

# On the Super-B Physics Potential: the "other" physics cases

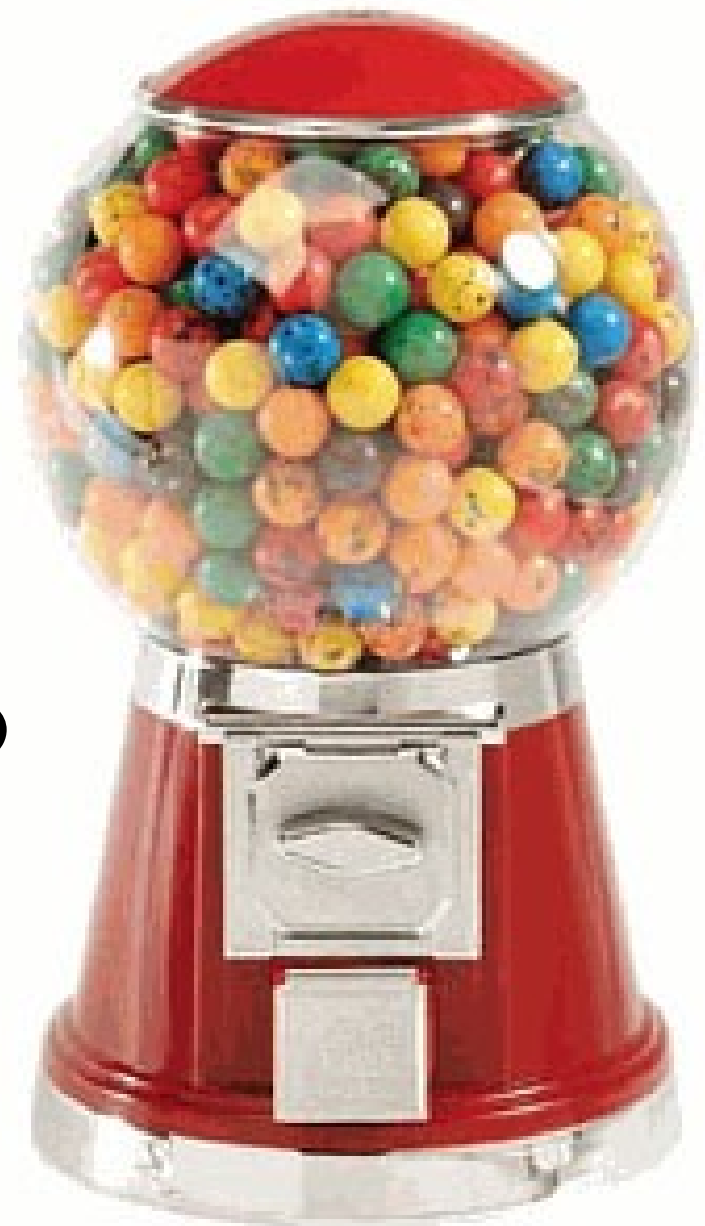
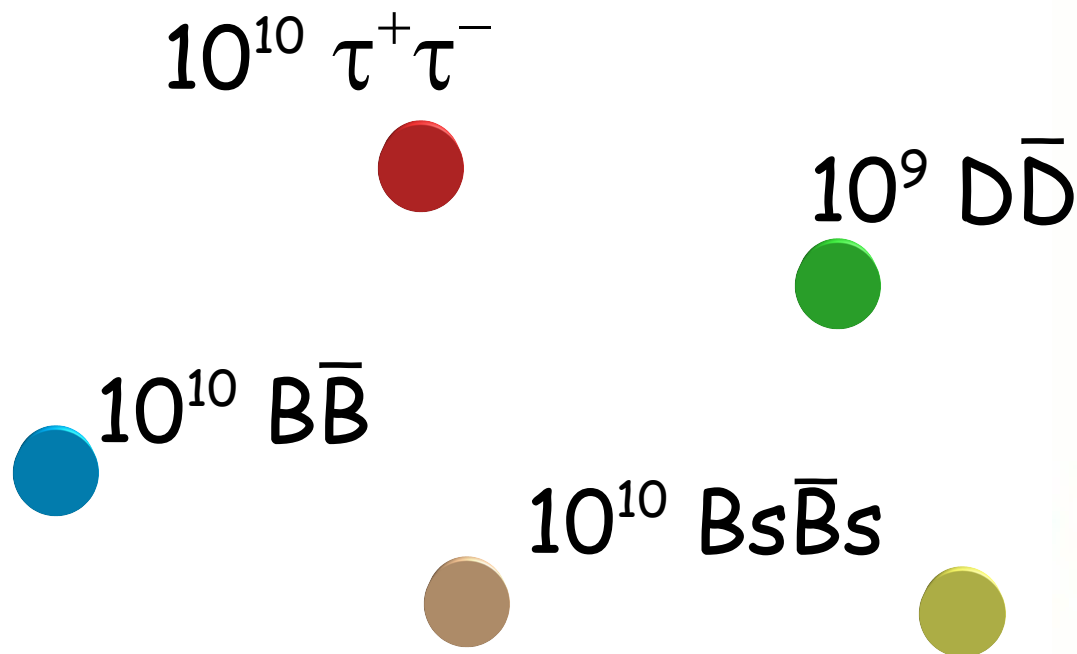
Marco Ciuchini

INFN Roma III

- 1 The golden goal:  $B_d$  &  $B_s$  physics +  $\tau$  LFV
- 2 The next-to-main goal: LFC  $\tau$  physics
- 3 The last-but-not-least goal: charm physics  
 $D-\bar{D}$  mixing +  $D$  CPV decays

thanks to: I. Bigi, P. Paradisi, M. Pierini, V. Porretti, L. Silvestrini  
and G. Gonzalez

