

*A study of CP asymmetry in
 $B^0 \rightarrow D^{(*)}\pi$ and $B^0 \rightarrow D\rho$
decays in BaBar*

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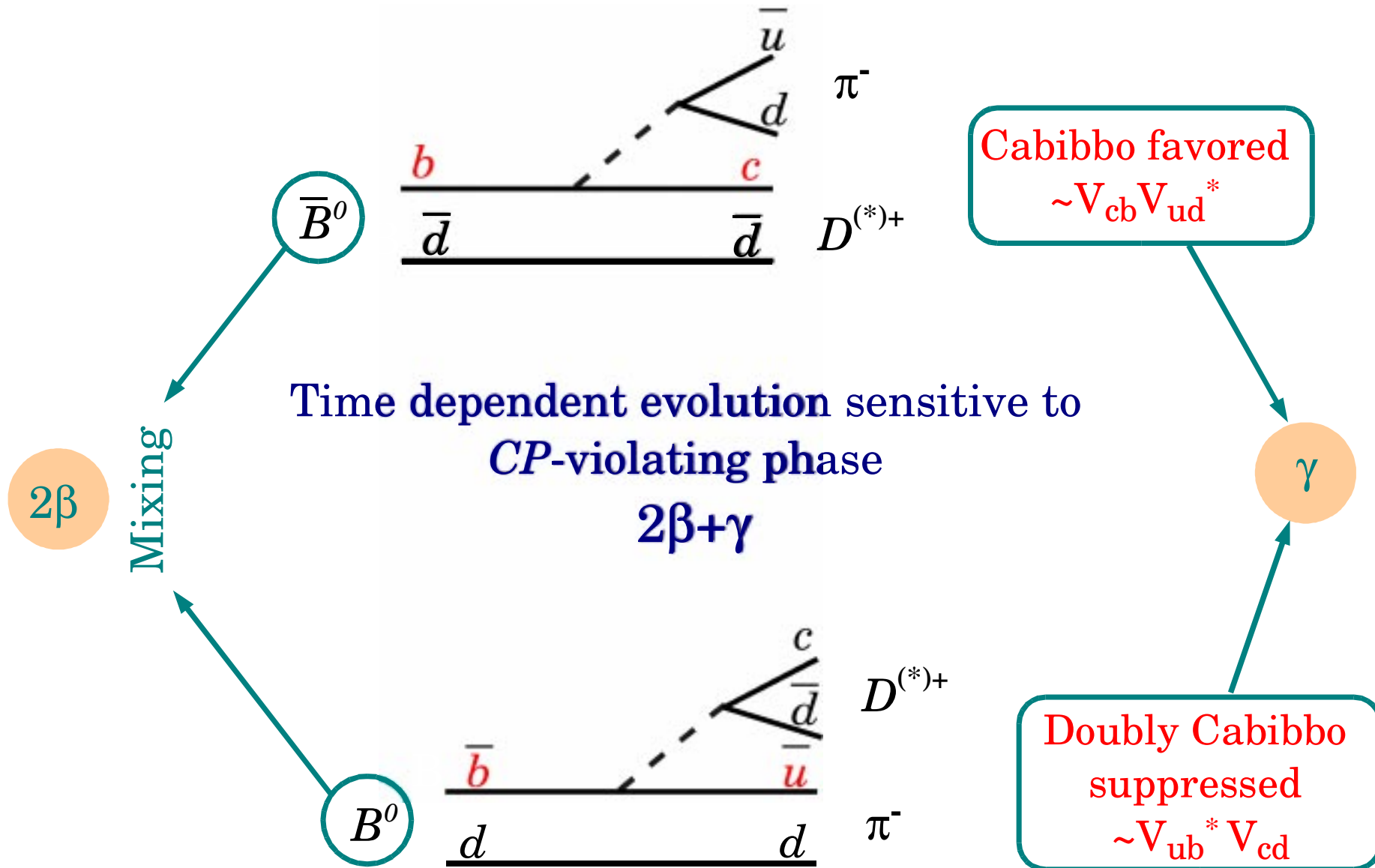
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$2\beta+\gamma$ phase in $B \rightarrow D^{(*)}\pi$



Theoretical assumptions

× Final state not CP eigenstate \Rightarrow extract **strong phase δ** from $A_{D^- \pi^+}(t)$ and $A_{D^+ \pi^-}(t)$

× Need to evaluate : $\lambda = r e^{-i(2\beta + \gamma - \delta)} = \frac{A(B^0 \rightarrow D^{(*)+} \pi^-)}{A(\bar{B}^0 \rightarrow D^{(*)+} \pi^-)} e^{-i(2\beta)}$

Expected: $r \approx \left| \frac{V_{ub}^* V_{cd}}{V_{ud}^* V_{cb}} \right| \approx 0.02 \Rightarrow$ small CP asymmetry

× Problem: *Doubly Cabibbo Suppressed* not directly measurable.

