

# Vertexing Studies

Nicola Neri

for the Pisa BaBar Group

INFN Pisa

Maurizio Pierini

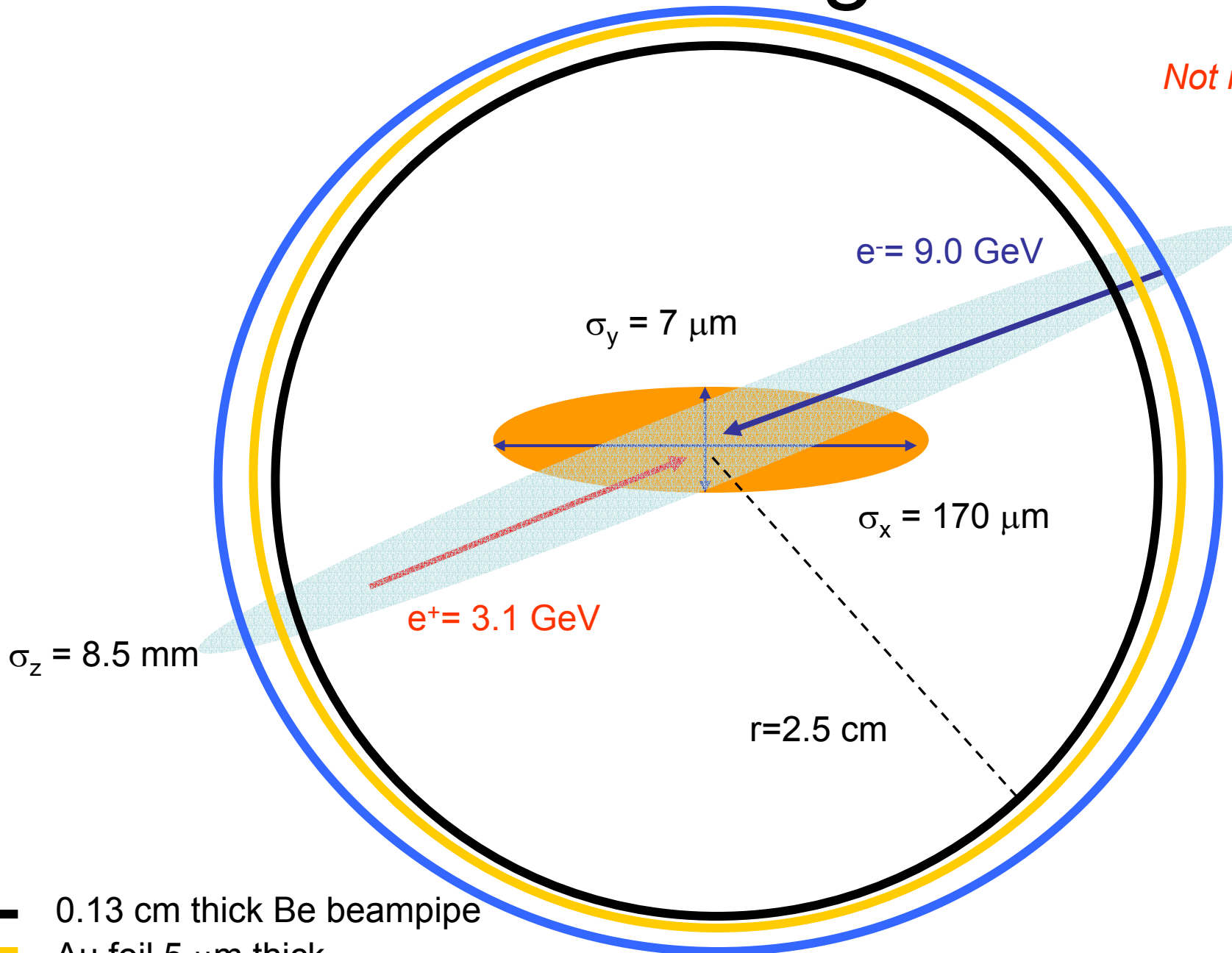
Wisconsin University

SuperB WorkShop

Frascati 11 Nov 2005

# Interaction region PEP

*Not in scale*



$\sigma_z = 8.5 \text{ mm}$

$e^- = 9.0 \text{ GeV}$

$\sigma_y = 7 \text{ }\mu\text{m}$

$\sigma_x = 170 \text{ }\mu\text{m}$

$e^+ = 3.1 \text{ GeV}$

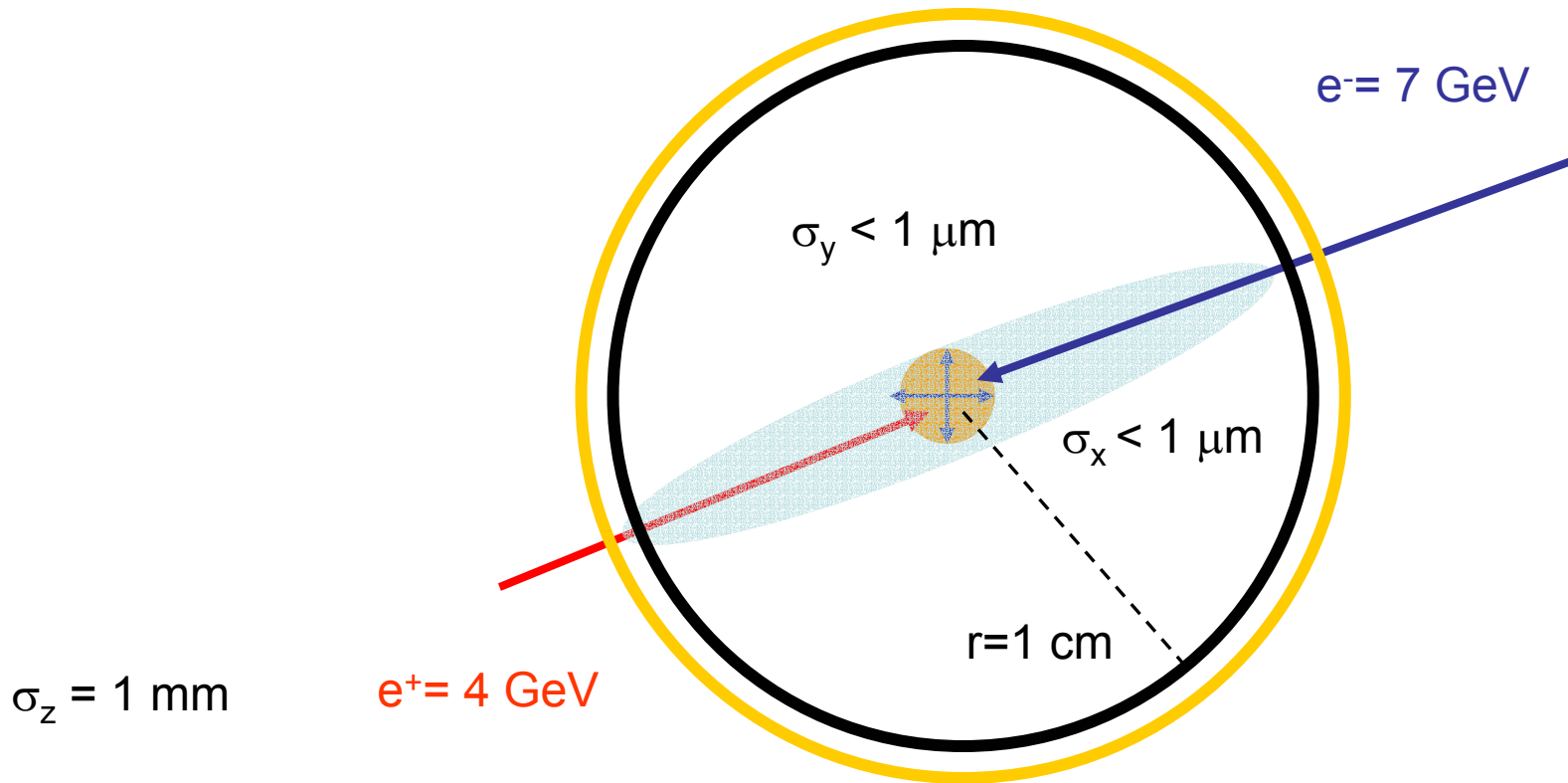
$r = 2.5 \text{ cm}$

- $0.13 \text{ cm}$  thick Be beampipe
- Au foil  $5 \text{ }\mu\text{m}$  thick
- $0.147 \text{ cm}$  thick cooling water
- $14 \text{ }\mu\text{m}$  Ni

