

"Channeling 2010"



Investigation of the electron electromagnetic field in a shadow area

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About the problem

Shadowing effect

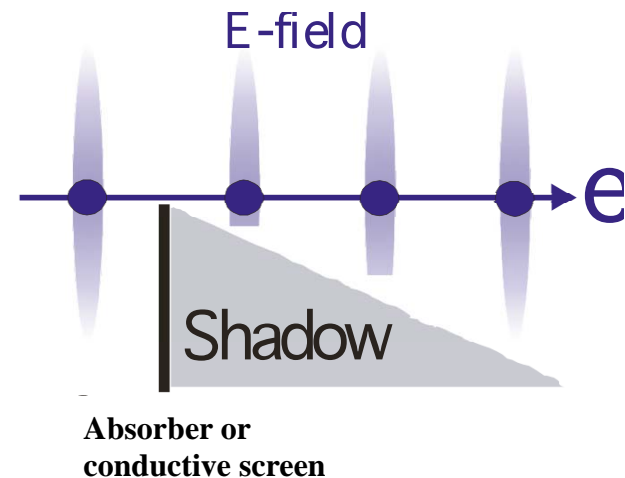
(half-naked electron,
semi-bare electron,
radiation formation zone)

E.L. Feinberg Sov. Phys. Uspekhi, 22 (1979) 479-479.

X. Artru, NIM B 266 (2008) 3725.

N.F. Shul'ga and V.V. Syshchenko. Journal Physics of Atomic Nuclei, 63, 11, (2000), 2018

B. M. Bolotovskii. Preprints of Lebedev Institute of Physics, Russian Academy of Sciences, Vol 140 p. 95



Viewpoints:

Surface current viewpoint

(Interference of the **forward** DR (TR),
emitted by induced surface current,
with electron field)

In paper

*“G Naumenko, A. Potylitsyn et. al.
Journal of Physics: Conference
Series 236 (2010) 012024”*

was shown that

**no surface current is induced on a
downstream surface of a screen.**

Surface current viewpoint is not applicable for this problem

Pseudo-photon (equivalent photon / virtual photon) viewpoint

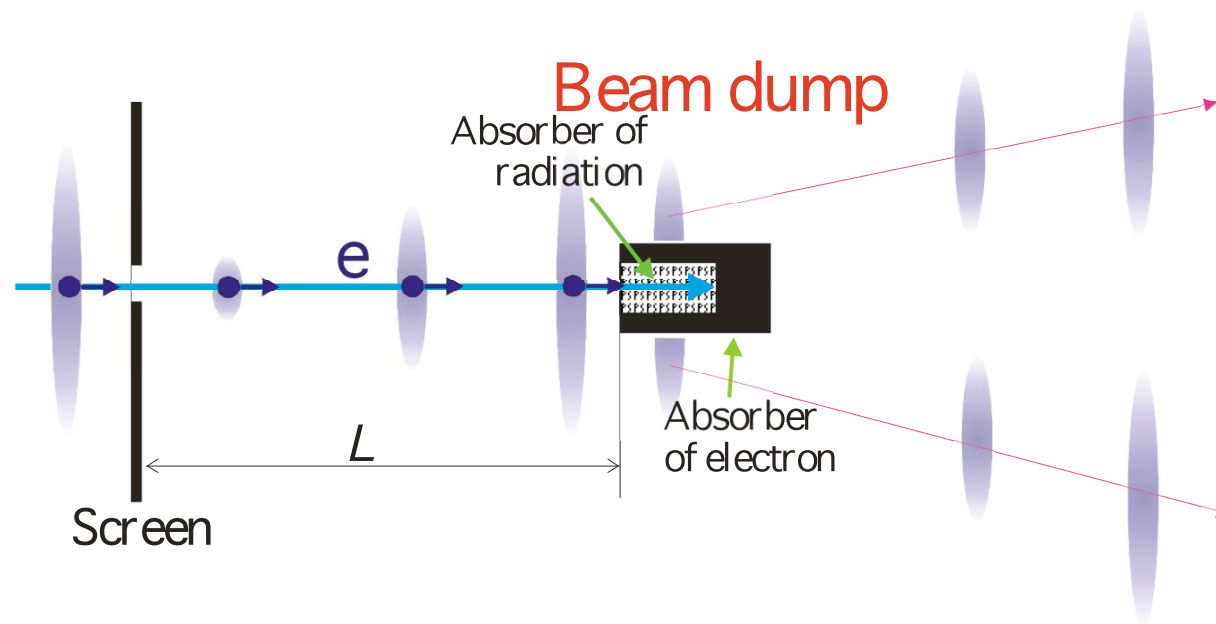


- Electron field must be reflected from a conductive screen,
- It doesn't penetrate through thick conductive screen or absorber,
- It doesn't induce a surface current on the downstream surface of a screen

Therefore we may expect the semibare electron just downstream to the screen

Can we observe this effect experimentally ?

