

Beam Based Alignment at DAΦNE

*some preliminary results
and observations*

Mark Woodley [SLAC]
Andrzej Wolski [LBL]
DAΦNE AD personnel

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- BBA experience at ATF DR (KEK)
- motivation for BBA at DAΦNE
- determining quad-to-beam offsets
- analysis of 18 June 2002 data (e+)
- preliminary analysis of 20 June 2002 data (e-)
- a possible technique for determining absolute quad offsets
- a few words about: sextupole BBA, coupling due to the septum bump, uncoupled vs coupled models

Beam-based Alignment at the ATF

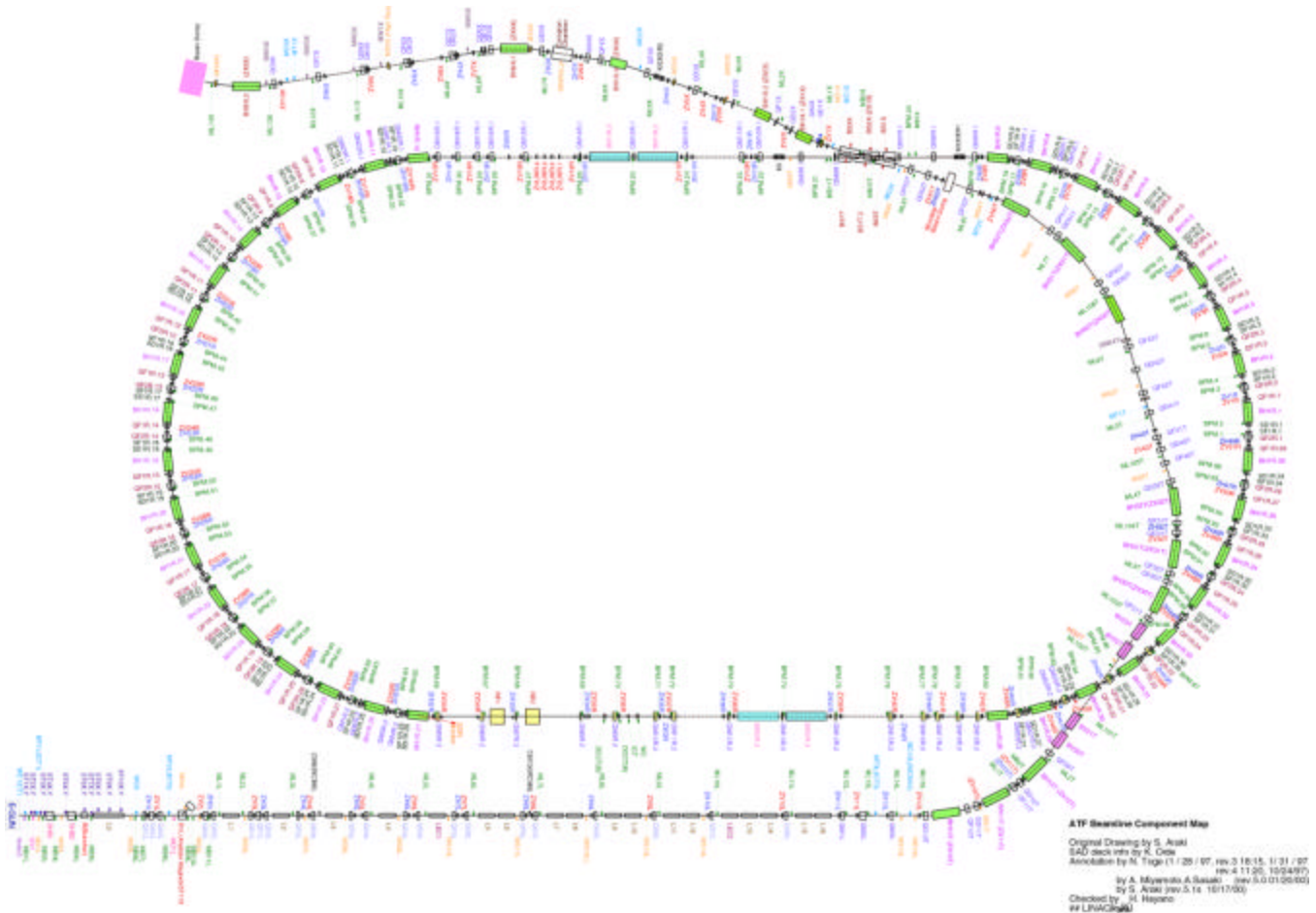
Mark Woodley

ISG8, June 24-27, 2002, SLAC

*A brief review of measurements at the ATF,
presented on behalf of the participants:
the ATF staff,
M. Ross and J. Nelson (SLAC),
and A. Wolski (LBL).
This work is still in progress ...*



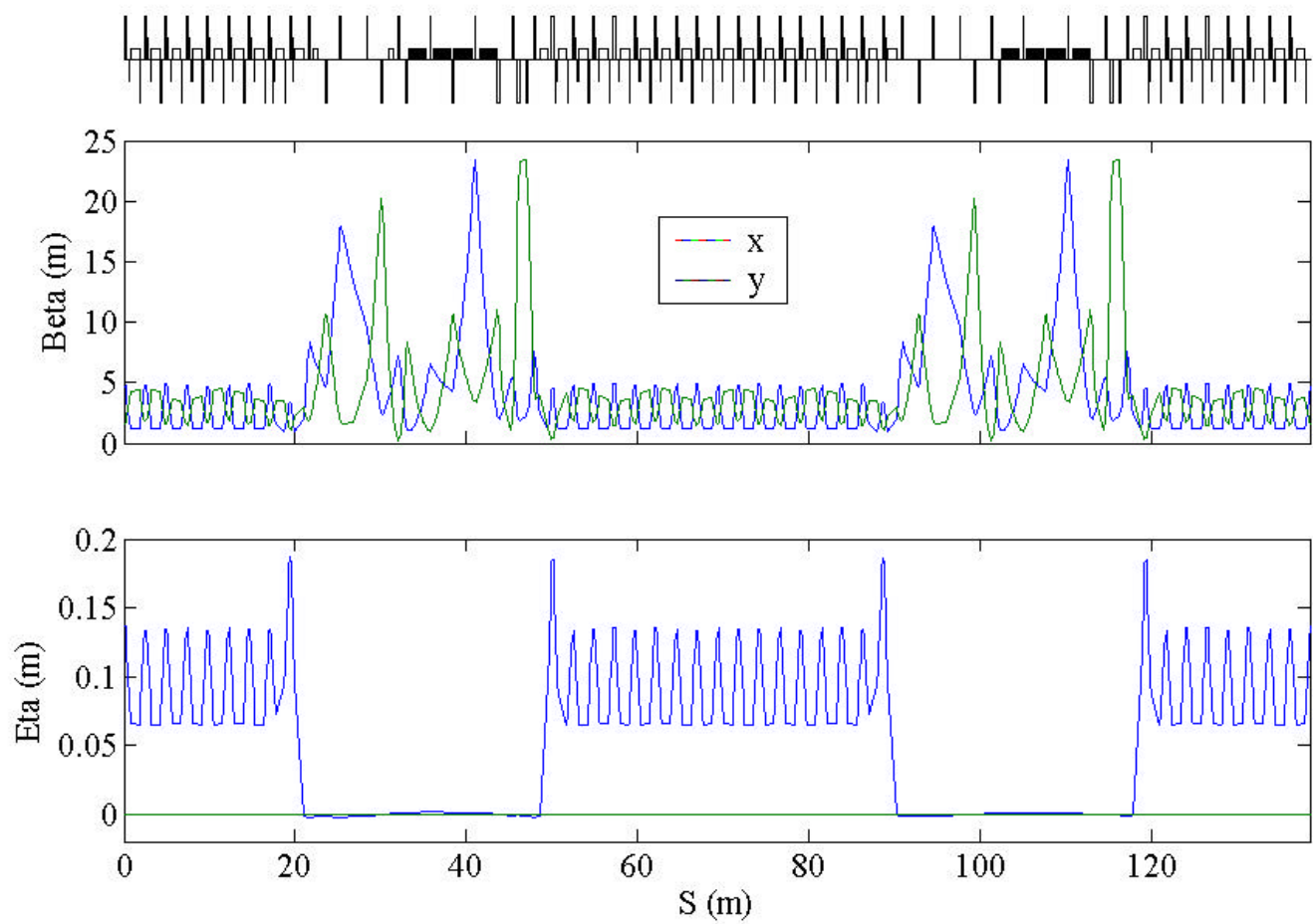
ATF Damping Ring Complex



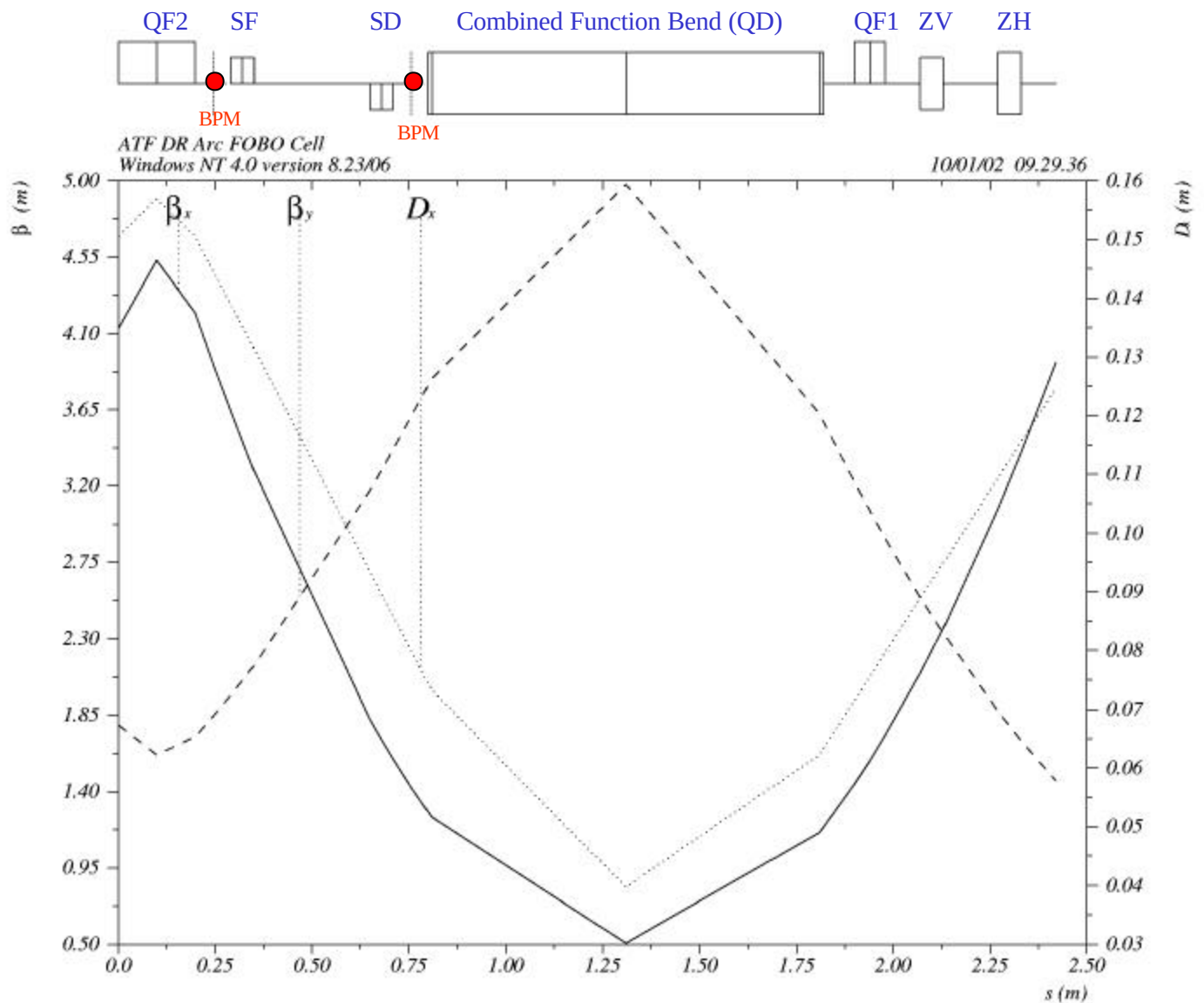
Circumference:	138.56 m
Arc Cell Type:	FOBO
Number of Arc Cells:	36
Energy:	1.279 GeV
Tunes:	15.192 / 8.542
Extracted Vertical Emittance:	$\epsilon_y = 11$ pm-rad, $\gamma\epsilon_y = 27$ nm-rad

