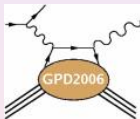


Highlights of GPD 2006

Thorsten Feldmann

(University of Siegen)

ECT* Trento, 5-9 June 2006



organized by

- Nicole d'Hose (CEA Saclay)
- Peter Kroll (Wuppertal)
- Ralf Kaiser (Glasgow)



Introductory Talks:

(3 talks)

- A. Belitsky: Understanding Nucleon Structure with GPDs
- M. Burkardt: Hadron Tomography
- M. Diehl: An Introduction to Generalized Parton Distributions

Theoretical Developments:

(7 talks)

- S. Friot: GPDs in the Photon
- D. Müller: A new representation for GPDs
- D. Robaschik: Target mass corrections to DVCS
- A. Schäfer (QCDSF): GPDs from Lattice QCD - II (Tensor GPDs)
- G. Schierholz (QCDSF): GPDs from Lattice QCD - I
- L. Szymanowski (B. Pire): Generalizing GPDs: Transition Distribution Amplitudes
- L. Szymanowski: QCD factorization in $\gamma^* \gamma^*$

Phenomenological Analyses and Models:

(10 talks)

- M. Diehl: Wide-angle processes
- Th. Feldmann: Analysis of zero-skewness GPDs
- S. Goloskokov: Deeply virtual electro-production of vector mesons
- V. Guzey: Dual parametrization of GPDs and description of DVCS data
- Ph. Haegler: Generalized transversity and transverse spin densities
- S. Liuti: Space-time picture of nuclear effects in QCD
- B. Pasquini: Virtual meson cloud of the nucleon and GPD
- P. Schweitzer: GPDs in the chiral quark-soliton model ...
- M. Siddikov: GPDs for Spin-0 Nuclei
- M. Vanderhaeghen: GPDs and Two-Photon Processes

- H. Avakian (JLAB): Hard exclusive processes at CLAS
- P.-Y. Bertin (JLAB): Deep Virtual Compton Scattering in Hall A
- E. Burtin (COMPASS): Status and prospects for GPD studies at COMPASS
- F. Bradamante (Compass): Transversity Physics in DIS
- M. Düren: Physics at Panda
- F. X. Girod (JLAB): DVCS at JLAB/CLAS
- C. C. Kuo: Hadron pair production from two-photon collisions at Belle
- M. Mazouz: DVCS on neutron at JLAB Hall A
- W.D. Nowak: Hermes results and projections on exclusive photon and meson production
- A. Osborne: ρ^0 production cross section ratios at HERMES
- G. Rosner: Status of Nucleon Form Factor measurements
- A. Rostomoyan: Transverse single-spin asymmetry of exclusive ρ^0 from HERMES
- A. Sandacz: Spin dependence in exclusive ρ^0 production at COMPASS
- L. Schoeffel: Exclusive production of light states at HERA ...
- C. Van Hulse: The HERMES recoil project
- B. Wojtsekhowski (JLAB): Nucleon Compton Scattering

- 1 Introduction
- 2 Results for DVCS + Meson Production
 - JLAB – Hall A
 - JLAB – CLAS
 - DESY – HERMES
 - DESY – H1 and ZEUS
 - CERN – COMPASS
 - Theoretical GPD parametrizations for $\xi \neq 0$
 - Theoretical models for deeply virtual meson production
- 3 (Generalized) Form factors, Wide-angle processes etc.
 - Nucleon Form Factors
 - GPDs at zero skewness
 - Generalized form factors from lattice
 - Wide-angle processes
- 4 Transversity GPDs
- 5 More Talks
- 6 Conclusions

Physical Significance:

- GPDs as hadronic input for factorization theorems (DVCS, etc.)
- Angular momentum distribution of partons (“Ji’s sum rule”)
- 3-dimensional structure of fast-moving nucleon from impact parameter GPDs (“nucleon tomography”)

Experimental Challenge:

- Collect detailed data on (hard) exclusive processes !

Theoretical Challenge:

- Disentangle dependence on three kinematic variables (x, ξ, t) !

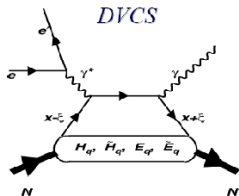
Aim of the workshop:

- Review experimental and theoretical status.
- Set the stage for the next round of GPD analyses.

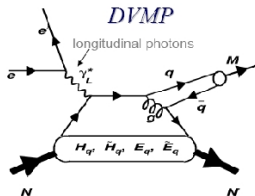
Experimental results for DVCS + Meson production:

Physics Motivation

- Describe the complex nucleon structure in terms of quark and gluon degrees of freedom.



DVCS – for different polarizations of beam and target provide access to different combinations of GPDs H , $\tilde{H}$, E



DVMP for different mesons is sensitive to flavor contributions (ρ^0/ρ^+ select H , E , for u/d flavors, π , η , K select $\tilde{H}$, $\tilde{E}$)

[Avakian]



JLab		
Hall A	Hall B	Hall C
p-DVCS n-DVCS ?	Vector mesons p-DVCS d-DVCS ??	Pseudoscalar mesons ??

DESY	
HERMES	ZEUS/III
Vector mesons DVCS	



CERN
COMPASS
Vector mesons DVCS ??

+ theory

(almost) everywhere

[Schoeffel]

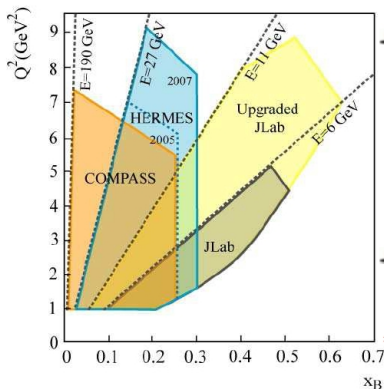
M. Dueren:

GPD studies foreseen for PANDA experiment (FAIR facility at GSI, ca. 2013)

- Input from the community for optimization of experimental program welcome!

