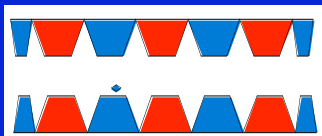


Beam measurements with wigglers at DAΦNE

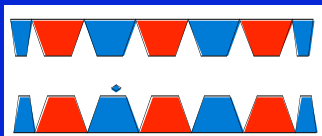
M.E. Biagini, INFN-LNF



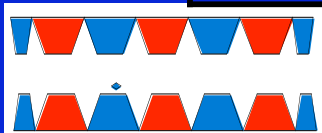
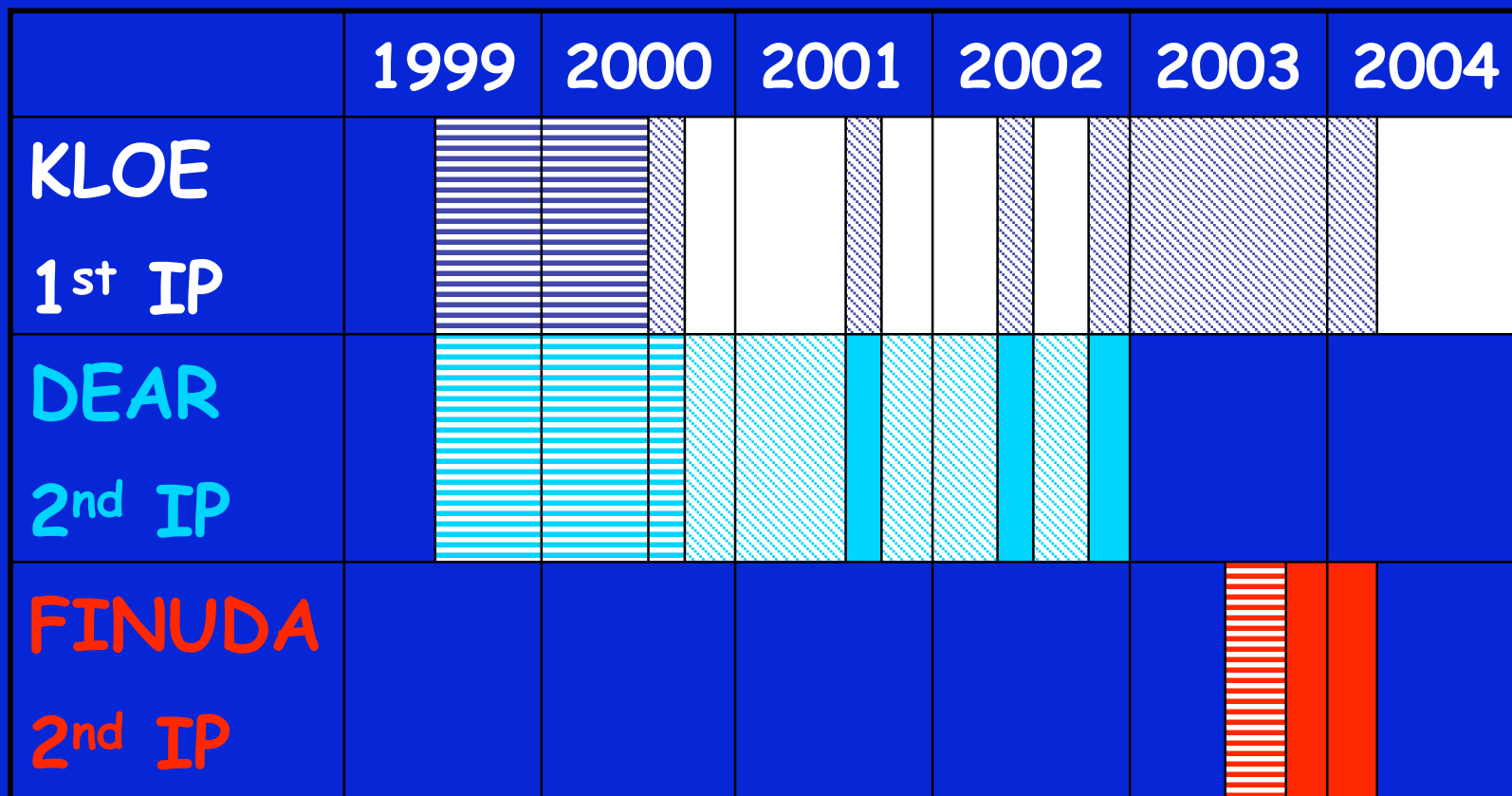
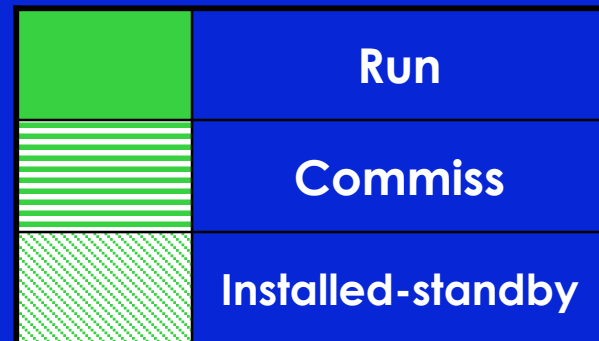
WIGGLE 2005, 21-22 Feb. 2005

DAΦNE

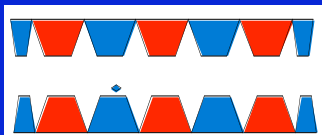
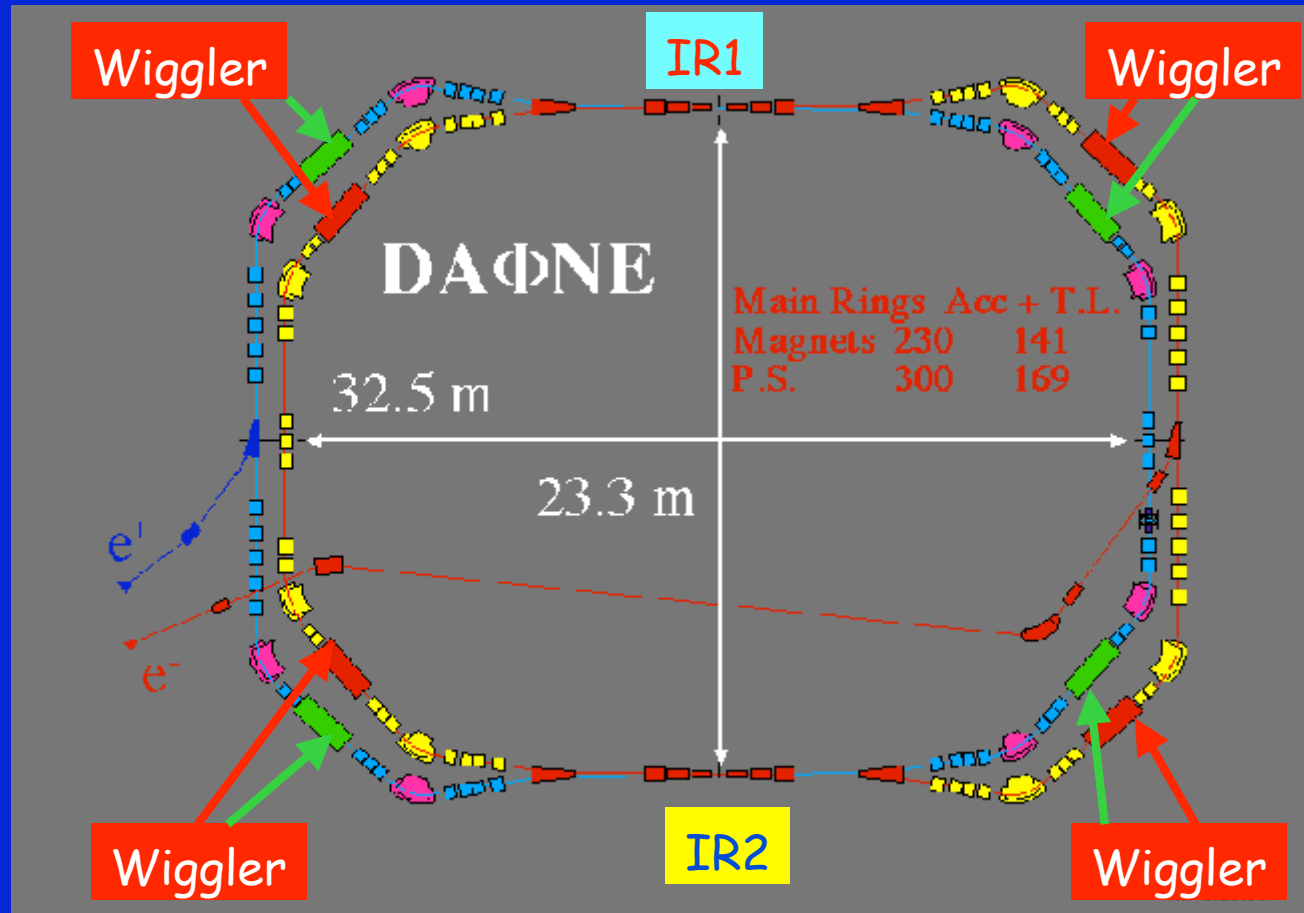
- DAΦNE has 2 Interaction Regions hosting 3 detectors:
 - KLOE in IR1
 - DEAR and FINUDA sharing IR2
- 3 different lattice configurations
- Non linearities were first detected during KLOE operation
- First n.l. measurements in Dec. 2000



