on A_{FB}

The correl. syst. amount to about $\sim 0.2\%$ (θ_{eff} res., FSR)

Experimental data

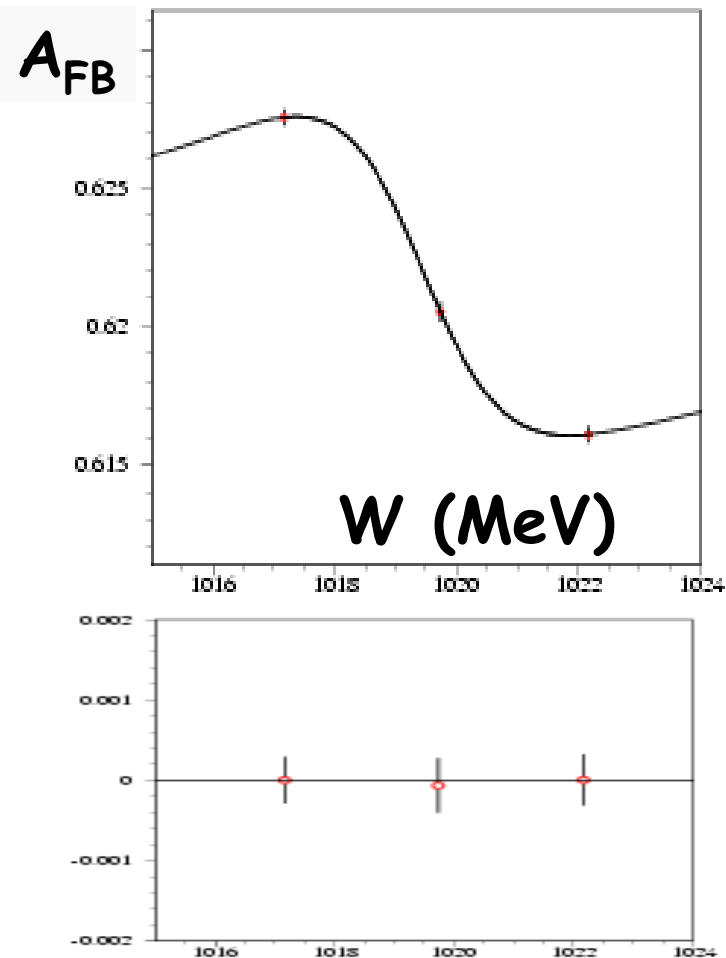
$W, \text{ MeV}$	Forw-Back Asymmetry A_{FB}
1017.17	$0.6275 \pm 0.0003_{\text{stat}} \pm 0.0001_{\text{un.syst}}$
1019.72	$0.6205 \pm 0.0003_{\text{stat}} \pm 0.0001_{\text{un.syst}}$
1022.17	$0.6161 \pm 0.0003_{\text{stat}} \pm 0.0002_{\text{un.syst}}$

The correl. syst. amount to about $\sim 0.2\%$ (θ_{eff} res., FSR)

Fit function to data

- We use a B.W. cross section, corrected for ISR, FSR and BES.
- The fit parameters are : Γ_{LL} , M_{Φ} and $A_{FB}(M_{\Phi})$

Fit result



$$\Gamma_{ee} = 1.32 \pm 0.05 \text{ keV}$$

$$M_{\Phi} = 1019.50 \pm 0.08 \text{ MeV}$$

Systematics

- W'/W cut $\sim 1.9 \cdot 10^{-2}$ keV
- θ_{eff} cut $\sim 2.0 \cdot 10^{-2}$ keV
- $\delta\Gamma_{\Phi}$ $\sim 1.3 \cdot 10^{-2}$ keV
- ω exchange $\sim 10^{-3}$ keV
- π and μ cont. ~ 0