Kinematic Coverage of DVCS Experiments

Fixed-target experiments



- Fixed-target experiments:
 $x > 0.03$, $Q^2 < 10 \text{ GeV}^2$
 - COMPASS: low+medium x
 - HERMES: medium x , higher Q^2
 - JLab: medium+large x , lower Q^2
 - JLab 11 GeV: larger x , higher Q^2
- Collider experiments **H1+ZEUS**:
 $x < 0.01$, $Q^2 : 5 \dots 100 \text{ GeV}^2$

⇒ almost no overlap

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[Nowak]

Azimuthal Asymmetries in DVCS

DVCS–Bethe-Heitler Interference term $\mathcal{I}$

induces azimuthal asymmetries in cross-section:

- Beam-charge asymmetry $A_C(\phi)$ [BCA]

$$d\sigma(e^+, \phi) - d\sigma(e^-, \phi) \propto \text{Re}[F_1 \mathcal{H}] \cdot \cos \phi$$

- Beam-spin asymmetry $A_{LU}(\phi)$ [BSA]

$$d\sigma(\vec{e}, \phi) - d\sigma(\vec{e}, \phi) \propto \text{Im}[F_1 \mathcal{H}] \cdot \sin \phi$$

- Long. target-spin asymmetry $A_{UL}(\phi)$

$$d\sigma(\vec{P}, \phi) - d\sigma(\vec{P}, \phi) \propto \text{Im}[F_1 \tilde{\mathcal{H}}] \cdot \sin \phi \text{ [LTSA]}$$

- Transverse target-spin asymmetry $A_{UT}(\phi, \phi_s)$ [TTSA]:

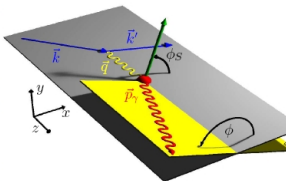
$$d\sigma(\phi, \phi_S) - d\sigma(\phi, \phi_S + \pi) \propto \text{Im}[F_2 \mathcal{H} - F_1 \mathcal{E}] \cdot \sin(\phi - \phi_S) \cos \phi \\ + \text{Im}[F_2 \tilde{\mathcal{H}} - F_1 \xi \tilde{\mathcal{E}}] \cdot \cos(\phi - \phi_S) \sin \phi$$

(F_1, F_2 are the Dirac and Pauli elastic nucleon form factors)

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[Nowak]

P.-Y. Bertin: DVCS/Hall A

- At JLAB energies, Bethe-Heitler process dominates
- Using polarized beam on unpolarized target
→ Measure cross section sum $d\vec{\sigma} + d\overleftarrow{\sigma}$ and difference $d\vec{\sigma} - d\overleftarrow{\sigma}$
- **Sum** sensitive to $\text{Re} [\mathcal{T}^{\text{DVCS}}]$. — **Difference** sensitive to $\text{Im} [\mathcal{T}^{\text{DVCS}}]$.

- Test of handbag dominance yield positive results
 - no Q^2 dependence of extracted twist-2 coefficients
 - twist-3 contributions in $\Delta\sigma$ and σ small

⇒ $d\vec{\sigma} - d\overleftarrow{\sigma}$ directly probes twist-2 GPDs

- In cross-section sum, bilinear DVCS terms cannot be neglected

⇒ Comparison with theory requires some model-dependence!

Also applies for asymmetry $\frac{d\vec{\sigma} - d\overleftarrow{\sigma}}{d\vec{\sigma} + d\overleftarrow{\sigma}}$

$$\frac{d^4\sigma^+}{dx_B dQ^2 d\phi dt} - \frac{d^4\sigma^-}{dx_B dQ^2 d\phi dt} \quad [\text{nb/GeV}^4]$$

Corrected for real and virtual radiation

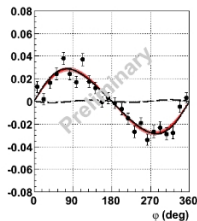
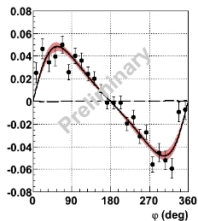
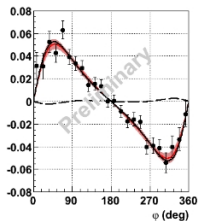
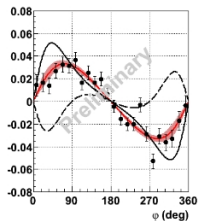
$\langle t \rangle = -0.37 \text{ GeV}^2$

$\langle t \rangle = -0.33 \text{ GeV}^2$

$\langle t \rangle = -0.28 \text{ GeV}^2$

$\langle t \rangle = -0.23 \text{ GeV}^2$

$\langle t \rangle = -0.17 \text{ GeV}^2$



———— $\sin(\phi)$
 - - - - $\sin(2\phi)$

[Bertin]

What systematic errors?

~~At this day (June 5 2006).~~

For the future experiments

2% ~~3%~~ HRS+PbF2 acceptance + luminosity + target

1% ~~3%~~ $H(e,e'\gamma)X\gamma$ π^0 background

2% Inclusive $H(e,e'\gamma)N\pi$

2% Radiative Corrections only on the cross section difference

1% ~~3%~~ Beam polarization measurement

Total (quadratic sum) = ~~5.1% (5.6%)~~ 3.6 - 3.7 %

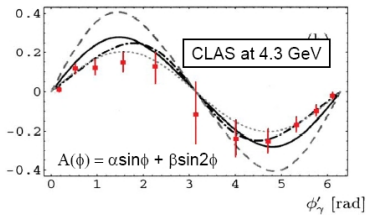
[Bertin]

M. Mazouz: DVCS on the Neutron (Hall A)

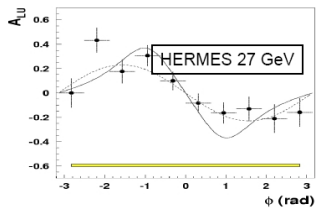
- Azimuthal asymmetry with polarized electron beam.
- Sensitivity to GPDs E^n (larger than for proton)
- π^0 contamination $\approx$ drops out from deuterium-proton
- Check of exclusivity (systematic error $< 3\%$).
- Asymmetry for DVCS on
 - deuteron (coherent)
 - neutron (incoherent)enter with different sign (preliminary result of simultaneous fit)

H. Avakian / F.-X. Girod: Hard exclusive processes at CLAS

- DVCS beam spin asymmetries
- DVCS target spin asymmetry
- Studies of exclusive π^0 background (beam and target SSA)
- Exclusive ρ production (Q^2 dependence, sensitivity to J_u and J_d)
- Dedicated CLAS DVCS experiment (detector upgrade)
(43% of data taken, preliminary results on BSA)
- Prospects for CLAS12

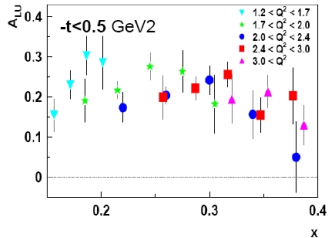
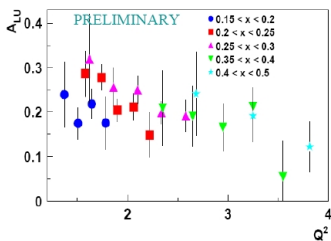


