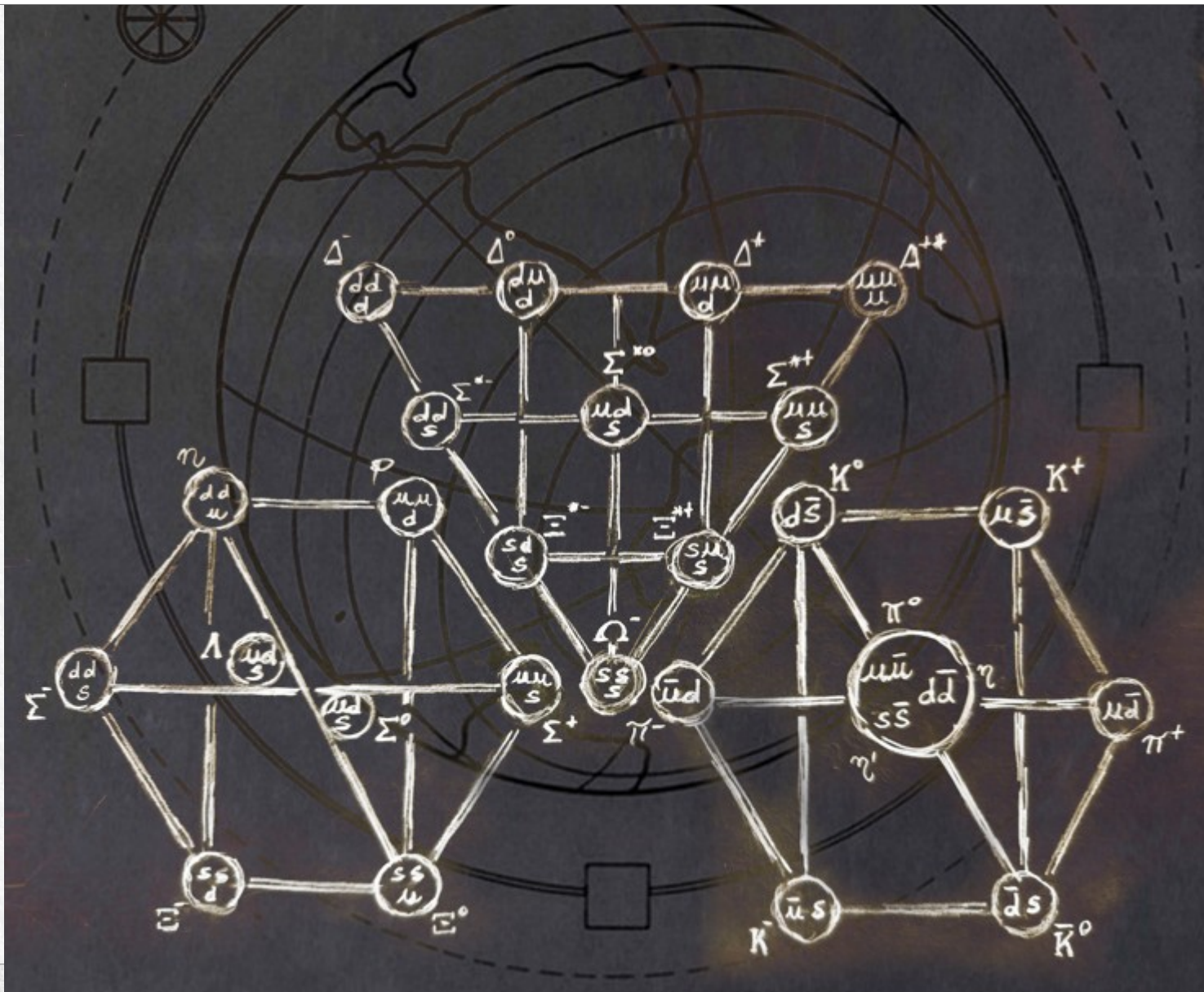


I segreti della stranezza studiati a DAFNE



kaonic matter .. deeper understanding the particles spectrum



QUARK ed i loro stati legati .. la fisica dell'interazione forte

free quarks (or fractionary charges) were never observed ...

but more than two hundred of their bound states have been discovered:

baryons - qqq **fermioni** (spin semintero)

mesons - $q\bar{q}$ **bosoni** (spin intero)

Ad ogni "sapore" di quark è associato un numero quantico additivo che è conservato nelle interazioni forte ed elettromagnetica.

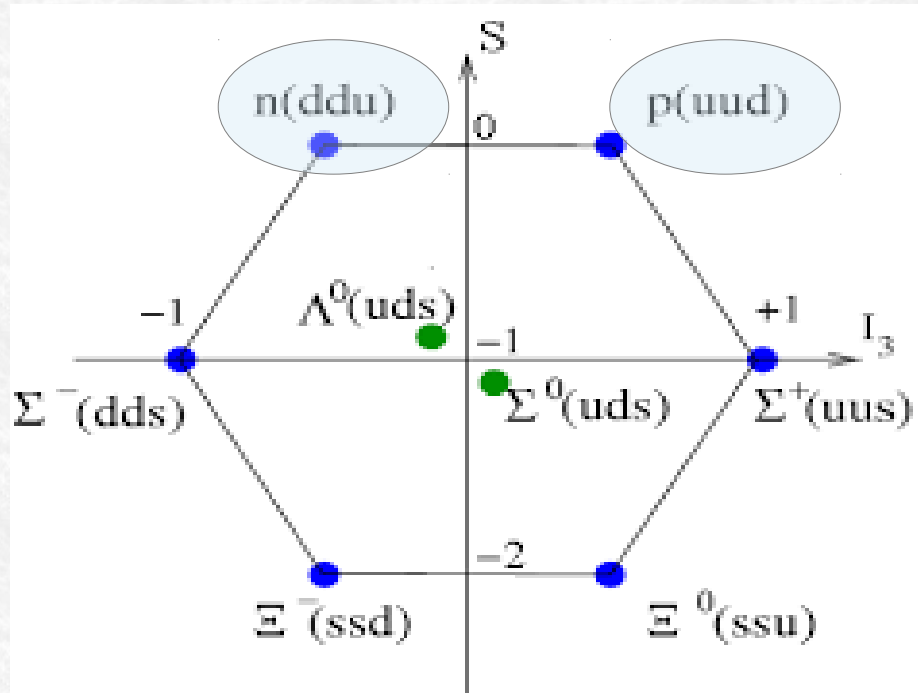
L'interazione debole conserva solo il numero barionico.

Vita media di decadimento



Forte
elettromagnetico
debole

nucleoni ... i barioni più leggeri

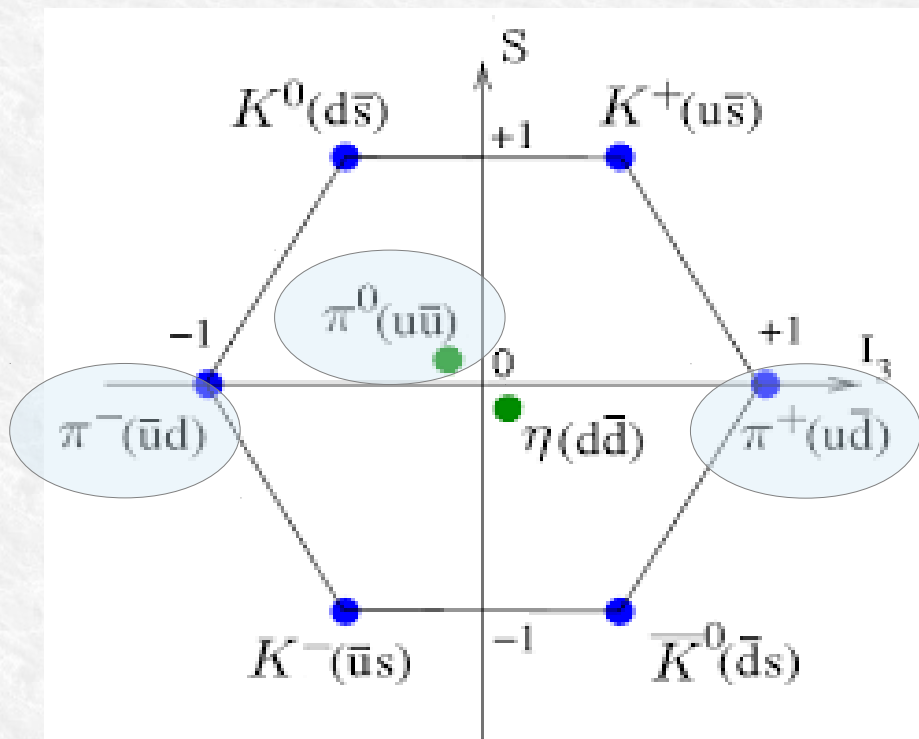


non sono *strani*

massa circa 940 MeV

$$1 \text{ eV} = 1.782662 \times 10^{-36} \text{ kg}$$

pioni ... i mesoni più leggeri



non sono *strani*

massa circa 140 MeV

scoperti per la prima volta nel 1947
nei raggi cosmici
in emulsione fotografica
contenente alogenuro d'argento

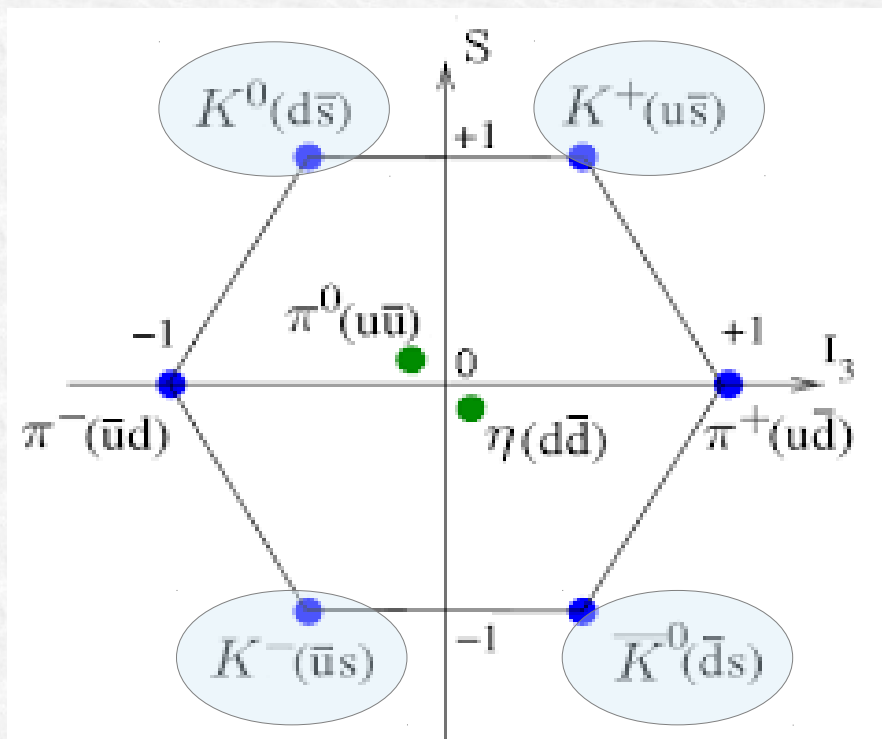
kaoni ... i mesoni *strani* più leggeri

massa circa 500 MeV

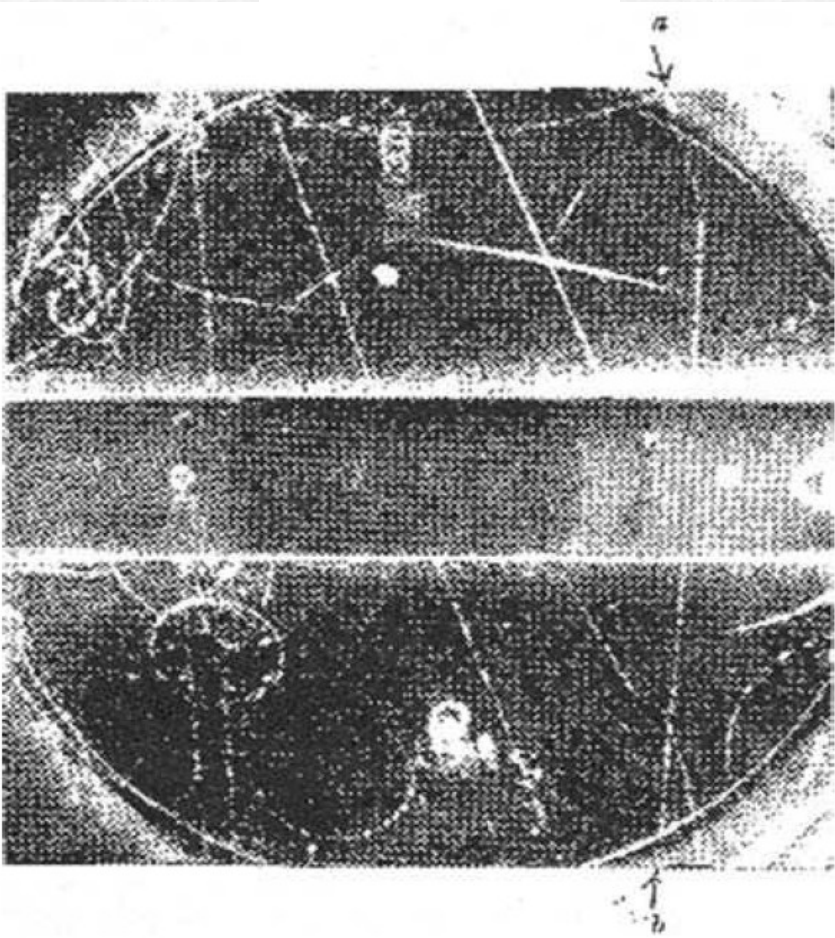
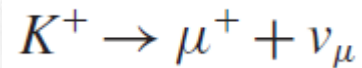
scoperti anche loro nei raggi cosmici

prodotti in interazioni forti ma decadono debole (per questo strani)

sono i mesoni strani più leggeri → non possono decadere (conservando energia e stranezza per interazione forte)



kaoni ... i mesoni *strani* più leggeri



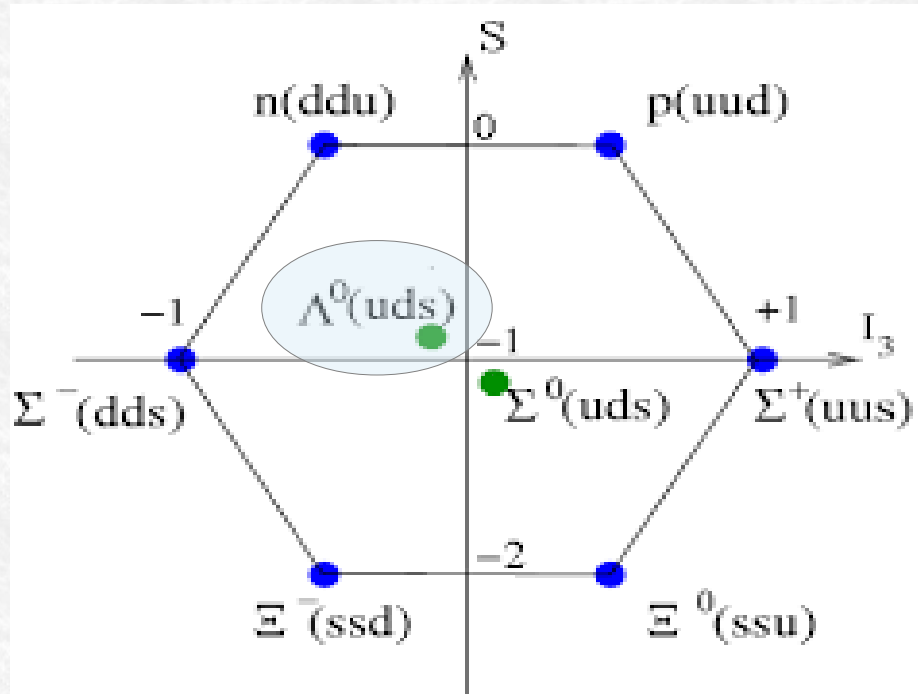
massa circa 500 MeV

scoperti anche loro nei raggi cosmici

prodotti in interazioni forti ma decadono debole (per questo strani)

sono i mesoni strani più leggeri → non possono decadere (conservando energia e stranezza per interazione forte)

$\Lambda(1116)$... il barione *strano* piú leggero



massa circa 1116 MeV

prodotta in interazioni forti ma
decade debole:

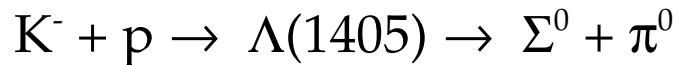
$$\Lambda \rightarrow \pi^- + p,$$

$$(uds) \rightarrow (d\bar{u}) + (uud)$$

$$S = -1 \quad 0 \quad 0$$

RISONANZE : mesoni e barioni più leggeri possiedono “*stati eccitati*” che decadono forte

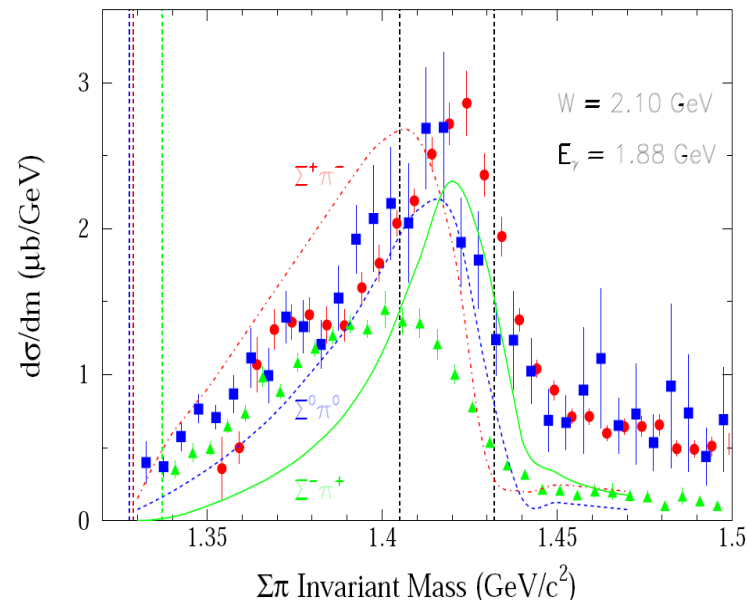
Vivono troppo poco per essere osservate direttamente, devono essere studiate attraverso i loro prodotti di decadimento .. ex:



la sua esistenza va inferita dalla misura dell'energia e dell'impulso delle particelle figlie, dalla conservazione di energia ed impulso otteniamo:

$$W_{(\Lambda)}^2 = (E_{\Sigma} + E_{\pi})^2 - (\mathbf{p}_{\Sigma} + \mathbf{p}_{\pi})^2$$

energy cons. momentum cons.



RISONANZE : mesoni e barioni più leggeri possiedono “*stati eccitati*” che decadono forte

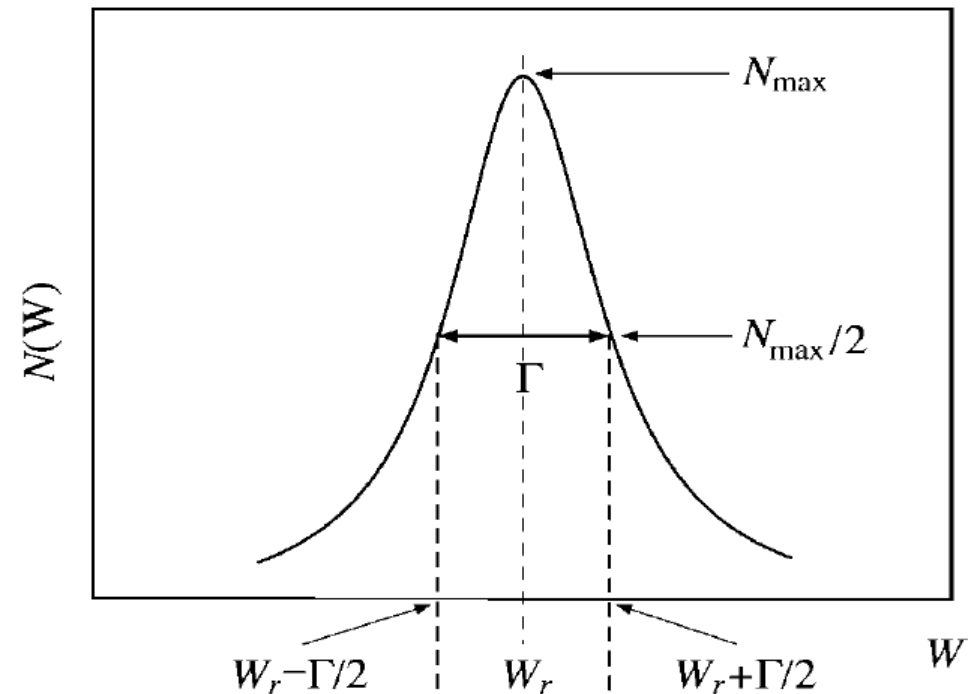
$$M^2_{(\Lambda)} = \underbrace{(E_{\Sigma} + E_{\pi})^2}_{\text{energy cons.}} - \underbrace{(p_{\Sigma} + p_{\pi})^2}_{\text{momentum cons.}}$$

La forma della risonanza è data dalla formula di Breit-Wigner :

$$N(W) = \frac{K}{(W - W_r)^2 + \Gamma^2/4},$$

La vita media è data dalla indeterminazione energia tempo:

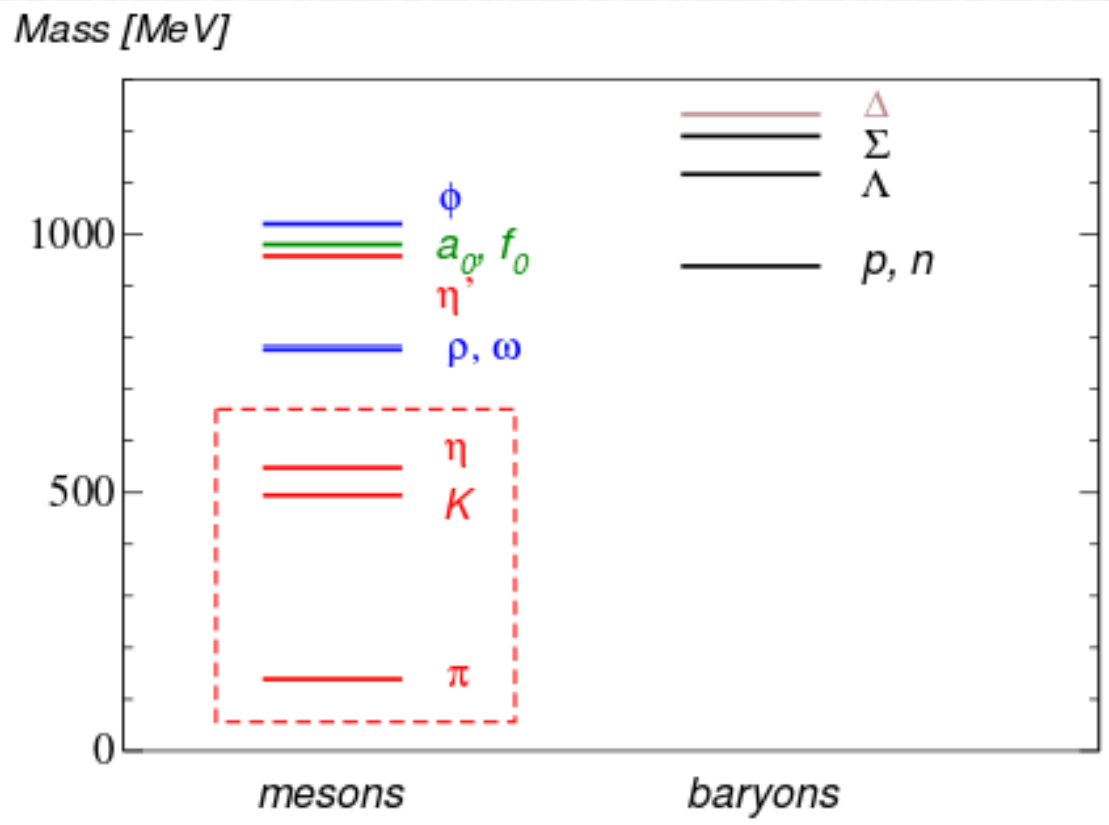
$$\Delta W = \Delta E \approx \Gamma \equiv 1/\tau$$



AMADEUS: Anti-kaonic Matter At DAΦNE: An Experiment with Unraveling Spectroscopy

Why studying anti-kaonic matter?

QCD open problems:



- Particle spectrum:
why these states?

$$m_\pi \approx 138 \text{ MeV}$$

$$m_K \approx 494 \text{ MeV}$$

$$m_N \approx 939 \text{ MeV}$$

$$m_\Lambda \approx 1116 \text{ MeV}$$

$$m_\Sigma \approx 1193 \text{ MeV}$$

- Nuclear physics \leftrightarrow QCD?

Possible solution: Effective field theories \rightarrow Experimental support

Lagrangiana

Consideriamo il moto di una particella per semplicità in una sola dimensione e siano $x(t)$, $\dot{x}(t)$ la sua posizione e la sua velocità. Se la particella è soggetta ad un potenziale $U(x)$ le sue equazioni del moto è

$$F = ma = m\ddot{x}(t) = -\frac{\partial U}{\partial x}$$

Introduciamo la Lagrangiana:

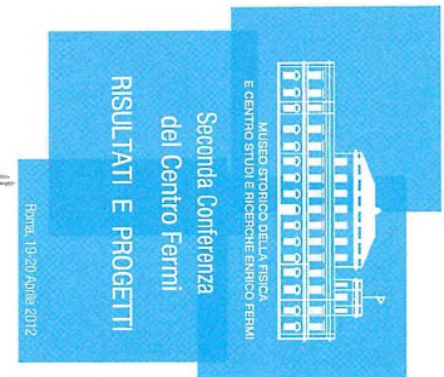
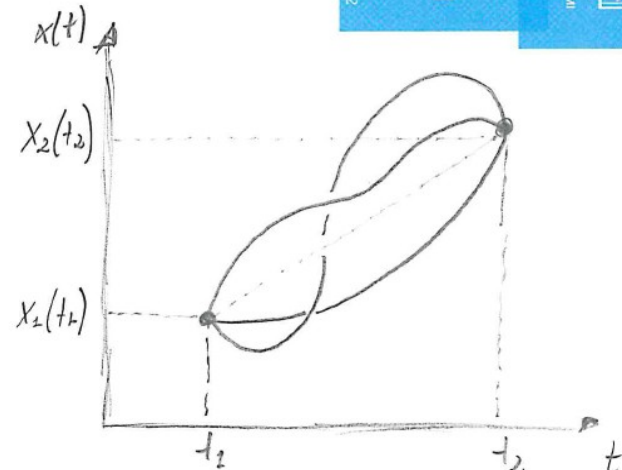
$$L(x(t), \dot{x}(t)) = T - U = \frac{m}{2} \dot{x}^2 - U(x)$$

ed il funzionale azione

$$S = \int_{t_1}^{t_2} L(x(t), \dot{x}(t)) dt$$

Il principio di azione stazionaria afferma che fra tutte le possibili traiettorie che connettono due punti $x_1(t_1)$ ed $x_2(t_2)$ la particella segue la traiettoria tale che $\delta S = 0$, da cui segue:

$$\frac{\partial L}{\partial x} - \frac{d}{dt} \frac{\partial L}{\partial \dot{x}} = 0 \quad \Rightarrow \quad -\frac{\partial U}{\partial x} = m\ddot{x}$$



Low-energy QCD in the u-d-s sector

- strong interaction is governed by QCD

- fundamental matter fields are quarks (6 flavors & 3 colors **R**, **G**, **B**)

mass→	2.4 MeV	4.8 MeV	104 MeV	1.27 GeV	4.2 GeV	171.2 GeV
charge→	$\frac{2}{3}$	$-\frac{1}{3}$	$-\frac{1}{3}$	$\frac{2}{3}$	$-\frac{1}{3}$	$\frac{2}{3}$
spin→	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$
name→	u up	d down	s strange	c charm	b bottom	t top

- gauge fields are 8 gluons.