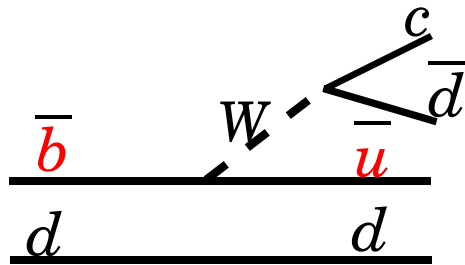
Solution: Use $B^0 \rightarrow D_s^{(*)+} \pi^-$ assuming :

- $SU(3)$ symmetry
- W -exchange negligible $\Rightarrow B^+ \rightarrow D^{(*)+} K^0$

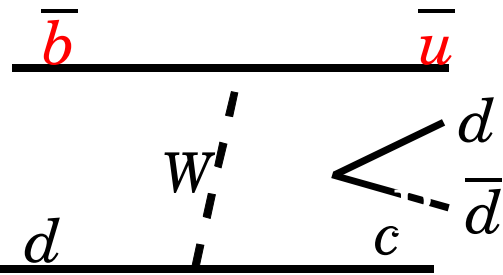
Use of $B^0 \rightarrow D_s^{(*)} \pi$

SU(3)

$B^0 \rightarrow D^{(*)+} \pi^-$

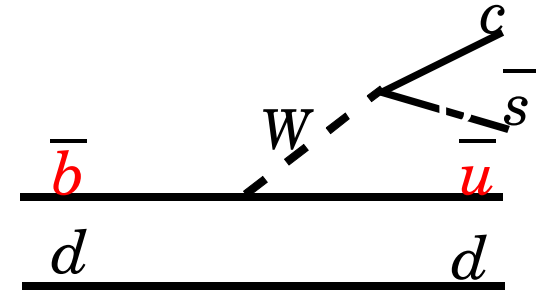


Tree diagram



W-exchange diagram

$B^0 \rightarrow D_s^{(*)+} \pi^-$



Only a tree diagram

$$r^{(*)} = \text{tg} \theta_c \sqrt{\frac{BR(B^0 \rightarrow D_s^{(*)+} \pi^-)}{BR(B^0 \rightarrow D^{(*)+} \pi^-)} \frac{f_{D^{(*)}}}{f_{D_s^{(*)}}}}$$

$$r = 0.019 \pm 0.004$$

$$r^* = 0.017 \pm 0.005$$

We assume 30% theoretical error on r

Annihilation & W-exchange

x $B^+ \rightarrow D^{(*)+} K^0$ is a pure annihilation process.

x Annihilation & W-exchange are the same kind of process in *OPE*.

x No precise theoretical evaluation (factorization is not possible)

x One expect also a **suppression factor**:
 $f_B/m_B \sim \lambda_{cab}^2$

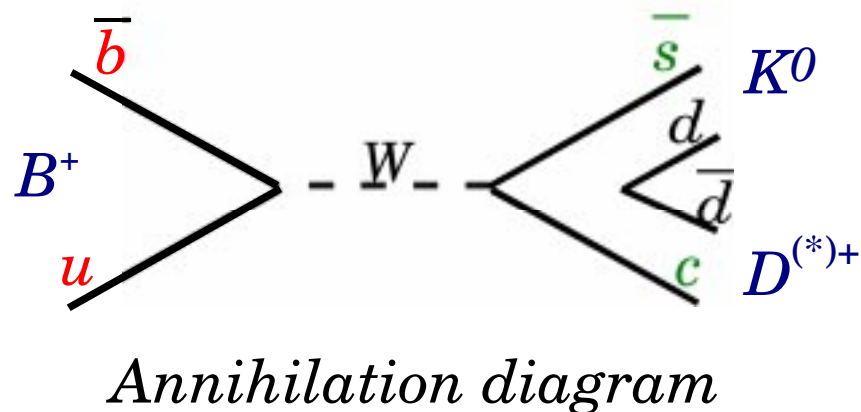
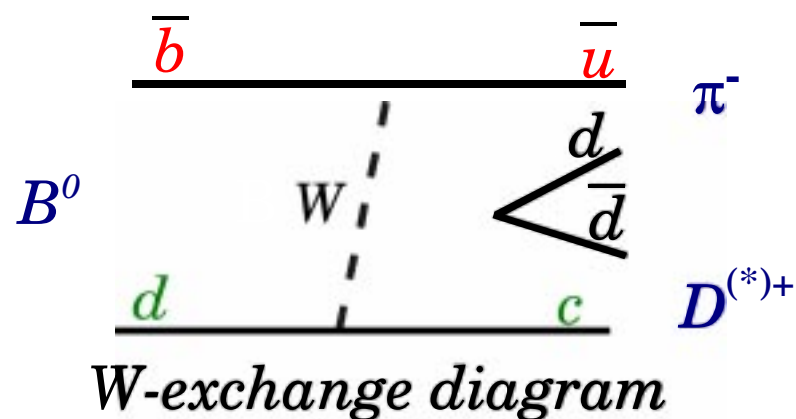
x Theories considering rescattering predicts amplitude enhancement of λ_{cab}^2