S. Stepanyan et al. Phys. Rev. Lett. **87** (2001)



A. Airapetian et al. Phys. Rev. Lett. **87** (2001)

DVCS SSA kinematic dependences at 5.7 GeV



W.-D. Nowak: HERMES results and perspectives

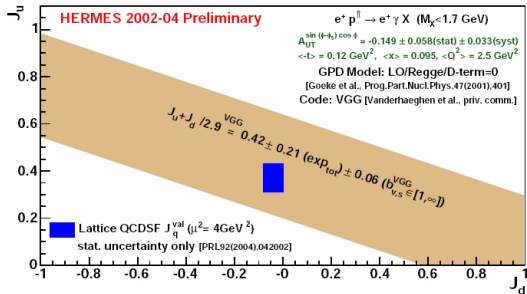
- Measurement of BSA, BCA and (long./transv.) target polarization.
- First constraints on GPD models, incl. (model-dependent) constraints on angular momentum J_U and J_d .
- **New HERMES recoil detector** (with unpolarized proton target)
Will improve resolution and statistics for azimuthal DVCS asymmetries and exclusive π^+ production. [dedicated talk by C. Van Hulse]
- Because of two accidents: Data taking starting in July 2006.
Only run with e^+ foreseen $\Rightarrow$ **no BCA** :-)

Further presentations by

- A. Rostomyan: TSSA $A_{UT}^{\sin(\phi-\phi_s)}$ for exclusive ρ^0 production at HERMES
 - Neglect (probably small) contribution from E^g
 - L/T separation not yet done
 - Not yet enough statistics to constrain J^U
- A. Osbourne: ρ^0 production at HERMES (cross section ratios)
 - Consider ratio of (longitudinal) ρ^0 production on neutron (i.e. deuterium) and on proton
 - Function of up-, down-, and gluon GPDs
 - Theoretical estimate close to 1 (gluon dominance)
 - Still large errors - should be improved with 2007 statistics and recoil detector

Model-dependent Constraint on J_u vs J_d

Unbinned maximum likelihood fit to $A_{UT}^{\sin(\phi-\phi_S)\cos\phi}$ at average kinematics (fitting prel. HERMES data against VGG-model based calculations), leaving J_u and J_d as free parameters $\Rightarrow$ model-dependent 1- σ constraint on J_u vs. J_d :



Quenched lattice calculation done with pion masses 1070, 870, and 640 MeV, and then extrapolated linearly in m_π^2 to the physical value

Uncertainties on VGG model parameters shown as separate uncertainty (± 0.06)

Wolf-Dieter Nowak (DESY), HERMES Collaboration

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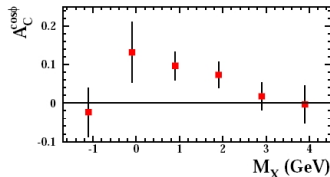
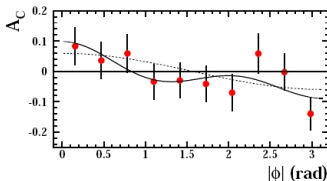
[Nowak]

Beam-charge Asymmetry vs. ϕ and M_X^2

$$A_C(\phi) = \frac{d\sigma^+(\phi) - d\sigma^-(\phi)}{d\sigma^+(\phi) + d\sigma^-(\phi)} \propto \text{Im} F_1 \mathcal{H} \cdot \cos \phi$$

$\Rightarrow$ extract 'amplitudes' by fitting in every ϕ -bin

$$A_C(\phi) = \text{const.} + A_C^{\cos \phi} \cos \phi + A_C^{\cos 2\phi} \cos 2\phi + A_C^{\cos 3\phi} \cos 3\phi$$



- published results shown for **unpolarized proton** target [hep-ex/0605108, subm. to PRL]
- use *symmetrization* ($\phi \rightarrow |\phi|$) to get rid of sinusoidal terms
- $A_C^{\cos \phi} = 0.060 \pm 0.027$, other contributions insignificant (dashed = pure $\cos \phi$)
- asymmetry only in exclusive and 'associate' M_X^2 region ($\rightarrow$ resol. smearing)
- preliminary deuteron data (not shown) completely consistent

Wolf-Dieter Nowak (DESY), HERMES Collaboration

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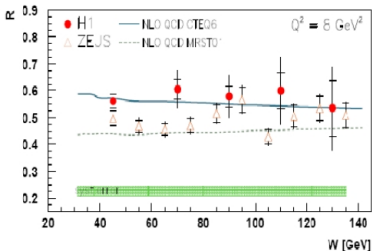
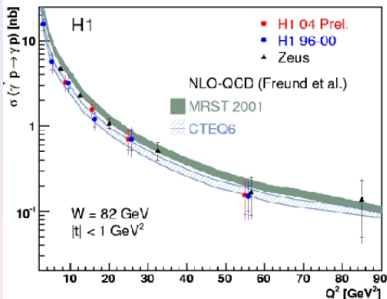
[Nowak]

L. Schoeffel: Exclusive light states at HERA

- H1/ZEUS kinematics:
 Q^2 and W^2 span many orders of magnitude, $x \sim 0.01$
- test of QCD evolution (Q^2 -dependence of cross section)
- Study t -dependence, fit exponential with slope parameter b
($\rightarrow$ update incl. 2004 data)
- Study W -dependence, $d\sigma \sim W^{0.8}$
- Extract the skewing factor $R = \text{DIS}/\text{Im}[\mathcal{A}^{\text{DVCS}}]$
- Sensitivity to gluon distribution
- Comparison with dipole formulation (“geometric scaling”)

Summary for the DVCS at H1/ZEUS

- Data in good agreement with NLO predictions : GPDs $\equiv$ PDFs at low scale and skewing generated dynamically from the QCD evolution...
- 'Re' part contributes to a few %

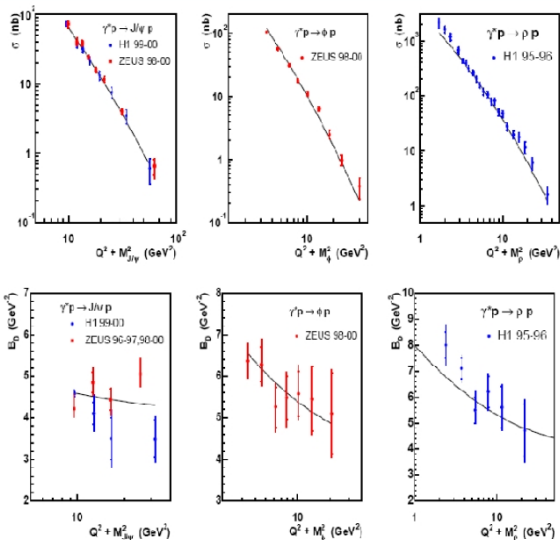


$R = \text{Im DIS} / \text{Im DVCS} \sim 0.5$
from a competition between Singlet and Gluons R_S and G

Perspectives : with increased stat. : more precise $b(Q^2)$ and $b(W)$!

