



Rivelazione Acustica di Particelle in cilindri di alluminio e niobio

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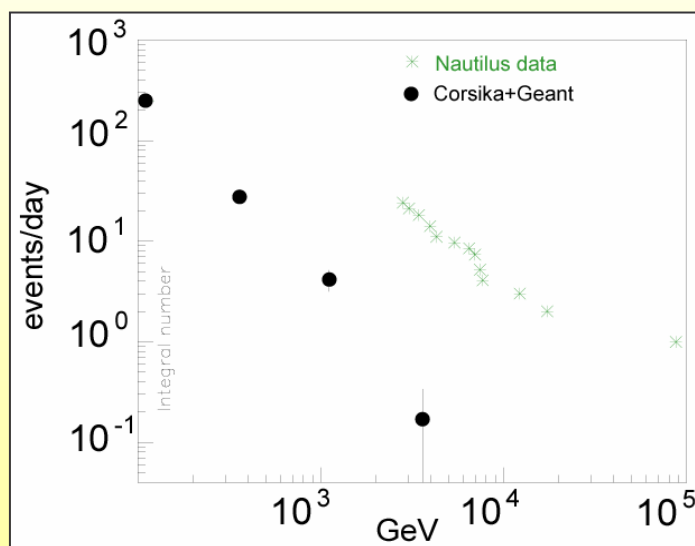
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Scientific Motivations

The NAUTILUS Gravitational Wave Antenna has recorded signals due to the passage of cosmic rays.

Interaction between CR and the antenna is described by the so-called *Thermo-Acoustic model*

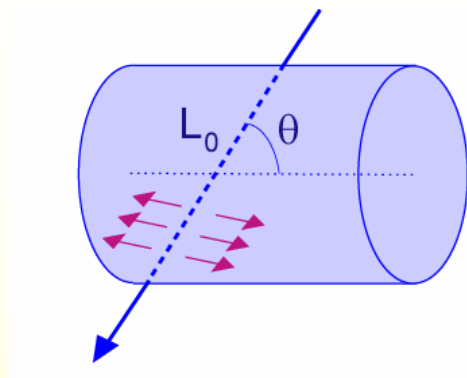


NAUTILUS measurements are in good agreement with the model when $T > T_c$, but *large signals of high energy CR at higher rate than expected* (2-4 orders of magnitude) have been observed in the superconductive state of the antenna.

→ RAP

Green: NAUTILUS measurements
 Black: expected data for the hadronic component with the Thermo-Acoustic model

Thermo-acoustic model for cylindrical bars



CR crossing the antenna loss energy

→ *warming up of the material*



local thermal expansion



mechanical vibrations

The amplitude of the 1st longitudinal mode of oscillation is

$$B_{TH} = B_0 (1 + \varepsilon)$$

$$B_0 = \frac{2}{\pi} \frac{\alpha}{C_V} \frac{L}{M} W$$

accounts for:
a) $O[(R/L)^2]$ corrections
b) beam shape
→ $\varepsilon = -0.04$ for Al

This model has been verified for the Al at $T = 300$ K

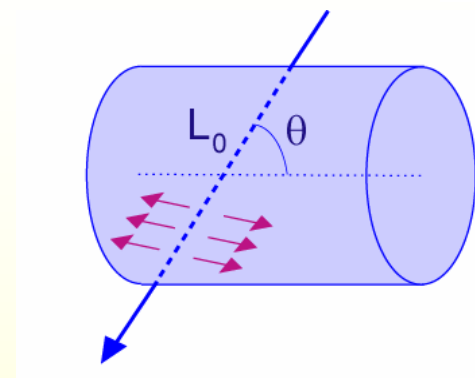
Grüneisen parameter (γ)