x Usually **neglected**

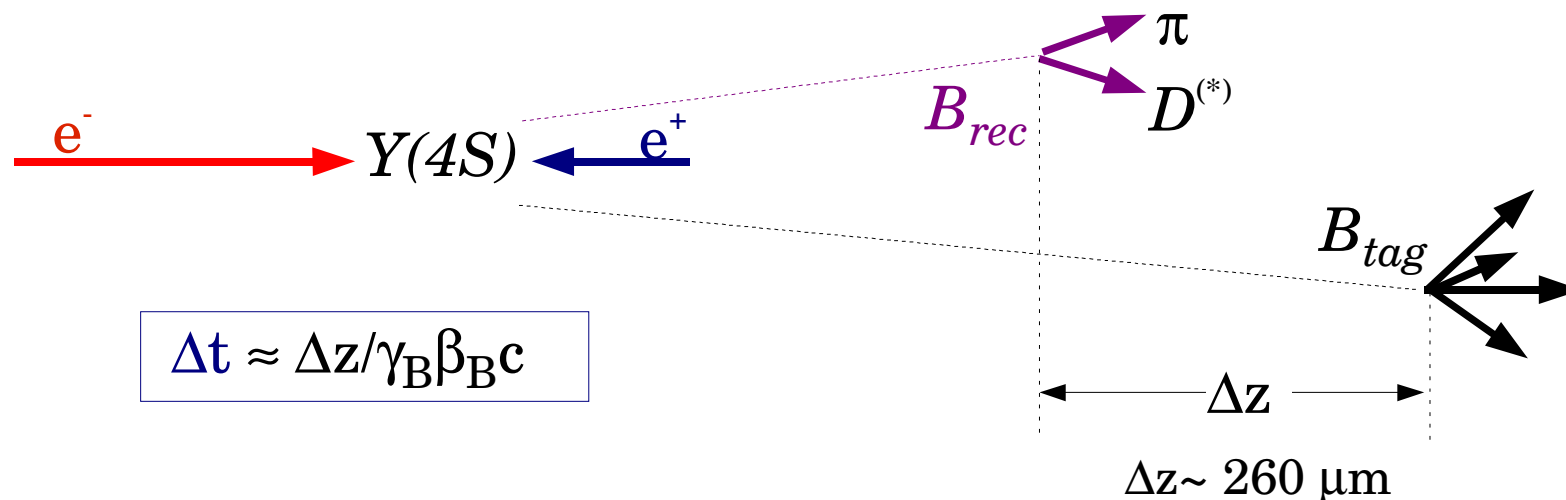
x We find (@ 90% CL) :

$$BR (B^+ \rightarrow D^+ K^0) < 2.2 \cdot 10^{-5}$$

$$BR (B^+ \rightarrow D^{*+} K^0) < 1.3 \cdot 10^{-5}$$



Time-dependent analysis



$$\Gamma(B \rightarrow D^{(*)} \pi) \propto 1 + \xi_m \cos(\Delta m \Delta t) - [\xi_1 a + \xi_m c + \xi_1 \xi_m b] \sin(\Delta m \Delta t)$$

$\xi_m = 1(-1)$ for events tagged
as unmixed (mixed)

$\xi_1 = 1(-1)$ for B_{tag} identified as B^0 (\bar{B}^0)

r', δ' are the ratio and difference between
the $b \rightarrow u$ and $b \rightarrow c$ amplitudes in the B_{tag}
decay. $r' = 0$ in lepton tags.

