

Experimental investigation of Smith-Purcell radiation focusing by using the parabolic periodical targets

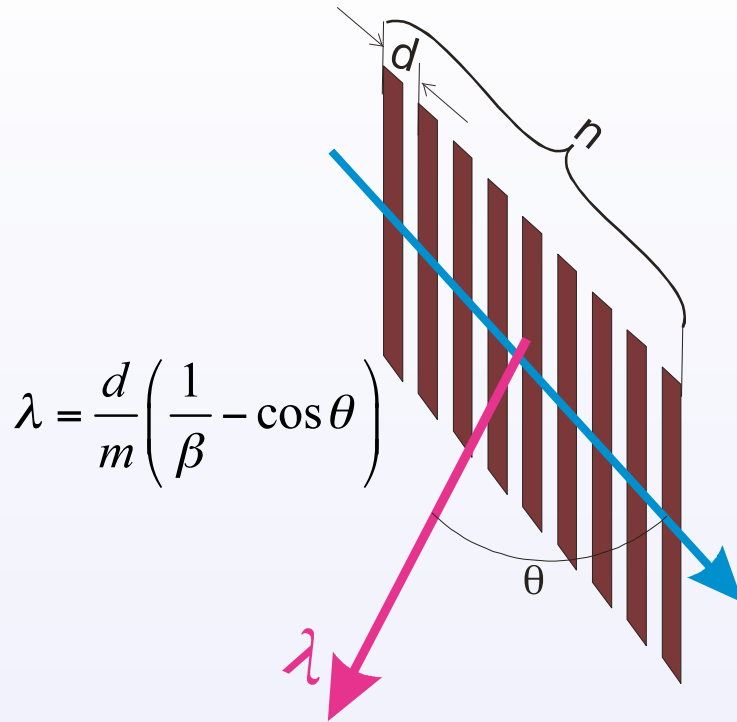
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^b Tomsk Polytechnic University

Microtron 12 MeV, NPI, Tomsk, Russia, 2008

Smith-Purcell radiation



A.P. Potylitsyn, Phys. Lett. A 238 (1998) 112.

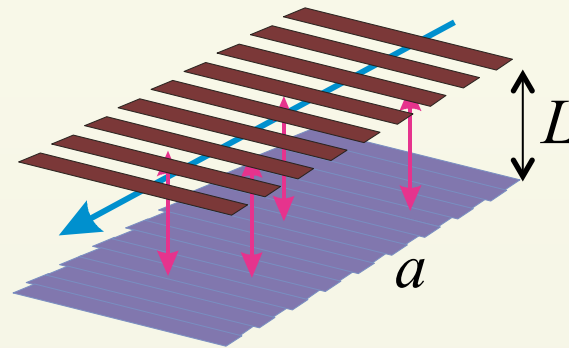
Far field zone

Pre-wave zone

For TR $R \leq \gamma^2 \lambda$ \rightarrow Spectral and angular distribution distortion

M. Castellano and V. Verzilov. Phys. Rev. E 67, 015501(R) (2003)
S.N. Dobrovolsky, N.F. Shul'ga, EPAC 2002, Paris, France

But what about Smith-Purcell radiation?