DAΦNE experiments



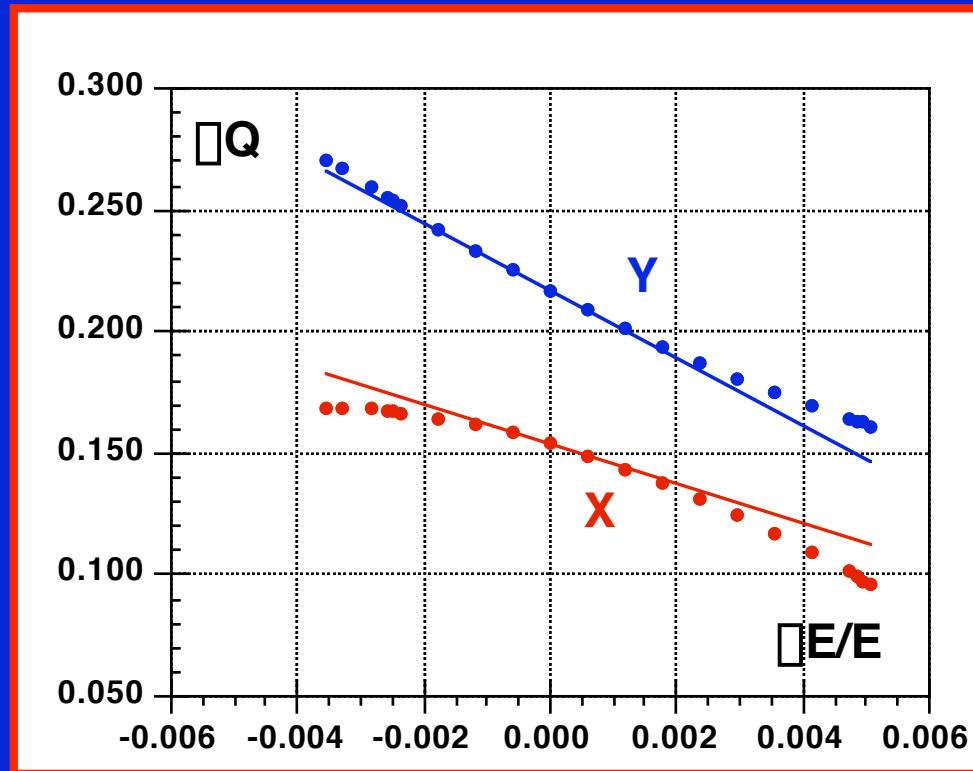
DAΦNE



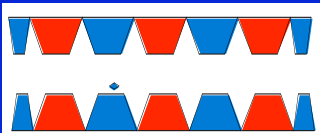
WIGGLE 2005, 21-22 Feb. 2005

DAΦNE non linearities

- Detected by measuring a non linear tune shift with energy **without sextupoles**
- Responsible for dynamic aperture reduction, also affecting beam-beam performances

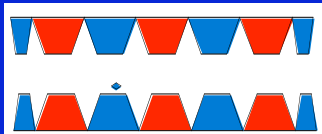


Tune shift vs energy
Sextupoles OFF



Investigations

- Known sources of non linearities: **sextupoles**, **"C" correctors**
- **Wigglers**, due to their limited pole width, can be also source of non linearity
- Checked wiggler effect by measuring **tune shift vs beam position**, with x-orbit bumps at the wiggler location (y aperture not sufficient)
- Beam **decoherence** and **tune shift with energy** also measured



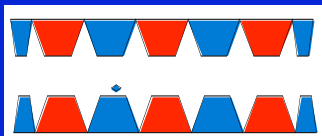
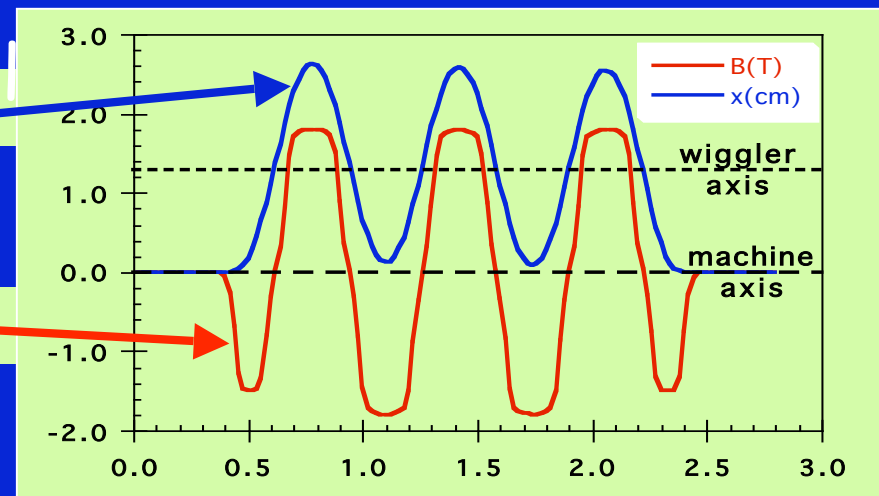
DAΦNE Wigglers

- 4 wigglers for each ring
- Used to increase radiation damping and quantum fluctuations
- $B_{\max} = 1.85 \text{ T}$, $L_w = 2 \text{ m}$
- Beam trajectory: $x = 2.5 \text{ cm}$ peak-to-peak
- Wiggler axis displaced w.r.t. machine axis
- Optics designed with wiggler