$$a = 2r \sin(2\beta + \gamma) \cos \delta$$

$$b = 2r' \sin(2\beta + \gamma) \cos \delta'$$

$$c = 2 \cos(2\beta + \gamma) (r \sin \delta - r' \sin \delta')$$

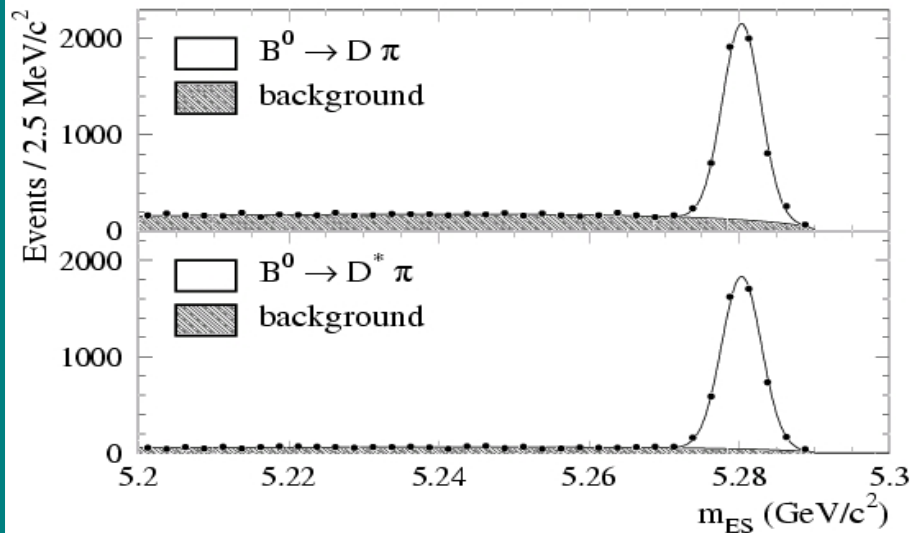
Full reconstruction

81 fb⁻¹

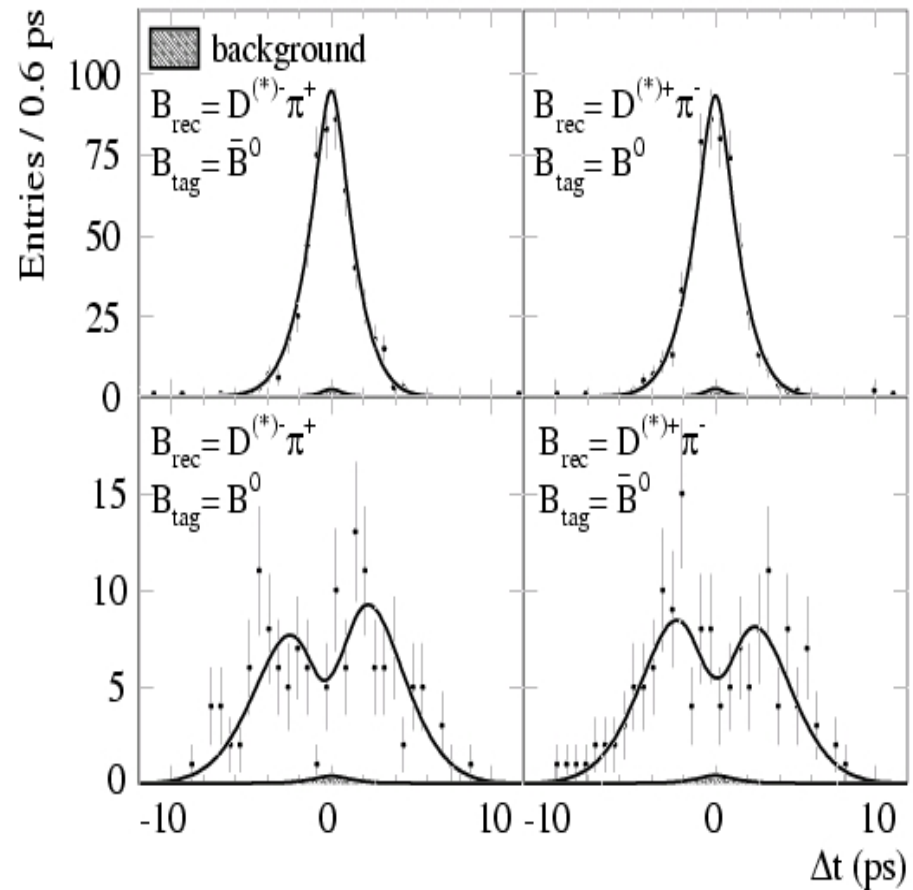
(hep-ex/0309017)