# From Super-B to Super-Flavour Factory

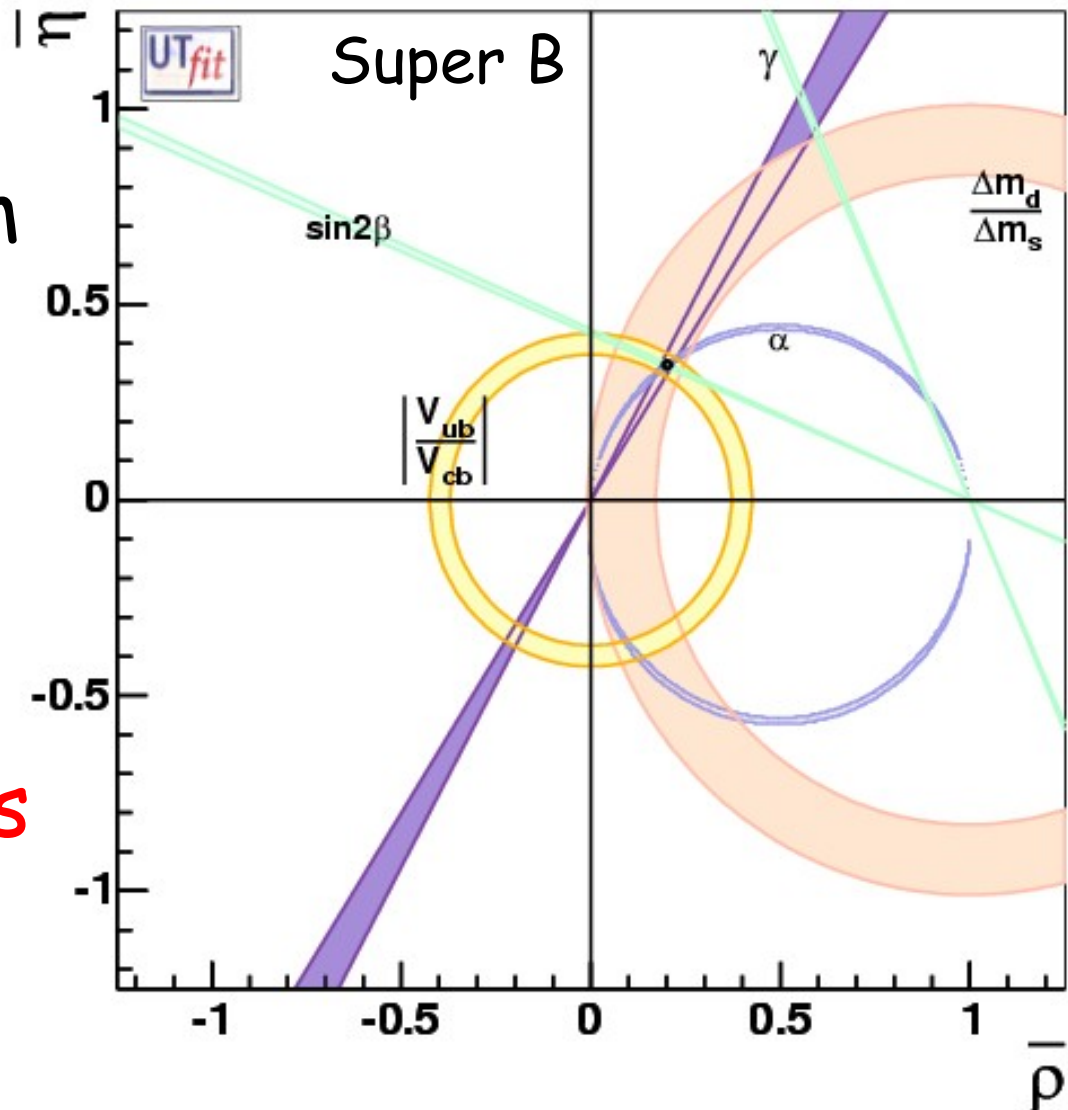


# $B_d$ and $B_s$ physics program

Push the present B  
factory physics program  
to unprecedented  
accuracy

redundancy + precision  
is the key to new physics

A plethora of new  
opportunities with the  $B_s$  (+ rare modes -  $B_s \rightarrow \mu\mu$ )