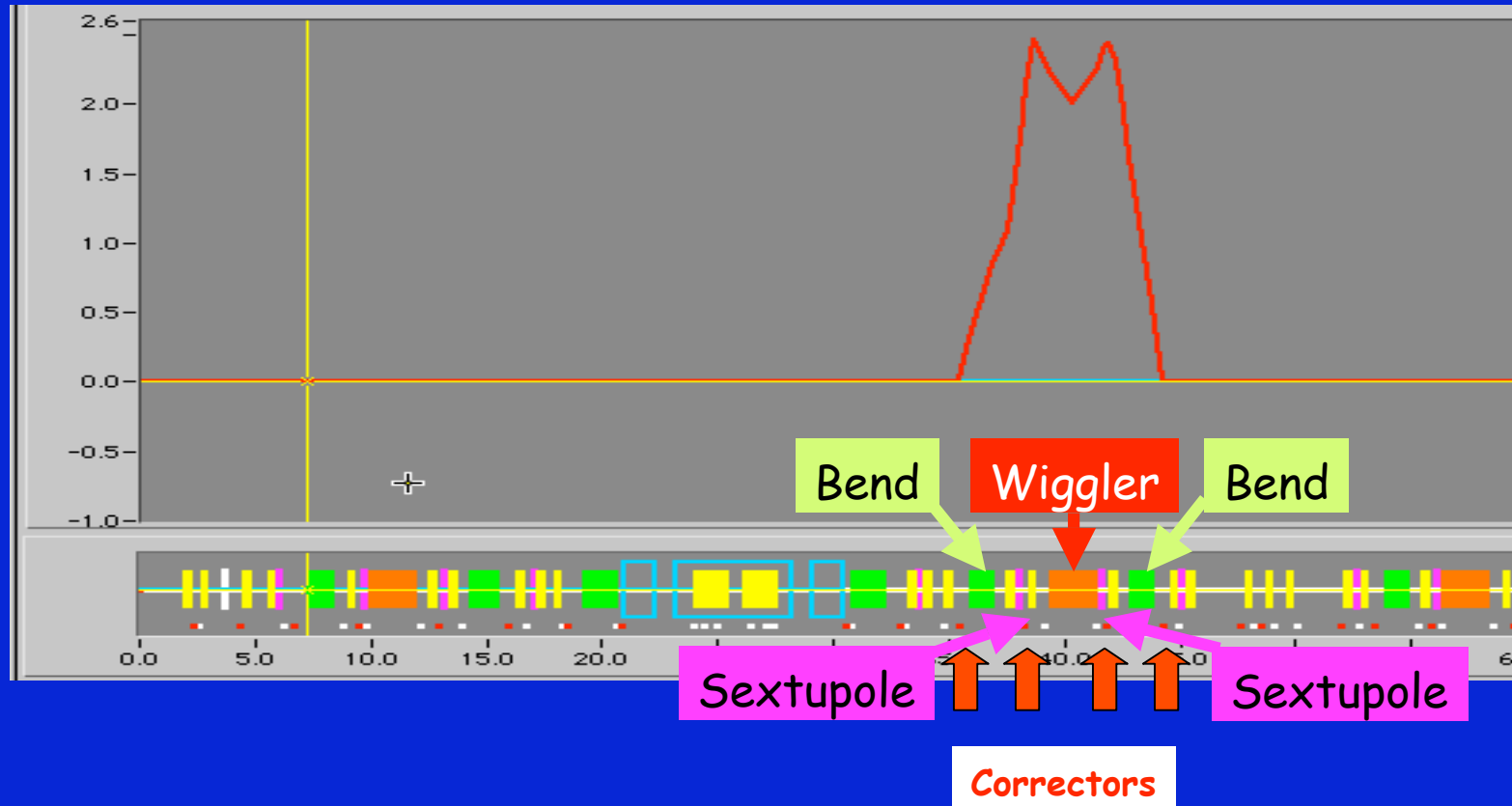
Beam trajectory

Wiggler field

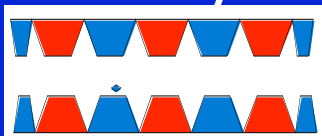


WIGGLE 2005, 21-22 Feb. 2005

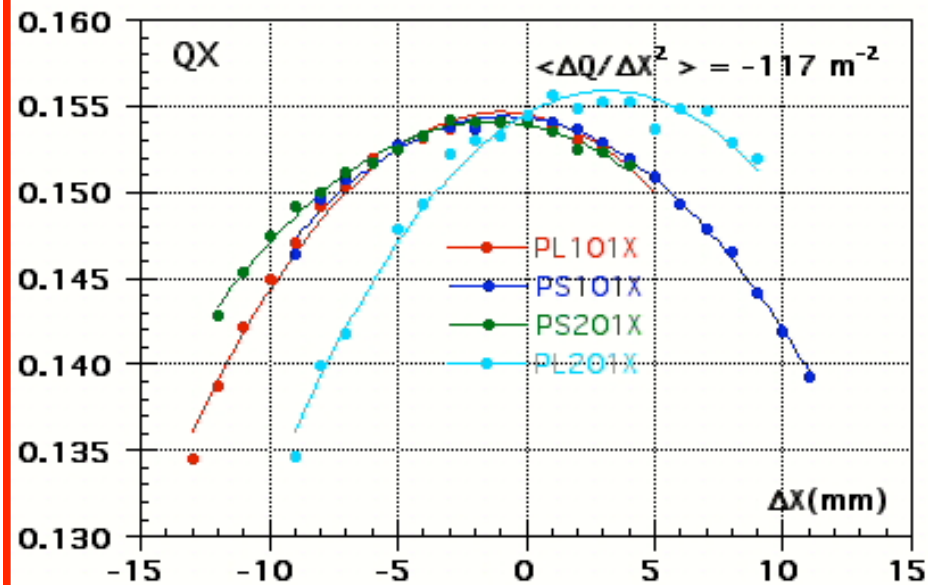
"Theoretical" closed orbit bump in wiggler with 4 horizontal correctors



The energy change induced by the correctors was corrected by changing the RF frequency. Sextupoles were OFF



Horizontal tune vs X amplitude

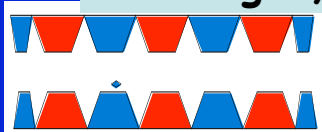


Horizontal tune fits well with a quadratic behaviour, typical of an "octupole-like" term. Slight displacement at $x=0$ due to residual orbit displacement at wigglers