- ✓ is proportional to α/C_V
- ✓ is nearly constant between $T = 10 \div 300$ K
- ✓ *but, in superconductive state?*

$$E_n \propto \gamma^2 W^2 F_n^2$$

$$B_0 = \frac{2}{\pi} \frac{\alpha}{C_V} \frac{L}{M} W$$

*Thermo-acoustic model
In superconducting state?*



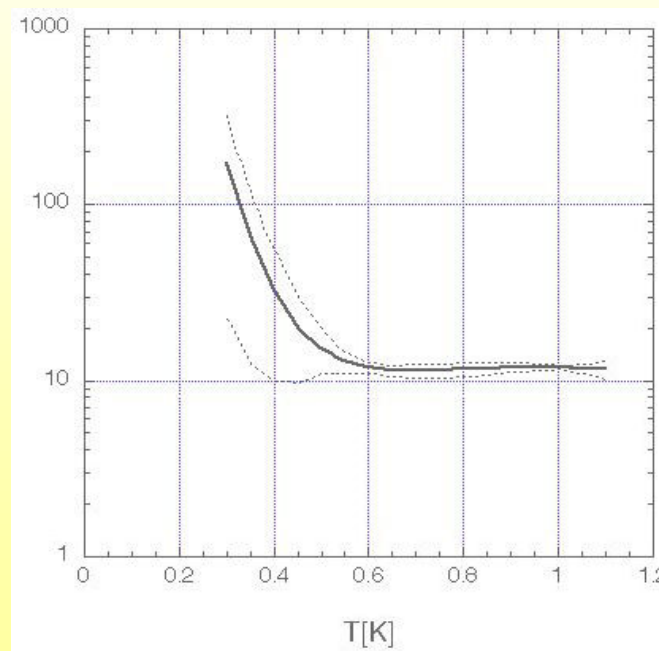
$$r = \sqrt{\frac{dW/dx}{\pi C_V \rho \Delta T}} \approx 100 \text{ \AA (per Al)} \Rightarrow \Delta T \approx 30 \text{ K}$$

At low temperature γ has 2 components: 1 from the lattice and the other from the conduction electrons. The first is assumed to be not dependent on the conduction state (NC or SC)

$$\gamma_n^e(T \rightarrow 0) = 1.6$$

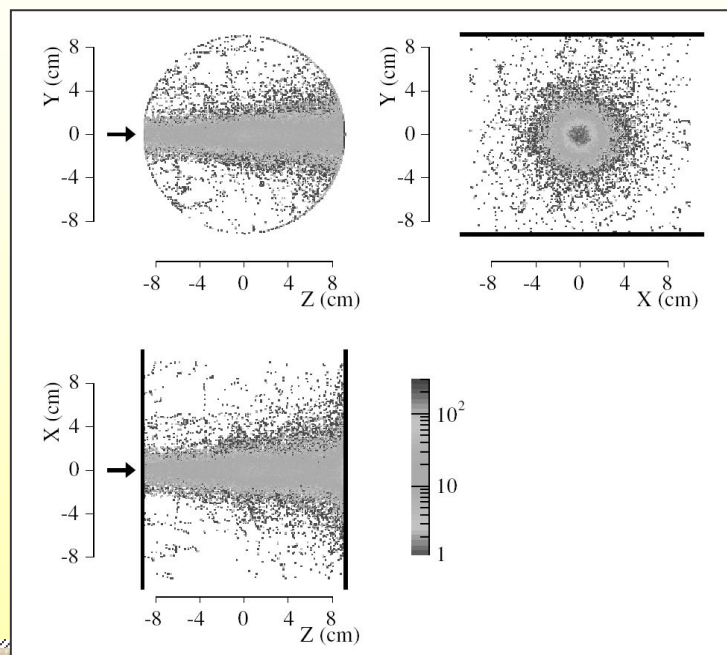
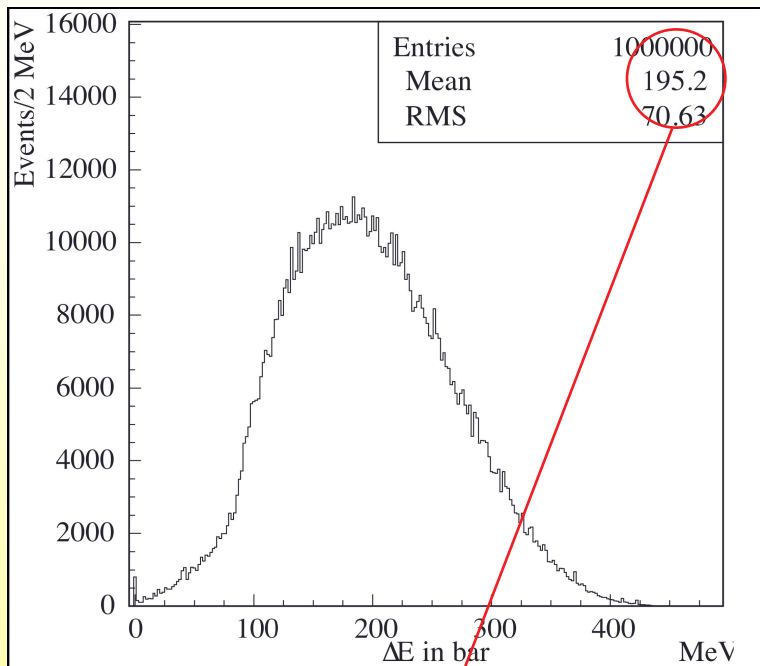
But, calculation of α as a function of the derivative of the critical field versus P and T gives a different value of γ in the range $T < 1 \text{ K}$ (see the figure)