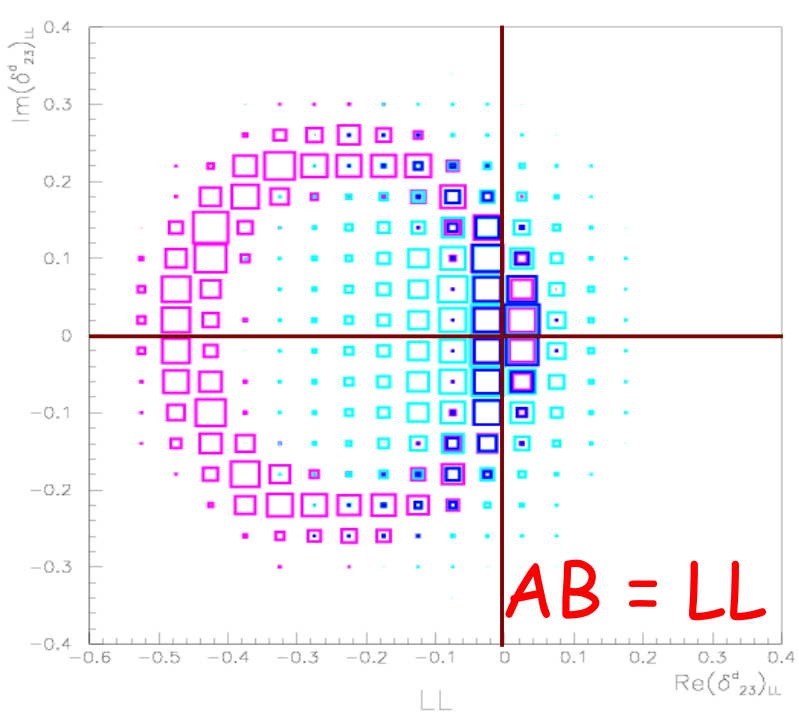


<b><i>CPV</i> in Rare Decays</b>	<b><math>e^+e^-</math> Precision</b>			
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Measurement	Goal	3/ab	10/ab	50/ab
$S(B^0 \rightarrow \phi K_S^0)$	$\approx 5\%$	16%	8.7%	3.9%
$S(B^0 \rightarrow \eta' K_S^0)$	$\approx 5\%$	5.7%	3%	1%
$S(B^0 \rightarrow K_S^0 \pi^0)$		8.2%	5%	4%
$S(B^0 \rightarrow K_S^0 \pi^0 \gamma)$	SM: $\approx 2\%$	11%	6%	4%
$A_{CP}(b \rightarrow s\gamma)$	SM: $\approx 0.5\%$	1.0%	0.5%	0.5%
$A_{CP}(B \rightarrow K^* \gamma)$	SM: $\approx 0.5\%$	0.6%	0.3%	0.3%

J. Albert et al.  
physics/0512235

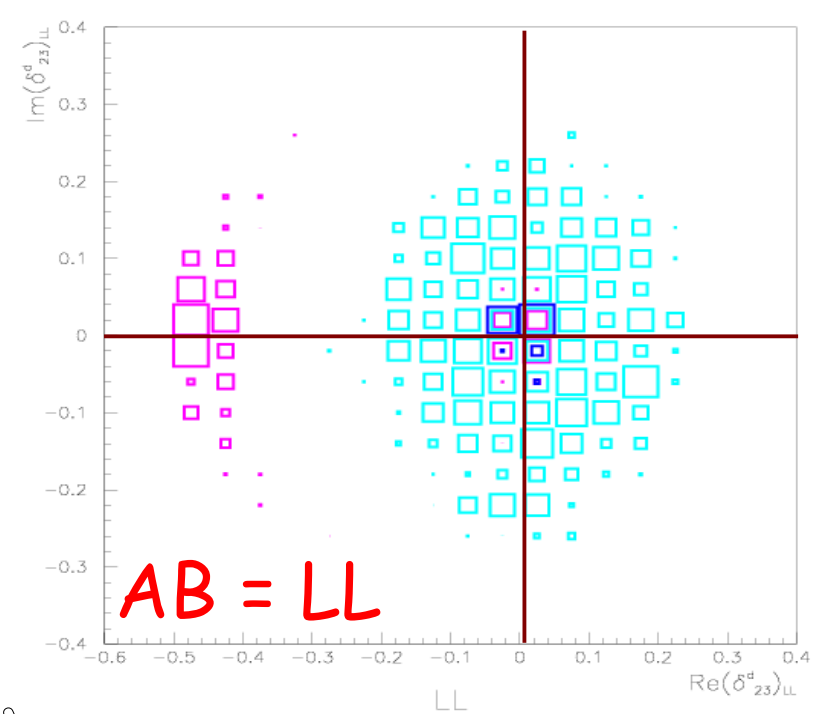
<b>Rare Decays</b>		<b><math>e^+e^-</math> Precision</b>		
Measurement	Goal	3/ab	10/ab	50/ab
$ V_{td} / V_{ts}  \sim \sqrt{\frac{\mathcal{B}(b \rightarrow d\gamma)}{\mathcal{B}(b \rightarrow s\gamma)}}$		19%	12%	5%
$\mathcal{B}(B \rightarrow D^* \tau \nu)$	$\mathcal{B} = 8 \times 10^{-3}$	10%	5.6%	2.5%
$\mathcal{B}(B \rightarrow s\nu\bar{\nu})$ ( $K^{-,0}, K^{*,-,0}$ )	1 exclusive: $\sim 4 \times 10^{-6}$	$\sim 1\sigma$ (per mode)	$> 2\sigma$ (per mode)	$> 4\sigma$ (per mode)
$\mathcal{B}(B_d \rightarrow \text{invisible})$		$< 2 \times 10^{-6}$	$< 1 \times 10^{-6}$	$< 4 \times 10^{-7}$
$\mathcal{B}(B_d \rightarrow \mu\mu)$	$\sim 8 \times 10^{-11}$	$< 3 \times 10^{-8}$	$< 1.6 \times 10^{-8}$	$< 7 \times 10^{-9}$
$\mathcal{B}(B_d \rightarrow \tau\tau)$	$\sim 1 \times 10^{-8}$	$< 10^{-3}$	$O(10^{-4})$	?