	signal events	purity
$B^0 \rightarrow D\pi$	5207 ± 87	84.9%
$B^0 \rightarrow D^*\pi$	4746 ± 78	94.4%

$$m_{ES} = \sqrt{E_{beam}^2 - p_B^2}$$



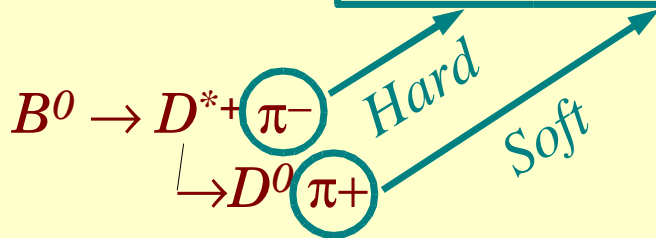
Time evolution for
lepton category



Partial reconstruction

76 fb⁻¹
(hep-ex/0310037)

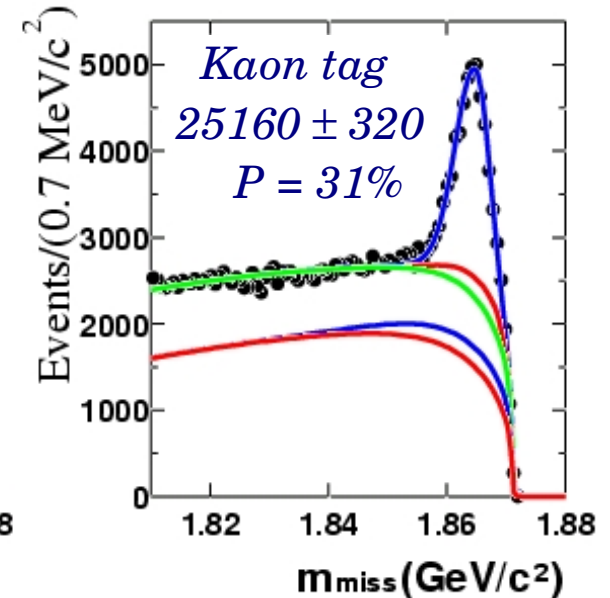
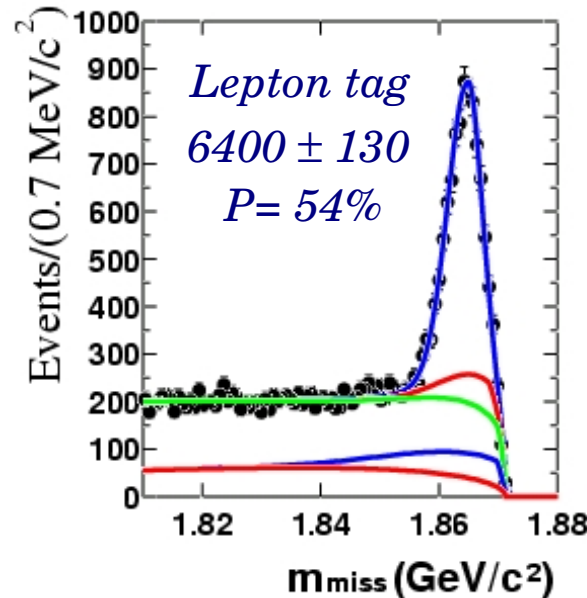
Reconstructed



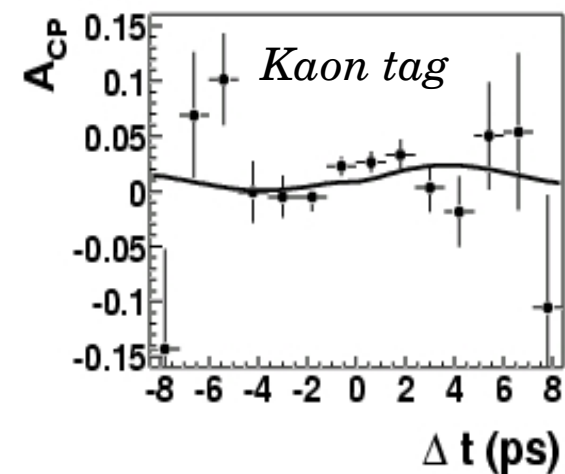
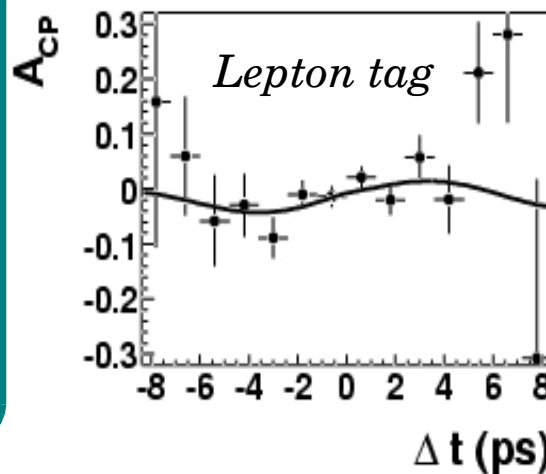
No efficiency loss for D^0 reconstruction