Nicola Neri - SuperB WorkShop

# Interaction region SuperB

*Not in scale*



$\sigma_z = 1 \text{ mm}$

$e^+ = 4 \text{ GeV}$

$e^- = 7 \text{ GeV}$

$\sigma_y < 1 \mu\text{m}$

$\sigma_x < 1 \mu\text{m}$

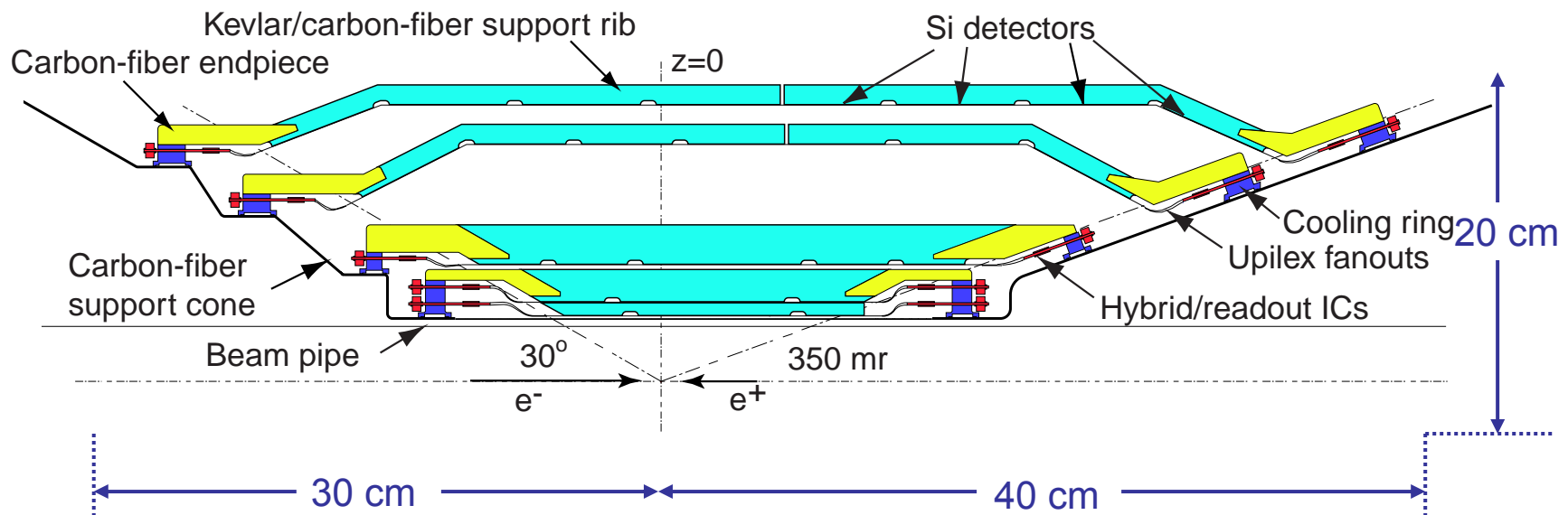
$r = 1 \text{ cm}$

- 0.03 cm thick Be beampipe
- Au foil 5  $\mu\text{m}$  thick

No cooling required in SuperB design “a la linear collider”

# The BaBar Silicon Vertex Tracker

- 5 Layers of double-sided, AC-coupled Silicon.
- Custom rad-hard readout IC (the AToM chip).
- Low-mass design. ( $Pt < 2.7 \text{ GeV}/c^2$  for B daughters)
- Stand-alone tracking for slow particles.
  - Inner 3 layers for angle and impact parameter measurement.
  - Outer 2 layers for pattern recognition and low Pt tracking.

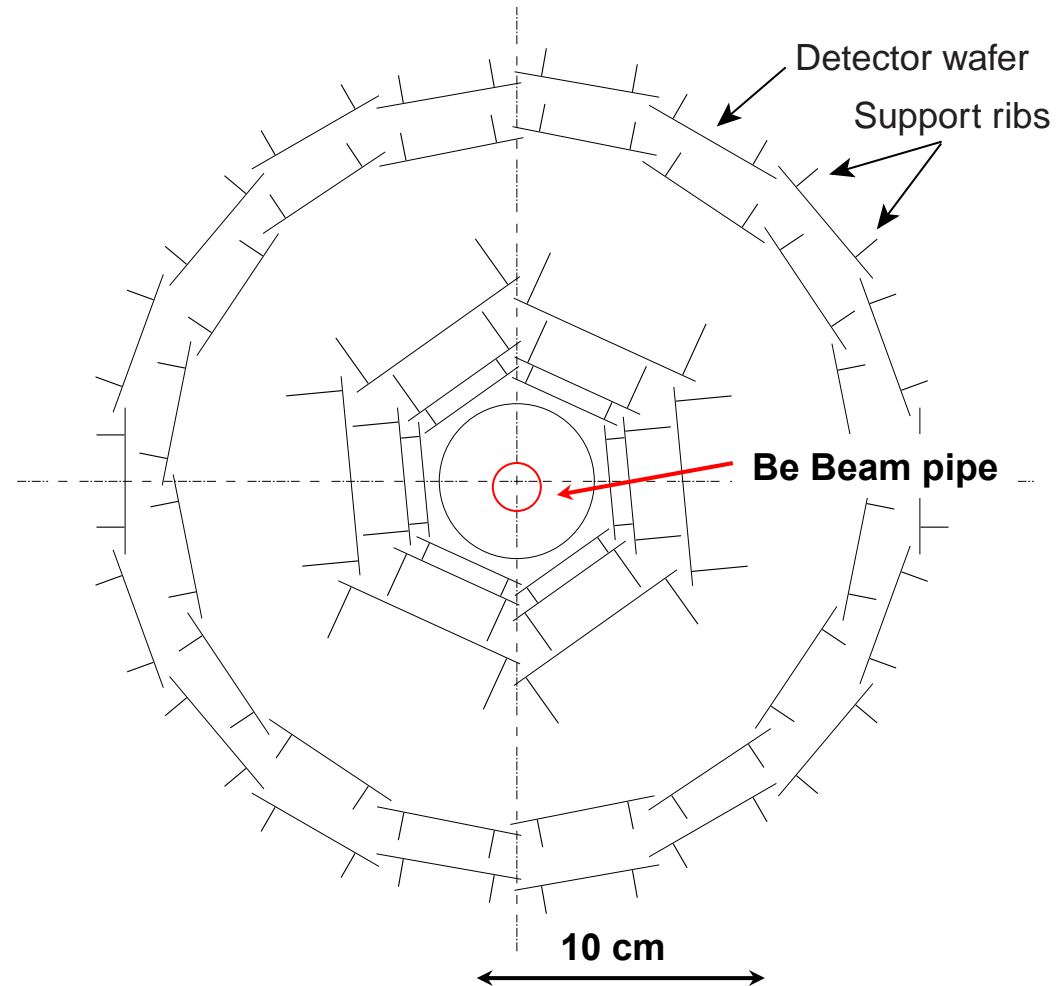


# SuperB SVT Geometry

<u>Layer</u>	<u>Radius</u>
0	1.05 cm
1	3.3 cm
2	4.0 cm
3	5.9 cm
4	9.1 to 12.7 cm
5	11.4 to 14.6 cm