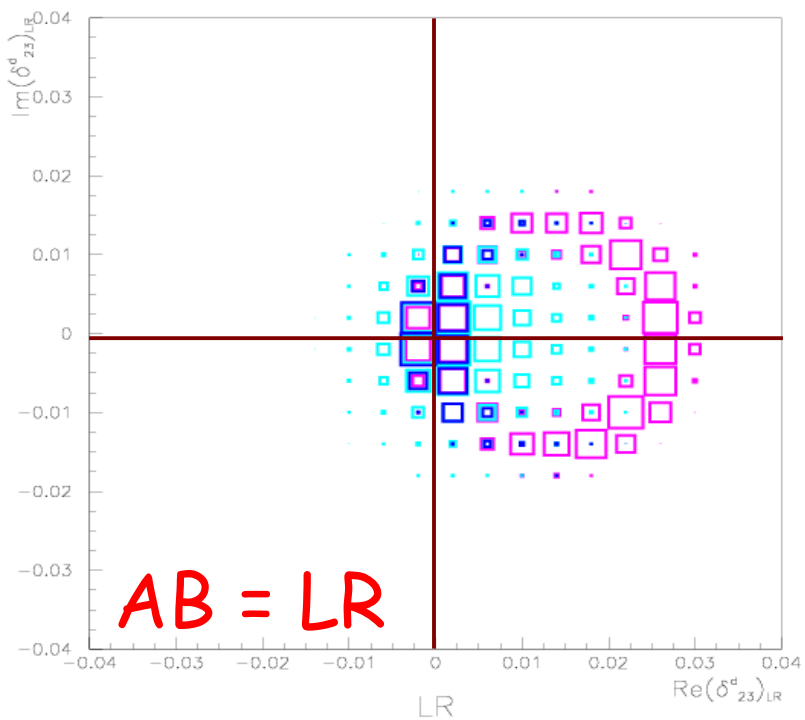
$\text{Re}(\delta_{23}^d)_{AB}$

vs

$\text{Im}(\delta_{23}^d)_{AB}$



$AB = LL$



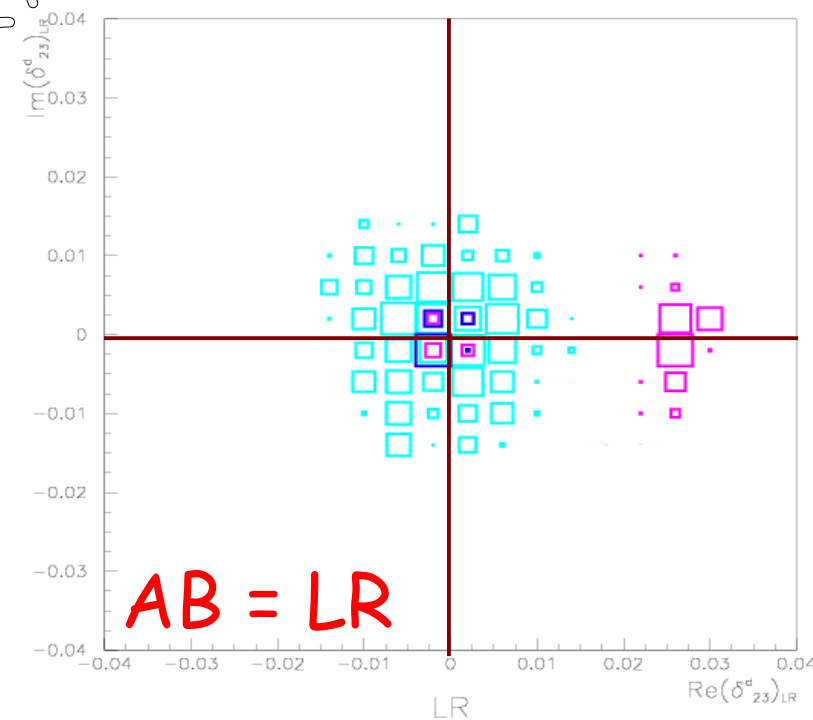
$AB = LR$

present  
future  
PRELIMINARY

$b \rightarrow s \gamma$  only

$b \rightarrow s ll$  only

All constraints



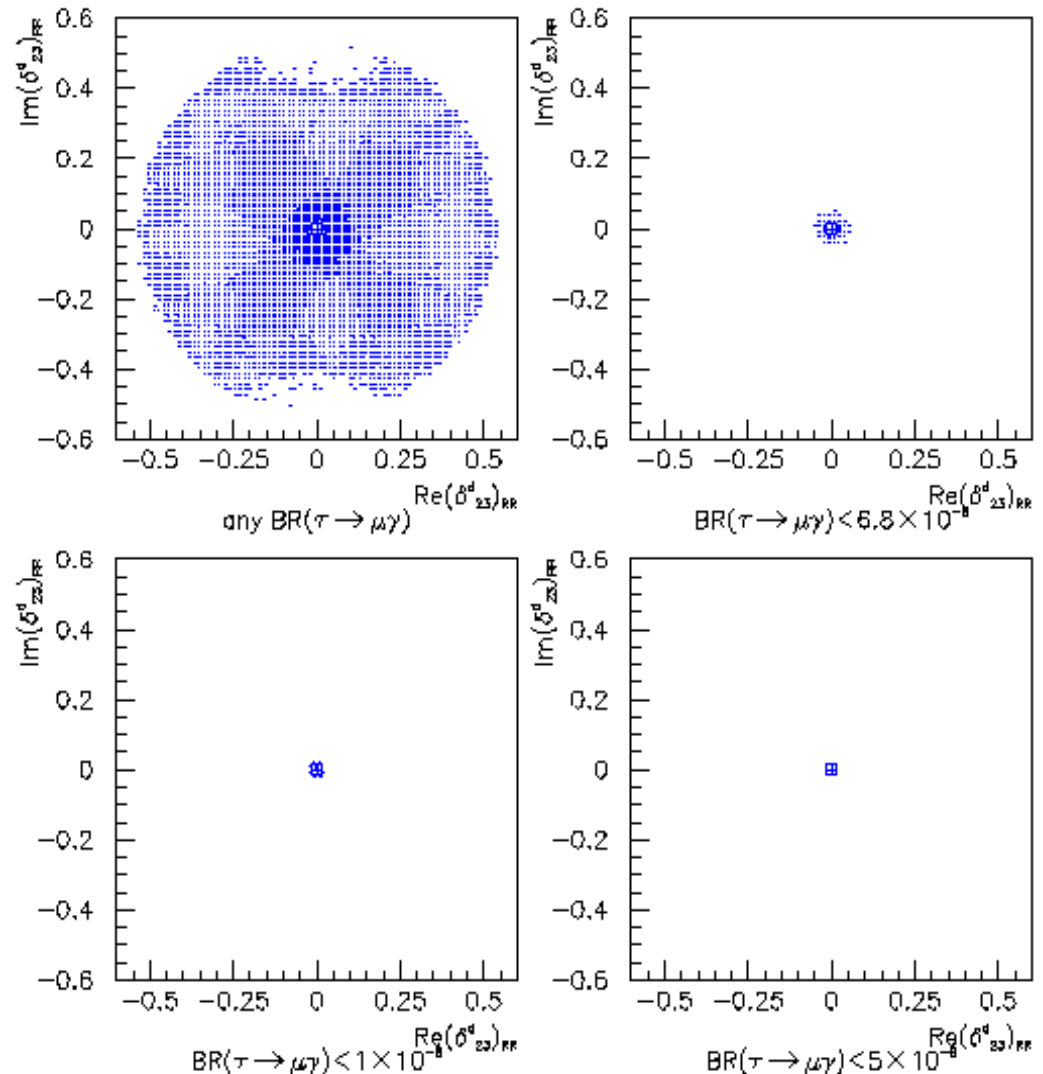
$AB = LR$

# Lepton Flavour Violation: $\tau \rightarrow \mu/e \gamma$

Unmistakable signal of new physics

Negative results  
still powerful in  