$$\text{Tot} \rightarrow 0.03 \text{ keV}$$

$$\text{result : } 1.32 \pm 0.05 \pm 0.03$$

$$A_{FB}(M_{\Phi}) = 0.6212 \pm 0.0002 \pm 0.001$$

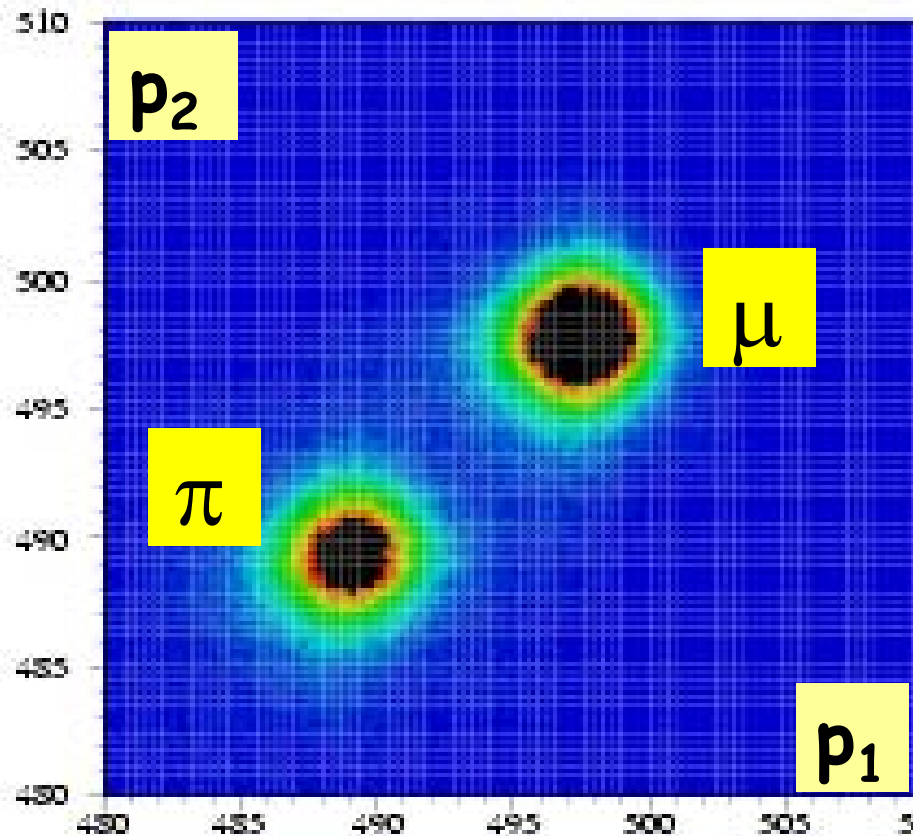
$$A_{FB}(M_{\Phi})_{th} = 0.6214 \pm 0.001(\text{FSR})$$