ADDED →

- Added layer0
- Reduced beampipe radius 2.5→1cm
- Reduce Be thickness 1.3→0.3mm
- 5  $\mu\text{m}$  Au foil before layer0

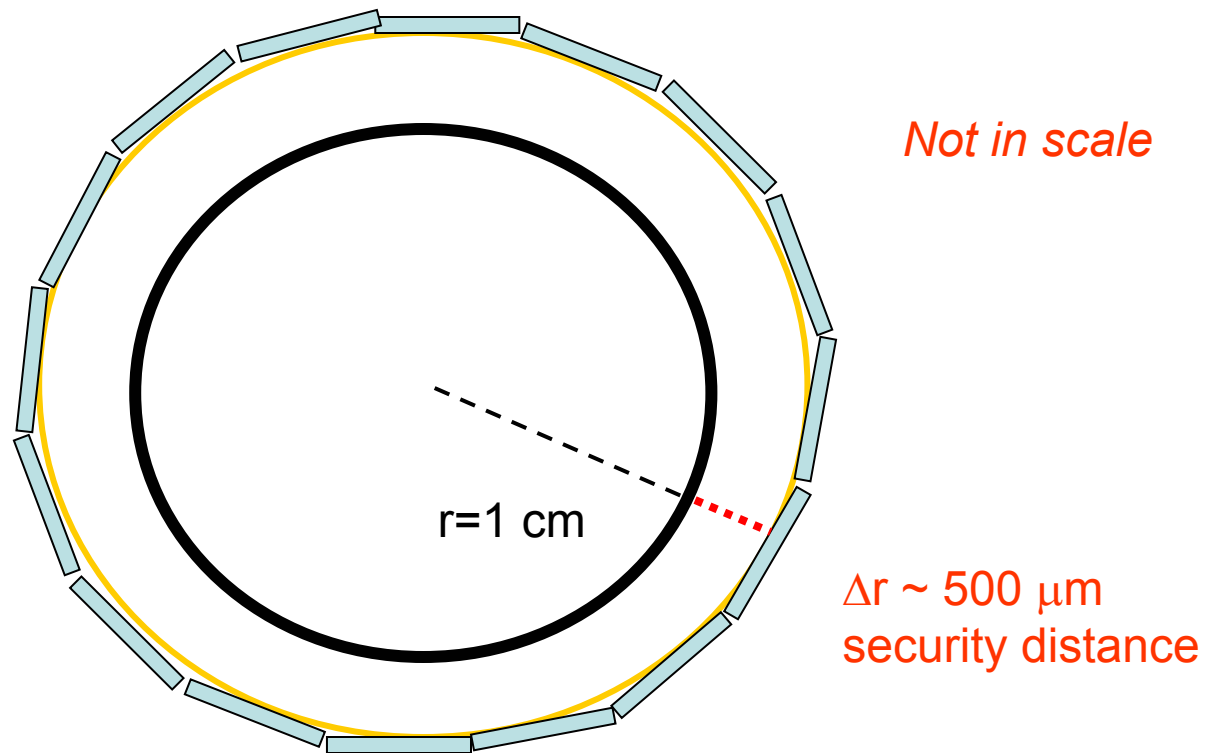


(Arched wedge wafers not shown)

# Layer0 design

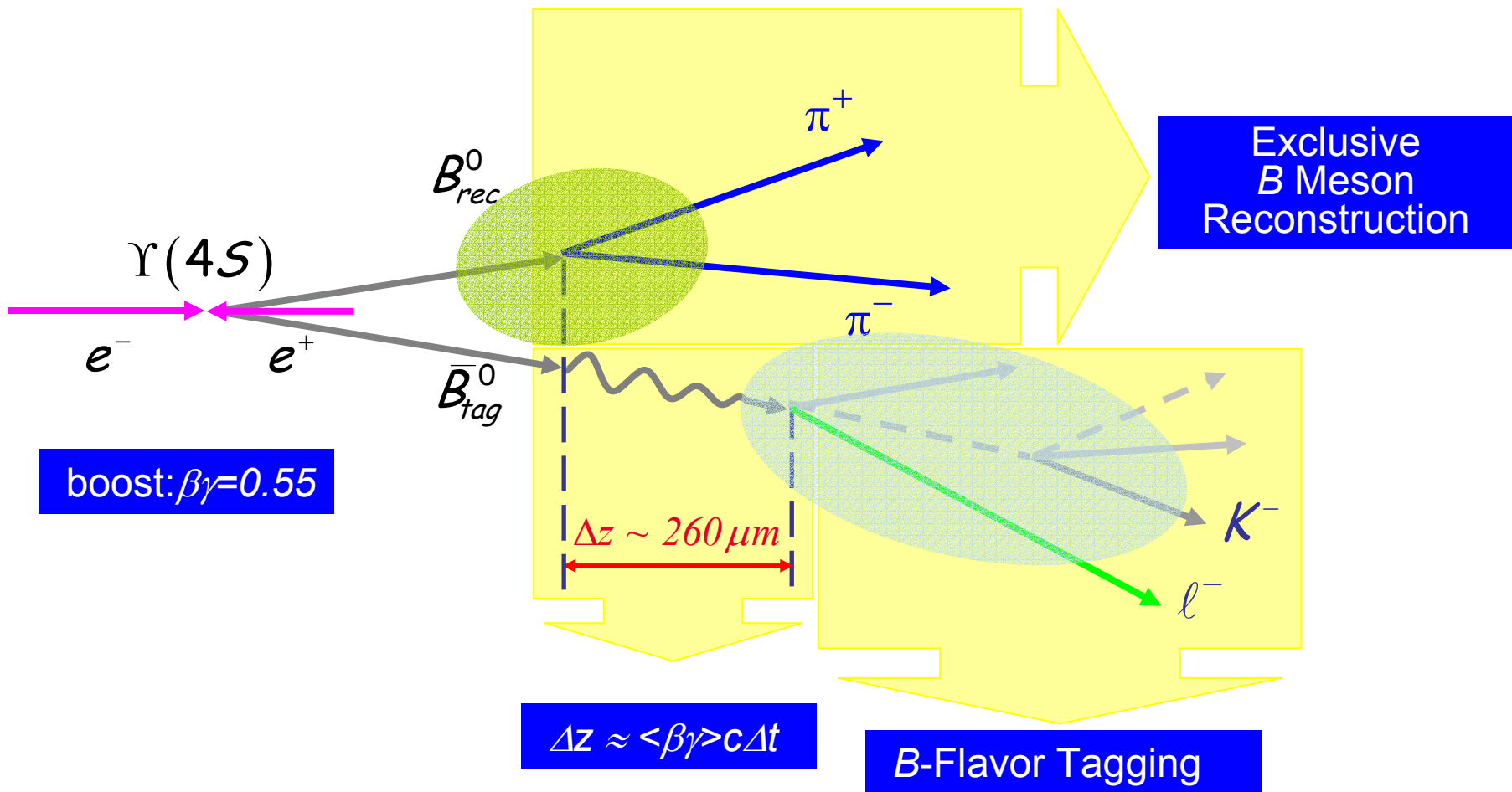
## New conceptual design for layer0

- Use kapton foil  $\sim 50 \mu\text{m}$  as support structure for the Si pixel
- Beam pipe radius set the radial distance for the layer0
- Rule of thumb: vertex resolution improves almost linearly with layer0 radial distance