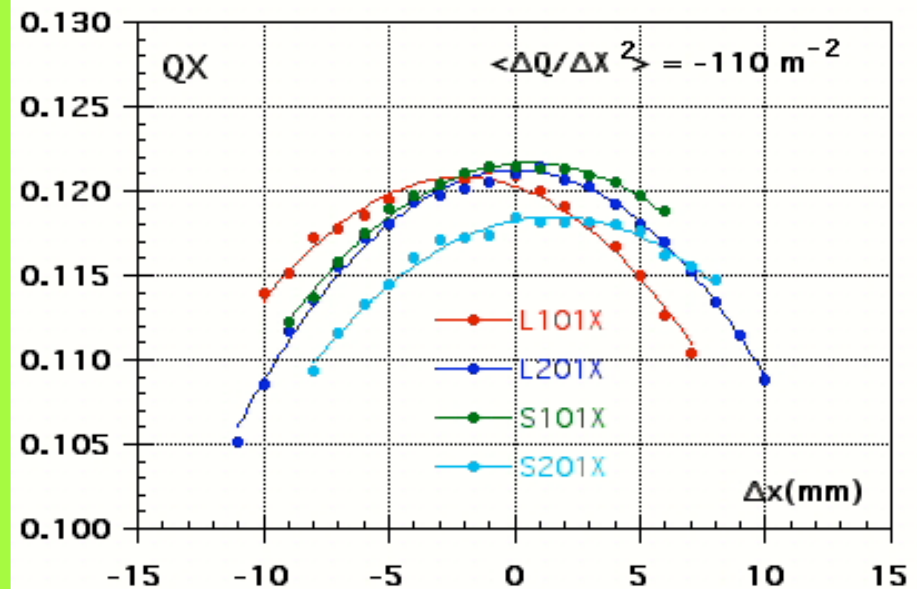
e^+ ring

Average $\langle Q \rangle$ value is comparable in the 2 rings

M. Preger, DAΦNE M.A.P., Jan. 2001

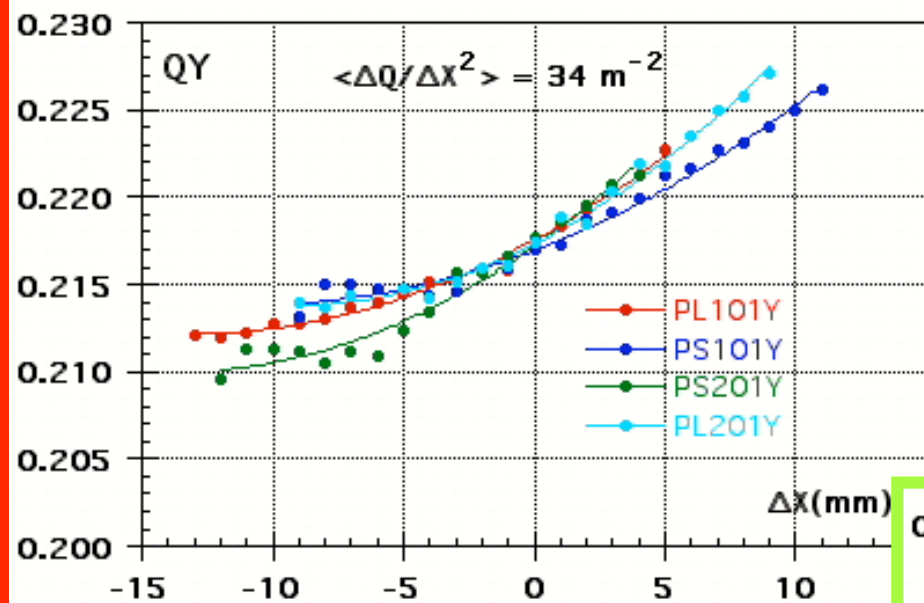


WIGGLE 2005, 21-22 Feb. 2005

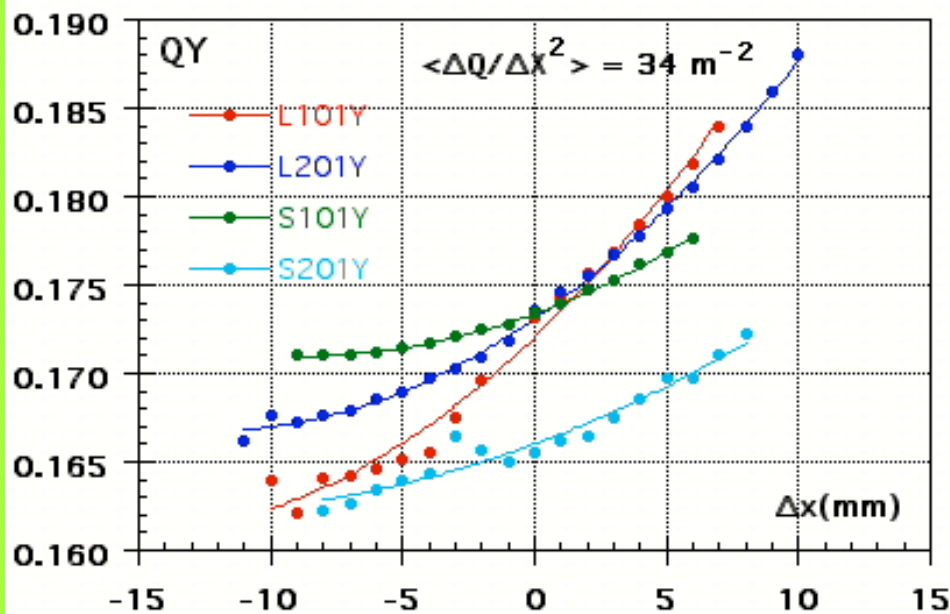


e^- ring

Vertical tune vs X amplitude

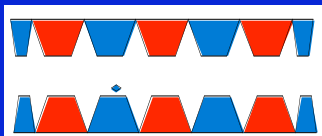


Vertical tune behaviour shows a **small quadratic** term + **large linear** term, due to c. orbit displacement in dipoles inside the bump

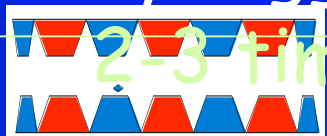


e^+ ring

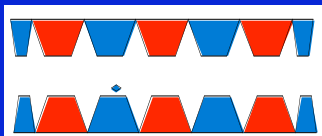
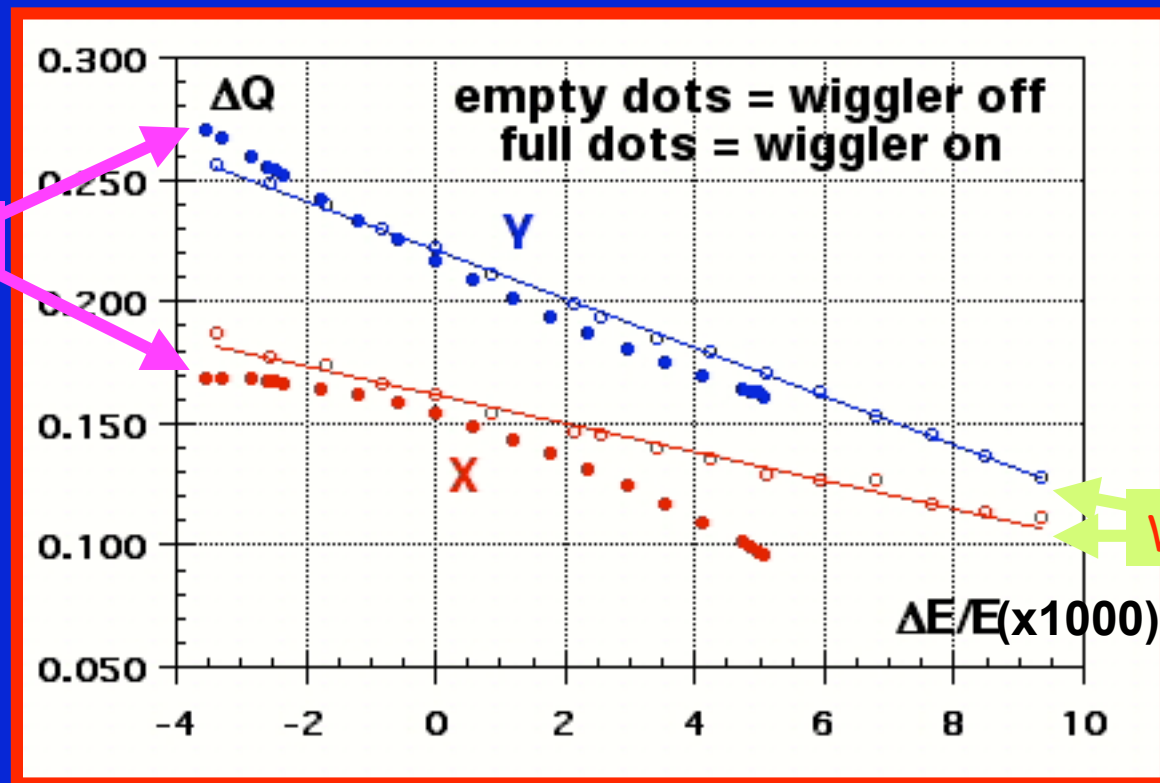
e^- ring



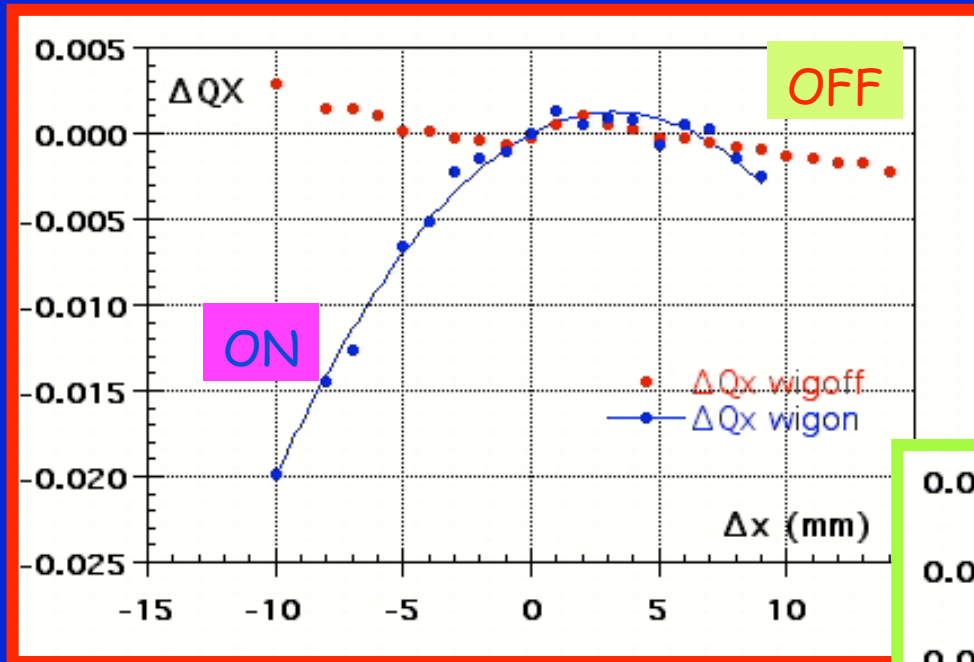
- Strong **octupole-like** term measured in wigglers, coming from **decapole term** in wiggler field combined with **oscillating trajectory**
- **Vertical tune** showed a **sextupole term**. This may be explained by contributions from nearby bending magnets
- Designed lattice with **wigglers OFF** and similar optical functions in the arc to quantify wigglers contribution
- **Wiggler OFF** lattice more sensitive to transverse beam instabilities because **Landau damping** induced by wigglers was suppressed and damping time was