Possible scheme of experiment



We should use a model for electromagnetic field evolution from screen to beam dump without acceleration (starting and stopping of electron).

Theory

$$\vec{\beta}' = 0$$

Field of moving electron:

$$\vec{E} = \frac{e}{(R - \vec{\beta} \vec{R})^3} \left\{ (1 - \beta^2) (\vec{R} - \vec{\beta} R) + \vec{R} \times \left((\vec{R} - \vec{\beta} R) \times \vec{\beta}' \right) \right\}, \quad \text{here } C=1$$

**In Fourier presentation
in terms of the retarded time:**

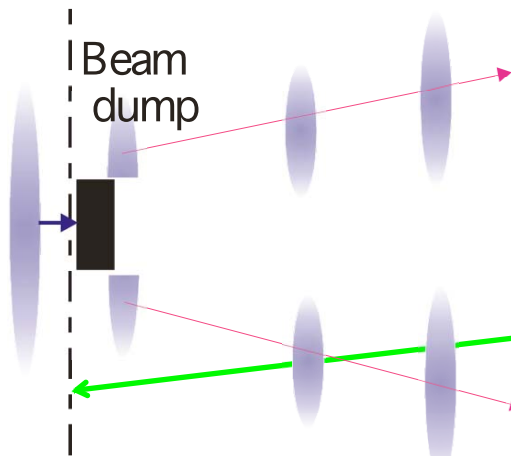
$$\vec{E}_\omega = \int_0^{L/\beta} \frac{e \cdot (1 - \beta^2) \cdot (\vec{R} - \vec{\beta} R)}{(R - \vec{\beta} \vec{R})^3} \cdot e^{i\omega(t' + R)} \frac{\partial t}{\partial t'} dt'$$

t is the retarded time
 $t = t' + R(t')$

**Transversal component in
case of axial symmetry:**

$$\vec{E}_\omega^\perp = \int_0^{L/\beta} \frac{e \cdot (1 - \beta^2) \cdot r}{(R - \beta R_\beta)^3} \cdot e^{i\omega(t' + R)} \frac{\partial t}{\partial t'} dt'$$

r is transversal coordinate of
the observation point



For a field evolution from beam dump to infinity we use **Kirhoff integral** in plane of beam dump.

$$E_{\theta} = \omega \int_{r_{bd}}^{\infty} E_{\omega}^{\perp} \cdot J_1(-\omega \cdot r \cdot \theta) r \, dr$$

Beam dump radius

Bessel function

Observation angle

For experimental

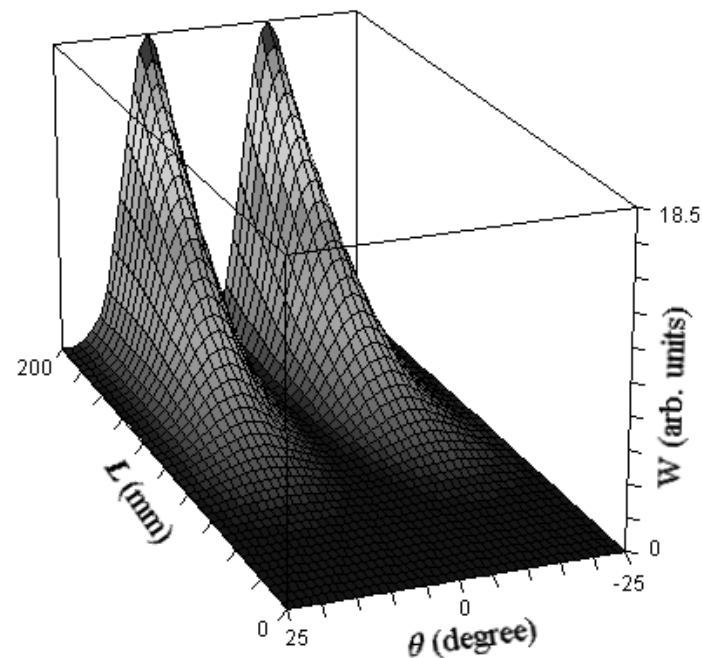
conditions:

$$\gamma = 12$$

$$\lambda = 10\text{mm}$$

$$r_{bd} = 20\text{mm}$$

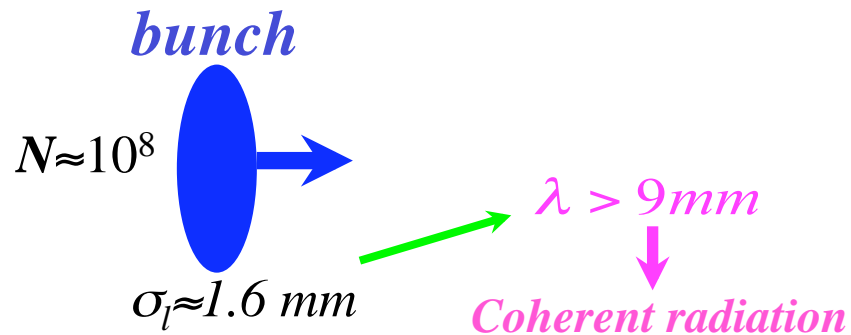
$$|E_{\theta}|^2$$



Experiment

Tomsk microtron Electron Beam

Beam parameters



Formation length

$$\frac{\gamma^2 \lambda}{4} \approx \frac{12^2 \cdot 11 \text{ mm}}{4} = 0.4 \text{ m}$$

Electron field size

E_λ

$\approx 2\gamma\lambda$

$\gamma\lambda \approx 12 \cdot 11 \text{ mm} = 130 \text{ mm}$

$$|\vec{E}|^2 = N^2 \left| f\left(\frac{\lambda}{\sigma}\right) \right|^2 \cdot |\vec{E}_e|^2$$

J. Nodvick, ... // Phys.Rev. 96 - 1 (1954) P. 180.

Detector parameters :

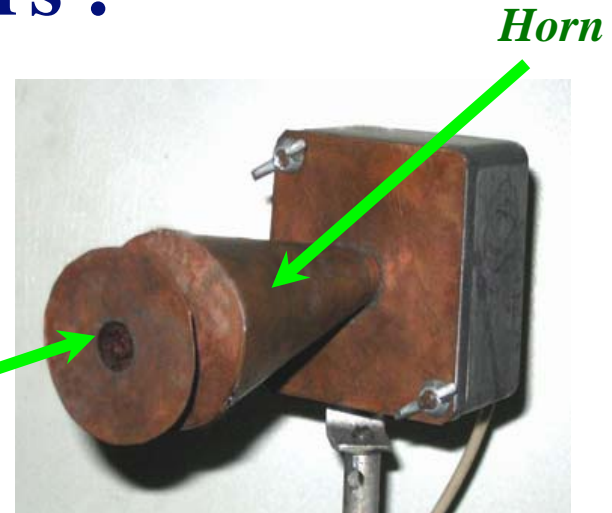
The room temperature detector
DP20M Tomsk (Russia) production.

Detector efficiency in the
wavelength region $\lambda=3\sim 16$ mm
is certificated as a constant
with accuracy $\pm 15\%$