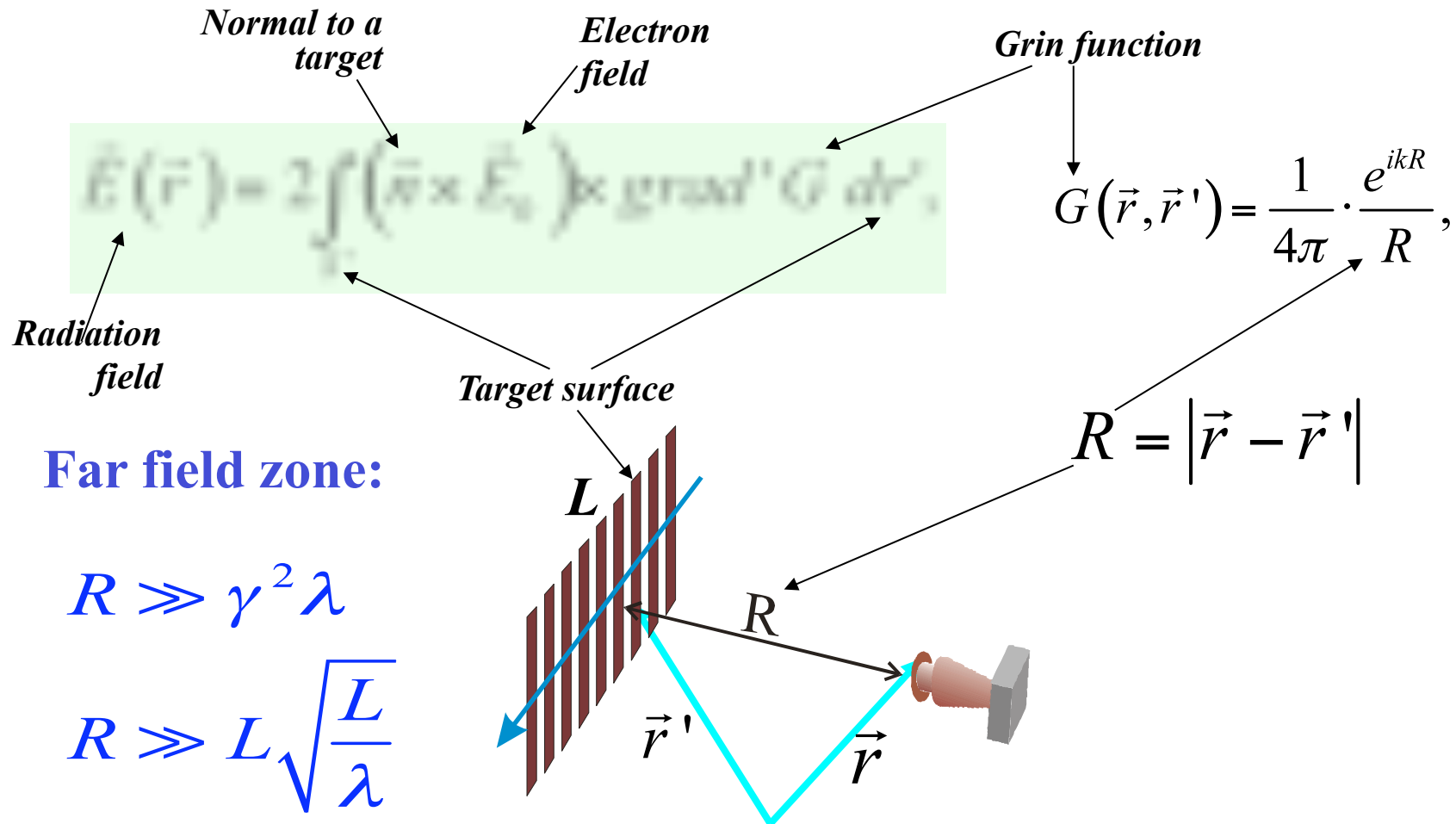
$L \leq a$?

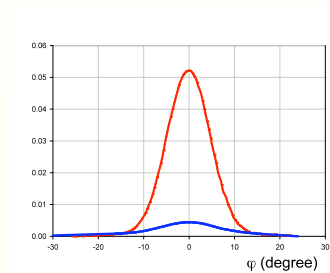
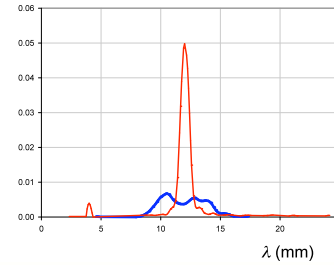
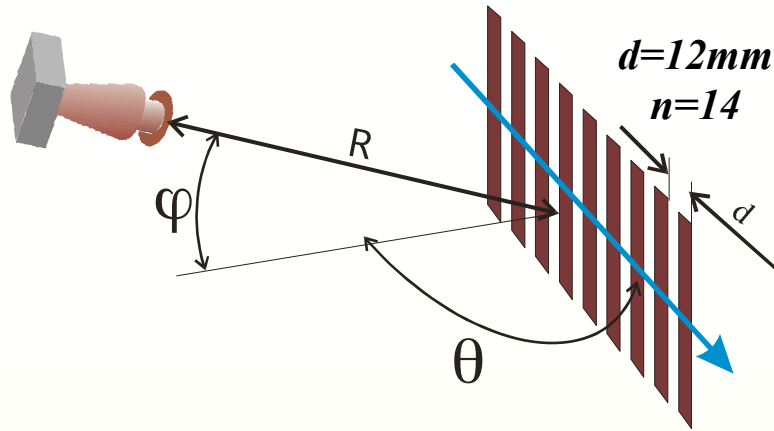
We may expect the similar
SPR characteristic
distortion

