

# Tests of Chiral Perturbation theory with KLOE



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### **Chiral Perturbation Theory**



Chiral Perturbation Theory (ChPT) is the low-energy effective field theory of strong interactions.

For process involving the s quark  $\rightarrow$  SU(3) version of ChPT

#### - Assumptions

spontaneous breaking of SU(3)<sub>L</sub> X SU(3)<sub>R</sub> symmetry of  $\mathcal{L}_{QCD}$  in the chiral limit ⇒  $q\overline{q}$  condensate

• Goldstone modes  $\Rightarrow$  octet of pseudoscalar mesons ( $\pi$ , K,  $\eta$ )

### **Chiral Perturbation Theory**



#### SU(3) version of ChPT

✓ write the Chiral Lagrangian in terms of the Goldstone boson fields

✓ add the soft breakings terms induced by the quark masses

Lagrangian not renormalizable + infinite number of arbitrary constants

#### low energy limit-

expansion up to a given order in powers of pseudoscalar momenta and quark masses

#### finite number of constants to be determined experimentally

# **Testing ChPT with kaons**



Since their discovery K mesons have represented one of the most powerful sources of information on fundamental interactions.

In the framework of ChPT kaon decays play a twofold role:

 semileptonic decays allow us to investigate the strong sector of the chiral Langrangian

low energy coupling constants are known

> precise & interesting tests
of the theory

 non-leptonic and radiative non-leptonic decays allow us to investigate the chiral realization of the four-quark effective hamiltonian for weak interactions



# Kaon Physics at the $\Phi$ - factory DA $\Phi$ NE



 $\phi \text{ decays:}$   $BR(\phi \rightarrow K^{+}K^{-}) = 49.2\%$   $BR(\phi \rightarrow K^{0}K^{0}) = 33.8\%$   $BR(\phi \rightarrow \rho\pi) = 15.4\%$   $BR(\phi \rightarrow \eta\gamma) = 1.3\%$ 

 $e^+e^- \rightarrow \phi(1020)$ 

 $\vec{P}_{\Phi} = \vec{P}_{K} + \vec{P}_{\overline{K}}$  $\begin{cases} P_{K0} \approx 110 \text{ MeV/c} \\ P_{K\pm} \approx 125 \text{ MeV/c} \end{cases}$ 

- very clean environment
- pure  $K_SK_L$  and  $K^+K^-$  beams almost monochromatic (P\_ $_{\varphi}\approx$  13 MeV/c )
- kaon momentum precisely known thanks to kinematics enclosure of the event



#### The tagging





 $K_L \rightarrow \pi^0 \pi^0$ 

#### The KLOE detector

#### Drift Chamber

•4 m diameter × 3.3 m length
•90% helium, 10% isobutane
•12582/52140 sense/tot wires

·All-stereo geometry



$$\sigma_{r\phi} = 150 \text{ mm} \sigma_z = 2 \text{ mm}$$
  
 $\sigma_V = 3 \text{ mm} \sigma_p / p = 0.4 \%$ 

 $\lambda_{s} = 0.6 \text{ cm}$  $\lambda_{L} = 340 \text{ cm}$  $\lambda_{\pm} = 95 \text{ cm}$ 

YOKE

DRIFT CHAMBER

6 m

Crvosta

∎7m

Barrel EMC

#### Electromagnetic Calorimeter

- Lead/scintillating fiber
- 98% coverage of solid angle
- 88 modules (barrel + end-caps)
- 4880 PMTs (two side read-out)



$$\sigma_{E} / E = 5.4\% / \sqrt{E(GeV)}$$
  
$$\sigma_{\tau} = 54 \text{ ps} / \sqrt{E(GeV)}$$
  
$$\oplus 50 \text{ ps(cal)}$$

#### KLOE Integrated Luminosity











#### **Outline**



Among the various tests of ChPT accessible at KLOE I will focus on:

- 1)  $\Gamma(K_S \rightarrow \pi + \pi (\gamma)) / \Gamma(K_S \rightarrow \pi^0 \pi^0)$ Isospin (I=0 and 2) amplitudes and the  $\pi \pi$  phase-shifts
- 2)  $Br(K_L \rightarrow \gamma \gamma) / Br(K_L \rightarrow 3\pi^0)$