constraining GUT  
scenarios

Interesting interplay  
between quark and  
lepton FV



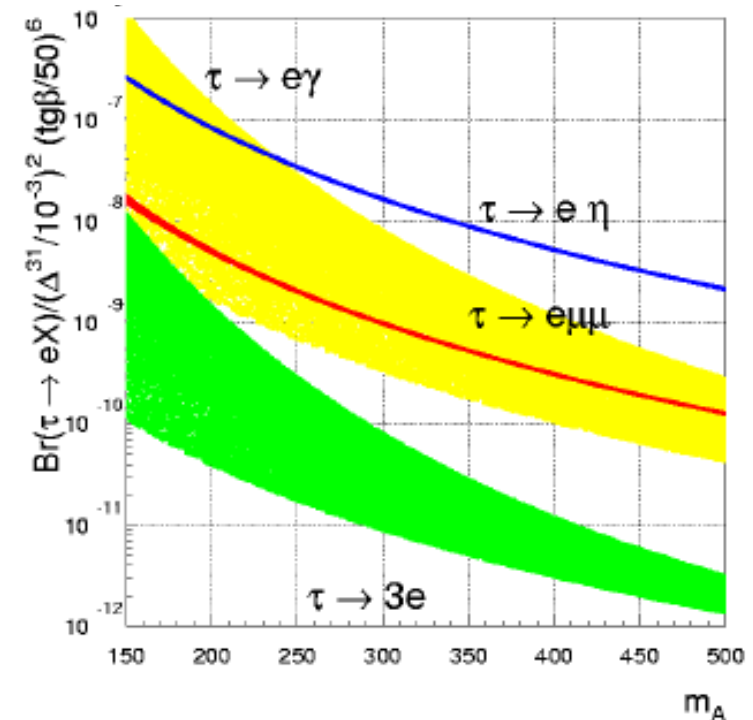
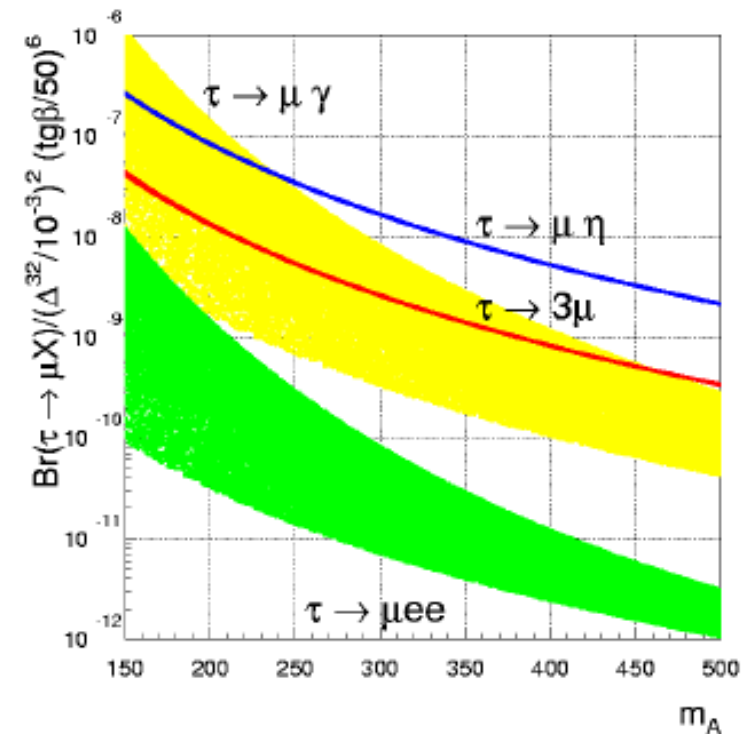
All the LFV  $\tau$  decay modes are interesting and can be exploited to identify the source of NP contribution

For instance, in supersymmetry gaugino-mediated LFV predicts

$$\frac{BR(\tau \rightarrow l_j l_k l_k)}{BR(\tau \rightarrow l_j \gamma)} \sim \alpha_e / 3\pi (\log(m_\tau^2 / m_k^2) - 3)$$