DRLBW44 Optics

ATF DR: drlbw44 optics



Arc Cell



Phase Advance Per Cell:	120.3° / 48.5°
Phase Advance Between BPMs:	11.6° / 10.7°

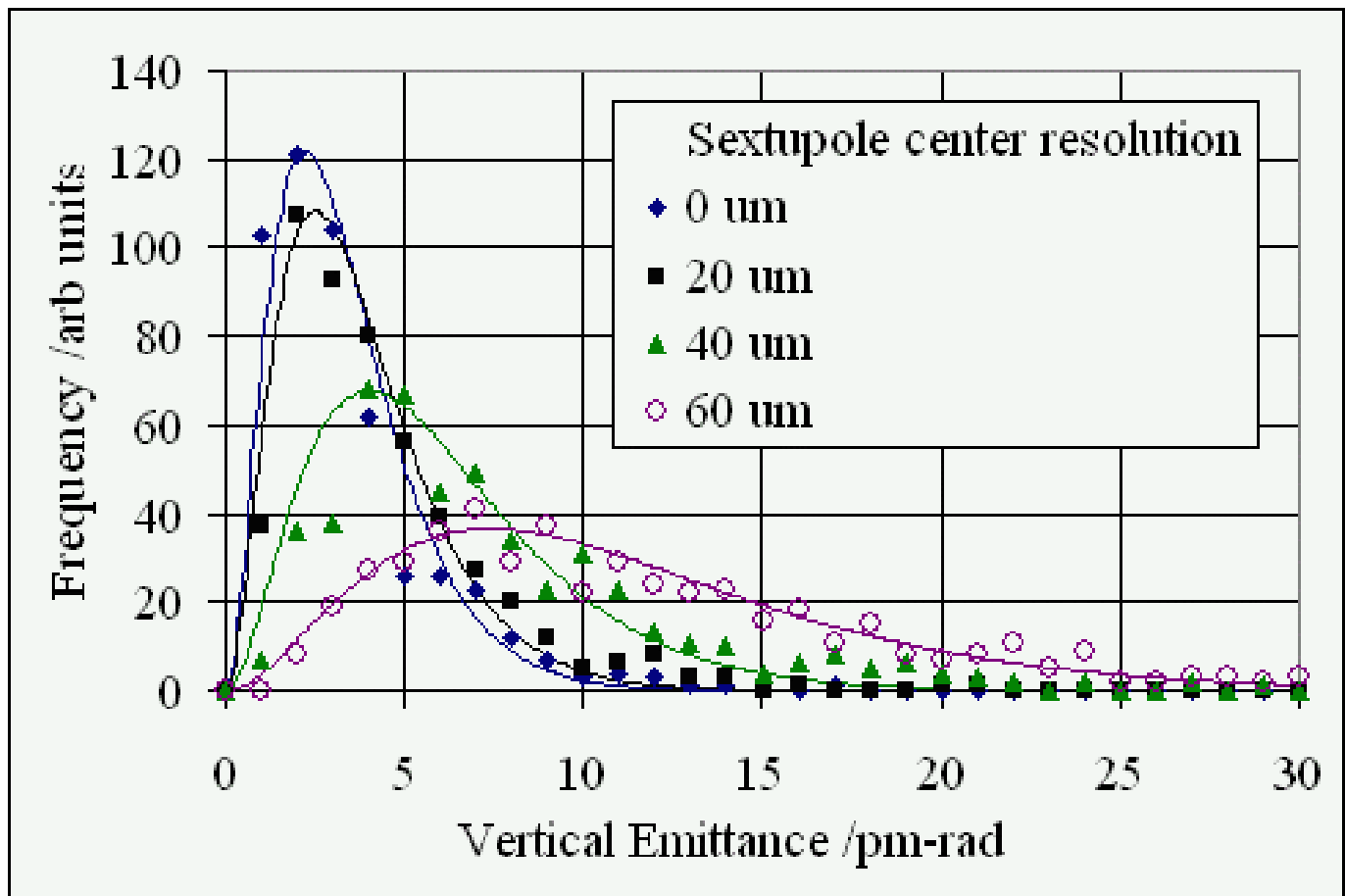
Each quadrupole has an independent trim
 Each sextupole has an independent skew quadrupole trim

Reducing the Vertical Emittance

- present measured extracted vertical emittance is 11 pm-rad ... measured down to $\epsilon_y \sim 3$ pm-rad @ low single-bunch charge
- vertical emittance is generated by spurious vertical dispersion and betatron coupling
- these effects can be minimized by aligning the quadrupoles and sextupoles and steering the beam through their magnetic centers
- desire alignment accuracy of 20 μm
- need to determine electronic offsets in the BPM readings

⇒ BBA!

Simulated emittance as a function of sextupole BBA resolution

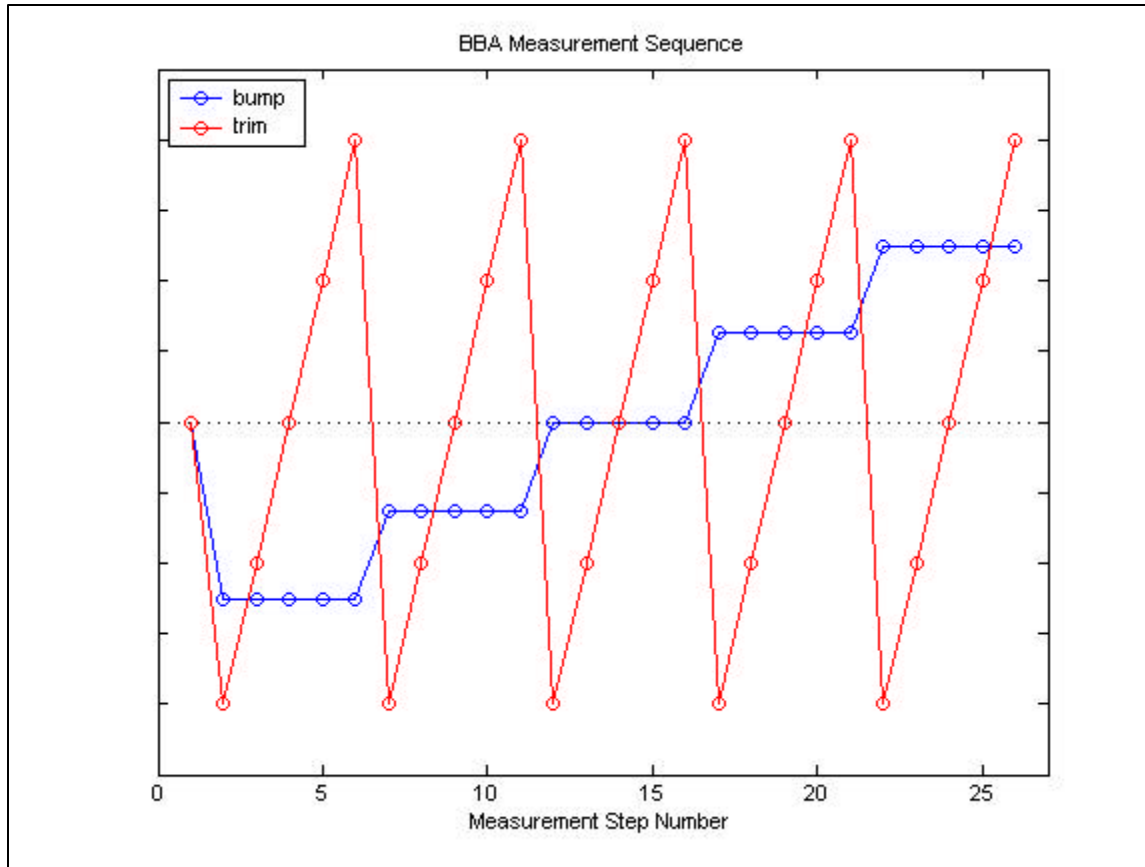


Correcting sextupole offsets without also correcting quad offsets can make ϵ much worse!

Measurement Challenges

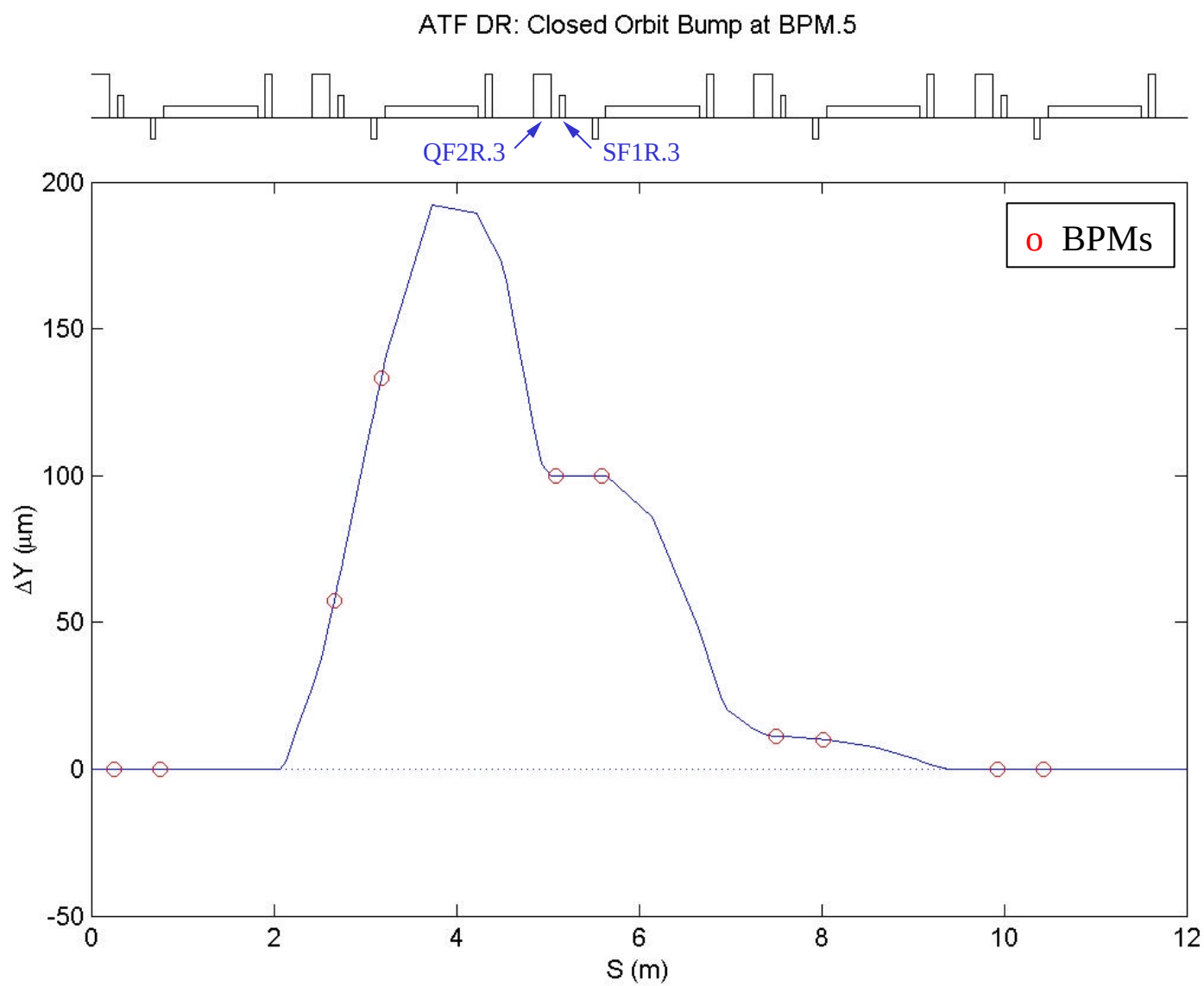
- intrinsic BPM resolution (intensity dependent; 20 μm @ 10^{10} e-/bunch, 40 μm @ 5×10^9 e-/bunch)
 - ✓ orbit averaging
 - ✓ improved electronics
- intensity dependent position calibration
 - ✓ monitor intensity stability during acquisition
- energy drift
 - ✓ add energy error to horizontal orbit fits
- beam losses in ring cause fluctuating BPM readings
 - ✓ acquisition: bump/trim range selection (too big ... losses; too small ... resolution)
 - ✓ analysis: data winnowing
- sextupole skew-quad trims are weak ($\int G dl \sim \pm 0.3$ kG)
 - ? measurement systematics (magnetic/hysteretic)
- alignment of combined function dipoles
 - ? ballistic techniques?
- time (single-turn orbit acquisition at 3 Hz machine rate; 20 orbit averaging; 5 bump steps; 5 trim settings; 100 BPMs; x and y)
 - ✓ automate data acquisition (≈ 8 minutes/magnet for a single plane)