Measurement is needed!



Expected $|\gamma_s^e|$ vs T
for pure Al

$$B_0 = \frac{2}{\pi} \frac{\alpha}{C_V} \frac{L}{M} W$$



Mean energy released by the particles for a **510MeV** e^- impinging the Aluminum antenna

Monte Carlo simulations

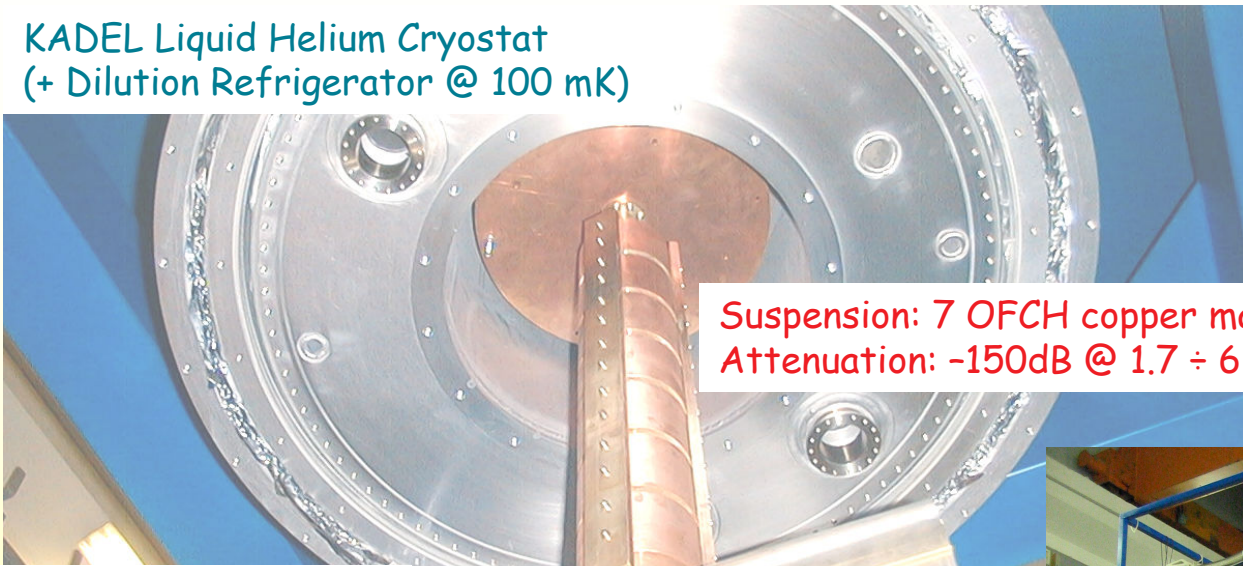
$$\langle \Delta E \rangle \pm \sigma_{\Delta E} = 195 \pm 70 \text{ MeV}$$