Tune shift vs energy with sextupoles OFF, wigglers ON & OFF

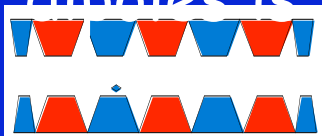
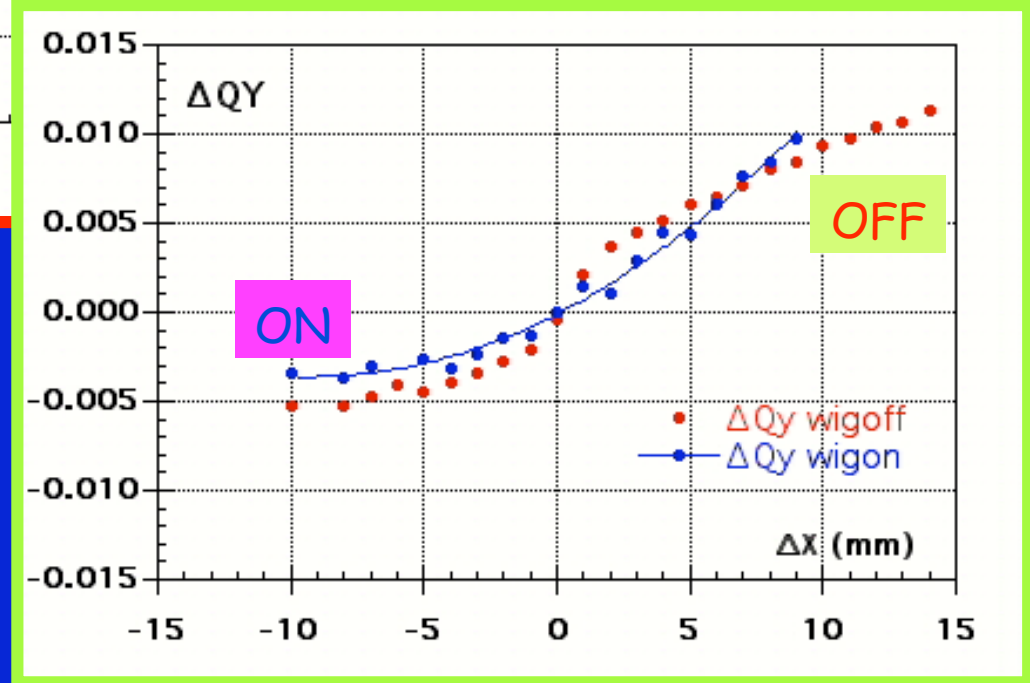


Tune shift vs x-amplitude in one wiggler

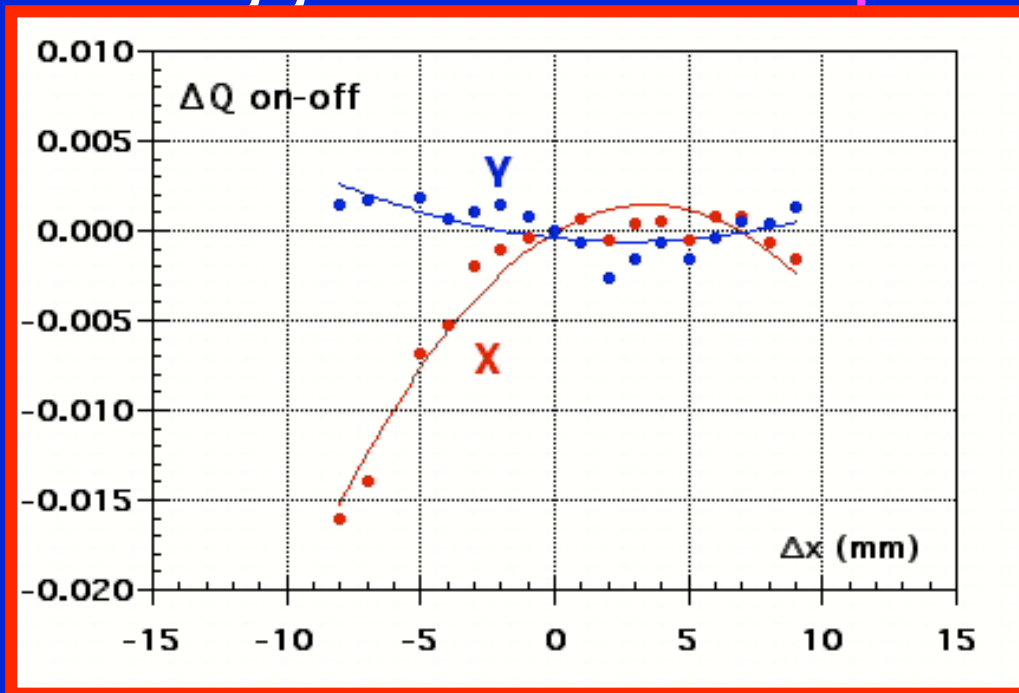


Horizontal tune,
wiggler ON & OFF:
mostly linear for wiggler
OFF, with a small
contribution from dipoles

Vertical tune,
wiggler ON & OFF:
small change, ΔQ_y in wigglers
is small, while ΔQ_y in nearby
dipoles is large



- Wiggler contribution isolated by subtracting measurement with wigglers **OFF** from the corresponding one with wigglers **ON**: octupole term



$$\frac{\partial Q_x}{\partial x^2} \approx -127 \text{ m}^{-2}$$

$$\frac{\partial Q_y}{\partial x^2} \approx +28 \text{ m}^{-2}$$

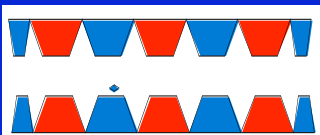
$$(\frac{\partial x}{\partial y} \approx 3)$$

MAD constant:

$$k_3 \approx -1000 \text{ m}^{-3}$$

(assuming $\langle \sigma \rangle \approx 3\text{m}$)

for each wiggler



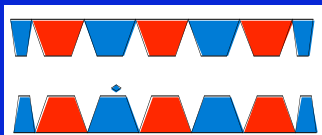
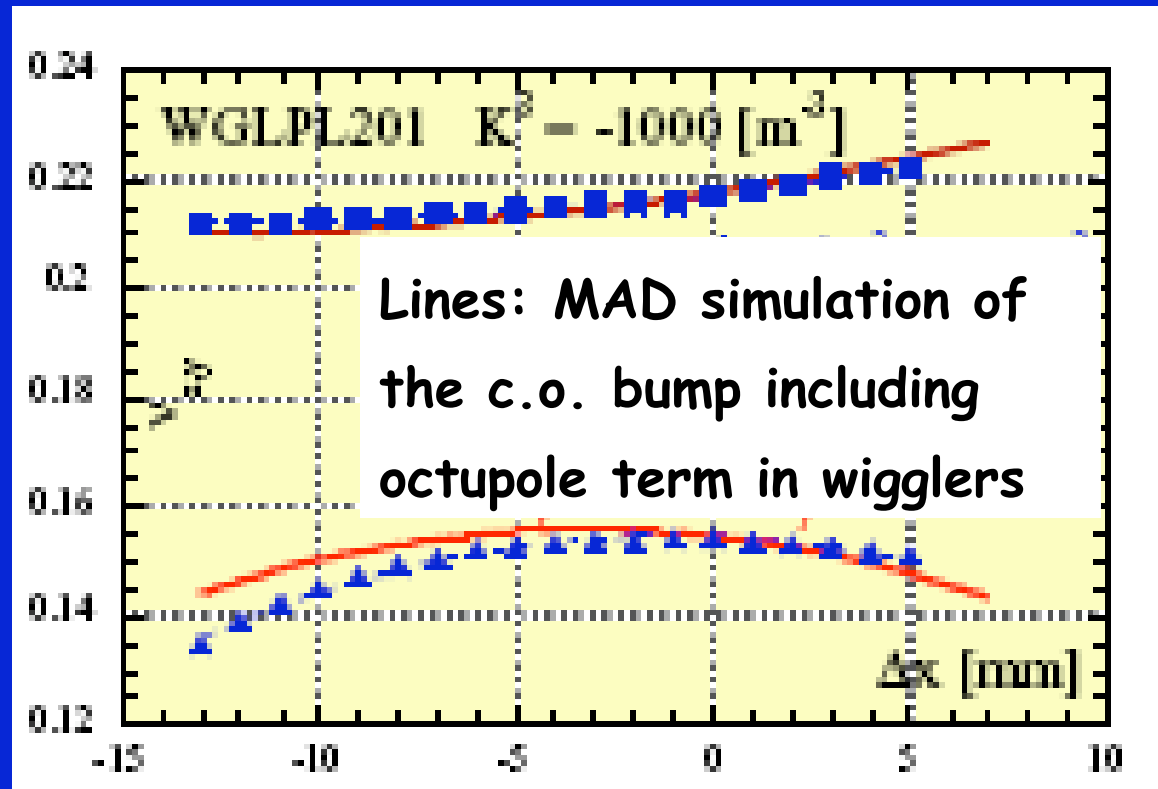
Simulation