BPM Offset Measurement Technique

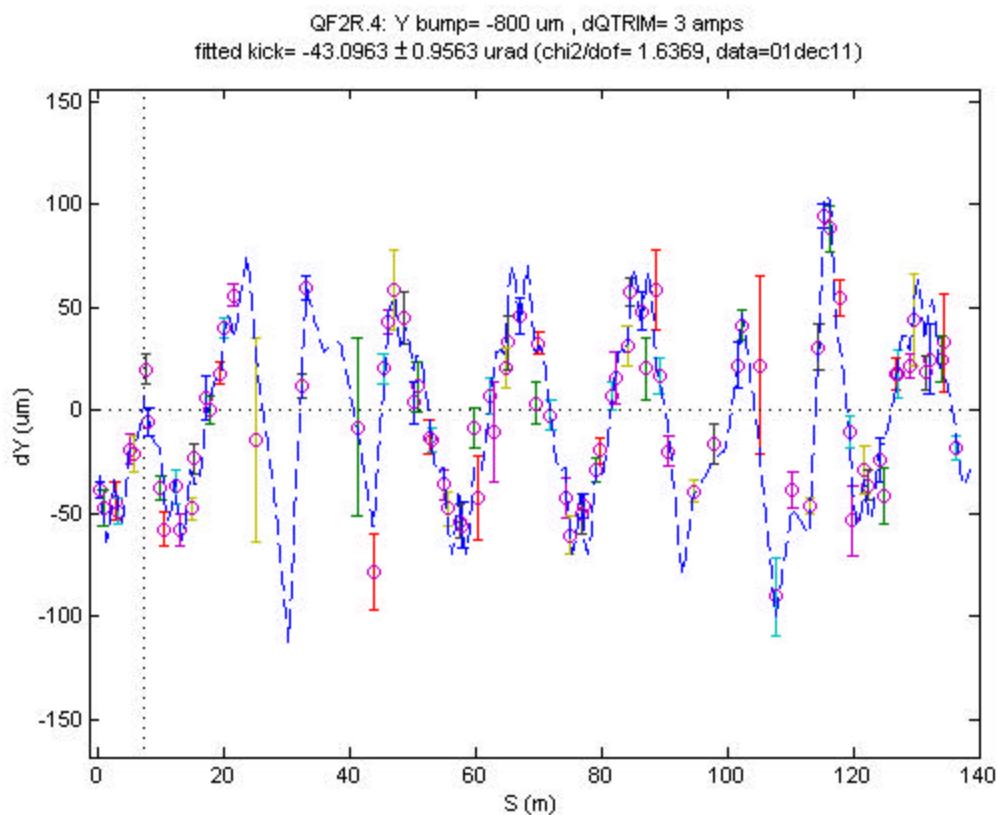
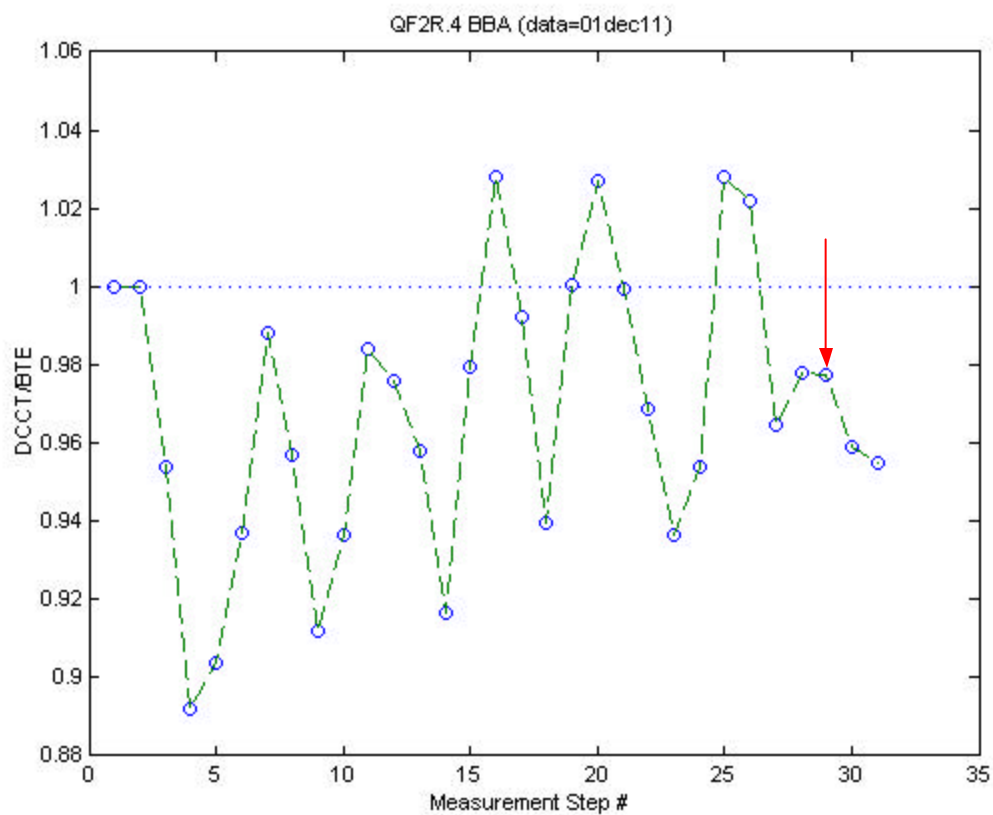


- make a closed local bump at target BPM
- use quadrupole or sextupole (skew quad) trims (?Q)
- make grid scan of bump amplitude and trim setting
- for each bump value make difference orbit w.r.t. to trim=0
- fit difference orbits for kick (k) at quadrupole or sextupole
- for each bump value fit kick vs trim: $k = f(?Q) = m ?Q + b$
 - m is offset from magnetic center
 - for some trajectory through the magnet, $m = 0$
- plot fitted offset vs absolute reading of target BPM
 - horizontal intercept is BPM offset

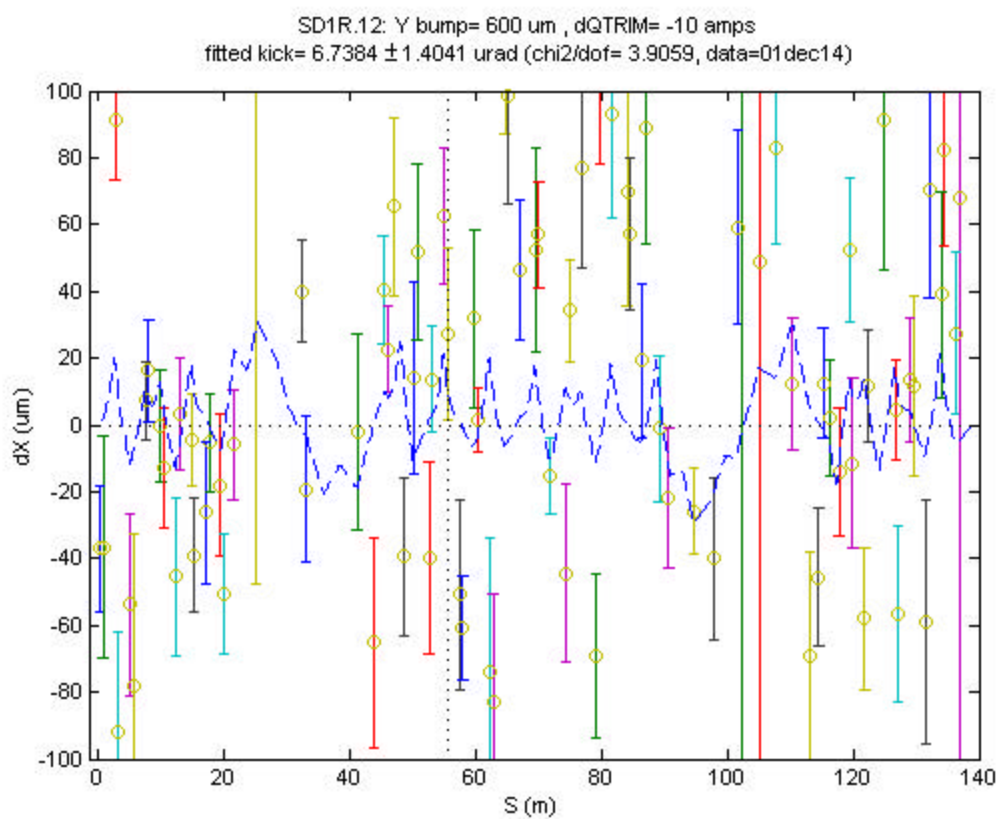
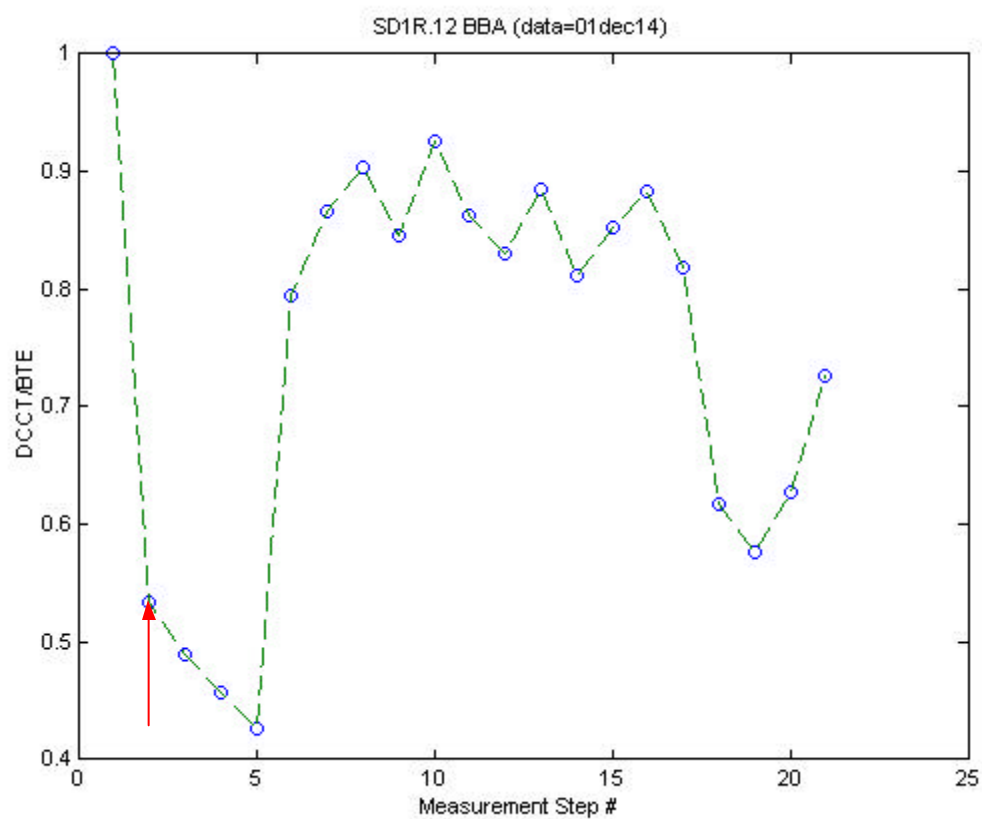
4-corrector 100 μm Y-bump