Estimations

The classical Kirhoff method was modified to take into account the fact that in case of TR and SPR one have inhomogeneous Maxwell equations.

(D.V. Karlovets, A.P. Potylitsyn. ZhETPh, 134, 5 (2008) p. 887
 A. G. Shkvarunets and R. B. Fiorito, Phys. Rev. ST AB, 11, 012801 (2008))





Far field zone

Spectra ($\theta=90^\circ$, $\varphi=0$)

Pre-wave zone
 $R=300$ mm

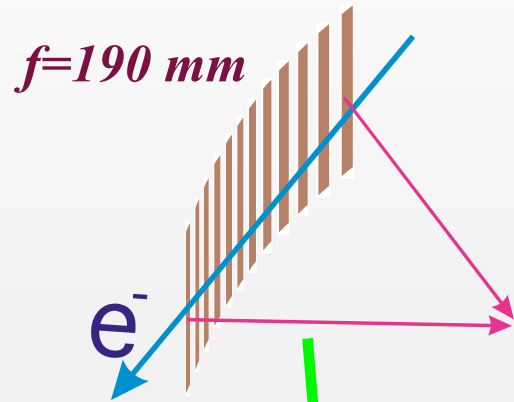
**May be a focused
periodic target
will be useful?**

*Azimuthal angular density distribution
($\theta=90^\circ$, $\lambda=12$ mm)*

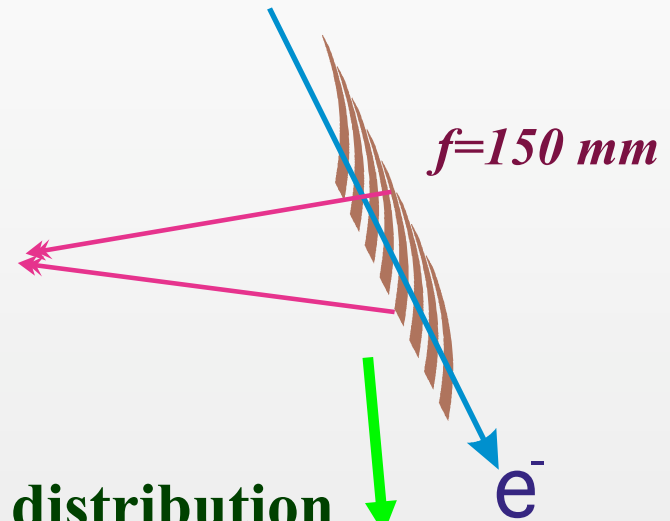
Focusing by parabolic targets

The idea of a focusing was suggested also by A. Schagin (RREPS-2007, Prag), but in this report were presented simple estimations using data from the **far field zone theory**.