	Meas	MAD	Meas	MAD
	x	x	y	y
$\langle \Delta x \rangle / (\Delta x)^2 \text{ (m}^{-2}\text{)}$	-129	-122	+31	+38

Comparison with
MAD model

Simulated x-bump
in one wiggler

C.Milardi et al, PAC2001



Tune shift with amplitude

- Parameter c_{11} , measuring the horizontal tune shift with particle amplitude, gives cubic nonlinearity strength (M. Zobov, DAΦNE Tech. Note G-57):

$$\Delta Q_x = 2c_{11}J_x$$

- c_{11} can be computed by fitting the turn-by-turn signal envelope from beam tracking system
- c_{11} slightly negative is better for dynamic aperture and beam-beam interactions



negligible for flat beam and small σ_y in wigglers

Beam decoherence

- Measured by a dynamic tracking system: coherent \square -tron oscillation excited by kicking the beam with injection kicker and storing turn-by-turn displacement (A. Drago et al, DIPAC 2001)

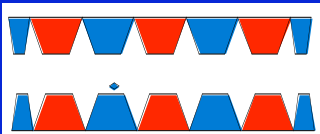
Decoherence
 $c_{11} < 0$

No decoherence
 $c_{11} > 0$

X Amplitude vs Nturn

Phase space plot

KLOE 2001



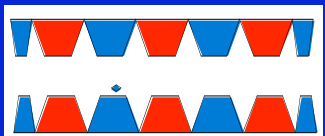
Wigglers ON

Wigglers OFF

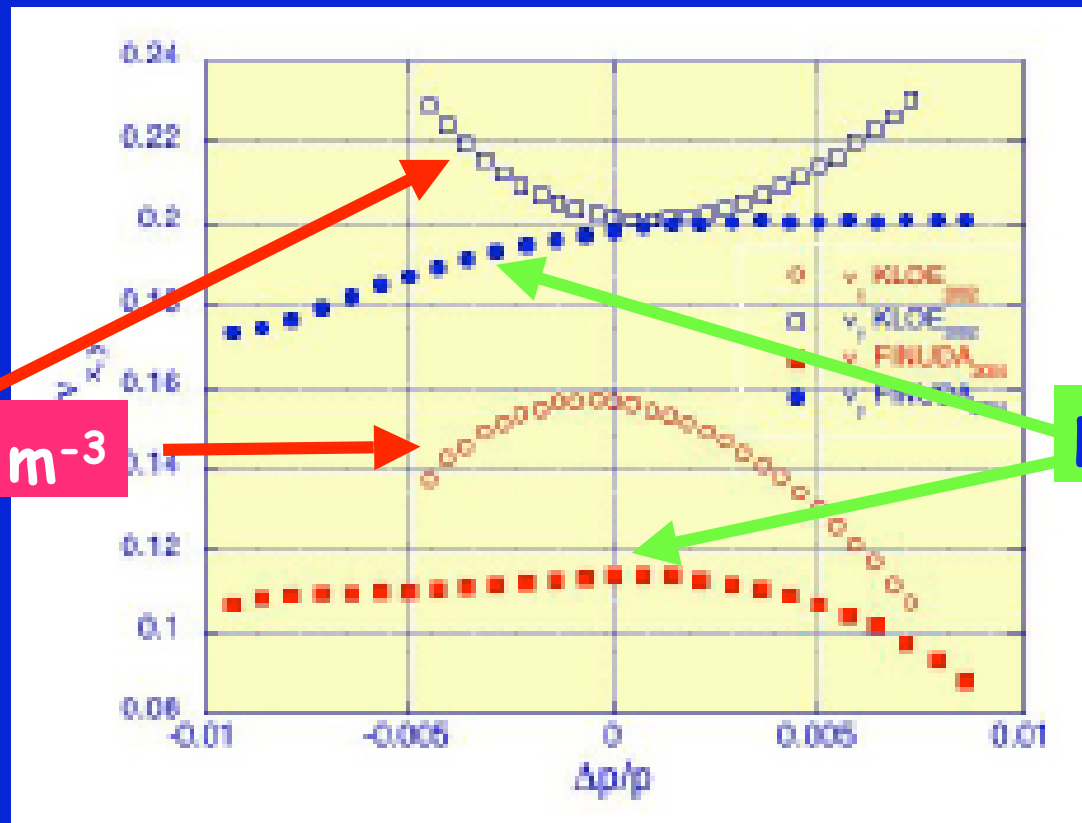
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Cures for non linearities

- Lowered β_x in wigglers
- Installed 3 octupole magnets/ring
- Optimized sextupole settings
- Modified wiggler poles (M. Preger's talk)

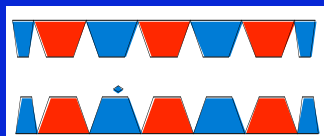


e+ ring tune shift vs energy before (KLOE) and after (FINUDA) w wigglers upgrade (2003)



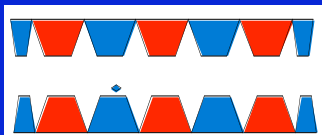
$k_3 = -840 \text{ m}^{-3}$

$k_3 = -180 \text{ m}^{-3}$

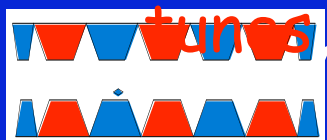


c_{11} for different configurations

CONFIG.	c_{11} (m^{-1})	Notes	CONFIG.	c_{11} (m^{-1})	Notes
KLOE 2000	-600	W ON, SXP ON	DEAR 2002	-450	W ON, SXP ON, OCT OFF
KLOE 2001	+400	W OFF, SXP OFF	DEAR 2002	-300	W ON, SXP ON, OCT ON
KLOE 2001	+200	W OFF, SXP ON	FINUDA 2004	-300	W ON, SXP ON, OCT OFF
KLOE 2001	-300	W ON -15%, SXP OFF	FINUDA 2004	-70	W ON, SXP ON, OCT ON
KLOE 2001	-170	W ON, Lower α_x^w	KLOE 2004	-140	W ON, SXP ON, OCT OFF
KLOE 2002	-80	W ON, SXP ON	KLOE 2004	-50	W ON, SXP ON, OCT ON
KLOE 2002	$\sim 0^*$	W ON, SXP ON, OCT ON	KLOE 2004	-10	W ON, SXP ON, OCT ON, high α_c



- **Negative c_{11}** provides Landau damping, beneficial to coherent beam instabilities
- **Positive c_{11}** affects BB causing beam blow-up and lifetime degradation
- The cubic non linearity changes **widely**, depending on \square functions and c.o.
- Larger negative contribution to c_{11} comes from **wigglers**
- **Sextupoles** contribution to c_{11} is also negative but smaller
- **Octupoles** give positive contribution to c_{11}
- Combined effect of cubic n. l. and bb depends on



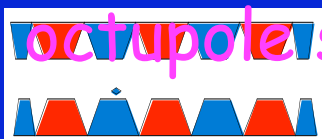
tunes BB tune shifts, n.l. strength and sign of c_{11}