Wavelength range: $= 3 \sim 16$ mm,
sensitivity $= 0.3$ V/mWatt

Beyond-
cutoff
waveguide
 $\lambda_{\text{cut}}=17$ mm

$\lambda = 9 \sim 17$ mm



Broad bend detector

Coherency

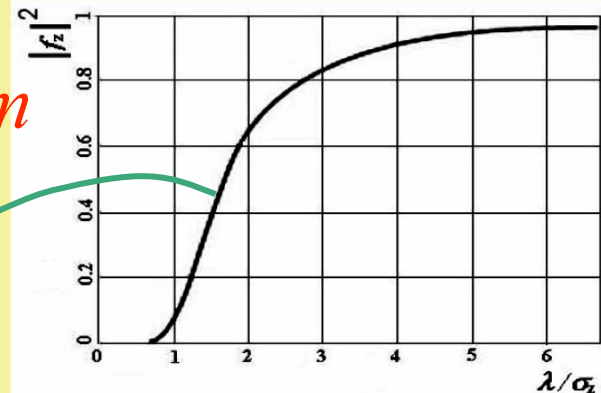
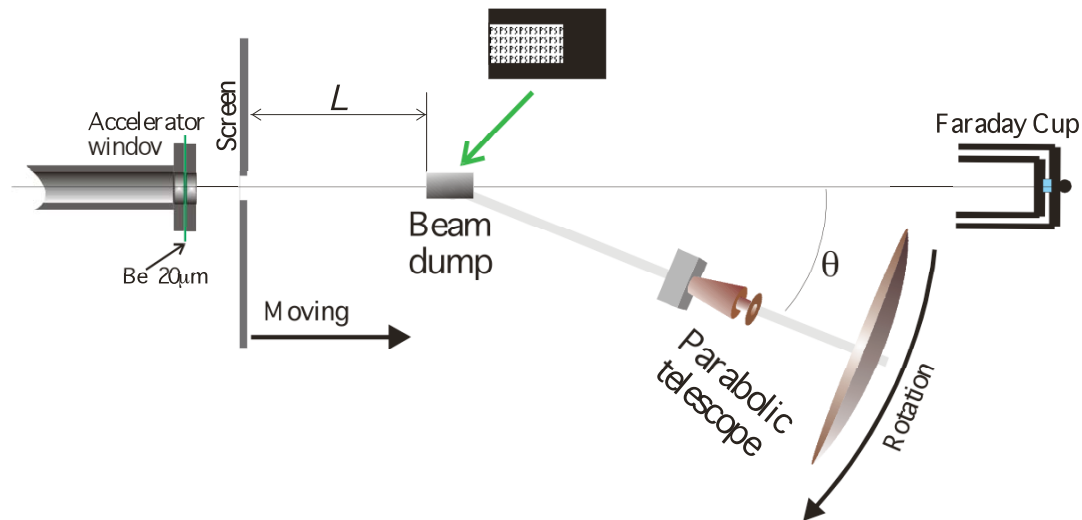
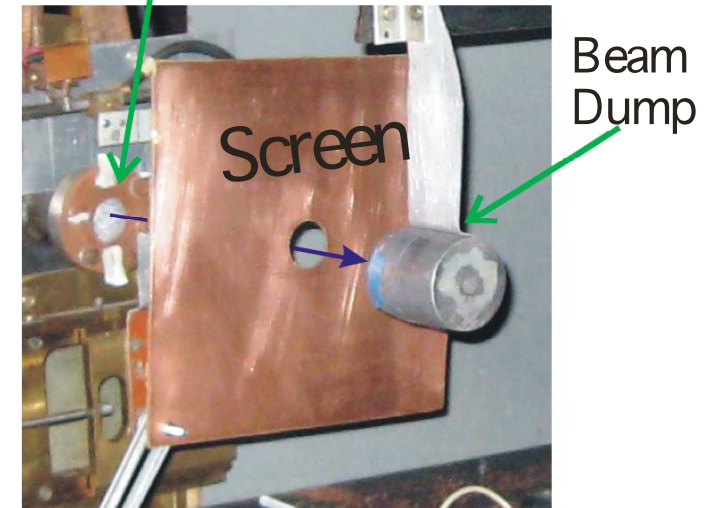


Fig.4 Dependence of the squared form-factor module on the radiation wavelength for the gaussian longitudinal distribution of electrons in a bunch.

Scheme of experiment



Accelerator window



Parabolic telescope was used for angular distribution measurement to exclude the “pre-wave” zone effect contribution.

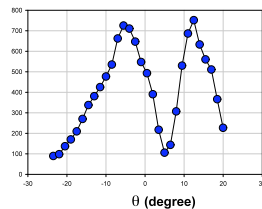
(B.N. Kalinin, G.A. Naumenko, A.P. Potylitsyn et al, JETP Letters, 84, 3, (2006), p. 110.)