- in the massless limit ..

quark fields

gluon fields

$$\mathcal{L}_{\text{QCD}}^0 = -\frac{1}{2} \text{tr} [G_{\mu\nu} G^{\mu\nu}] + \bar{q} i \gamma^\mu D_\mu q,$$

$$G_{\mu\nu} = \partial_\mu A_\nu - \partial_\nu A_\mu - ig[A_\mu, A_\nu], \quad D_\mu = \partial_\mu - igA_\mu, \quad A_\mu = \sum_a T^a A_\mu^a,$$

Low-energy QCD in the u-d-s sector

- since the massless Lagrangian can be decomposed:

$$\mathcal{L}_{\text{QCD}}^0 = -\frac{1}{2} \text{tr} [G_{\mu\nu} G^{\mu\nu}] + \bar{q}_L i \gamma^\mu D_\mu q_L + \bar{q}_R i \gamma^\mu D_\mu q_R$$

left and right handed quarks:

$$q_L = P_L q$$

$$q_R = P_R q$$

it is invariant under independent unitary transformations of L/R-handed q
chiral symmetry of QCD $SU(3)_L \times SU(3)_R$

- quark condensate breaks down the symmetry to $SU(3)_V$

$$\langle 0 | \bar{q} q | 0 \rangle = \langle 0 | \bar{q}_R q_L + \bar{q}_L q_R | 0 \rangle$$

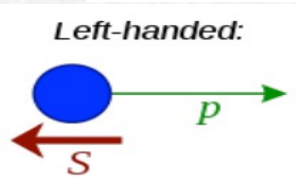
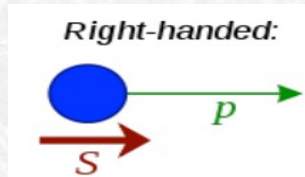
SPONTANEOUS ch. symmetry breaking

- Nambu-Goldstone: *each broken symmetry introduces one massless boson in the physical particle spectrum*

Low-energy QCD in the u-d-s sector

- since the massless Lagrangian can be decomposed:

$$\mathcal{L}_{\text{QCD}}^0 = -\frac{1}{2} \text{tr} [G_{\mu\nu} G^{\mu\nu}] + \bar{q}_L i \gamma^\mu D_\mu q_L + \bar{q}_R i \gamma^\mu D_\mu q_R$$



$$q_L = P_L q$$

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SPONTANEOUS ch. symmetry breaking

- Nambu-Goldstone: *each broken symmetry introduces one massless boson in the physical particle spectrum*

Low-energy QCD in the u-d-s sector

- If we reduce to the three lightest flavors:

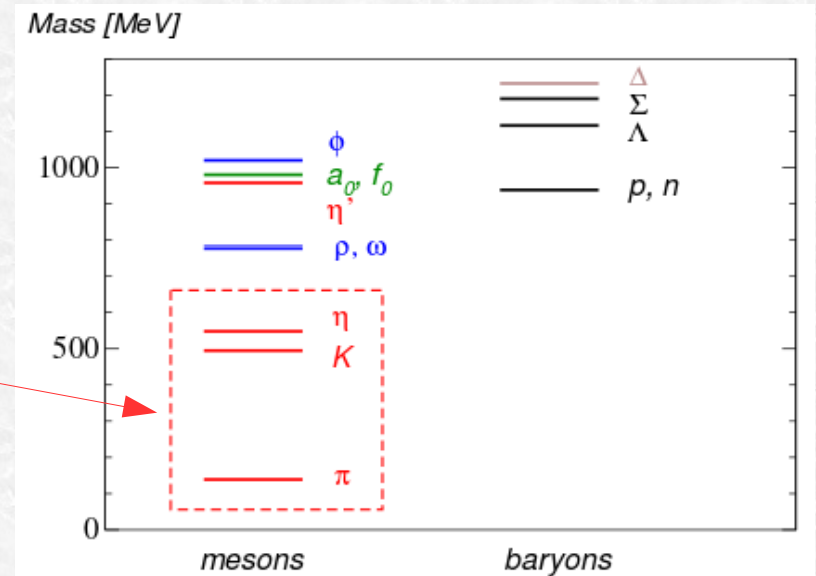
Light quarks

	u	d	s
mass	2.4 MeV	4.8 MeV	104 MeV
charge	$\frac{2}{3}$	$-\frac{1}{3}$	$-\frac{1}{3}$
spin	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$
name	up	down	strange

Heavy quarks

	c	b	t
mass	1.27 GeV	4.2 GeV	171.2 GeV
charge	$\frac{2}{3}$	$-\frac{1}{3}$	$\frac{2}{3}$
spin	$\frac{1}{2}$	$\frac{1}{2}$	$\frac{1}{2}$
name	charm	bottom	top

- The *approximate* N-G bosons are the lightest mesons (π , K and η)



Low-energy QCD in the u-d-s sector

- Ch. symmetry is also broken by the finite quarks masses, because of the quark mass term:

$$\mathcal{L}_{\text{QCD}} = \mathcal{L}_{\text{QCD}}^0 - \bar{q}mq, \quad m = \begin{pmatrix} m_u & & \\ & m_d & \\ & & m_s \end{pmatrix}$$

$$m_u, m_d \sim \text{few MeV} \quad ; \quad m_s \sim 150 \text{ MeV}$$

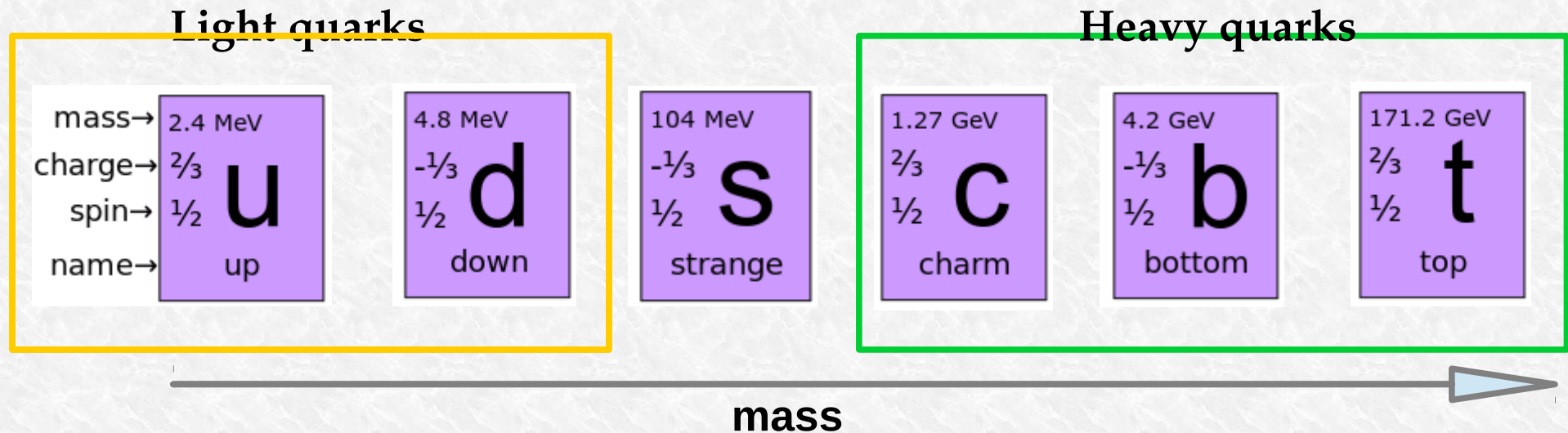
EXPLICIT chiral symmetry breaking

- s quarks are intermediate between light and heavy \rightarrow test of the interplay among spontaneous and explicit ch. sy. breaking in low-energy QCD

AMADEUS: Anti-kaonic Matter At DAPHNE: An Experiment with Unraveling Spectroscopy

Why studying anti-kaonic matter? (Why studying strangeness?)

- The strange quarks are **intermediate in mass** between light and heavy quarks



Quark masses ratios:

$$\frac{m_u}{m_d} \approx 0.55 \quad \frac{m_s}{m_d} \approx 22$$

The chiral symmetry is broken explicitly by the large strange quark mass

AMADEUS: Anti-kaonic Matter At DAPHNE: An Experiment with Unraveling Spectroscopy

Why studying anti-kaonic matter?

- The hadron masses originate from the **chiral symmetry breaking** mechanism

Gell-Mann-Oakes-Rennan formula:

$$M_{\pi}^2 = \underbrace{(m_u + m_d)}_{\text{explicit}} \times \underbrace{|\langle 0 | \bar{u} u | 0 \rangle|}_{\text{spontaneous}} \times \frac{1}{F_{\pi}^2}$$

$F_{\pi} = 92.2 \text{ MeV}$

$$M_K^2 = \frac{(m_u + m_s)}{2} \times |\langle 0 | \bar{u} u + \bar{s} s | 0 \rangle|$$

- The **explicit** chiral symmetry breaking is caused by the non zero quark masses.
- The **spontaneous** chiral symmetry breaking is caused by the non zero quark condensate expectation value in vacuum

AMADEUS: Anti-kaonic Matter At DAPHNE: An Experiment with Unraveling Spectroscopy

Why studying anti-kaonic matter? (Why studying strangeness?)

- The strange quarks are **intermediate in mass** between light and heavy quarks

Gell-Mann-Oakes-Rennan formula:

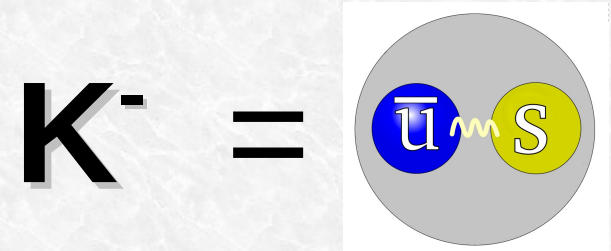
In vacuum:
 $\rho=0$

$$M_K^2 = \frac{(m_u + m_s)}{2} \times |\langle 0 | \bar{u}u + \bar{s}s | 0 \rangle|$$

Chiral symmetry breaking terms

In medium:
 $\rho > 0$

$$M_K^{*2} = M_K^2 \left(1 - \frac{1}{F_\pi^2} \frac{\langle \rho | \bar{u}u + \bar{s}s | \rho \rangle}{\langle 0 | \bar{u}u + \bar{s}s | 0 \rangle} \rho \right)$$



The kaons are the lightest mesons containing strangeness.

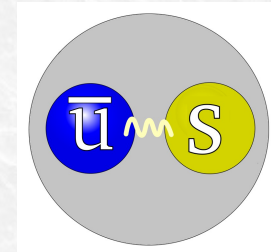
The **mass shift** of a meson in a nuclear medium provides information of the partial restoration of chiral symmetry in QCD and to understand how hadron masses are generated

AMADEUS: Anti-kaonic Matter At DAΦNE: An Experiment with Unraveling Spectroscopy

Why studying anti-kaonic matter?

The kaons are the lightest mesons containing strangeness.

$K^- =$



The **mass shift** of a meson in a nuclear medium provides information of the partial restoration of chiral symmetry in QCD and to understand how hadron masses are generated

In vacuum: $M_K =$ Mass of the kaon in vacuum
 $\rho=0$

In medium: $M_K^* =$ Mass of the kaon in medium
 $\rho>0$

$$M_K^{*2} = M_K^2 \cdot [1 - B(\rho) \cdot \rho]$$

$B(\rho)$ needs to be set experimentally

AMADEUS: Anti-kaonic Matter At DAΦNE: An Experiment with Unraveling Spectroscopy

Measurements on kaonic hydrogen indicates **attractive interaction** between anti-kaons and nucleons in nuclear medium.

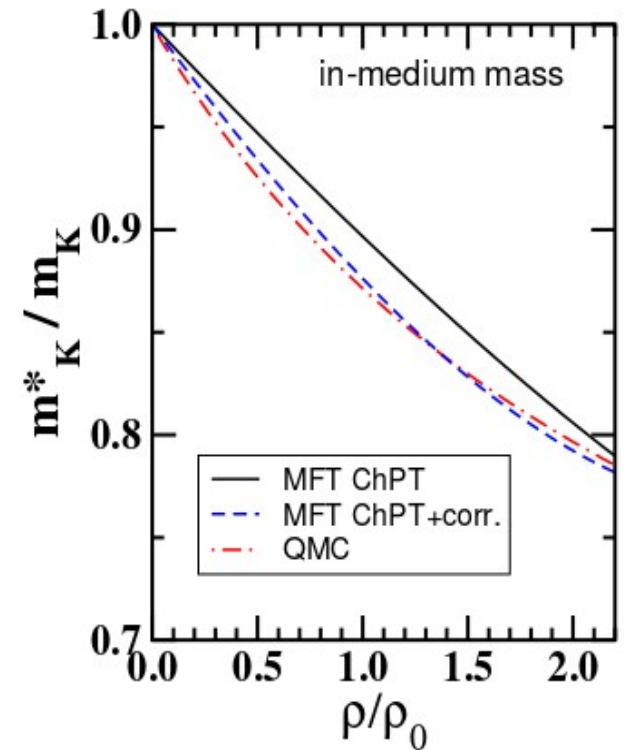
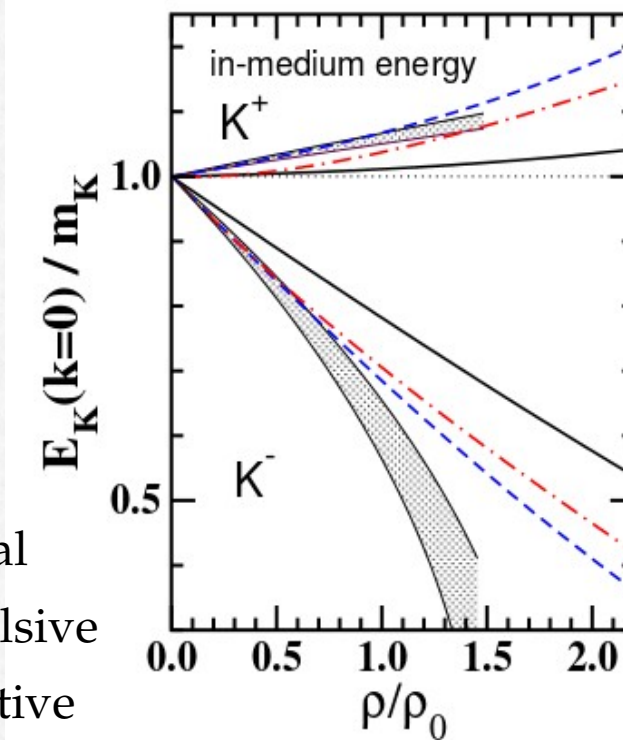
The gray bands are the extrapolations from K^+N scattering data and from kaonic hydrogen data

$$E_K(\mathbf{k}=0) = M_K^* + V_0$$

V_0 is the KN interaction potential

$V_0 > 0 \rightarrow$ the interaction is repulsive

$V_0 < 0 \rightarrow$ the interaction is attractive



$\bar{K}N$ interaction attractive \rightarrow

Is it possible to form bound states of kaons in nuclei?

If so, they are ideal to study kaon mass modification

Low-energy QCD in the u-d-s sector

- Ch. symmetry is also broken by the finite quarks masses, because of the quark mass term:

$$\mathcal{L}_{\text{QCD}} = \mathcal{L}_{\text{QCD}}^0 - \bar{q}mq, \quad m = \begin{pmatrix} m_u & & \\ & m_d & \\ & & m_s \end{pmatrix}$$

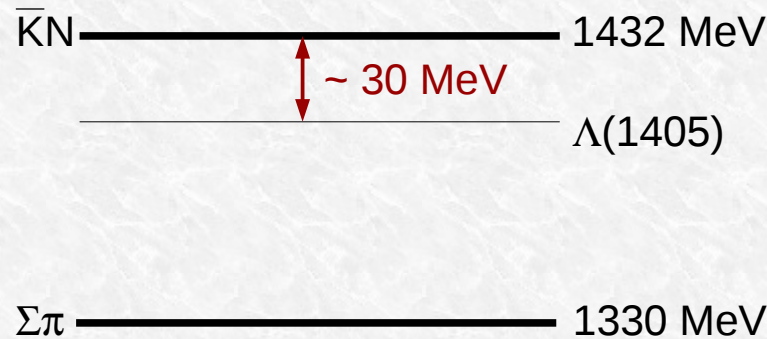
$$m_u, m_d \sim \text{few MeV} \quad ; \quad m_s \sim 100 \text{ MeV}$$

EXPLICIT ch. symmetry breaking

- **At low-energy** the non-perturbative effect of the strong interaction causes **color confinement** \rightarrow **asymptotic degrees of freedom are hadrons instead of quarks and gluons.**

The scientific case of the $\Lambda(1405)$

Mass = $1405.1^{+1.3}_{-1.0}$ MeV,
Width = 50.5 ± 2.0 MeV
 $I = 0, S = -1, J^p = 1/2^-$,
 Status: ****,
 strong decay into $\Sigma\pi$

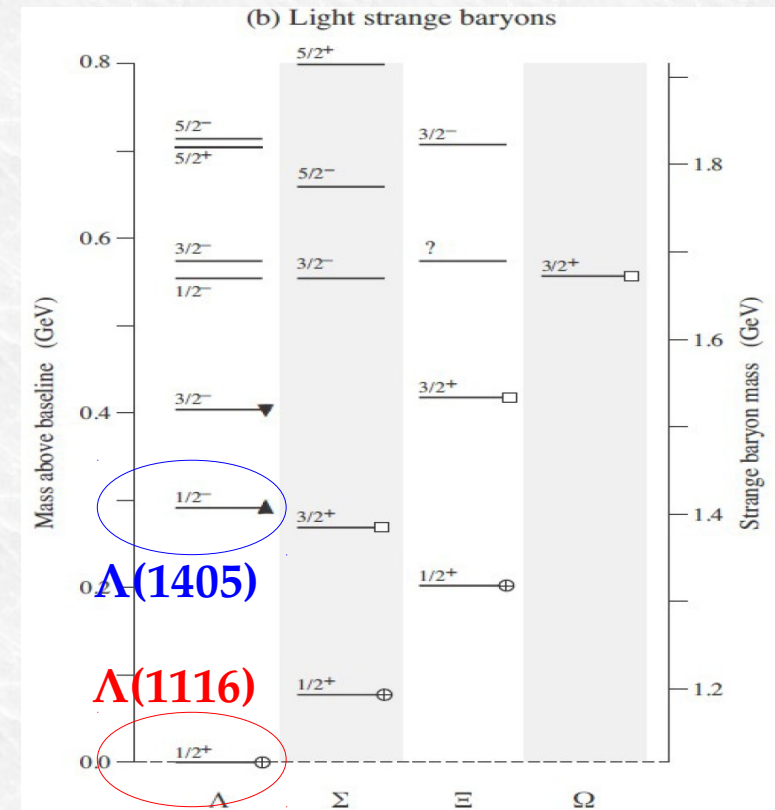


- 3 quark?
- **molecular?**
- **$\bar{K}N$ bound state?**
- pentaquark?

The **three quark model picture** has some difficulties to reproduce the $\Lambda(1405)$. According to its negative parity, one of the quarks has to be excited to the $l = 1$ orbit. Similar to the nucleon sector, where one of the lowest negative parity baryon is the $N(1535)$, **the expected mass of the Λ^* is around 1700 MeV** (since it contains one strange quark). Another difficulty is the energy splitting observed between the $\Lambda(1405)$ and the $\Lambda(1520)$, if is interpreted as the spin-orbit partner ($J^p = 3/2^-$).

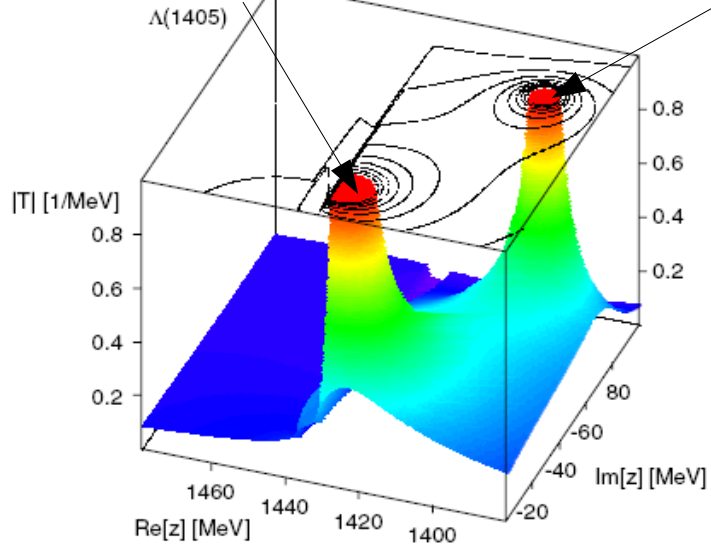
R. Dalitz and collaborators first suggested to interpret $\Lambda(1405)$ as an $\bar{K}N$ quasibound state.

R.H. Dalitz, T.C. Wong and G. Rajasekaran, Phys. Rev. **153** (1967) 1617.



The scientific case of the $\Lambda(1405)$

mainly coupled to $\bar{K}N$ mainly coupled to $\Sigma\pi$



- Chiral unitary models: $\Lambda(1405)$ is an $I = 0$ quasibound state emerging from the coupling between the $\bar{K}N$ and the $\Sigma\pi$ channels. Two poles in the neighborhood of the $\Lambda(1405)$:

$$(z_1 = 1424_{-23}^{+7} - i26_{-14}^{+3} \quad z_2 = 1381_{-6}^{+18} - i81_{-8}^{+19}) \text{ MeV}/c^2$$

Nucl. Phys. A881, 98 (2012).

- Esmaili-Akaishi-Yamazaki model : the $\Lambda(1405)$ does not have a double pole nature, is considered as a $\bar{K} - N$ bound state in the $I = 0$ channel

Physics Letters B 686 (2010) 23-28.

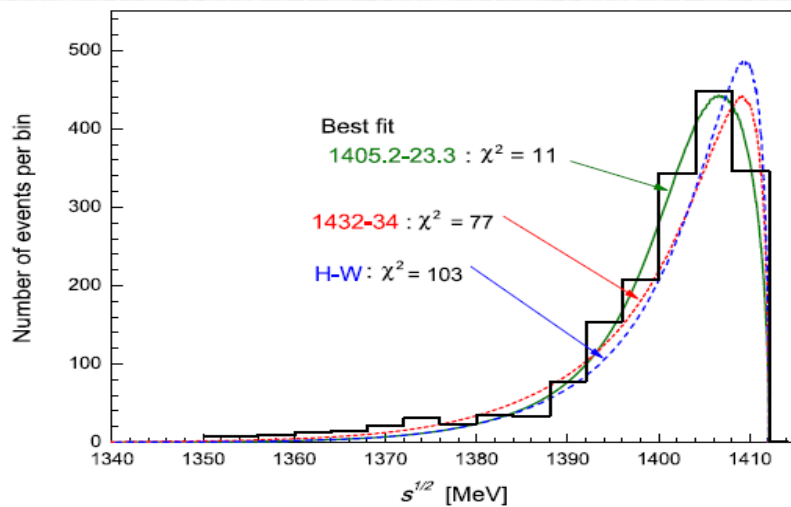


Fig. 6. Detailed differences in $M_{\Sigma\pi}$ spectra among the Hyodo-Weise prediction and the present model predictions.

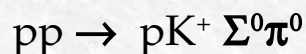
The position of the $\Lambda(1405)$ is important to measure the $\bar{K}N$ Binding Energy (BE)

$$M_{\bar{K}N} = M_K + M_N - BE$$

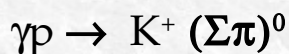
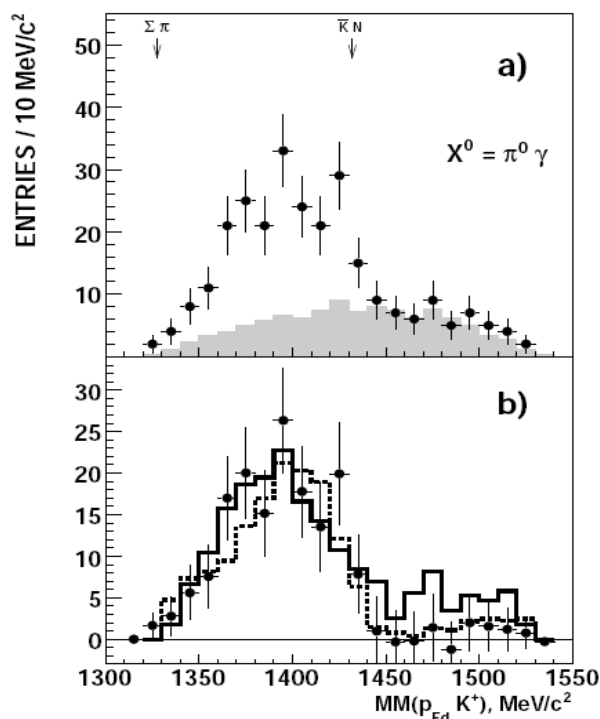
The scientific case of the $\Lambda(1405)$

Great importance to explore the $\Lambda(1405)$ production in $\bar{K}N$ reactions decaying in $\Sigma^0\pi^0$ (Σ^0 decays electromagnetically in $\Lambda\gamma$). Golden, still poorly explored, channel since the main source of background $\Sigma(1385)$ can not decay in $\Sigma^0\pi^0$ for isospin conservation.