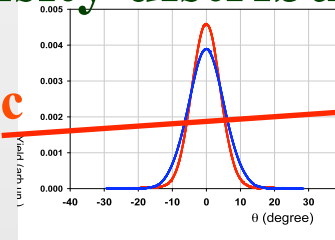
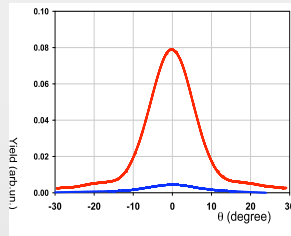
Let's consider two schemes of focusing:



$R=300\text{ mm}$
 $d=12\text{ mm}$
 $n=14$
 $\theta=90^\circ$
 $\lambda=12\text{ mm}$



Azimuthal angular density distribution



Parabolic target

Flat target

Beam parameters

Electron energy	6.1 MeV
Macro-pulse duration	2~6 ms
Pulse repetition rate	1~8 Hz
Micro-pulse length	≈ 6 mm
Electrons number per micro-pulse	≈ 10 ⁸
Micro-pulses number per macro-pulse	≈ 10 ⁴
Beam size at the output	4×2 mm ²
Emittance: horizontal	3·10 ⁻² mm ×rad
vertical	1.5·10 ⁻² mm ×rad

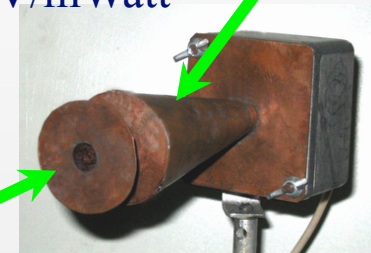
$$\gamma=12; \lambda=9\sim 17 \text{ mm}$$

The detector efficiency is declared by the manufacturer in the wavelength region $\lambda=3\sim 16$ mm as a constant with accuracy $\pm 15\%$

Experiment

Detector parameters :