- 3)  $K_{13}$  decays BR's , kaon form factors and  $V_{us}$  for charged and neutral kaons
- 4)  $K_{14}$  decays

phase shift of the  $\pi\pi$  elastic scattering and strength of the condensate

 $q\overline{q}$ 

5)  $\eta \rightarrow \pi^0 \gamma \gamma$ 

high order corrections in ChPT



# 1) $\Gamma(K_S \rightarrow \pi^+ \pi^- (\gamma)) / \Gamma(K_S \rightarrow \pi^0 \pi^0)$

### K<sub>S</sub> analysis at KLOE



– K<sub>s</sub> tagging

- time of flight identification of K<sub>L</sub> interacting in the EmC ("K<sub>L</sub>-crash")
- > selected as a calorimeter cluster with:
  - a)  $E_{CLU} > 200 \text{ MeV}$ b)  $|\cos(\theta_{CLU})| < 0.7$
  - c)  $0.195 \le \beta^* \le 0.2475$







\* K<sub>s</sub> momentum from K<sub>L</sub> cluster position \* Tagging efficiency  $\epsilon_{tag,total}$  ~ 30%



#### - Motivations

first step towards Re(  $\epsilon'/\epsilon$ ) and extraction of Isospin 0 and 2 amplitudes and phases from consistent treatment of soft  $\gamma$  in K<sub>S</sub>  $\rightarrow \pi^+\pi^-(\gamma)$ 



 $K_L$ -crash .and.  $\geq$  3 neutral "prompt" clusters:  $|t-R/c| < 5\sigma_t$  .and.  $E_{\gamma} > 20$  MeV



### Efficiency evaluation : $K_S \rightarrow \pi^* \pi^- (\gamma)$



# > single-track reconstruction efficiency from $K_S \rightarrow \pi^+ \pi^-$ data, used to scaleMC



 $\epsilon_{+-}$  (sel and rec) = (57.6 ± 0.2) %

> single-particle  $t_0$  and trigger efficiencies from data, plugged into MC  $\epsilon_{+-}$  ( $t_0$  and trig) = (97.9 ± 0.03) %

 $K_{S} \rightarrow \pi^{+}\pi^{-}$  from  $K_{L} \rightarrow \pi^{+}\pi^{-}\pi^{0}$ -tagged sample and  $\phi \rightarrow \pi^{+}\pi^{-}\pi^{0}$ 

L. UE LULIU

### **Efficiency evaluation :** $K_{s} \rightarrow \pi^{0} \pi^{0}$



> **photon detection efficiency** from data using  $\phi \rightarrow \pi^+ \pi^- \pi^0$  events.



 $\epsilon_{00}(sel) = (90.1 \pm 0.2)\%$ 

> single-particle  $t_0$  and trigger efficiencies from data, plugged into MC  $\epsilon_{00}$  ( $t_0$  and trig) = (99.86 ± 0.04)%

 $K_{S} \rightarrow \pi^{0}\pi^{0}$  from  $K_{L} \rightarrow \pi^{+}\pi^{-}\pi^{0}$ -tagged sample

L. UE LULIU

# JOJN KLOE

# $\mathbf{R} = \Gamma(\mathbf{K}_{S} \to \pi^{+}\pi^{-}(\gamma))/\Gamma(\mathbf{K}_{S} \to \pi^{0}\pi^{0}) \text{ result}$



KLOE 2000 data Phys. Lett. B 538 (2002), 21  $R = 2.239 \pm 0.003_{stat} \pm 0.015_{syst}$ PDG 2000 average  $R = 2.197 \pm 0.026$ (without clear indication of  $E_{\gamma}^{*}$ )

#### \_ Near future goals.

- reach 0.1% systematic uncertainty on R
  - [< 2·10-4 on Re(ε'/ε)]
- > measure absolute branching ratios

$$\blacktriangleright$$
 E <sub>$\gamma$</sub> \* spectrum

### $\Gamma(K_{S} \rightarrow \pi^{+}\pi^{-}(\gamma))/\Gamma(K_{S} \rightarrow \pi^{0}\pi^{0})$ theory



Both the isospin (I=0 and 2) amplitudes and the pp phase-shifts can be estimated from the measured  $\mathbf{K} \rightarrow \pi\pi$  branching ratios:

$$\begin{array}{c} \mbox{Transition amplitudes} & \mbox{Decay rates} \\ A(K_1 \to \pi^+ \pi^-) = \sqrt{\frac{2}{3}} A_0 e^{i\delta_0} + \sqrt{\frac{1}{3}} A_2 e^{i\delta_2} \\ A(K_1 \to \pi^0 \pi^0) = \sqrt{\frac{1}{3}} A_0 e^{i\delta_0} - \sqrt{\frac{2}{3}} A_2 e^{i\delta_2} \\ A(K_1 \to \pi^0 \pi^0) = \sqrt{\frac{1}{3}} A_0 e^{i\delta_0} - \sqrt{\frac{2}{3}} A_2 e^{i\delta_2} \\ A(K^+ \to \pi^+ \pi^0) = \sqrt{\frac{3}{4}} A_2 e^{i\delta_2} \\ A(K^+ \to \pi^+ \pi^0) = \sqrt{\frac{3}{4}} A_2 e^{i\delta_2} \\ K_1 = \frac{|K^0\rangle + |\overline{K}^0\rangle}{\sqrt{2}} \cong K_s \\ \left(\frac{A_0}{A_2}\right)^2 = \frac{3\Gamma_s}{4\Gamma^+} - 1 = \frac{3}{4} \frac{1}{\tau_s} \frac{\tau^+}{BR(K^+ \to 2\pi)} - 1 = (22.2 \pm 0.07)^2 \\ R = \frac{\Gamma(K_1 \to \pi^+ \pi^-)}{\Gamma(K_1 \to \pi^0 \pi^0)} = \frac{\rho_{\pm}}{\rho_{00}} \left[2 + 6\sqrt{2} \frac{A_2}{A_0} \cos(\delta_0 - \delta_2)\right] \end{array}$$



1) O(p <sup>2</sup> ) ChPT prediction	$\delta_0 - \delta_2 = (45 \pm 6)^{\circ}$	
2) $\pi\pi$ scattering	$\delta_0 - \delta_2 = (45.2 \pm 1.3 \pm 1.3)$	5)°
3) BR's from PDG	$\delta_0 - \delta_2 = (56.7 \pm 3.8)^{\circ}$	inconsistent
4) KLOE measurement of $\Gamma(\mathbf{K}_{S} \rightarrow \pi^{+}\pi^{-})/\Gamma(\mathbf{K}_{S} \rightarrow \pi^{0}\pi^{0})$	δ <sub>0</sub> -δ <sub>2</sub> = (48±3)°	with 1) and 2)

Using the KLOE measurement the estimate of  $\delta_0 - \delta_2$ from  $K \rightarrow \pi\pi$  BR's is consistent with 1) and 2)



# 2) $Br(K_L \rightarrow \gamma \gamma) / Br(K_L \rightarrow 3\pi^0)$

REOF

O(p<sup>6</sup>) amplitude and long-distance contribution are dominant



 $\mathbf{K}_{L} \rightarrow \gamma \gamma$ 

ChPT



very sensitive to chiral corrections, in particular  $\eta-\eta'$  mixing

Short-distance contribution

Long-distance contribution





## K<sub>L</sub> tagging at KLOE

− K<sub>L</sub> tagging

- ♦ identification of  $K_S \rightarrow \pi^+\pi^-$  events
- single vertex in K<sub>S</sub> fiducial volume

 $r_T < 4 \text{ cm and } |z| < 8 \text{ cm}$ 

- two and only two tracks of opposite charge connected to the vertex
- ✤ 50 <  $p_{KS}$  < 170 MeV/c in  $\phi$  ref.
   frame
- ✤ 400 < M<sub>KS</sub> < 600 MeV/c<sup>2</sup>

• K<sub>L</sub> momentum from K<sub>S</sub> and  $\phi$  momenta • Tagging efficiency  $\epsilon_{tag,total} \sim 75\%$ 



 $K_L \rightarrow \pi^0 \pi^0$  $K_S \rightarrow \pi^+ \pi^-$   $K_L \rightarrow \gamma \gamma$ 



#### Strateg

 $\mathbf{V}\mathsf{BR}(\mathsf{K}_{\mathsf{L}} \to \gamma\gamma) \text{ from } \Gamma(\mathsf{K}_{\mathsf{L}} \to \gamma\gamma) / \Gamma(\mathsf{K}_{\mathsf{L}} \to 3\pi^{0}) \quad (\Delta \mathsf{BR}(\mathsf{K}_{\mathsf{L}} \to 3\pi^{0}) / \mathsf{BR} \sim 1.3\%)$ 