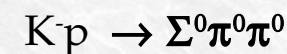
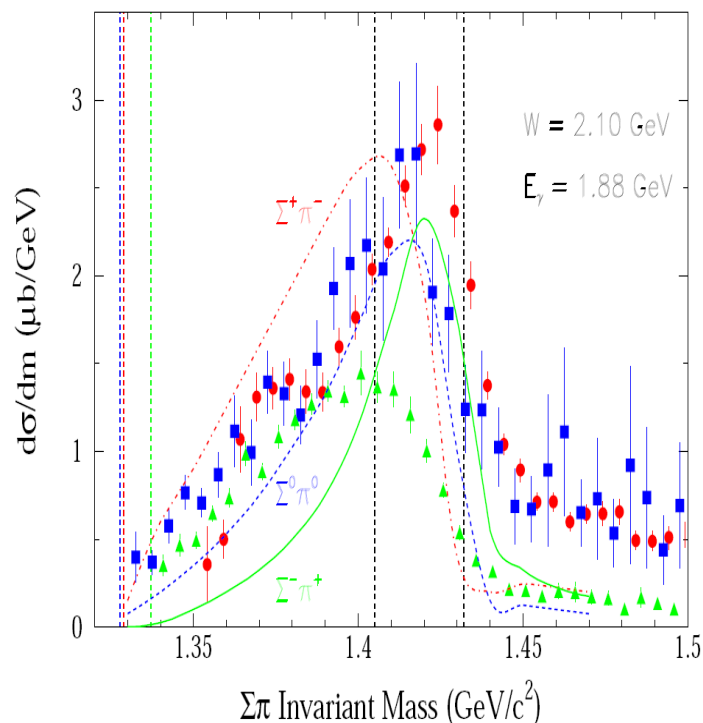
The $\Sigma^0\pi^0$ spectrum was **only observed in 3 experiments ...**
with different line-shapes !



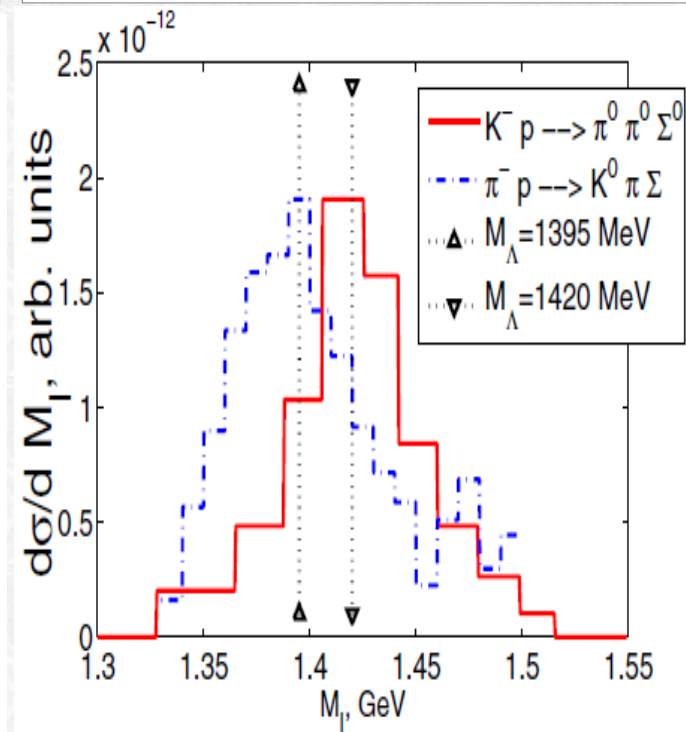
I. Zychor et al., Phys. Lett. B 660 (2008) 167



K. Moriya, et al., (Clas Collaboration)
Phys. Rev. C 87, 035206 (2013)



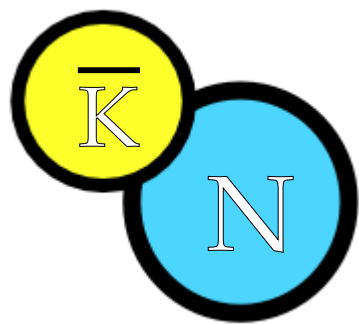
Magas et al. PRL 95, 052301 (2005) 034605 S.
Prakhov, et al., Phys. Rev. C70 (2004)



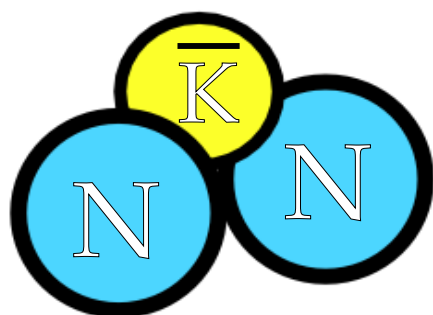
$\Lambda(1405)$... resonance or/and bound state?

How strong is the interaction between anti-kaons and nucleons?

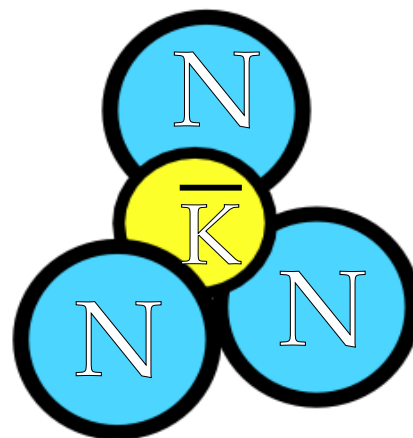
If this interaction is strong enough we might expect the formation of deeply bound kaonic nuclear clusters



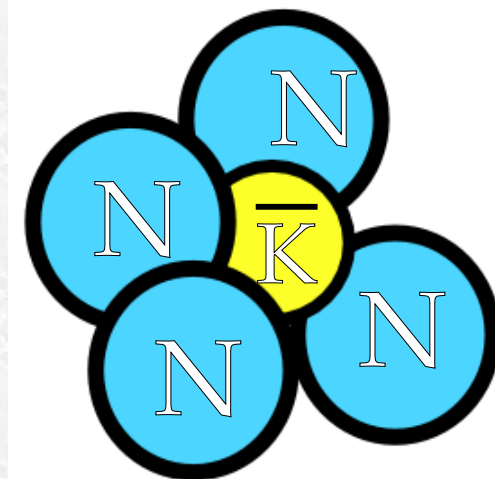
$\Lambda(1405)$



$\bar{K}NN$



$\bar{K}NNN$



$\bar{K}NNNN$

These kaonic bound states were predicted by Wycech (1986) and Akaishi & Yamazaki (2002) due to the strong $\bar{K}N$ attraction caused by the $\Lambda(1405)$ state.

If kaonic bound states exist, the \bar{K} might mediate dense nuclear systems that will represent the **ideal conditions** to investigate the **hadron mass origin**.

AMADEUS: the scientific goal

Low-energy K^- interaction studies with **light nuclei** (H, ^4He , ^9Be , ^{12}C) in order to extract conclusive constraints on:

- **$\bar{K}N$ Potential** → how deep can an antikaon be bound in a nucleus?
 - $U_{\bar{K}N}$ strongly affects the position of the $\Lambda(1405)$ state
→ we investigate it through $(\Sigma-\pi)^0$ decay --- $Y \pi$ CORRELATION
 - if $U_{\bar{K}N}$ is strongly attractive then possible K^- multi-N bound states
→ we investigate through $(\Lambda/\Sigma-N)$ decay --- $Y N$ CORRELATION
- **Y-N potential** → extremely poor experimental information from scattering data

Deep impact on models of neutrons stars structure

The image is a composite. The background is an aerial photograph of Vancouver, British Columbia, Canada, showing the city's skyline, the harbor, and the surrounding mountains. The foreground is dominated by a large, dark, textured sphere that resembles a neutron star. The sphere is positioned in the upper half of the frame, partially obscuring the sky. The text 'Neutron Star' is centered on the sphere. The text 'Vancouver' is overlaid on the cityscape in the lower-left quadrant. The website address 'www.kindaroomy.com' is in the bottom right corner.

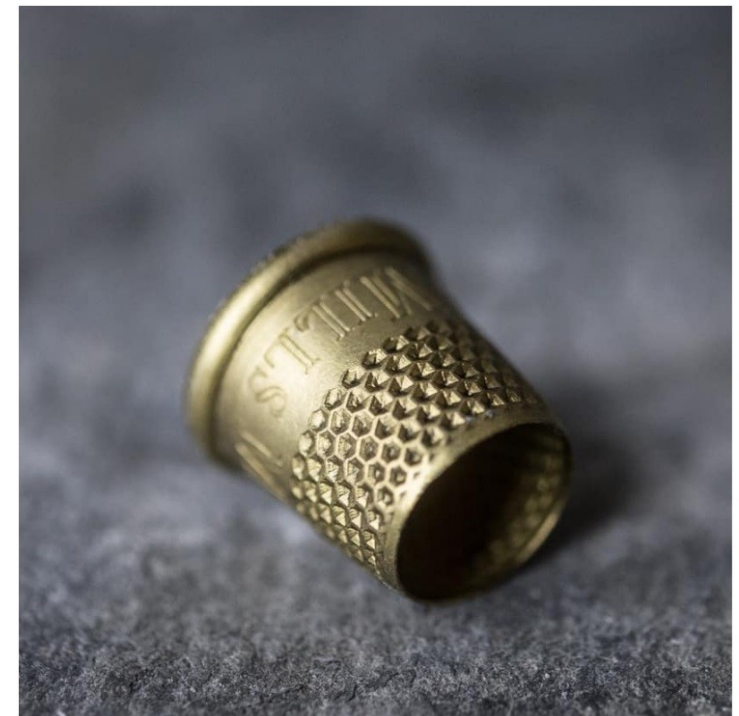
Neutron Star

Vancouver



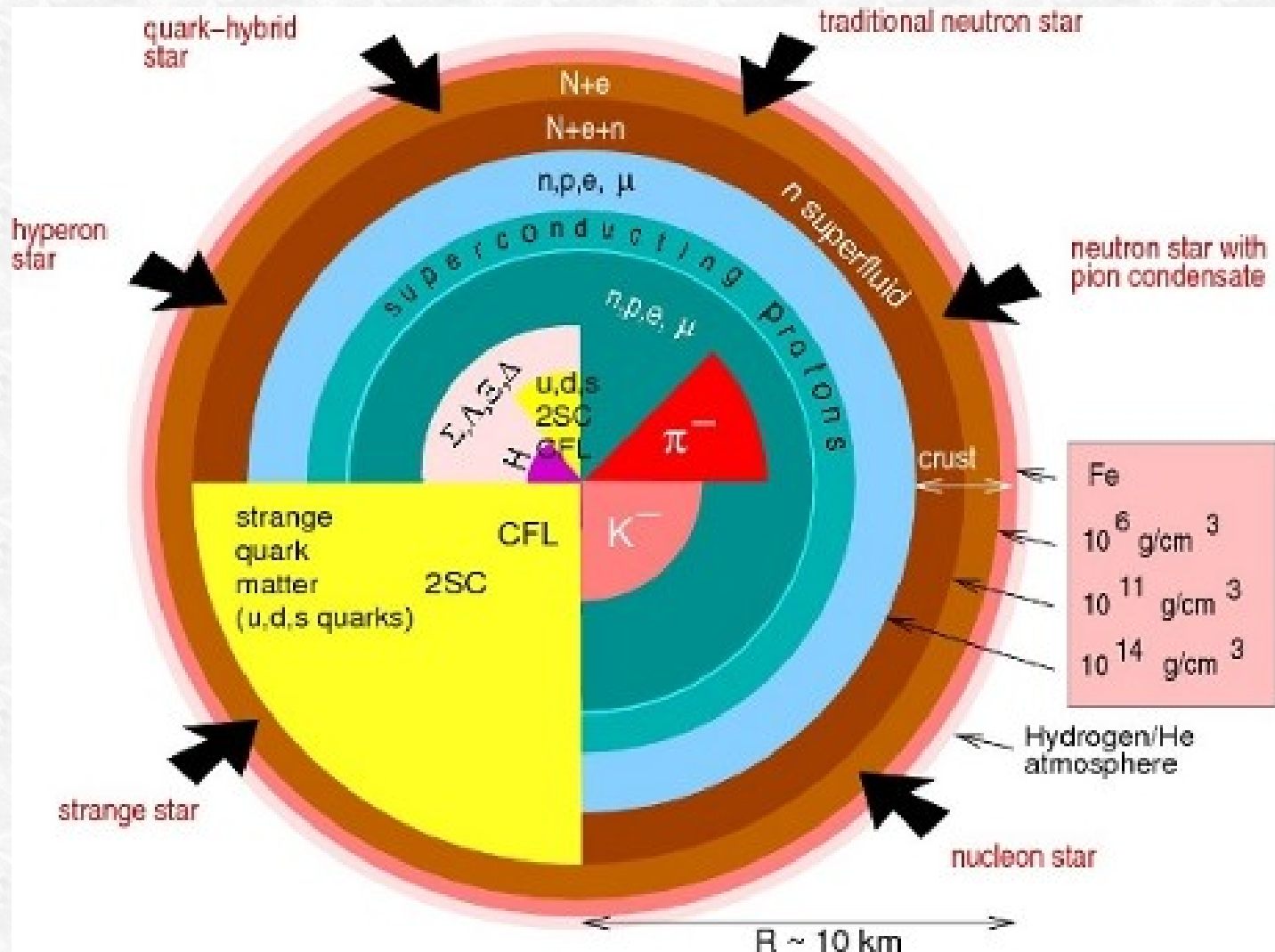
To achieve this density of a neutron star at home, just cram a herd of 50 million elephants into the volume of a thimble.

— Neil deGrasse Tyson —



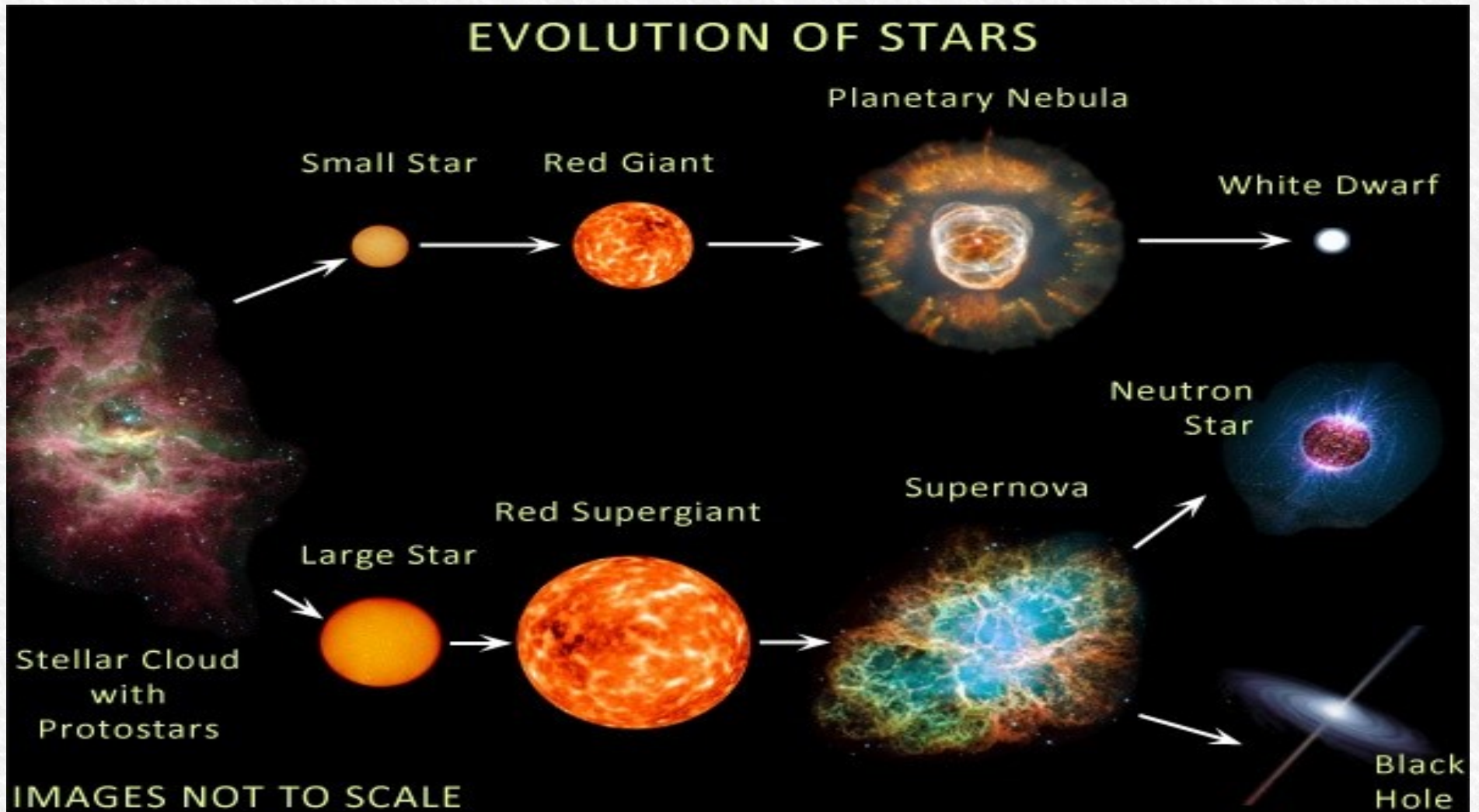
Essential impact on the case of NEUTRON STARS

- Neutron stars are stellar objects made of **neutrons** plus some **protons** and **electrons**, but their composition is not yet clear and they could contain also **other particles**



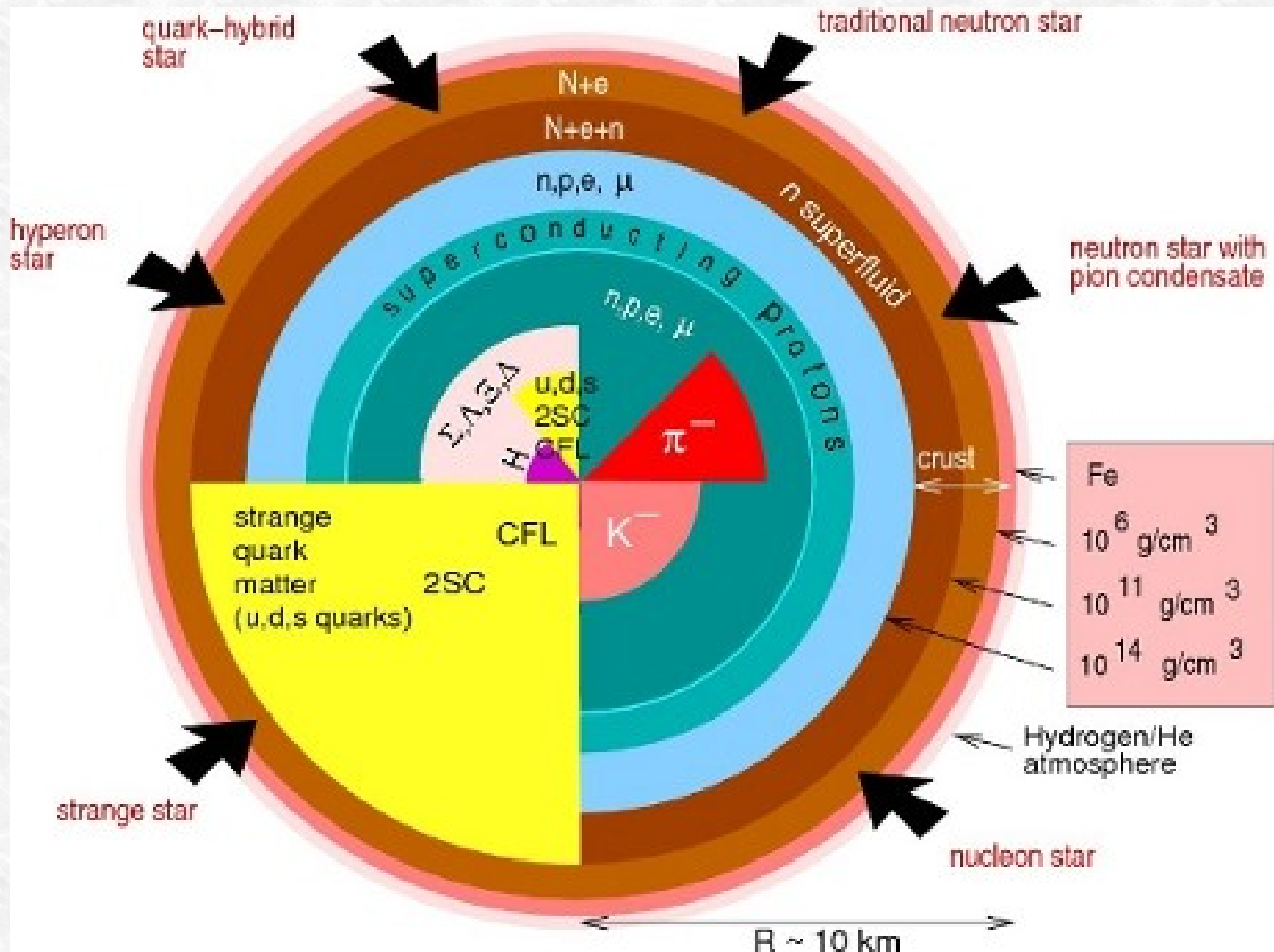
What are NEUTRON STARS?

- They are the end-product of the evolution of massive stars, having a mass larger than about 10 solar masses and they are produced after an explosive phenomenon called **SuperNova**



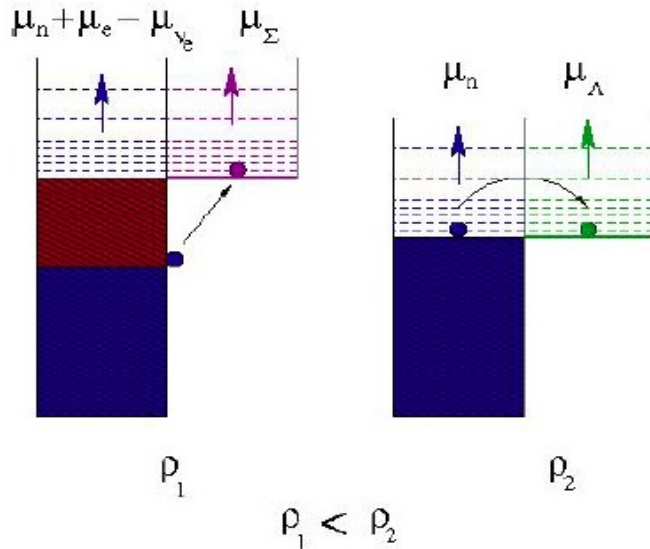
Essential impact on the case of NEUTRON STARS

- Their mass is roughly between **1 to** (maybe) **3 solar masses**, but they are extremely small, with a **radius** of the order of **10 km** (the radius of the Sun is about 700000 km)



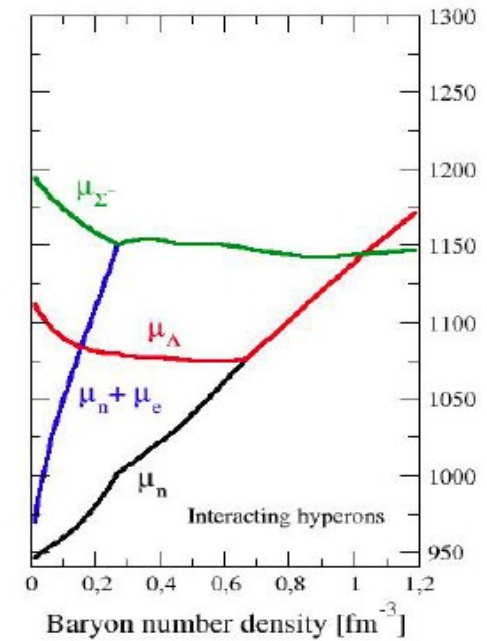
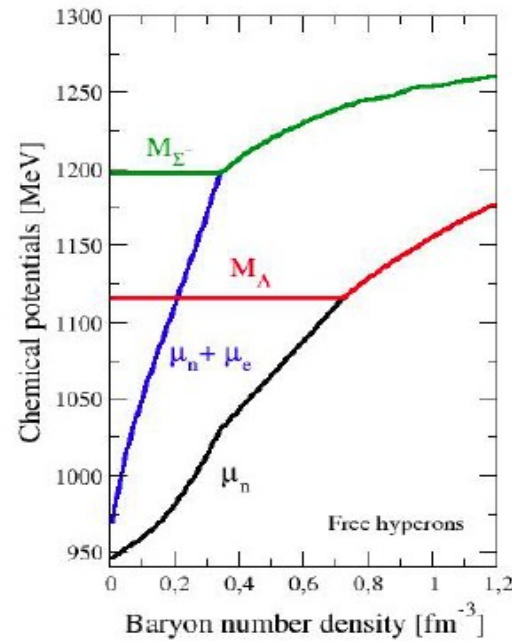
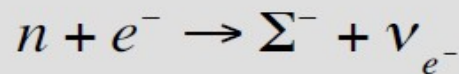
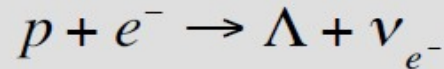
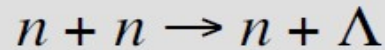
Strangeness in NEUTRON STARS

Hyperons are expected to appear in the core of neutron stars at $\rho \sim (2-3)\rho_0$ when μ_N is large enough to make the conversion of N into Y energetically favorable.

