FOCUS Preliminary Results on  $D^0$  decays into multi  $K_s^0$  final states

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## Motivations:

Non leptonic charmed mesons decays:

- The theoretical predictions are limited mainly to two body decay modes.
- Difficult calculations due to poor knowledge of charm hadronic wavefunctions; QCD short – distance effects and final state interactions (FSI).
  - Previous Measurements of D<sup>0</sup> decays into multi K<sub>s</sub> final states still have large uncertainties:

**Decay Mode:**   $D^{0} \rightarrow K^{0}\overline{K}^{0}$   $D^{0} \rightarrow K^{0}\overline{K}^{0}K^{-}\pi^{+}$   $D^{0} \rightarrow \overline{K}^{0}\overline{K}^{0}K^{+}\pi^{-}$  $D^{0} \rightarrow K^{0}\overline{K}^{0}\pi^{+}\pi^{-}$ 

Branching Fraction:  $(7.1 \pm 1.9) \cdot 10^{-4}$ - $(7.5 \pm 2.9) \cdot 10^{-3}$ 

### **Theoretical Predictions:**

All modes, except for  $D^0 \rightarrow K^0 \overline{K}^0 K \pi$  and  $D^0 \rightarrow \overline{K}^0 \overline{K}^0 K \pi$ , are Cabibbo suppressed.

The two - body decay is described by two exchange-type Feynman diagrams, which interfer destructively (due to CKM matrix element's signs).



Feynman diagrams for  $D^0 \rightarrow K^0 \overline{K}^0$ 

Different models have been applied to the study of this decay mode:

- → Non factorizable contributions: factorization models estimate a null amplitude for D<sup>0</sup> -> K<sup>0</sup>K<sup>0</sup> decay mode. Non factorizable contributions, as final state soft gluon exchange, produce non zero amplitude
- → Final State Interactions (FSI): intermediate resonant states (i.e. f<sup>0</sup> (1710)..)

or final state rescattering (OPE: One Particle Exchange)



Branching Ratio  $\Gamma(D^0 \rightarrow K^0 \overline{K}^0) / \Gamma(D^0 \rightarrow \overline{K}^0 \pi^+ \pi^-)$  previsions range from 0. to 5.08%.



Successor to E687. Designed to study charm particles produced by ~180 GeV photons using a fixed target spectrometer with updated Vertexing, Cerenkov, EM Calorimeters, Hadron Calorimeter and Muon id capabilities.

Member groups from USA, Italy, Brazil, Mexico, Korea.

### **Events Reconstruction**



 $D^0 \rightarrow K^0 \overline{K}^0 (+ K, \pi)$  decay mode is reconstructed through  $D^0 \rightarrow K_s K_s (+ K, \pi)$ Secondary vertex is obtained combining  $K_s$  candidates and charged tracks (if any). For  $D^0 \rightarrow K_s K_s$ , a stand-alone Algorithm is used to reconstruct primary vertex. All the SSD tracks in the event (excluding those already associated with  $K_s K_s$  reconstruction) are used to construct all the possible vertices. Among these, we choose the highest multiplicity vertex (ties are resolved choosing the more upstream vertex). For  $D^0 \rightarrow K_s K_s K\pi (\pi\pi)$ ,  $D^0$  candidate is used as seed track to intersect the other

tracks in the event to reconstruct primary vertex.

K Reconstruction

K<sub>s</sub> Candidates are identified by the decay mode:

 $K_{s} \to \pi^{+}\pi^{-}$  (B.R.= 68.3 %)  $\sim SSD K_{s}$ : decayi



 SSD K<sub>s</sub>: decaying upstream of SSD and composed of two linked SSD – PWC tracks;

- M1 K<sub>s</sub>: two unlinked 3 or 5-chambers



# **Events Selection (1)**

#### $-K_{s}$ Selection

A cut on  $\pi^+\pi^-$  invariant mass around K<sub>s</sub> nominal value

Cerenkov Cuts to remove possible misidentification with  $\Lambda (\Lambda \rightarrow p\pi^{-})$ 

M1 K<sub>s</sub>: a cut on distance of closest approach of  $\pi$  tracks

M1  $K_s$ : a cut on error on longitudinal coordinate of  $K_s$  decay vertex

#### Charm decay selection

Selection Criteria for the two - body decay are different than for multi - body decays, due to poorer resolution on vertices.

•  $D^0 \rightarrow K_S K_S$ 

- $\cdot$  A momentum cut on D<sup>0</sup> candidates
- A cut on the angle between the  $D^0$  flight direction and the  $K_s$  direction in  $D^0$  rest frame
- ✓ D\* signature:

Events signature through decay chain  $D^{*\pm} \rightarrow D^0(K_s K_s) \pi^{\pm}$  is used to

substantially reject the background. A cut is applied on the D\* -D<sup>0</sup> mass difference ->  $|M(D^* - D^0) - 0.14542| < 0.002 \text{ GeV/c}^2$ 

## **Events Selection (2)**

#### • $D^{0} \rightarrow K_{S}K_{S}K\pi (\pi\pi)$

- Cerenkov cuts for charged tracks
- Vertex quality cuts: Secondary and Primary vtx CL > 1%, isolation of secondary vtx
- A cut on charm decay length significance (L/ $\sigma$ )
- No D\* signature requested to isolate a signal

#### Charm Background rejection

Contaminations from different charm meson decay modes, which could produce reflections in  $D^0$  mass region, have been studied.