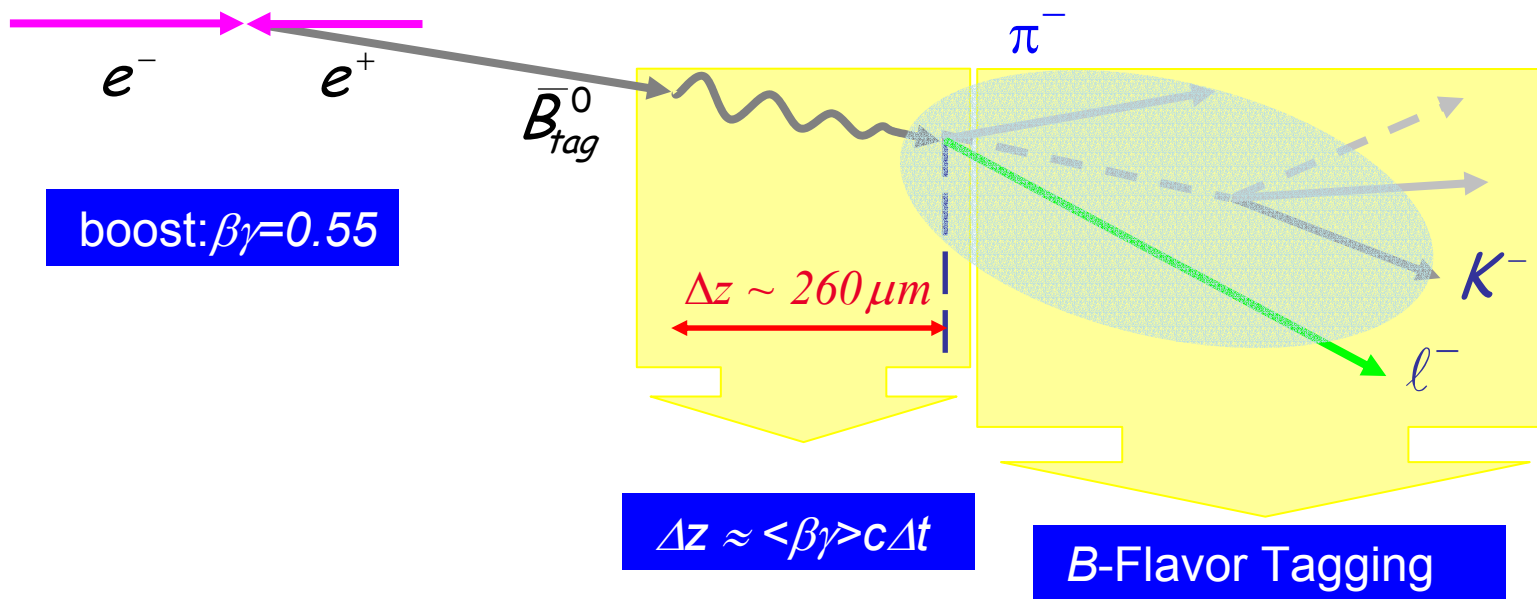


# Time dependent measurement

Fundamental ingredients for TD measurements are the B reco vertex and B tag vertex. In current B-factories tag vertex resolution is  $O(100 \mu\text{m})$  and dominates the resolution on  $\Delta z$ . B vertex resolution is  $O(50 \mu\text{m})$  depending on the specific B decay mode.



# B Tag Vertex



Tag vertex determination is worsened by several effects:

- multiple scattering: B decays with multiple daughters have low momentum tracks.
- long living particles: secondary vertex from charm decays.

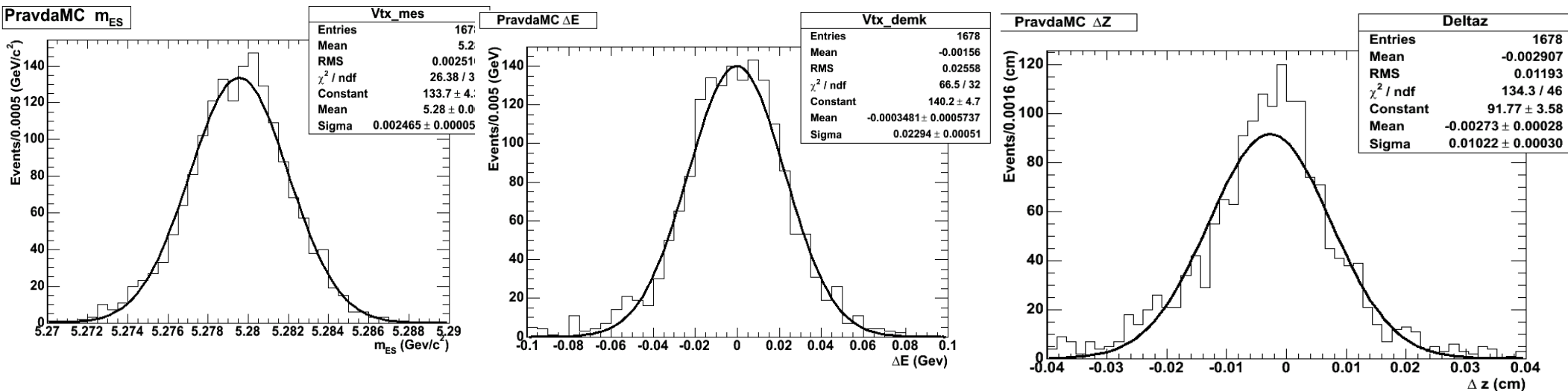
We considered the standard BaBar algorithm which consider all the tracks of the rest of the event (removed B reco,  $K_s$  and  $\Lambda_c$  tracks) and fit for the vertex.

A recursive algorithm rejects tracks not consistent with the vertex based on a  $\chi^2 > 6$  cut, reduce significantly the impact of secondary vertex tracks.



# PravdaMC: simulation software

- PravdaMC is a fast simulation software which uses parameterization to simulate detector response.
- It has been validated and tested. It is able to reproduce current detector performances up to a good level of accuracy.



$$\sigma(m_{ES}) \sim 2.5 \text{ MeV}$$

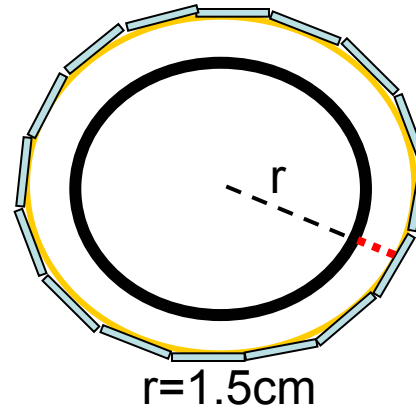
$$\sigma(\Delta E) \sim 23 \text{ MeV}$$

$$\sigma(\Delta z) \sim 102 \mu\text{m}$$

# Beam-pipe scenarios

- **conservative scenario:**

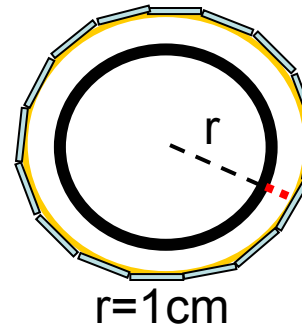
- beam pipe radius 1.5cm
- hit resolution  $z, \phi$  side =  $10 \mu\text{m}$