- $K_L$  tagging from  $K_S \rightarrow \pi^+\pi^-$  events
- neutral vertex in:  $30 < r_T < 170$  cm and |z| < 140 cm
- selection for  $K_L \rightarrow \gamma \gamma$  and  $K_L \rightarrow 3\pi^0$  events

Neutral vertices reconstructed applying the time of flight triangle to cluster not attached to tracks:

$$L_{K}^{2} + L_{K}^{2} - 2LL_{K} \cos \theta = L_{\gamma}^{2}$$

$$L_{K} = \frac{\sum_{i=1}^{NCLU} E_{i} \cdot I_{Ki}}{\sum_{i=1}^{NCLU} E_{i}}$$



# $K_L \rightarrow \gamma \gamma$ selection





• pre-selection to reject the most dangerous background from  $K_L \rightarrow 3\pi^0$  events (BR~21%)

 $E_{\gamma} > 100 \text{ MeV}$  $E_{tot} > 350 \text{ MeV}$ 

 $\psi$  > 160° (2  $\gamma$ 's angle in plane  $\perp$  to p<sub>KL</sub>)

• selection cuts on:

a) E<sup>\*</sup> the total energy of the 2  $\gamma$ 's:

(E\* - 510)< 5 σ\*

b)  $\alpha$  the angle between the K<sub>L</sub> momentum reconstructed from 2  $\gamma$ 's and the K<sub>L</sub> momentum from K<sub>S</sub> and  $\phi$ 

**α < 15**°



# $K_L \rightarrow 3\pi^0$ selection



- neutral vertex with > 3  $\gamma$ 's attached
- cluster energy  $E_{\gamma}$  > 20 MeV .and. at least one cluster with  $E_{\gamma}$  > 80 MeV (\*)
- distance from any another cluster > 40 cm





R = (2.77±0.08)×10<sup>-3</sup>

PDG:

 $K_S \rightarrow \gamma \gamma$ 





> higher order corrections increase the decay rate by ~30%

To subtract the background coming from  $K_L \rightarrow \gamma\gamma NA48$  has to evaluate it from the measurement of the ratio R= $\Gamma(K_L \rightarrow \gamma\gamma)/\Gamma(K_L \rightarrow \pi^0\pi^0\pi^0)$ 

## $K_S \rightarrow \gamma \gamma$ with KLOE

- Pre-selection to reject the most dangerous background  $K_S \rightarrow 2\pi^0$  (BR~31%)
  - $K_{l}$  -crash
  - 2 "prompt" clusters  $|t-R/c| < 5\sigma_+$
  - E<sub>v</sub> > 220 MeV
- Selection
  - $M_{\gamma\gamma}$  > 400 MeV/c<sup>2</sup> invariant mass on the 2  $\gamma$ 's
  - coskk < -0.9 and -0.95< cos12 < -0.85</li> coskk angle between  $K_s$  direction from  $K_l$ -crash and  $K_{s}$  direction from 2  $\gamma$ 's

 $N_{yy} \sim 70$  expected with 500 pb<sup>-1</sup> but S/B=1/4  $\Rightarrow$  *More statistics is needed* 

Thanks to the tagging we will have systematic uncertainties totally different from those of NA48







# 3) K<sub>13</sub> decays



V<sub>IIs</sub> from K<sub>I3</sub> decays



#### V<sub>us</sub> from K<sub>13</sub> decays



Ignoring phase space and form factor differences:

$$\Gamma(\mathsf{K}_{\mathsf{L}} \rightarrow \pi e \nu) = \Gamma(\mathsf{K}_{\mathsf{S}} \rightarrow \pi e \nu) = 2 \Gamma(\mathsf{K}^{\pm} \rightarrow \pi^{0} e^{\pm} \nu)$$

But:

$$2 \times (2\Gamma^{+} - \Gamma^{0})/(2\Gamma^{+} + \Gamma^{0}) = (3.66 \pm 0.06)\%$$

SU(2) (and SU(3)<sub>F</sub>) symmetry breaking effect

# To extract $V_{us}$ from the experimental observable we need:

SU(2) and SU(3)<sub>F</sub> symmetry breaking corrections

radiative corrections

$$V_{us} = 0.2196 \pm 0.0026 (PDG '02) \quad \Delta Vus / Vus = 1.18\%$$

#### Status of K<sub>13</sub> decays: theoretical corrections







 ♦ Clear prescription for radiative corrections from *Cirigliano et al., Eur. Phys. J. C 23 (2002)* ♦ Applied to K<sup>+</sup><sub>e3</sub> gives the result: |V<sub>us</sub>|<sub>e+</sub> = 0.2207 ± 0.0024