Higgs-mediated LFV does not exhibit this correlation

P. Paradisi, hep-ph/0508054





## Other topics in $\tau$ physics

$\tau$  properties: mass, lifetime (CPT  $\sim 10^{-4}$ - $10^{-5}$ )

Universality of lepton (charged) currents

$$\tau_\tau = \tau_\mu \left( \frac{g_\mu}{g_\tau} \right)^2 \left( \frac{m_\mu}{m_\tau} \right)^5 \mathcal{B}(\tau^- \rightarrow e^- \bar{\nu}_e \nu_\tau) \frac{f(m_e^2/m_\mu^2) r_{RC}^\mu}{f(m_e^2/m_\tau^2) r_{RC}^\tau}$$

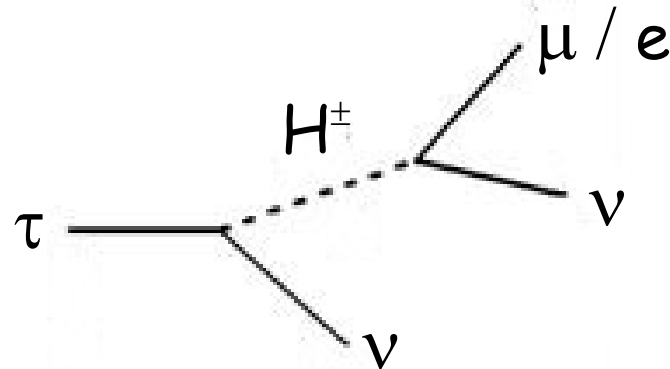
$$\tau_\tau = \tau_\mu \left( \frac{g_e}{g_\tau} \right)^2 \left( \frac{m_\mu}{m_\tau} \right)^5 \mathcal{B}(\tau^- \rightarrow \mu^- \bar{\nu}_\mu \nu_\tau) \frac{f(m_e^2/m_\mu^2) r_{RC}^\mu}{f(m_\mu^2/m_\tau^2) r_{RC}^\tau}$$

$$\frac{g_\mu}{g_\tau}, \quad \frac{g_e}{g_\tau}, \quad \frac{g_\mu}{g_e} \quad \text{with an error } \sim 10^{-4}$$

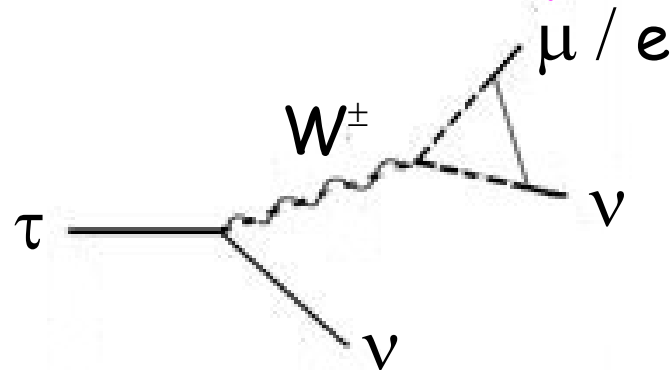


# Universality violation in SUSY are induced by

- tree-level charged Higgs exchange



- neutralino/chargino-slepton loop



High precision measurements might constrain SUSY parameters: quantitative study under way

P. Paradisi

# CPV in $\tau$ decays: T-odd moments

$$(1) \quad \tau^- \rightarrow \nu K^- \pi^0 / K^0 \pi^- : \langle \mathbf{s}_\tau \cdot (\mathbf{p}_K \times \mathbf{p}_\pi) \rangle$$

Bigi, Sanda

$$(2) \quad e^+(\vec{p})e^-(-\vec{p}) \rightarrow \tau^+(\vec{k}, \vec{S}_+) \tau^-(-\vec{k}, \vec{S}_-) \rightarrow \bar{B}(\vec{q}_B) \bar{\nu}_\tau + A(\vec{q}_A) \nu_\tau$$

$$O_1 = \frac{1}{2} \left[ \hat{p} \cdot (\vec{q}_B \times \vec{q}_A) + \hat{p} \cdot (\vec{q}_A \times \vec{q}_B) \right]$$

Ananthanarayan,  
Rindani

$$\text{Re}(d_\tau) = \frac{1}{c_{AB}^1} \frac{e}{\sqrt{s}} \left( \langle O_1(P) \rangle - \langle O_1(-P) \rangle \right)$$

Error on  $\tau$  EDM  
 $\sim 5 \times 10^{-21} \text{ e cm}$   
 $(d_e < 1.6 \times 10^{-27} \text{ e cm})$

Sensitivity to new physics to be assessed

# Charm Physics

Unique opportunity: D's are the only mesons available to study oscillations in the up-quark sector

Charm is not light nor heavy wrt the QCD scale

- ▶ large long-distance effects
- ▶ large strong phases
- ▶ very large theoretical uncertainty