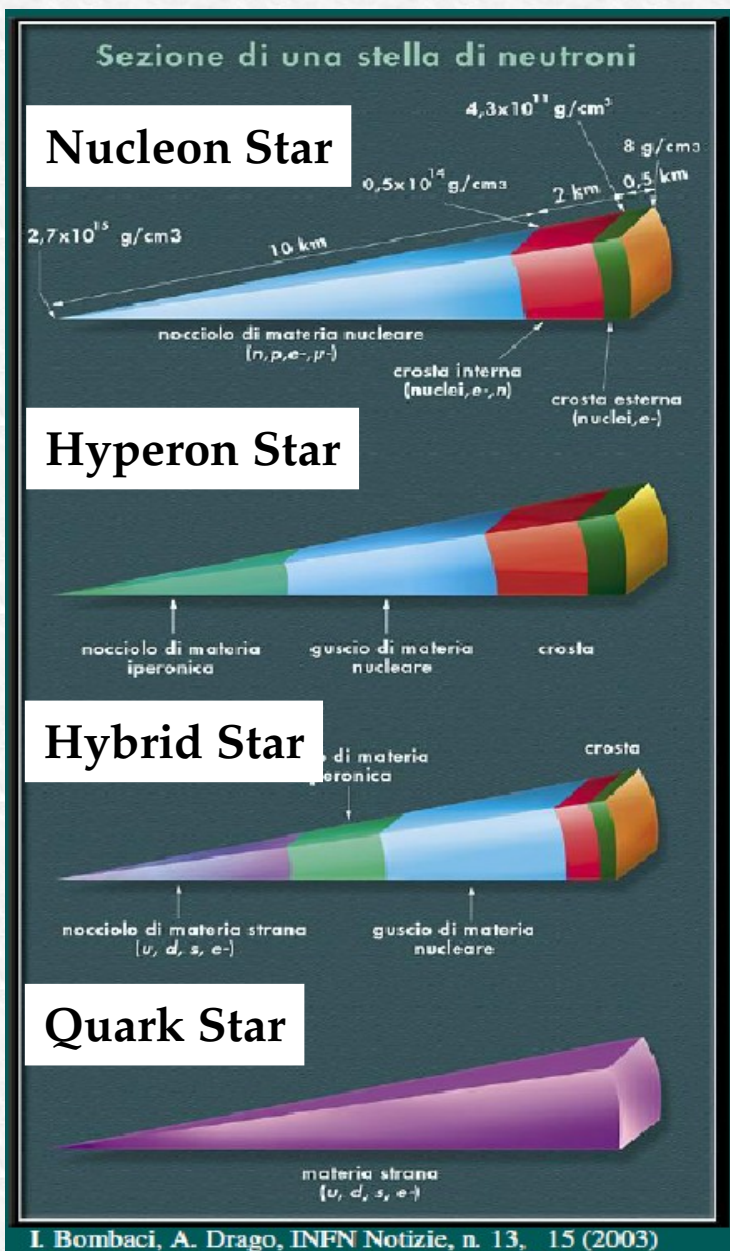


$$\mu_{\Sigma^-} = \mu_n + \mu_{e^-} - \mu_{\nu_{e^-}}$$

$$\mu_{\Lambda} = \mu_n$$



Essential impact on the case of NEUTRON STARS



Microscopic approach to hyperonic matter EOS

input

2BF: nucleon-nucleon (NN), nucleon-hyperon (NY), hyperon-hyperon (YY)

e.g. Nijmegen, Julich models

3BF: NNN, NNY, NYY, YYY

Hyperonic sector: experimental data

- YN scattering (very few data)**
- Hypernuclei**

A M A D E U S proposal:

Y N CORRELATION STUDIES

Isolate hyperon scattering processes with:

- single nucleon $Y N \rightarrow Y' N'$

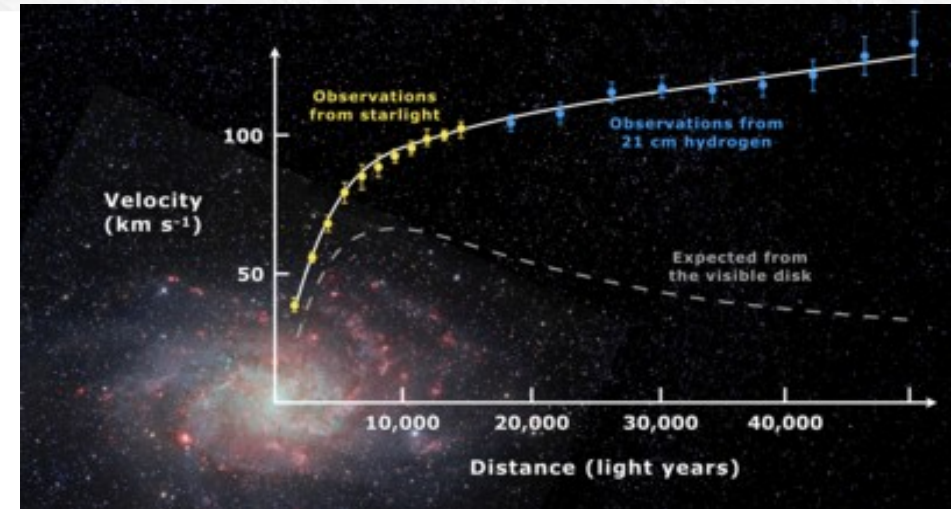
- two nucleons $Y N_1 N_2 \rightarrow Y' N_1' N_2'$

$\Lambda(1405)$ conglomerates as Dark Matter candidates?

Dark Matter ... one of the biggest challenges of modern astrophysics,

originally introduced in order to explain the rotation curves of spiral galaxies,

DM is also required as a fundamental component (30%) of the Universe's energy content.



unfortunately DM to do not couple with radiation as baryonic matter, required in order to explain its invisibility to traditional astronomical observations.

DM candidates: elementary particles ? macroscopic objects (MACHOs) ?

the parameter space covered by the families of plausible DM candidates extends from 10^{-15} GeV of axions up to 10^{15} GeV of wimpzillas, and cross sections (from 10^{-35} pb of gravitinos up to 1 pb of neutrinos).

$\Lambda(1405)$ conglomerates as Dark Matter candidates?

Families of particles beyond the Standard Model ex. arising from supersymmetric theories However,

search at the Large Hadron Collider (LHC) in order to unveil traces of missing energy and momentum in baryonic collisions - a typical signature of events with production of non-interacting DM - have still not shown clear features of such phenomena in large energy ranges,

The investigation of the density of MACHOs in the Milky Way and in extragalactic halos has shown that such objects are not abundant enough to represent a significant fraction of the DM mass.

DM particles could self-interact via annihilation or decay to produce SM pairs, that subsequently annihilate into final-state photons. If the mass of the DM candidates is more than some GeV such photons could be detected on Earth through emission of Cherenkov radiation in the atmosphere.

New hypothesis stable $\Lambda(1405)$ conglomerates, whose formation may be conceived during the Big-Bang Quark Gluon Plasma period in the early universe.

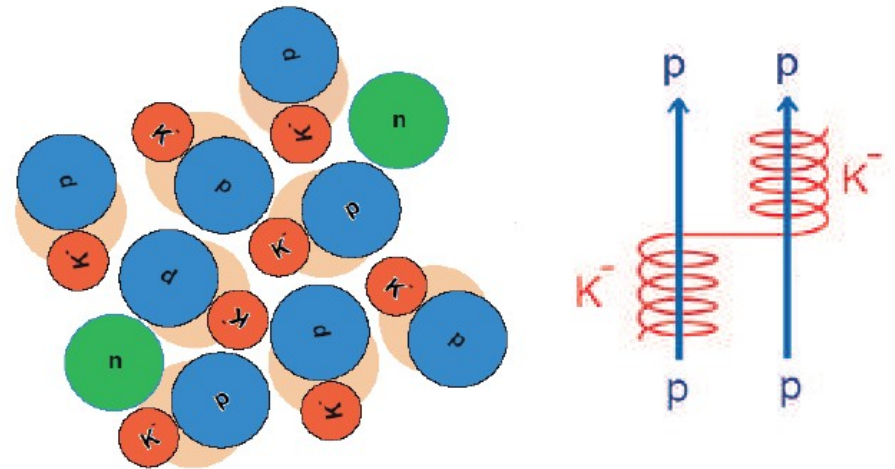
$\Lambda(1405)$ conglomerates as Dark Matter candidates?

Attractive isospin $I=0$ antikaon-nucleon ($K\bar{N}$) strong interaction at energies below the threshold, conjectured to be strong enough to form a $\bar{K}N$ bound state,

the $\Lambda(1405)$ interpreted as a $(\bar{K}N)_{I=0}$ bound state \rightarrow the Binding Energy (BE) being about 27 MeV \rightarrow BE for the $\Lambda(1405)$ - $\Lambda(1405)$ pair of 40 MeV is predicted,

increasing the number of $\Lambda(1405)$, the binding energy per baryon (BE/A) would increase as a consequence of partial restoration of chiral symmetry, proportional to the baryon density,

conglomerates with baryon multiplicity $A > 8$ reach absolute stability with respect to both the strong and the weak interactions.

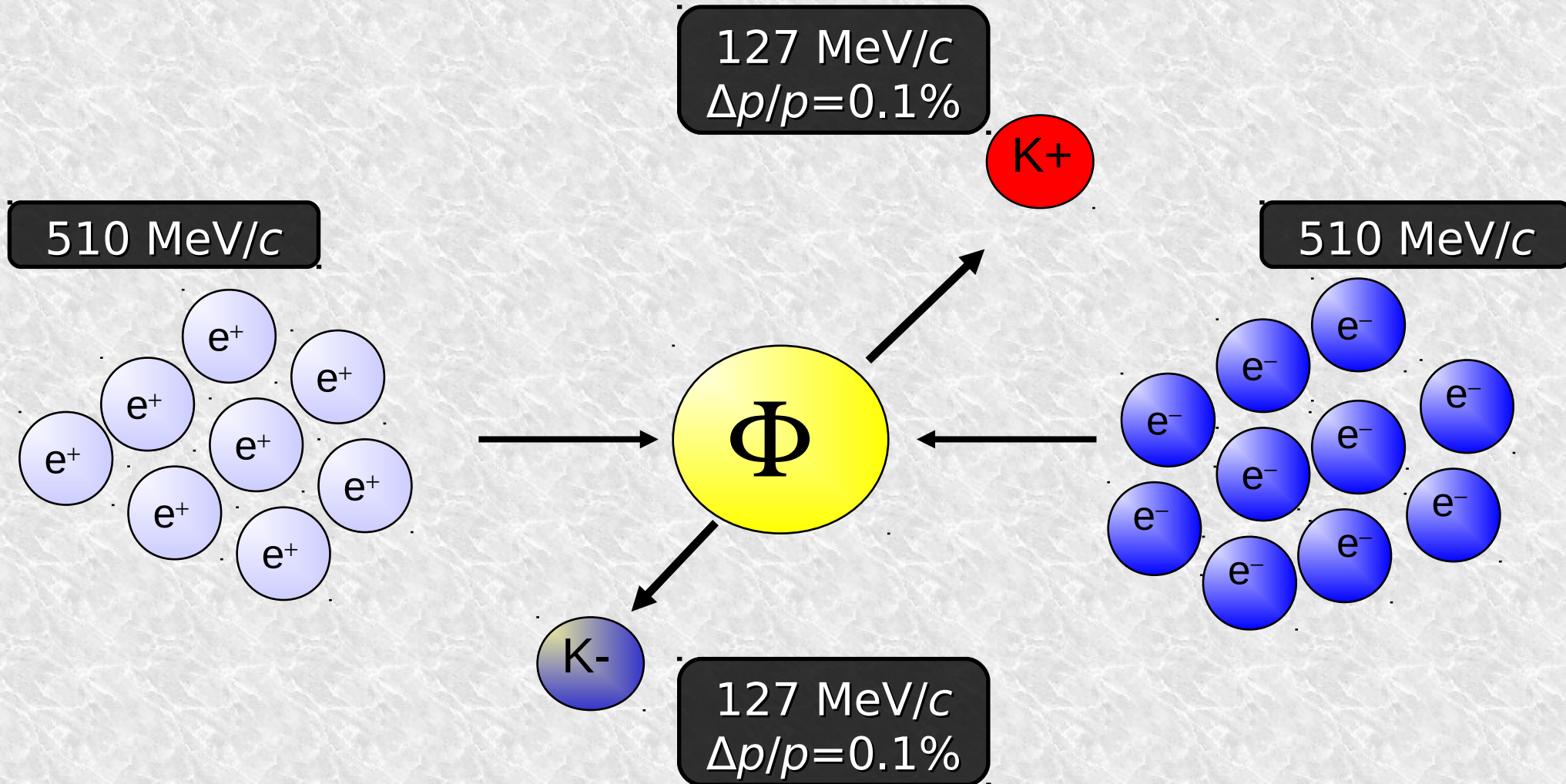


BUT ... relativistic mean field calculations \rightarrow including also a repulsive interaction to the model the BE/A saturates.

DAΦNE



The DAFNE principle

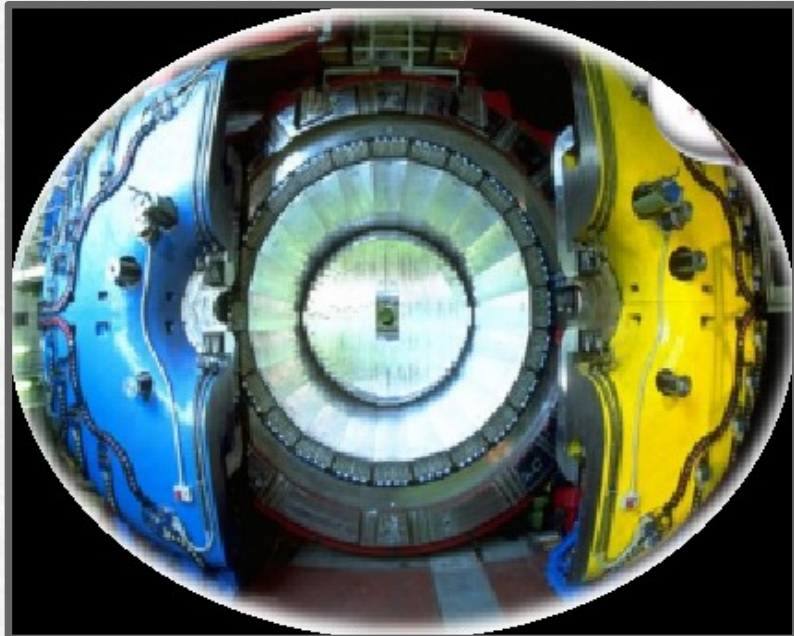
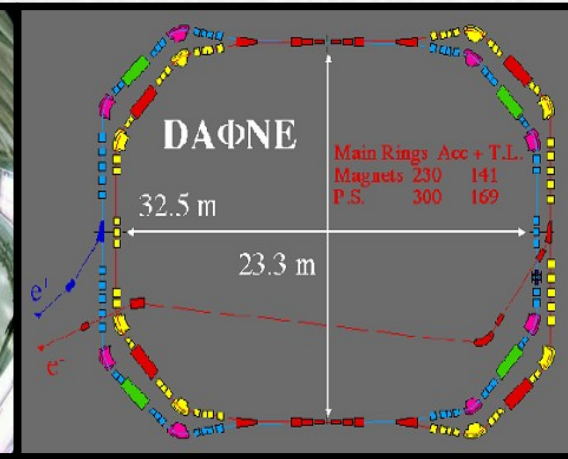
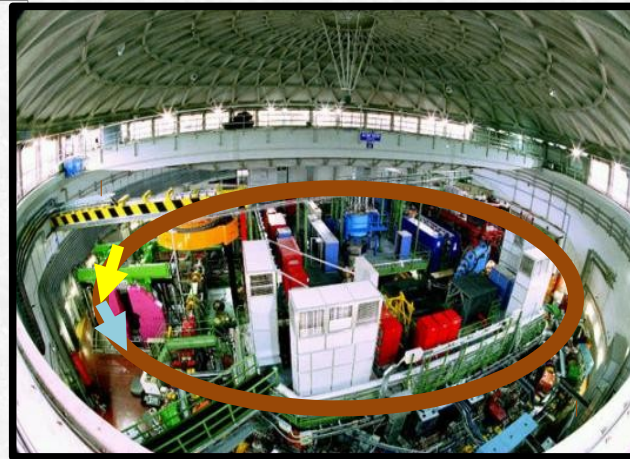


Flux of produced kaons: about 1000/second

AMADEUS & DAΦNE

DAΦNE

- double ring e^+e^- collider working at C.M. energy of ϕ , producing $\approx 1000 \phi/s$
 - $\phi \rightarrow K^+K^-$ (BR = $(49.2 \pm 0.6)\%$)
 - **low momentum** Kaons $\approx 127 \text{ Mev}/c$
 - **back to back** K^+K^- topology



KLOE

- Cylindrical drift chamber with a **4π geometry** and electromagnetic calorimeter
 - **96% acceptance**
- optimized in the energy range of all **charged particles** involved
- **good performance** in detecting **photons and neutrons** checked by kloNe group

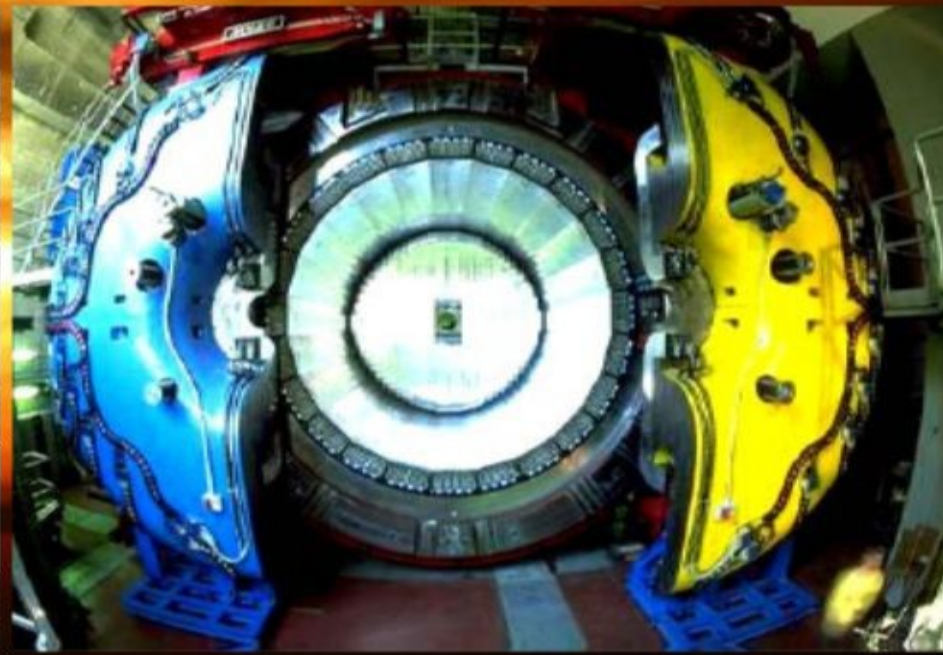
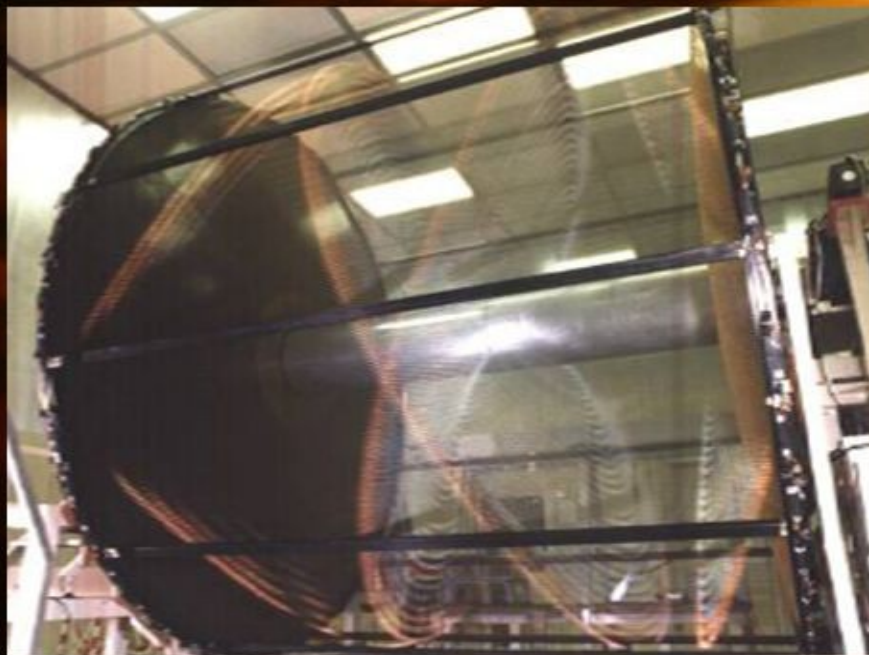
[M. Anelli et al., Nucl Inst. Meth. A 581, 368 (2007)]

AMADEUS & DAΦNE

The Kloe experiment at DAΦNE Φ -factory

Multi-purpose detector for K_{long} physics

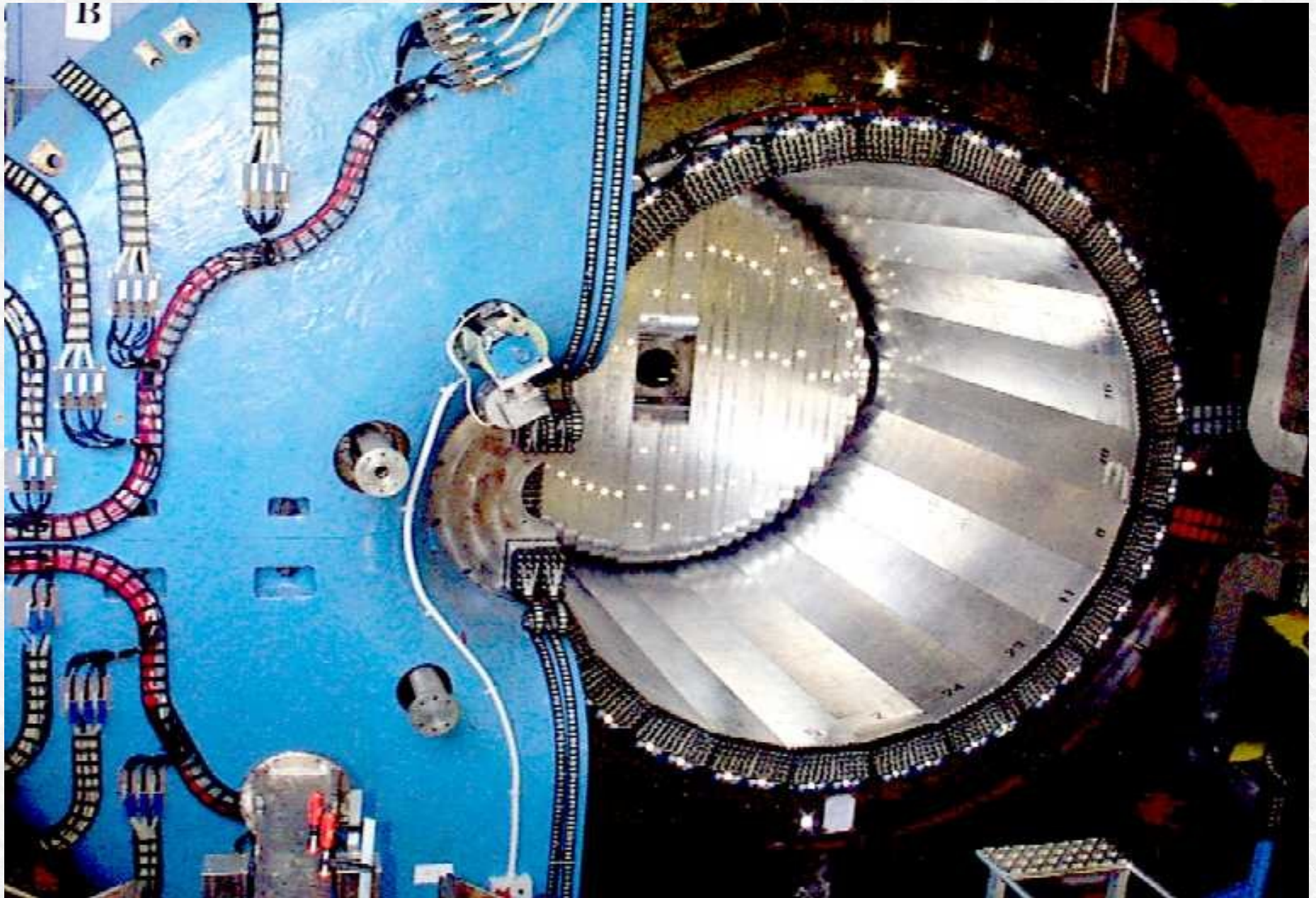
e^+e^- collider @ $\sqrt{s} = 1019.4$ MeV



- Thin CF structure, $\varnothing = 4\text{m}$, $L = 4\text{m}$;
- 52140 stereo wires, 12540 W sense wires, Al field wires;
- He/i-C₄H₁₀=90/10 gas mixture;
- $\sigma(p_T)/p_T \sim 0.4\%$ (in 0.5T of the SC coil)

- Pb-scintillating fiber
- 24 barrel modules, 4m long * C-shaped End-caps for full hermeticity
- $\sigma_T = 54\text{ps}/\sqrt{E(\text{GeV})}$
- $\sigma_E/E = 5.7\%/\sqrt{E(\text{GeV})}$

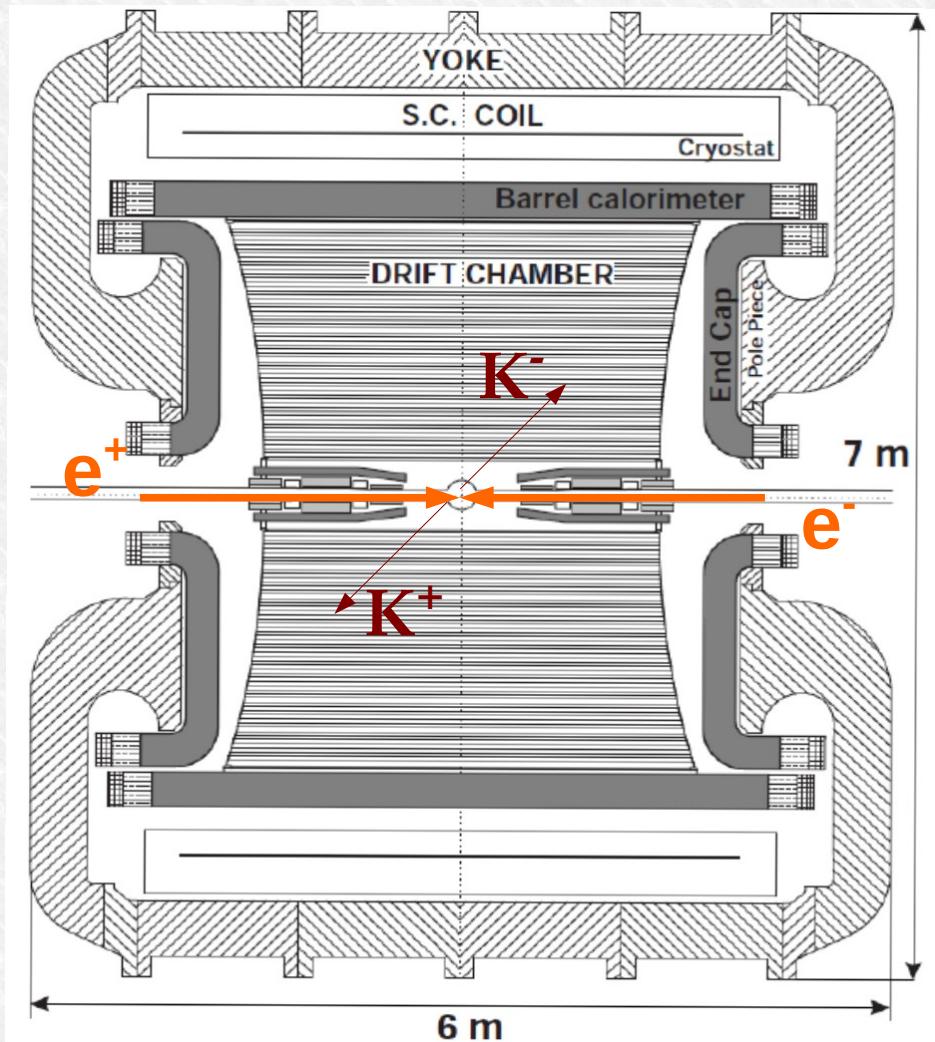
AMADEUS & DAΦNE



K⁻ absorption on light nuclei

MC simulations show that :

- ~ 0.1% of K⁻ stopped in the DC gas (90% He, 10% C₄H₁₀)
- ~2% of K⁻ stopped in the DC wall (750 μm C foil , 150 μm Al foil).