$m_{miss} = D$ invariant mass

$$A_{CP} = \frac{N_{B_{tag}^0} - N_{\bar{B}_{tag}^0}}{N_{B_{tag}^0} + N_{\bar{B}_{tag}^0}}$$



$D^*\rho$ Combinatorial BB Peaking BB Continuum



Results

From Time-Dependent Maximum Likelihood Fit

		a	C_{lep}
Full reco	$D\pi$	$-0.022 \pm 0.038 \pm 0.020$	$0.025 \pm 0.068 \pm 0.033$
	$D^*\pi$	$-0.068 \pm 0.038 \pm 0.020$	$0.031 \pm 0.070 \pm 0.033$
Partial reco	$D^*\pi$	$-0.022 \pm 0.038 \pm 0.020$	$-0.022 \pm 0.038 \pm 0.020$

Partial reco has
5% overlap with full
reconstruction
sample

Systematics

- × Control sample statistics
- × Monte Carlo statistics
- × Detector alignment
- × Tagging
- × Background modeling
- × Fit procedure

Limits on $\sin(2\beta+\gamma)$: strategy

✗ The observables a and c_{lep} are functions of the physical parameters $\sin(2\beta+\gamma)$, δ , r .

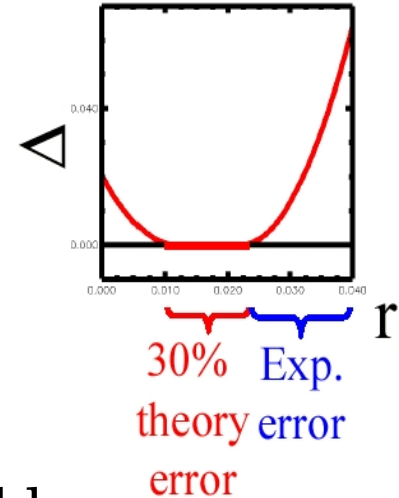
✗ Minimize:

$$\chi^2(\sin(2\beta+\gamma), \delta, r) = \sum_i \left(\frac{x_i - x_i^{meas}}{\sigma_i^{meas}} \right)^2 + \Delta(r_{D\pi}) + \Delta(r_{D^*\pi})$$