- Be beampipe
- Kapton foil
- $50 \mu\text{m}$  Silicon pixel

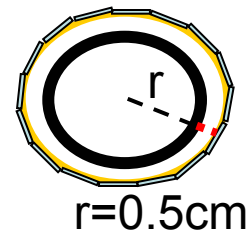
- **most likely scenario:**

- beam pipe radius 1.0cm
- hit resolution  $z, \phi$  side =  $10 \mu\text{m}$



- **aggressive scenario:**

- beam pipe radius 0.5cm
- hit resolution  $z, \phi$  side =  $5 \mu\text{m}$

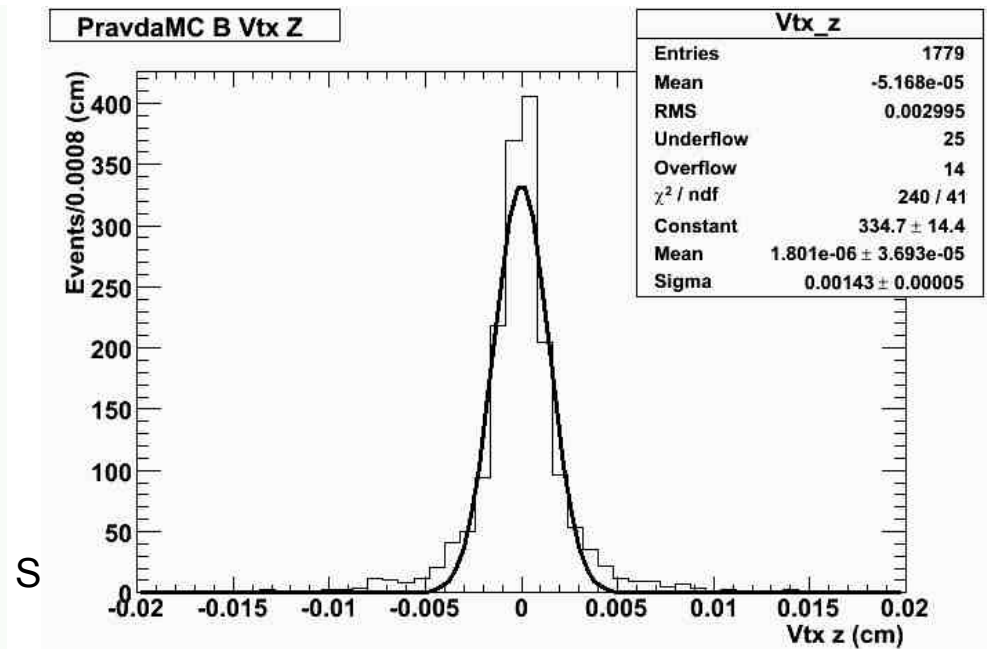
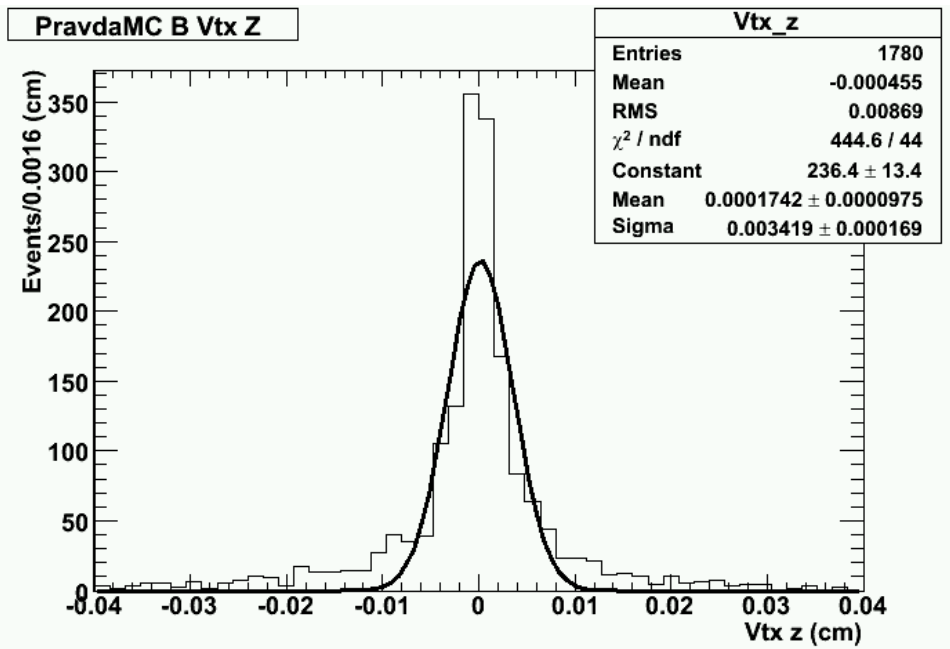


# B Vertex beam-spot constraint

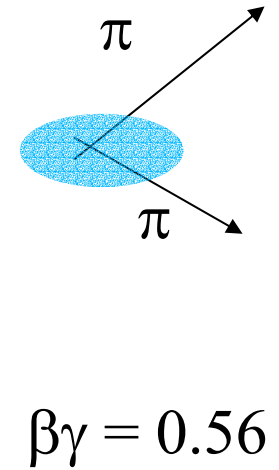
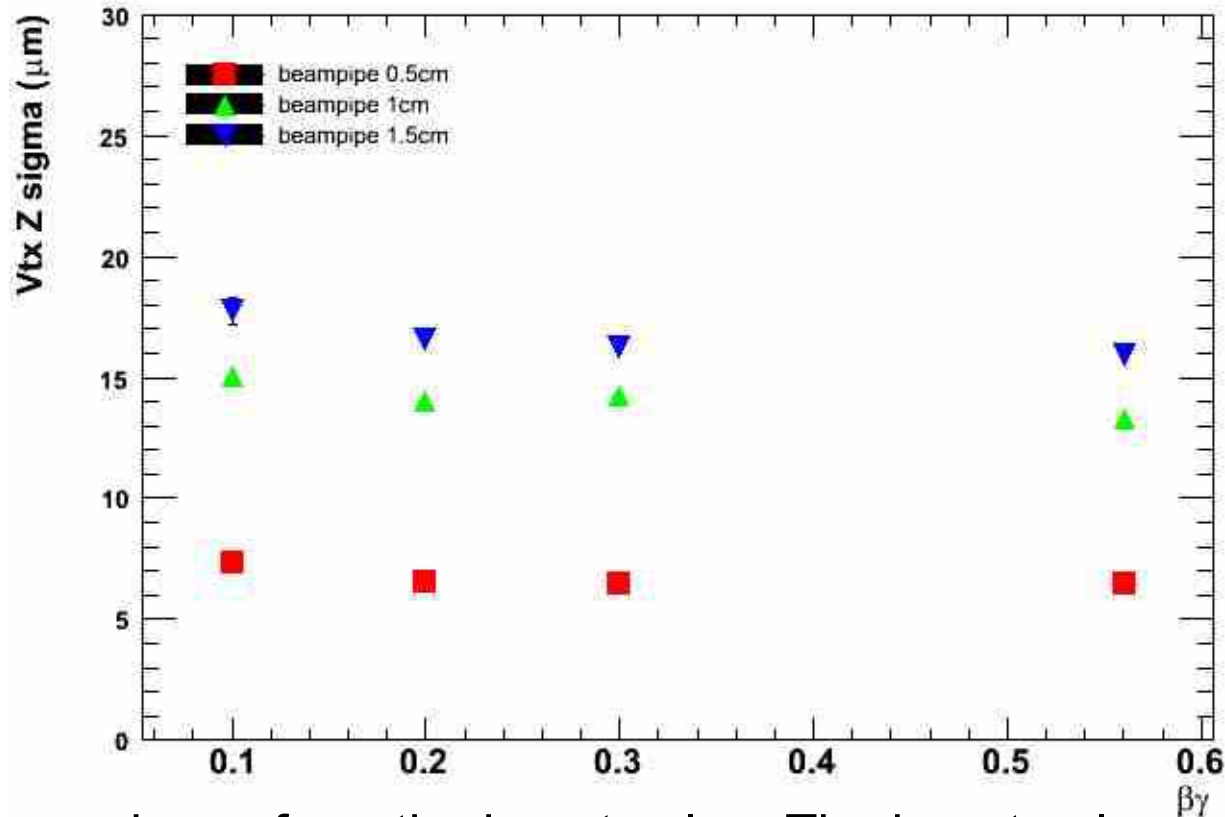
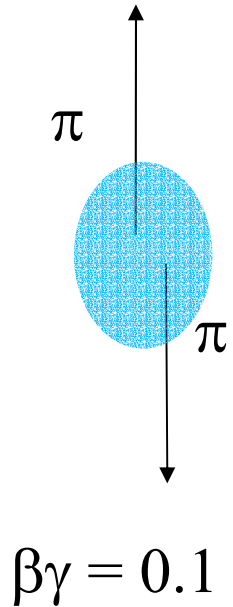
- The beamspot constraint forces the B production vertex to be inside the beam-spot.
- The  $B^0 \rightarrow \pi\pi$  vertex benefits from the beam-spot constraint especially at lower  $\beta\gamma$  where the 2 tracks are almost back-to-back in the lab frame.