Possibility to use **KLOE materials** as an active target



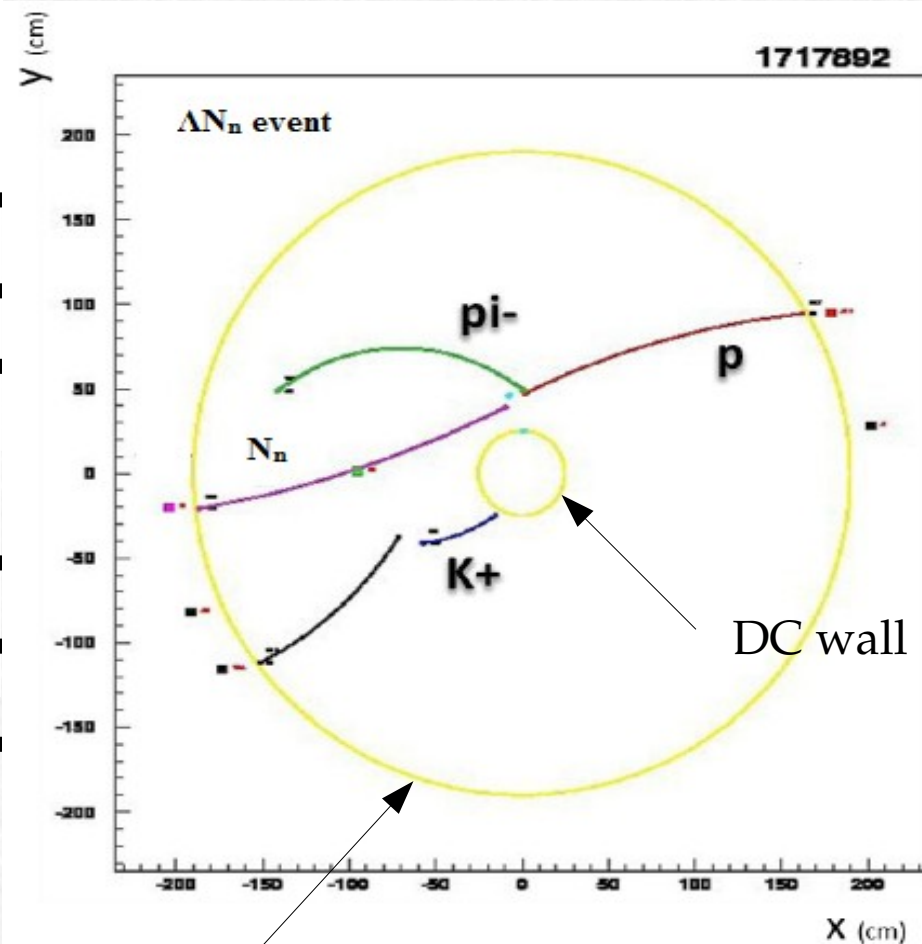
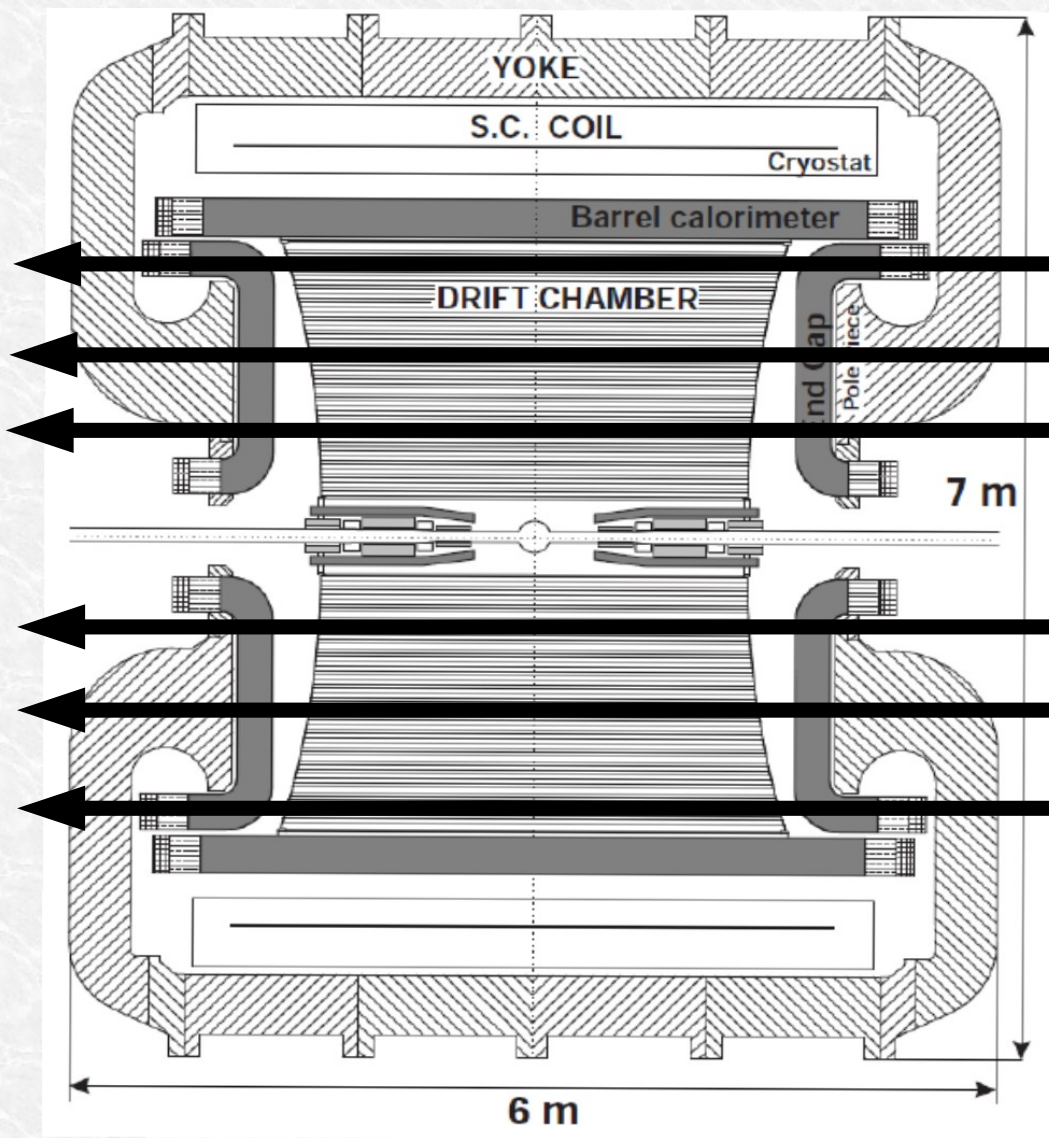
Advantage:

excellent resolution ..

$$\sigma_{p\Lambda} = 0.49 \pm 0.01 \text{ MeV}/c \text{ in DC gas}$$

$$\sigma_{m\gamma\gamma} = 18.3 \pm 0.6 \text{ MeV}/c^2$$

K⁻ absorption on light nuclei



Calorimeter

AMADEUS: the scientific goal

Low-energy K^- interaction studies with **light nuclei** (H, ^4He , ^9Be , ^{12}C) in order to extract conclusive constraints on:

- **$\bar{K}N$ Potential** → how deep can an antikaon be bound in a nucleus?
 - $U_{\bar{K}N}$ strongly affects the position of the $\Lambda(1405)$ state
→ we investigate it through $(\Sigma-\pi)^0$ decay --- $Y \pi$ CORRELATION
 - if $U_{\bar{K}N}$ is strongly attractive then possible K^- multi-N bound states
→ we investigate through $(\Lambda/\Sigma-N)$ decay --- $Y N$ CORRELATION
- **$Y-N$ potential** → extremely poor experimental information from scattering data

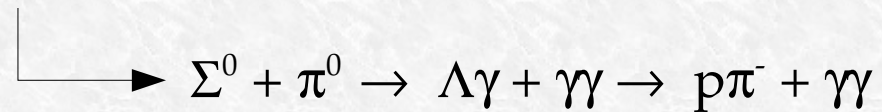
Deep impact on models of neutrons stars structure

How search $\Lambda(1405)$ signal?

Production scheme:

- K^- absorption experiments: the K^- beams are produced first and then captured from the target nuclei.

Example: $K^- + {}^4\text{He} \rightarrow \Lambda(1405) + pnn$



How search $\Lambda(1405)$ signal?

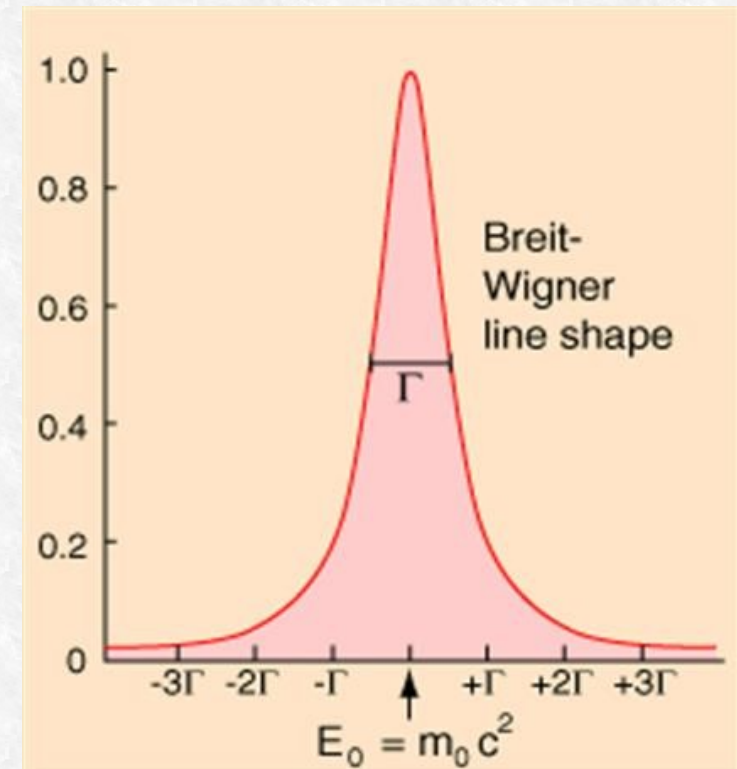
Analysis procedure:

- Invariant mass spectroscopy: all the decay products of the particle have to be detected and their energy-momentum has to be determined. This allows the reconstruction of the invariant mass and hence the calculation of the “binding energy” and width (that is mean life) of this object.

Example:



$$M_{(\Lambda)}^2 = \underbrace{(E_{\Sigma} + E_{\pi})^2}_{\text{energy cons.}} - \underbrace{(p_{\Sigma} + p_{\pi})^2}_{\text{momentum cons.}}$$

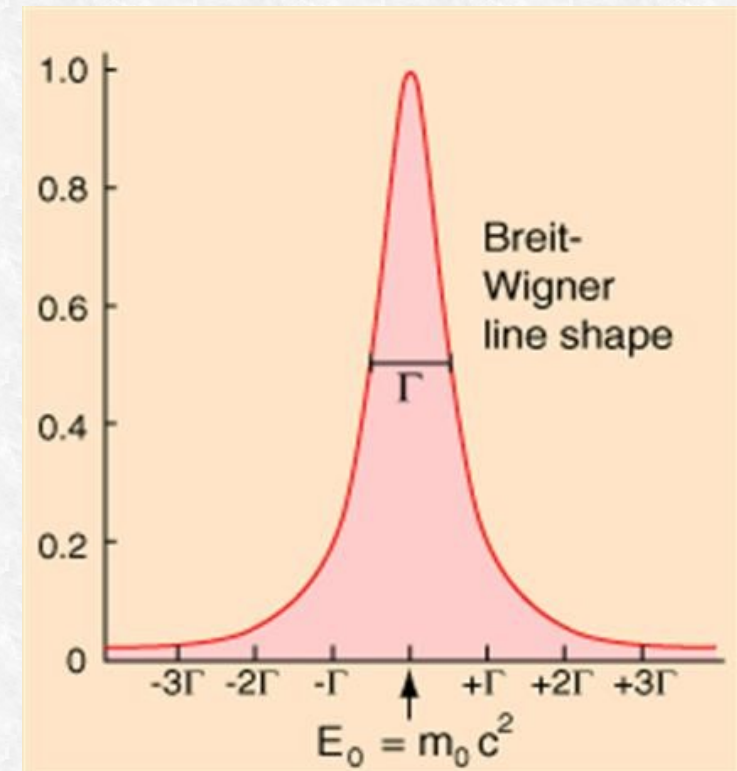
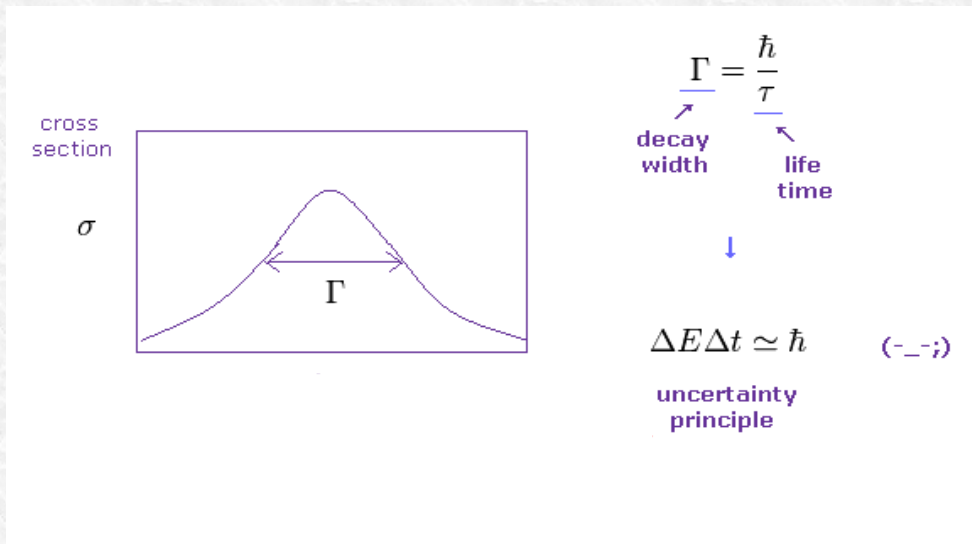


How search $\Lambda(1405)$ signal?

Analysis procedure:

- Invariant mass spectroscopy: all the decay products of the particle have to be detected and their 4-momentum has to be determined. This allows the reconstruction of the invariant mass and hence the calculation of the “binding energy” and width (that is mean life) of this object.

Example: $K^- + {}^4\text{He} \rightarrow \Lambda(1405) + pnn$



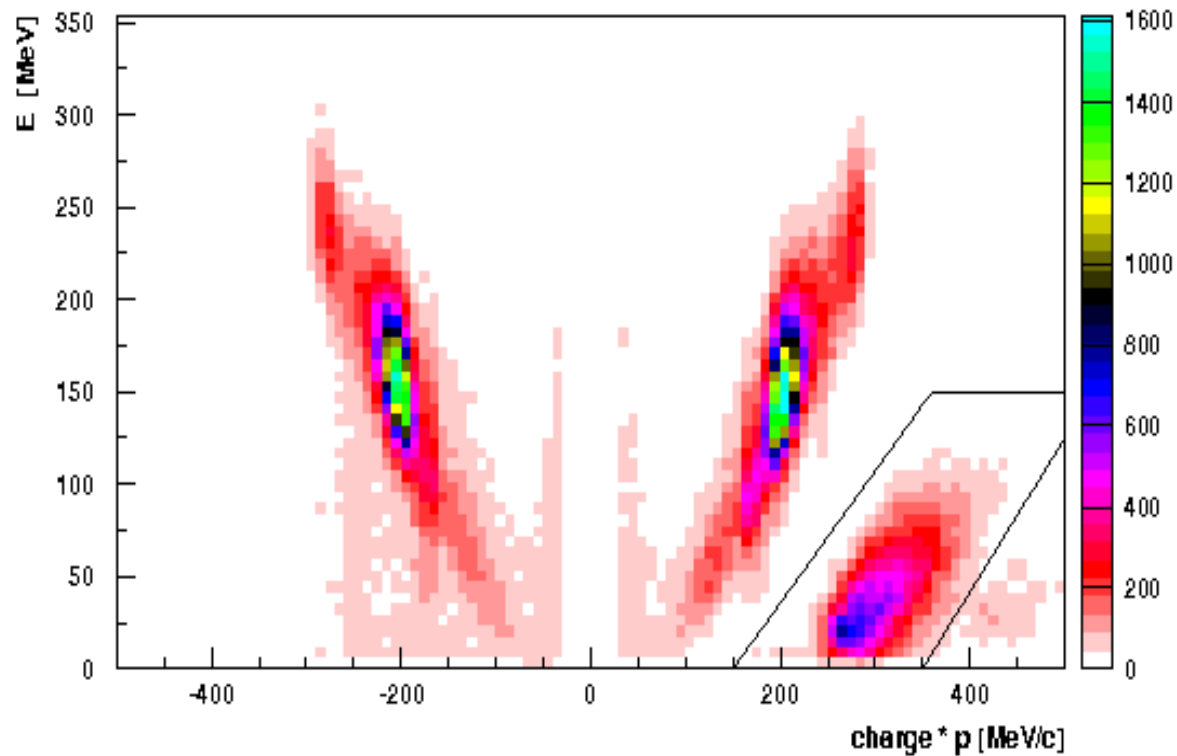
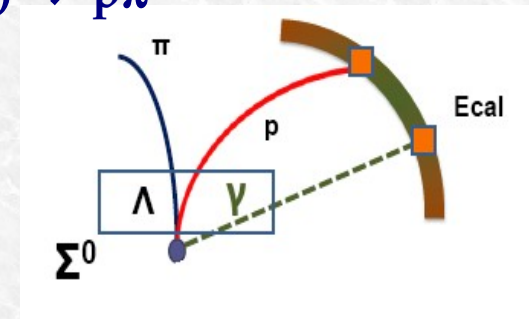
particles identification, momentum energy measurement

starting point .. reconstruction of the Λ decay vertex: $\Lambda(1116) \rightarrow p\pi^-$
(BR ~ 64 %)

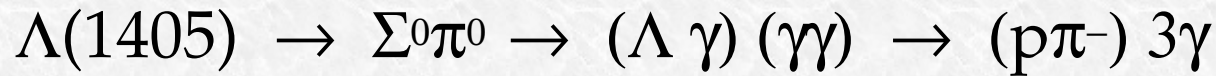
requests:

- vertex with at least two opposite charged particles
- spatial position of vertex inside DC, or in DC entrance wall

Positive tracks are requested to have an associated cluster in the calorimeter and the correct $E - p$



particles identification, momentum energy measurement



1) 3 neutral clusters selection in calorimeter (no track!)

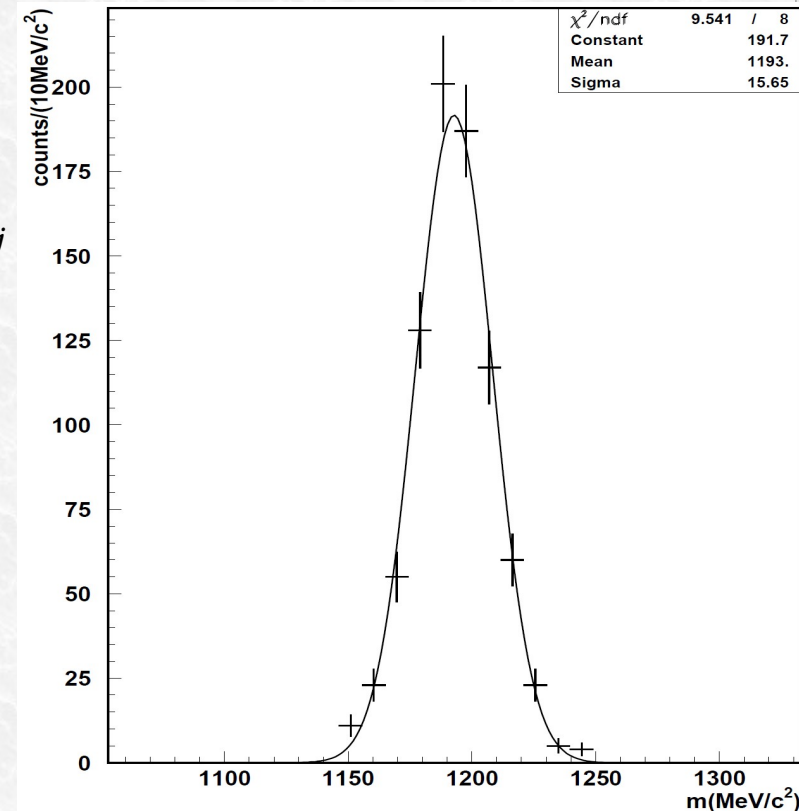
2) photon clusters selection: $\chi_t^2 = t^2 / \sigma_t^2$ where $t = t_i - t_j$

time of flights in light speed hypothesis.

Three photons in time from the Λ decay vertex r_Λ

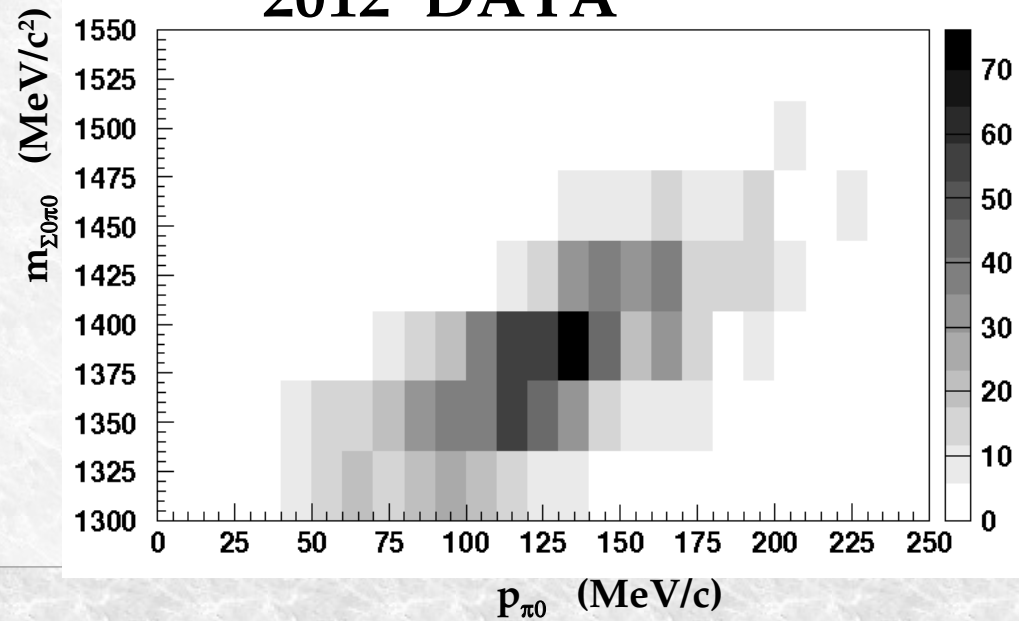
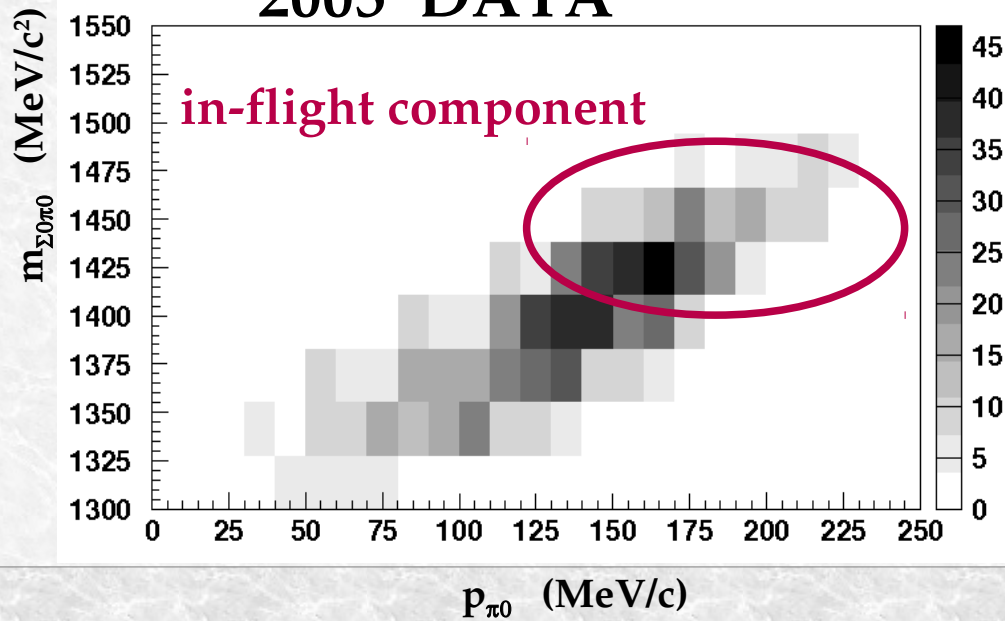
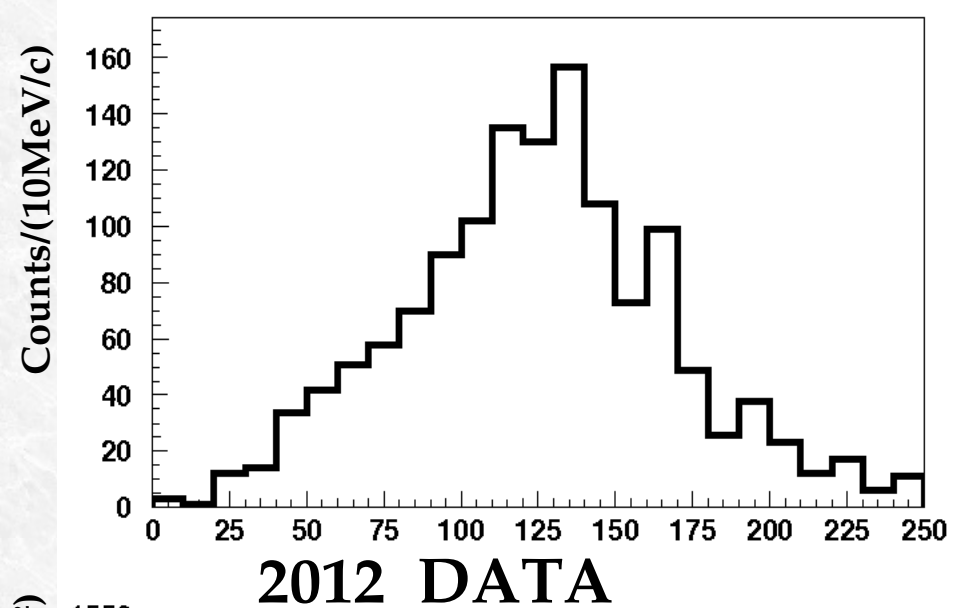
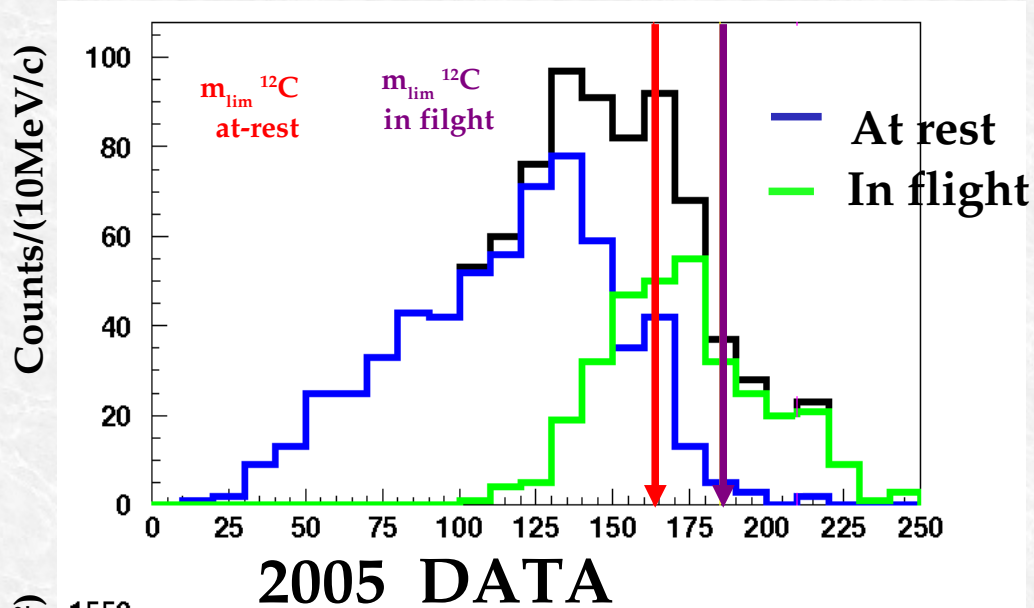
3) photon clusters identification: γ_3 from $\pi^0 \rightarrow \gamma_1 \gamma_2$

$$\chi_{\pi\Sigma}^2 = \frac{(m_{\pi^0} - m_{ij})^2}{\sigma_{ij}^2} + \frac{(m_{\Sigma^0} - m_{k\Lambda})^2}{\sigma_{k\Lambda}^2}$$