[Schoeffel]

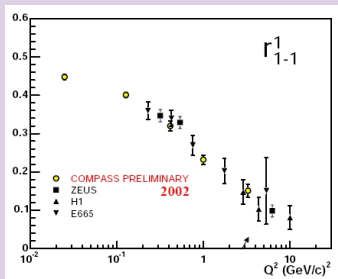
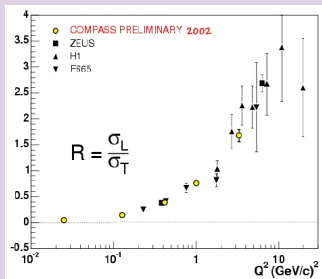
Results from all light exclusive VM production at HERA



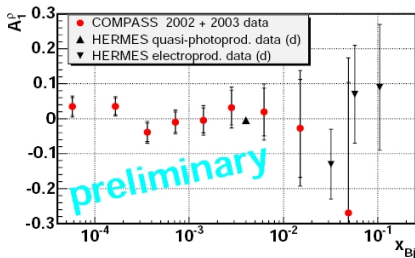
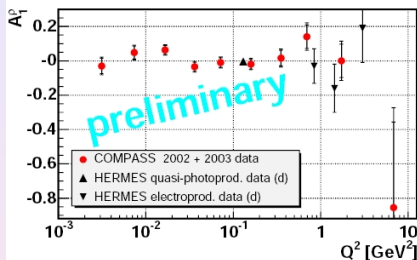
[Schoeffel]

A. Sandacz: Exclusive ρ^0 at COMPASS

- Longitudinal double-spin asymmetry $A_1^\rho(d)$
 - first measurement at small Q^2 and small x
 - consistent with zero
- High-statistics data on ρ^0 spin-density matrix elements and $R = \sigma_L/\sigma_T$
 - σ_L dominates for $Q^2 > 2 \text{ GeV}^2$
 - weak violation of s-channel helicity conservation
 - extraction of 23 SDMEs from 2003/4 data under way
- Studies of coherent ρ^0 production foreseen.
- Analysis of exclusive ϕ and J/ψ in progress.



COMPASS preliminary and HERMES results on A_1^p (d)



COMPASS results on A_1^p
on polarized deuteron
target consistent with 0

Extended kinematical
range of COMPASS by
almost 2 decades down
both in Q^2 and x

COMPASS : inner bars –stat.
outer – total errors
HERMES: total errors

[Sandacz]

E. Burtin: GPDs at COMPASS (DVCS prospects)

- 80% polarized μ^+ and μ^- beams
- Compass could provide data on
 - Cross section (190 GeV)
 - BCA (100 GeV)
 - Wide range of Q^2 and x_{Bj} values
- possible roadmap:

2006: test of recoil detector prototype ($\checkmark$)

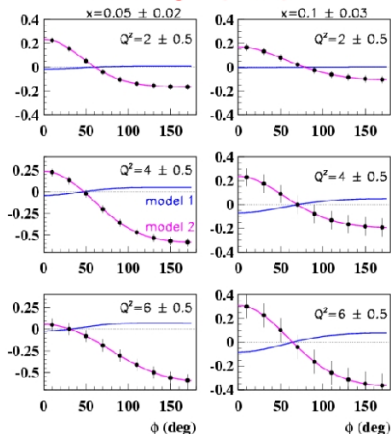
2007: proposal

2007-09: construction (rec. detector, LH_2 target, ECALO)

$\geq$ 2010: study of GPDs at COMPASS

Projected errors of a possible DVCS experiment

Beam Charge Asymmetry



$$\mathcal{L} = 1.3 \cdot 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$$

$$E_{\text{beam}} = 100 \text{ GeV}$$

6 month data taking

25 % global efficiency

6/18 (x, Q^2) data samples

3 bins in $x_{\text{Bj}} = 0.05, 0.1, 0.2$

6 bins in Q^2 from 2 to 7 GeV^2

Model 1 : $H(x, \xi, t) \sim q(x) F(t)$

Model 2 : $H(x, 0, t) = q(x) / x^{\alpha \dagger}$

Good constraints for models

[Burtin]

Theoretical GPD parametrizations for $\xi \neq 0$

- Generate non-trivial ξ -dependence.
- Satisfy polynomiality conditions.
- Satisfy positivity.
- Implement NLO evolution.

D. Müller: A new representation for GPDs

Mellin-Barnes representation of GPDs:

[DM/Kirch/Manoshev/Schäfer 05]

$$q(x, \xi, t; \mu^2) = \frac{1}{2i} \int_{c-i\infty}^{c+i\infty} dn \frac{p_n(x, \xi)}{\sin(\pi n)} E_n(\mu^2, \mu_0^2) q_n(\xi, t; \mu_0^2)$$

- $p_n(x, \xi)$ known basis functions
- $E_n(\mu^2, \mu_0^2)$ simple evolution operator (anom. dimensions)

Constraints on $q_n(\xi, t; \mu_0^2)$:

- polynomiality in ξ
- form factors: $F(t) \equiv q_1(\xi, t; \mu_0)$
- Mellin moments of PDFs: $q_n(\mu_0) \equiv q_1(\xi = 0, t = 0; \mu_0)$

Summary

The *Mellin–Barnes representation* for GPDs looks complicated.
However, it has several advantages:

- crossing relation GPDs $\Leftrightarrow$ GDAs is trivial
- partial wave decomposition $\Rightarrow$ tool to study duality
- separation of variables $\Rightarrow$ better GPD ansatzes/models
- convenient representation of scattering amplitudes
- simple and stable numerics that includes evolution (important for MC simulations)
- first view beyond NLO in DVCS for a special scheme

This representation is not restricted to a special scheme.

It can be implemented at NLO for hard photon and meson electroproduction in the $\overline{\text{MS}}$ scheme, too.