$\beta\gamma = 0.10$  beampipe=1 cm  
No beamspot constraint

$\beta\gamma = 0.10$  beampipe=1 cm  
with beamspot constraint



# Reco Vertex Resolution



• Very mild dependence from the boost value. The boost enlarges the momentum but reduces the incidence angle wrt the Si layer.

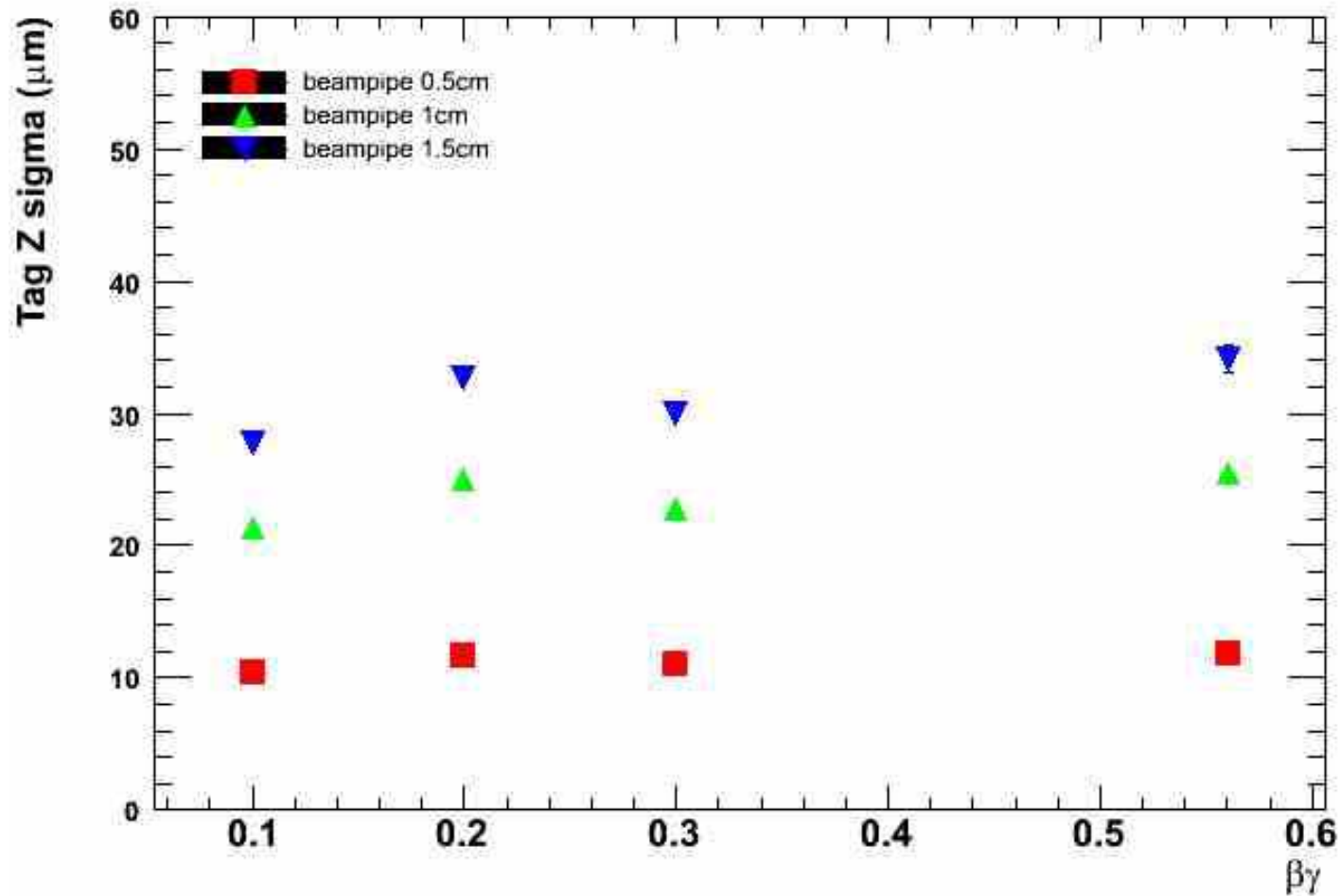
$$\sigma_{ms} \approx \frac{14}{P(\text{MeV})} R_1 \sqrt{x/X_0} \quad \sigma_{res} \approx \sigma_0 \sqrt{1 + 2 \left( \frac{R_1}{R_2 - R_1} \right)^2}$$

*rule of thumb*

I get  $\sigma = \sigma_{ms} \oplus \sigma_{res} = 15.2 \mu\text{m}$

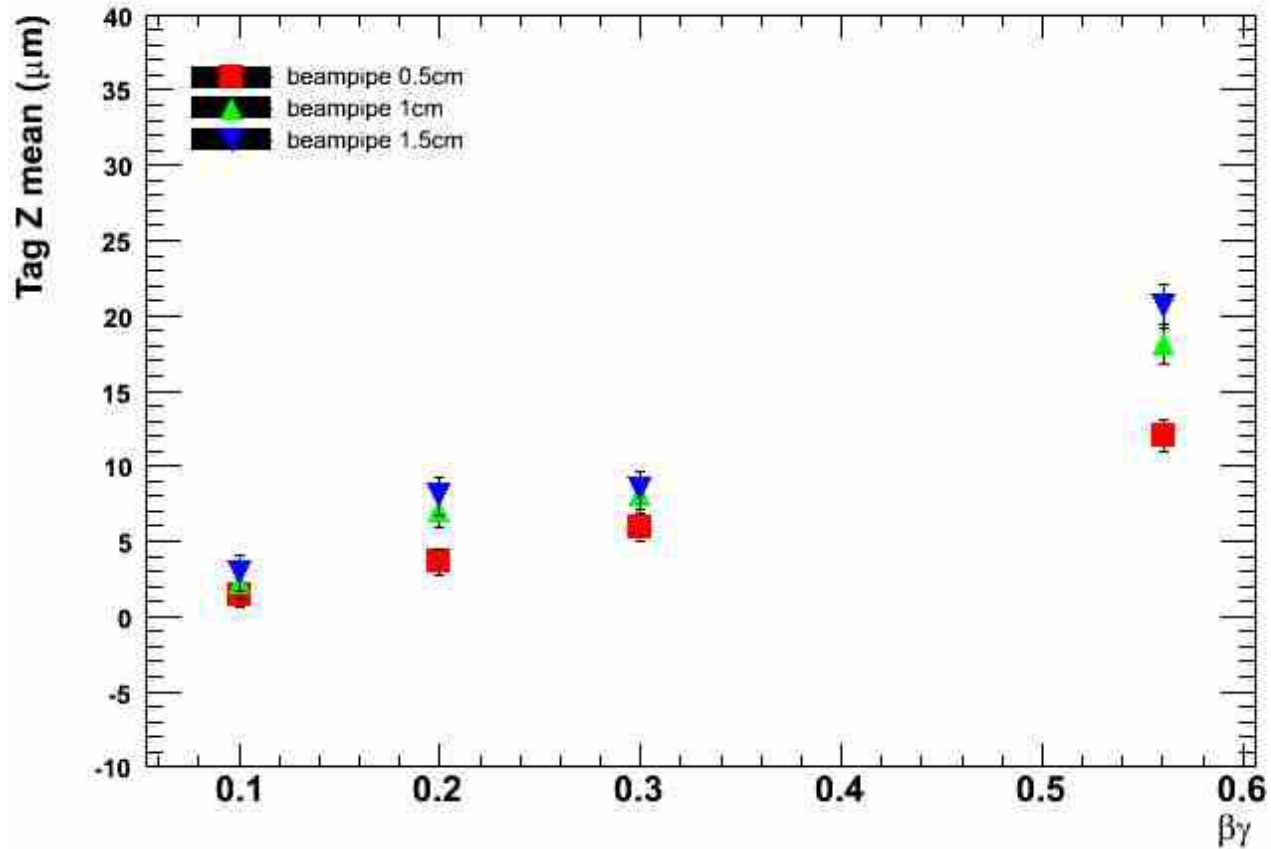
1 GeV tracks and 1cm configuration consistent with 15  $\mu\text{m}$  from simulation.