Invariant mass spectrum

p_{π^0} resolution: $\sigma_p \approx 12$ MeV/c



AMADEUS: the scientific goal

Low-energy K^- interaction studies with **light nuclei** (H, ^4He , ^9Be , ^{12}C) in order to extract conclusive constraints on:

- $\bar{K}N$ Potential \rightarrow how deep can an antikaon be bound in a nucleus?
 - $U_{\bar{K}N}$ strongly affects the position of the $\Lambda(1405)$ state
 \rightarrow we investigate it through $(\Sigma-\pi)^0$ decay --- $Y \pi$ CORRELATION
 - if $U_{\bar{K}N}$ is strongly attractive then possible K^- multi-N bound states
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- $Y-N$ potential \rightarrow extremely poor experimental information from scattering data

Deep impact on models of neutrons stars structure

How deep can an antikaon be bound in a nucleus?

K^-pp bound state....the theory

Chiral SU(3)-based (Energy dependent) → Shallow ~20 MeV

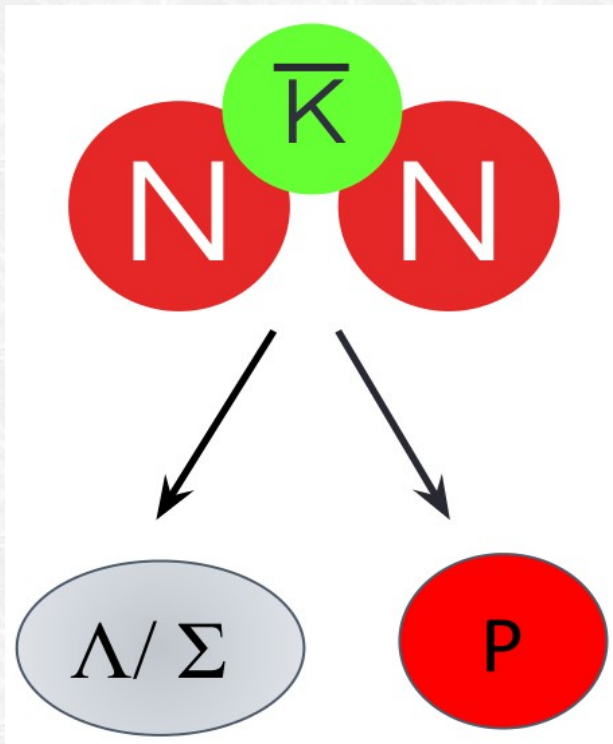
Phenomenological (Energy independent) → Deep ~40-70 MeV

	Dote,Hyodo, Weise	Akaishi, Yamazaki	Barnea, Gal, Liverts	Ikeda, Sato	Ikeda, Kamano,Sato	Shevchenko ,Gal, Mares	Revai, Shevchenko	Maeda, Akaishi, Yamazaki
B (MeV)	17-23	48	16	60-95	9-16	50-70	32	51.5
Γ (MeV)	40-70	61	41	45-80	34-46	90-110	49	61
Method	Variational	Variational	Variational	Faddeev- AGS	Faddeev- AGS	Faddeev- AGS	Faddeev- AGS	Faddeev- Yakubovsky
Interaction	Chiral	Phenom.	Chiral	Chiral	Chiral	Phenom.	Chiral	Phenom.

Large width means short-life state → hard to measure

Small width means long-life state → easy to measure

How deep can an antikaon be bound in a nucleus?



Possible Bound States:

$$\begin{aligned} (K^- pp) &\rightarrow \Lambda p \\ &\rightarrow \Sigma^0 p \end{aligned}$$

$$\begin{aligned} (K^- ppn) &\rightarrow \Lambda d \\ &\rightarrow \Sigma^0 d \end{aligned}$$

predicted **if** strong $\bar{K}N$ interaction
in the $I=0$ channel.

[Wycech (1986) - Akaishi & Yamazaki (2002)]

K^-pp bound state

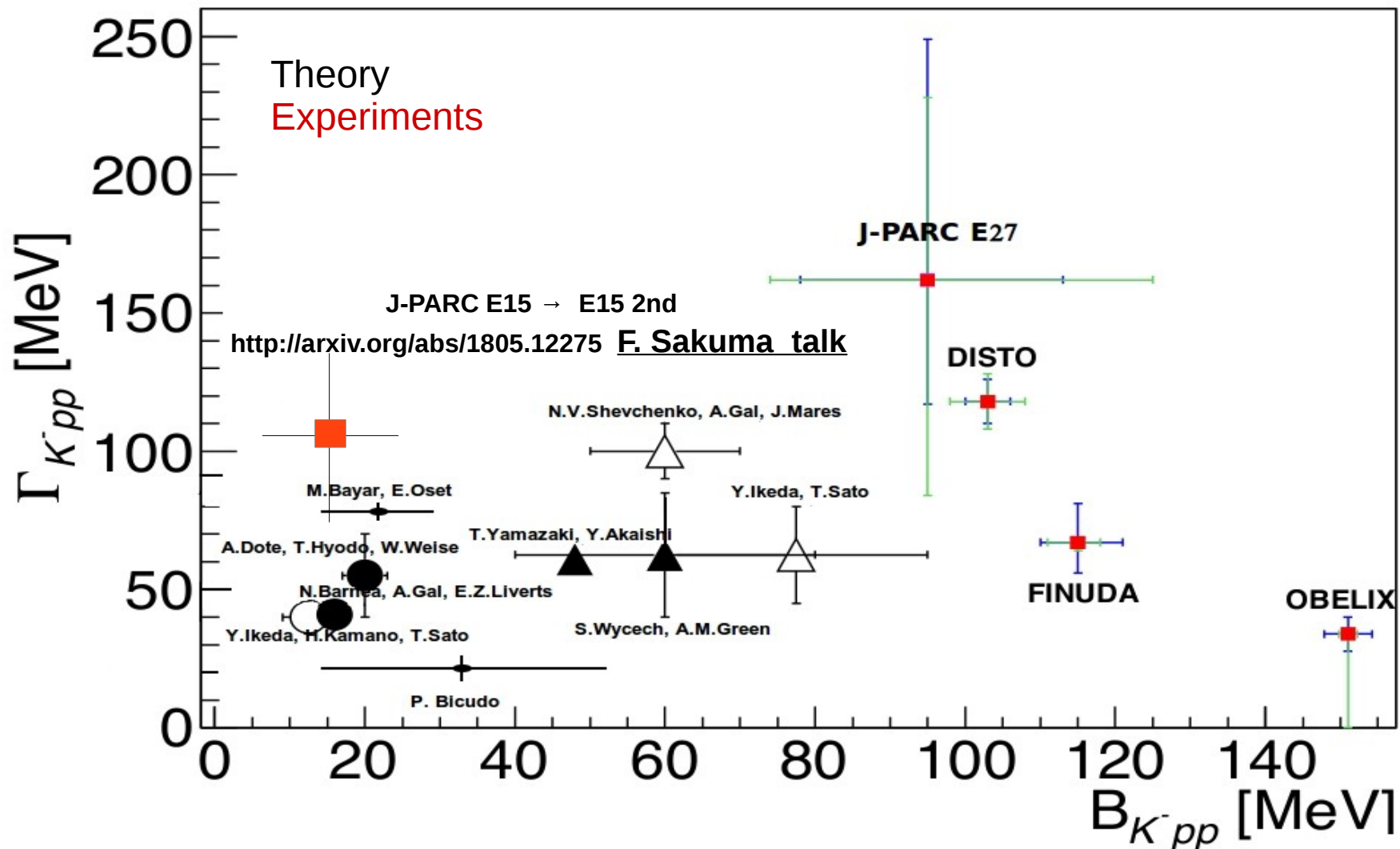
	BE (MeV)	Γ (MeV)	Reference
Dote, Hyodo, Weise	17-23	40-70	Phys.Rev.C79 (2009) 014003
Akaishi, Yamazaki	48	61	Phys.Rev.C65 (2002) 044005
Barnea, Gal, Liverts	16	41	Phys.Lett.B712 (2012) 132-137
Ikeda, Sato	60-95	45-80	Phys.Rev.C76 (2007) 035203
Ikeda, Kamano, Sato	9-16	34-46	Prog.Theor.Phys. (2010) 124(3): 533
Shevchenko, Gal, Mares	55-70	90-110	Phys.Rev.Lett.98 (2007) 082301
Revai, Shevchenko	32	49	Phys.Rev.C90 (2014) no.3, 034004
Maeda, Akaishi, Yamazaki	51.5	61	Proc.Jpn.Acad.B 89, (2013) 418
Bicudo	14.2-53	13.8-28.3	Phys.Rev.D76 (2007) 031502
Bayar, Oset	15-30	75-80	Nucl.Phys.A914 (2013) 349
Wycech, Green	40-80	40-85	Phys.Rev.C79 (2009) 014001

Experiments reporting DBKNS		
KEK-PS E549	T. Suzuki et al. MPLA23, 2520-2523 (2008)	
FINUDA	M. Agnello et al. PRL94, 212303 (2005)	Extraction of a signal
DISTO	T. Yamazaki et al. PRL104 (2010)	Extraction of a signal
OBELIX	G. Bendiscioli et al. NPA789, 222 (2007)	Extraction of a signal
HADES	G. Agakishiev et al. PLB742, 242-248 (2015)	Upper limit
LEPS/SPring-8	A.O. Tokiyasu et al. PLB728, 616-621 (2014)	Upper limit
J-PARC E15	T. Hashimoto et al. PTEP, 061D01 (2015)	Upper limit
J-PARC E27	Y. Ichikawa et al. PTEP, 021D01 (2015)	Extraction of a signal

How deep can an antikaon be bound in a nucleus?

interpreted in

T. Sekihara, E. Oset, A. Ramos, Prog. Theor. Exp. Phys (2016) (12): 123D03

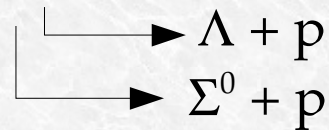


How search the kaonic bound states?

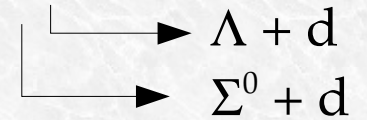
Production schemes for kaonic bound states:

- K⁻ absorption experiments: the K⁻ beams are produced first and then captured from the target nuclei.

Examples: K⁻ + ³He → (K⁻pp) + n



K⁻ + ⁴He → (K⁻ppn) + n

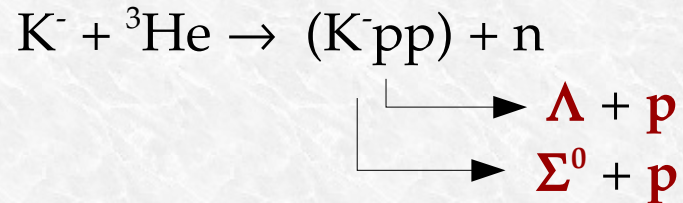


How search the kaonic bound states?

Analysis procedures to study kaonic nuclear clusters:

- Invariant mass spectroscopy: all the decay products of the cluster have to be detected and their 4-momentum has to be determined. This allows the reconstruction of the invariant mass of the decaying cluster and hence the calculation of the binding energy and width of this object.

Example:



$$M^2_{(K^-pp)} = (E_\Lambda + E_p)^2 - (\mathbf{p}_\Lambda + \mathbf{p}_p)^2$$

Search for the K^-pp bound state

AMADEUS:

- Invariant mass spectroscopy
- K^- absorption experiment

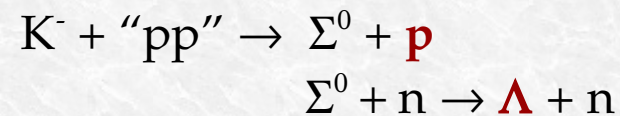
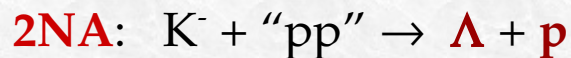
Backgrounds: the competing processes in the search for kaonic bound states are the so-called single and multi-nucleon absorption processes.

EXAMPLE

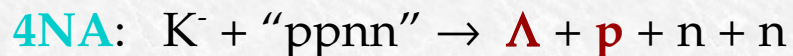
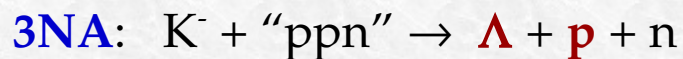
Let us suppose we want to search the signal of K^-pp bound state in K^- interactions in ${}^4\text{He}$ through the Λp decay channel



→ This is the process we want to search



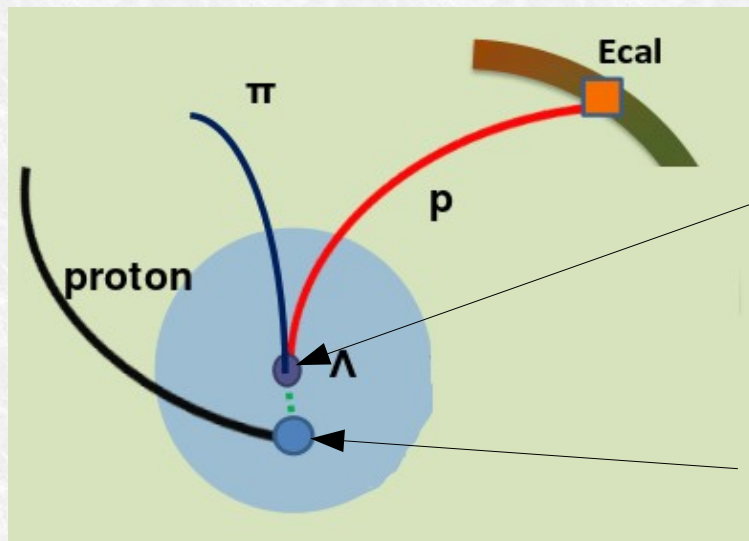
Σ^0 to Λ conversion processes



Hadronic interaction vertex reconstruction

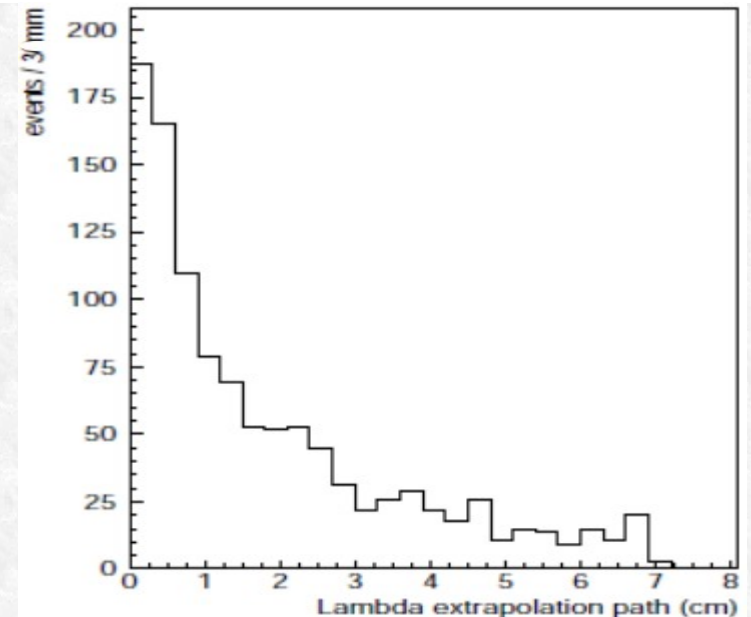
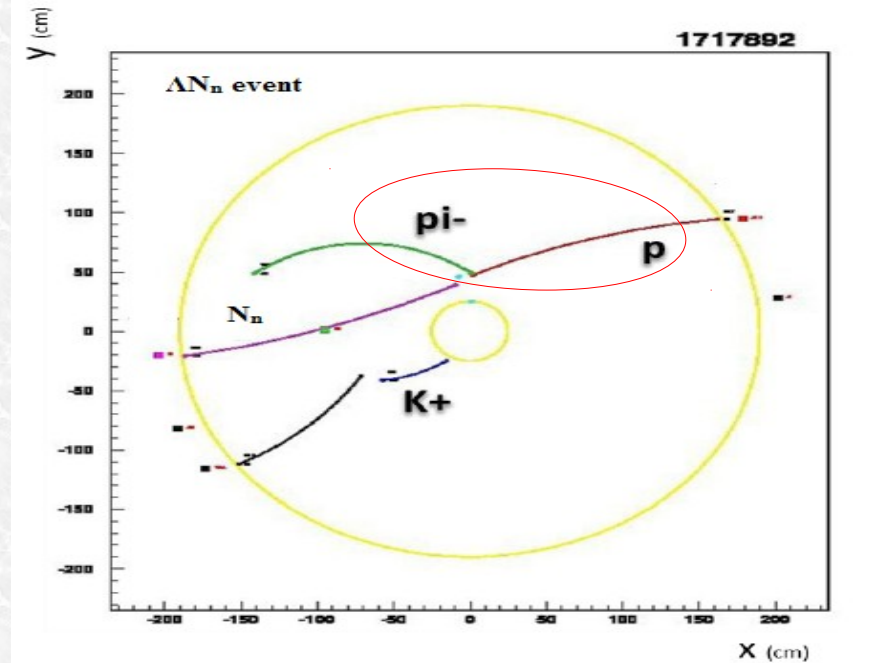
1st Step: $\Lambda \rightarrow p + \pi^-$ identification
(BR = 63.9 ± 0.5 %)

2nd Step: **hadronic interaction vertex** searched extrapolating backwards the Λ path and an extra positive track

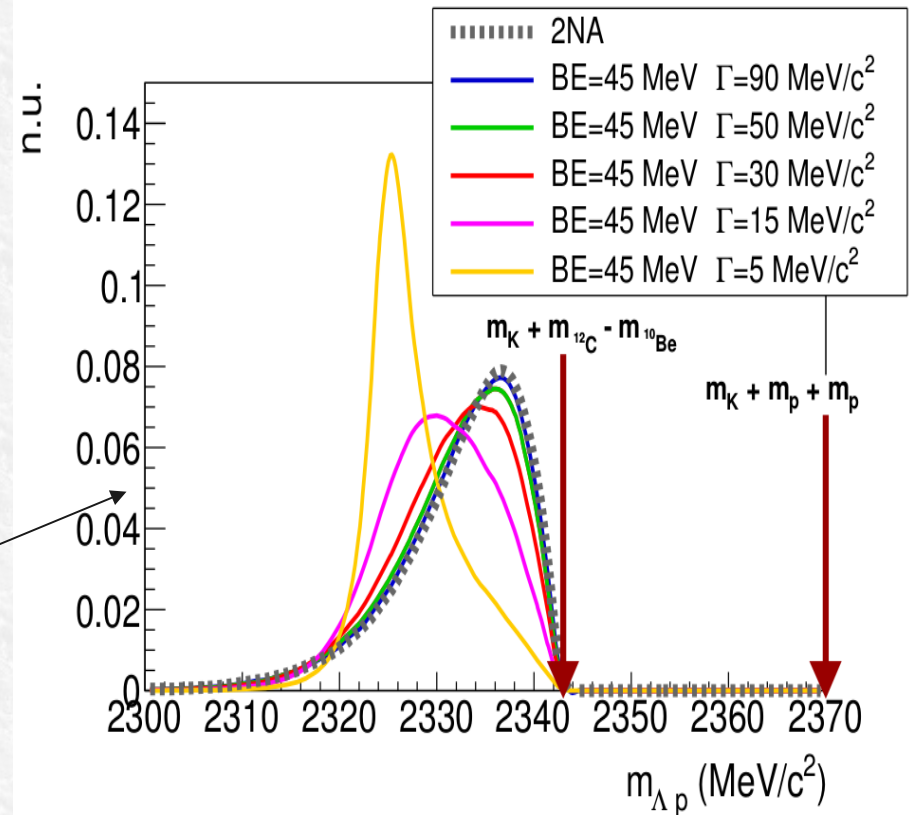
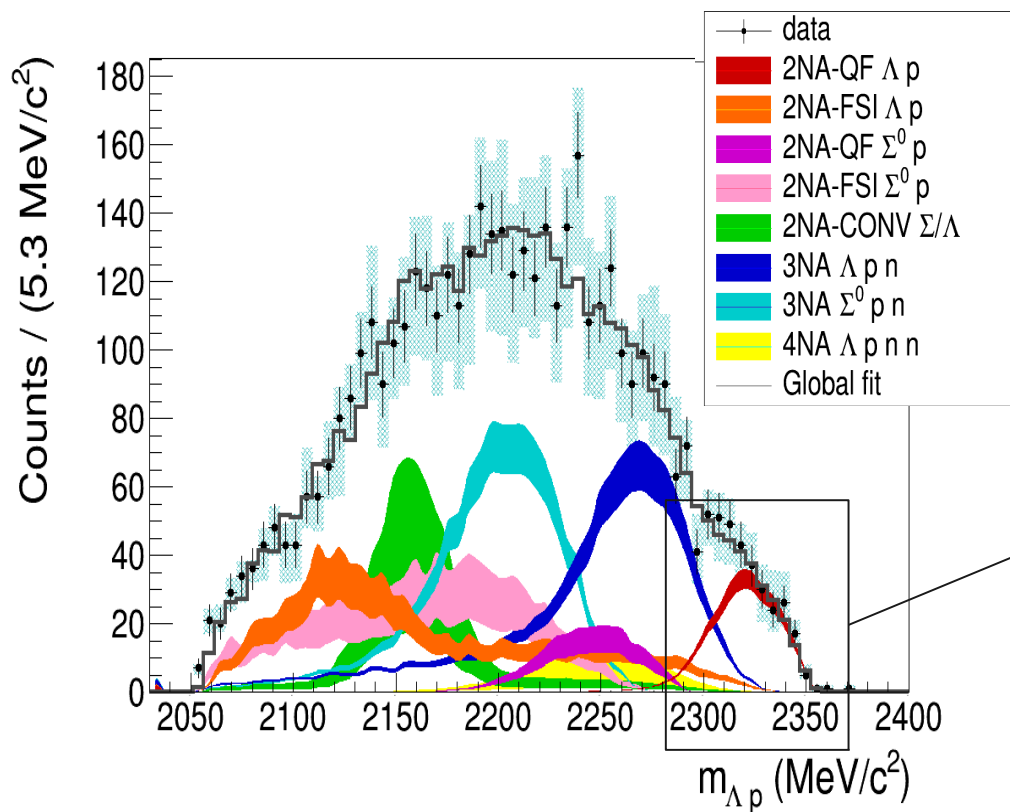


Λ decay vertex

hadronic vertex



Λ p invariant mass

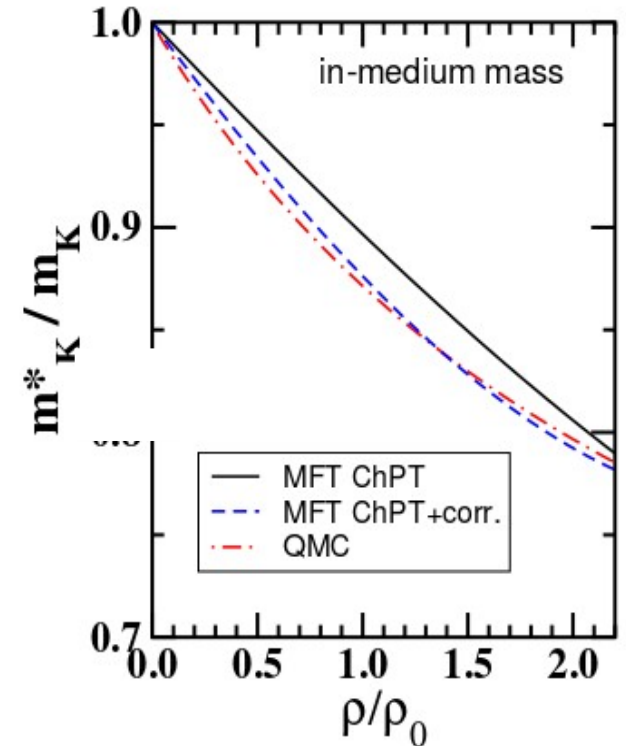
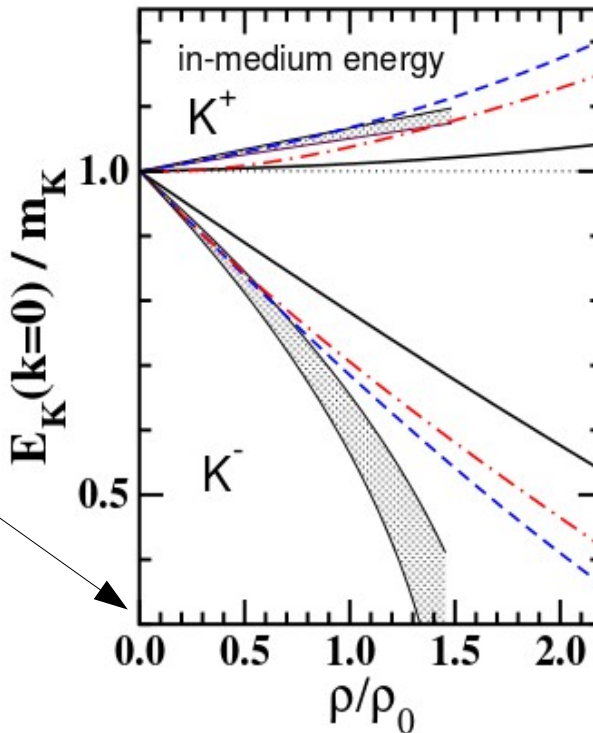


No evidence for a deeply bound state!

