

Towards a holographic description of QCD

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Introduction

QCD: a difficult theory to deal with

Two regimes of QCD and tools for theoretical analysis

Perturbative

- Perturbation theory

Non-Perturbative

- Lattice
- QCD sum rules
- ...

Old dream: “QCD: a solvable theory”

Holographic QCD → new way of approaching QCD → new powerful tool

What is holography?
How to construct a holographic description of QCD?

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AdS/CFT correspondence

- AdS₅ symmetry group isomorphic to four dimensional conformal group

Duality (J. Maldacena, E. Witten, I. Klebanov)

Large N limit of a strongly coupled $SU(N)$ $\mathcal{N} = 4$ SYM in $\mathcal{M}_4 \rightleftharpoons$ Supergravity Theory in $AdS_5 \times S^5$

Conjecture

Defined:

- $\mathcal{O} \rightarrow$ operator in strong coupled $\mathcal{N} = 4$ SYM
- φ_0 its source in the CFT generating functional $\left\langle \exp \int \varphi_0 \mathcal{O} \right\rangle_{\text{CFT}}$
- φ the field dual to \mathcal{O} in the string theory
- $Z(\varphi)$ the partition function of the string theory $\sim \exp(-iS_{\text{eff}}(\varphi))$ in SUGRA limit
- z the *holographic* coordinate

$$\left\langle \exp \int \varphi_0 \mathcal{O} \right\rangle_{\text{CFT}} = Z(\varphi) \sim \exp(-iS_{\text{eff}}(\varphi))$$

with "boundary condition":

$$\varphi(x, z) = \int d^4 x' K(x - x', z) \varphi_0(x') \quad K(x - x', z) \xrightarrow{z \rightarrow 0} \delta^4(x - x')$$

where $K(x - x', z)$ is a bulk-to-boundary evolution operator

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Link to QCD

Problems with QCD

- $\mathcal{N} = 4$ SYM is a conformal field theory **while** QCD is not
- $\mathcal{N} = 4$ SYM is a supersymmetric theory **while** QCD is not
- $\mathcal{N} = 4$ SYM has no S-matrix **while** QCD has

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$\mathcal{N} = 4$ SYM doesn't resemble QCD $\xrightarrow{?}$ Supergravity is not a good dual for QCD

Proposals

QCD “nearly conformal” when all $m = 0$ and when α_s does not run
 Supposing the existence of a “gravity dual” of QCD:

Top-to-bottom approach

- Starting by string theory
- Trying to reproduce QCD

Bottom-to-top approach

- Starting by QCD
- Trying to construct the dual theory

Results

- Masses & decay constants
- Condensates
- Correlation functions
- Heavy Quark potential

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Powerful tool

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Bottom-to-top approach: hard wall model

Framework (J. Polchinski, M. Strassler)

$$\text{Bulk} = \text{AdS}_5 \text{ cut at } z = z_m \sim 1/\Lambda_{\text{QCD}} \quad \Leftrightarrow \quad ds^2 = \frac{1}{z^2} (\eta_{\mu\nu} dx^\mu dx^\nu + dz^2) \quad 0 \leq z \leq z_m$$

QCD lives on the boundary $z = 0$

How to construct the action

- QCD operator $\mathcal{O}_{\mu\nu\dots\beta}$ of order p and dim $\Delta \leftrightarrow$ free field in the bulk $B_{\mu\nu\dots\beta}$
- $m_5^2 = (\Delta - p)(\Delta + p - 4)$
- Global symmetry in the boundary \leftrightarrow local (gauge) symmetry in the bulk
- QFT in the boundary \leftrightarrow classical theory in the bulk

Example: Scalar operator \mathcal{O}

Action & EOM:

$$S = -\frac{1}{2k} \int d^5x \sqrt{|g|} \left(g^{MN} \partial_M X \partial_N X + m_5^2 X^2 \right)$$

$$\partial_M \left[\sqrt{|g|} g^{MN} \partial_N X(x, z) \right] - m_5^2 X(x, z) = 0$$

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Framework (A. Karch, E. Katz, D. Son, M. Stephanov)

Bulk = asymptotically AdS₅ with a background “dilaton” field $\phi(z)$

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With:

- $\phi - A \xrightarrow{z \rightarrow \infty} c^2 z^2$
- $\phi - A \xrightarrow{z \rightarrow 0} -\ln z$
- $A(z)$ cannot contain powers z^β with $\beta \geq 2$

Simplest choice:

- $\phi = c^2 z^2$
- $A = -\ln z$

This model reproduces Regge behaviour of vector-mesons: $m_n^2 \sim n$

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Example of a calculation: glueball masses

0^+ glueball

QCD

- Described by $\text{tr}(G^2) = \text{Tr}(G_{\mu\nu} G^{\mu\nu})$
- Dimension $\Delta = 4$
- Scalar ($p = 0$)

AdS₅

- Described by a scalar field $X(x, z)$
- Mass $m_5^2 = (\Delta - p)(\Delta + p - 4) = 0$

Massless free scalar field

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How to compute masses?

- 4-dim Fourier transformation of the field: $X(x, z) = \int d^4x e^{iq \cdot x} \bar{X}(q, z)$
- Fields on shell $\rightarrow q^2 = -m^2$

Eigenvalues m_n^2 of the EOM \rightarrow 0^+ glueball spectrum

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$$m_n^2 \rightarrow 4c^2(n+2) \quad m_{0^+}^2 \rightarrow 2m_\rho^2$$

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1^- glueball

QCD

- Described by $Tr(G(DG)G)$
- Dimension $\Delta = 7$
- Vector ($p = 1$)

AdS₅

- Described by a vector field $V_M(x, z)$
- Mass $m_5^2 = (\Delta - p)(\Delta + p - 4) = 24$

Massive free vector field

Action & EOM:

$$S = -\frac{1}{2k} \int d^5x \sqrt{|g|} e^{-\phi(z)} \left(\frac{1}{2} g^{MN} g^{ST} F_{MS} F_{NT} + 24 g^{ST} V_S V_T \right)$$

$$\partial_M \left[\sqrt{|g|} e^{-\phi(z)} g^{MN} g^{ST} F_{MS}(x, z) \right] - 24 \sqrt{|g|} e^{-\phi(z)} g^{ST} V_S(x, z) = 0$$

where:

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- ➊ New approach to QCD \rightarrow Holographic description
- ➋ Modification of the standard AdS/CFT correspondence \rightarrow QCD
- ➌ Different approaches
- ➍ In Dilaton approach:
 - 0^+ glueball mass spectrum
 - 1^- glueball mass spectrum

What are the prospects for using this approach to understand the QCD

glueball mass spectrum?

Thanks for your attention

P. Colangelo, F. De Fazio, F. Jugeau

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AdS/QCD seems to be very interesting and powerful in investigating QCD

but there are still a lot of open issues

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