# Tag Vertex Resolution



Resolution constant as a function of the boost. Vertex efficiency is not affected. The resolution still dominates the  $\Delta z$  but great improvements!

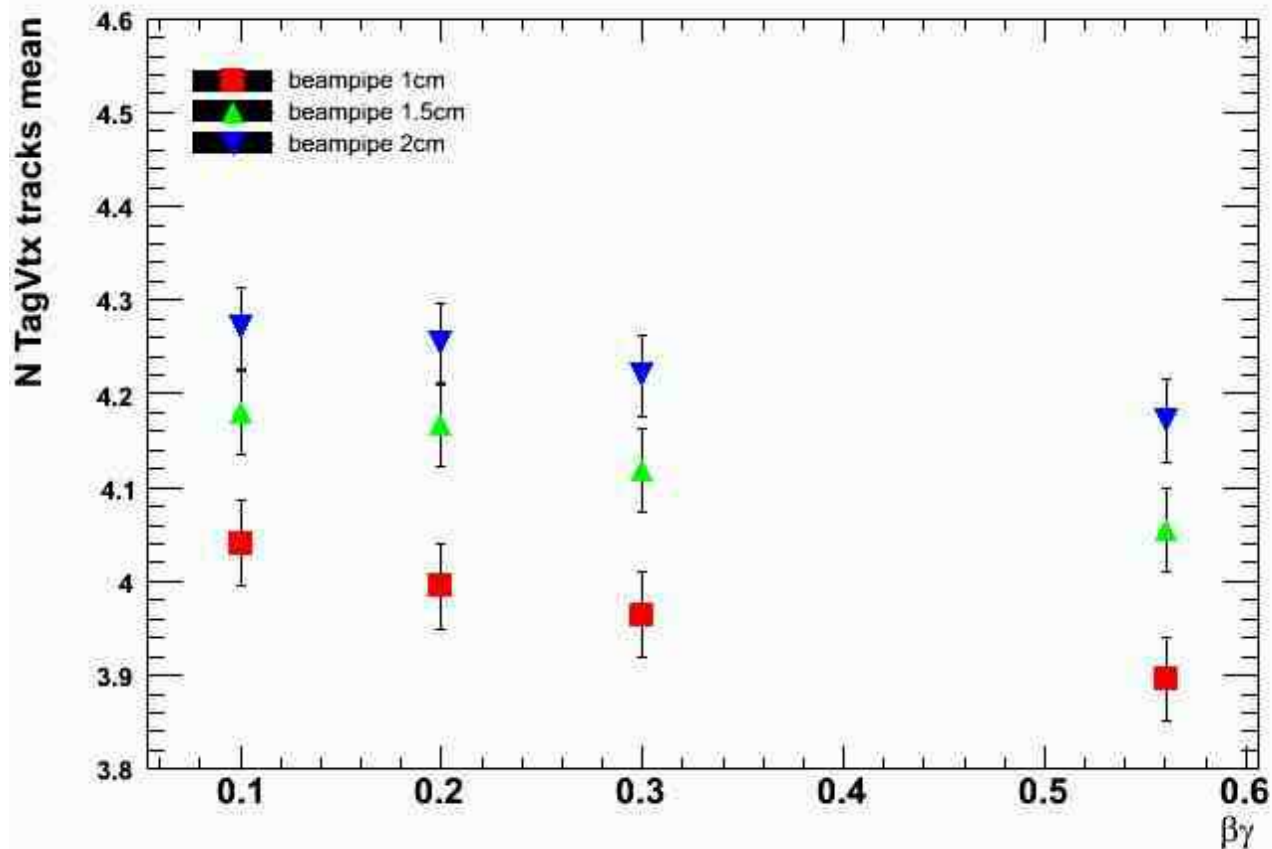
# Tag Vertex Bias



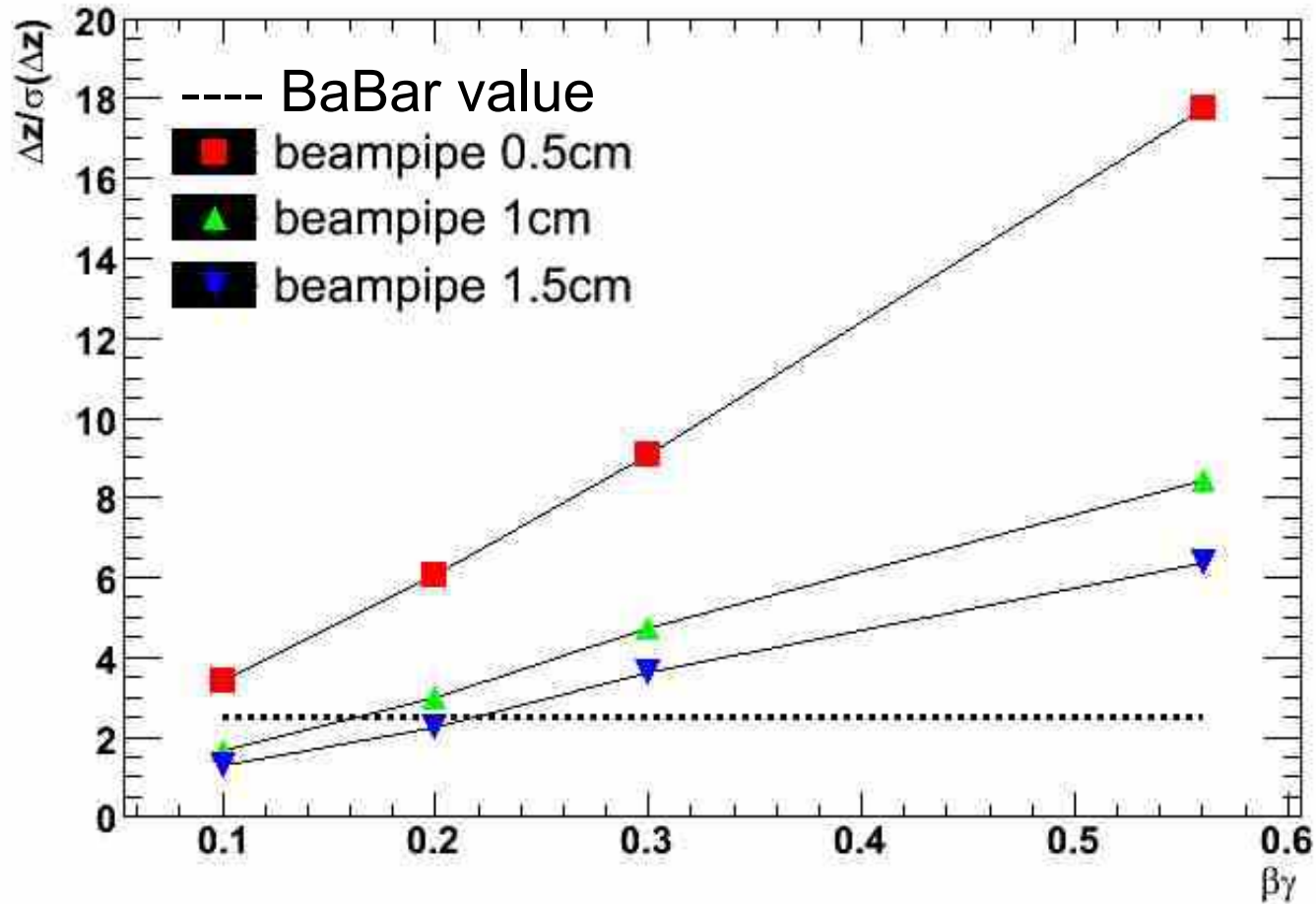
The tag vertex bias increases with the boost. It depends also on the beam-pipe radius since the TagVertex algorithm better discriminates the secondary vertex tracks.