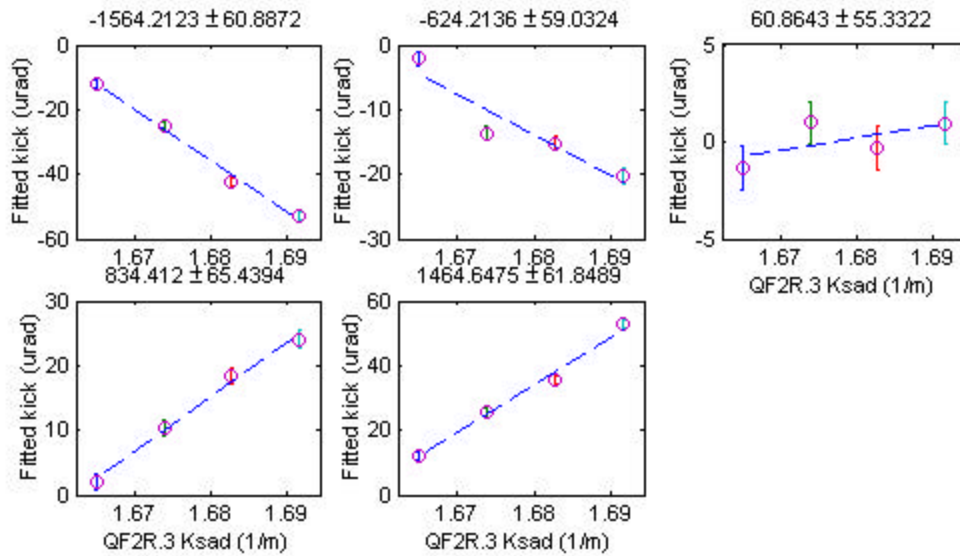
Good Orbit Fit



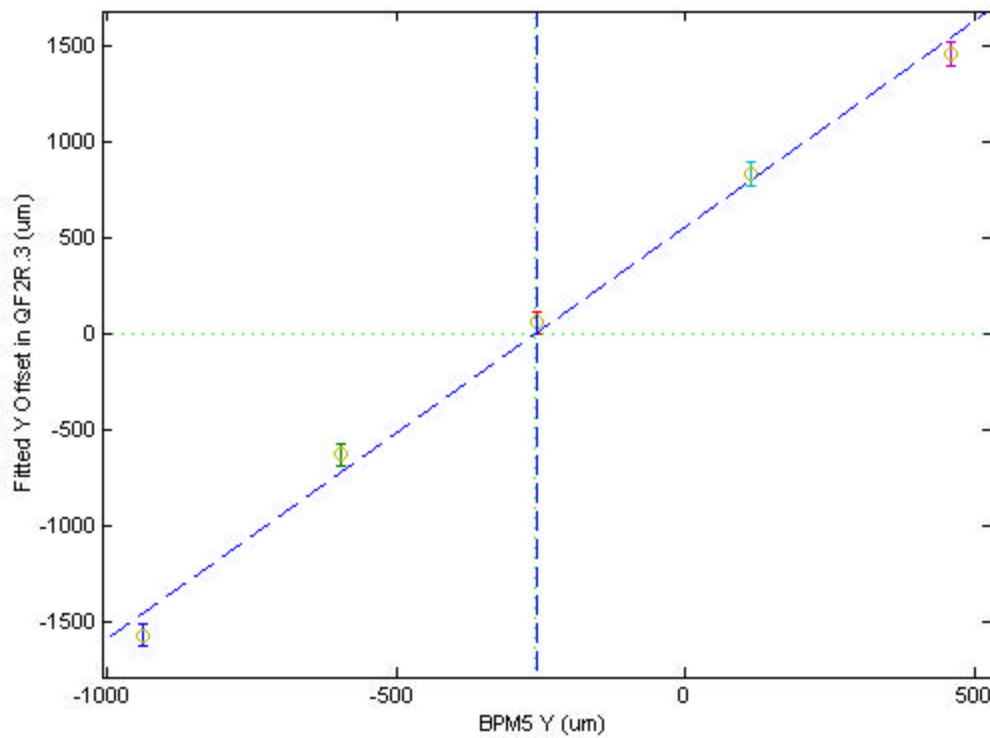
Bad Orbit Fit



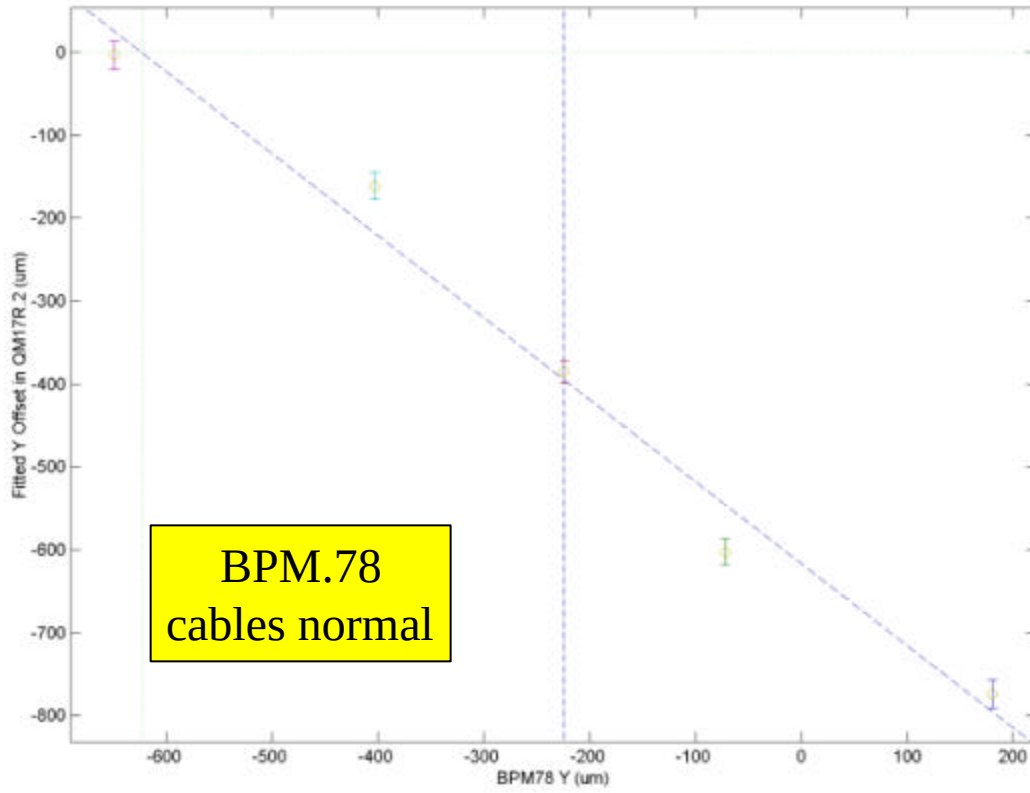
Analysis Results



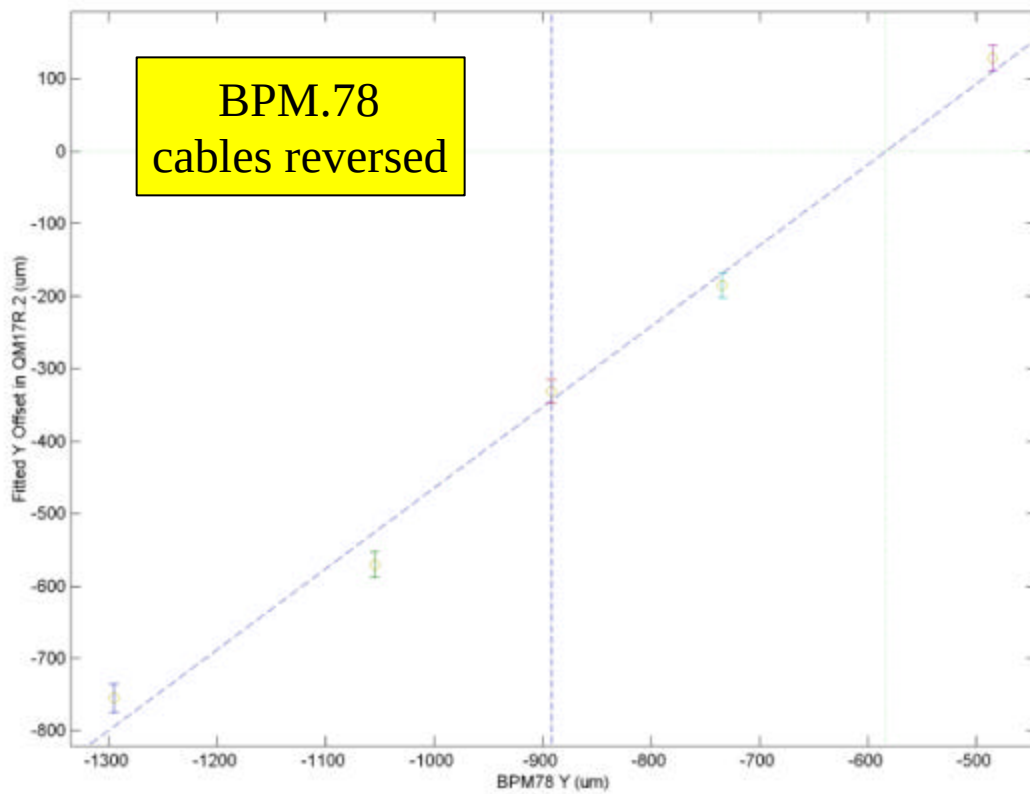
QF2R.3 Y offset with respect to BPM.5 = $-260.8859 \pm 15.8166 \mu\text{m}$
 (fitted slope = 2.1412 ± 0.055513 , model slope = 1.2099, data=01dec11)



QM17R.2 Y offset with respect to $\text{BPM 78} = -623.335 \pm 19.4559 \text{ } \mu\text{m}$
 (fitted slope = -0.98949 ± 0.026869 , model slope = 1.1932, data=01dec06)



QM17R.2 Y offset with respect to $\text{BPM 78} = -584.388 \pm 29.153 \text{ } \mu\text{m}$
 (fitted slope = 1.1169 ± 0.030103 , model slope = 1.1928, data=01dec06)

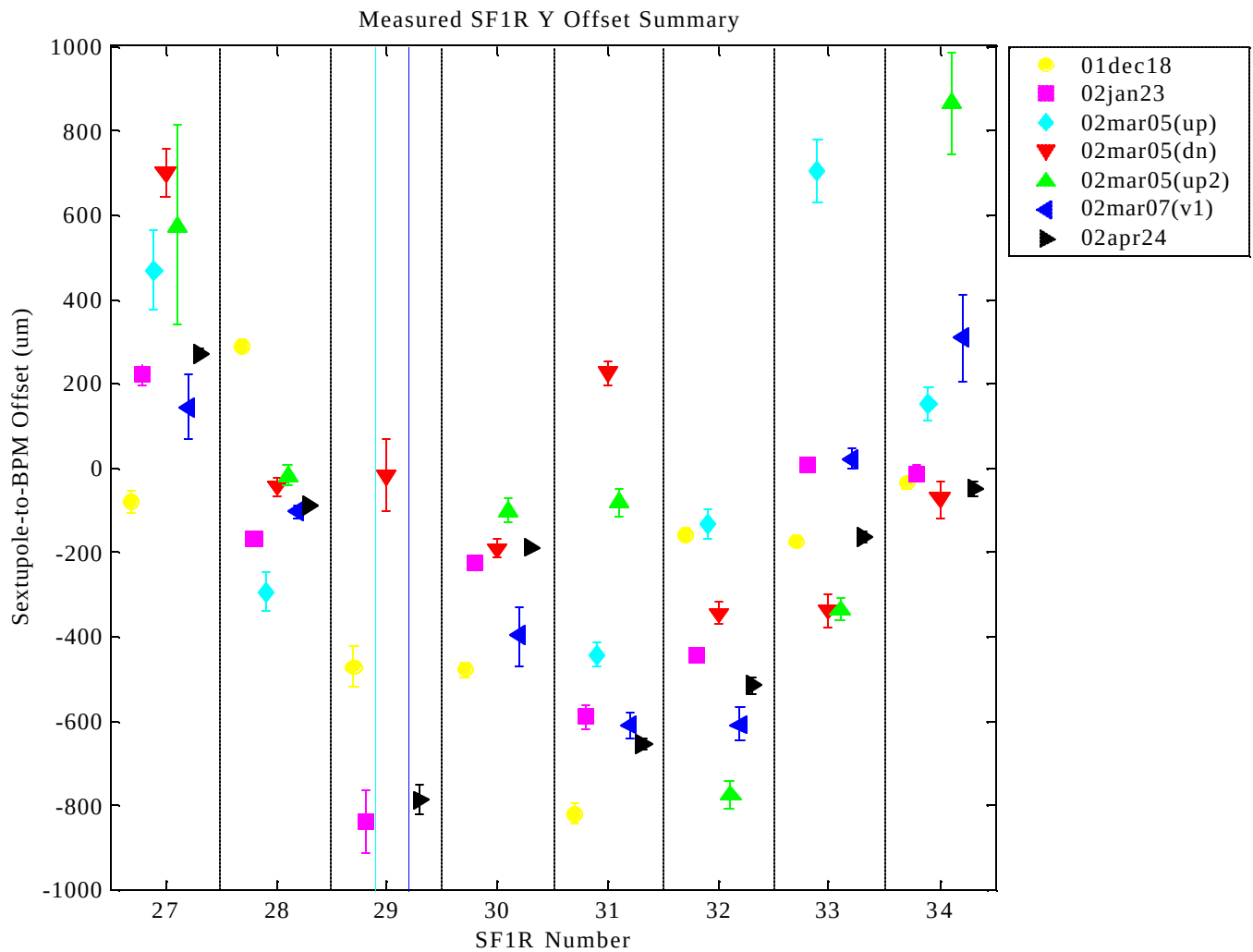


Reproducibility of quad centers

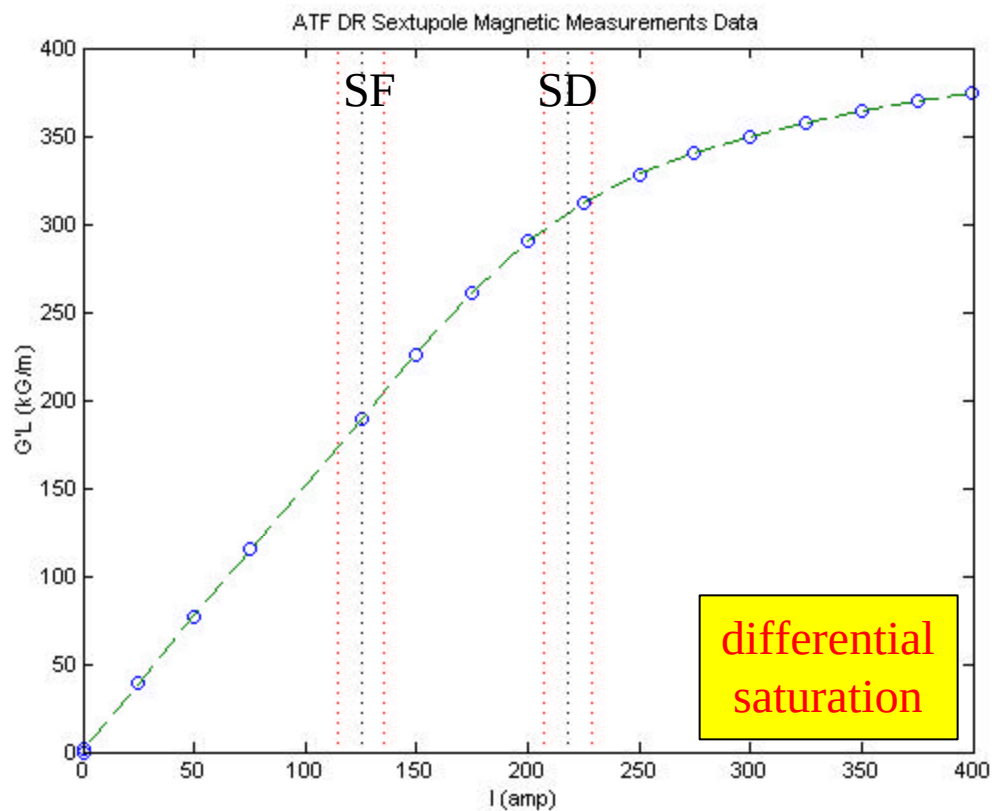
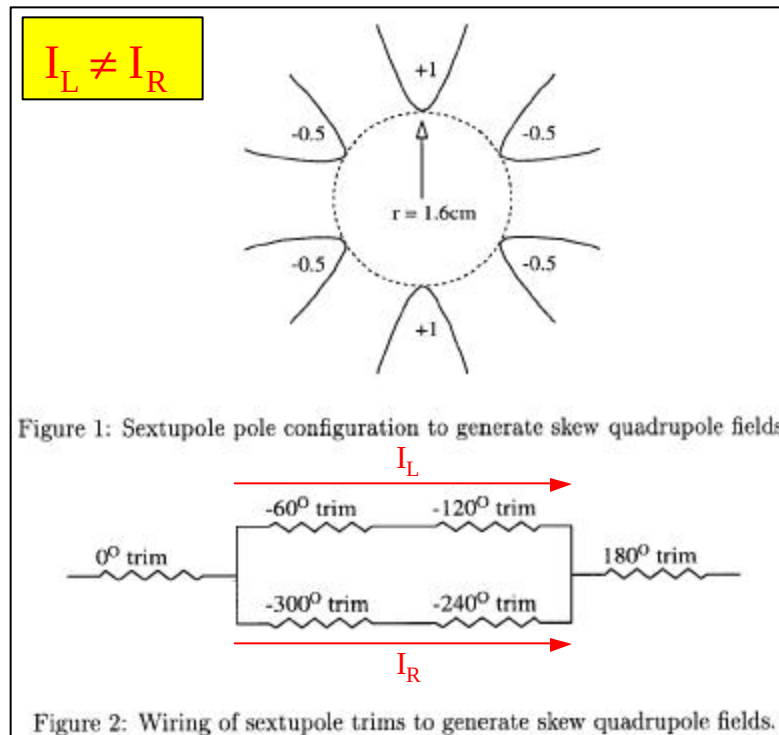
QF2R vertical BPM offset measurements