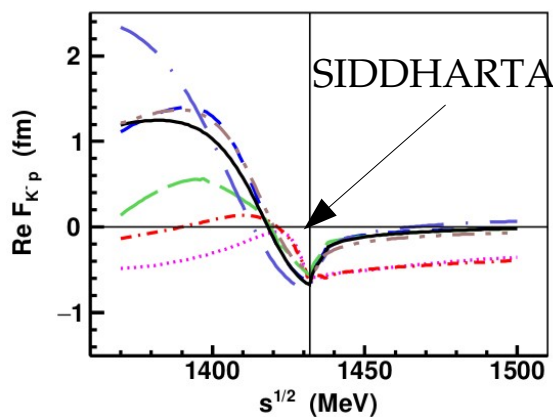
From AMADEUS to SIDDHARTA

AMADEUS investigates the behavior of anti-kaons inside the nuclear medium.

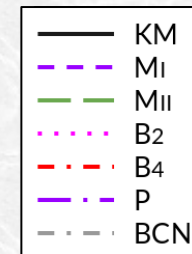
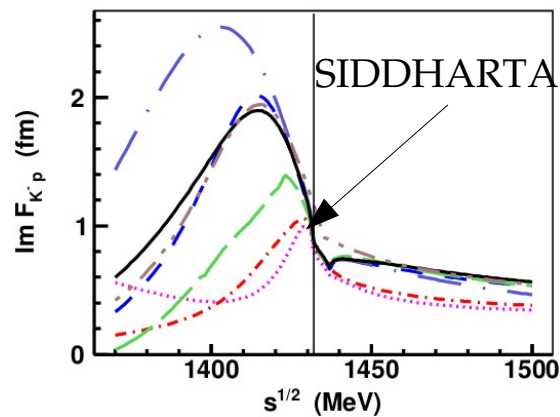
SIDDHARTA
investigates the free
interaction $\rho = 0$
of anti-kaons and
nucleons at ZERO
momentum



AMADEUS



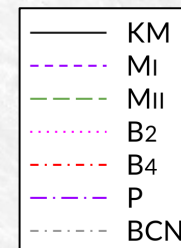
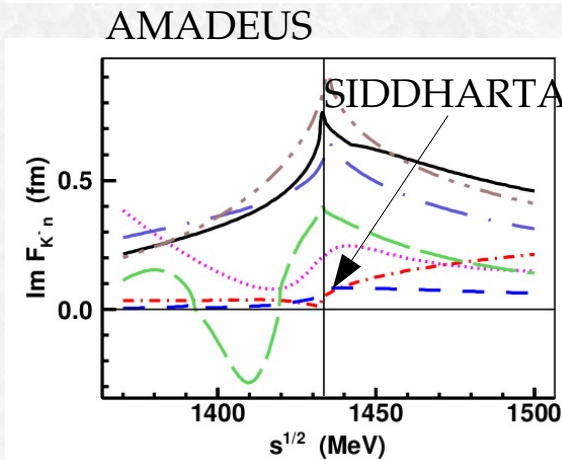
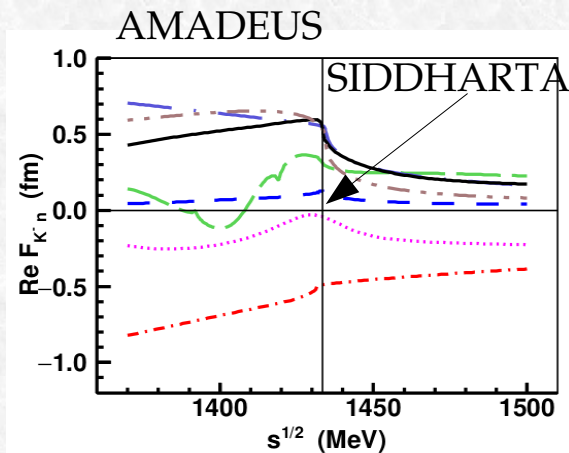
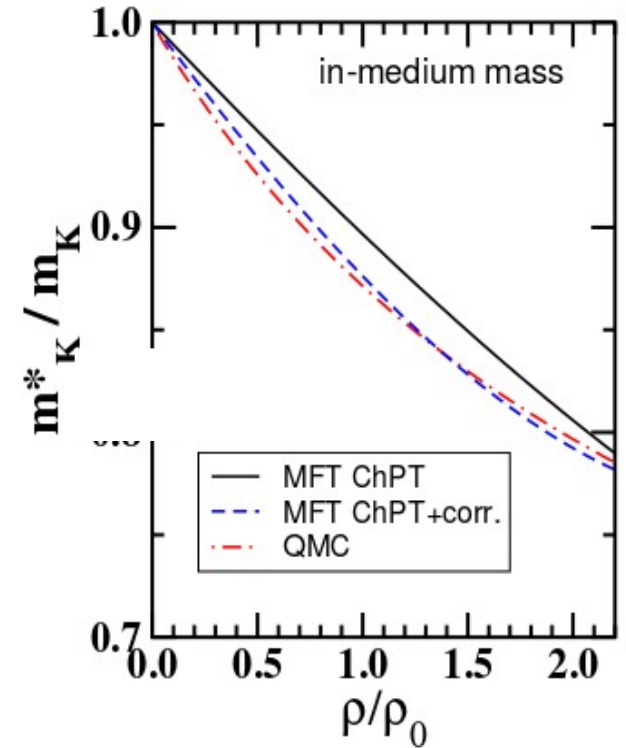
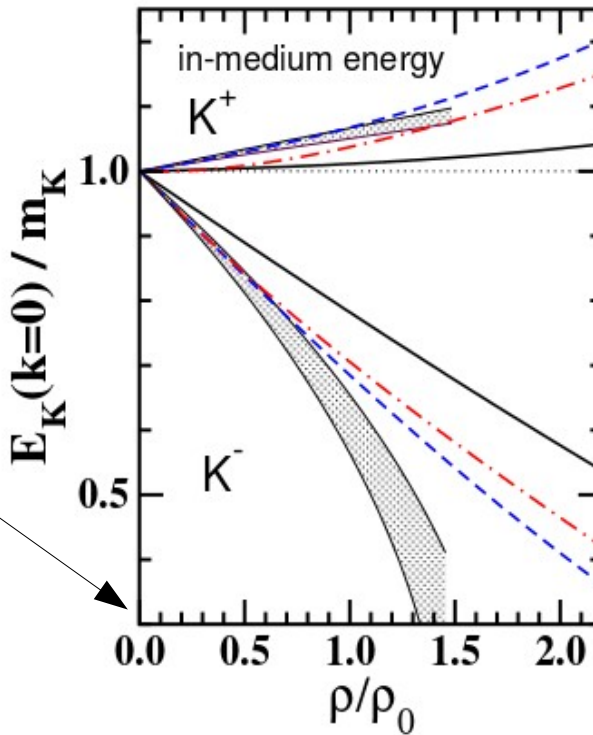
AMADEUS



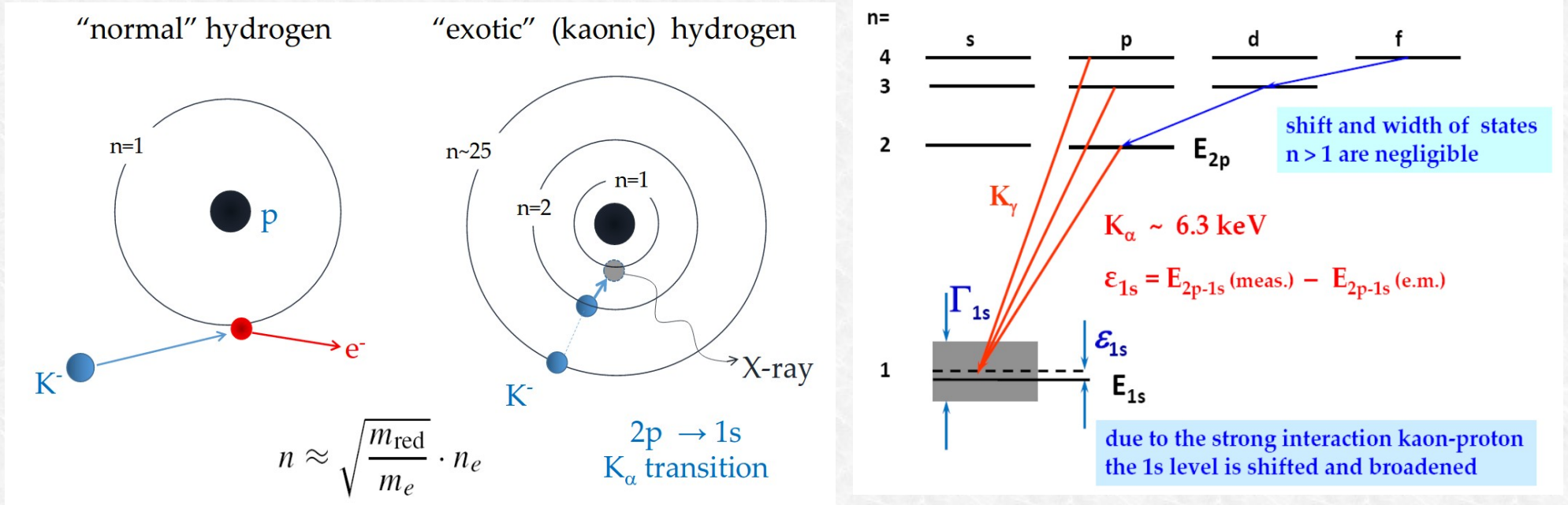
From AMADEUS to SIDDHARTA

AMADEUS investigates the behavior of anti-kaons inside the nuclear medium.

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KAONIC ATOMS



Strong interaction causes a **shifting of the energy (ϵ_{1s})** of the lowest atomic level from its purely electromagnetic value.

Absorption reduces the lifetime of the state, so X-ray transitions to this final atomic level are **broadened (Γ_{1s})**.

Anti-kaon nucleon scattering lengths

Deser-type relation connects shift ε_{1s} and width Γ_{1s} to a_{K^-p} and a_{K^-d} :

$$\varepsilon + \frac{i\Gamma}{2} = 2\alpha^3 \mu^2 a_{K^-p} = 412 \frac{eV}{fm} a_{K^-p} \quad \text{done by SIDDHARTA}$$

$$\varepsilon + \frac{i\Gamma}{2} = 2\alpha^3 \mu^2 a_{K^-d} = 601 \frac{eV}{fm} a_{K^-d} \quad \text{aim of SIDDHARTA-2}$$

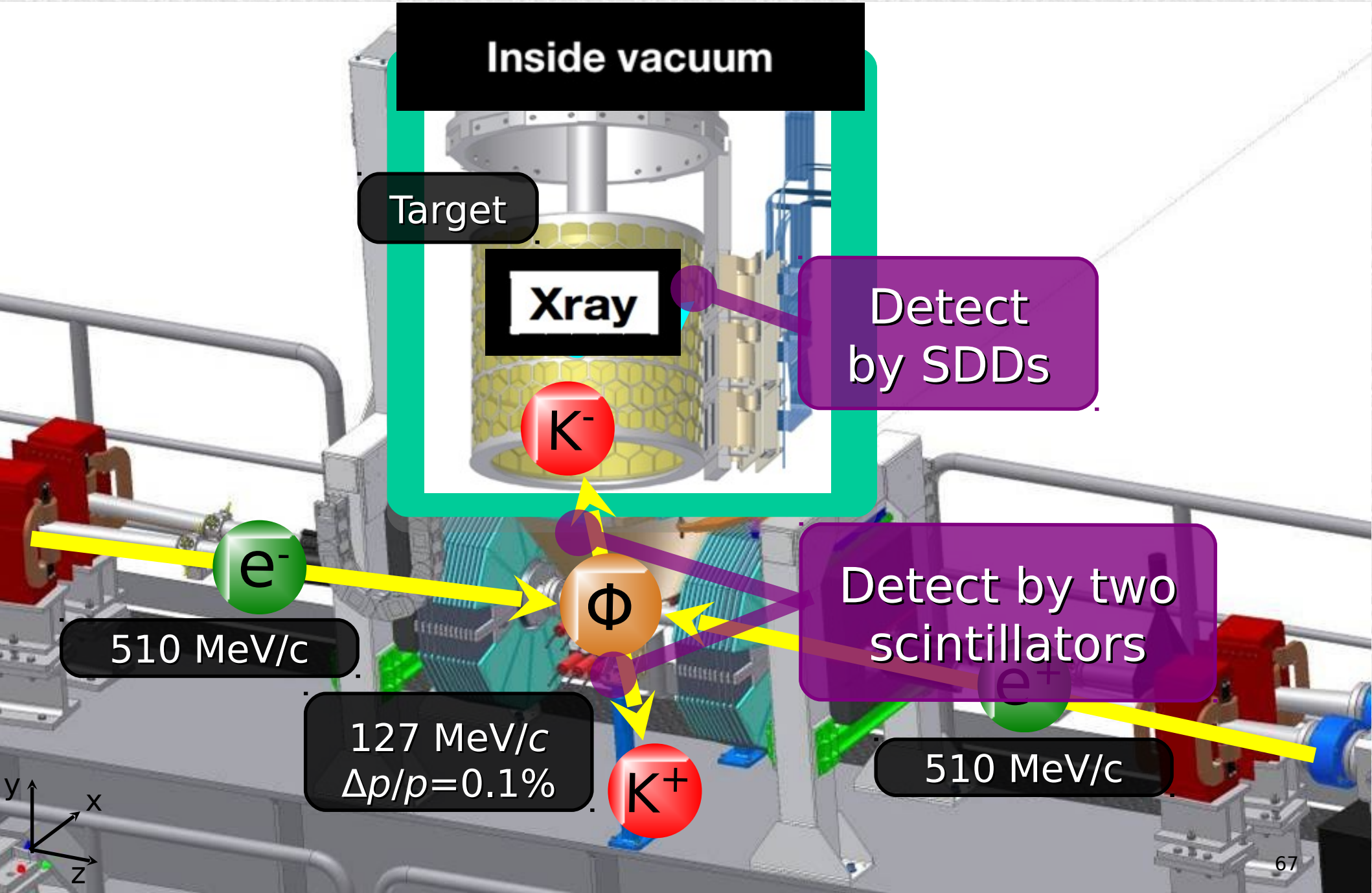
one can obtain the isospin dependent antikaon-nucleon scattering lengths



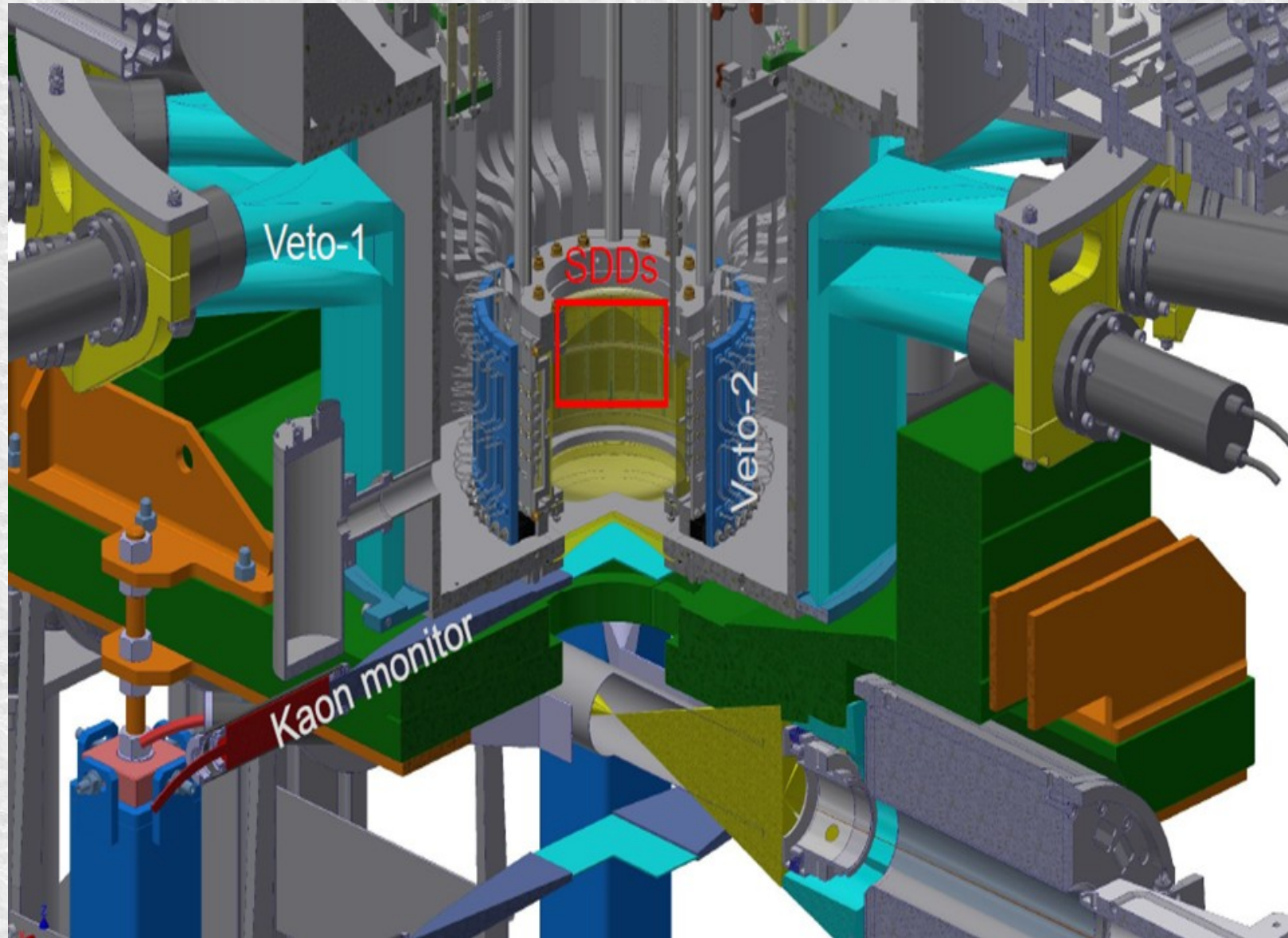
$$a_{K^-p} = \frac{a_0(I=0) + a_1(I=1)}{2}$$
$$a_{K^-d} = \frac{1}{2} \frac{m_N + m_K}{m_N + \frac{m_K}{2}} (3a_1 + a_0) + C$$

→ Fundamental inputs of low-energy QCD effective field theories

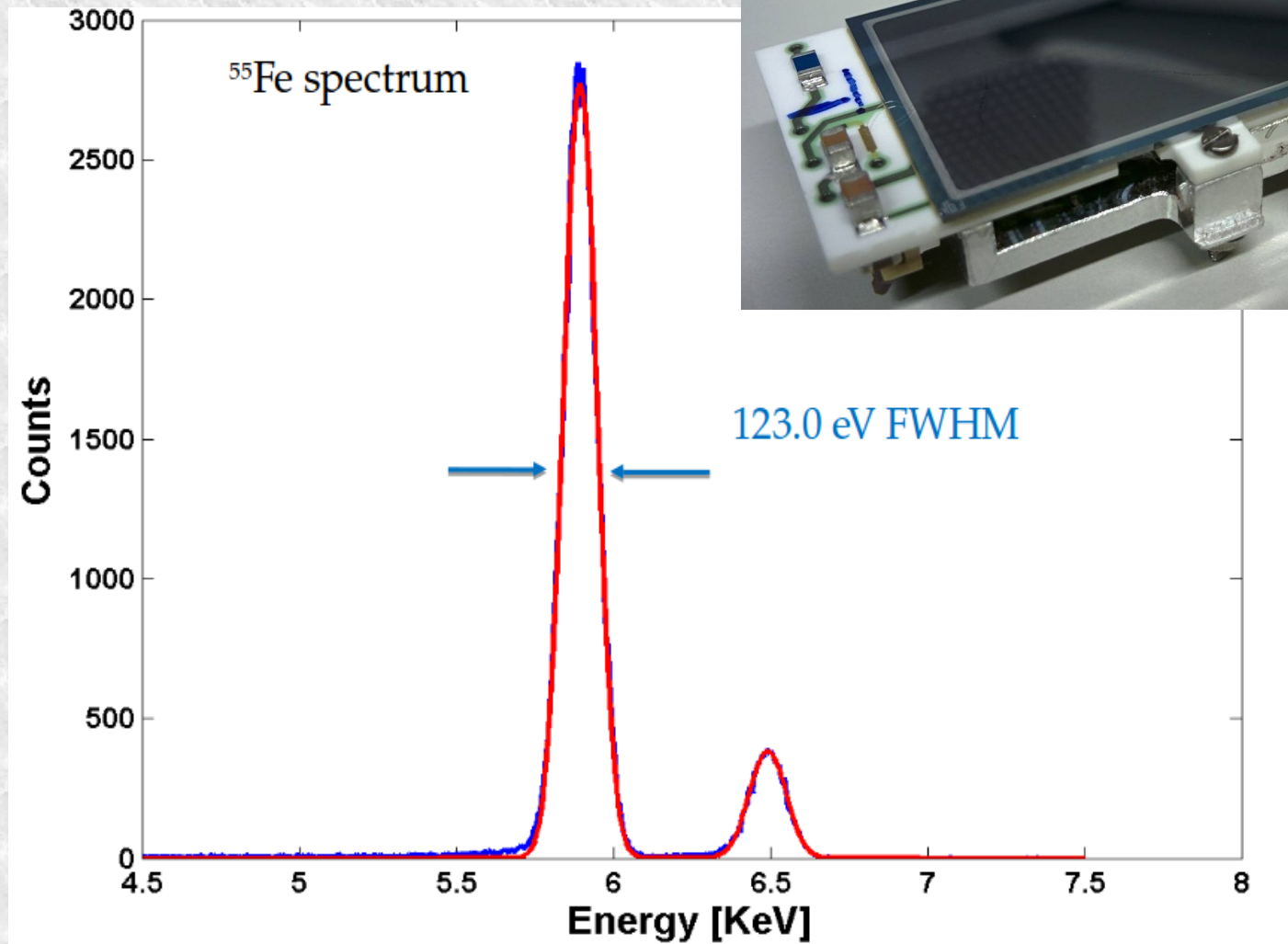
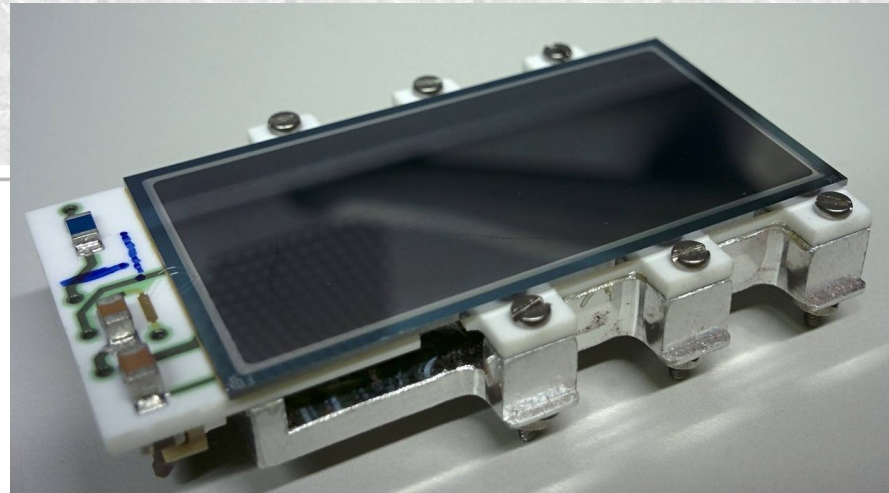
SIDDHARTA-2 overview