wavelength range: = 3 ~ 16 mm, *Horn*
sensitivity = 0.3 V/mWatt



Broad bend detector

$\lambda_{\text{cut}}=17 \text{ mm}$
Beyond cutoff wave-guide

Coherency

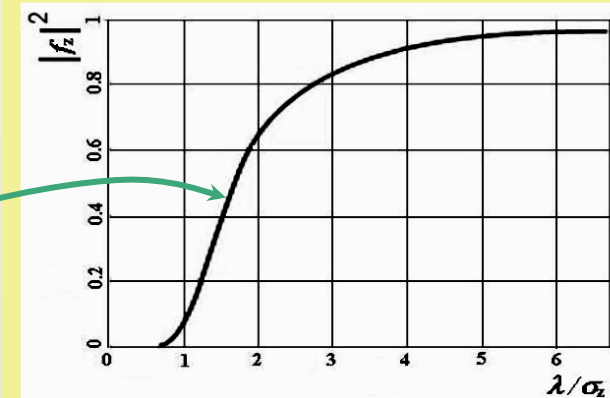
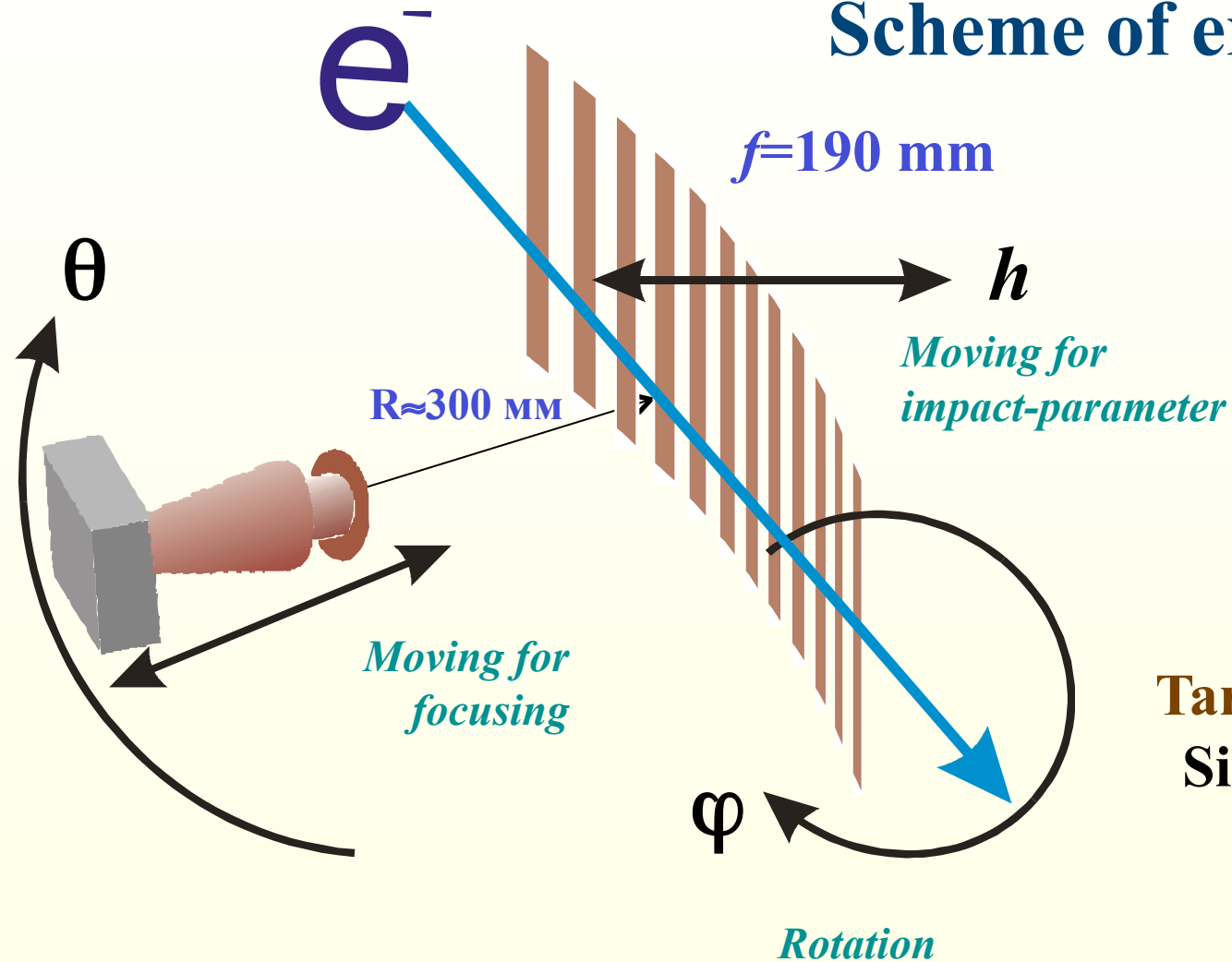


Fig.4 Dependence of the squared form-factor module on the radiation wavelength for the gaussian longitudinal distribution of electrons in a bunch.