$\mu^+\mu^- \rightarrow \mu^+\mu^-$ analysis

ACCEPTANCE

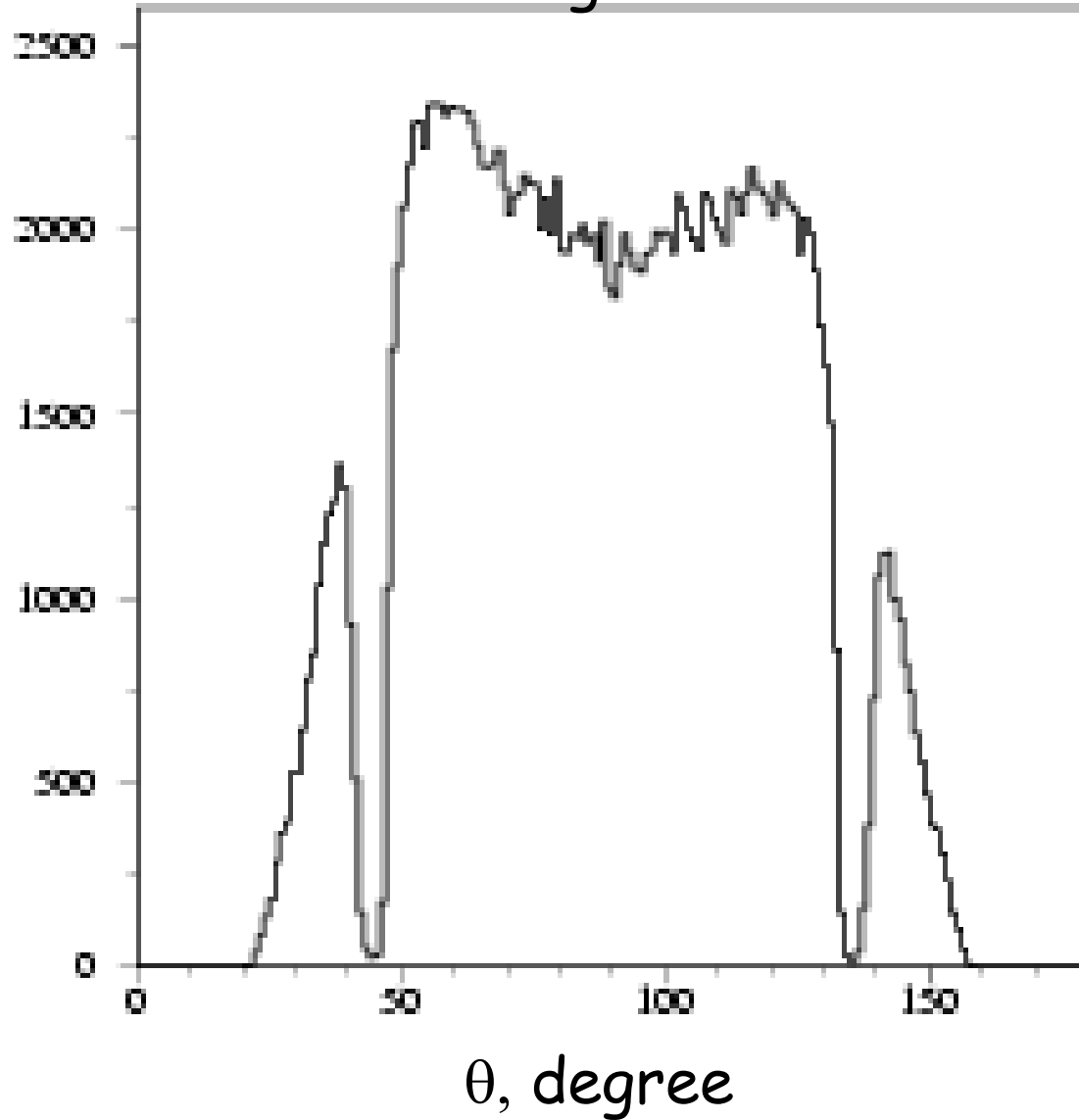
$$(W'/W)_{\text{REC}} = .985$$

$$50 < \theta_{\text{eff}} < 130$$



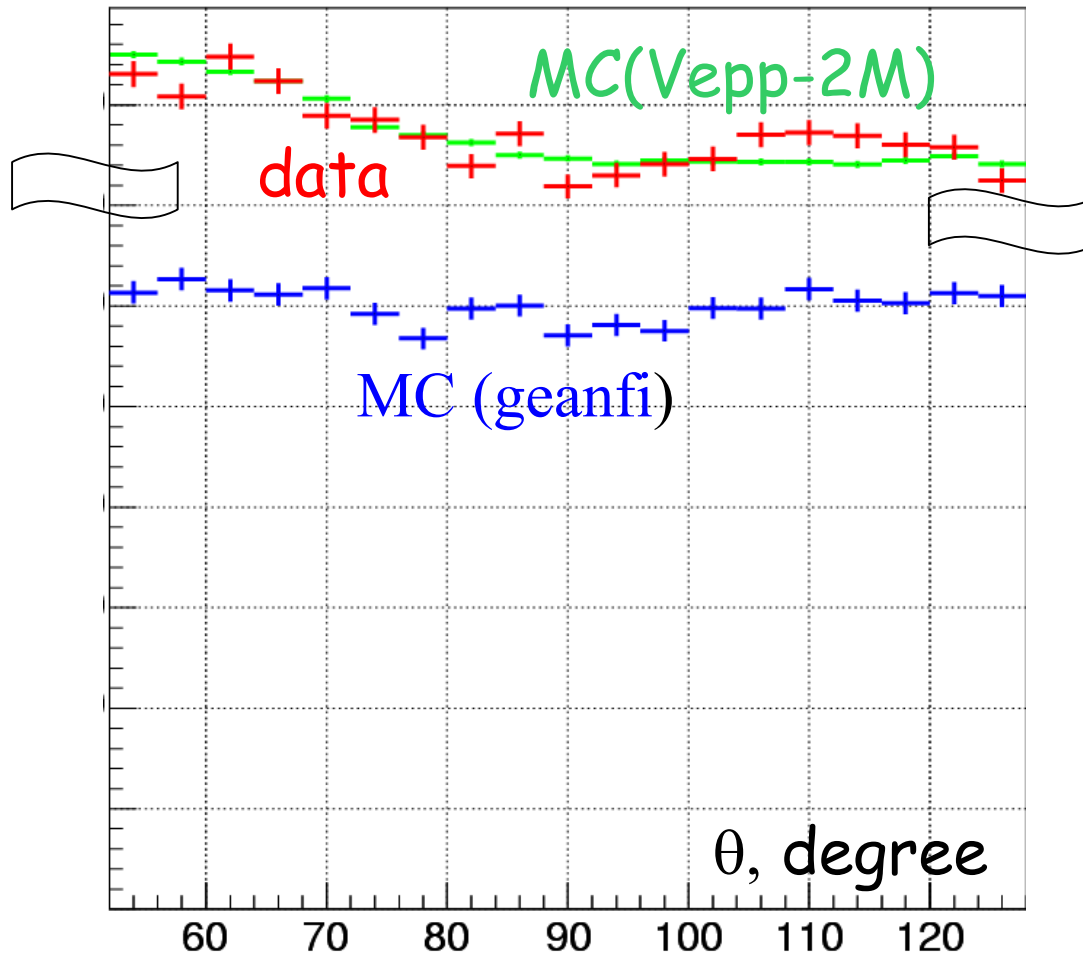