Measurements

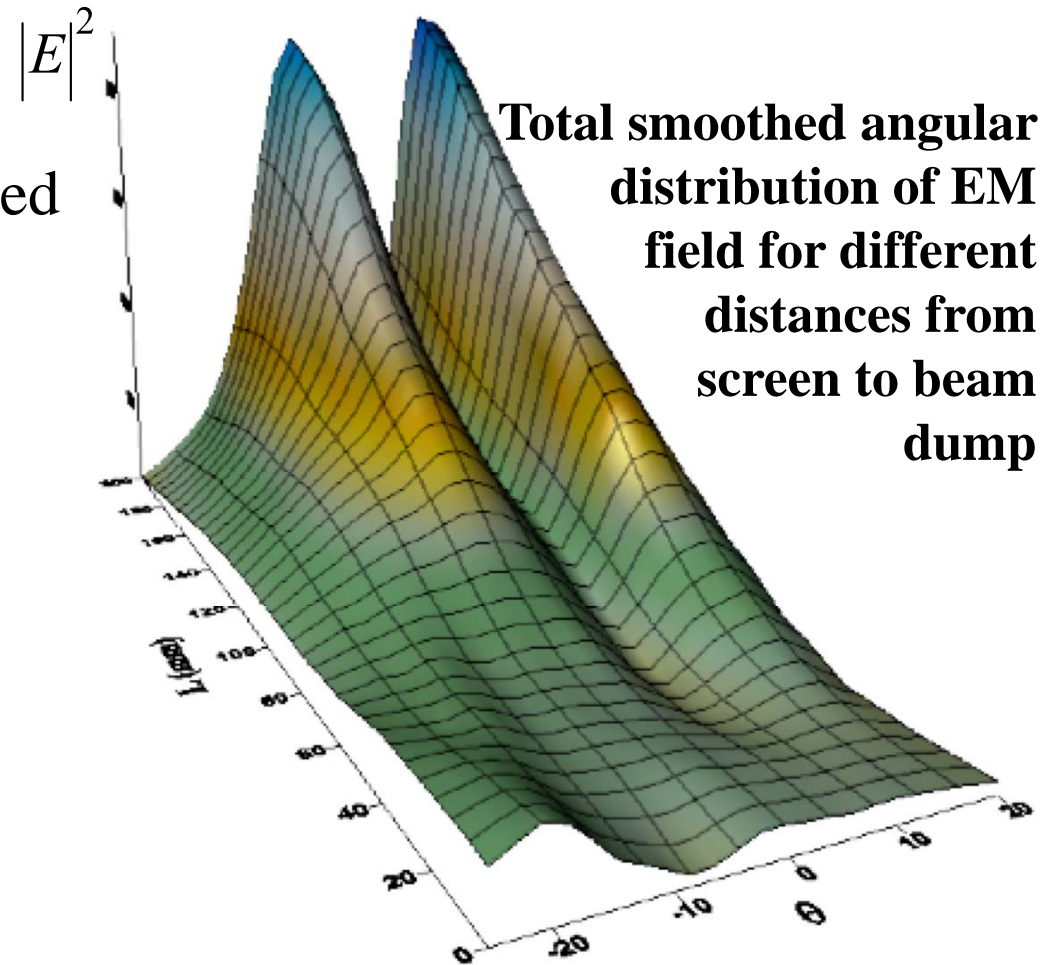
Absorbed screen

The dependence was measured with the step $\Delta L = 20mm$



Typical measured angular distribution

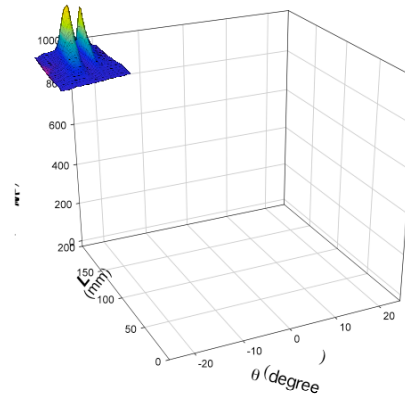
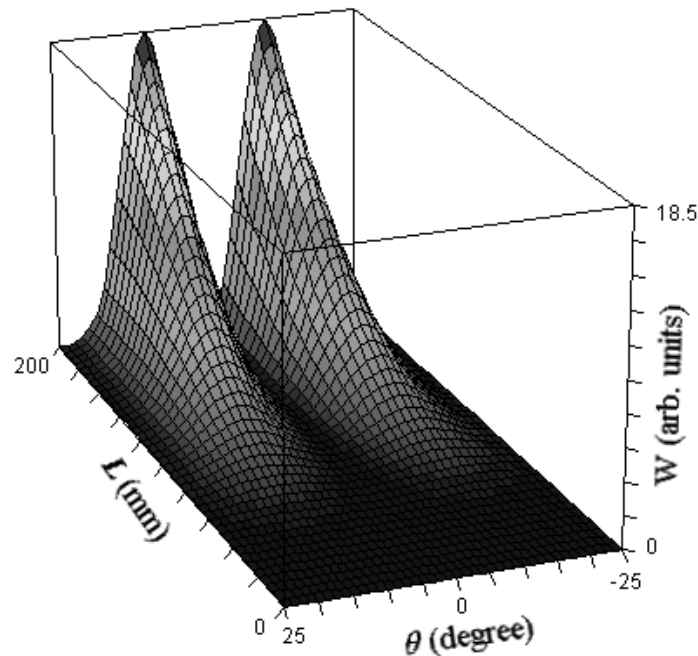
We see the recovery of electron field when the distance between screen and beam dump increase.