#### Status of K<sub>13</sub> decays: experimental situation



Contributions to the relative accuracy on V<sub>us</sub>

$$\frac{\Delta |V_{us}|}{|V_{us}|} = 0.5 \left( \frac{\Delta BR_{K_{e3}}}{BR_{K_{e3}}} + \frac{\Delta \tau}{\tau} \right) + 0.05 \frac{\Delta \lambda_{+}}{\lambda_{+}} + \frac{\Delta f_{+}(0)}{f_{+}(0)}$$
  

$$\mathcal{K}^{\pm}_{e3} = 0.59\% \qquad 0.22\% \qquad 0.86\%$$

 $\Gamma(K_{13})$  inclusive measurement with both K<sup>±</sup> and

# Measuring *Г*(e3) at KLOE





by the tag count the number of K produced, N<sub>KL</sub>

count the number N<sub>e3</sub> of semileptonic decays in the decay region

#### $\Gamma$ is a correction & $\delta \tau / \tau$ dependence reduced by a factor $\approx$ 5







KLOE with the **same detector** and using **both charged and neutral kaons** 

can **improve the experimental contribution to** V<sub>us</sub> **accuracy** measuring:

- Absolute branching ratios or directly the partial decay width
- ↔ form factor slopes  $\lambda_+$  and  $\lambda_0$



#### **K**<sub>13</sub> decays from charged kaons



Tag is provided by  $K \rightarrow \mu\nu$ ,  $K \rightarrow \pi\pi^0$  (BR~85%)selected using only DC information:



#### **K<sup>±</sup>**<sub>e3</sub> signal selection





#### K<sup>±</sup><sub>e3</sub> signal efficiency



Most of the efficiencies can be evaluated directly from data using control samples  $\Rightarrow$  method used for  $\Gamma(\mathbf{K}_{s} \rightarrow \pi^{+}\pi^{-}(\gamma))/\Gamma(\mathbf{K}_{s} \rightarrow \pi^{0}\pi^{0})$ 



#### **K<sub>13</sub> decays from neutral kaons**



- Tag is provided by  $K_s \rightarrow \pi^+ \pi^-$  decays selected using only DC information:
  - single vertex in K<sub>S</sub> fiducial volume
    - $r_T < 4$  cm and |z| < 8 cm
  - two and only two tracks of opposite charge connected to the vertex
  - ✤ 50 <  $p_{KS}$  < 170 MeV/c in  $\phi$  ref.
    frame
  - ✤ 400 < M<sub>KS</sub> < 600 MeV/c<sup>2</sup>
- K<sub>L</sub> momentum from K<sub>S</sub> and  $\phi$  momenta • Tagging efficiency  $\epsilon_{tag,total} \sim 75\%$

 $\epsilon_{\text{tag,total}}$  can be estimated from data using a sample with "K  $_{\text{L}}$  – crash" and two tracks



 $K_{S} \rightarrow \pi^{+}\pi^{-}$ 

E. De Lucia



#### K<sub>13</sub> the form factors



$$M = \frac{Gsin\theta}{\sqrt{2}} \langle \pi | J_{\mu}^{had} | K \rangle u_{1} \gamma^{\mu} (1 - \gamma_{5}) u_{\nu} \overset{t = q^{2} = (P^{K} - P^{\pi})^{2}}{P_{\mu} = P_{\mu}^{K} + P_{\mu}^{\pi}} \\ \eta_{\mu} = P_{\mu}^{K} - P_{\mu}^{\pi} \\ M = \frac{Gsin\theta}{\sqrt{2}} \left\{ f_{+}(t)P_{\mu}\overline{u}_{\nu}\gamma^{\mu}(1 - \gamma_{5})u_{1} + \underline{m}_{1}f_{-}(t)u_{1}(1 - \gamma_{5})u_{\nu} \right\} \\ \text{event density:} P(E_{\mu}, E_{\pi}) = \frac{d^{2}\Gamma}{dE_{\pi}dE_{\mu}} = \frac{|M|^{2}}{8M(2\pi)^{3}} \propto Af_{+}^{2}(t) + Bf_{+}(t)f(t) + Cf^{2}(t) \\ f(t) = f_{+}(t) + \frac{t}{M_{K}^{2} - m_{\pi}^{2}}f_{-}(t) \\ \text{linear expansion of the } f_{i}(t): \quad f_{+}(t) = f_{+}(0)(1 + \lambda_{+}t/m_{\pi}^{2}) \\ f(t) = f(0)(1 + \lambda_{0}t/m_{\pi}^{2}) \implies P(E_{\mu}, E_{\pi}, \lambda_{+}, \lambda_{0}) \end{cases}$$