GIM suppression of FCNC extremely efficient

Huge NP contributions still possible

# D- $\bar{D}$ mixing

H. Nelson

The predictions of the relevant mixing parameters

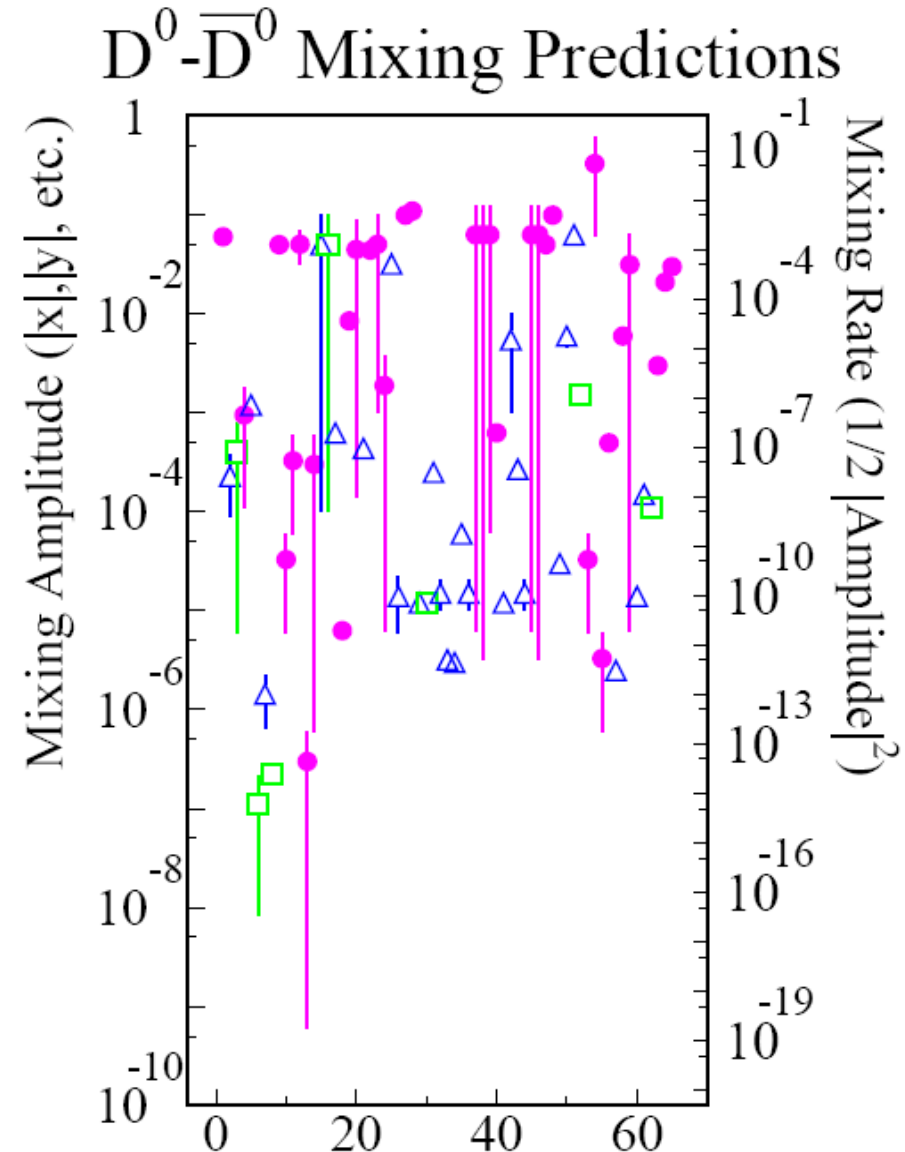
$$x_d = \Delta M / \Gamma \text{ and } y_d = \Delta \Gamma / 2\Gamma$$

span 2 orders of magnitude

Long-distance dominated

$$x_d^{SD} \sim 10^{-5}$$

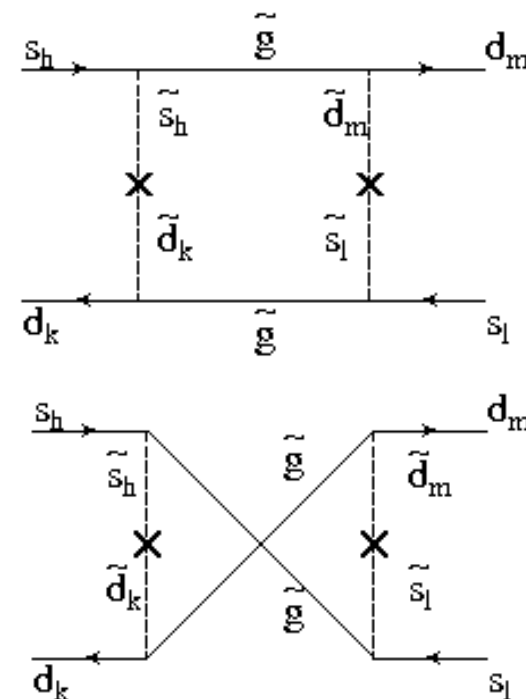
Case for NP based on  $x_d$   
uncertain!! (I. Bigi)



# D- $\bar{D}$ mixing in SUSY

Yet NP contributions can be so large that non-trivial bounds can be obtained anyway

For example: MSSM with non-diagonal squark mass matrices



Gabbiani et al.

$x$	$\sqrt{ \text{Re}(\delta_{12}^u)_{LL}^2 }$	$\sqrt{ \text{Re}(\delta_{12}^u)_{LR}^2 }$	$\sqrt{ \text{Re}(\delta_{12}^u)_{LL}(\delta_{12}^u)_{RR} }$
0.3	$4.7 \times 10^{-2}$	$6.3 \times 10^{-2}$	$1.6 \times 10^{-2}$
1.0	$1.0 \times 10^{-1}$	$3.1 \times 10^{-2}$	$1.7 \times 10^{-2}$
4.0	$2.4 \times 10^{-1}$	$3.5 \times 10^{-2}$	$2.5 \times 10^{-2}$