$$W = N \langle \Delta E \rangle \quad \sigma_W = \sqrt{N} \sigma_{\Delta E}$$

Secondary particle distribution for a 510MeV primary e^- impinging on the bar

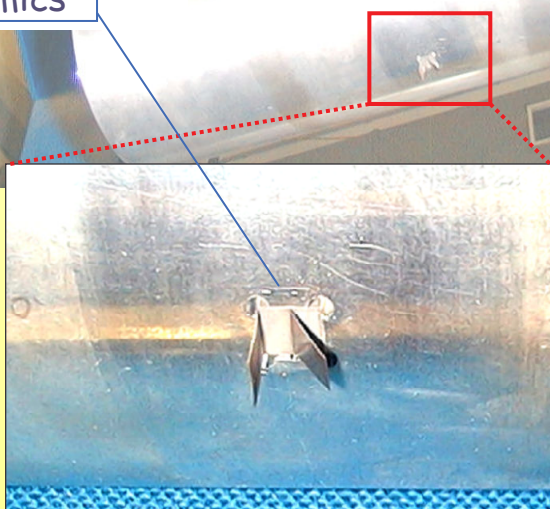
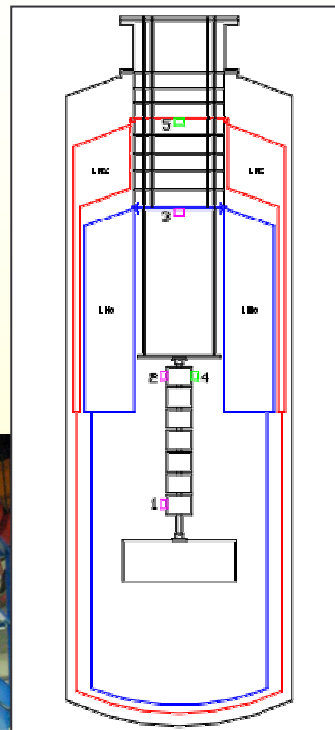
Experimental Setup

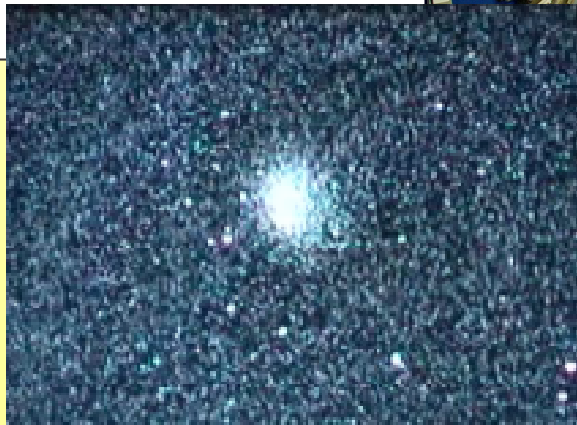
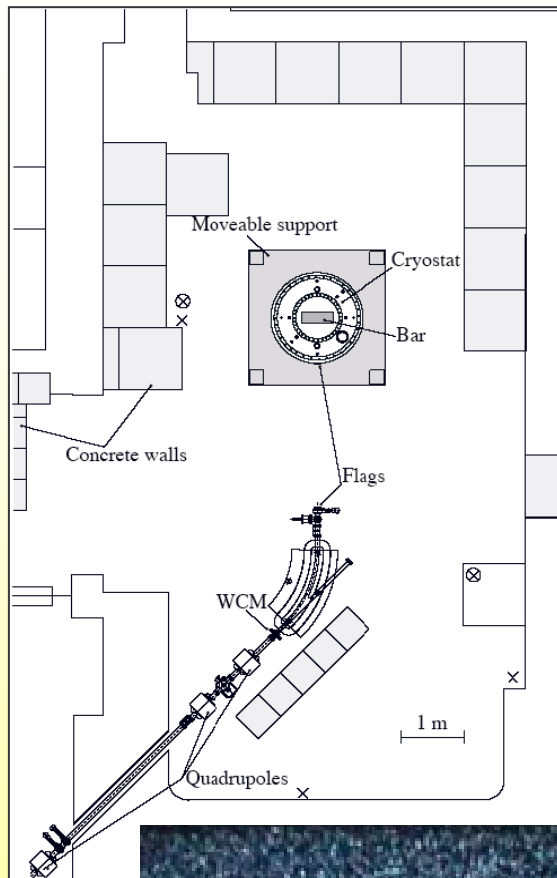
KADEL Liquid Helium Cryostat
 (+ Dilution Refrigerator @ 100 mK)