 $\lambda_+$  and  $\lambda_0$  can be measured from fit of the Dalitz plot distribution

#### Measuring $\lambda_+$





#### Measuring $\lambda_0$







# 4) KI4 decays

#### K<sub>e4</sub> decays



The  $\pi\pi$  scattering at low energy is the simplest possible hadronic interaction

> promising ground for studying the strength of the



test the hypothesis that the quark condensate is the leading order parameter of the spontaneous broken chiral symmetry

High statistics available but extraction of  $\pi\pi$  amplitude is **model dependent** 

#### Ke4 decays

no additional strongly interacting particles in the final state

very precise predictions from ChPT (but BR(Ke4) 3.91x10<sup>-5</sup>)

#### K<sub>e4</sub> decays



$$d\Gamma = G_F^2 |V_{us}|^2 N(s_\pi, s_e) J_5(s_\pi, s_e, \vartheta_\pi, \vartheta_e, \phi) ds_\pi ds_e d\cos\vartheta_\pi d\cos\vartheta_e d\phi$$

·  $J_5$  is a simple function of  $\vartheta_{a}\phi$ and of 9 intensities  $I_i(s_{\pi}, s_e, \vartheta_{\pi}, F, G, H, R)$  performing the partial wave expansion of the form factors F,G,H,R in the variable  $\mathcal{Y}_{\pi}$ π **w** the amplitudes are functions of  $S_{\pi}, S_{e}$  $\theta_{\pi}$ the phases coincide with the phase shift of the  $\pi\pi$  elastic scattering  $\delta^I_I$ and are functions of π  $\pi\pi$  c.m. E. De Lucia

full kinematics described by 5 variables



#### K<sub>e4</sub> decays



The observable is the phase difference:

$$\delta(s_{\pi}) = \delta_0^0(s_{\pi}) - \delta_1^1(s_{\pi}) \qquad 4M_{\pi}^2 < s_{\pi} < M_{\mu}^2$$

 $\mathbf{I}_{i}$ 

To extract it from data we can use the Pais-Treiman method:

- $d^2\Gamma/d\cos\theta_e d\phi$  event distribution in Sbins
- fit the event distribution with the 9 intensities
- neglecting all the waves higher than S and P we have:

$$\tan(\delta_0^0 - \delta_1^1) = \frac{1}{2} \frac{\int_{-1}^1 I_7 d\cos\theta_{\pi}}{\int_{-1}^1 I_4 d\cos\theta_{\pi}}$$

#### **K**<sub>e4</sub> decays theoretical predictions



### K<sub>e4</sub> decays at KLOE

- ✓ Tag on one side using  $K \rightarrow \mu \nu$  decays simpler reconstruction of the 4 tracks
- ✓ Vertex in DC fiducial volume
- ✓ 4 tracks attached to the vertex  $p_T < 200 \text{ MeV/c} \Rightarrow \text{spiralling tracks}$
- ✓ ToF selection
- ✓ main backgroung K+ → $\pi^+ \pi^- \pi^+$



Need optimization of:

- pattern recognition and track fit procedure for very low momenta
- Vertex fit with 4 tracks

(everything optimized for CP events)

more statistics is needed to enter into the game!!

N  $_{\text{K}\pm\text{e}4}^{\text{tag}} \approx 1.5 \text{x} 10^{4}$  but

Totally different systematic uncertainties at KLOE thanks to the unique feature of the tagging



# **5)** $\eta \rightarrow \pi^0 \gamma \gamma$

# $\eta \rightarrow \pi^{0} \gamma \gamma$ : theory



#### This decay is a window on rather high order corrections in Ch

- Leading term O(p<sup>2</sup>) is absent
- tree-level amplitude O(p<sup>4</sup>) is also zero
- loop contributions O(p<sup>4</sup>) plays a very minor role:

 $\Rightarrow \Gamma^{(4)}(\eta \rightarrow \pi^{0}\gamma\gamma) = 4 \div 7 \times 10^{-3} \text{ eV}$ Image: chiral expansion starts from O(p<sup>6</sup>)

Theoretical predictions of  $\Gamma(\eta \rightarrow \pi^0 \gamma \gamma)$ 

* VDM	0.30 ± 0.16	(Ng-Peters)
V+A resonance	0.47 ± 0.20	(Ko)
🛠 q-box diagram	0.70 ÷ 0.92	(Ng-Peters, Nemoto et al.)
✤ ChPT	0.42 ± 0.20	(Ametller et al.)
✤ ChPT	0.58 ± 0.30	(Bellucci-Bruno)

 $\eta \rightarrow \pi^{0} \gamma \gamma$  : experiments





No agreement between GAMS-2000 and Crystal Ball

measures of  $E_{\gamma}$  and of  $\gamma\gamma$  invariant mass spectra are needed  $\Rightarrow$  different shapes for different models  $\eta \rightarrow \pi^{\,0} \gamma \gamma$  with KLOE



**(a)** Tag  $\eta$  decays from  $\phi \rightarrow \eta \gamma$  asking for a photon with  $E\gamma = 363$  MeV available statistics:

 $N_{\eta}^{\text{tag}} \approx 2x10^7$  same as Crystal Ball

**(2)** the selection looks for 5 "prompt"  $\gamma$  in the final state:

Photon pairing and kinematic fit with mass constraint in the hypothesis:

1. 
$$\pi^{0}\pi^{0}\gamma$$
  $(f_{0} \rightarrow \pi^{0}\pi^{0})$   
2.  $\eta\pi^{0}\gamma$   $(a^{0} \rightarrow \eta\pi^{0})$   
3.  $\omega\pi^{0} \rightarrow \pi^{0}\pi^{0}\gamma$   $(M(\pi^{0}\gamma)=M(\omega))$   
4.  $\eta\gamma \rightarrow 3\gamma$   
5.  $\eta\gamma \rightarrow \pi^{0}\gamma\gamma\gamma$ 

 $\eta \rightarrow \pi^{0} \gamma \gamma$  with KLOE



After  $\pi^0\pi^0\gamma$  and  $\eta\pi^0\gamma$  rejection: (1)Signal (MC) (2) Residual  $\pi^0\pi^0\gamma$  (MC) (3)  $\eta\gamma \rightarrow \pi^0\pi^0\pi^0\gamma$  (MC) (4) Data

Cutting the  $\pi^0$  peak does not help with (3)  $\phi \rightarrow \eta \gamma \rightarrow \pi^0 \pi^0 \pi^0 \gamma$ 



 $M_{2\nu} \gamma \gamma$  invariant mass spectra (2) (1) Û  $M_{2\gamma}$  (MeV)  $M_{2\nu}$  (MeV) (4) =(3)  $\mathbf{20}$  $M_{\gamma}$  (MeV)  $M_{2\nu}$  (MeV)

Still no clear signal of  $\eta \rightarrow \pi^0 \gamma \gamma$  crucial to improve  $\phi \rightarrow \eta \gamma \rightarrow \pi^0 \pi^0 \pi^0 \gamma$ rejection both using QCAL ( $\gamma$  lost) and shower shape variables (merging)

### **Conclusions**



KLOE can perform many tests of Chiral Perturbation Theory

Totally different systematic uncertainties wrt other experiments thanks to the unique feature of the tagging

#### First results from:

- $\delta_0 \delta_2$  measurement using  $K \rightarrow \pi \pi$
- $\Gamma( \mathsf{K}_{\mathsf{L}} \rightarrow \gamma \gamma) / \Gamma(\mathsf{K}_{\mathsf{L}} \rightarrow \pi^{0} \pi^{0} \pi^{0})$  measurement
- With the available statistics relevant contribution to:
  - K<sub>I3</sub> decays for the measurement of V<sub>us</sub>  $\eta \rightarrow \pi^{\ 0} \gamma \gamma$
- With more luminosity the following items will be accessible:
  - Ke4 decays
  - $K_S \rightarrow \gamma \gamma$

#### $DA\Phi NE$ parameters



#### Design parameters

- Beam energy : 510 MeV
- Max number of bunches : 120
- Bunch spacing : 2.7 ns
- Bunch current : 40 mA
- Single bunch luminosity :  $4 \cdot 10^{30}$  cm<sup>-2</sup> s<sup>-1</sup>