Conductive screen

Angular distribution of EM field in far field zone for different distance from screen to beam dump

Let's remind you the theoretical dependence

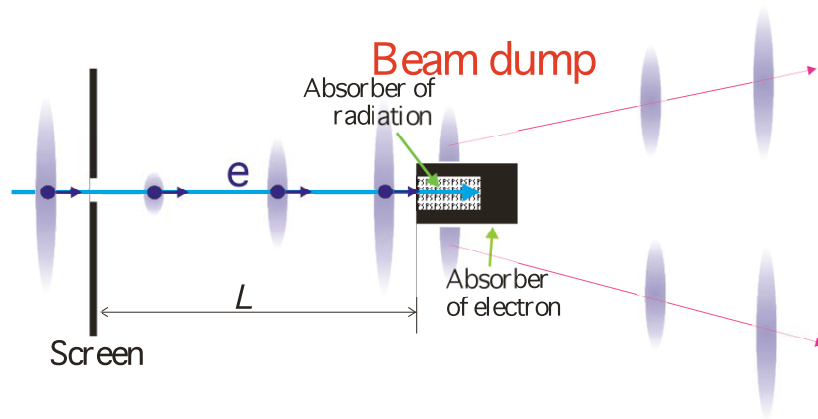


Total experimental no smoothed dependence

Step $\Delta L = 10\text{mm}$

You can see that these dependences are very close

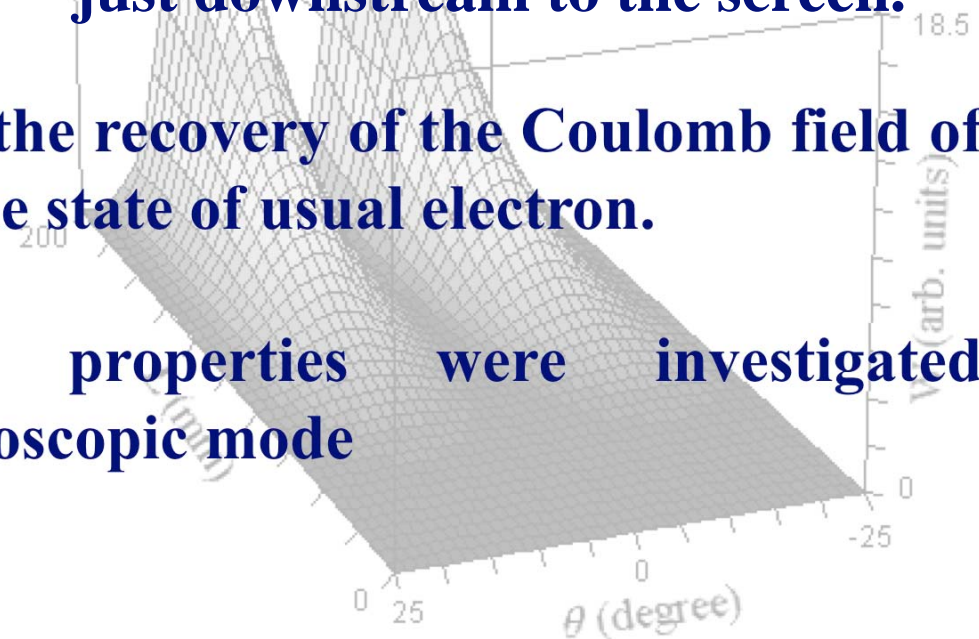
Resume



1. Both the absence of a surface current on a downstream conductive screen surface and the similarity of dependences from absorbed and conductive screens allows us to be ensure that we observe the semi-bare electrons just downstream to the screen.

2. The further evolution is the recovery of the Coulomb field of semi-bare electron to the state of usual electron.

3. Semi-bare electron properties were investigated experimentally in macroscopic mode



Thank you for your attention