Horizontal focusing

Scheme of experiment



Target parameters

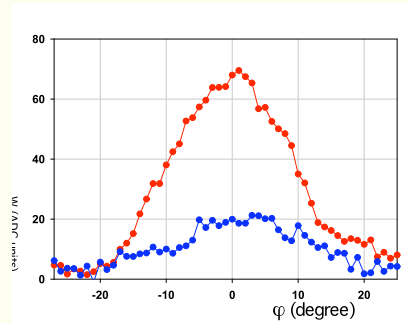
Size 106×168 mm

$d = 12$ mm

$n = 14$

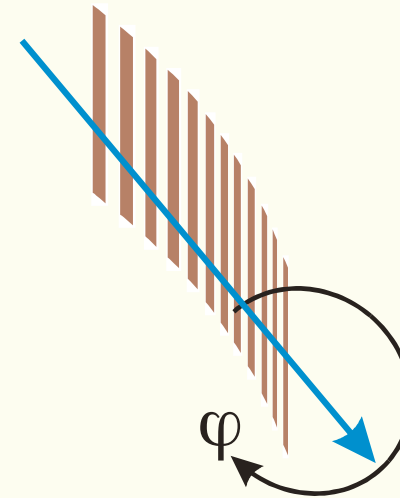
$f = 190$ mm

Azimuthal radiation density distribution



Parabolic target

Flat target



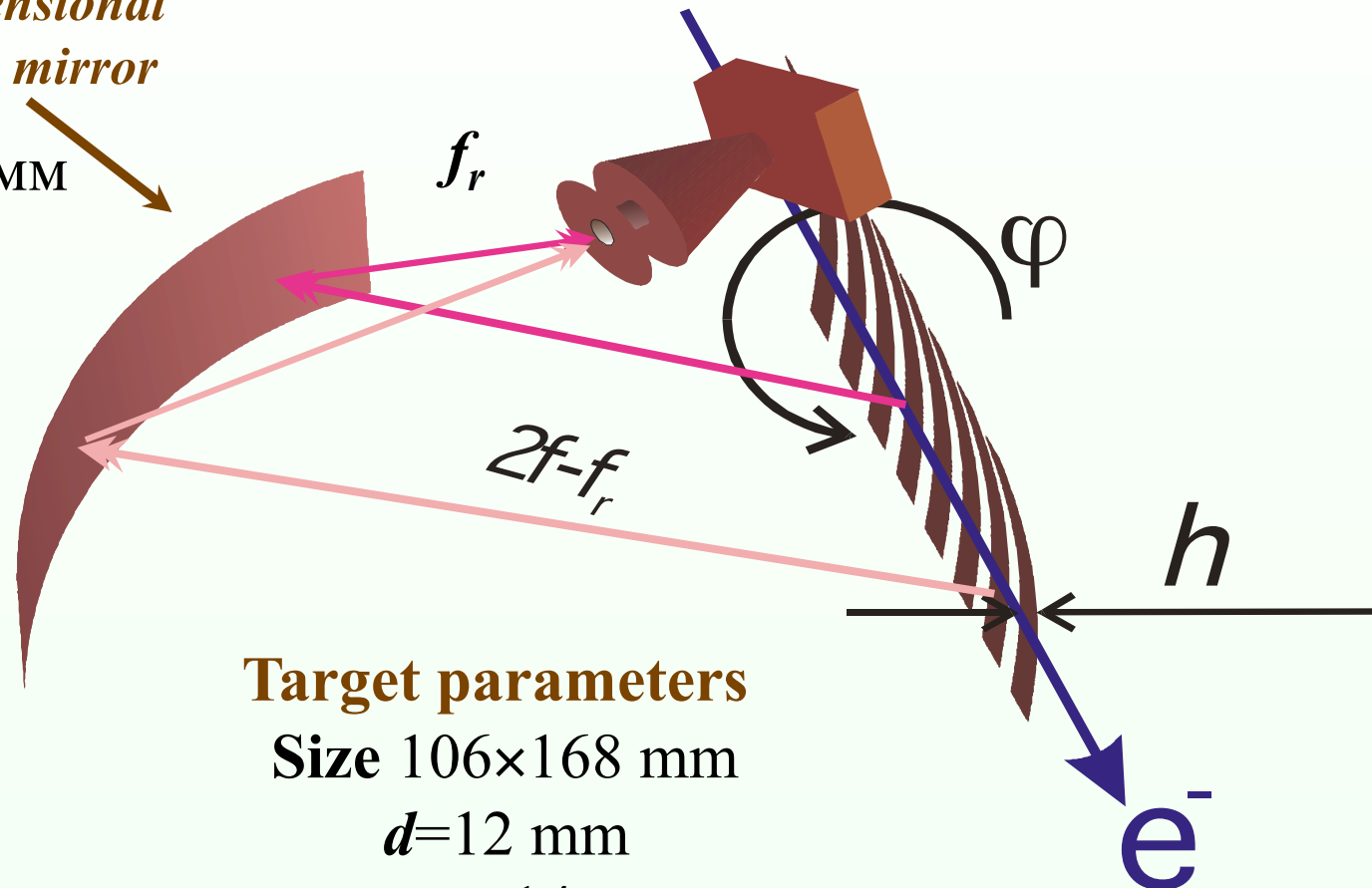
3.5 times radiation density amplification was observed