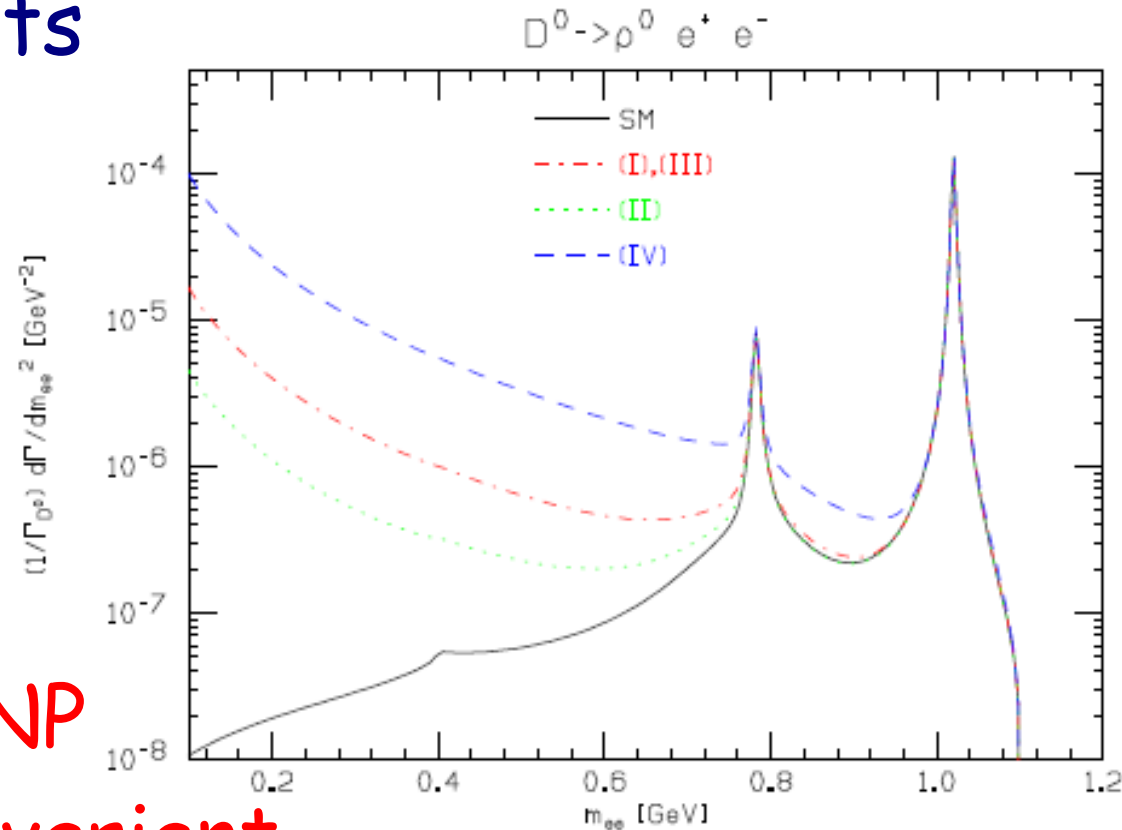
$$\Delta m_d < 1.32 \times 10^{-10} \text{ MeV}$$

# Rare D decays

Again one has to fight against long distance to disentangle NP effects

►  $c \rightarrow u \gamma$  transitions driven by LD contributions

►  $D \rightarrow V l^+ l^-$  gets large NP effects in the low invariant mass region of the leptons



Burdman et al.



# CPV in D decays

© I. Bigi

## Direct CPV

☺ Cabibbo favour. (CF) modes: need New Physics (except \*)

☹ 1x Cabibbo supp. modes (SCS)

possible with KM -- benchmark:  $O(\lambda^4) \sim O(10^{-3})$

New Physics models:  $O(\%)$  conceivable

if observe direct ~~CP~~  $\sim 1\%$  in SCS decays -- is it New Physics?  
must analyze host of channels

☺ 2x Cabibbo supp. modes (DCS): need New Physics (except \*)

CPV in t-dependent CPA  $\sim \sin(\Delta m_D t) \text{Im}(q/p) \rho_f$

$D^0 \rightarrow K_S \phi / \pi^0$  vs.  $\bar{D}^0 \rightarrow K_S \phi / \pi^0$

$D^0 \rightarrow K^+ K^- / \pi^+ \pi^-$  vs.  $\bar{D}^0 \rightarrow K^+ K^- / \pi^+ \pi^-$

$D^0 \rightarrow K^+ \pi^-$  vs.  $\bar{D}^0 \rightarrow K^- \pi^+$

SM:

CPA  $\sim 10^{-6}$

# Conclusions (i)



B physics +  $\tau$  LFV



$\tau$  physics (lepton cc univ. + CPV)



charm physics (mixing + rare + CPV)

# Conclusions (ii)

Design considerations:

© I. Bigi

- hermeticity of detector & low backgrounds most helpful or even essential for beauty,  $\tau$  & charm decays to control systematics; e.g.,  $B \rightarrow \tau\tau, \tau\nu, \tau\nu D, \tau\nu X / \tau \rightarrow \nu l \nu, \nu K\pi$
- the resolution of the microvertex detector should be driven by the presumably much more demanding requirements of charm physics, in particular concerning  $D^0 - \bar{D}^0$  oscillations and  $CP$  there. This should benefit also
  - ◆ searches for  $CP$  in  $\tau$  decays
  - ◆ searches for  $CP$  in  $B_s$  decays on  $\Upsilon(5S)$  driven by  $\Delta\Gamma$
- a polarized e- beam most helpful for  $CP$  studies in  $\tau$  &  $\Lambda_c$  decays -- also to address systematics

## Conclusions (iii)

No problem to establish the physics case

Program complementary to the LHC

helps understanding NP models

Measurable NP virtual effects

probes scales beyond the LHC reach

O(10) interesting measurements

Phenomenological analyses not always match the  
foreseen accuracy: dedicated work is required