[Müller]

V. Guzey: Dual parametrization of GPDs and DVCS

Postulate representation of proton singlet GPDs in terms of Gegenbauer polynomials and partial waves

[Shuvaev/Polyakov 02]

$$H^q(x, \xi, t; \mu^2) = \sum_{\substack{n=1 \\ \text{odd}}}^{\infty} \sum_{\substack{\ell=0 \\ \text{even}}}^{n+1} B_{n\ell}^q(t, \mu^2) \theta(\xi - |x|) (1 - x^2/\xi^2) C_n^{3/2}(x/\xi) P_\ell(1/\xi)$$

- simple LO evolution and LO DVCS amplitudes
- divergent series of t -channel exchanges ($\rightarrow$ duality)
- use Polyakov/Shuvaev trick and get $B_{n\ell}^q$ from generating function
- keep minimal number of generating functions relevant for small values of ξ
- need further model assumptions on forward limit of E^q and D -term
- t -dependence: factorized vs. Regge with $\alpha' > \alpha'_p$

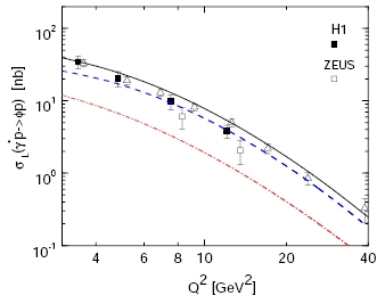
- economical description of DVCS observables
- Regge model for t -dependence preferred by HERMES data on A_C and A_{UT}

S. Goloskokov:

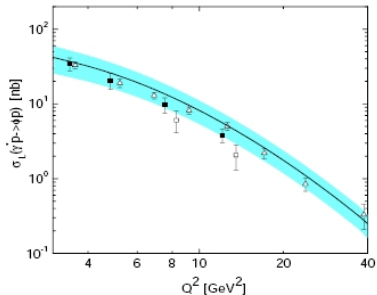
Deeply virtual vector meson production (theory model)

- Use **DD ansatz** to model GPDs.
- Use **pomeron slope $\alpha' \sim 0.15$** for t -dependence of gluons/sea quarks.
- Use vector meson production to constrain gluon/sea below $x = 0.01$.
- In hard-scattering use $k_{\perp}$ -dependent LCWF for mesons and **Sudakov** form factors (**transverse radius = fit parameter**)
- **Cross sections** for HERMES and HERA energies.
- Results for fitted gluon distribution.

Q^2 dependence of longitudinal cross sections of ϕ production at $W = 75\text{GeV}$.



Full line cross section, dashed blue - gluon contribution, dashed-dot - red - gluon-strange interference.



Cross sections with errors from uncertainty in parton distributions.

[Goloskokov]

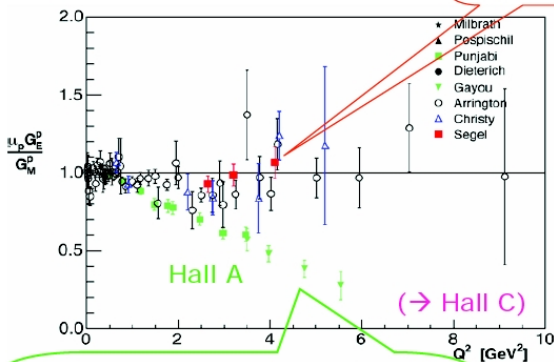
Nucleon Form Factors

- Input for GPD and DD reduction formulas.
- Constraints on models for x - t correlation in GPDs.

G. Rosner: Nucleon form factor measurements (status)

- Vector form factors for proton and neutron (space-like)
extended Q^2 range from JLAB upgrade
- Axial form factors (only dipole fit $\rightarrow M_A$)
Induced PS form factor (only $G_P(\approx 0)$)
- Strangeness form factors
- Time-like form factors: **factor-2 larger than space-like, neutron > proton ?**
 - new data from Belle/Babar ...
 - phase between G_E and G_M from Panda [see talk by Dueren]?

Proton electric FF

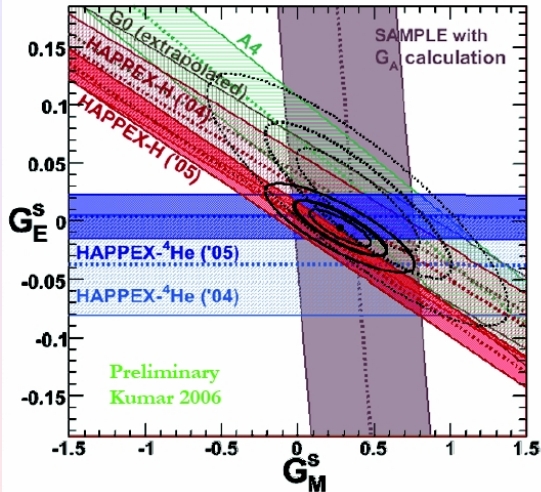


$$\frac{G_E^p}{G_M^p} = -\frac{P_t}{P_l} \frac{E_e + E'_e}{2M} \tan\left(\frac{\theta_e}{2}\right)$$

using **focal plane polarimeters** in A1 and Hall A

[Rosner, see below]

World data @ $Q^2 \sim 0.1 \text{ GeV}^2$



- $G_M^s = 0.28 \pm 0.20$
 $G_E^s = -0.006 \pm 0.016$
- $\sim 3\% \pm 2.3\%$ of magnetic moment
 $\sim 0.2\% \pm 0.5\%$ of charge distribution
- HAPPEX-only fit:
 - $G_M^s = 0.12 \pm 0.24$
 - $G_E^s = -0.002 \pm 0.017$

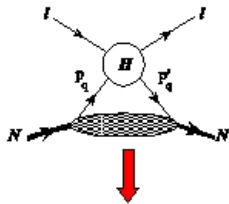
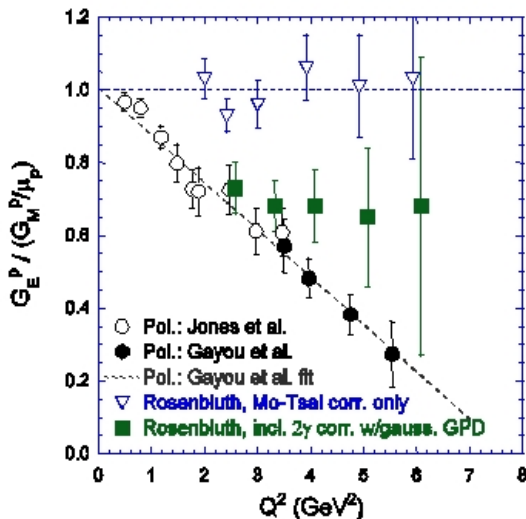
[Rosner]

M. Vanderhaeghen: GPDs and two-photon processes

- Rosenbluth separation data incompatible with recent JLAB Hall A data from polarization transfer
- May be explained by two-photon processes:
 - Big effect in Rosenbluth analysis for large Q^2
 - Small correction to polarization transfer (1-3%)
- Model-independent extraction of correction term from data.
- In line with partonic calculation (handbag + cat's ears diagrams + GPD model)

Two-photon exchange : partonic calculation

Rosenbluth w/2 γ corrections vs. Polarization data



GPDs

Chen, Afanasev, Brodsky,
Carlson, Vdh (2004)

[Vanderhaeghen]

Th. Feldmann: (valence) GPDs at zero-skewness

- Ansatz for exponential t -dependence

$$H_V^q(x, t) := q_V(x) \exp[t f_q(x)] , \quad E_V^q(x, t) := e_V^q(x) \exp[t g_q(x)]$$

- $q_V(x)$ from standard PDFs. **Positivity bounds** constrain $e_V^q(x)$.
- Qualitative behaviour of **profile functions** $f_q(x)$ and $g_q(x)$ from **Regge phenomenology** and physical intuition about **impact-parameter GPDs**.
- Fit to electromagnetic proton and neutron **form factors**.