Vertical focusing

Scheme of experiment

*One dimensional
parabolic mirror*

$f_r \approx 100$ mm



Target parameters

Size 106×168 mm

$d = 12$ mm

$n = 14$

$f = 150$ mm

Experimental setup

*One dimensional
parabolic mirror
 $f=100\text{ mm}$*

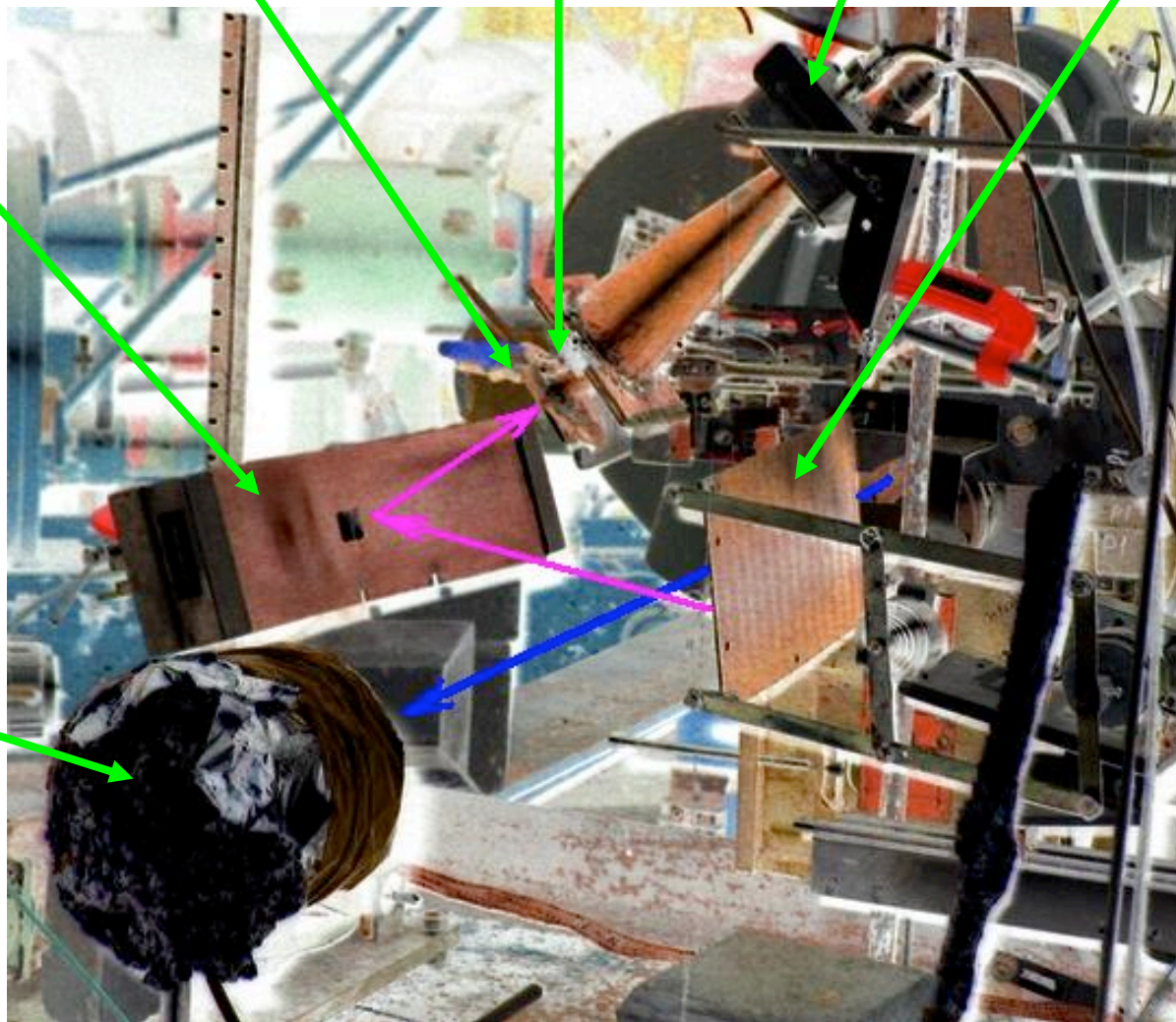
Polarizer

*Beyond-cutoff
wave-guide*

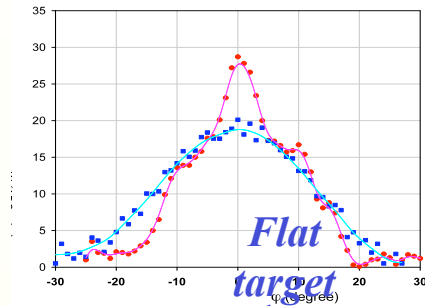
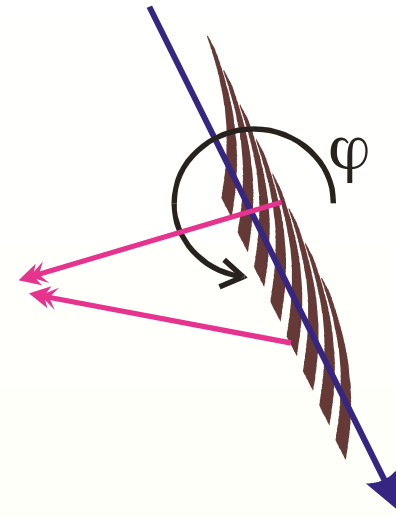
Detector

Target

Faraday cup



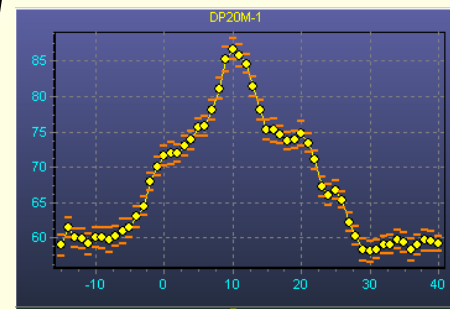
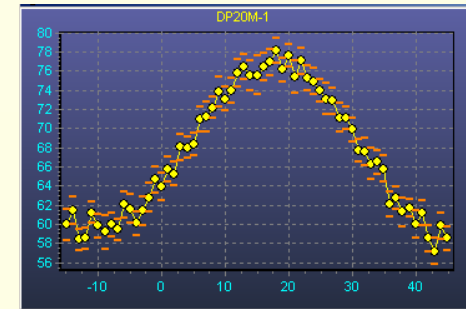
Azimuthal radiation density distribution