#### **BR(** $K_{\rm S} \rightarrow \pi^{\pm} e^{\pm} v$ **)**

#### **Motivations**

• if (CPT).and.( $\Delta$ S.eq.  $\Delta$ Q) then BR( K<sub>S</sub>  $\rightarrow \pi^{\pm} e^{\pm} v$ ) = BR( K<sub>L</sub>  $\rightarrow \pi^{\pm} e^{\pm} v$ )x  $\Gamma_L / \Gamma_S$ from PDG values = (6.704 ± 0.071)x10<sup>-4</sup> only one measurement (CMD-2 1999): (7.2 ± 1.4)x10<sup>-4</sup>

#### Selectio

♣ K<sub>L</sub>-crash.and.charged vertex at IP (r<8cm , |z|<10cm) and.2 tracks with associated EmC clusters
♦ invariant mass of the tracks in π hp M<sub>ππ</sub> < 490 MeV/c<sup>2</sup> (against background from K<sub>S</sub> → π<sup>+</sup>π<sup>-</sup>)
★ π/e identification using time-of-flight

 $\pi/e$  identification using time-of-flight

 $\mathsf{D}\delta t \ (\pi, e) = [\mathsf{t_1}^{\mathsf{CLU}} - \mathsf{t_2}^{\mathsf{CLU}}] - [\mathsf{L}_1 \ /\mathsf{c} \ \beta(\pi) - \mathsf{L}_2 \ /\mathsf{c} \ \beta(e)]$ 

- ♦ |Dδt (π, π)| > 1.5 ns to reject K<sub>S</sub> → π<sup>+</sup>π<sup>-</sup>
- **\*** Cuts on  $D\delta t(\pi, e)$  and  $D\delta t(e, \pi)$



#### **Efficiency evaluation**

✓ Vertex reconstruction, fiducial cuts and  $M_{\pi\pi}$ efficiency from MC but also from data  $K_L \rightarrow \pi e v$ near I.P. (high-purity sample (> 99.7 %), by kinematic cuts) and  $K_S \rightarrow \pi^o \pi^o$  to scale MC Tracking efficiency for MC and data from  $K_S \rightarrow \pi^+\pi^-$ 

Single-particle  $t_0$ , track-cluster, and trigger efficiencies from data using  $K_L \rightarrow \pi e \nu$  near origin and  $K_S \rightarrow \pi^+\pi^-$  but also  $\phi \rightarrow \pi^+\pi^-\pi^0$ . MC efficiency scaled accordingly

✓ **Time of flight ID efficiency** from  $K_L \rightarrow \pi e v$ decays near origin and  $K_S \rightarrow \pi^+ \pi$ 

> **Overall selection** efficiency:

> > (20.8± 0.4)%



Fit to  $E_{\text{miss}}$ - $P_{\text{miss}}$  spectrum using MC spectra for signal and  $\pi^+\pi^-$  background

Normalization to  $K_S \rightarrow \pi^+\pi^-$  decays



#### **BR(** $K_{S} \rightarrow \pi^{\pm} e^{\pm} v$ **)**



CPT and  $\Delta S = \Delta Q$  predicts:  $\Gamma(K_S \rightarrow \pi^{\pm} e^{\pm} v) = \Gamma(K_L \rightarrow \pi^{\pm} e^{\pm} v)$ and then: BR( $K_S \rightarrow \pi^{\pm} e^{\pm} v$ ) = BR( $K_L \rightarrow \pi^{\pm} e^{\pm} v$ ) x ( $\Gamma_L / \Gamma_S$ ) Using PDG:

BR(K<sub>s</sub> 
$$\rightarrow \pi^{\pm} e^{\pm} v$$
) = ( 6.704  $\pm$  0.071 ) x 10<sup>-4</sup>

#### Result

KLOE 2000 data, (6.79  $\pm$  0.33<sub>stat</sub>  $\pm$  0.16<sub>syst</sub>)x10<sup>-4</sup> 627  $\pm$  30 evts

**CMD-2** 1999, (7.2  $\pm$  1.4)x10<sup>-4</sup>

75 + 1	3	evts
		0110

Main contributions to the total error	%	lower with the
Statistics	4.9	2001 0
Tracking + vertex efficiency	2.0	
Cluster, $t_0$ , trigger	0.9	
TOF selection eff	0.8	
Tag eff	0.6	
Total	5.9	