- strong correlation between x and t -dependence
- transverse size for large values of x (default fit):

$$d_q(x) = \frac{b_q(x)}{1-x} \xrightarrow{x \gg 0.1} \begin{cases} 0.44 \text{ fm} & (\text{u-quarks}) \\ 0.6 \text{ fm} & (\text{d-quarks}) \end{cases}$$

- orbital momentum of valence quarks (default fit):

$$2(L_V^u - L_V^d) = -(0.77 \text{ to } 0.92) , \quad 2(L_V^u + L_V^d) = -(0.11 \text{ to } 0.22)$$

consistent with QCDSF lattice results.

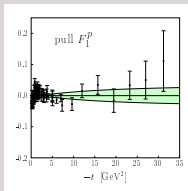
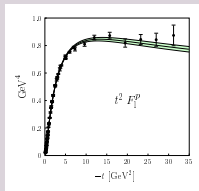
- “**nucleon tomography**”

[also discussed by M. Burkardt]

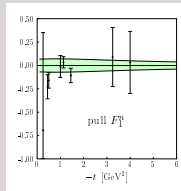
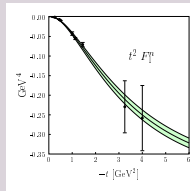
The default fit

$$(\alpha' \equiv 0.9 \text{ GeV}^{-2})$$

proton



neutron



profile function

$$f_q(x) = -\alpha' (1-x)^3 \ln x + B_q (1-x)^3 + A_q x (1-x)^2$$

fit parameters

$$A_U = (1.22 \pm 0.02) \text{ GeV}^{-2}$$

$$A_d = (2.59 \pm 0.29) \text{ GeV}^{-2}$$

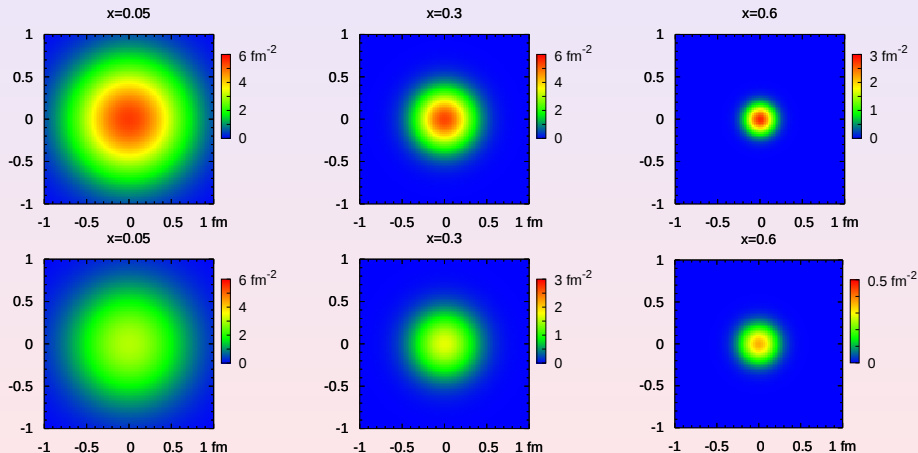
$$B_U \equiv B_d = (0.59 \pm 0.03) \text{ GeV}^{-2}$$

correlation

	B_q	A_U	A_d
B_q	1	-0.743	0.750
A_U	-0.743	1	-0.194
A_d	0.750	-0.194	1

Nucleon tomography from default fit to $F_{1,2}^{p,n}$

valence quarks: unpolarized (up and down)

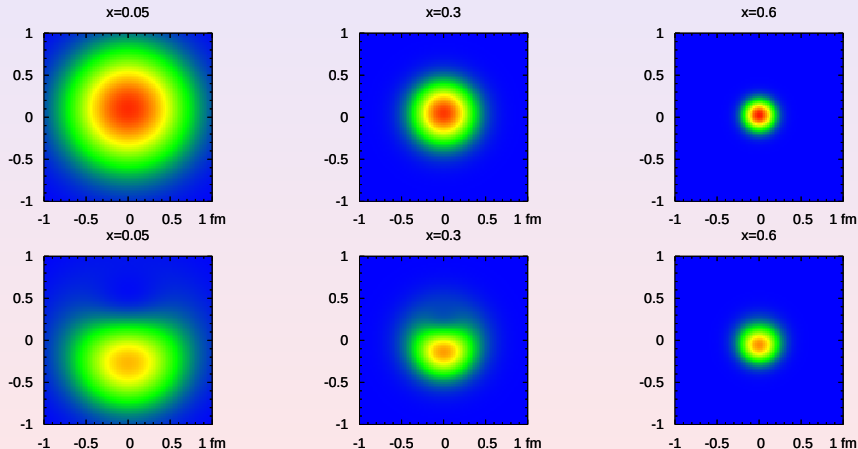


[Diehl/TF/Jakob/Kroll 2004]

Nucleon tomography from default fit to $F_{1,2}^{p,n}$

valence quarks: polarized

(sizeable systematic uncertainties due to $e_v(x)$!)



[Diehl/TF/Jakob/Kroll 2004]

G. Schierholz: QCDSF results I

- Simulations with unquenched Wilson fermions
- Generalized form factors $\rightarrow$ angular momentum:

$$J^u = 0.32(4), \quad J^d = -0.21(4), \quad 2L^{u+d} = 0.06(14), \quad 2L^{u-d} = -0.90(12)$$

also: $E^u + E^d \approx 0$

- Systematic uncertainties (chiral extrapolation! disconnected diagrams)
 - needs simulations with smaller pion masses
 - more studies on χ PT for GPD moments
- To what extent shall we use lattice results
as constraints for phenomenological parametrizations?