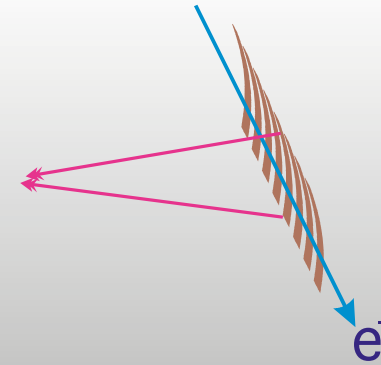
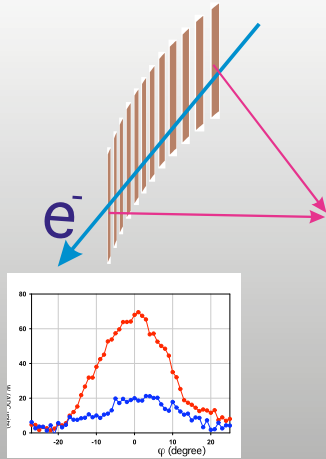
Parabolic target



Directly from the experiment



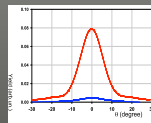
Summary



Parabolic target

Flat target

$\lambda = 9 \sim 17 \text{ mm}$



Theory

Discrepancy between the predicted and experimental relation is due to the finite wavelength region in experiment $\lambda = 9 \sim 17 \text{ mm}$

$\lambda = 12 \text{ mm}$

The horizontal focusing is preferable and provides the enhancement of the radiation density by factor ~ 3.5 over the one from a flat target.

**Thank you
for
your attention**