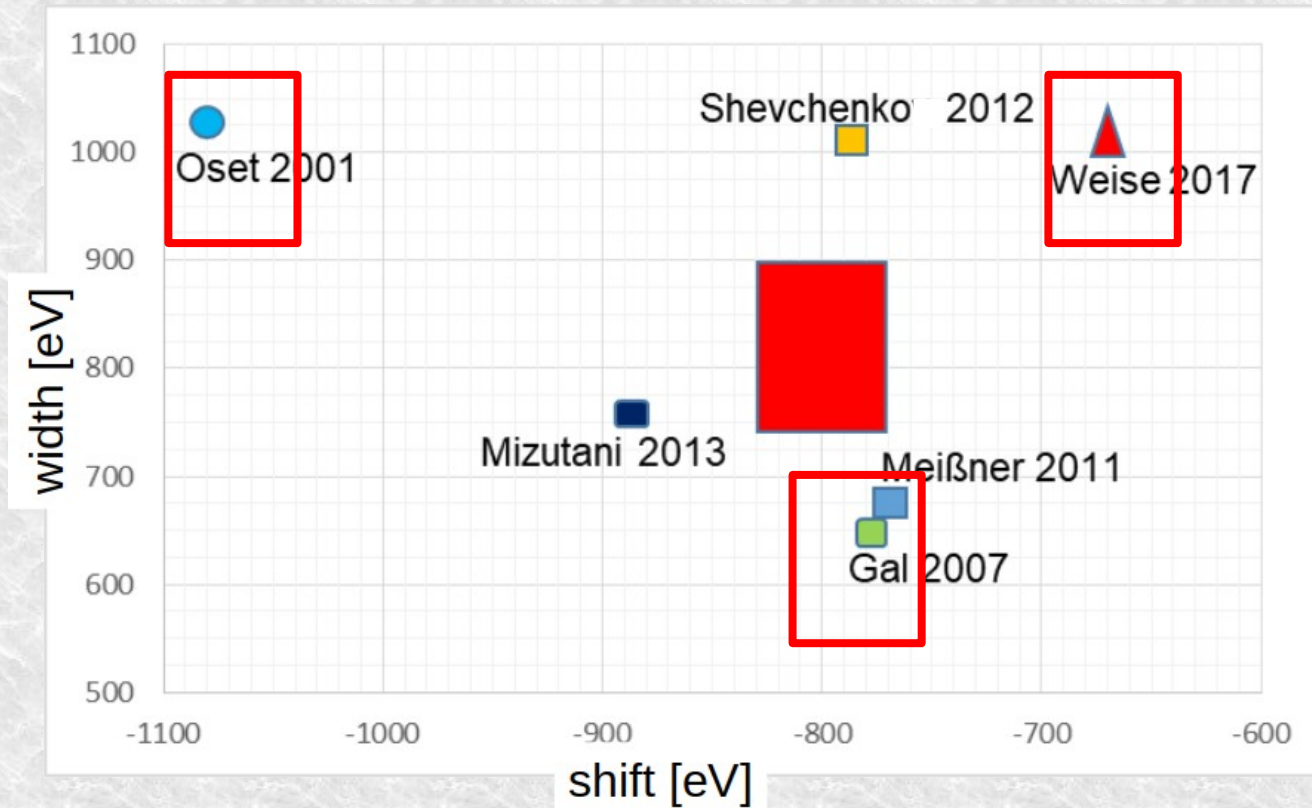
SIDDHARTA-2 overview



SIDDHARTA-2 overview



KAONIC-Deuterium puzzle



SIDDHARTA-2

INSTALLATION OF THE SETUP WITH 8 SDDs AT DAΦNE
COMPLETED IN APRIL 2019



Thank you :-)



Low-energy QCD in the u-d-s sector

- CHIRAL PERTURBATION THEORY

a chiral Lagrangian with effective degrees of freedom U takes the place of the QCD Lagrangian:

$$\exp(iZ) = \int \mathcal{D}q \mathcal{D}\bar{q} \mathcal{D}A_\mu \exp \left\{ i \int d^4x \mathcal{L}_{\text{QCD}} \right\} = \int \mathcal{D}U \exp \left\{ i \int d^4x \mathcal{L}_{\text{eff}} \right\}$$

lowest excitations (pseudoscalar mesons):

$$\phi = \begin{pmatrix} \frac{1}{\sqrt{2}}\pi^0 + \frac{1}{\sqrt{6}}\eta & \pi^+ & K^+ \\ \pi^- & -\frac{1}{\sqrt{2}}\pi^0 + \frac{1}{\sqrt{6}}\eta & K^0 \\ K^- & \bar{K}^0 & -\frac{2}{\sqrt{6}}\eta \end{pmatrix}$$

with chiral field

$$U(\phi) = \exp \left\{ \frac{i\sqrt{2}\phi}{f} \right\}$$

the counting rule is defined considering the meson momentum small respect to the ch. sy. Breaking scale $4\pi f \sim 1 \text{ GeV}$.

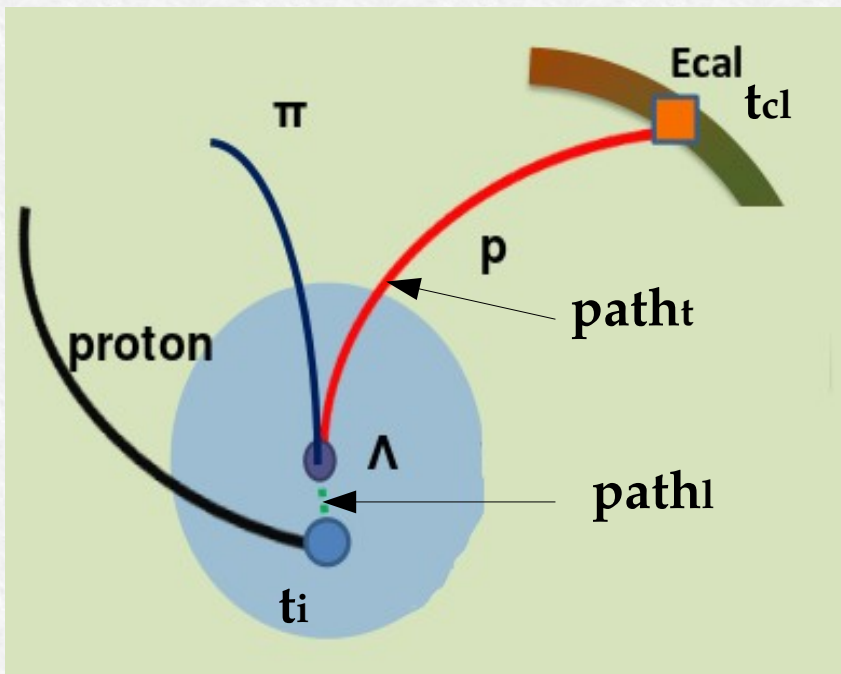
Similar for the baryon fields:

$$B = \begin{pmatrix} \frac{1}{\sqrt{2}}\Sigma^0 + \frac{1}{\sqrt{6}}\Lambda & \Sigma^+ & p \\ \Sigma^- & -\frac{1}{\sqrt{2}}\Sigma^0 + \frac{1}{\sqrt{6}}\Lambda & n \\ \Sigma^- & \Sigma^0 & -\frac{2}{\sqrt{6}}\Lambda \end{pmatrix}$$

Hadronic interaction vertex reconstruction

For the selected Λp events, a check in the mass of the proton track can be done if it is associated with a cluster in the calorimeter, and one of the two particles from the lambda decay has as well an associated cluster. To calculate their mass by time of flight we use the time of the cluster (t_{cl}) of the lambda decay product and the time of the interaction (t_i):

$$t_i = t_{cl} - (path_t / v_t) - (path_l / v_l)$$



Using the time of the proton cluster in the calorimeter and $path_p$ we calculate the proton velocity v_p . The mass is calculated using the information of the proton momentum p_p :

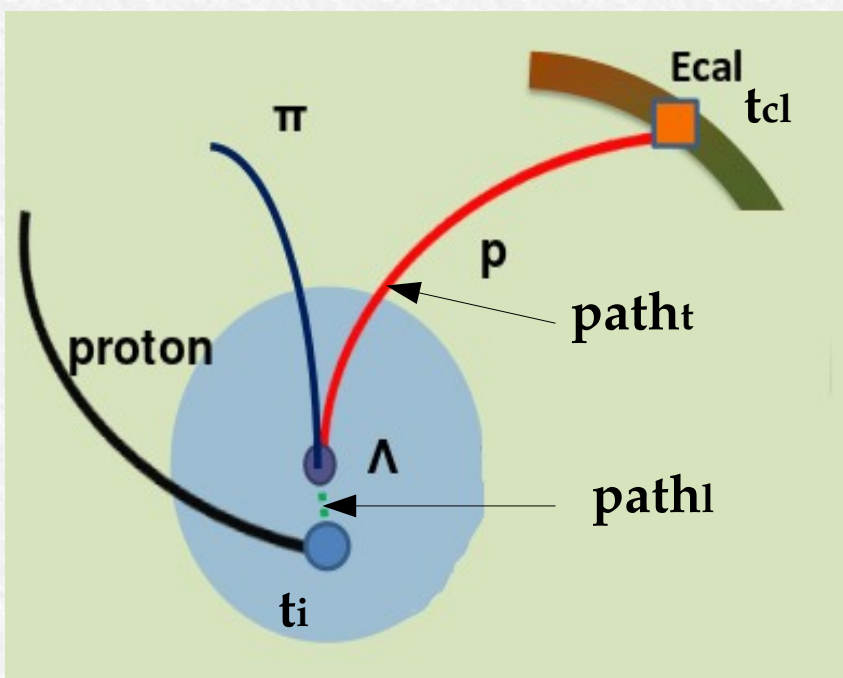
$$mass = p_p \cdot \sqrt{1 / (v_p^2 / c^2)}$$

Hadronic interaction vertex reconstruction

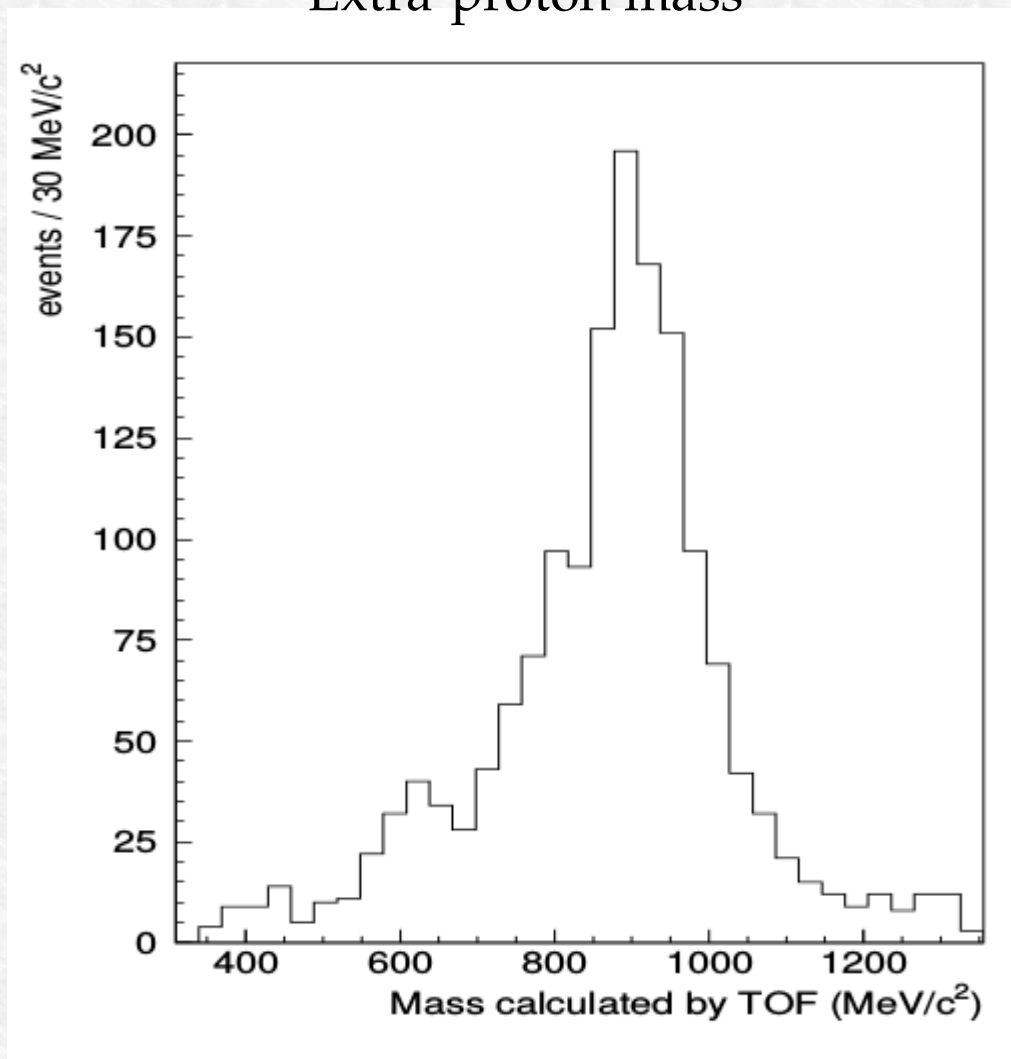
Resolutions:

From MC simulations of
 K^- absorption in ${}^4\text{He}$

p_Λ	$0.49 \pm 0.01 \text{ MeV}/c$
p_p	$2.63 \pm 0.07 \text{ MeV}/c$
$M_{\Lambda p}$	$1.10 \pm 0.03 \text{ MeV}/c^2$
r_{vertex}	$0.12 \pm 0.01 \text{ cm}$

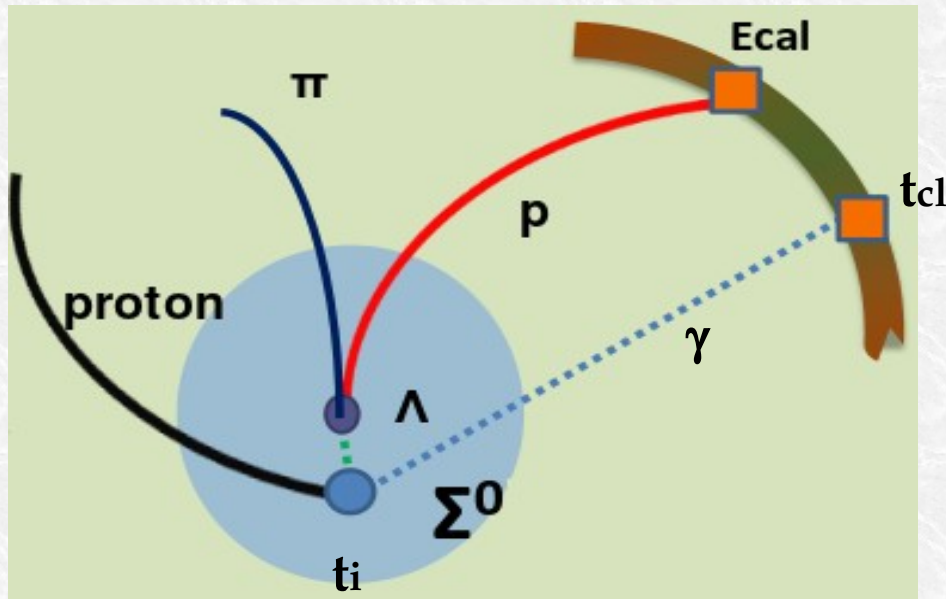


Extra-proton mass



Hadronic interaction vertex reconstruction

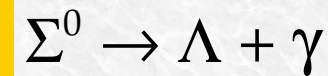
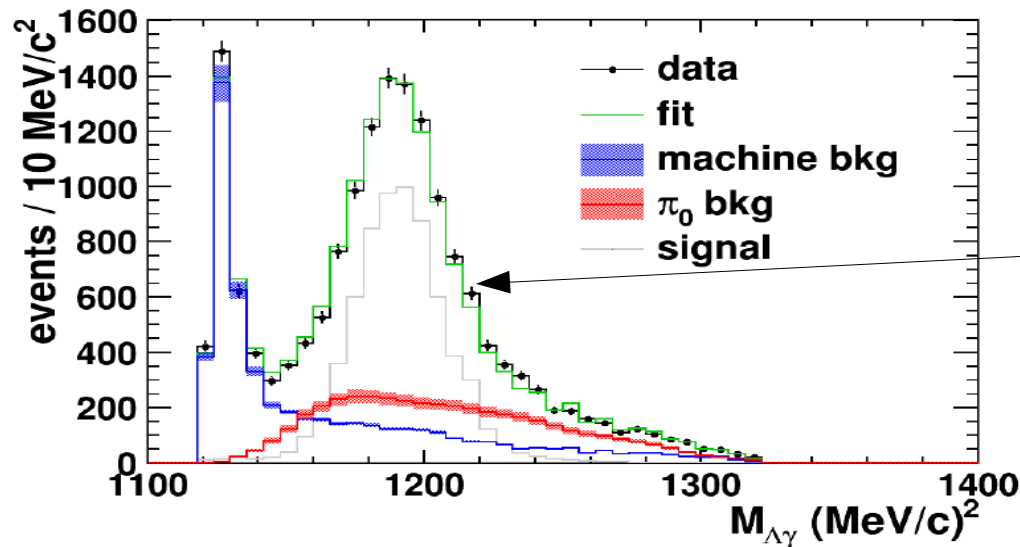
Additional photon signal at the hadronic vertex is required to select $\Sigma^0 p$ events.



The photon candidate selection:

1. search for neutral clusters in the calorimeter
2. calculate the hadronic interaction time t_i , using the time of the cluster of one of the lambda decay particles
3. calculate the distance between the hadronic vertex and the cluster position
4. the requirement is

$$\text{Time of flight} = t_{cl} - t_i = \text{path}_\gamma / c$$

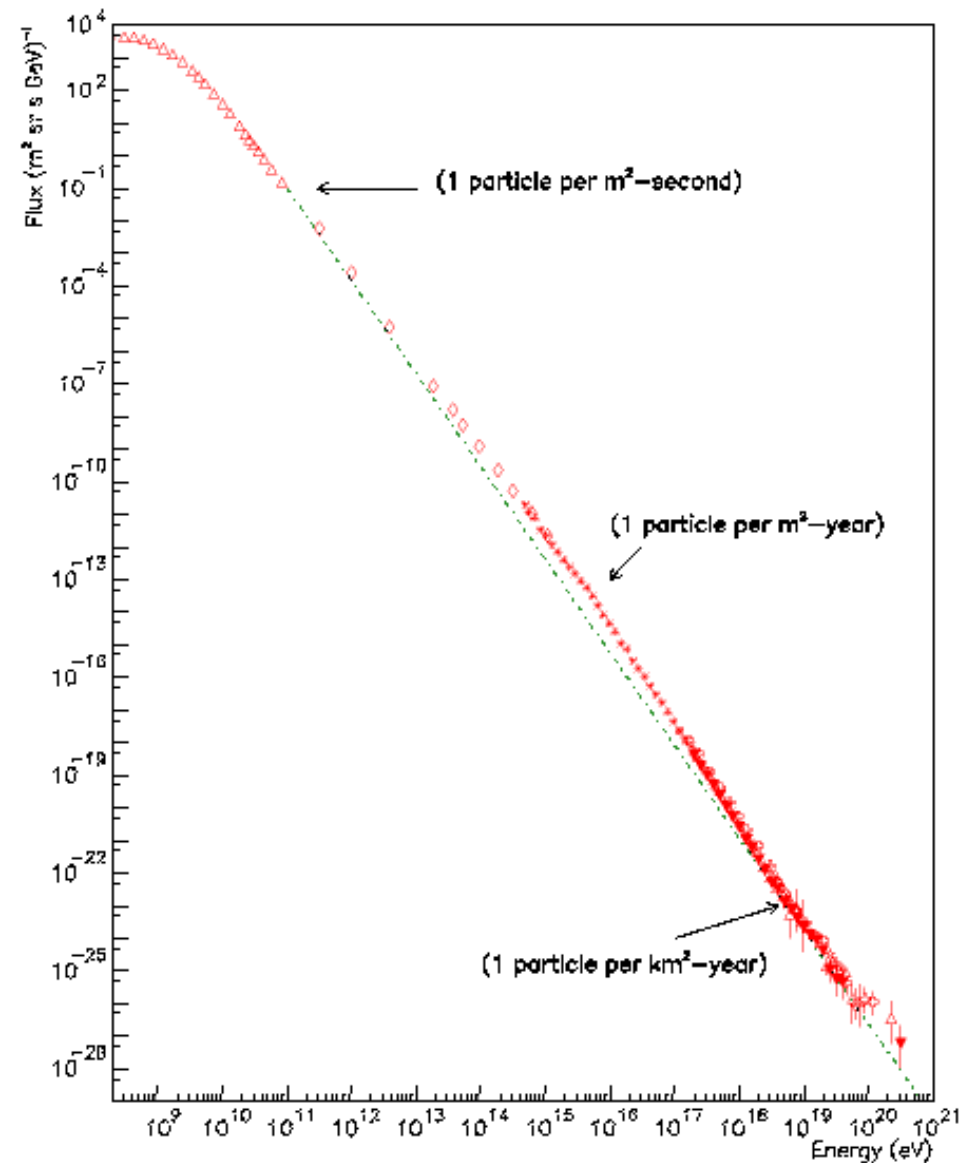


I Raggi Cosmici

Sono particelle provenienti dalle differenti regioni dello spazio, intra- ed extra-galattiche.

Permettono di raccogliere informazioni sulla composizione dell'Universo lontano

Lo spettro di energia si estende su 21 ordini di grandezza.



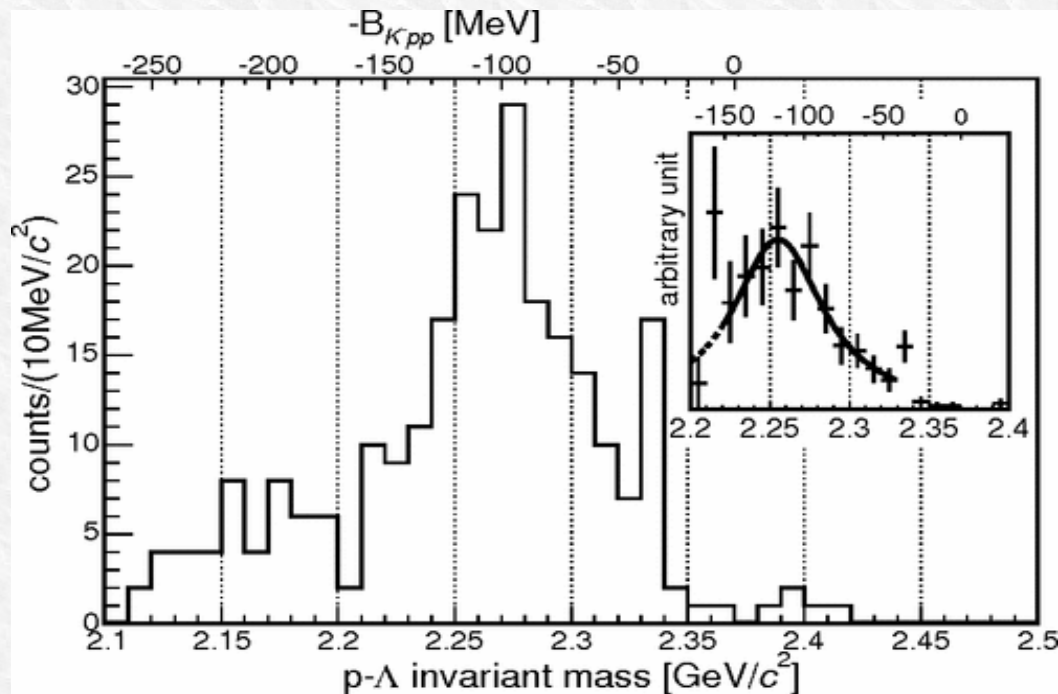
Experimental studies in the Λp decay channel

- through K^- absorption experiments $K^- X \rightarrow \Lambda p X'$

FINUDA at DAΦNE ($X = {}^6\text{Li}, {}^7\text{Li}, {}^9\text{Be}$)

[M. Agnello et al., PRL94, 212303, 2005]

Invariant mass spectroscopy



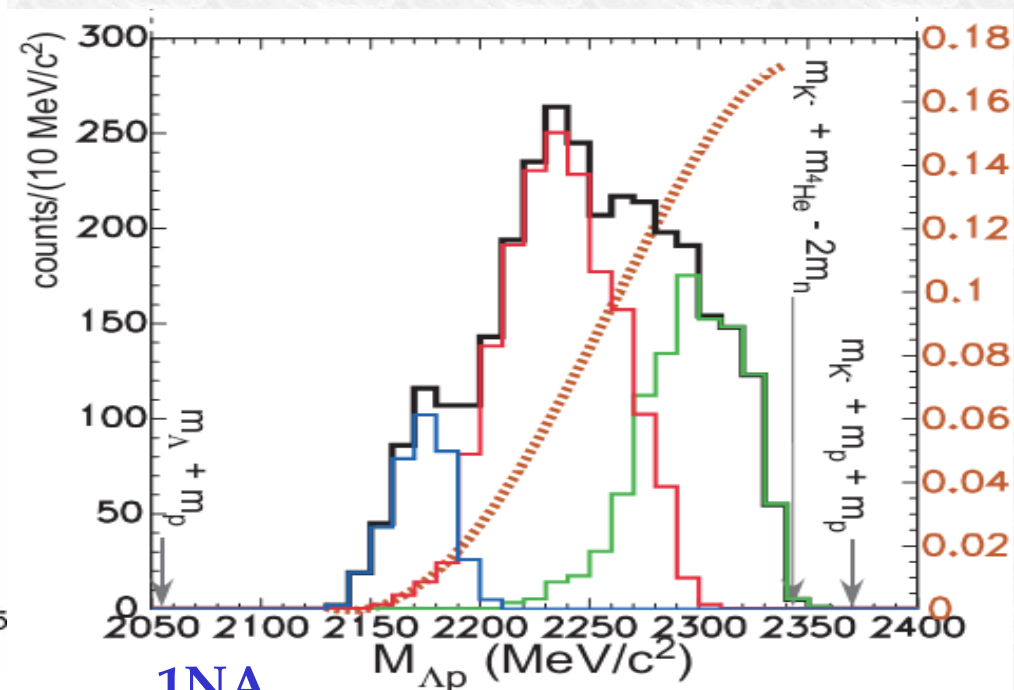
$$B = 115^{+6}_{-5} (\text{stat})^{+3}_{-4} (\text{sys}) \text{ MeV}$$

$$\Gamma = 67^{+14}_{-11} (\text{stat})^{+2}_{-3} (\text{sys}) \text{ MeV}$$

E-549 at KEK ($X = {}^4\text{He}$)

[T. Suzuki et al., MPLA,23,2520, 2008]

Missing mass spectroscopy



1NA

$\Sigma N/\Lambda N$ - DBKNS

2NA