QF2 #	1/ 23	3/1 #1	3/1 #2	3/1 #3	rms
18	54.0	73.0	62.6		9.5
19	-421.2	-422.5	-426.5		2.8
20	-239.8	-200.9	-246.2	-243.1	21.2
21	-503.7	-551.7	-626.3	-586.2	52.1
22	47.1	-6.0	39.3	23.5	23.5
23	-211.0	-385.7	-295.4	-286.0	71.5
24	-255.6	-303.1	-294.8	-245.6	28.4
25	88.1	60.7	129.6	104.3	28.9

Reproducibility of sextupole centers



Possible Sextupole Systematic Error Sources



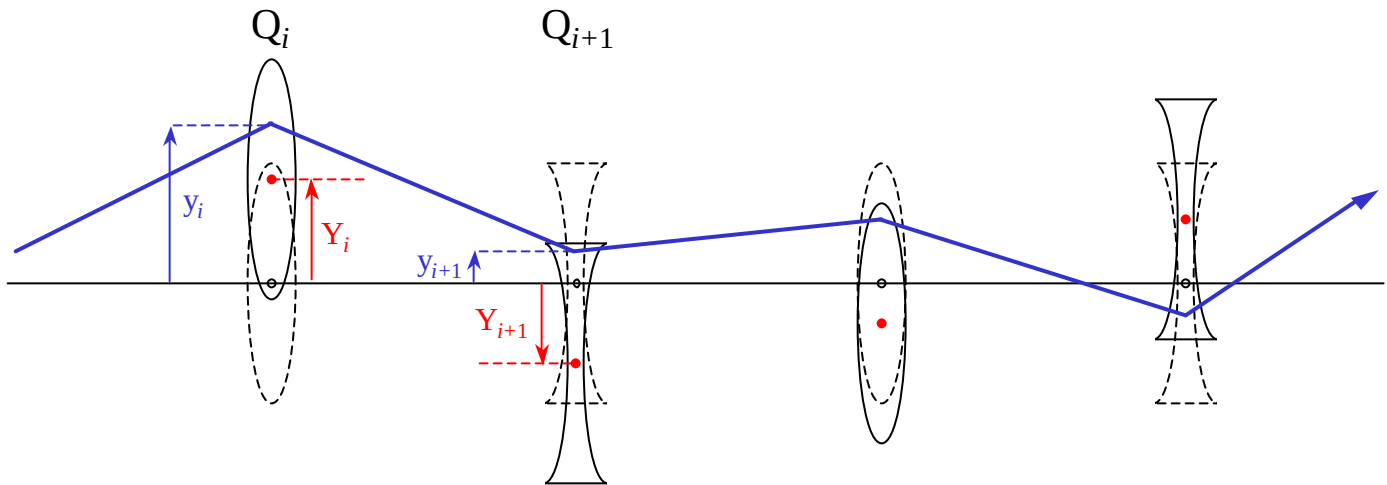
What's Next

- measure BPM offsets for non-arc BPMs (more difficult due to vertical aperture restrictions in wigglers)
- use measured BPM offsets to create a “gold orbit” and steer to it, then do standard dispersion/coupling corrections and check vertical emittance
- understand systematics in sextupole skew-quad trim data ... find source of non-reproducibility
- improve analysis tools (actual sextupole settings, actual skew quad settings, ...)
- continue checking stability of measured BPM offsets
- better understand why BPMs go “bad”
- try 3-corrector bumps instead of 4-corrector (maximum offset at target magnet)
- BBA for combined-function bends
- improved BPM electronics with 3 μm resolution (at 10^{10} e-/bunch) will be available early next year

Why BBA at DAΦNE?

- small emittance ratio and large dynamic aperture are desired
- vertical emittance is generated by spurious vertical dispersion and betatron coupling
- vertical dispersion is generated by vertical steering and vertical offsets in the sextupoles
- horizontal misalignments can affect the accuracy of the machine model
- these effects can be minimized by aligning the quadrupoles and sextupoles
- what is the desired alignment accuracy?
- need to determine electronic offsets in the BPM readings

Determining Quad-to-Beam Offsets

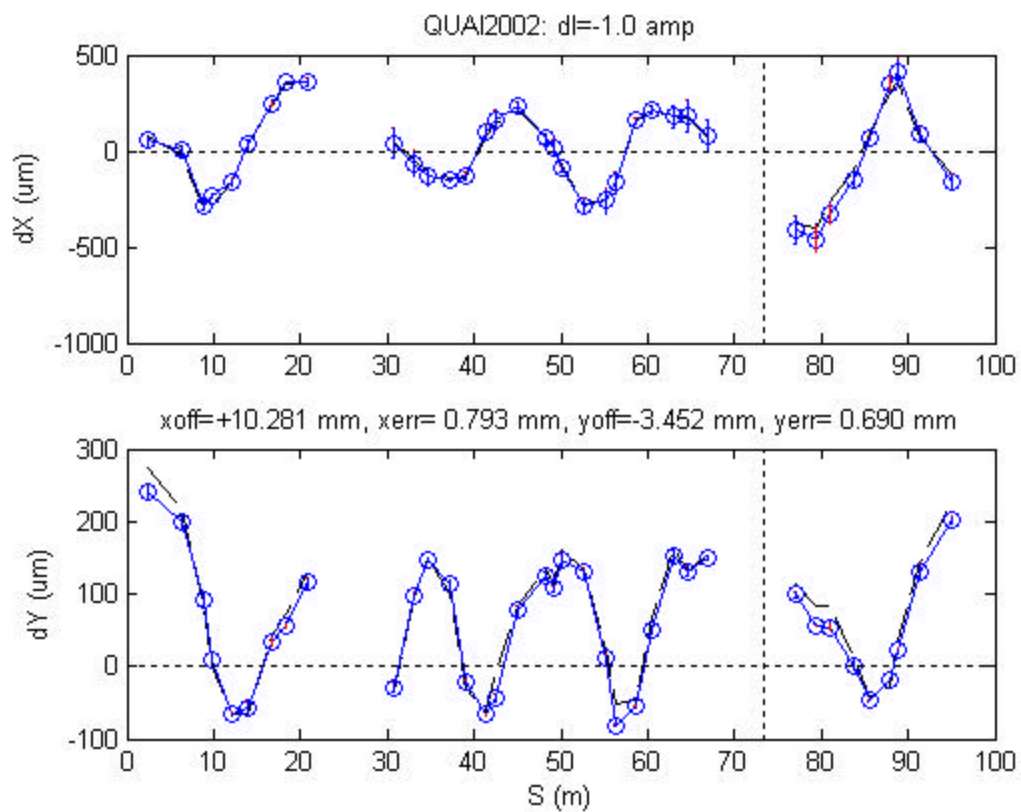
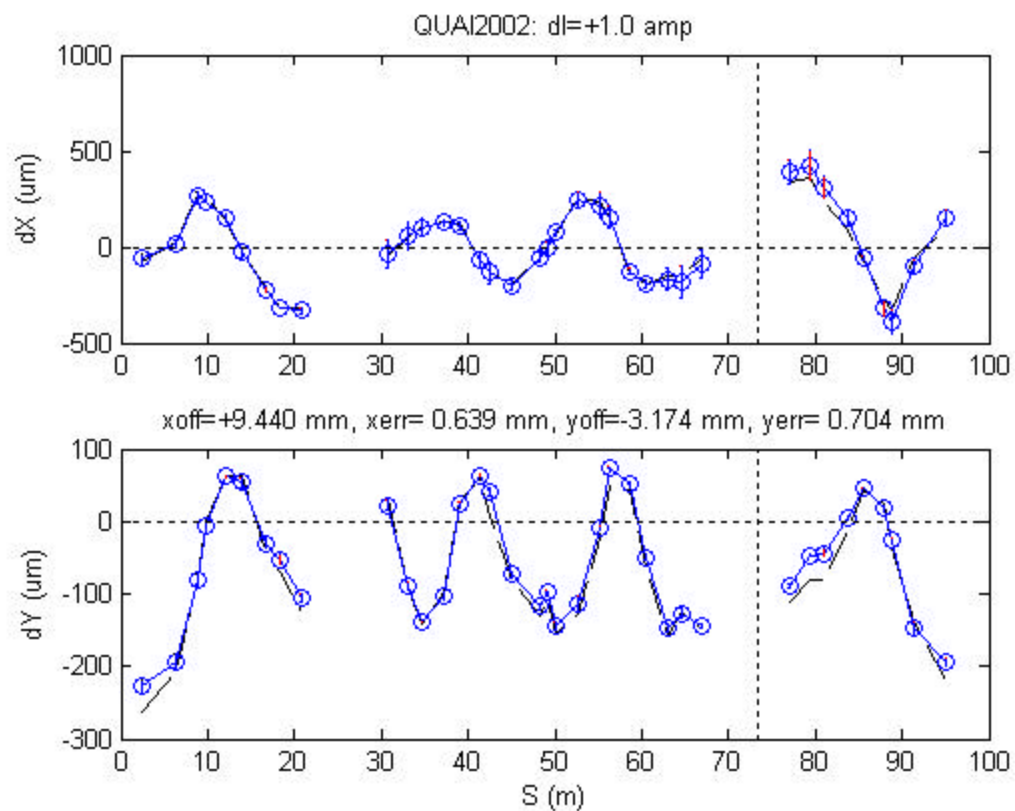


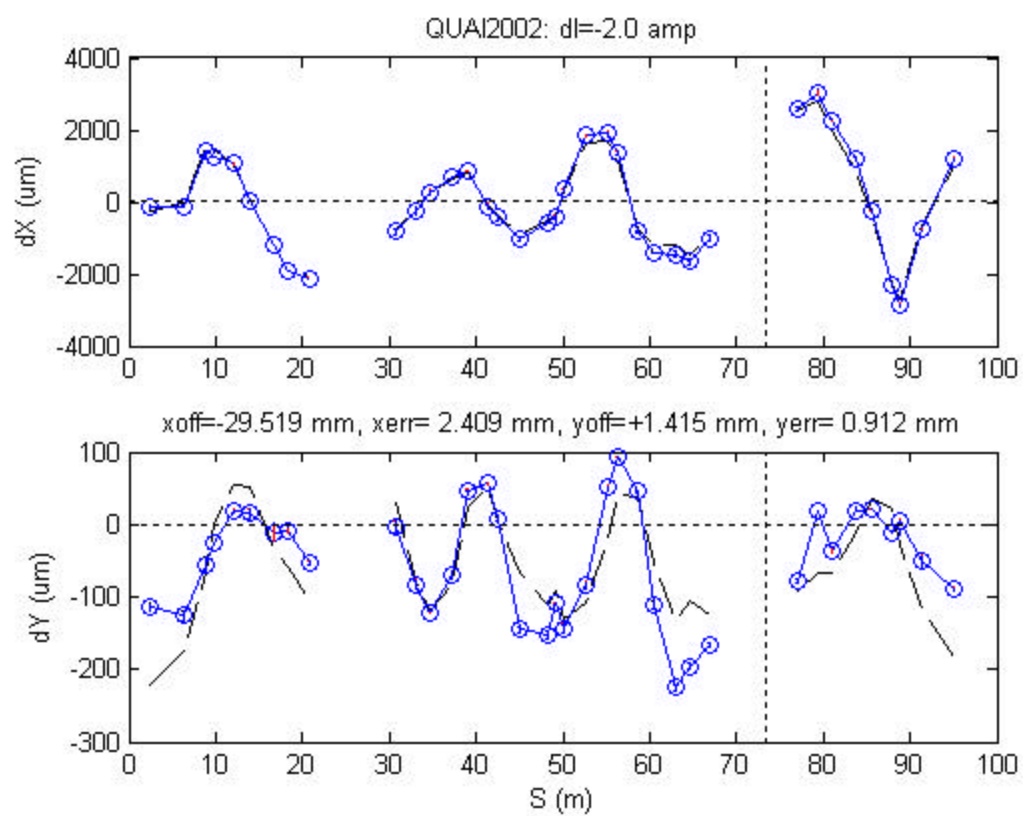
1. Save reference orbit: $I_Q = I_0$
2. Change quad current: $I_Q = I_0 + \Delta I$
3. Measure difference orbit: $\Delta y = y(I_0 + \Delta I) - y(I_0)$
4. Form the same difference orbit in the model with an offset Y_M in the quad:

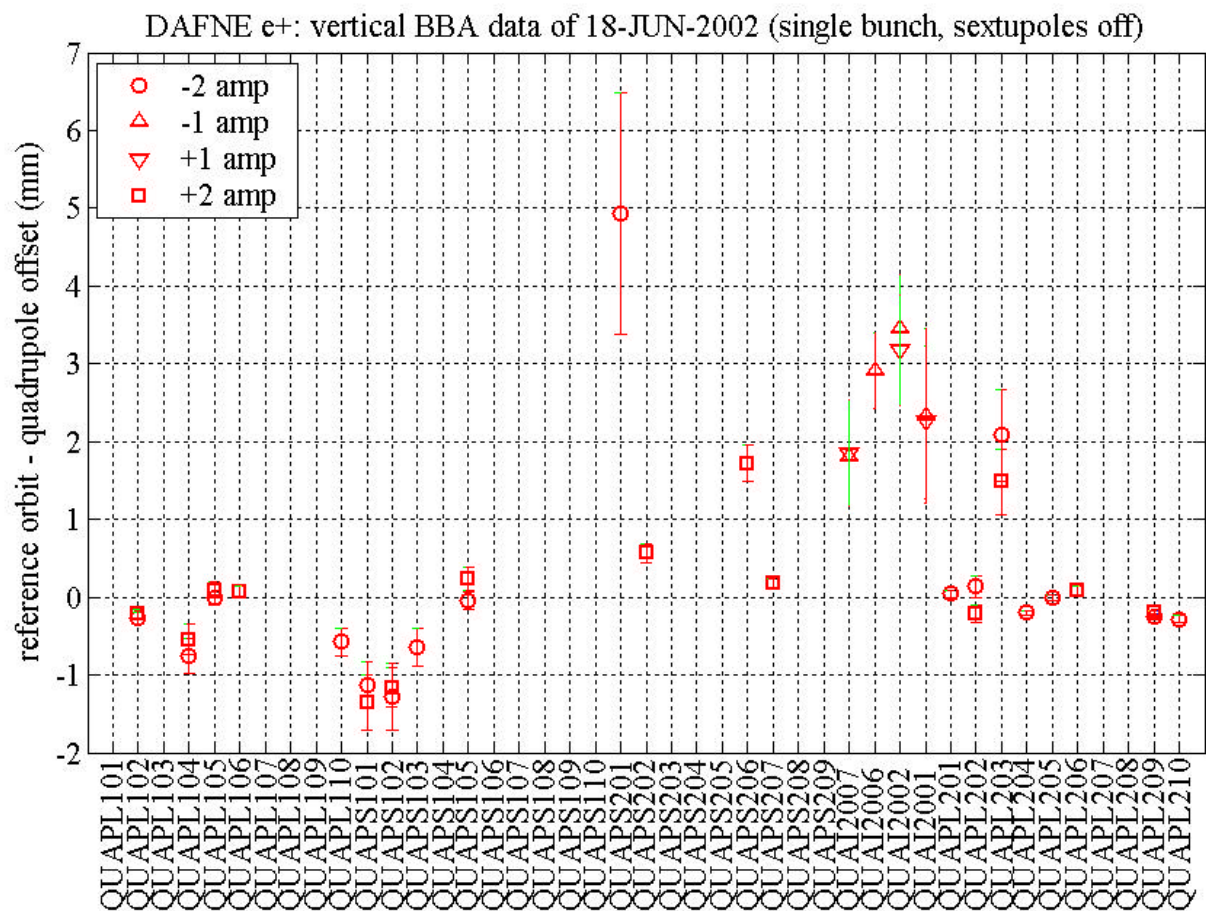
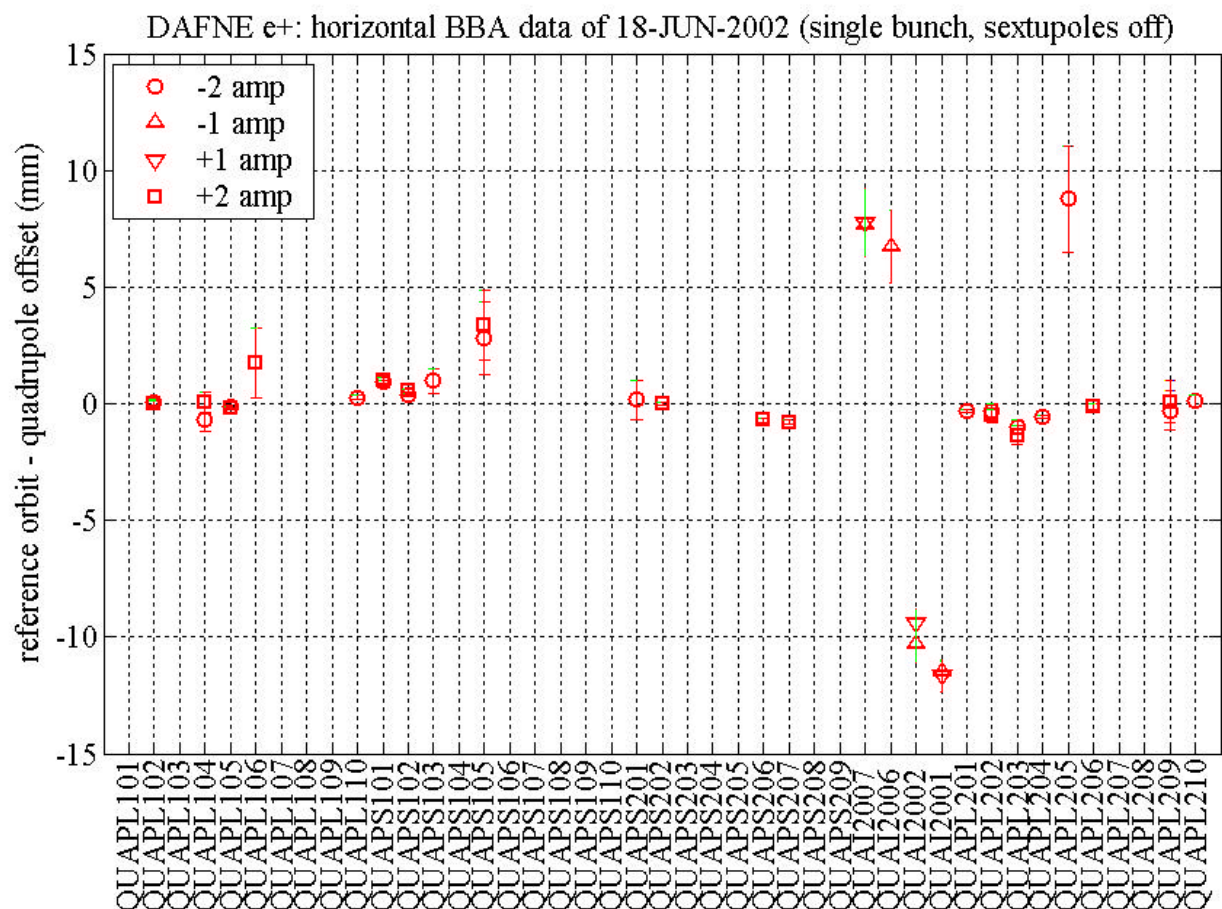
$$\Delta y_M = y_M(I_0 + \Delta I, Y_M) - y_M(I_0, Y_M)$$
5. Find the quad-to-beam offset (in a least-squares sense) by scaling the model difference orbit: $\Delta y = c \Delta y_M$, $y - Y = c Y_M$

Notes:

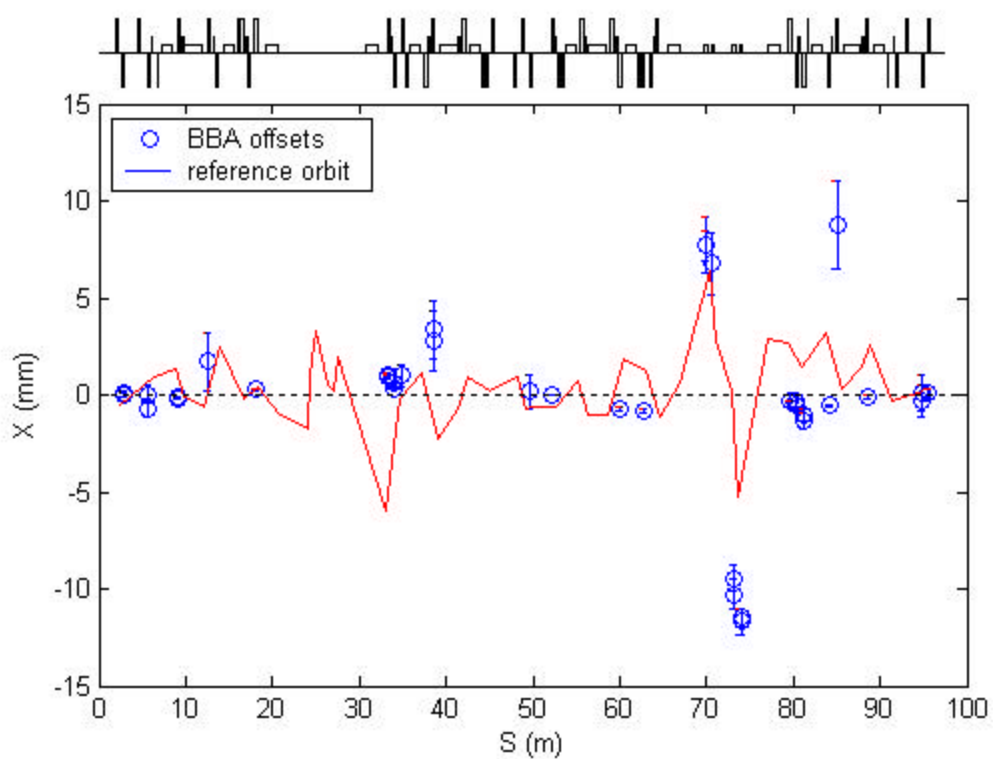
- adjust statistical errors on BBA difference orbit readings so that χ^2 of fit = 1 in order to estimate error on fitted quad-to-beam offset
- ignore KLOE and DEAR IR BPMs