M. Diehl:

- Understand dynamics in $\gamma h \rightarrow \gamma h$ and $h\bar{h} \leftrightarrow \gamma\gamma$ at large angles and large energy ($s, t, u \gg M^2$, also VCS)
- test **soft spectator mechanism** (one fast parton in the hadron, mimics dimensional counting)
- Extract relevant **(Compton) form factors** (of natural size?)
- Corrections? (NLO, twist-3, target-mass)
- flavour symmetry and test of handbag:

$$d\sigma[\pi^0\pi^0] \simeq d\sigma[\pi^+\pi^-] \simeq d\sigma[K^+K^-] \text{ and } d\sigma[K_s^0K_s^0] \simeq \frac{2}{25} d\sigma[K^+K^-]$$

Wide-angle Compton scattering

$\gamma p \rightarrow \gamma p$ at large $s \sim -t \sim -u$

($\theta = \angle(p, \gamma)$ away from 0° and 180°)



- ▶ hard scattering mechanism: $d\sigma/dt \sim f(\theta) s^{-6}$
same problems with phenomenology as $F_1(s)$
- ▶ slow spectator mechanism: spectators **soft** $\sim \Lambda^2$
fast quark **semi-hard** $\sim \Lambda\sqrt{-t}$ and $\gamma q \rightarrow \gamma q$ **hard** $\sim t$
 $\rightsquigarrow$ **factorization** of long- and short-distance dynamics

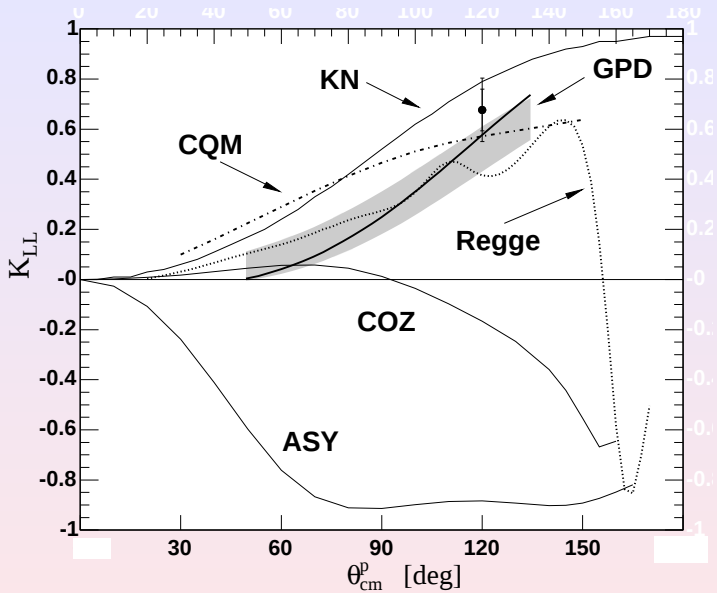
A. Radyushkin '98, M.D. et al. '98

[Diehl]

B. Wojtsekhowski: Nucleon Compton Scattering (JLAB)

- Study scaling of differential cross sections with s
- Compare with handbag: **fits well with predictions from Kroll et al.**
- Extract Compton form factors:
 - From cross section: $R_V/F_1 > 1$ and approx. constant
 - From polarization transfer K_{LL} : $R_A/R_V \approx 0.8$
⇒ Only small correction of KN result:
proton behaves almost like free fermion (fast quark takes all the photon spin)
- New measurements of K_{LL} (smaller angles) and A_{LL} planned.
- Perspectives for JLAB@12 GeV.
- Proposal for neutron CS.
- WACS prefers handbag → include results for Compton form factors into global fit?



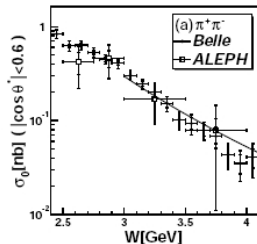


[Wojtsekhowski]

C.-C. Kuo: $\gamma\gamma \rightarrow hh$ at BELLE

- abundance of clean $\gamma\gamma$ events with $W_{\gamma\gamma} \leq 4.5$ GeV
(pions, kaons, proton, Λ , Σ^0)
- test dynamic pictures (pQCD, diquark, handbag)
- study W -dependence: **steeper than pQCD**
- study θ -dependence
 - **consistent with $\sin^{-4} \theta$**
 - **steeper for higher energies**
- $\sigma(K^+K^-)/\sigma(\pi^+\pi^-)$ consistent with 1
- $\sigma(K_s^0 K_s^0)/\sigma(K^+K^-) = 0.13 \rightarrow 0.01$ (i.e. between handbag and pQCD)
- [observation of charmonium resonances]

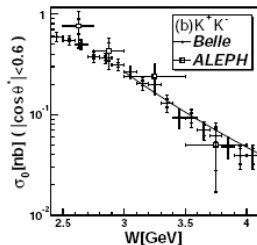
$\gamma\gamma \rightarrow \pi^+\pi^-, K^+K^-$ at $W_{\gamma\gamma} = 2.4 - 4.1$ GeV
[Belle Collab., PL B615 (2005) 39]



$W_{\gamma\gamma}^{-n}$ dependence in
3.0 – 4.1 GeV:

$$\gamma\gamma \rightarrow \pi^+\pi^- \quad n = 7.9 \pm 0.4 \pm 1.5$$

$$\gamma\gamma \rightarrow K^+K^- \quad n = 7.3 \pm 0.3 \pm 1.5$$

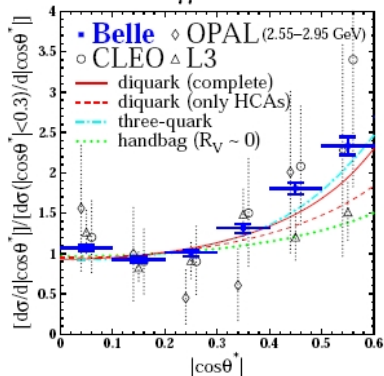


showing a steeper dependence
than $W_{\gamma\gamma}^{-6}$

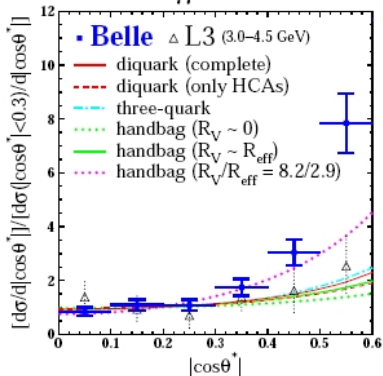
[Kuo]

$\gamma\gamma \rightarrow p\bar{p}$ [Belle]

$2.5 < W_{\gamma\gamma} < 3.0$ GeV



$3 < W_{\gamma\gamma} < 4$ GeV



- ◆ Consistent with the ascending trend of the hard scattering amplitude $\propto \frac{1}{tu} \propto \frac{1}{1 - \cos^2 \theta^*}$
- ◆ Steeper at higher $|\cos \theta^*|$ than all present predictions

[Kuo]

F. Bradamante (COMPASS): Transversity Physics in DIS

- Physics issues
- Comparison of HERMES and COMPASS
- Collins and Sivers asymmetries
- Two-hadron asymmetries
- Λ polarimetry
- Perspectives (new COMPASS fixed-target proposal for transversity and GPDs)

... more during this conference ...