# Tag vertex bias

- The charm bias reduces approx linearly with the boost.
- It reduces also with smaller beam pipe radius, i.e. with better determination of the tracks parameters.
- Number of tracks to determine the Tag Vertex decreases with a smaller beam-pipe radius. The track rejection algorithm ( $\chi^2 > 6$ ) can remove more bad tracks in superB configuration.



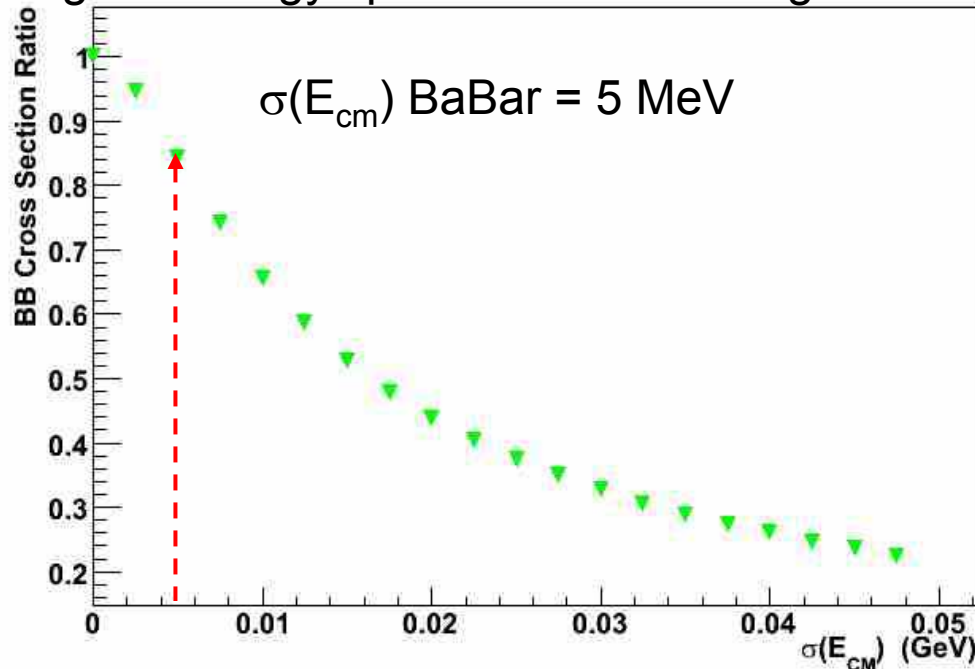
# $\langle \Delta z \rangle / \sigma(\Delta z)$ vs $\beta\gamma$





# Benefits of reducing $\beta\gamma$

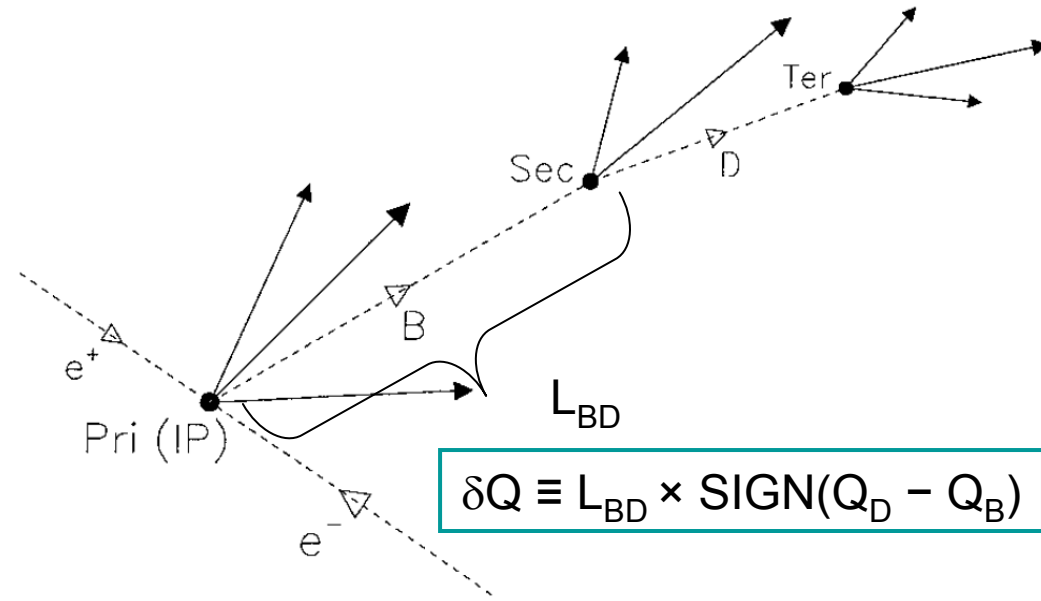
- Help reducing the energy spread in the CM: larger effective  $\bar{b}b$  cross section



- Therefore better resolution on bkg discriminating variables (Energy substituted mass).  $\sigma(m_{ES}) \sim \sigma(E_{cm}) / 2$
- better angular acceptance:  $e^- = 7.0$  GeV  $e^+ = 4.0$  GeV  $\beta\gamma = 0.28$  and for  $\theta = 100$  (300) mrad correspond to 99% (92%) coverage in the CM. BaBar has 88% coverage.
- an hermetic detector can detector improves significantly the sensitivity to decay modes with neutrinos (ex.  $B \rightarrow \tau\nu$ ,  $B \rightarrow D\tau\nu$  and  $\tau$  decays ).

# Benefits of better vertexing

- Better vertex determination not only impacts the time dependent measurements but all the analysis in general.
- The  $\Delta z$  helps rejecting continuum uds events.
- One can think about “*ad-hoc*” topological algorithm to further discriminate against combinatorial bkg.
- If you are able to separate the D vertex from the B vertex. You can determine the flavor of the tag B decay from the charge difference between the B and the D.
- SLD tagging “dipole based” ( $\delta Q$ ) technique could be helpful.  $\delta Q > 0$  ( $\delta Q < 0$ ) means  $B_0$ bar ( $B_0$ ).



- **REDUCE BKG**
- **IMPROVE TAGGING PERFORMANCES**

# Conclusions

- Precise decay vertex determination is fundamental for a SuperB-factory.
- Lower  $\beta\gamma$  values improve the energy spread CM, therefore the resolution on bkg discriminating variables and the effective bb cross-section and increase the detector acceptance.
- A  $\beta\gamma > 0.10$  should be considered for the beam-pipe and SVT layout studied so far.
- A  $\beta\gamma = 0.20-0.30$  is advisable for the most likely IP configuration.
- Improved vertex performances not only impacts the Time Dependent measurements. They permit to improve bb effective cross-section, bkg rejection, tagging.