Streaming data

Data: muon angular distribution

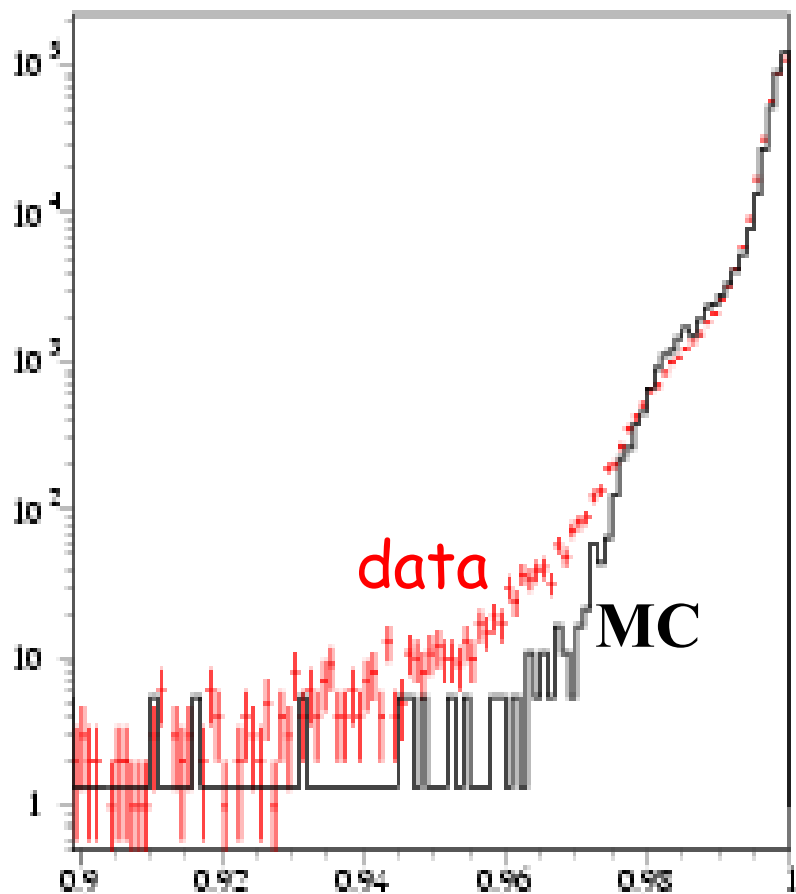


Monte Carlo

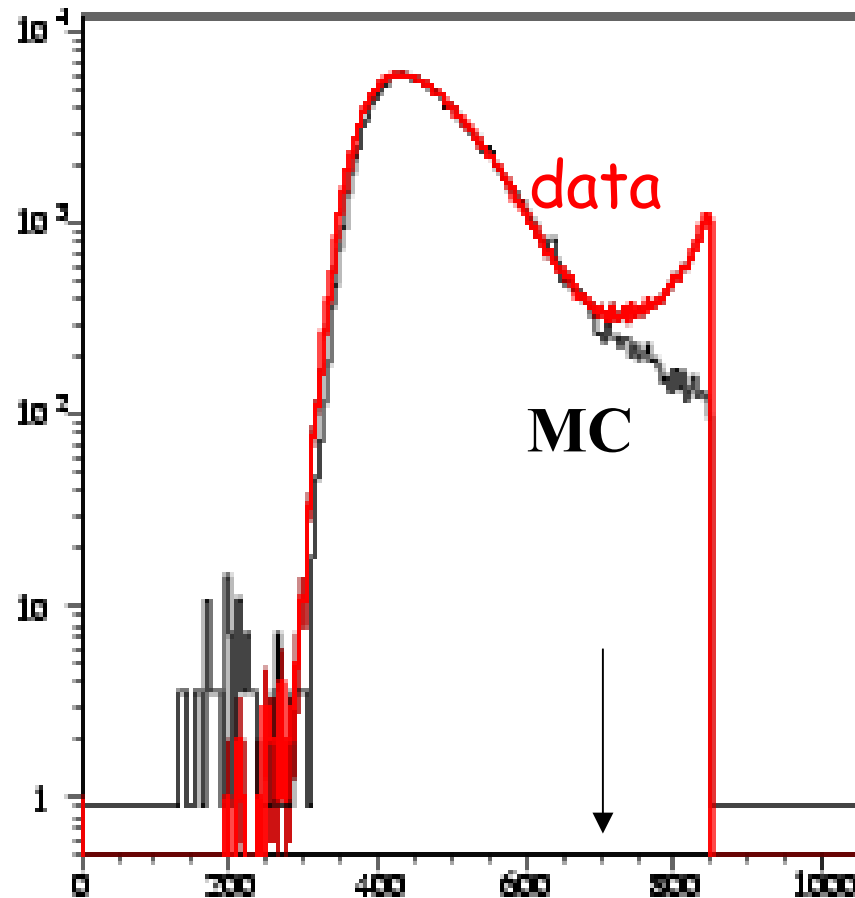
- We have tested a MC in which radiative corrections in the 1^o order are taken into account exactly and leading logarithmic contributions are computed in all orders using the structure-function method (*A.B. Arbuzov et al., hep-ph/9702262*)