✓ SSD  $K_s$ : a cut on decay length significance (L/ $\sigma$ ) removes misidentification with a  $\pi^+\pi^-$  pair coming from the decay vertex. In particular, for the two – body decay, this cut removes possible contamination from D<sup>0</sup> ->  $K_s \pi^+\pi^-$  decay mode, for which  $K_s$  misidentification with a  $\pi^+\pi^-$  pair yields a reflection in D<sup>0</sup> mass region.

# **D<sup>0</sup> Mass Plots**



 Two gaussian for the signal, plus a Chebychev first order for the background
 shape fixed to MC Efficiency = 0.65 % ★ One gaussian for the signal, plus a polynomial second order for the background
★ shape fixed to MC

Efficiency = 0.154 %

★ One gaussian for the signal, plus a polynomial second order for the background

Efficiency = 0.16 %

# Normalization channel: D<sup>0</sup> -> $K_{s}\pi^{+}\pi^{-}$



 $D^0 \rightarrow K_s \pi^+ \pi^-$  decay mode has been used as normalization for B.R. measurement to minimize systematic errors connected with  $K_s$  reconstruction

Selection Criteria as much as possible equal to D<sup>0</sup> -> K<sub>s</sub>K<sub>s</sub> (Kπ, ππ)
 Cerenkov cuts on charged tracks

Charm decay length significance
 \* Same Parameterization as for 2K<sub>s</sub> decay mode

 $\sigma_1 = 12.4 \text{ MeV/c}^2$ Mass=1.868 +/- 0.002 GeV/c<sup>2</sup>

# Systematic Studies under investigation

The variable used for events selection have been studied:

- Different K<sub>s</sub> type and different selection criteria
- Angular and momentum distribution
- Charm background
- Possible Resonant Contributions

The systematic uncertainty is found by splitting the data in statistically independent samples, as

- Different run period conditions
- Particle/Antiparticle
- High /Low Charm momentum

Other Systematic sources:

- Different fitting conditions
- Limited Montecarlo statistics
- Different  $K_s$  type and reconstruction

## **Preliminary Branching Ratio**

$$\begin{aligned} \frac{\Gamma(D^{0} \rightarrow K^{0} \overline{K}^{0})}{\Gamma(D^{0} \rightarrow \overline{K}^{0} \pi^{+} \pi^{-})} &= 1.62 \pm 0.30 \% \\ \frac{\Gamma(D^{0} \rightarrow K_{s} K_{s} K^{\pm} \pi^{\mp})}{\Gamma(D^{0} \rightarrow \overline{K}^{0} \pi^{+} \pi^{-})} &= 1.13 \pm 0.20 \% \\ \frac{\Gamma(D^{0} \rightarrow K_{s} K_{s} \pi^{+} \pi^{-})}{\Gamma(D^{0} \rightarrow \overline{K}^{0} \pi^{+} \pi^{-})} &= 2.23 \pm 0.38 \% \end{aligned}$$

The errors reported are only Statistical.



Previous Measurements for  $D^0 \rightarrow K^0 \overline{K}^0$ :

CLEO II (26 ev)	$(1.01 \pm 0.22 \pm 0.16) 10^{-2}$
E687 (20 ev)	$(3.9 \pm 1.3 \pm 1.3) \ 10^{-2}$
CLEO (5 ev)	$(2.1^{+0.11}_{-0.08} \pm 0.2) \ 10^{-2}$

Previous Measurements for  $D^0 \rightarrow K^0 K^0 \pi^+ \pi^-$ :

 $(12.6 \pm 3.8 \pm 3.) \ 10^{-2}$ 

ARGUS (25 ev)

### **Conclusions**

- Improved Measurements on D<sup>0</sup> decays into multi  $K_s$  final states and first evidence for D<sup>0</sup> -> $K_s K_s K\pi$  modes.
- For  $D^0 \rightarrow K^0 \overline{K}^0$  decay mode, FOCUS result useful for a comparison with theoretical previsions.

Model	$\Gamma(D^0 \rightarrow K^0 \overline{K}^0) / \Gamma(all)$ (%)
BSW model	0
<b>Resonant Intermediate State</b>	0.00032
OPE	0.025 - 0.063
Non factorizable contribution [1]	0.13
Non factorizable contribution [2]	0.043 +/ 0.014
PDG (2003)	0.071 +/- 0.019
<b>FOCUS</b> Preliminary	0.096 +/- 0.018

[1] K.Terasaki, Phys. Rev. D59 114001(99)[2] J.O. Eeg, Phys. Rev. D64 034010(01)