Suspension: 7 OFCH copper masses
 Attenuation: -150dB @ 1.7 ÷ 6 KHz

Antenna: Al 5056 bar
 50x18 cm, 35 Kg
 $\nu = 5096 \text{ Hz @ } 296 \text{ K}$
 2 Pz24 ceramics



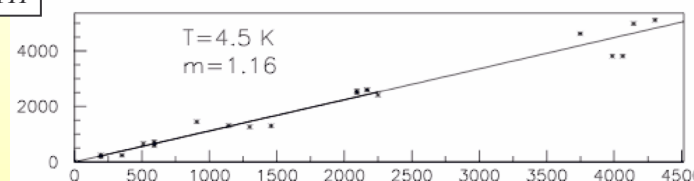
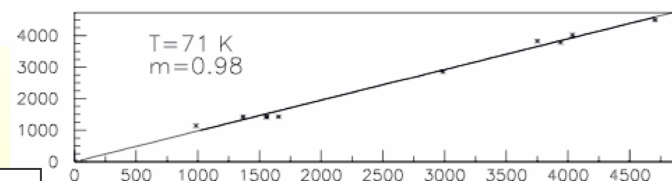
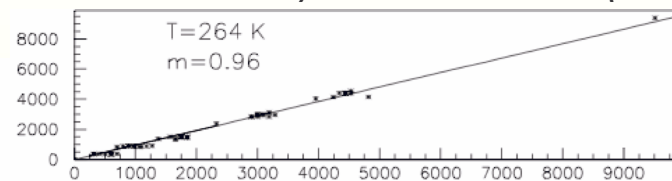


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Devices systematic accuracy

- Beam monitor: 3%
- PZ24: 6%
- → Total = 7%

T[K]	f _o [Hz]	τ _o [s]	λ[10 ⁷ V/m]
264	5143.7	6.25	1.32
71	5397.3	24	1.48
4.5	5412.7	84	1.32



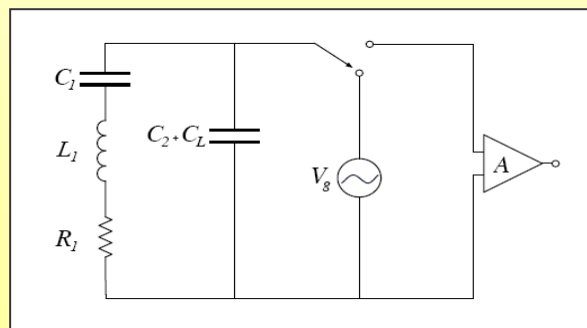
B_{MIS} vs B_{TH} (10⁻¹⁶ m)

PZ24 Calibration

$$B_{mis} [m] = \frac{V}{\lambda}, \quad \lambda = \sqrt{\frac{2\pi f_0 M V_0}{(C_2 + C_L) V_g \Delta t}}$$