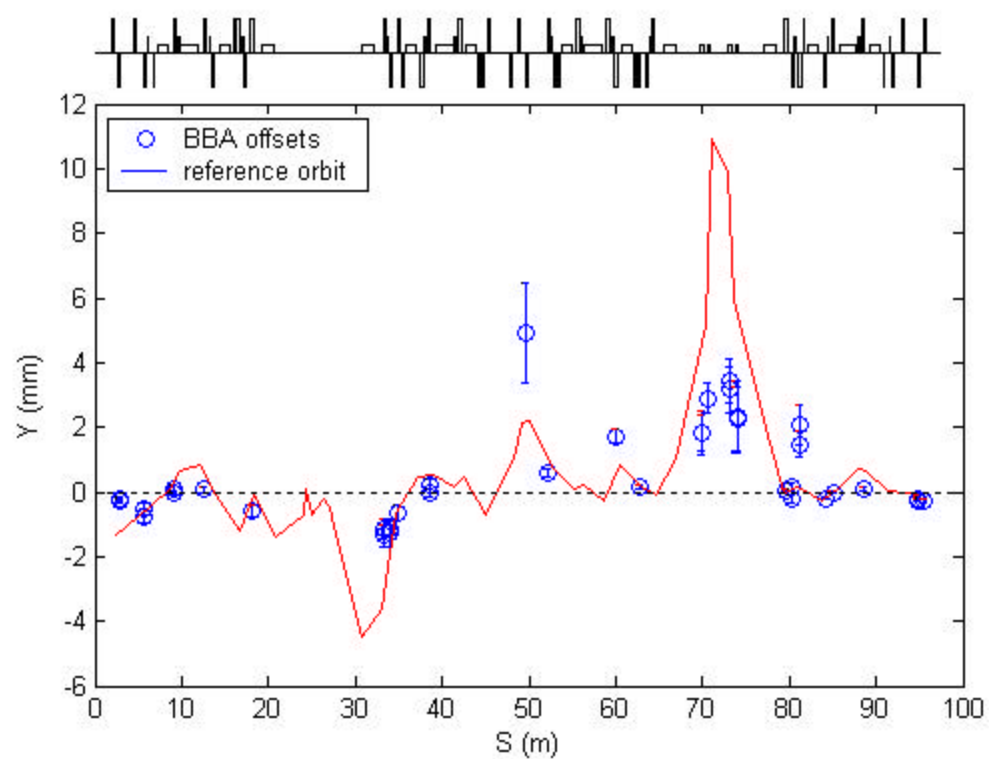




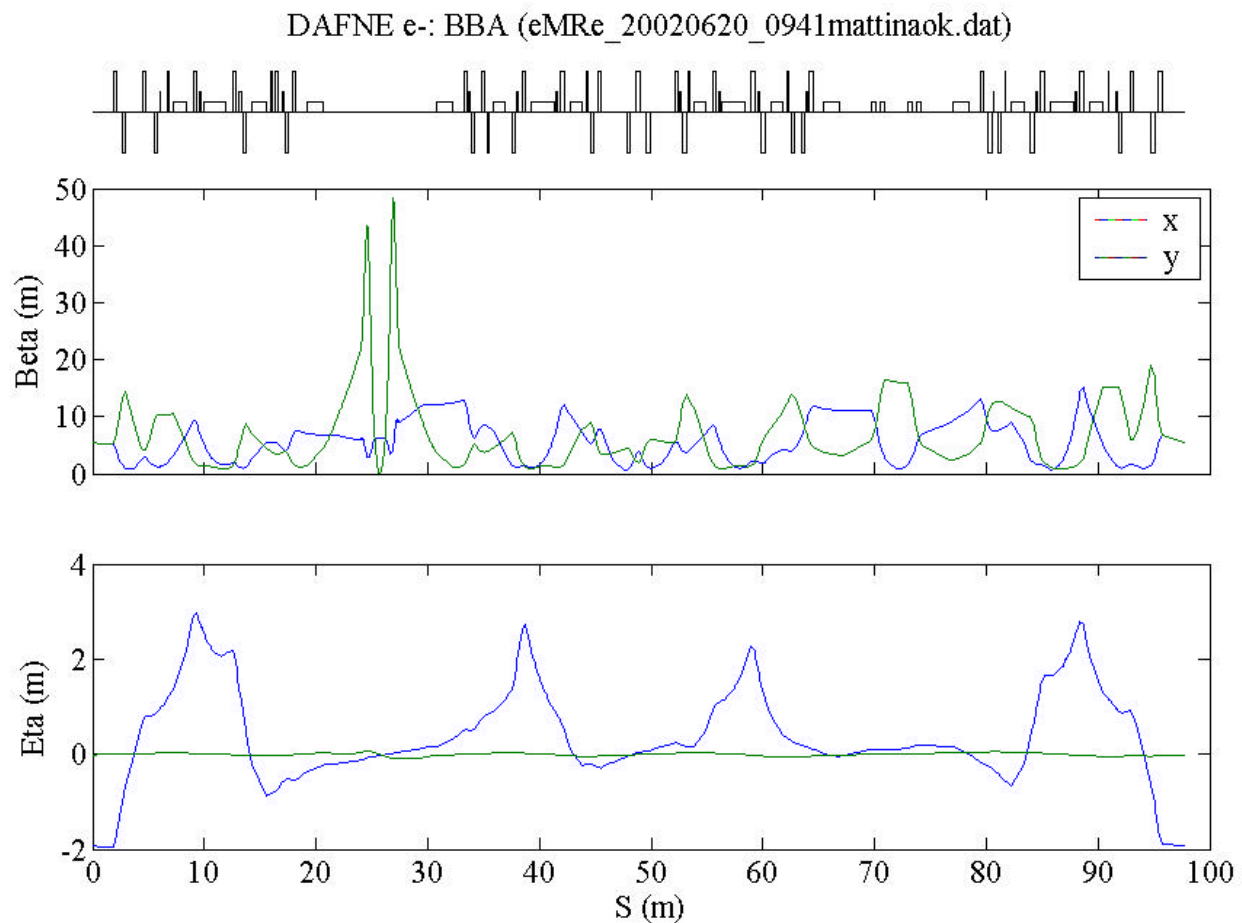
DAFNE e+: BBA data of 18-JUN-2002 (single bunch, sextupoles off)



DAFNE e+: BBA data of 18-JUN-2002 (single bunch, sextupoles off)

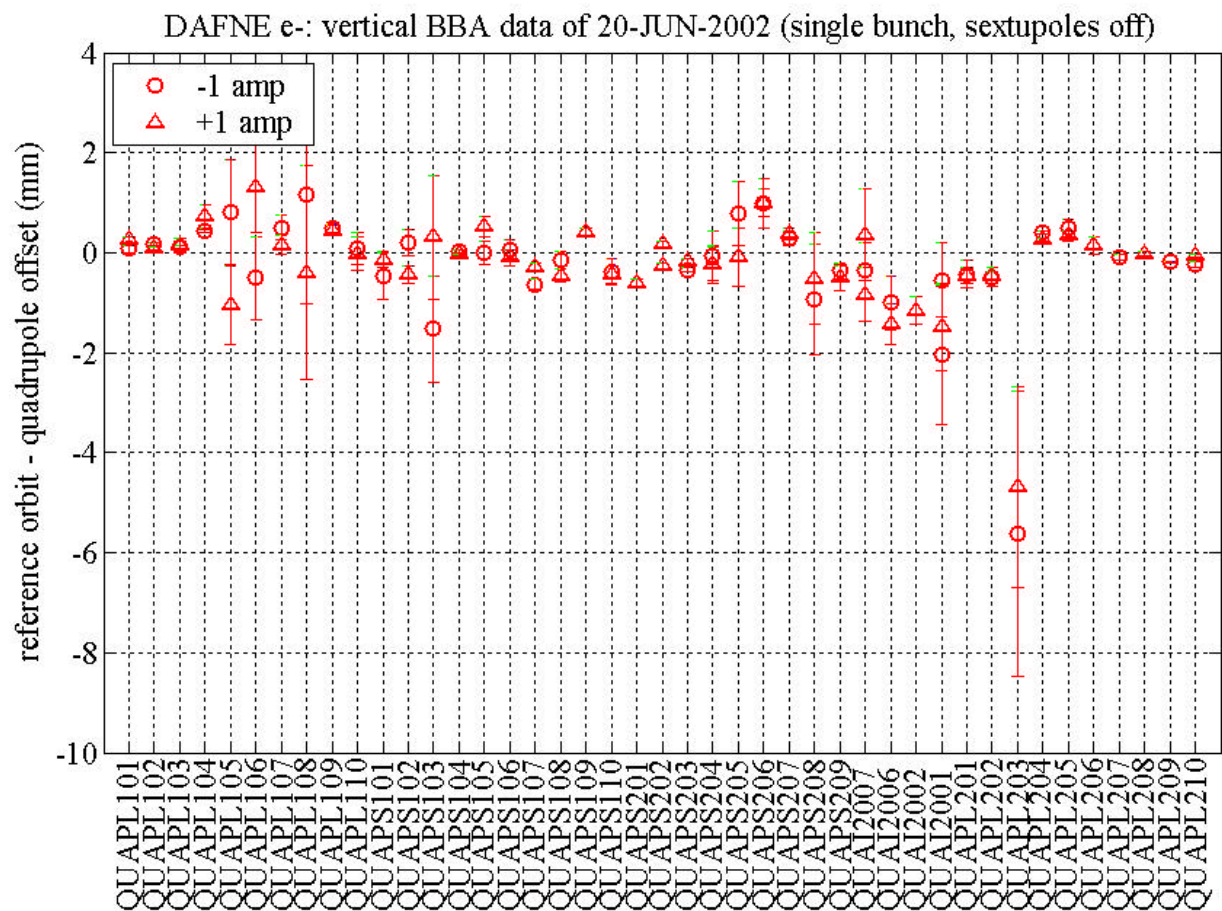
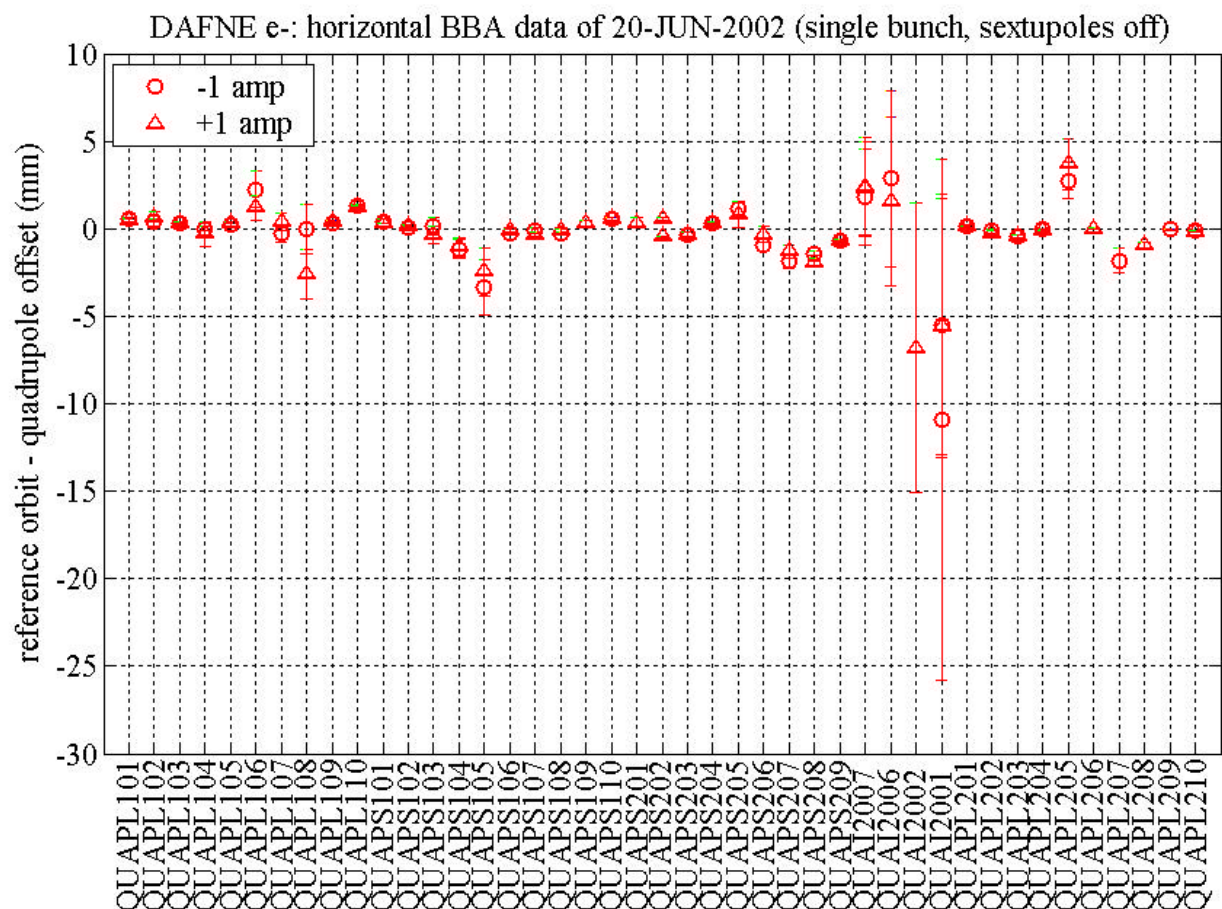


e- BBA data analysis

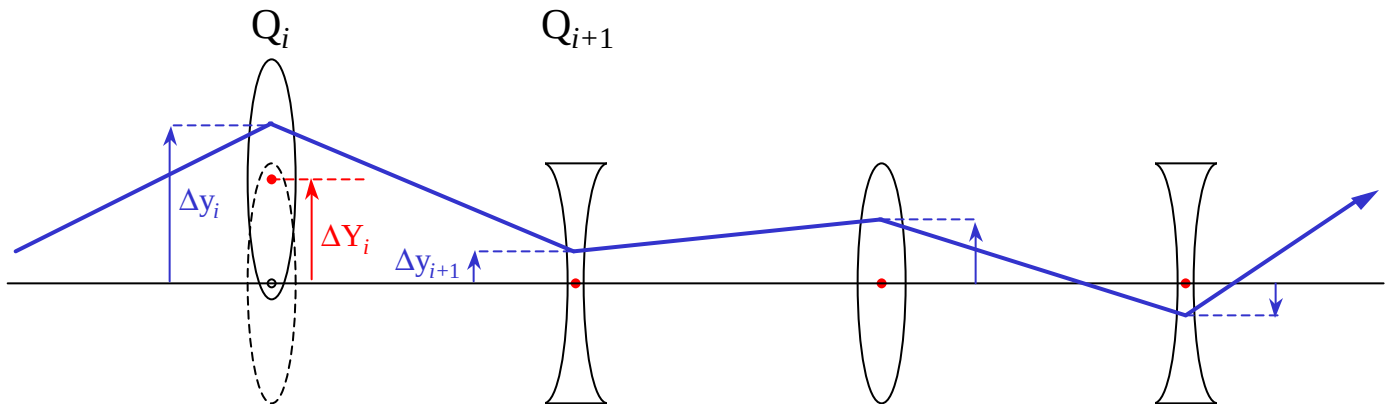


Notes:

- e- ring, single bunch (?), single beam (?), 18-JUN-2002 data, ± 1 amp (?)
- KLOE optics
- electromagnetic sextupoles OFF
- coupled model with wiggler sextupole & octupole



Determining Absolute Quad Offsets (?)