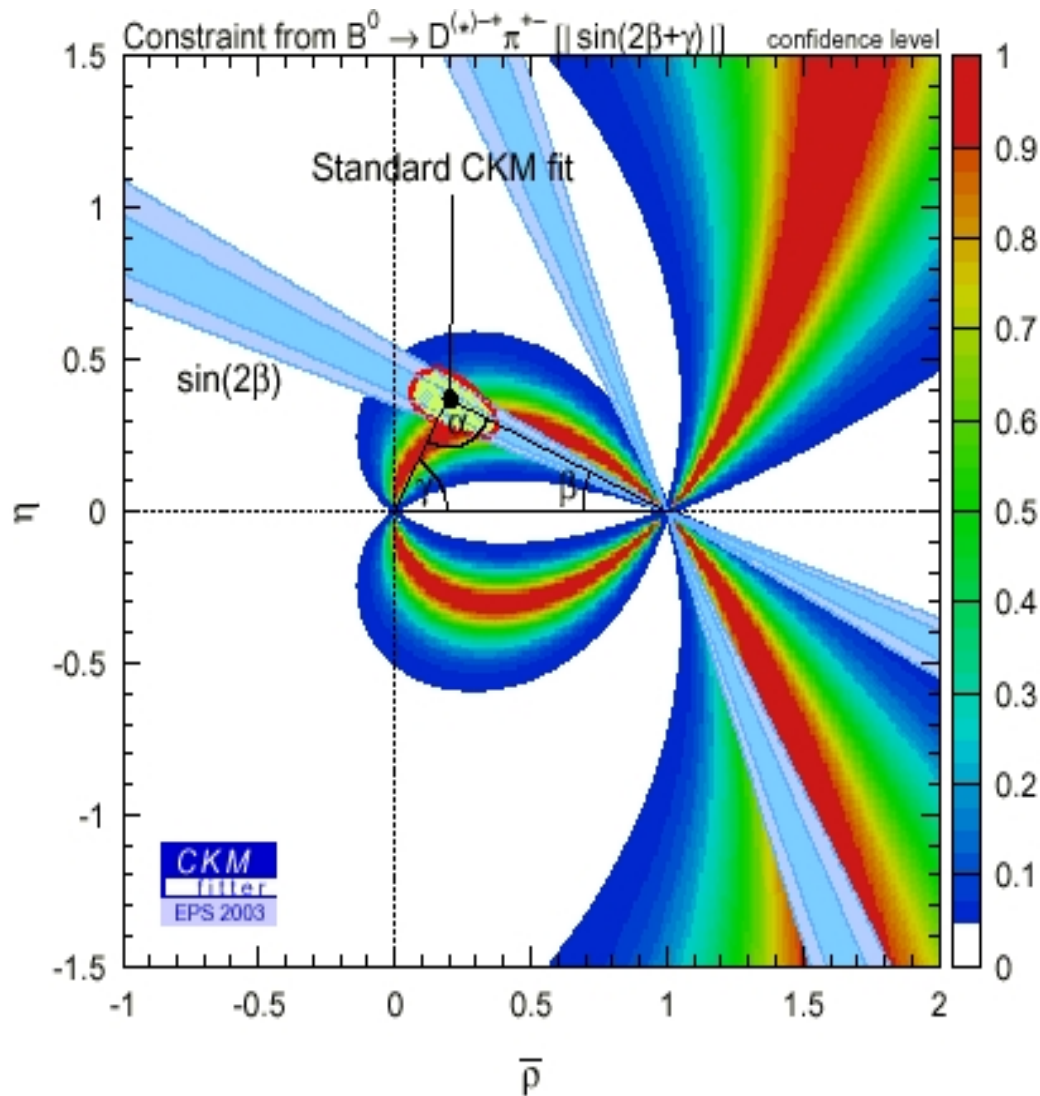
✗ Large errors and edge effects near $\sin(2\beta+\gamma)=1$, so χ^2 highly non-quadratic

✗ Use a frequentist approach to obtain a limit on $|\sin(2\beta+\gamma)|$:

- Run many parameterized *MC* experiments for different values of $\sin(2\beta+\gamma)$
- The fraction of such experiments for which $\chi^2(\sin(2\beta+\gamma)) - \chi^2_{min}$ is smaller than in the data is the confidence level of the lower limit for that value of $\sin(2\beta+\gamma)$



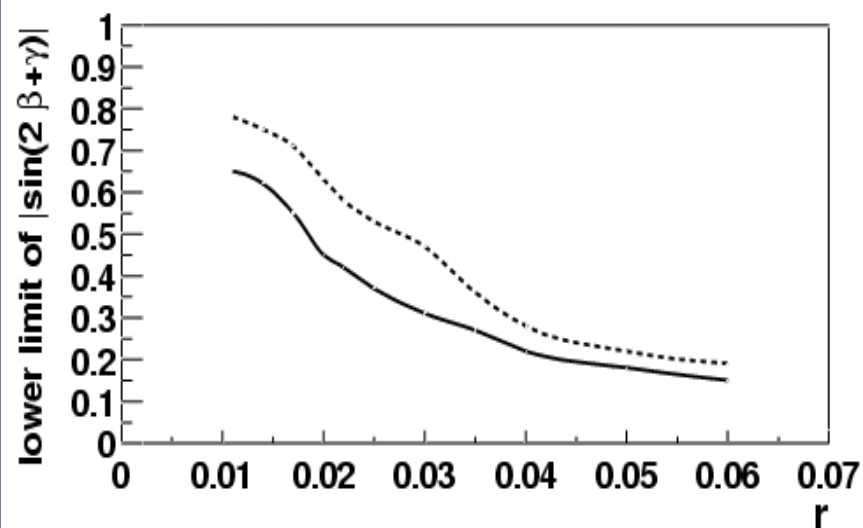
Limits on $\sin(2\beta+\gamma)$: results