Monte Carlo



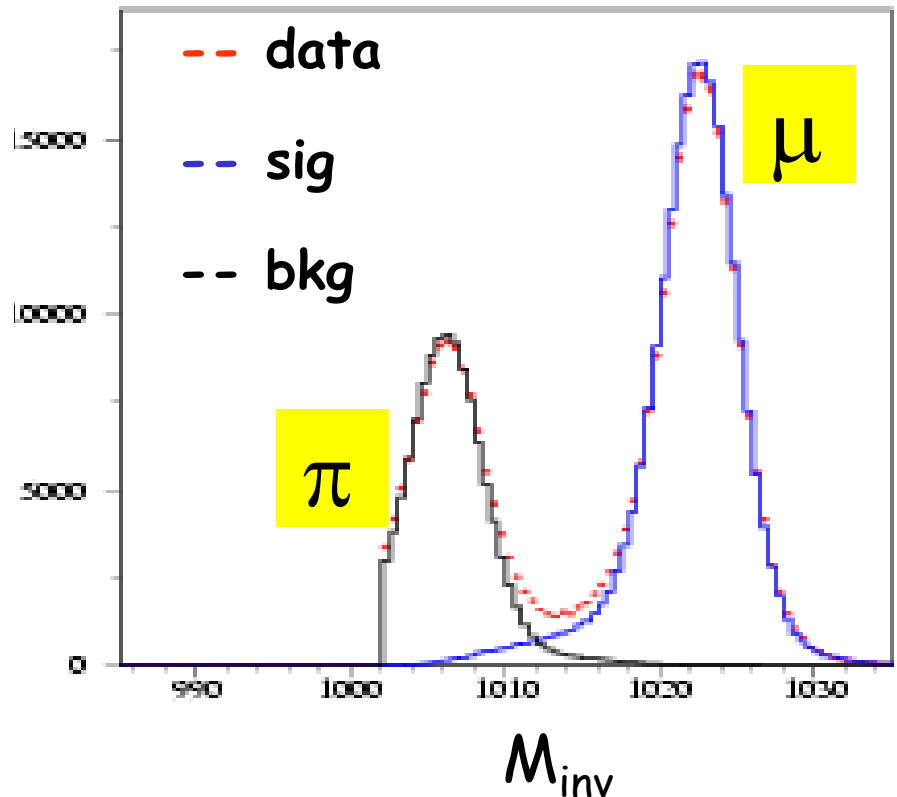
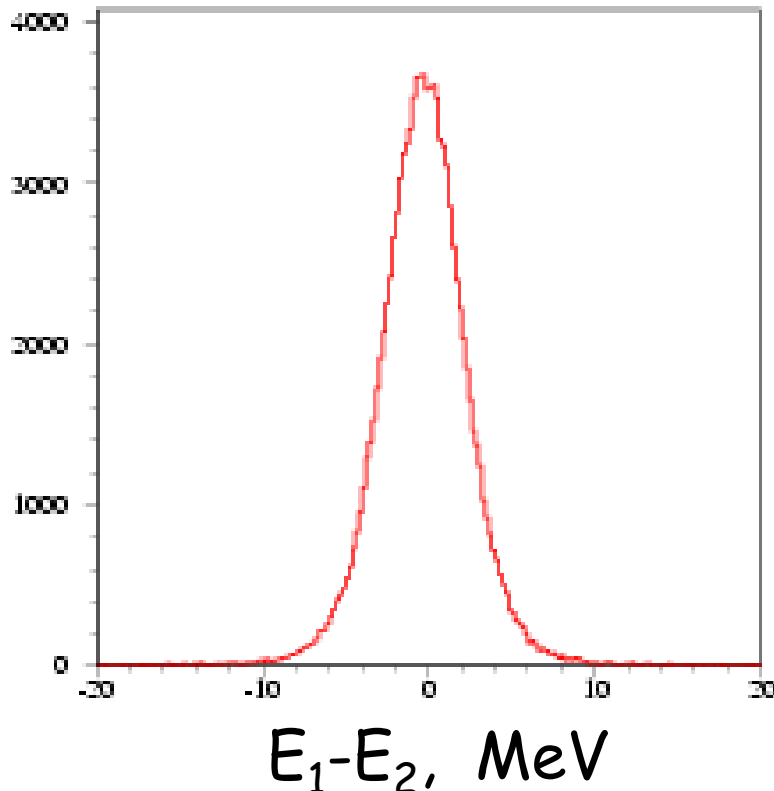
$(W'/W)_{\text{REC}}$



$E_{\text{ECAL}}, \text{MeV}$

counting

- Muons and pions counting comes from a fit to the invariant mass distribution.
- To fit signal ($ee \rightarrow \mu\mu$) and background ($ee \rightarrow \pi\pi$) we use a MC with ISR and FSR generator convoluted with M_{inv} resolution (from data) and BES.



$\sigma_{\mu\mu}$ systematics

Uncorr. syst. dominated by acceptance cuts

efficiency ,bkg uncertainties

0.01 nb (W'/W), 0.002 nb(θ), 0.0045nb(counting)

* Fully energy-correlated \rightarrow don't affect $\Gamma_{\mu\mu}$ measurement

Trigger *	$3 \cdot 10^{-3}$
Filfo *	$3 \cdot 10^{-3}$
CLB stream *	$6 \cdot 10^{-3}$
Tracking *	$5 \cdot 10^{-3}$
E_{ECAL} cut *	$5 \cdot 10^{-3}$
Tot \rightarrow	10^{-2}

Relative err.