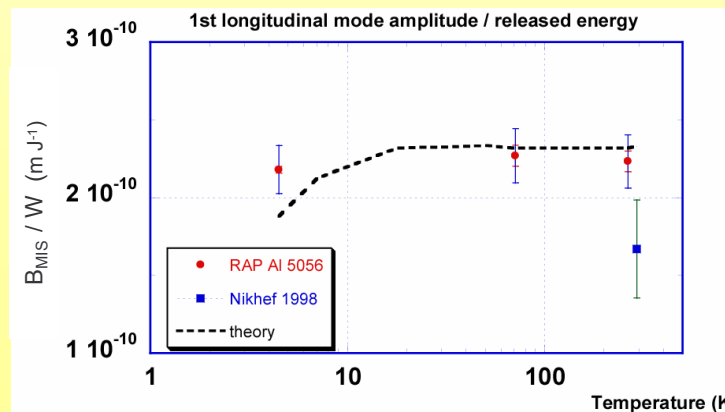
$$V \approx 10^{-6} \text{ V}$$

$$\lambda \approx 10^7 \text{ Vm}^{-1}$$



the auto-calibration method shows good agreement with a calibrated accelerometer

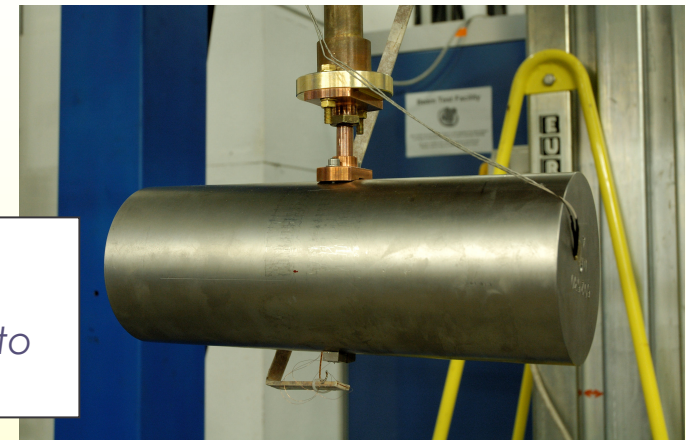
$$B_{MIS} = m B_{TH}$$



RAP Niobium Measurement Results

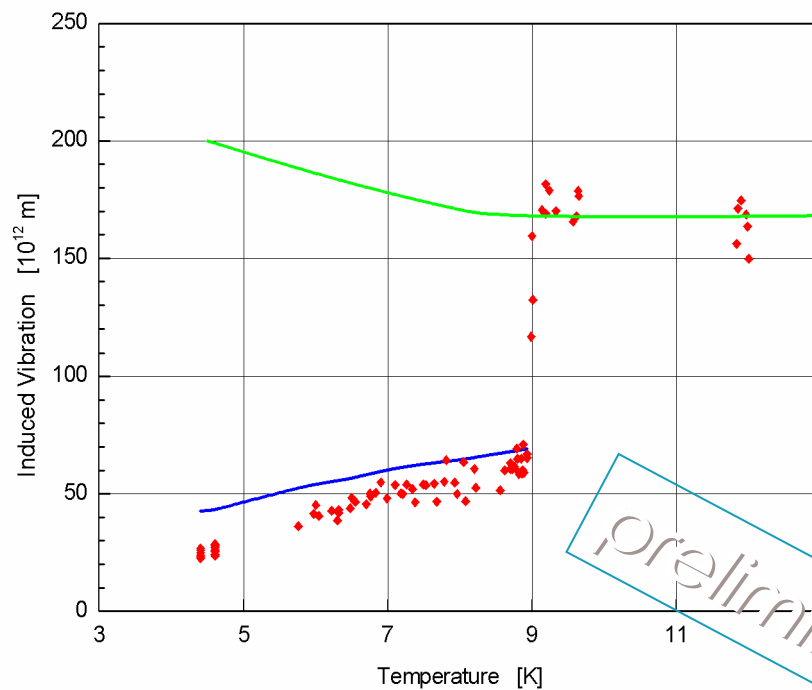


Due to the delay in the dilution refrigerator delivery, we decided to make measurement with a material different from Aluminum. We used a Niobium bar ($T_c \approx 9$ K)



T [K]	f_o [Hz]	τ_o [s]	λ [10^6 V/m]
275	6377.50	6	1.80
81	6513.30	14	1.71
12.5	6569.28	100	1.57
4.5	6569.38	107	1.50

- 27.4x10 cm
- annealed, purity > 99%
- 2 PZ ceramics in parallel glued to the bottom center



Expected B_0 :