$$|\sin(2\beta+\gamma)| > 0.87 \text{ (@ 68\% CL)}$$

$$|\sin(2\beta+\gamma)| > 0.58 \text{ (@ 95\% CL)}$$

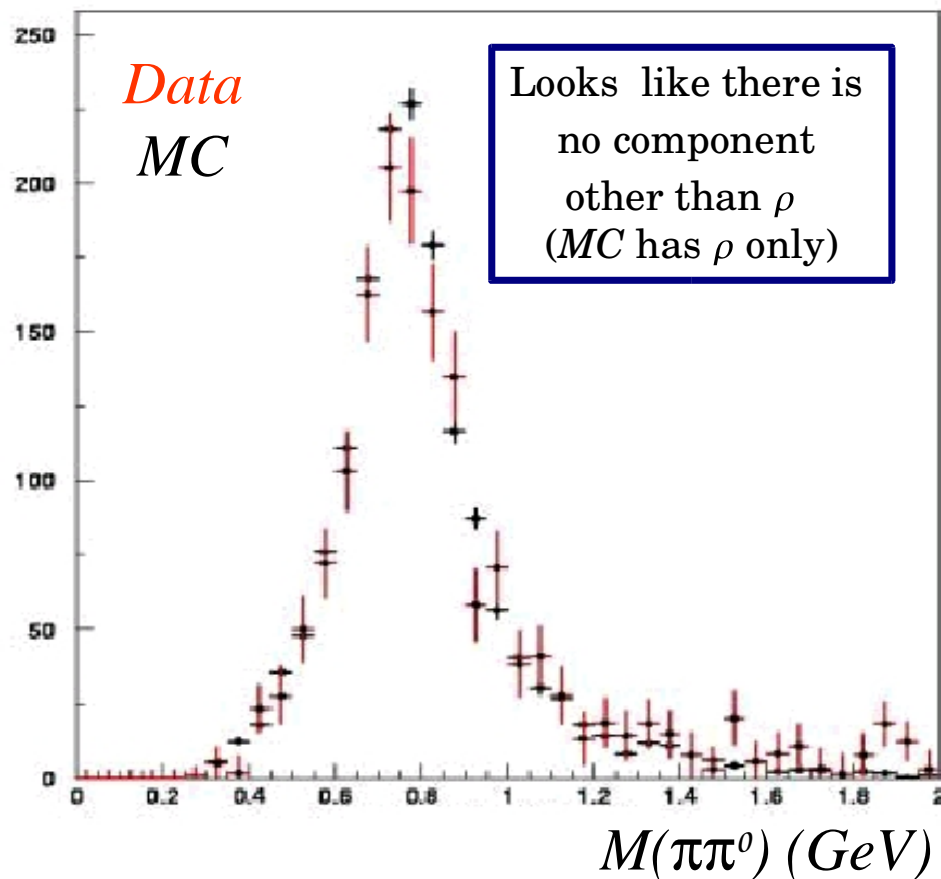
Limit from $D^*\pi$
without theoretical
assumptions on r



$\sin(2\beta+\gamma)$ with $B \rightarrow D\rho$

If only a ρ component in the selected $\pi\pi^0$ invariant mass region:

- same time evolution of $D^{(*)}\pi$ final states (sensitive to $\sin(2\beta+\gamma)$)
- same analysis technique



Detailed background studies underway

We are working for a global fit of $B \rightarrow D^{()}\pi$ and $B \rightarrow D\rho$ to improve constraints on $\sin(2\beta+\gamma)$*

Conclusions

- × Time dependent evolution of $B \rightarrow D^{(*)}\pi$ and $B \rightarrow D\rho$ decays is sensitive to CP violating phase $\sin(2\beta+\gamma)$.
- × Full reconstruction of $B \rightarrow D^{(*)}\pi$ decays performed on $81fb^{-1}$:
 $a(D\pi) = -0.022 \pm 0.038 \pm 0.020$ $c(D\pi) = 0.025 \pm 0.068 \pm 0.033$
 $a(D^*\pi) = -0.068 \pm 0.038 \pm 0.020$ $c(D^*\pi) = 0.031 \pm 0.070 \pm 0.033$
- × Partial reconstruction of $B \rightarrow D^*\pi$ decays performed on $76fb^{-1}$:
 $a(D^*\pi) = -0.063 \pm 0.024 \pm 0.014$ $c(D^*\pi) = 0.008 \pm 0.0037 \pm 0.020$
- × $B \rightarrow D\rho$ analysis needs to verify the presence of contributions other than ρ in $\pi\pi^0$ invariant mass.
- × The time-dependent maximum likelihood fit on $B \rightarrow D\rho$ is underway.