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Decoherence with octupoles

FINUDA 2004

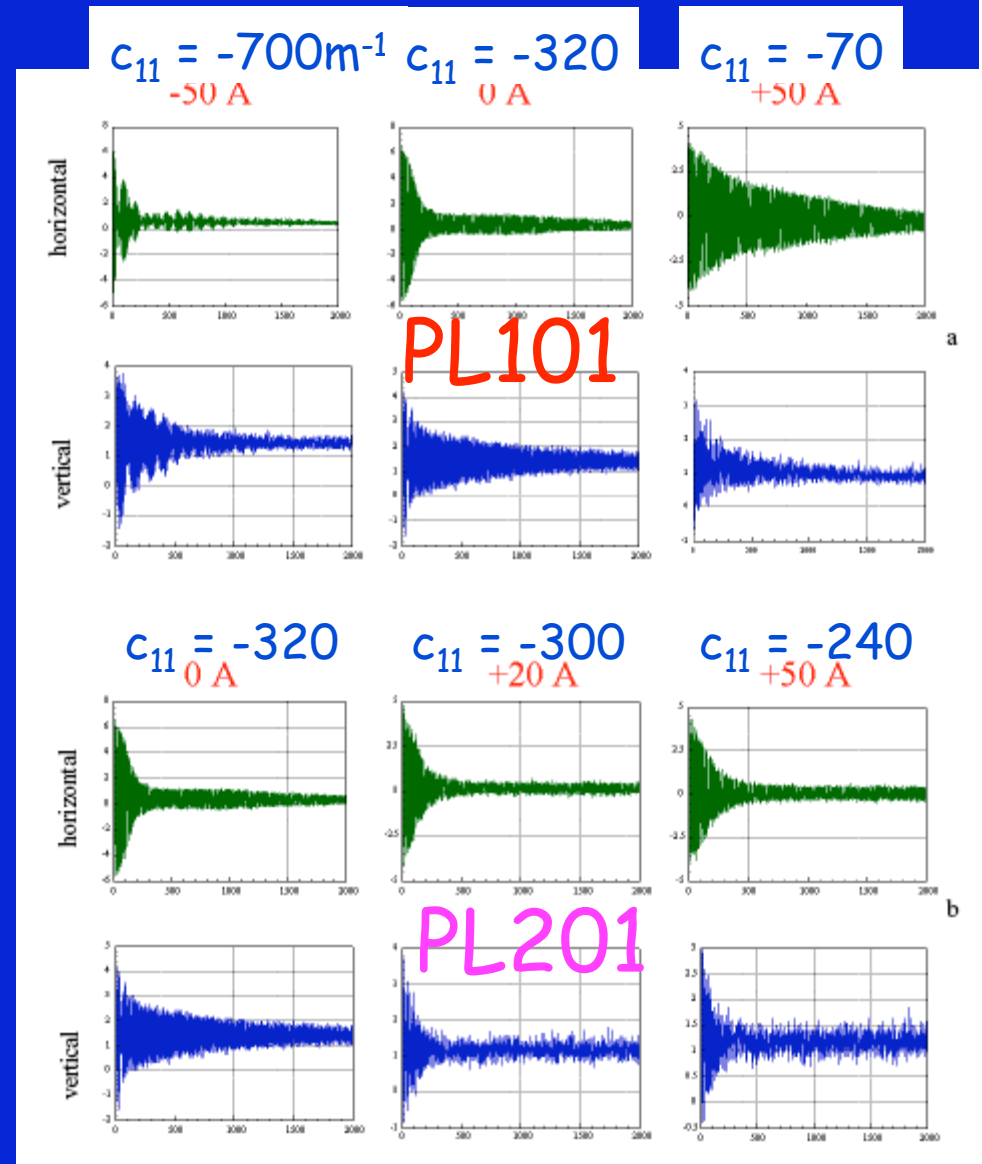
- 3 octupoles were installed in order to compensate for wiggler octupole-like effect, providing a knob to control c_{11}
- Octupoles are used in collision to optimize peak luminosity, lifetime and backgrounds
- Measurement of e^+ beam decoherence for different



octupole settings



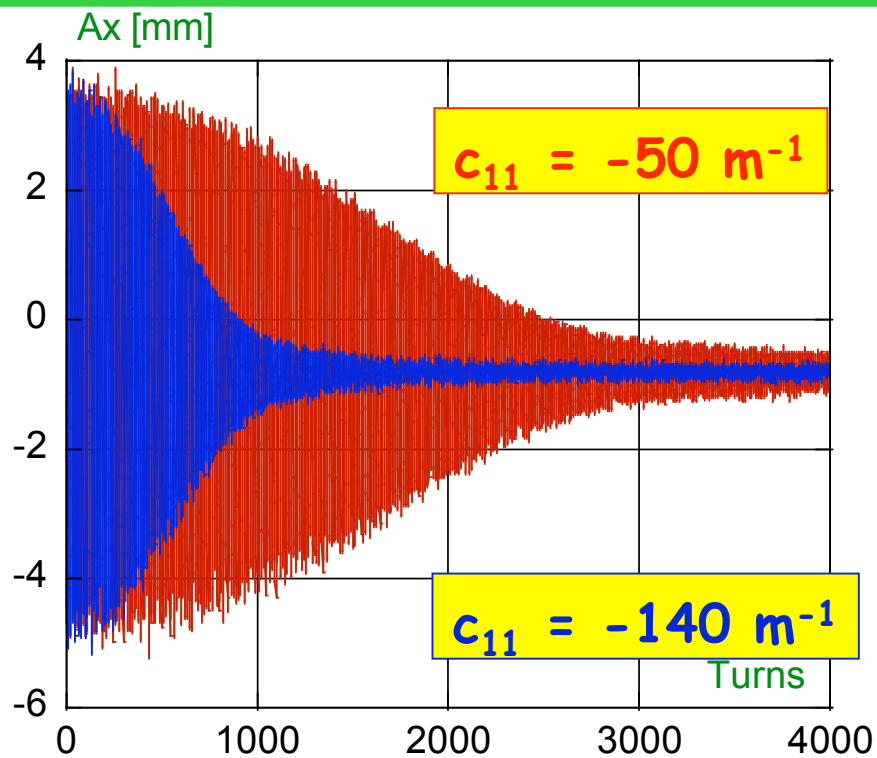
WIGGLE 2005, 21-22 Feb. 2005



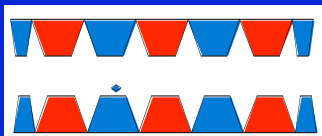
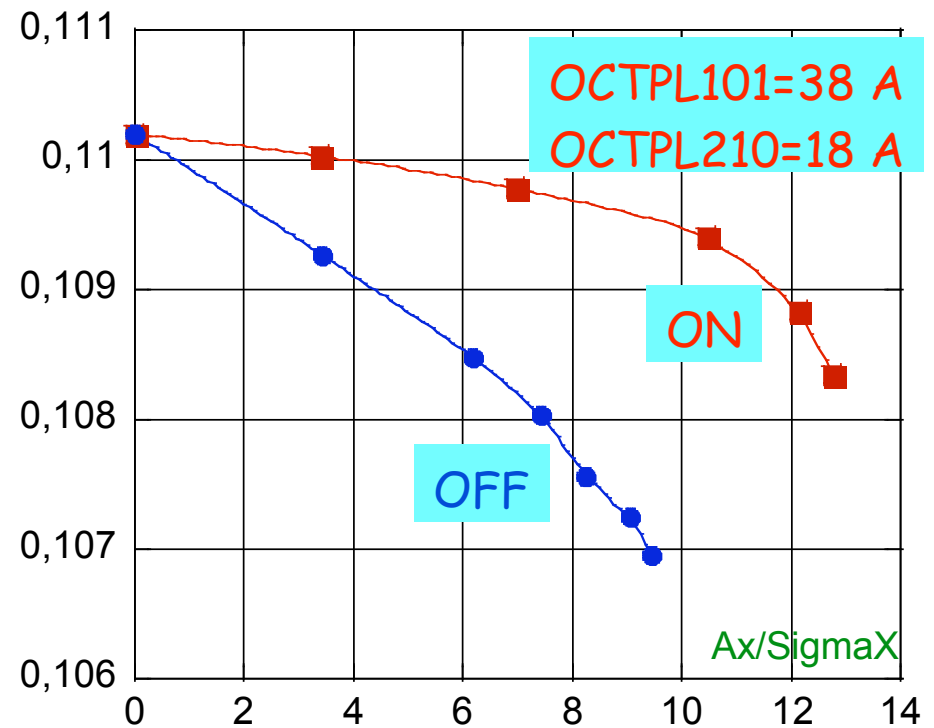
KLOE December 2004