1. Start with a model that has no quad offsets and zero corrector strengths

2. Form the response matrix:

$$\begin{pmatrix} \Delta y_1 - \Delta Y_1 \\ \Delta y_2 - \Delta Y_2 \\ \vdots \\ \Delta y_N - \Delta Y_N \end{pmatrix} = M_{i,j} \begin{pmatrix} \Delta Y_1 \\ \Delta Y_2 \\ \vdots \\ \Delta Y_N \end{pmatrix}$$

M_{ij} gives the directed distance from the center of the i^{th} quad to the beam due to a unit offset of the j^{th} quad

3. Increase corrector strengths by 10% of their full values and get y_c at each quad
4. Subtract the BBA measured quad-to-beam offsets from y_c and apply the inverse of M to the difference in order to get additional incremental quad offsets:

$$M_{i,j}^{-1} \begin{pmatrix} y_{c_1} - \Delta Y_1 \\ y_{c_2} - \Delta Y_2 \\ \vdots \\ y_{c_N} - \Delta Y_N \end{pmatrix} = \begin{pmatrix} dY_1 \\ dY_2 \\ \vdots \\ dY_N \end{pmatrix}, \quad \begin{pmatrix} \Delta Y_1 \\ \Delta Y_2 \\ \vdots \\ \Delta Y_N \end{pmatrix} \Rightarrow \begin{pmatrix} \Delta Y + dY_1 \\ \Delta Y_2 + dY_2 \\ \vdots \\ \Delta Y_N + dY_N \end{pmatrix}$$

5. Increment 3 and 4 until correctors are at full strength and quad-to-beam offsets are as measured by BBA

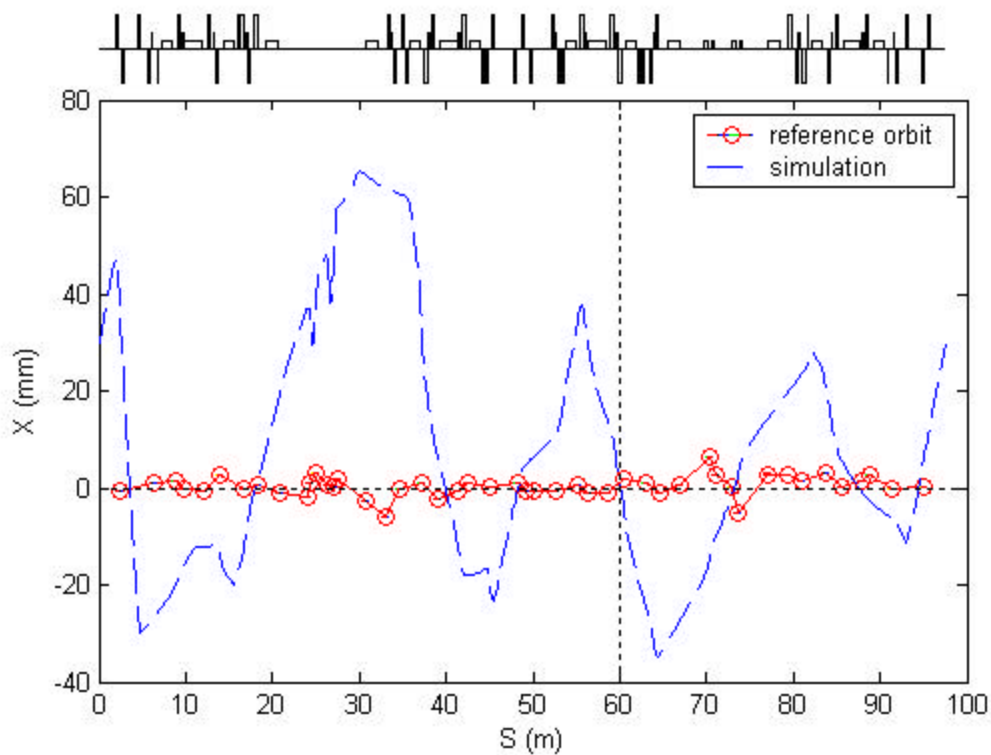
thanks to Andrzej Wolski ...

Assumptions and Unknowns in Determining Absolute Quad Offsets

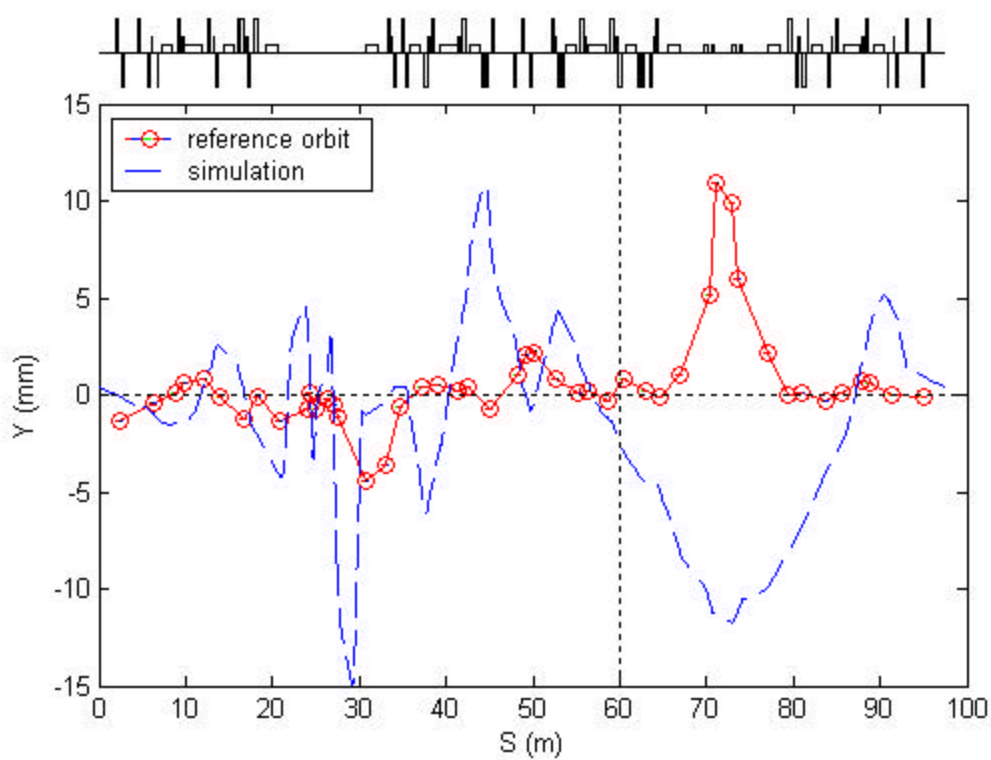
- need to model *all* kicks: correctors, BBA for all quads (we have data for 25 of 43 quads or $\sim 60\%$)
- BBA data must be accurate ($+\Delta I$ and $-\Delta I$ for consistency check is good)
- corrector strengths must be accurate
- electrical/mechanical offsets in BPMs should be small
- non-linearities should be small

Absolute Orbits (coupled model)

DAFNE e+: simulation of absolute horizontal orbit (BBA+HCORs+VCORs)

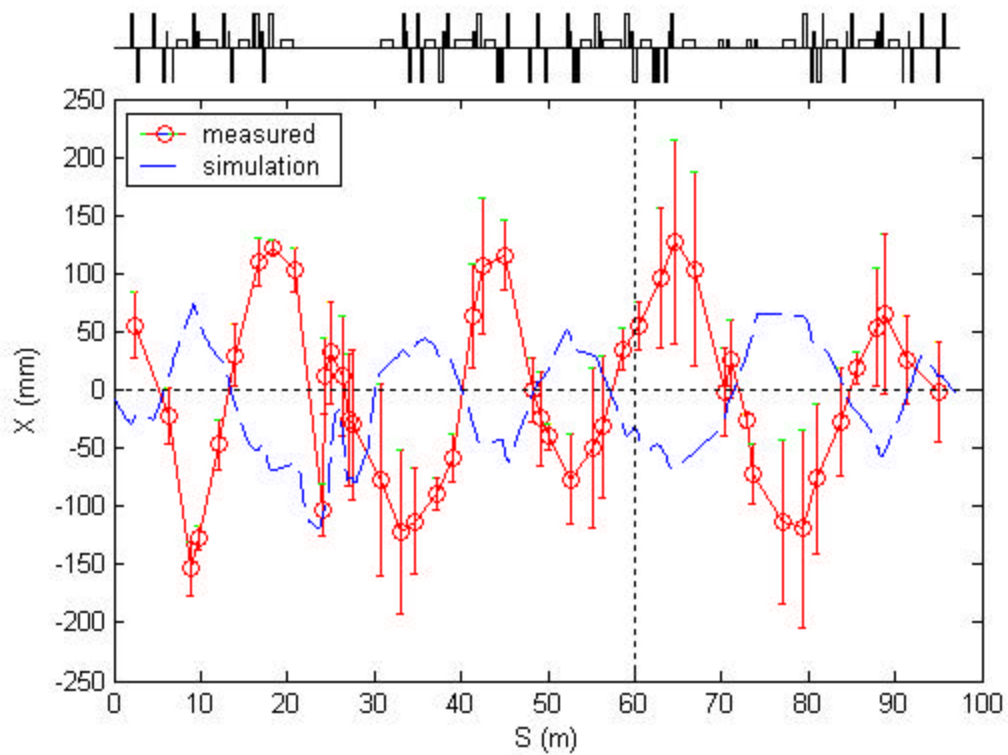


DAFNE e+: simulation of absolute vertical orbit (BBA+HCORs+VCORs)

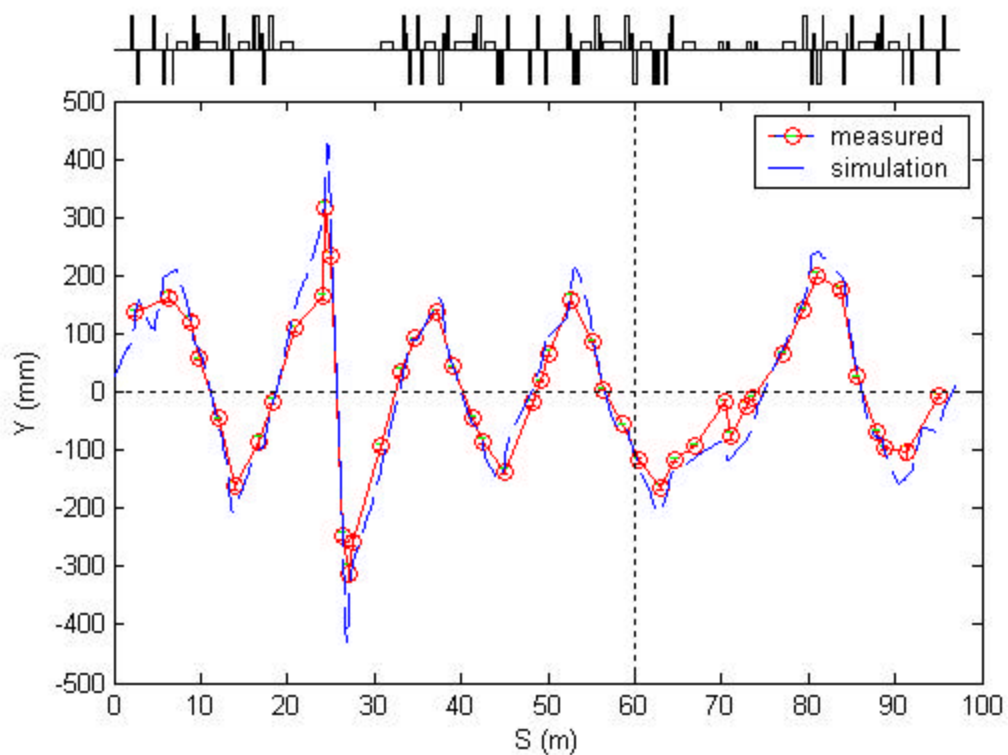


QUAPS206 BBA (coupled model)

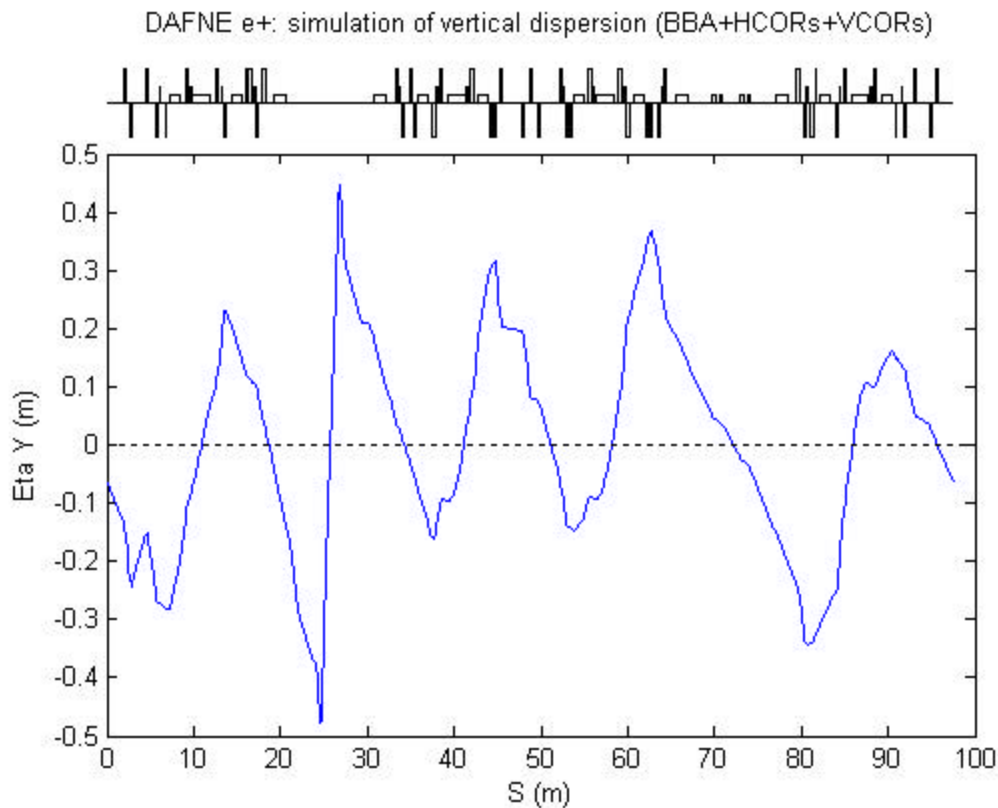
DAFNE e+: simulation of QUAPS206 BBA



DAFNE e+: simulation of QUAPS206 BBA



Simulated Vertical Dispersion



Note:

- coupled model
- electromagnetic sextupoles and octupoles OFF
- no sextupole or octupole components in wigglers

A Few Words About ...

- sextupole BBA ... next time!
- septum bump coupling ($\sim 10\%$ observed) ... sorry, not analyzed yet!
- coupled vs uncoupled lattices ...
for KLOE optics not much
difference seen in models

Final Thoughts ...

- Special thanks to Pina ... *mille grazie!*
- DAΦNE Accelerator Physicists and Operations staff *sono amichevoli e molto professionisti!*
- DAΦNE is *molto divertente!*
- Frascati is *molto bella!*
- Rome is *meravigliosa!*
- Italy has been *indimenticabile!*

**Mi sono divertito proprio ...
grazie di tutto!**