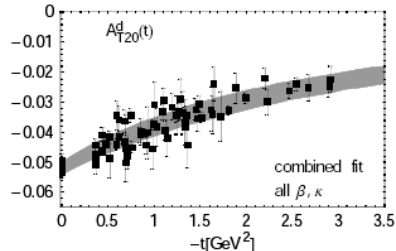
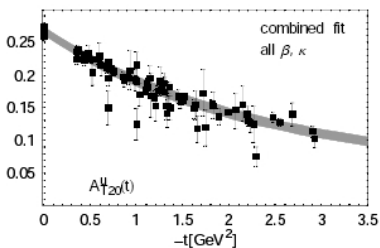
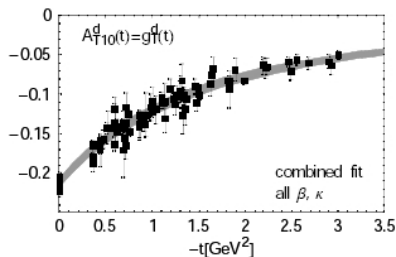
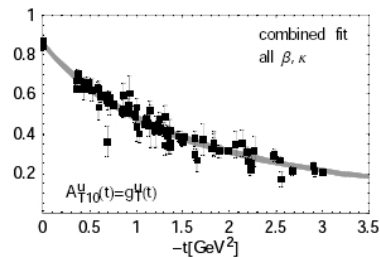
... see also introductory talk by M. Burkardt ...

A. Schäfer: QCDSF results II

- Measure tensor form factors, charges: $A_{T10}^u - A_{T10}^d = 1.068 \pm 0.016$
- Tensor GPD form factors are large: $\Rightarrow$ substantial $\vec{b}_\perp \times \vec{S}$ correlations
- Also applies to Pion!

Ph. Haegler: Transversity GPDs

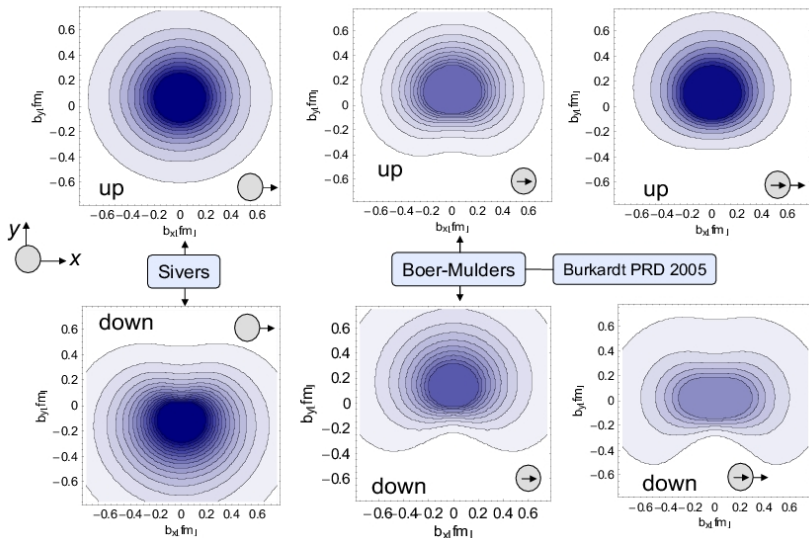
- Preliminary result for transverse spin densities
- Connection with Sivers- and Boer-Mulders effect
- Equation-of-motion constraints between twist-2 and twist-3
- Importance of tensor GPDs for positivity bounds
- Comparison with transverse-momentum-dependent PDFs (dictionary)



The generalized formfactors A_{T10} and A_{T20} together with dipole fits.

[Schäfer (QCDSF)]

preliminary results for the transverse spin densities



[Haegler (Diehl/Haegler)]

Dictionary GPDs ↔ TMDPDFs

	$p_{\perp} \leftrightarrow b_{\perp}$
unpolarized	$f_1 \leftrightarrow H$
polarized	$g_1 \leftrightarrow \tilde{H}$
transversity	$h_1 \leftrightarrow H_T - \Delta_b \tilde{H}_T / (4m^2)$
Sivers	$f_{1T}^{\perp} \leftrightarrow -E'$
Boer-Mulders	$h_1^{\perp} \leftrightarrow -\bar{E}'_T$
N.N.	$h_{1T}^{\perp} \leftrightarrow 2\tilde{H}_T''$
N.N.	$g_{1T} \leftrightarrow 0$
N.N.	$h_{1L}^{\perp} \leftrightarrow 0$

time reversal and Wilson lines make the difference

exact for integrated distributions

unpolarized	$\int d^2 p_{\perp} f_1 = \int d^2 b_{\perp} H$
polarized	$\int d^2 p_{\perp} g_1 = \int d^2 b_{\perp} \tilde{H}$
transversity	$\int d^2 p_{\perp} h_1 = \int d^2 b_{\perp} (H_T - \Delta_b \tilde{H}_T / (4m^2))$

approximately for
non-integrated distributions
(Burkardt PRD 72 (2005))

Sivers	$f_{1T}^{\perp} \sim - \int dx E(x, 0, 0)$
Boer-Mulders	$h_1^{\perp} \sim - \int dx \bar{E}_T(x, 0, 0)$

- **D. Robaschik:** consistent implementation of target mass corrections in DVCS.
- **L. Szymanowski:**
 - Transition Distribution Amplitudes, e.g. $\langle \pi | q(z_1) q(z_1) q(0) | p \rangle$
 - QCD factorization in $\gamma^* \gamma^*$, perturb. analysis of kinematical limits.
- **S. Friot:** Photon GPDs (from perturbative calculation of box diagram)
- **B. Pasquini:** Virtual meson cloud of the nucleon and GPDs
 - light-cone Hamiltonian model for bare nucleon and mesons
 - calculate higher Fock states (one-meson approx.)
 - derive GPDs from overlap formula
- **P. Schweitzer:** Chiral quark-soliton model:
 - form factors of energy-momentum tensor
 - mechanical interpretation (pressure and shear forces)
- **S. Liuti and M. Siddikov:** GPDs for Nuclei
 - space-time picture of nuclear effects
(off-forward EMC effect, nuclear shadowing, colour transparency)
 - coherent and incoherent DVCS and BH
 - modelling

GPDs: “From the Ice-Age to the Bronze-Age ...”

[anonymous speaker]



- GPD analyses are starting to be data-driven!
 - DVCS (azimuthal asymmetries)
 - DVMP
 - Form factors and wide-angle processes
- Important to disentangle x , ξ and t dependence!
 - Experimental binning
 - Theoretical parameterizations
 - Improved lattice constraints (chiral extrapol.)
- Long-term goal: (“wish/suggestion” by W.D. Nowak)
 - Define standards → Database for GPDs
 - Perform global fits