Octupoles ON and OFF

Beam Decoherence



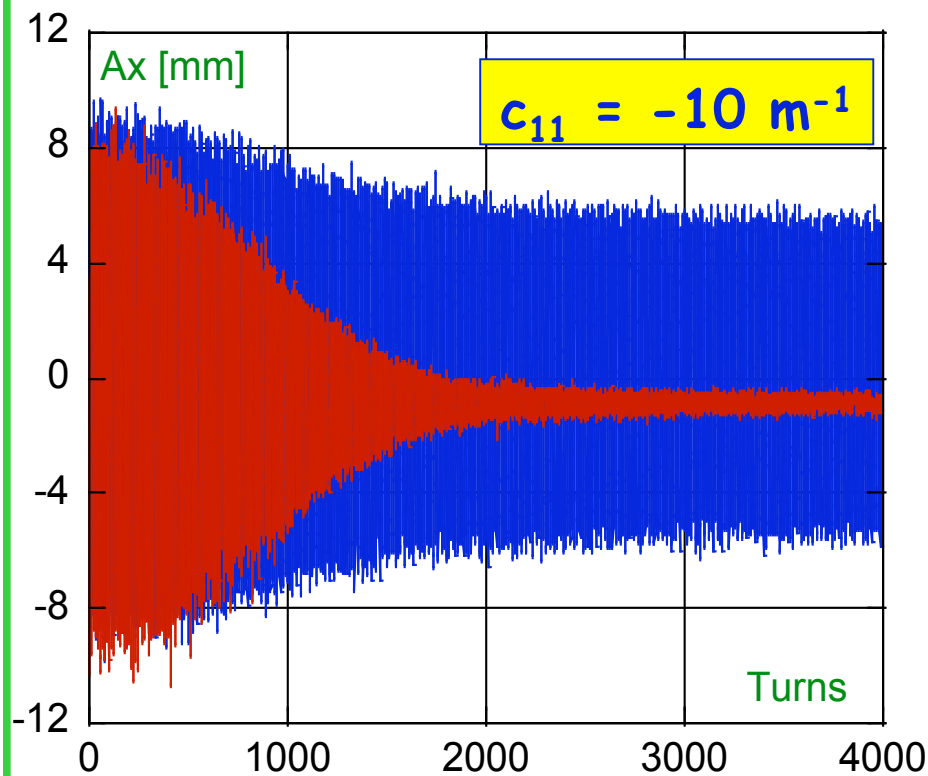
Tune Shift with Amplitude



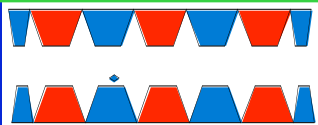
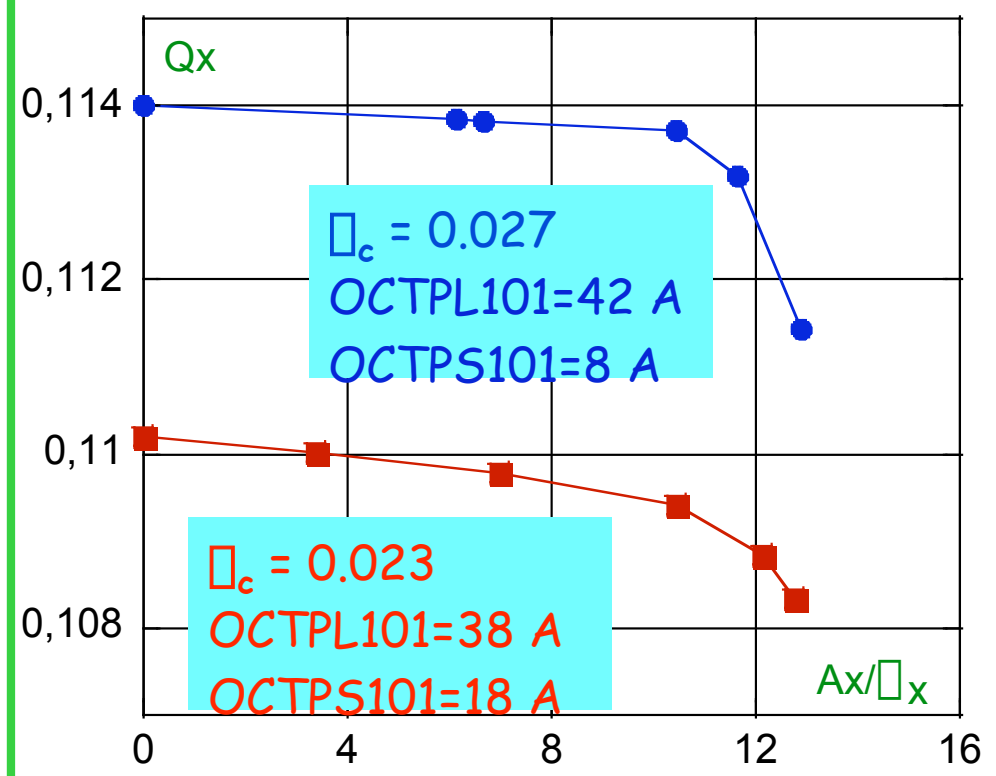
Comparison of 2 lattices

- Higher wiggler field, lower momentum compaction (0.023)
- Lower wiggler field, higher momentum compaction (0.027)

Beam Decoherence

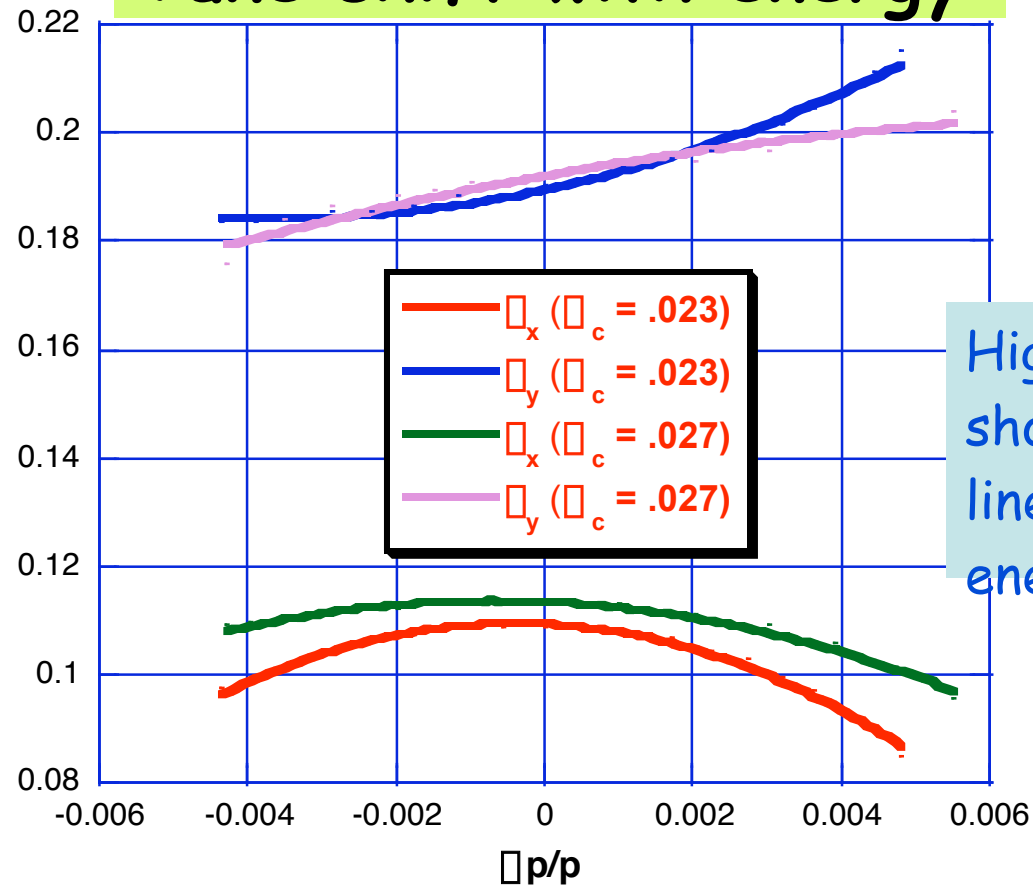


Tune Shift with Amplitude

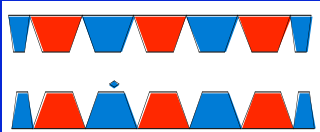


Comparison of 2 lattices

Tune shift with energy



High Δ_c lattice shows less non linearity and larger energy acceptance



Conclusions

- The 8 wigglers turned out to be the main source of DA-NE non linearities
- Lattice modifications and insertion of octupoles have been beneficial
- Wiggler pole modification strongly reduced non linearities
- Non linearities are smaller and under control for the present operation