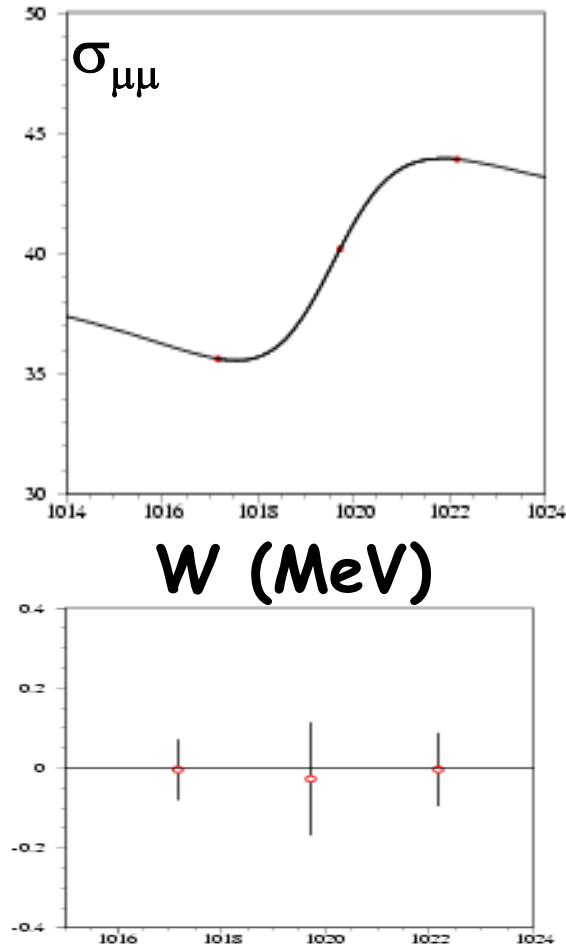
cross section

$W, \text{ MeV}$	$\sigma_{\mu\mu}, \text{ nb}$
1017.17	$35.66 \pm 0.08_{\text{stat}} \pm 0.02_{\text{syst}}$
1019.72	$40.19 \pm 0.14_{\text{stat}} \pm 0.02_{\text{syst}}$
1022.17	$43.92 \pm 0.09_{\text{stat}} \pm 0.02_{\text{syst}}$

Fit function to data

- We use a B.W. cross section, corrected for ISR, FSR and BES.
- The fit parameters are : $\Gamma_{\mu\mu'}$, M_{Φ} and σ° .

Fit result



$$\Gamma_{ee} = 1.320 \pm 0.018 \text{ keV}$$

$$M_{\Phi} = 1019.63 \pm 0.04 \text{ MeV}$$

Systematics

- W'/W cut $\sim 0.9 \cdot 10^{-2}$ keV
- θ_{eff} cut $\sim 0.2 \cdot 10^{-2}$ keV
- $\delta\Gamma_{\Phi}$ $\sim 1.0 \cdot 10^{-2}$ keV
- ω exchange $\sim 10^{-3}$ keV
- counting $\sim 0.4 \cdot 10^{-2}$ keV

$$\text{Tot} \rightarrow 0.017$$

$$\text{Result: } 1.320 \pm 0.018 \pm 0.017$$

$$\sigma^{\circ}(M_{\Phi}) = 39.20 \pm 0.04 \pm 0.4$$

$$\sigma^{\circ}(M_{\Phi})_{\text{th}} = 39.2$$

Conclusion

bhabha

$$\Gamma_{ee} = 1.32 \pm 0.05 \pm 0.03$$

Muons

$$\sqrt{\Gamma_{ee}\Gamma_{\mu\mu}} = 1.320 \pm 0.018 \pm 0.017$$


$$\Gamma_{LL} = 1.320 \pm 0.017 \pm 0.015$$

CMD-2 (1999)

$$1.32 \pm 0.02 \pm 0.04 \text{ (indirect)}$$

More details on KLOE memo 289