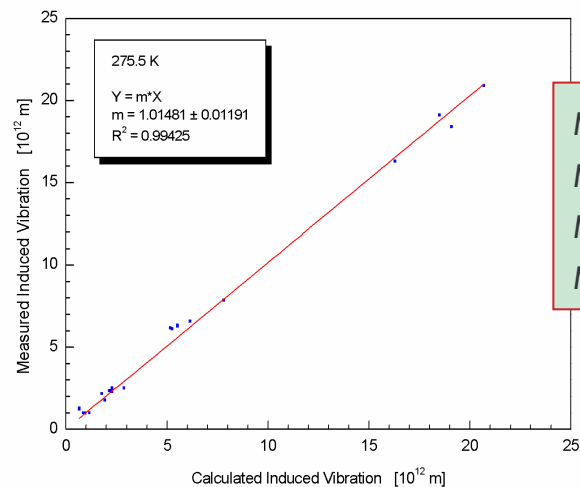
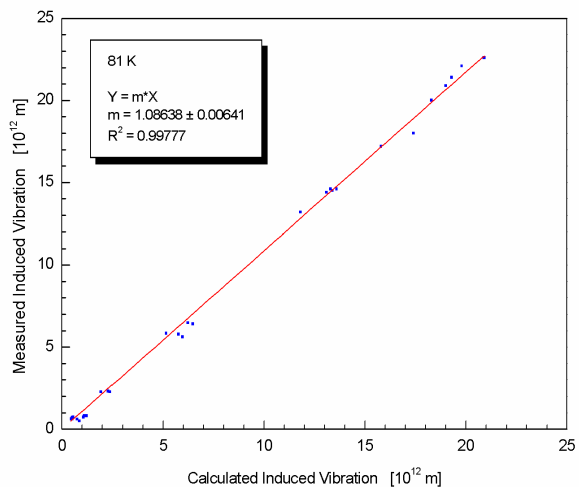
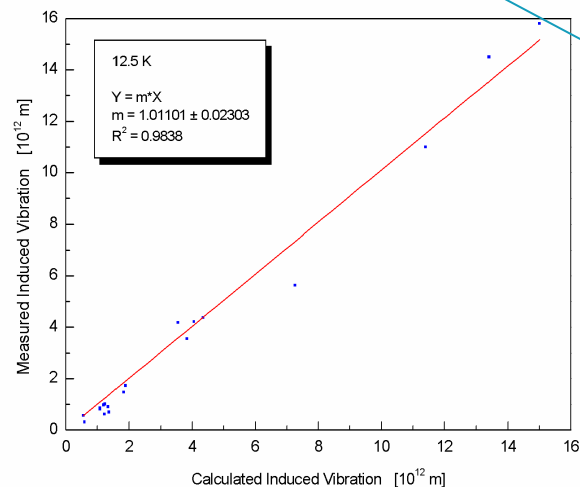
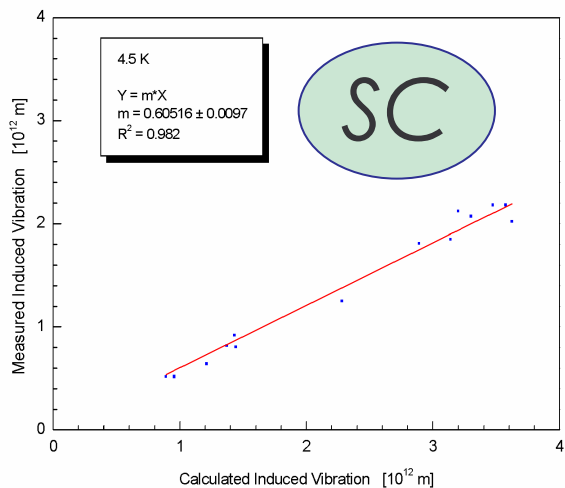
- B_0 ($T=10$ K) = $1.7 \cdot 10^{-10}$ mJ $^{-1}$
- B_0 ($T=7$ K, normal c.) = $1.8 \cdot 10^{-10}$ mJ $^{-1}$
- B_0 ($T=7$ K, superc.) = $0.6 \cdot 10^{-10}$ mJ $^{-1}$

It is clear that the $T < T_c$ extrapolation of the normal conducting calculation of B is in strong disagreement with the measured data!

In the case of Aluminum, calculation gives $B_0(SC) > B_0(NC)$ at $T < T_c$

preliminary

preliminary



$m(4.5K) = 0.605$ (SC)
 $m(12.K) = 1.011$ (NC)
 $m(81K) = 1.086$ (NC)
 $m(275K) = 1.015$ (NC)

Measurements with 5056 Aluminum alloy:

- ✓ results show agreement with the Thermo-Acoustic model in the 4-300 K range at the 10% level, but
- ✓ measurement below 1 K is needed in order to understand the behaviour of the material in superconducting state

Measurements with Niobium:

- ✓ preliminary results show good agreement with the Thermo-Acoustic model in the 10-300 K range (normal conducting state)
- ✓ an evidence of the transition (not expected!) has been seen.

Next steps...

- ✓ Publication of the Niobium measurements.
- ✓ Measurements with Al5056 in superconductive state (we are waiting for the dilution refrigerator...)